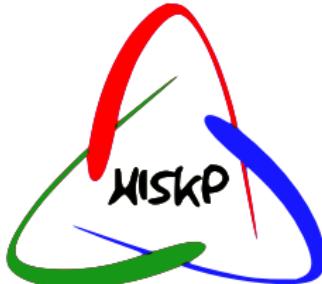
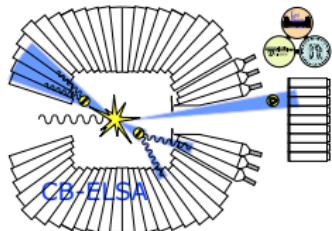


# Recent results of polarization observables in $\pi^0$ - and $\eta$ -photoproduction off the proton

Farah Noreen Afzal  
for the  
CBELSA/TAPS and A2 collaboration

HISKP, University of Bonn

09/01/2017



# Outline

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- 1 Motivation
- 2 Measurement of  $\Sigma$  at the CBELSA/TAPS experiment
- 3 Measurement of E and G at the Crystal Ball experiment
- 4 Impact of polarization data
- 5 Summary and outlook

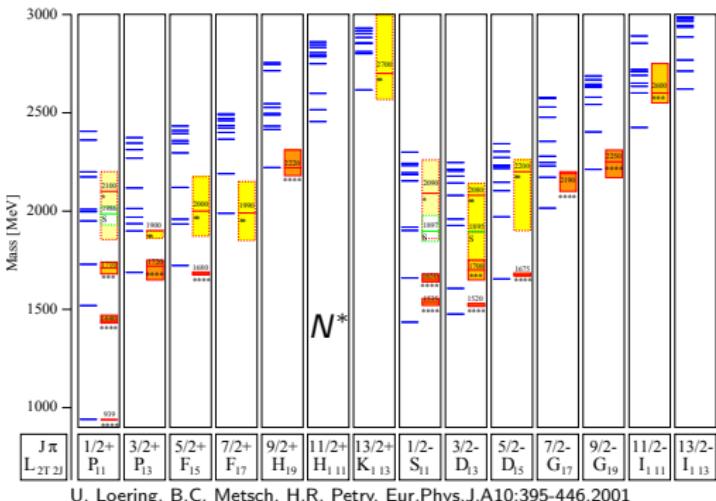
# Why baryon spectroscopy?

Goal: Understanding nucleon excitation spectra

↔ Understanding dynamics of the constituents inside the nucleon

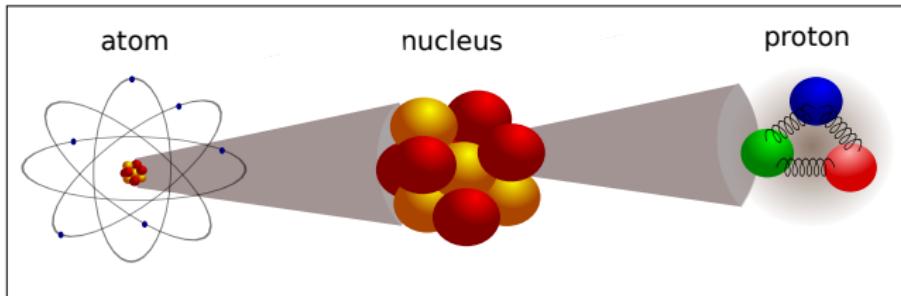
Quark model vs. experimental data

- many more resonances expected in quark models or lattice QCD than experimentally observed
- What are the relevant degrees of freedom?
- most resonances observed in  $\pi N \rightarrow$  some resonances might not couple to  $\pi N$

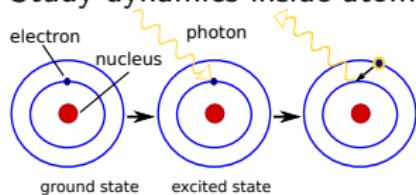


Photoproduction reactions are excellent tool to probe excitation spectra!

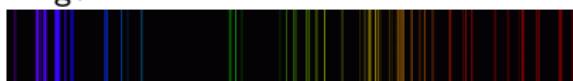
# Why baryon spectroscopy?



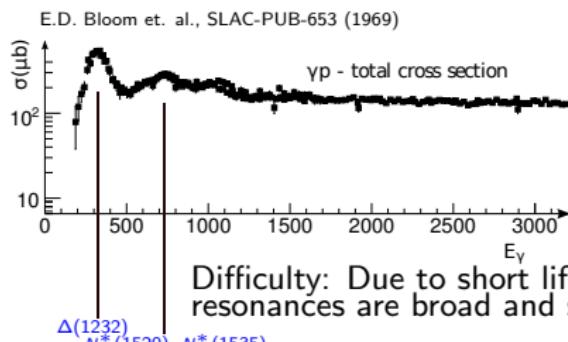
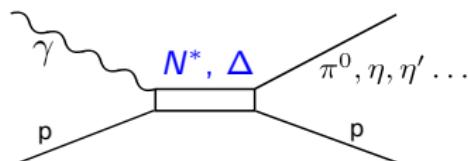
Study dynamics inside atom



Argon:



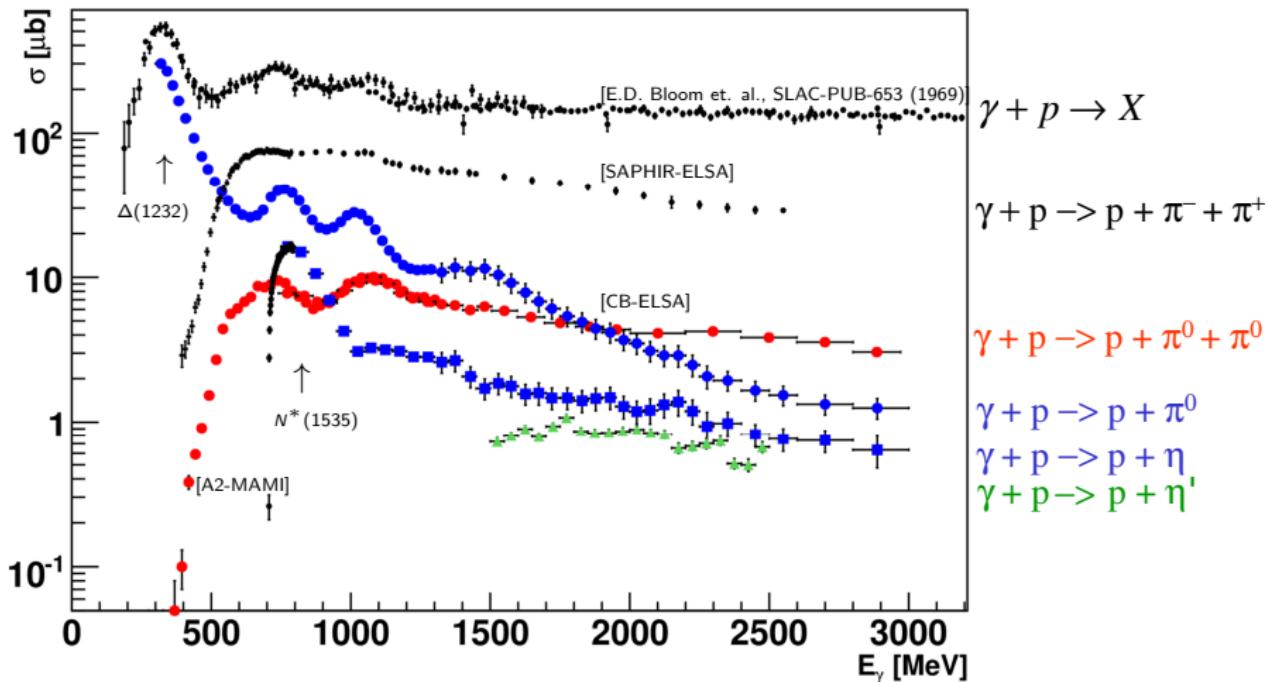
Study dynamics of constituents  
inside the nucleon



Difficulty: Due to short lifetime,  
resonances are broad and strongly overlap

# Photoproduction reactions

Study of different reaction channels gives access to different resonant structures  
⇒ Worldwide effort to get high precision data (**ELSA, MAMI, JLab, ...**)



# Importance of polarization observables

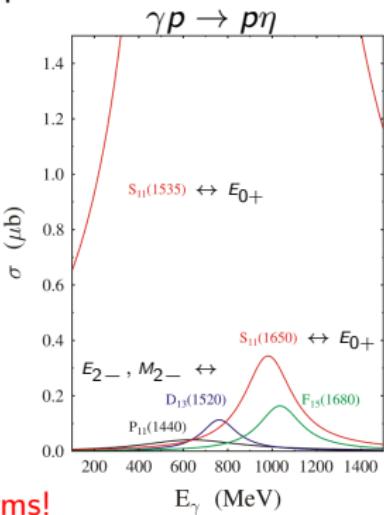
- Scattering amplitude  $f \longleftrightarrow 4$  complex amplitudes (CGLN amplitudes)  
 $f(F_1(W, \cos \theta_{cm}), F_2(W, \cos \theta_{cm}), F_3(W, \cos \theta_{cm}), F_4(W, \cos \theta_{cm}))$
- PWA:  $F_1 = \sum_{l=0}^{\infty} (lM_{l+} + E_{l+})P'_{l+1} + [(l+1)M_{l-} + E_{l-}]P'_{l-1}$ 
  - $E_{l\pm}(W), M_{l\pm}(W)$ : Multipoles
  - $P'_{l\pm 1}(\cos \theta_{cm})$ : Legendre polynomials
- Measurable observables  $\longleftrightarrow$  Multipoles  $\longleftrightarrow$  Resonance parameters

Photon polarization	Target polarization			Recoil nucleon polarization			Target and recoil polarizations				
	X	Y	Z <sub>(beam)</sub>	X'	Y'	Z'	X'	X'	Z'	Z'	
unpolarized	$\sigma$	-	T	-	-	P	-	$T_x$	$L_x$	$T_z$	$L_z$
linear	$-\Sigma$	H	(-P)	-G	$O_x$	(-T)	$O_z$	(-L <sub>x</sub> )	(T <sub>z</sub> )	(L <sub>x</sub> )	(-T <sub>x</sub> )
circular	-	F	-	-E	$C_x$	-	$C_z$	-	-	-	-

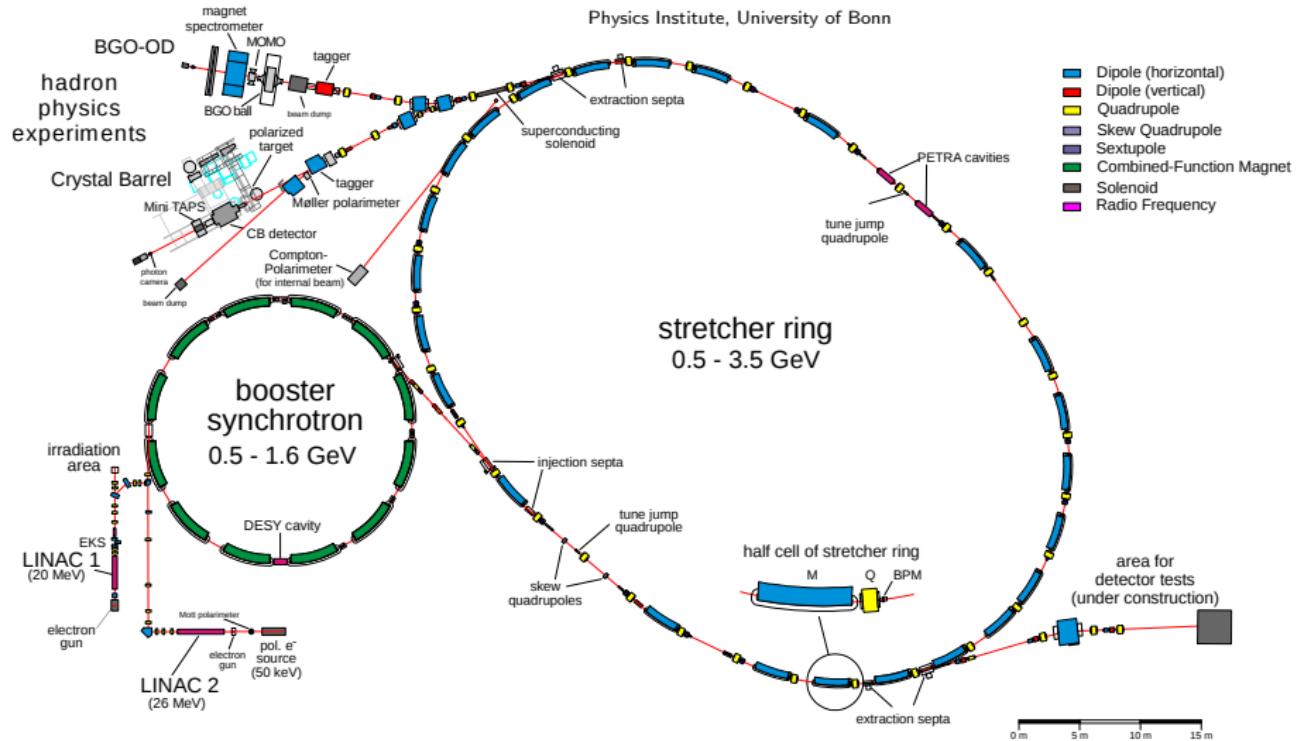
$$\sigma \sim |E_{0+}|^2 + |E_{1+}|^2 + |M_{1+}|^2 + |M_{1-}|^2 + \dots$$

$$\Sigma \sim -2E_{0+}^* E_{2+} + 2E_{0+}^* E_{2-} - 2E_{0+}^* M_{2+} + 2E_{0+}^* M_{2-} \dots$$

$\Rightarrow$  Polarization observables are sensitive to interference terms!



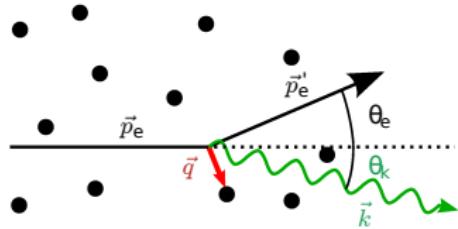
# The Electron Stretcher Accelerator (ELSA)



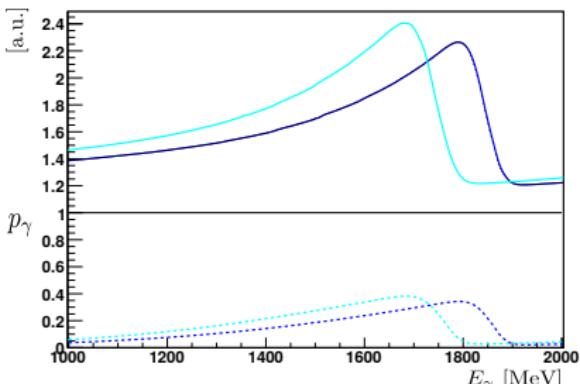
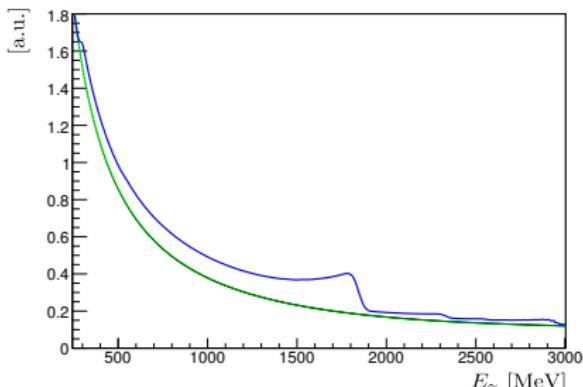
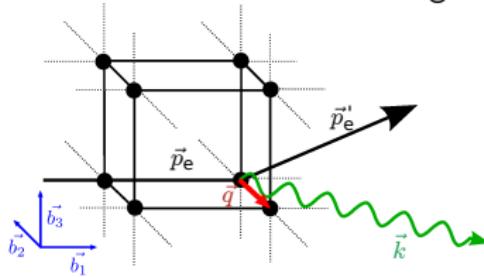
# Linearly polarized photons

- coherent bremsstrahlung produced on diamond crystal
- Bragg: if  $\vec{q} = n \cdot \vec{g} \rightarrow$  constructive interference

incoherent bremsstrahlung

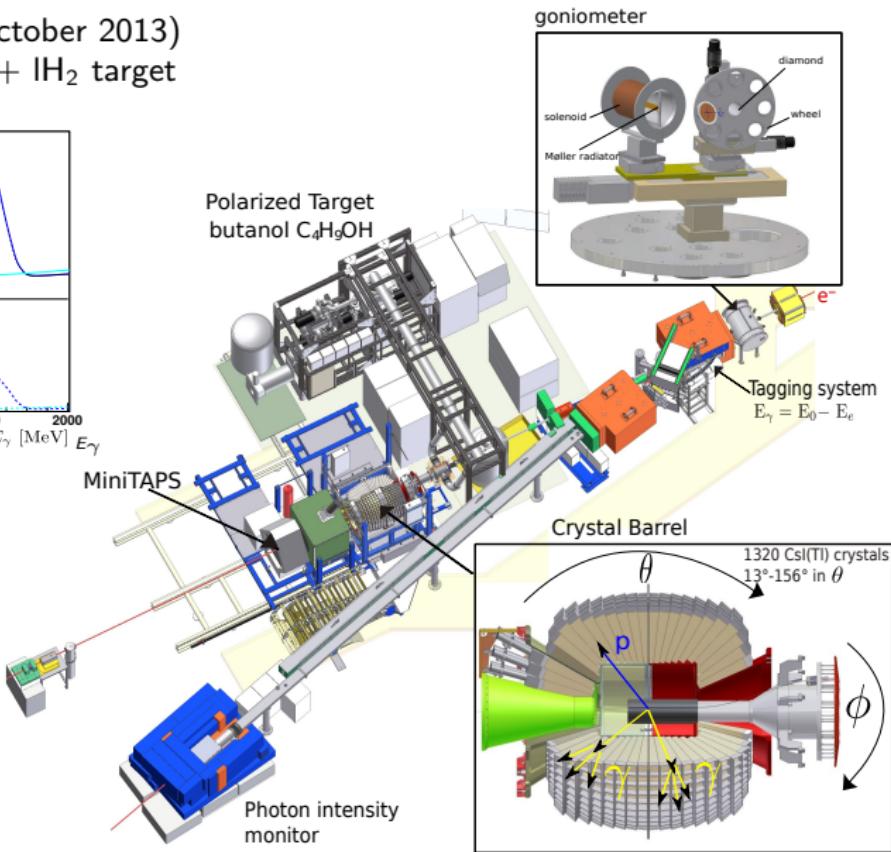
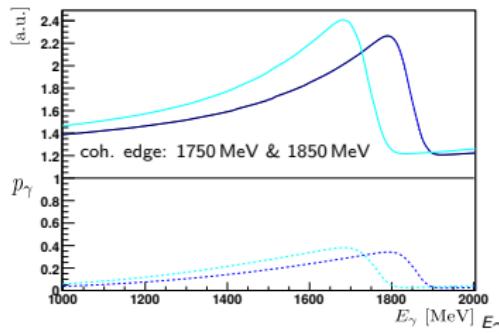


coherent bremsstrahlung



# The CBELSA/TAPS experiment at ELSA in Bonn

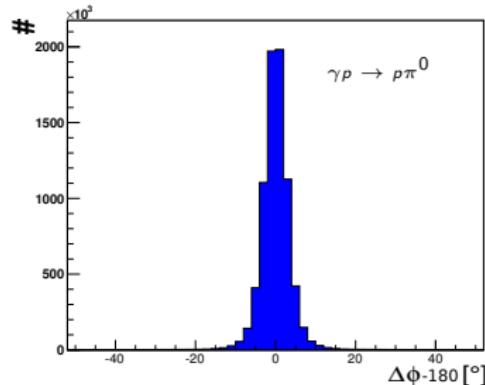
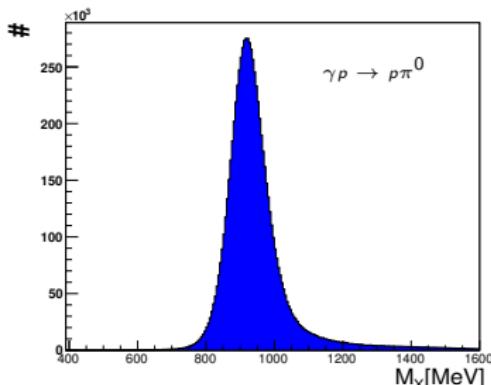
Measurement of  $\Sigma$  (July-October 2013)  
Linearly polarized photons +  $\text{IH}_2$  target



# Selection process of $\gamma p \rightarrow \gamma\gamma p$

Selected events had to fulfill kinematic constraints:

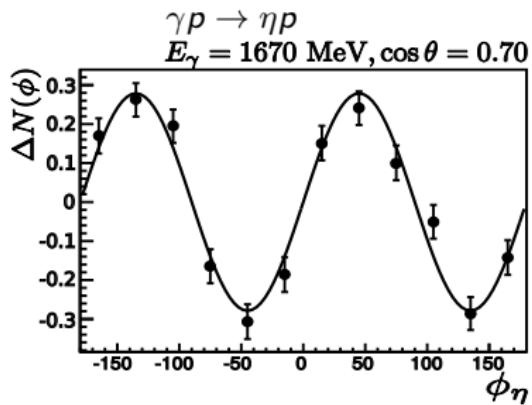
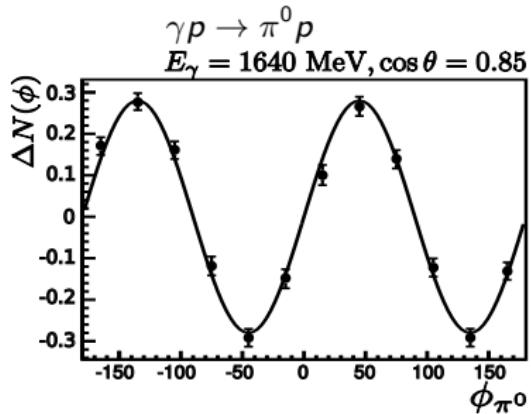
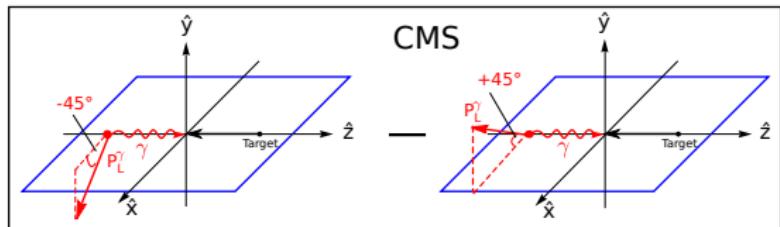
- 3 hits in calorimeters ( $p+2\gamma$ )
- Proton: calculated as missing particle of  $\gamma p \rightarrow \gamma\gamma X$
- Angular-cuts:
  - Agreement of missing mass and measured charged particle in  $\theta$
  - Coplanarity-cut:  $\Delta\Phi = |\Phi_{\gamma\gamma} - \Phi_p| = 180^\circ$  within  $2.5\sigma$
- Beam photon:  $E_\gamma > E_{\text{prod. threshold}}$  and time coincidence with reaction products



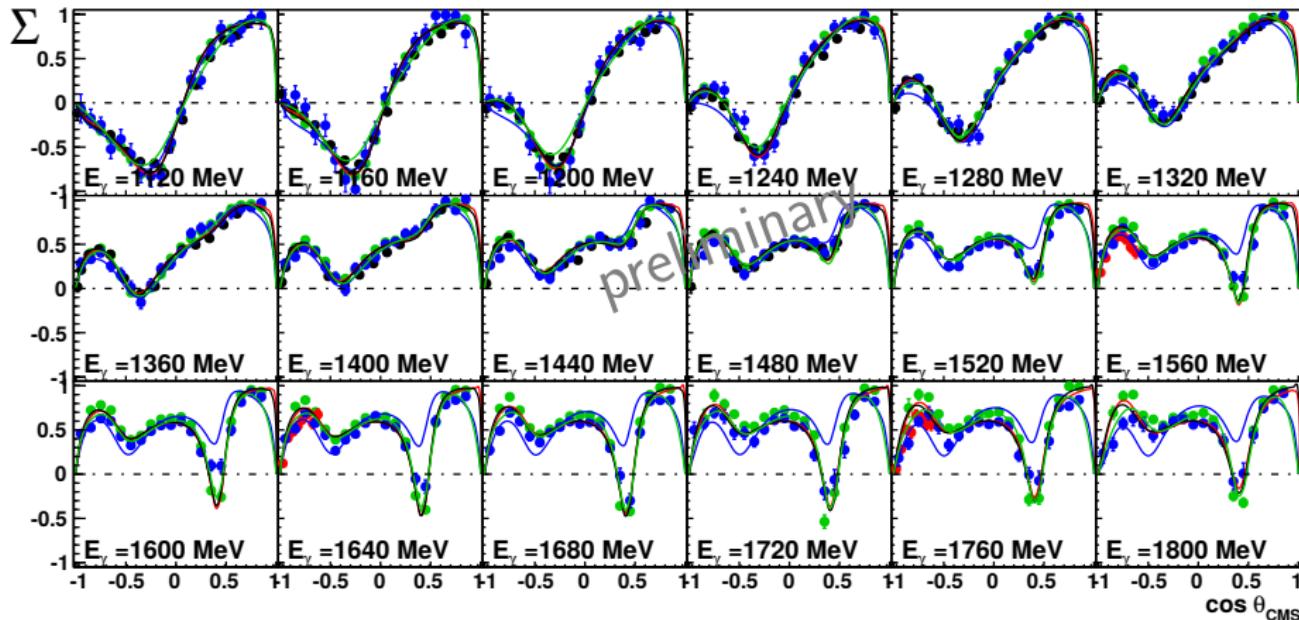
# Determination of the beam asymmetry $\Sigma$

- linearly polarized beam, unpolarized liquid hydrogen target

$$\Delta N = \frac{N_{-45^\circ} - N_{+45^\circ}}{N_{-45^\circ} + N_{+45^\circ}}$$
$$= p_\gamma^{\text{lin}} \Sigma \sin(2\phi)$$



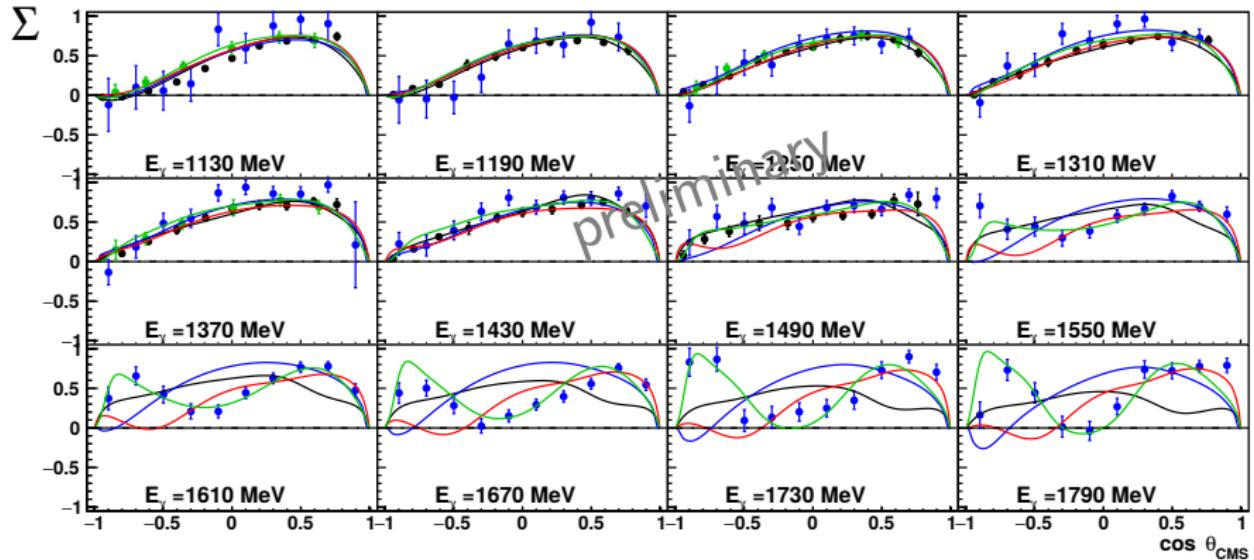
# The beam asymmetry $\Sigma$ in $\pi^0$ -photoproduction



- this work
- CLAS data (M.Dugger et al., Phys.Rev.C 88, 2013)
- GRAAL data (O. Bartalini et al., Eur.Phys.J.A26, 399, 2005)
- LEPS data (M.Sumihama et al., PLB657, 32, 2007)

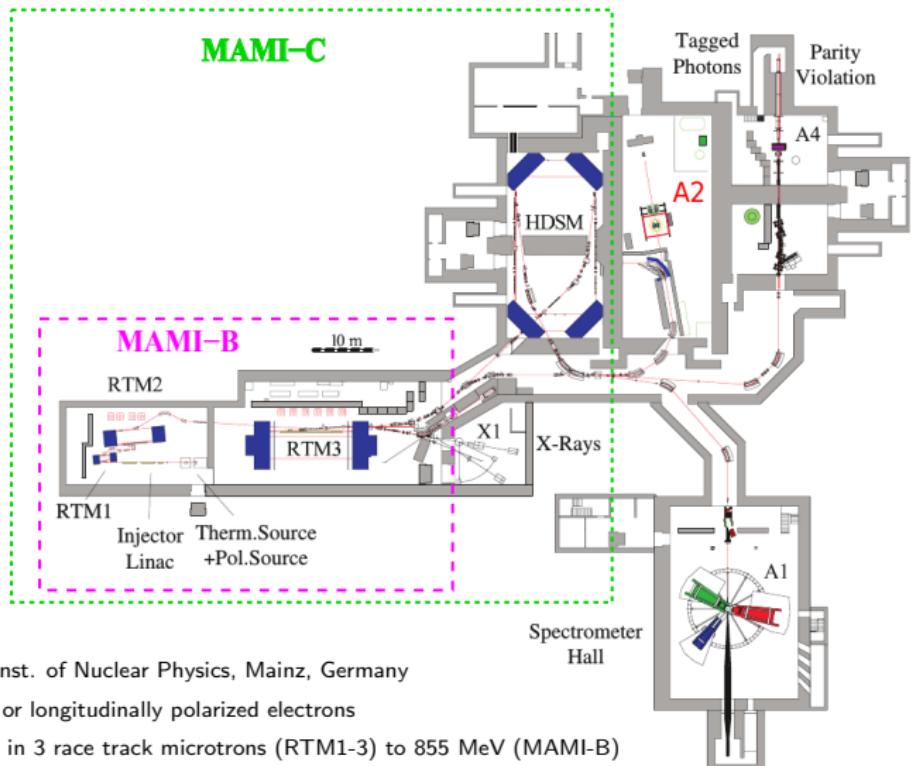
PWA solutions: —BnGa(2014.01) —BnGa(2014.02) —SAID(CM12) —JüBo2015 Fit B

# The beam asymmetry $\Sigma$ in $\eta$ -photoproduction

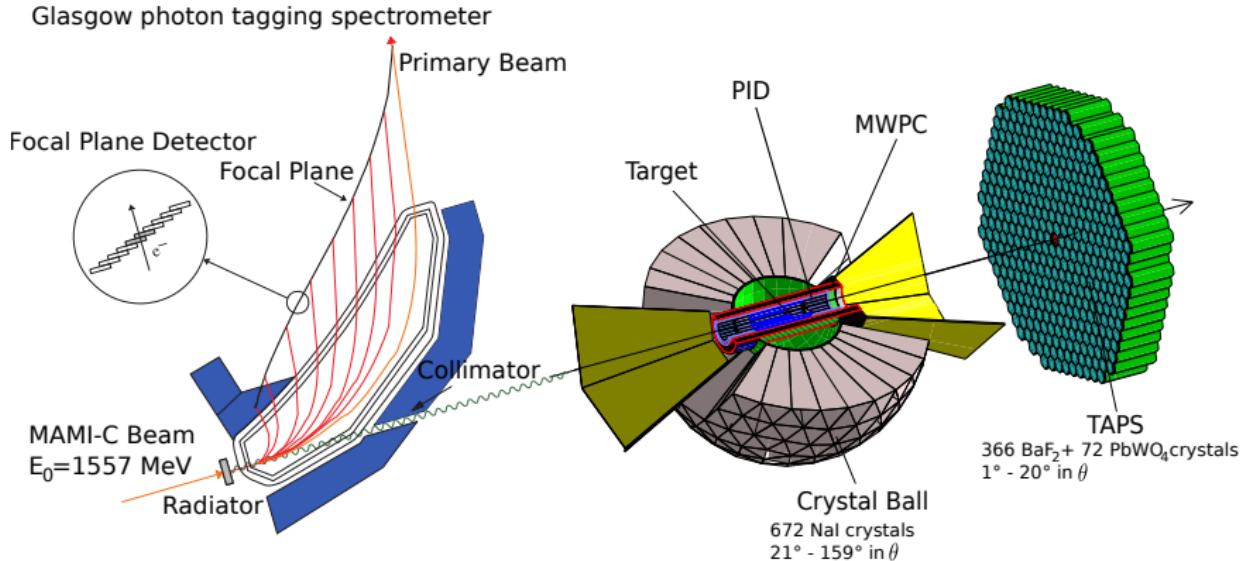


- this work
- GRAAL data (O.Bartalini et al., Eur.Phys.J. A33, 169, 2007)
- CB-ELSA (D.Elsner et al., Eur.Phys.J. A33, 147, 2007)

PWA solutions: — $\eta$ -MAID    —BnGa(2016)    —SAID(GE09)    —JüBo2016-3.1



# The Crystal Ball experiment at MAMI in Mainz

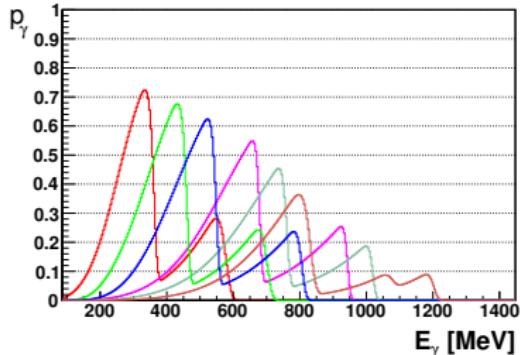


# Polarized $e^-$ beam on diamond radiator

First experimental attempt to measure E and G with longitudinally polarized electron beam in combination with a diamond crystal → using linearly and circularly polarized photons within same beam time!

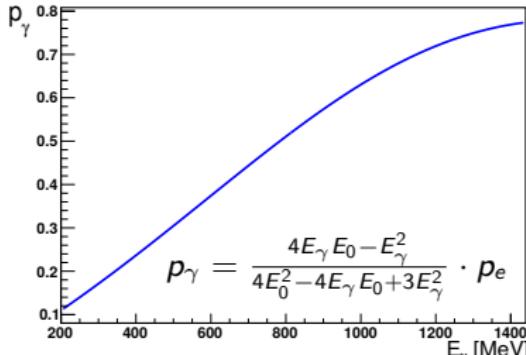
## Linearly polarized photons

- diamond radiator needed
- coherent bremsstrahlung
- coherent edges at:  
350 MeV, 450 MeV, 550 MeV,  
650 MeV, 750 MeV and 850 MeV



## Circularly polarized photons

- longitudinally polarized electrons needed
- helicity transfer to photons
- Mott/Møller measurement:  
 $p_e \approx 75\% - 78\%$

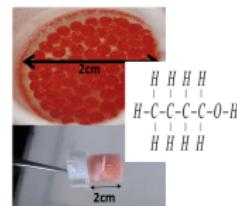


# Dubna-Mainz frozen spin polarized target

- polarization via Dynamic Nuclear Polarization DNP
- 70 GHz microwave irradiation at 2.5 T is used to transfer the electron polarization to protons
- $^3\text{He}/^4\text{He}$  dilution cryostat with 25 mK holding coil and 0.63 T
- relaxation time  $\tau \approx 2000$  h
- $9 \cdot 10^{22}$  pol. protons per  $\text{cm}^2$  in the target cell
- $p_T$  up to 90%
- carbon target needed for background studies



Butanol Target



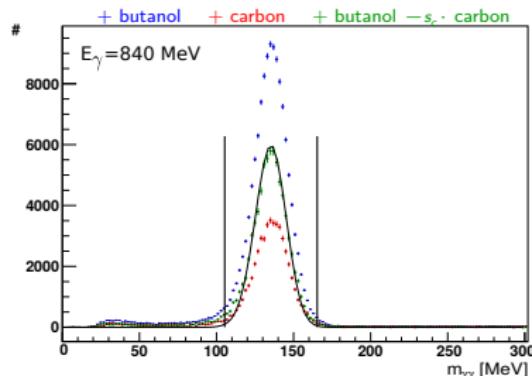
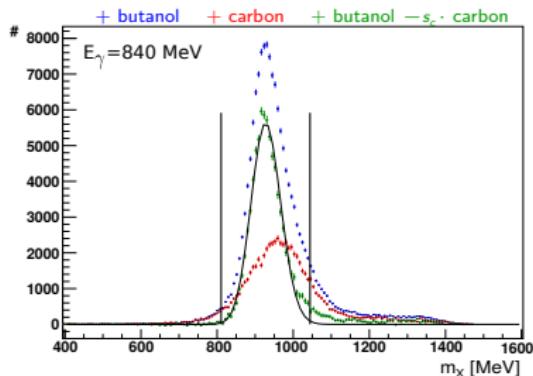
Carbon Target



# Selection process of $\gamma p \rightarrow \gamma\gamma p$

Selected events had to fulfill kinematic constraints:

- 3 hits in calorimeters ( $p+2\gamma$ )
- Time coincidence of beam photons and final state meson
- Energy dependent  $3\sigma$ -cuts:
  - Proton: Calculated as missing particle of  $\gamma p \rightarrow \gamma\gamma X$
  - Invariant mass of  $\gamma\gamma$
  - Agreement of missing mass and measured charged particle in  $\theta$
  - Coplanarity-cut:  $\Delta\Phi = |\Phi_{\gamma\gamma} - \Phi_p| = 180^\circ$



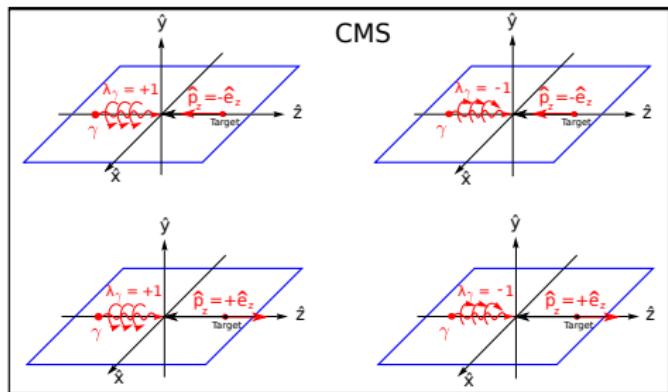
# Determination of E and G

Differential cross section for pseudo-scalar meson photoproduction using elliptically polarized photons and longitudinally polarized target:

$$\frac{d\sigma}{d\Omega}(\theta, \phi) = \frac{d\sigma}{d\Omega_0}(\theta) [1 - P_{lin}\Sigma \cos(2(\alpha - \phi)) - P_z(-P_{lin}G \sin(2(\alpha - \phi)) + P_{circ}E)]$$

Integrating over  $\phi$ :

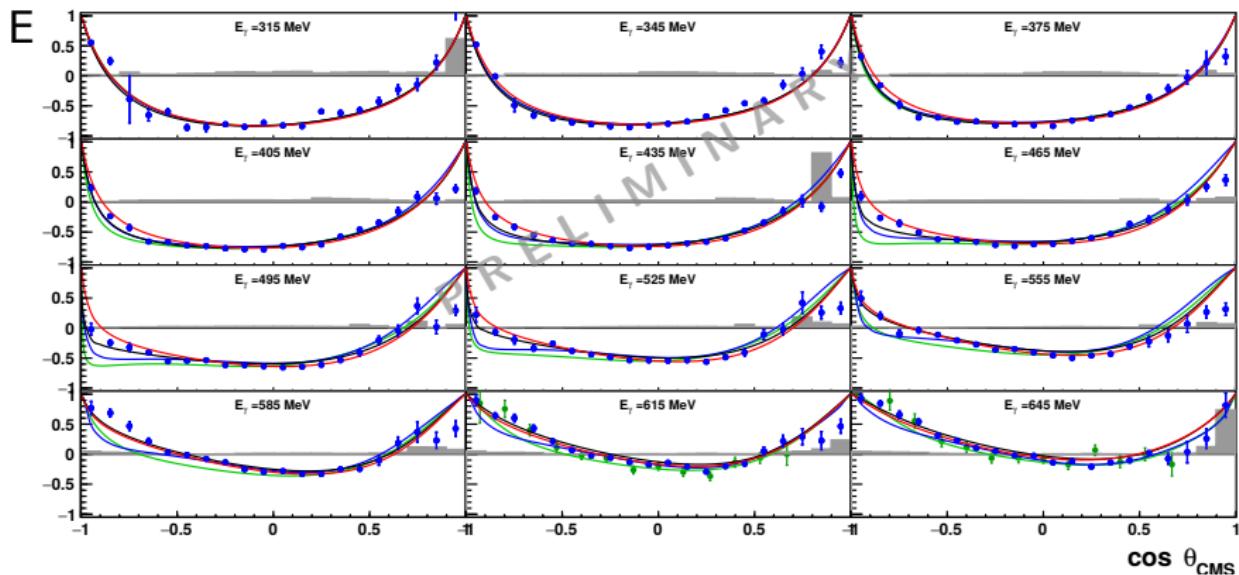
$$N_B \Big|_{\pm 1}^{\pm P_z}(\theta) = N_B(\theta) \cdot [1 - dP_{circ}P_zE]$$



$$\begin{aligned} E &= \frac{\sigma^{1/2} - \sigma^{3/2}}{\sigma^{1/2} + \sigma^{3/2}} \\ &= \frac{N_B^{1/2} - N_B^{3/2}}{N_B^{1/2} + N_B^{3/2}} \cdot \frac{1}{d} \cdot \frac{1}{P_{circ}P_z} \end{aligned}$$

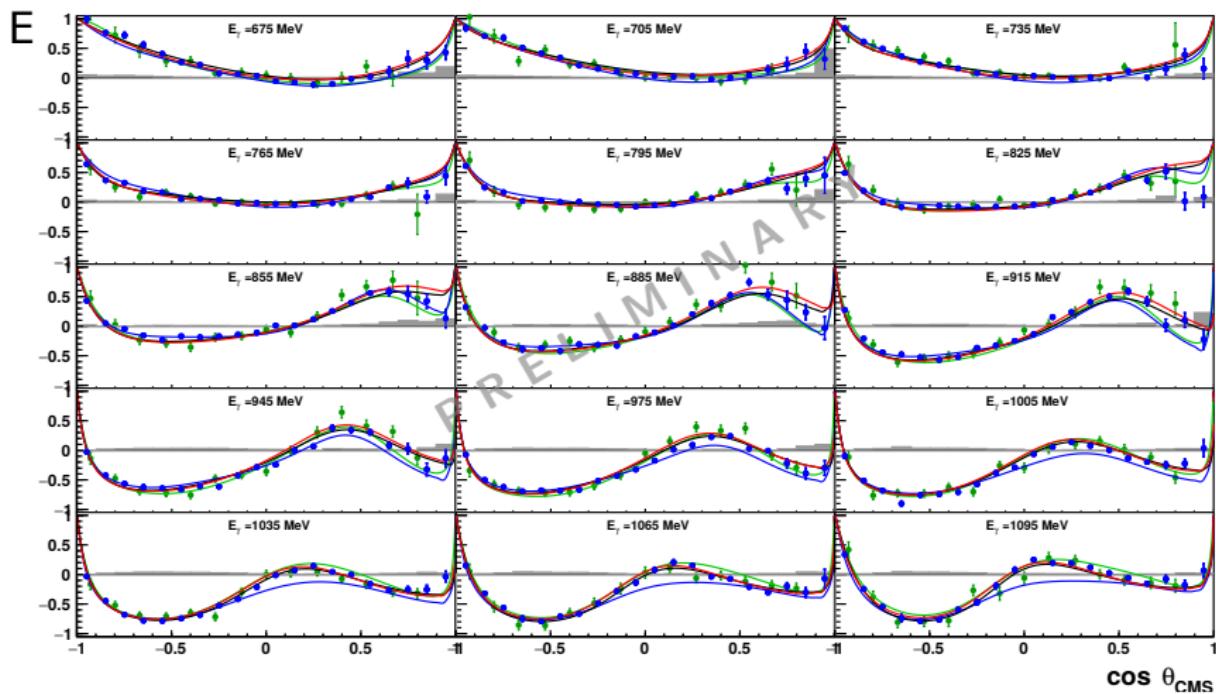
# Results for E in $\pi^0$ -photoproduction (315 MeV - 645 MeV)

- this work (longitudinally polarized electrons + diamond radiator  $\rightarrow$  elliptically polarized photons)
- CBELSA/TAPS data (taken with amorphous radiator, M. Gottschall et al., Phys. Rev. Lett. 112 (2014) 012003)
- BnGa\_2014\_02 (PWA pred.) — BnGa\_2014\_01 ( PWA pred.) — JüBo2016-3.1 (PWA pred.)
- SAID-CM12 (PWA pred.)



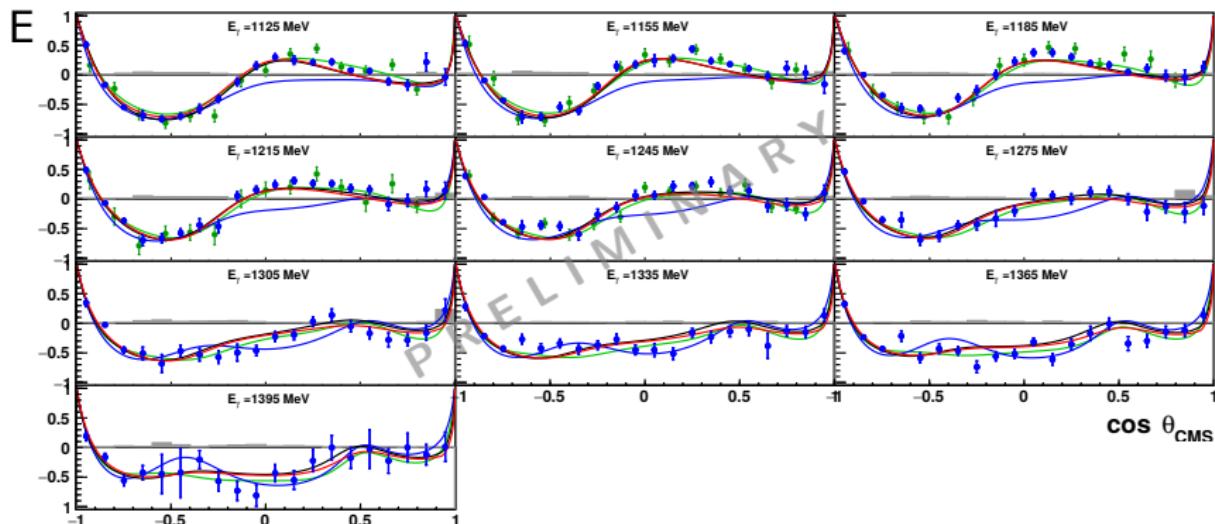
# Results for E in $\pi^0$ -photoproduction (675 MeV - 1095 MeV)

- this work (longitudinally polarized electrons + diamond radiator  $\rightarrow$  elliptically polarized photons)
- CBELSA/TAPS data (taken with amorphous radiator, M. Gottschall et al., Phys. Rev. Lett. 112 (2014) 012003)
- BnGa\_2014\_02 (PWA fit) — BnGa\_2014\_01 (PWA fit) — JüBo2016-3.1 (PWA fit) — SAID-CM12 (PWA pred.)



# Results for E in $\pi^0$ -photoproduction (1125 MeV - 1395 MeV)

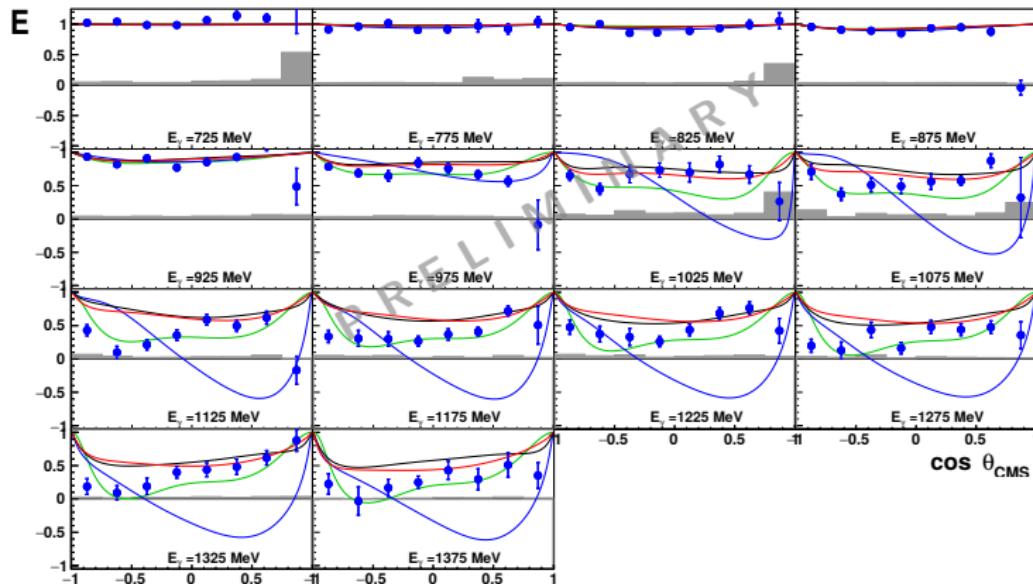
- this work (longitudinally polarized electrons + diamond radiator  $\rightarrow$  elliptically polarized photons)
- CBELSA/TAPS data (taken with amorphous radiator, M. Gottschall et al., Phys. Rev. Lett. 112 (2014) 012003)
- BnGa\_2014\_02 (PWA fit) — BnGa\_2014\_01 (PWA fit) — JüBo2016-3.1 (PWA fit) — SAID-CM12 (PWA pred.)



# Results for E in $\eta$ -photoproduction

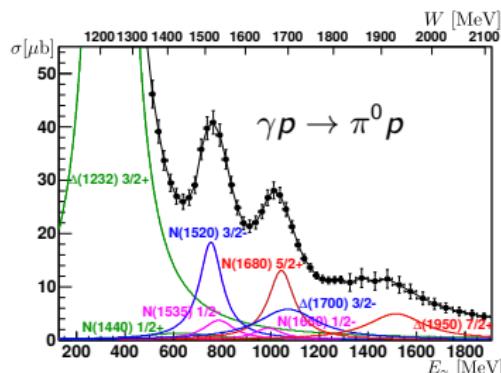
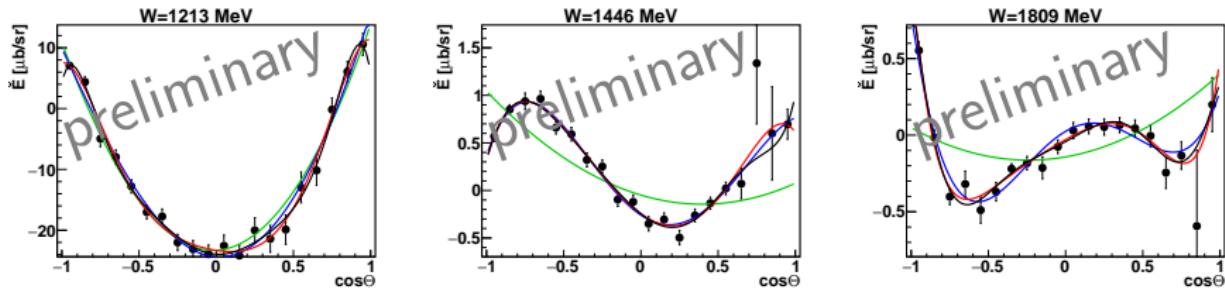
- this work (longitudinally polarized electrons + diamond radiator  $\rightarrow$  elliptically polarized photons)

— BnGa\_2014.02 (PWA pred.) — BnGa\_2014.01 (PWA pred.) — JüBo2016-3.1 (PWA fit)  
— SAID-GE09 (PWA pred.)



# Truncated PWA (which $L_{max}$ is seen in the data?)

$$\check{E}(W, \cos \theta) = E(W, \cos \theta) \cdot \frac{d\sigma}{d\Omega}(W, \cos \theta) = \sum_{k=0}^{2L_{max}+1} (a_L(W))_k \cdot P_k^0(\cos \theta)$$



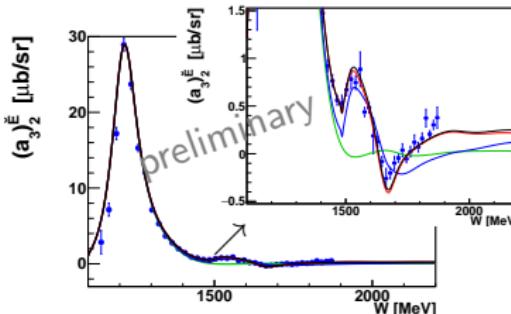
four-star resonances listed in PDG

$L_{max} = 0$ S-wave	$L_{max} = 1$ P-wave	$L_{max} = 2$ D-wave
N(1535) 1/2- N(1650) 1/2- $\Delta$ (1620) 1/2-	N(1440) 1/2+ N(1720) 3/2+ $\Delta$ (1232) 3/2+	N(1520) 3/2- N(1675) 5/2- $\Delta$ (1700) 3/2-
$L_{max} = 3$ F-wave	$L_{max} = 4$ G-wave	
N(1680) 5/2+ $\Delta$ (1905) 5/2+ $\Delta$ (1950) 7/2+	N(2190) 7/2-	

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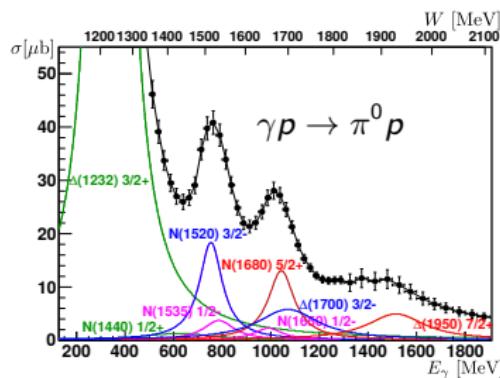
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BnGa\_2014 PWA:  
 - S+P waves  
 - S+P+D waves  
 - S+P+D+F waves  
 - S+P+D+F+G waves

$$(a_4)^{\check{E}} = \langle P, P \rangle + \langle S, D \rangle + \langle D, D \rangle + \langle P, F \rangle + \langle F, F \rangle + \langle D, G \rangle + \langle G, G \rangle$$



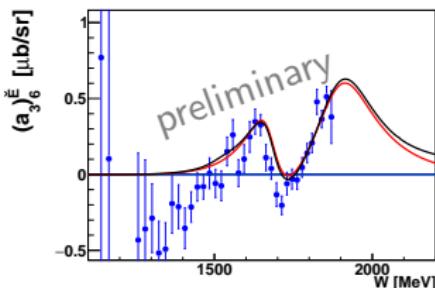
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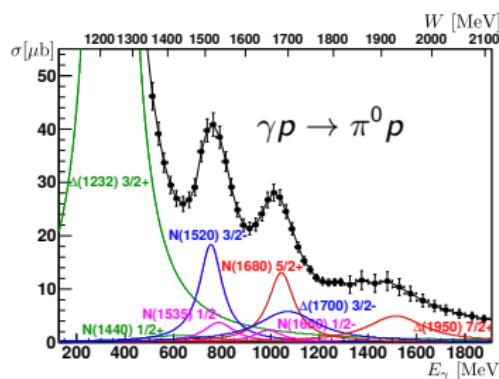
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BnGa\_2014 PWA:  
 - S+P waves  
 - S+P+D waves  
 - S+P+D+F waves  
 - S+P+D+F+G waves

$$(a_4)_6^E = \langle F, F \rangle + \langle D, G \rangle + \langle G, G \rangle$$



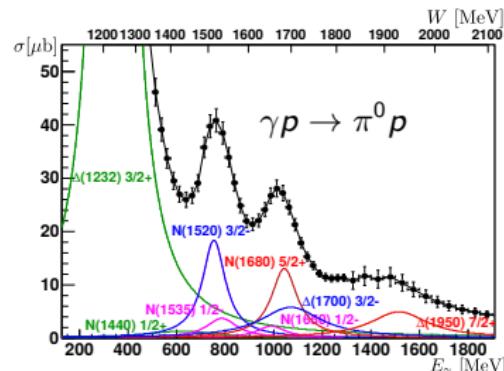
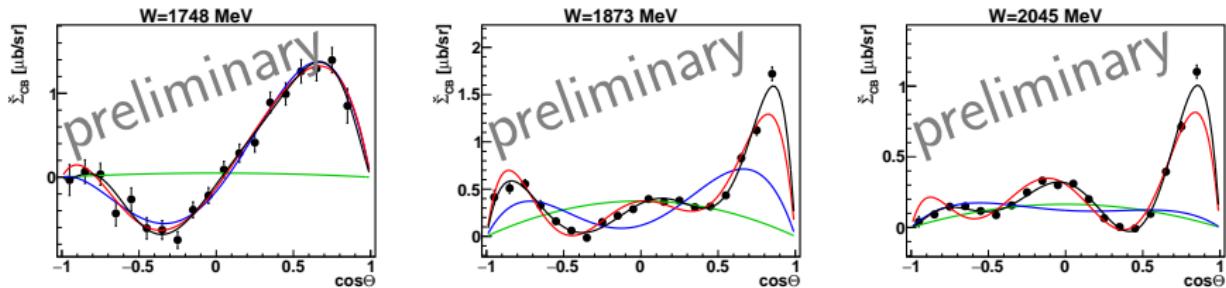
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N(1650) 1/2-	N(1720) 3/2+	N(1675) 5/2-
$\Delta(1620)$ 1/2-	$\Delta(1232)$ 3/2+	$\Delta(1700)$ 3/2-
$L_{max} = 3$ F-wave	$L_{max} = 4$ G-wave	
N(1680) 5/2+	N(2190) 7/2-	
$\Delta(1905)$ 5/2+		
$\Delta(1950)$ 7/2+		

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$$\check{\Sigma}(W, \cos \theta) = \Sigma(W, \cos \theta) \cdot \frac{d\sigma}{d\Omega}(W, \cos \theta) = \sum_{k=2}^{2+2L_{max}} (a_L(W))_k \cdot P_k^2(\cos \theta)$$



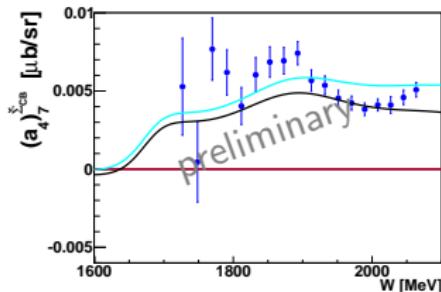
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# Truncated PWA (which $L_{max}$ is seen in the data?)

$$\check{\Sigma}(W, \cos \theta) = \Sigma(W, \cos \theta) \cdot \frac{d\sigma}{d\Omega}(W, \cos \theta) = \sum_{k=2}^{2+2L_{max}} (a_L(W))_k \cdot P_k^2(\cos \theta)$$

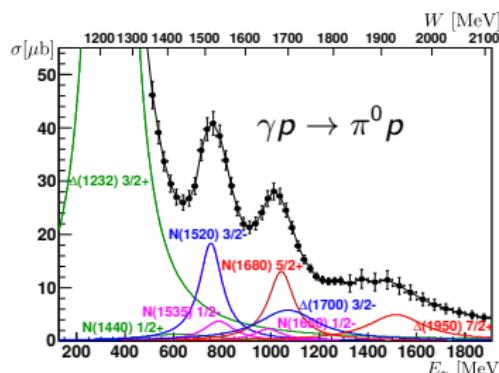


BnGa\_2014 PWA:

- S+P waves
- S+P+D waves
- S+P+D+F waves
- S+P+D+F+G waves
- S+P+D+F+G+H waves

$$(a_5)_7^{\Sigma} = \langle F, G \rangle + \langle D, H \rangle + \langle G, H \rangle$$

A.V. Anisovich et al. find evidence for the one-star resonance  $\Delta(2200)7/2^-$  [arXiv:1503.05774]



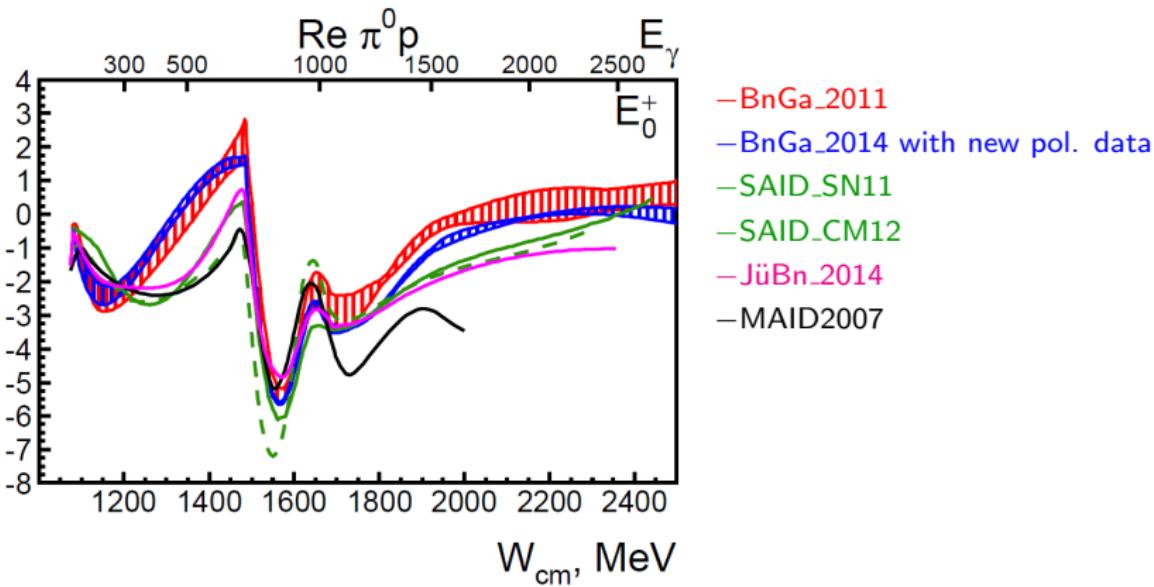
four-star resonances listed in PDG

$L_{max} = 0$ S-wave	$L_{max} = 1$ P-wave	$L_{max} = 2$ D-wave
N(1535) 1/2-	N(1440) 1/2+	N(1520) 3/2-
N(1650) 1/2-	N(1720) 3/2+	N(1675) 5/2-
$\Delta(1620)$ 1/2-	$\Delta(1232)$ 3/2+	$\Delta(1700)$ 3/2-
$L_{max} = 3$ F-wave	$L_{max} = 4$ G-wave	
N(1680) 5/2+	N(2190) 7/2-	
$\Delta(1905)$ 5/2+		
$\Delta(1950)$ 7/2+		

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## Impact of polarization data

- Fit error bars get smaller when including new polarization data (BnGa\_2014)
- Differences between the different PW analyses exist  
→ Inclusion of more polarization observables will converge all analyses to the same solution



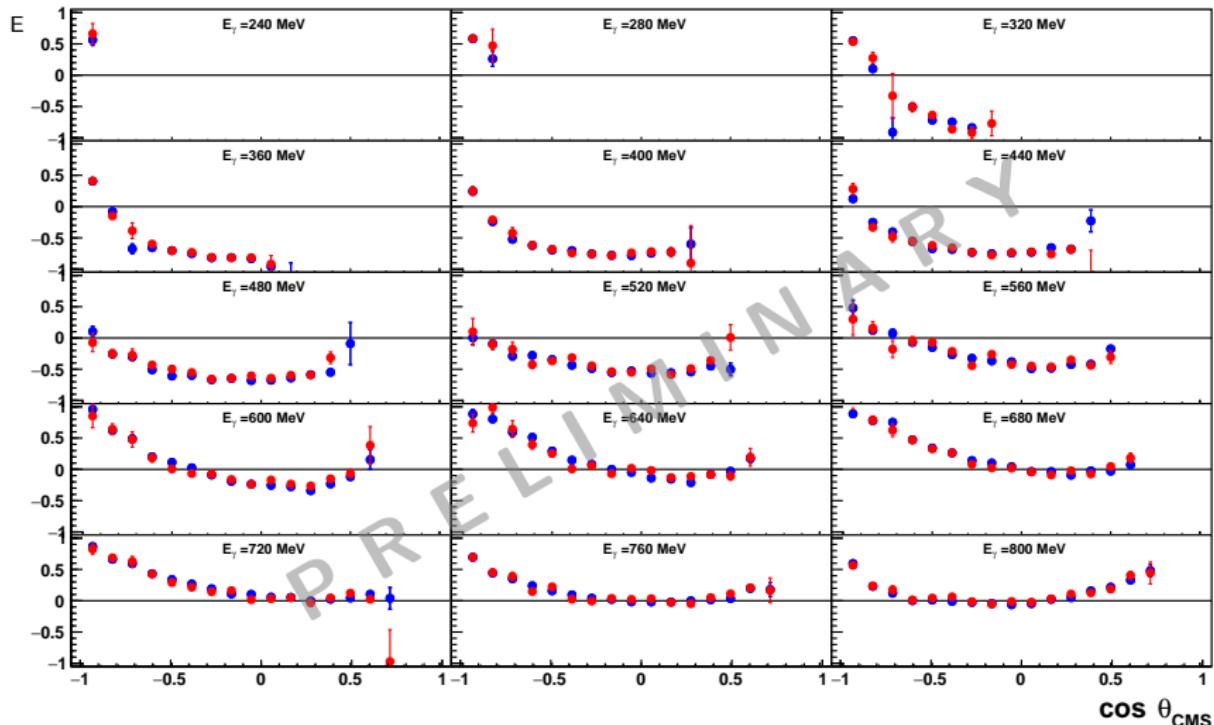
## Summary and Outlook

- Polarization observables are sensitive to interference terms
  - They are important tool to probe nucleon excitation spectra
- The beam asymmetry  $\Sigma$  has been measured in  $\pi^0$ - and  $\eta$ -photoproduction by the CBELSA/TAPS collaboration for  $E_\gamma = 1100 \text{ MeV} - 1800 \text{ MeV}$  with high precision
  - data shows sensitivity to G-wave
- The double polarization observables E and G were measured at the Crystal Ball experiment at MAMI within the same beam time using longitudinally polarized electrons on a diamond radiator
  - successful first attempt to measure E and G simultaneously
  - data covers energy range down to  $\Delta(1232)$  resonance region
  - complementary to CBELSA/TAPS and CLAS data
- Outlook:
  - Crystal Barrel detector has been upgraded for a higher detection efficiency, especially for photoproduction off the neutron
  - Soon new polarization data (T,P,H) will be taken.

Thank you!

# Results for E in $\pi^0$ -photoproduction (240 MeV - 800 MeV)

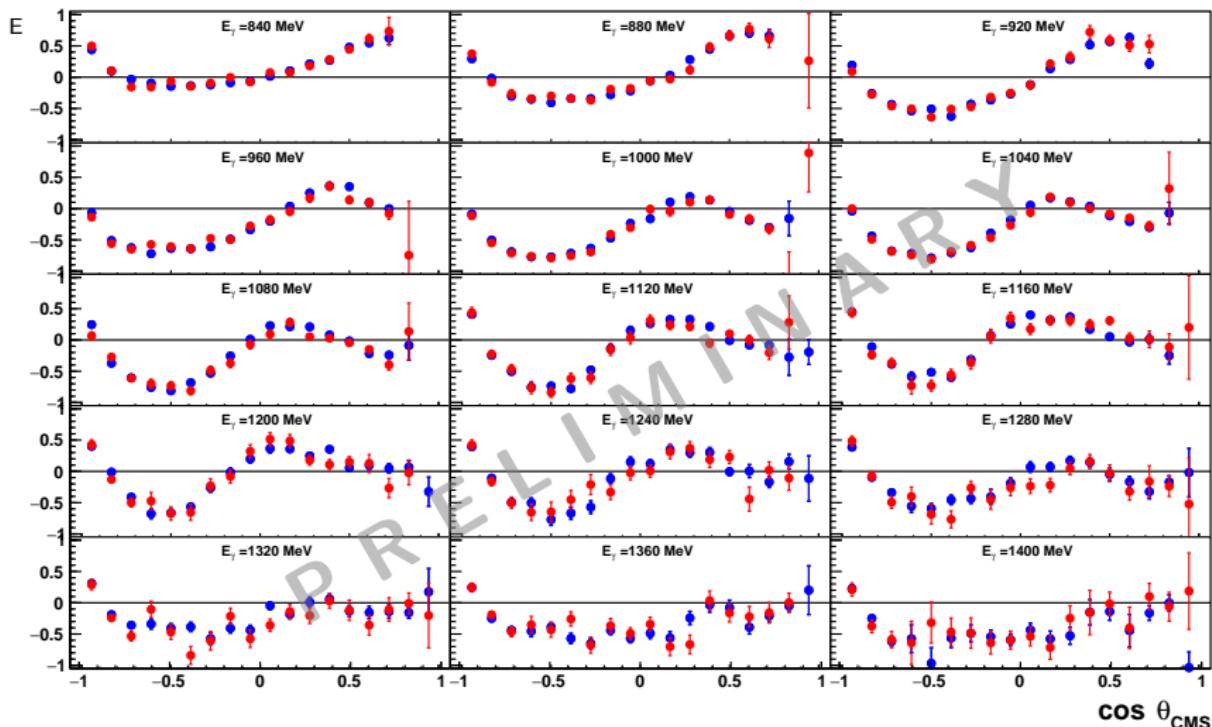
- this work (longitudinally polarized electrons + diamond radiator  $\rightarrow$  elliptically polarized photons)
- this work (longitudinally polarized electrons + amorphous radiator  $\rightarrow$  only circularly polarized photons)



Very good agreement between data obtained with a diamond and an amorphous radiator!

# Results for E in $\pi^0$ -photoproduction (840 MeV - 1400 MeV)

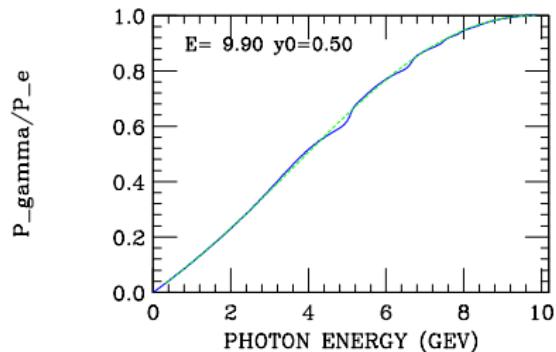
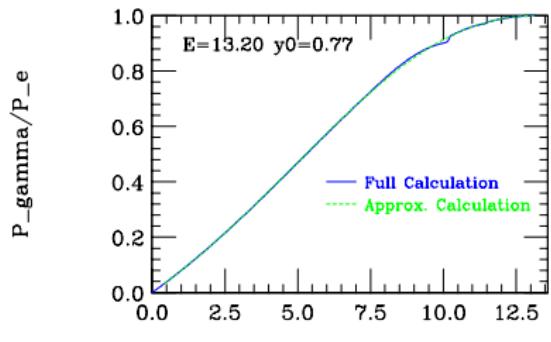
- this work (longitudinally polarized electrons + diamond radiator  $\rightarrow$  elliptically polarized photons)
- this work (longitudinally polarized electrons + amorphous radiator  $\rightarrow$  only circularly polarized photons)



Very good agreement between data obtained with a diamond and an amorphous radiator!

# Circular polarization degree in crystals

Calculation of photon circular polarization degree in crystals by  
I. M. Nadzhafov, Bull. Acad. Sci. USSR, Phys. Ser. Vol. 14, No. 10, p. 2248 (1976).



Bosted et al. (SLAC)

# Impact of polarization observables

