

# Measuring the Specific Heat of a Neutron Star

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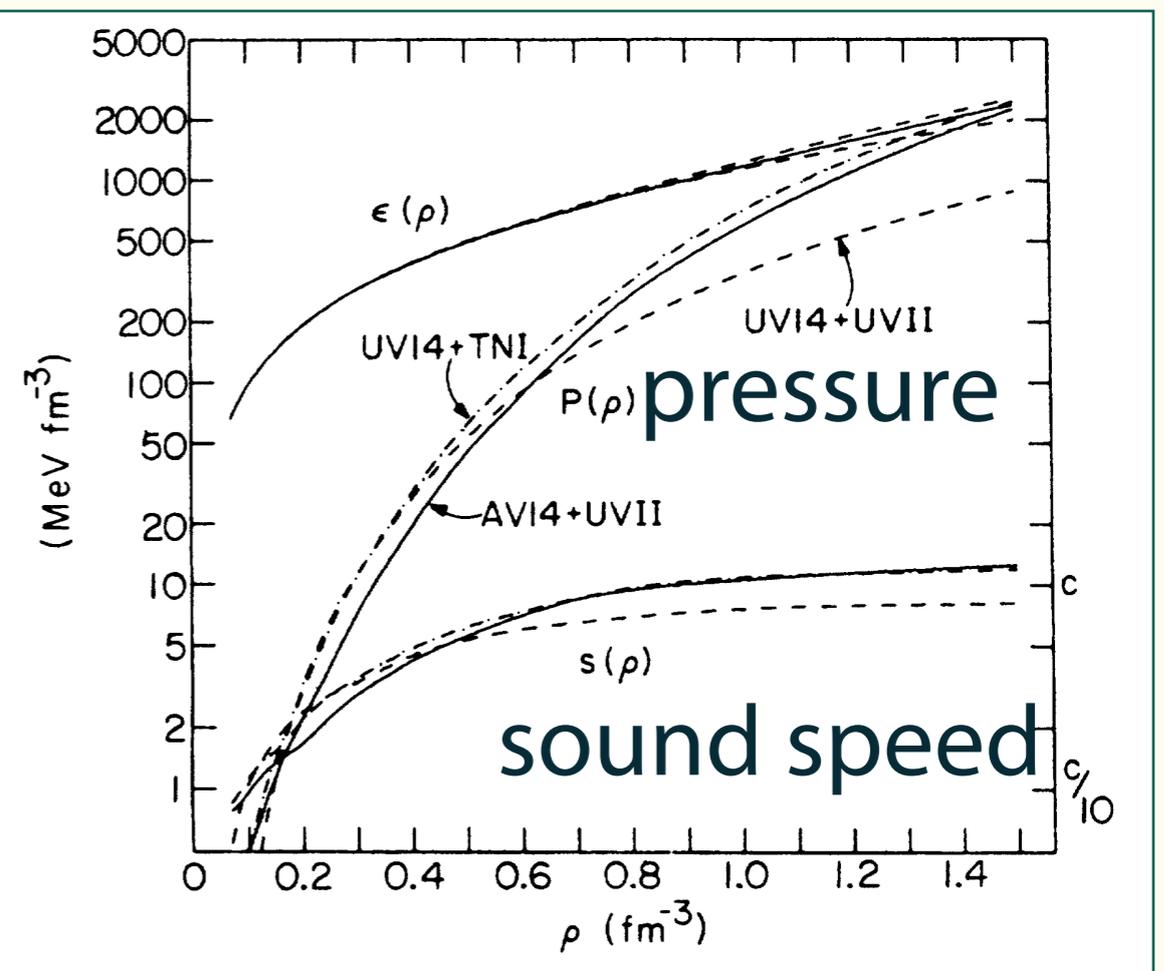
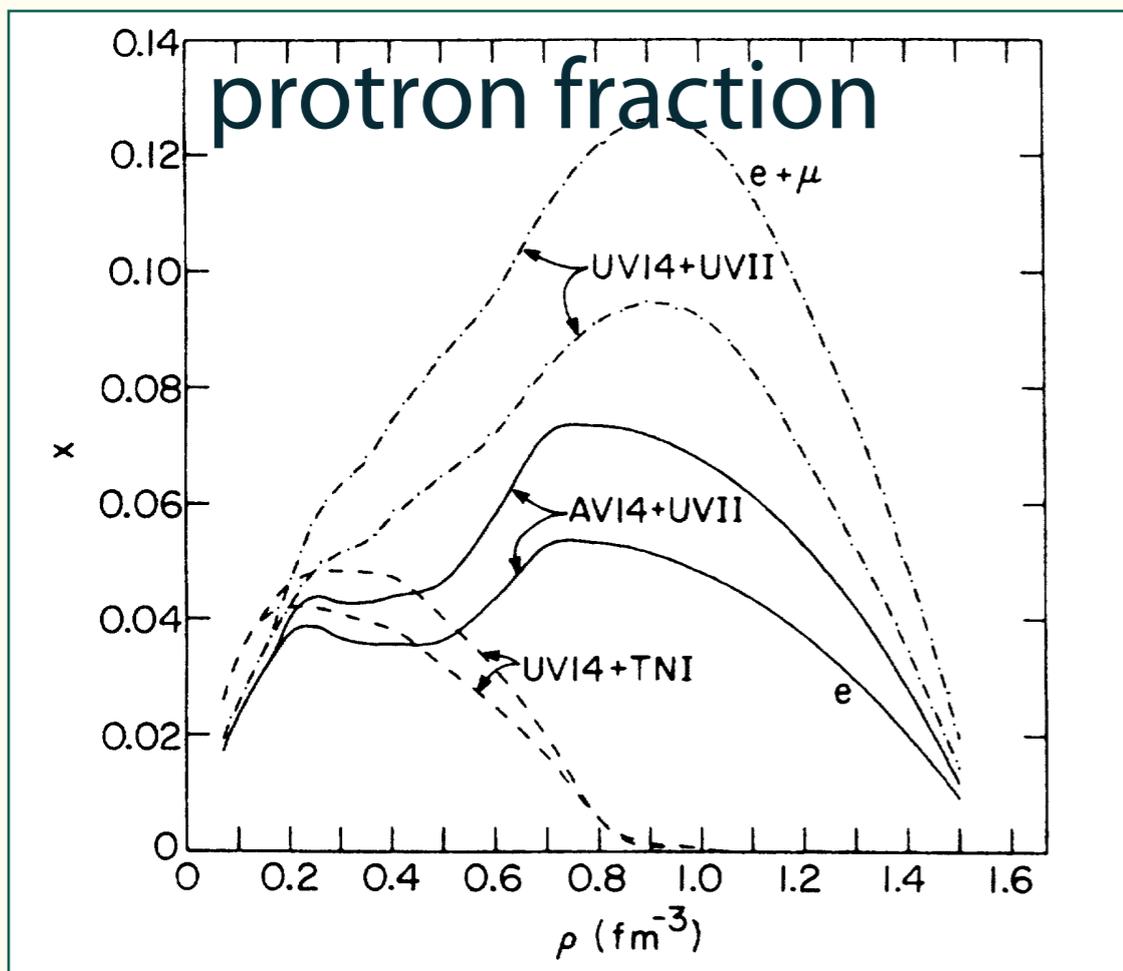
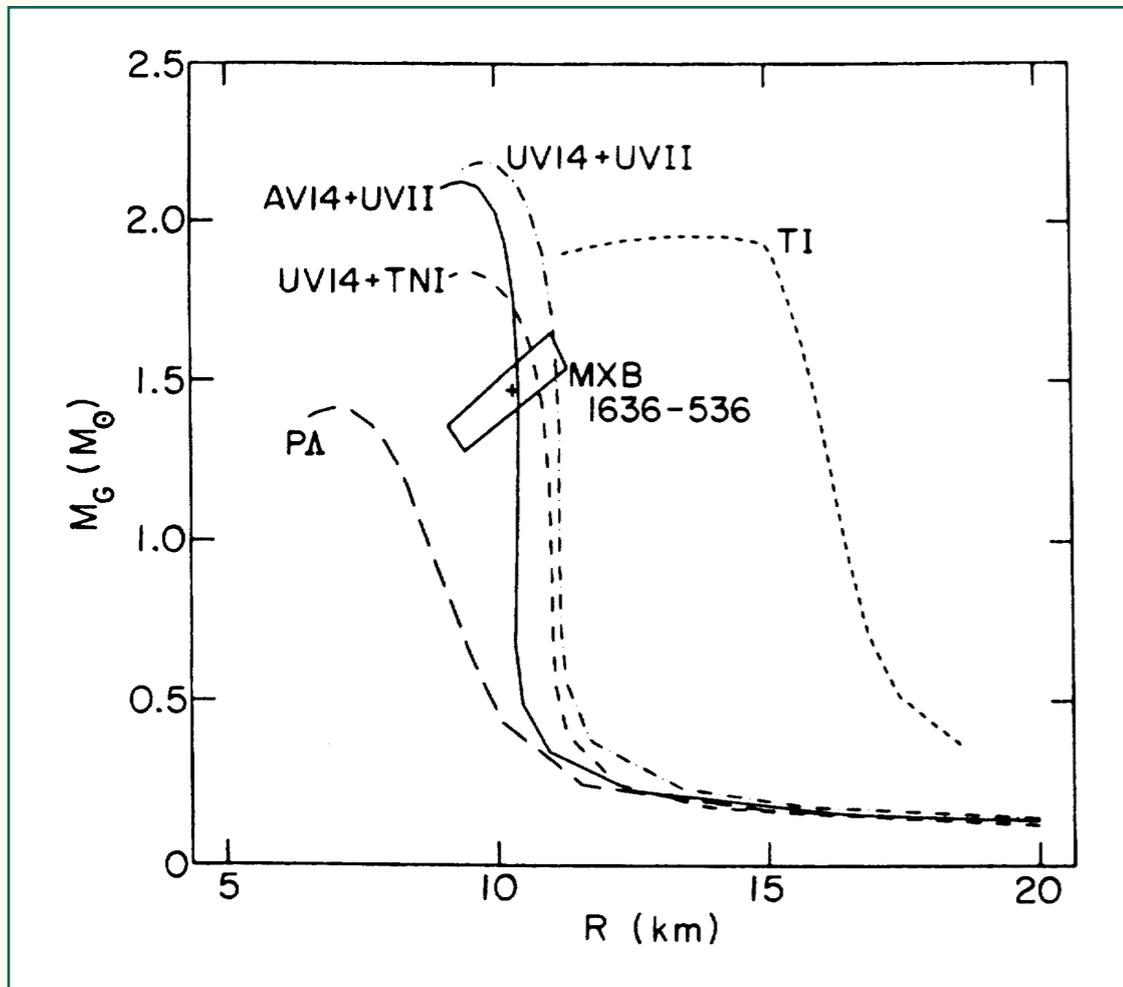
Cumming, Brown, Fattoyev, Horowitz, Page & Reddy  
2017, in press. 1608.07532  
Deibel, Cumming, Brown & Reddy 2017, submitted.  
1609.07155

# Three decades since supernova 1987a: detected with $\gamma$ and $\nu$

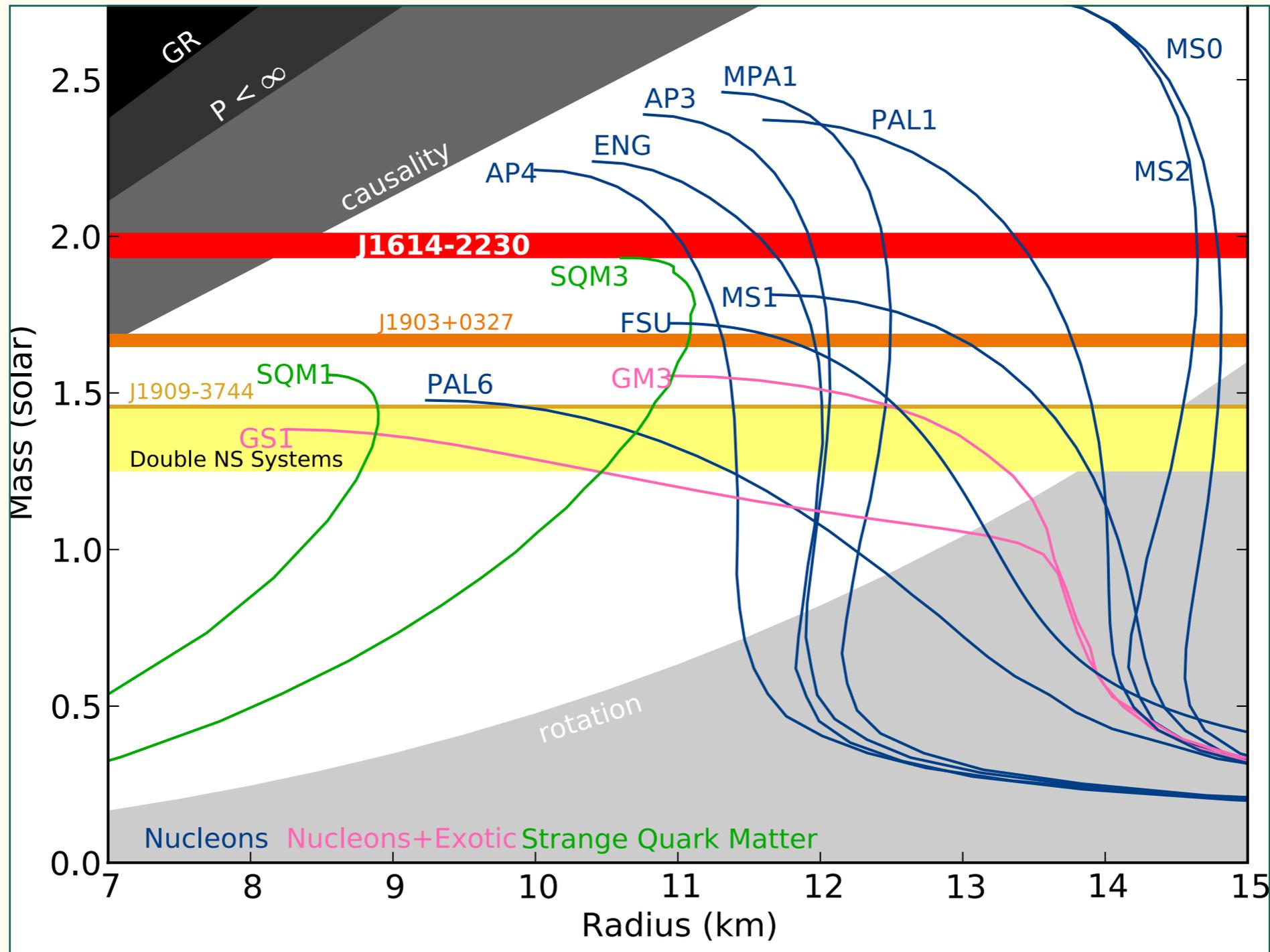


The structure of neutron stars depends on the EOS.

Example here from Wiringa, Fiks, & Fabrocini (1988)



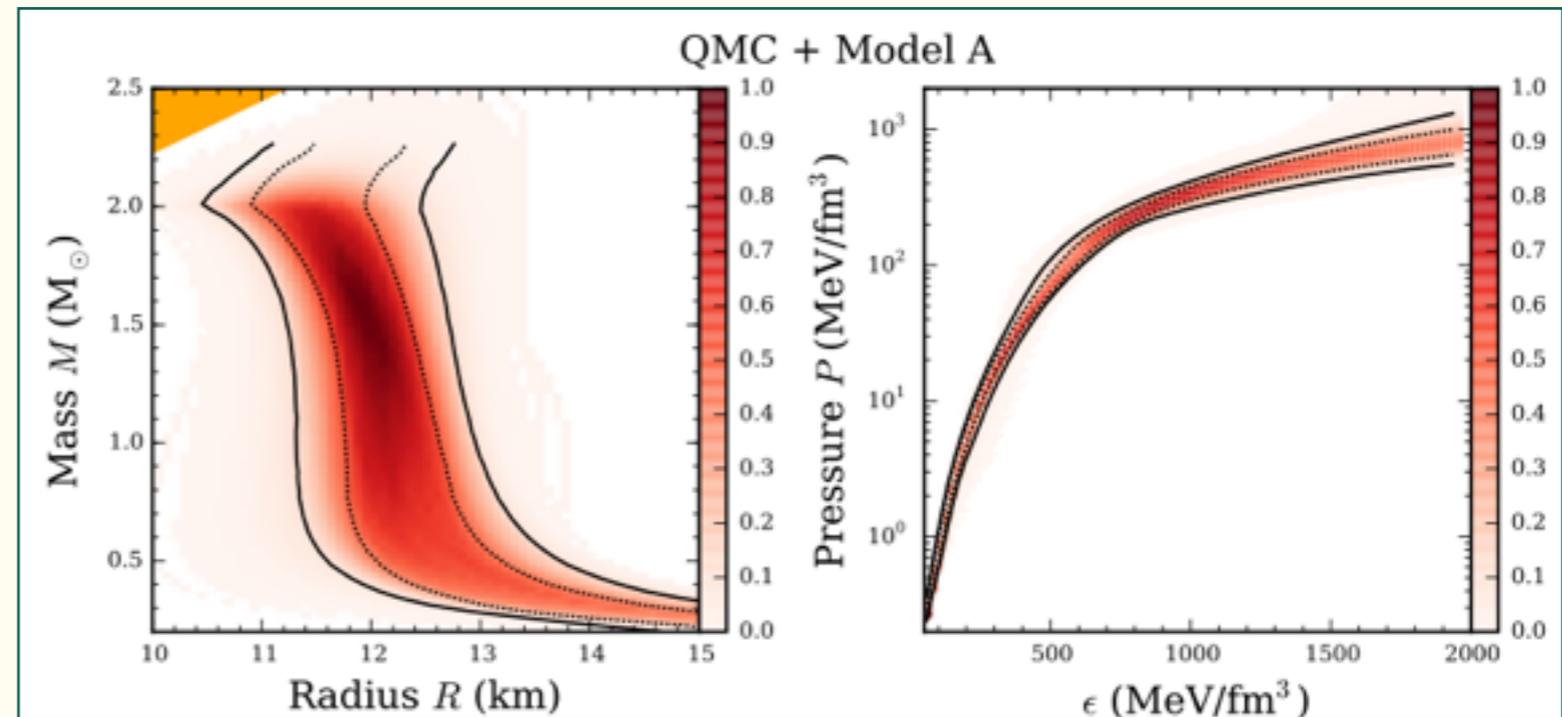
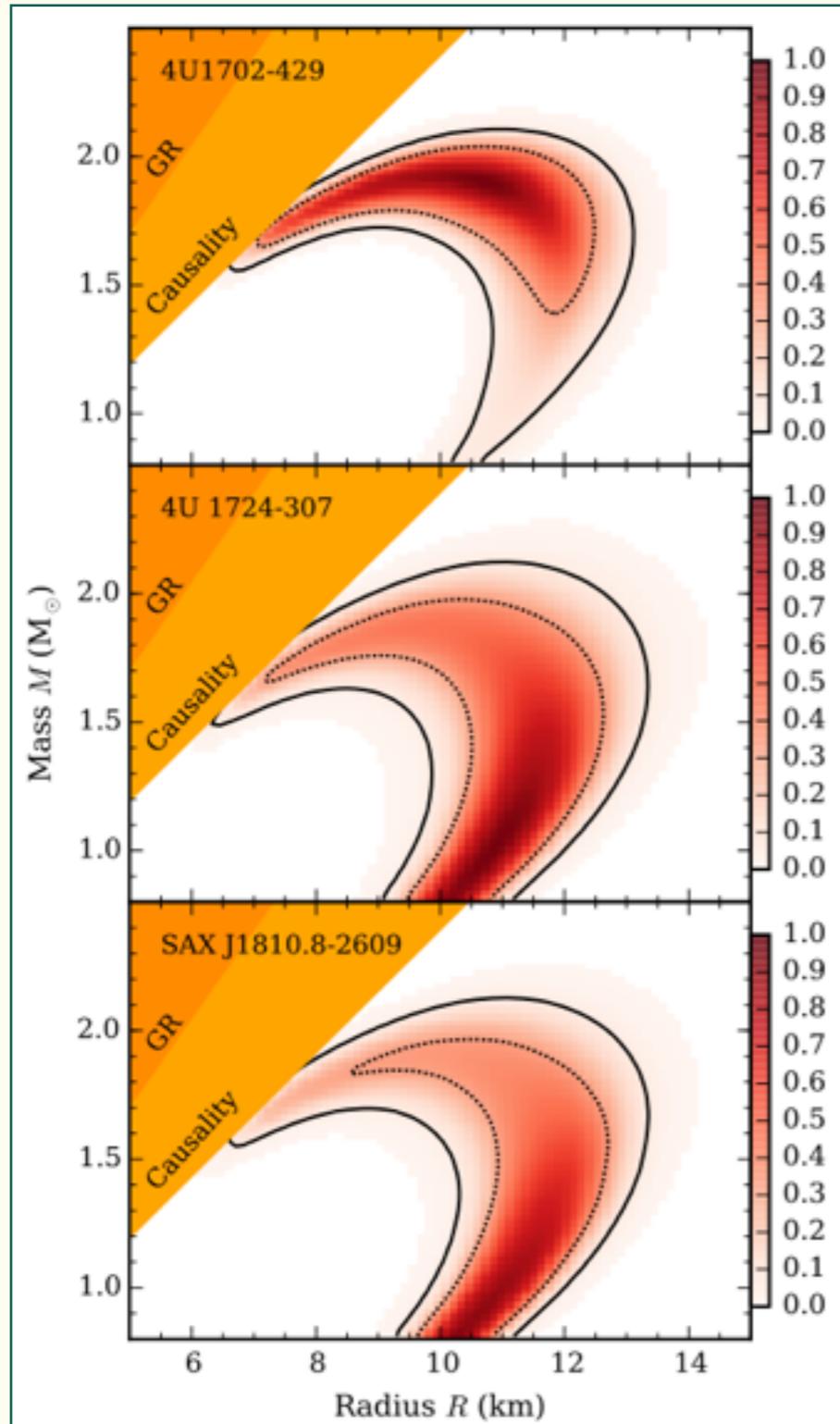
# Neutron stars allow us to observe dense matter in the wild | masses



Demorest et al. '10

# Neutron stars allow us to observe dense matter in the wild | radii

Nättilä et al. '16



Mass and radius constraints from spectroscopy of surface explosions: Özel, Suleimanov, Güver, Guillot, Steiner, Rutledge, ...

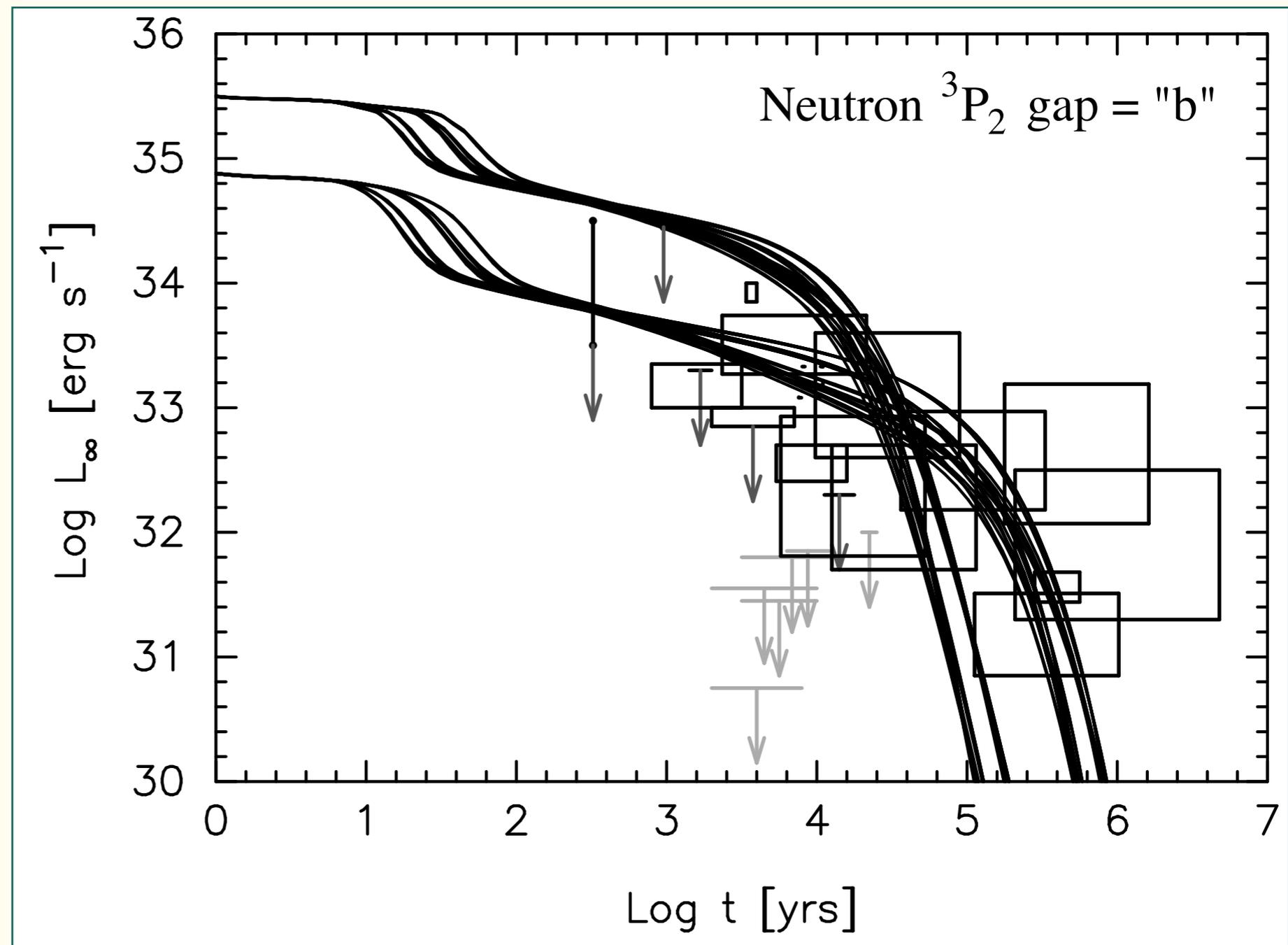
More observations coming (NICER, LIGO)

We have less direct information about transport in dense matter: namely,

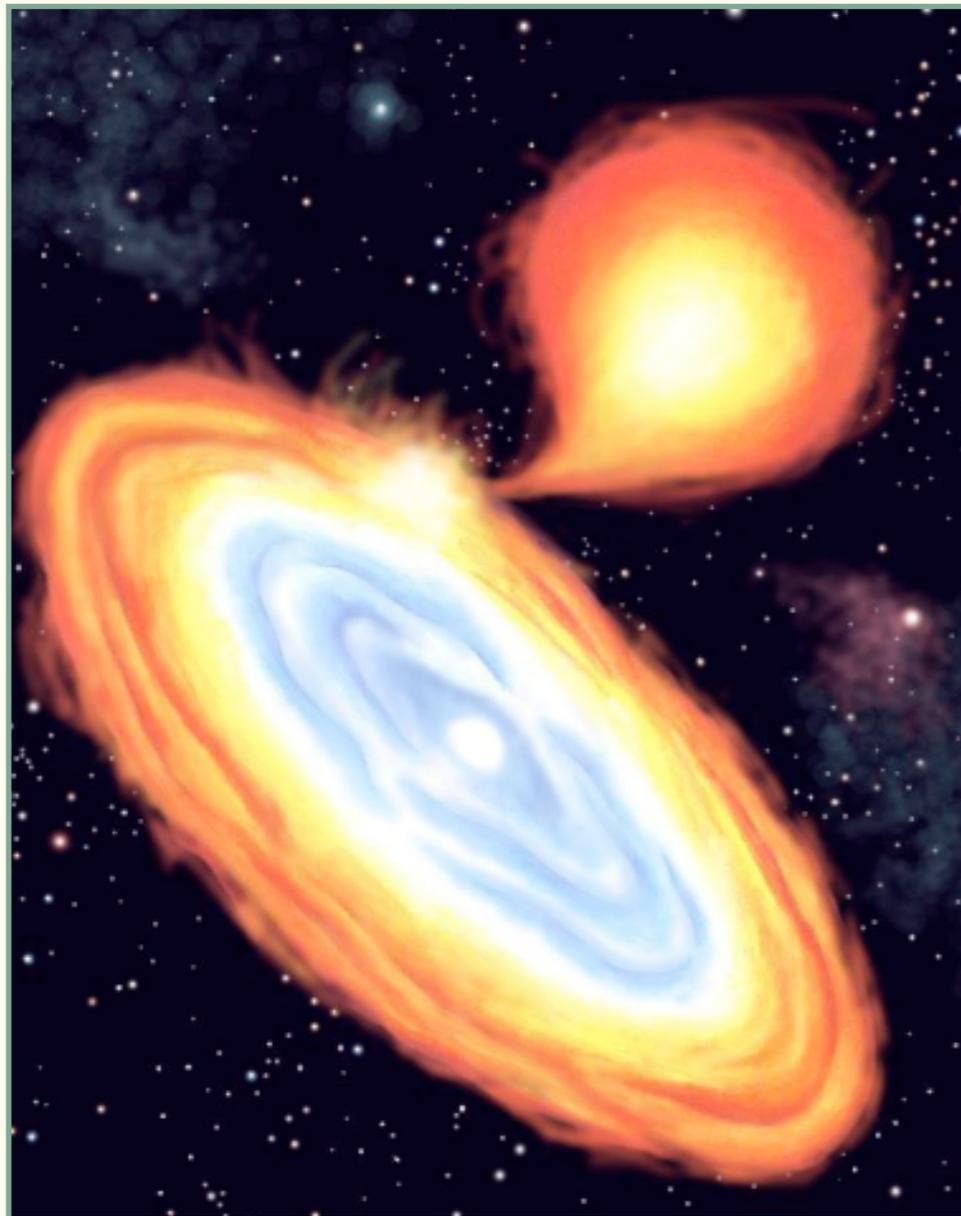
- Specific heat
- Thermal conductivity
- Neutrino emissivity

# Cooling isolated neutron stars

$$C(T) \frac{dT}{dt} = -L_\nu(T) - L_\gamma(T)$$



# Many neutron stars accrete from a companion star

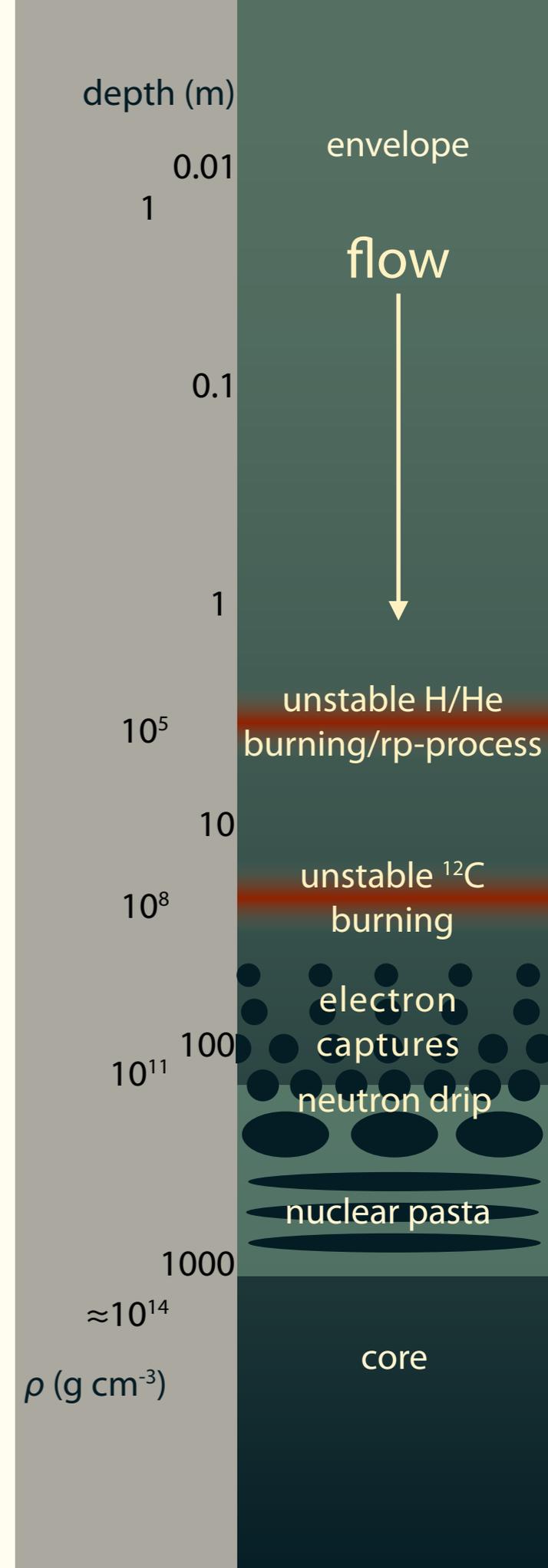


*A. Piro, Carnegie Obs.*

These neutron stars have a km-thick crust composed of nuclei, electrons, and free neutrons.

Accretion pushes matter through this crust and induces nuclear reactions.

Observing the response of the star to these reactions allows us to infer the properties of matter in the deep crust and core.



# crust reactions release $\approx 1-2$ MeV per accreted nucleon

Sato '79; Haensel & Zdunik '90; Gupta et al. '07; Steiner '12; Schatz et al. '13; Lau et al.

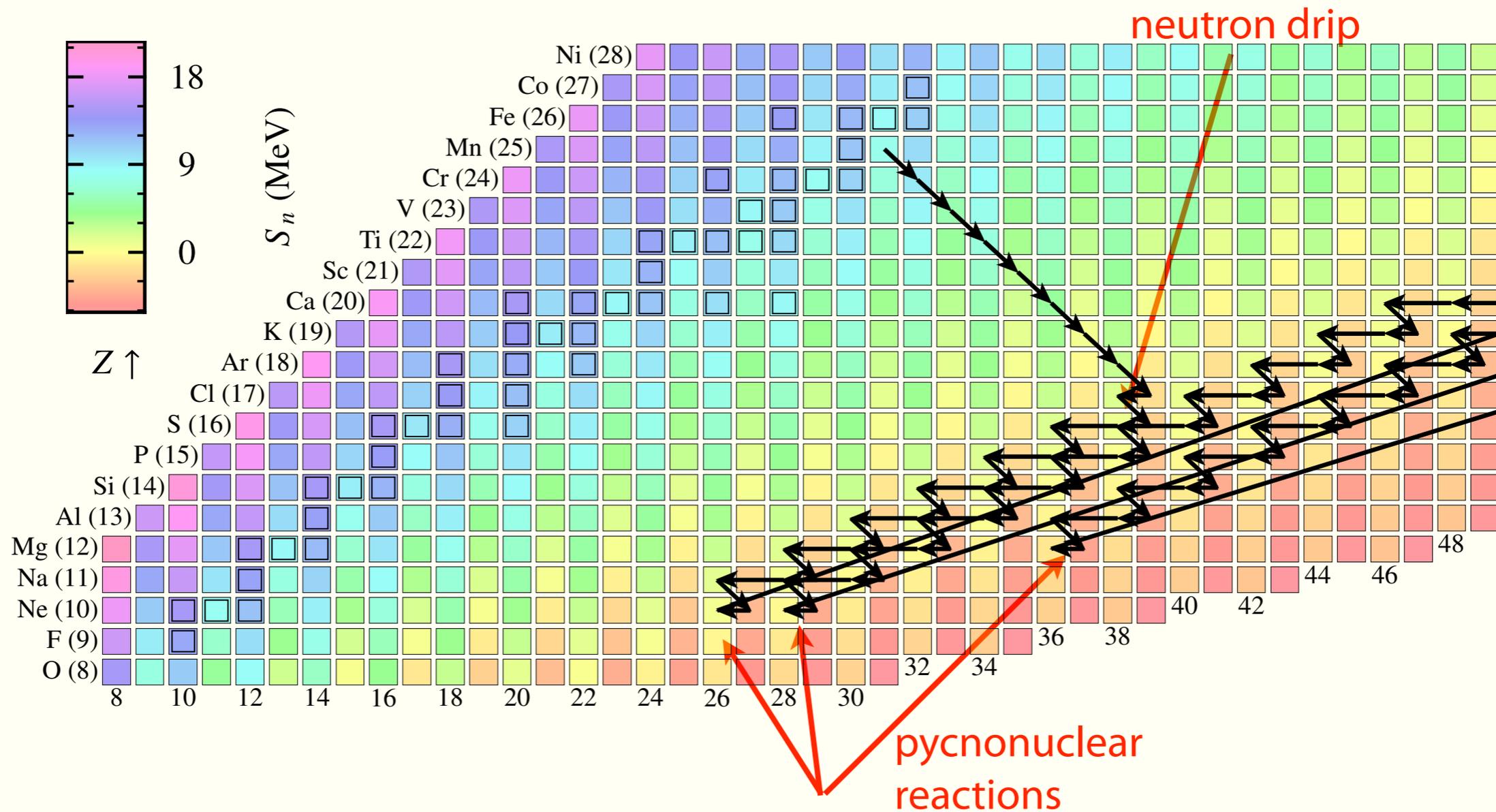


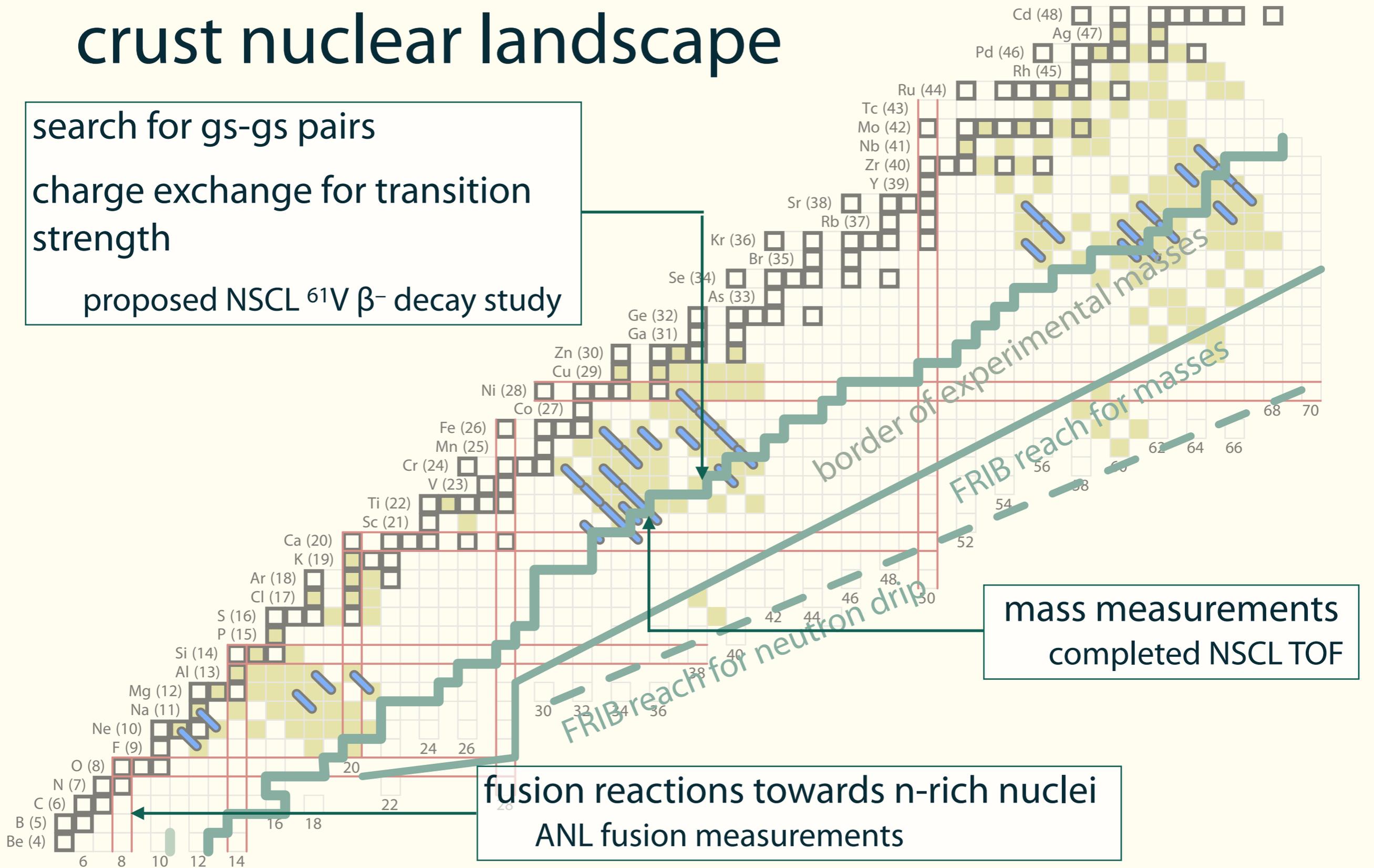
illustration with a simple liquid-drop model (Mackie & Baym '77, following Haensel & Zdunik '90)

# Crust reactions can be studied at the Facility for Rare Isotope Beams at Michigan State University



# JINA/JINA-CEE experiments across the crust nuclear landscape

search for gs-gs pairs  
charge exchange for transition strength  
proposed NSCL  $^{61}\text{V}$   $\beta^-$  decay study

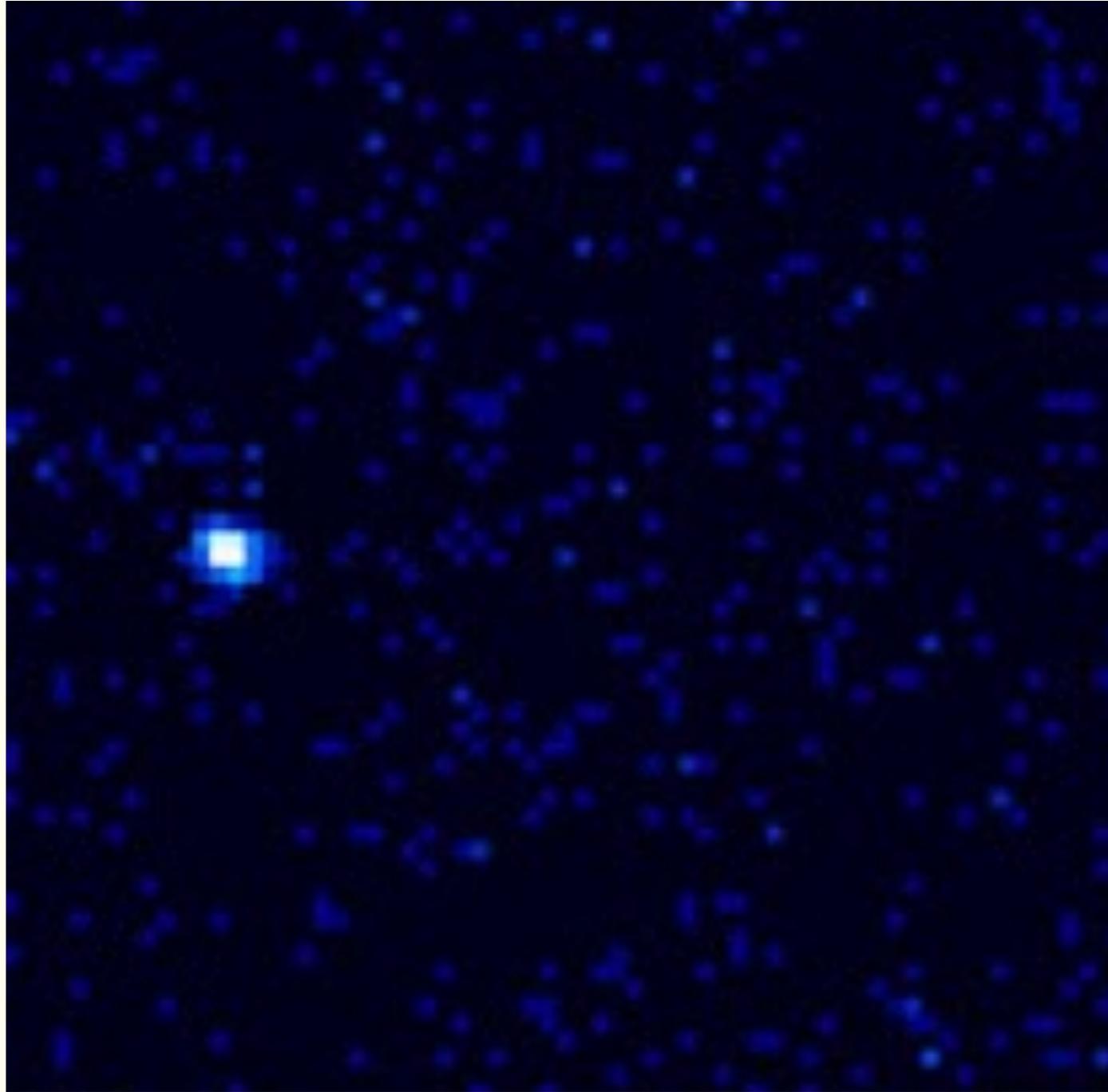


mass measurements  
completed NSCL TOF

fusion reactions towards n-rich nuclei  
ANL fusion measurements

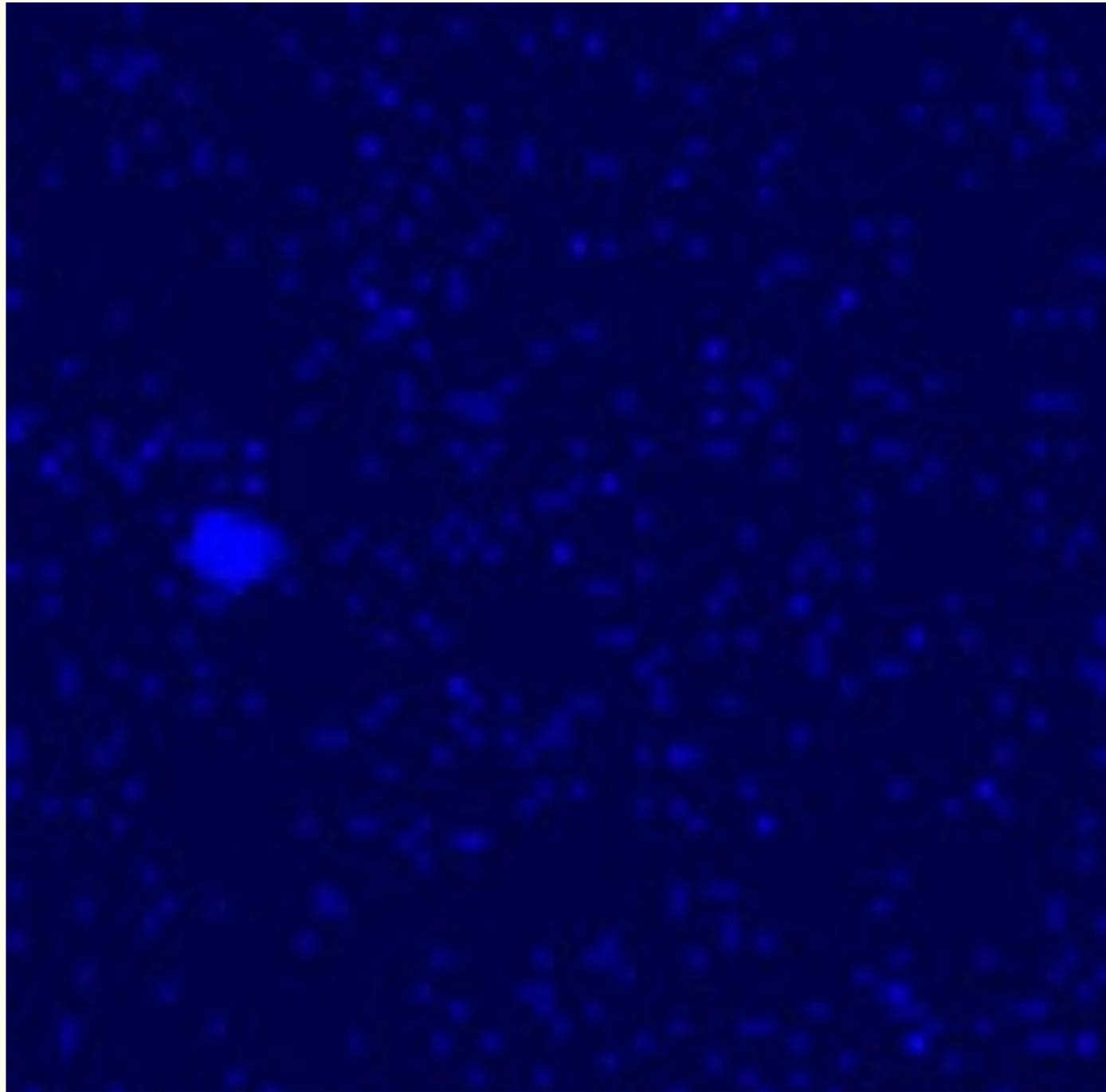
Many accreting neutron stars are  
transients: for example, KS1731-260

Image credit: NASA/Chandra/Wijnands et al.



Many accreting neutron stars are  
transients: for example, KS1731-260

Image credit: NASA/Chandra/Wijnands et al.



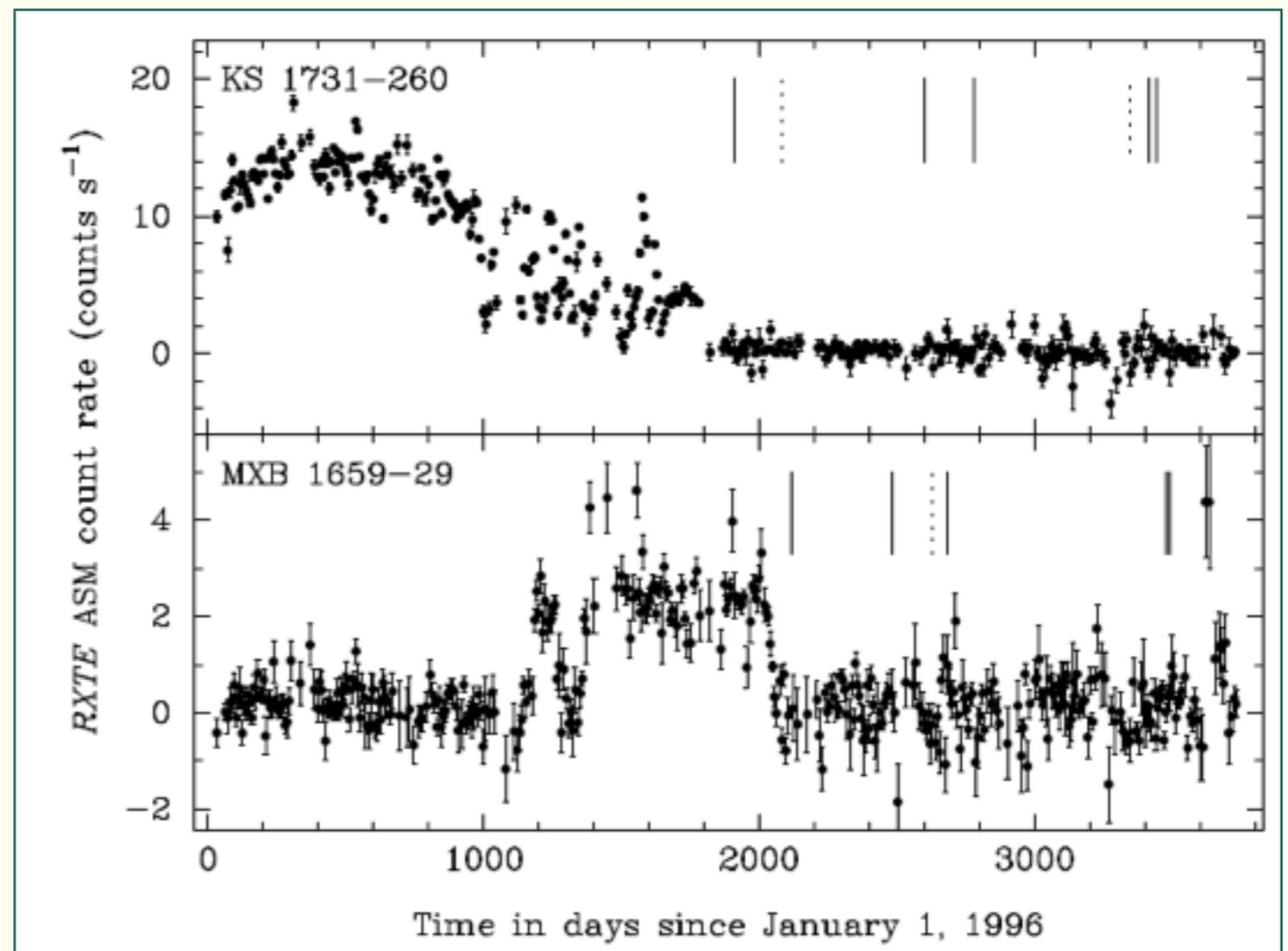
# Many accreting neutron stars are transients

2001: quasi-persistent transients discovered (Wijnands, using the Rossi X-ray Timing Explorer)

2002: Rutledge et al. suggest looking for crust thermal relaxation

2002–: cooling detected! (many: Wijnands, Cackett, Degenaar, Fridriksson, Homan)

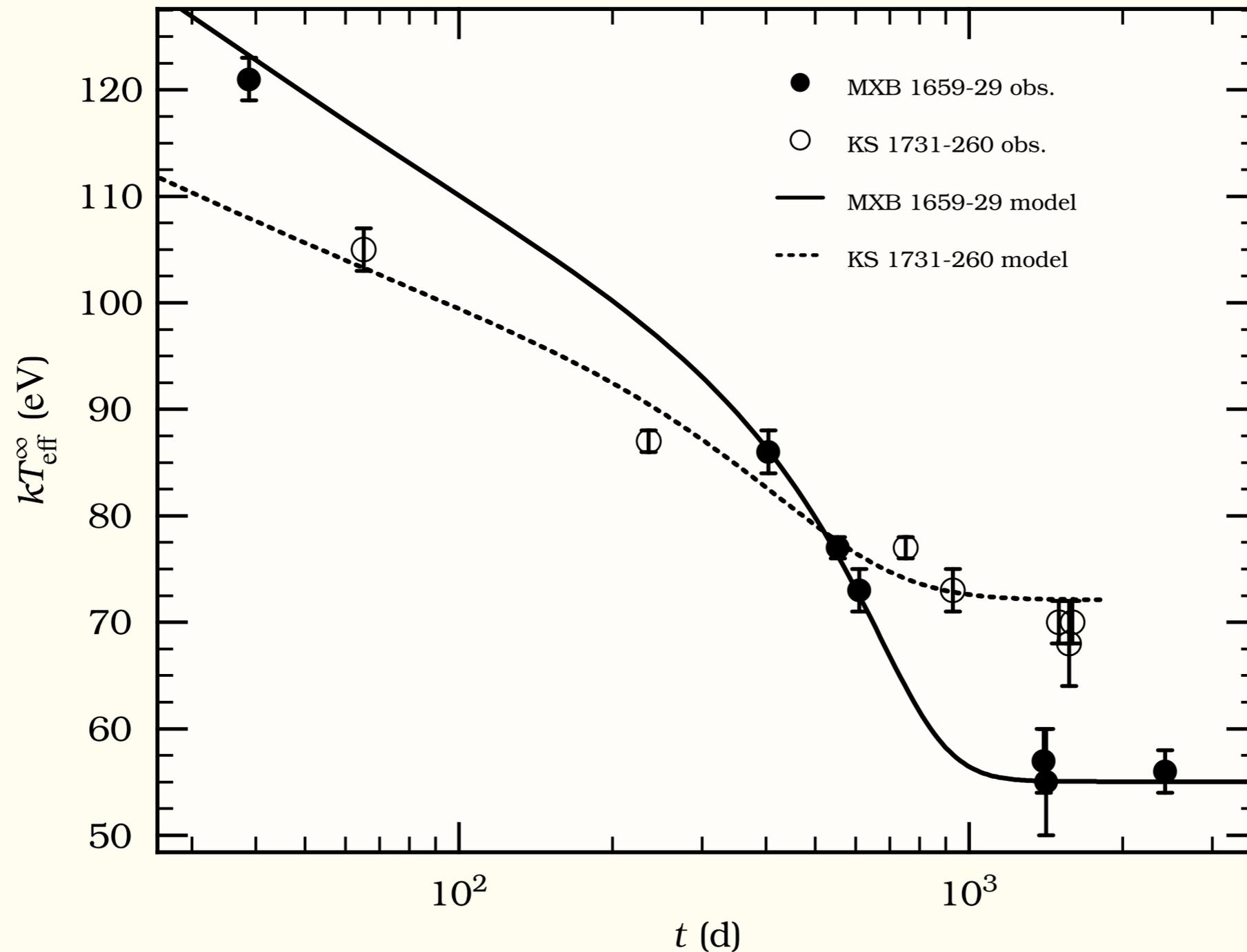
fig. from Cackett et al. '06



# Inferring crust properties from cooling

Ushomirsky & Rutledge, Shternin et al., Brown & Cumming, Page & Reddy, Turlione et al., Deibel et al.

data from Cackett et al. 2008  
fits from Brown & Cumming 2009



# basic physics of the lightcurve

$\tau$  (d)

1

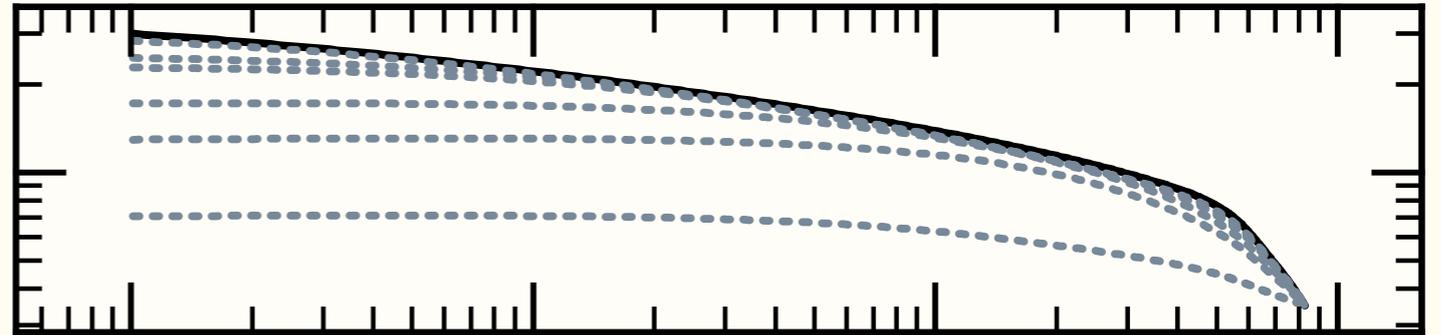
10

$10^2$

$10^3$

$T$  (K)

$10^8$



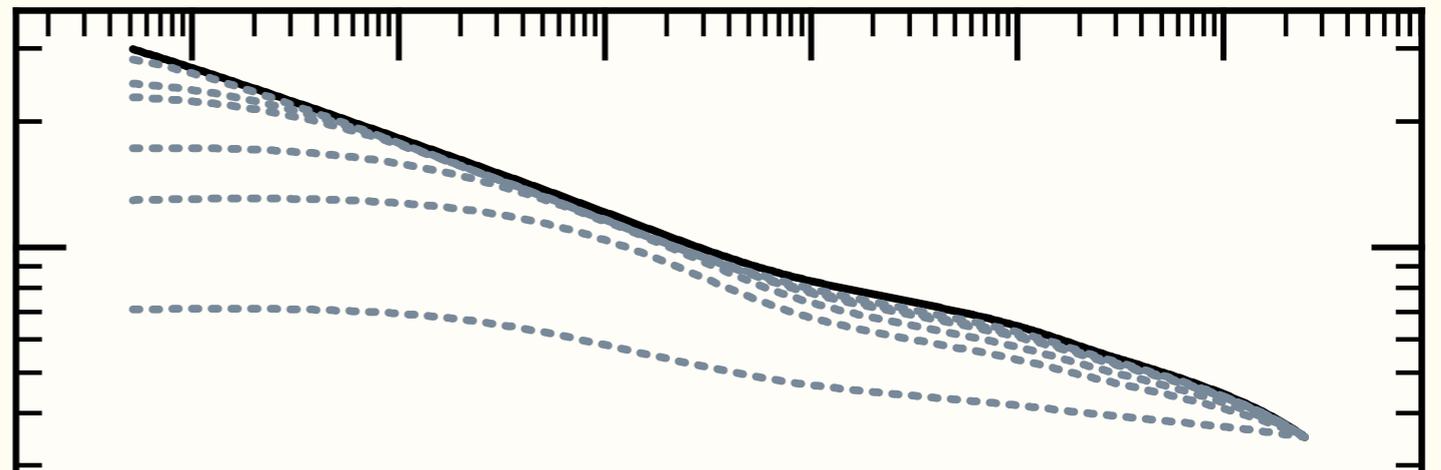
Thermal diffusion

$$\rho C \frac{\partial T}{\partial t} = \nabla \cdot (K \nabla T)$$

$$\tau = \frac{1}{4} \left[ \int \left( \frac{\rho C}{K} \right)^{1/2} dz \right]^2$$

$T$  (K)

$10^8$



$\tau$  (d)

$10^3$

$10^2$

10

1

$10^{13}$

$10^{14}$

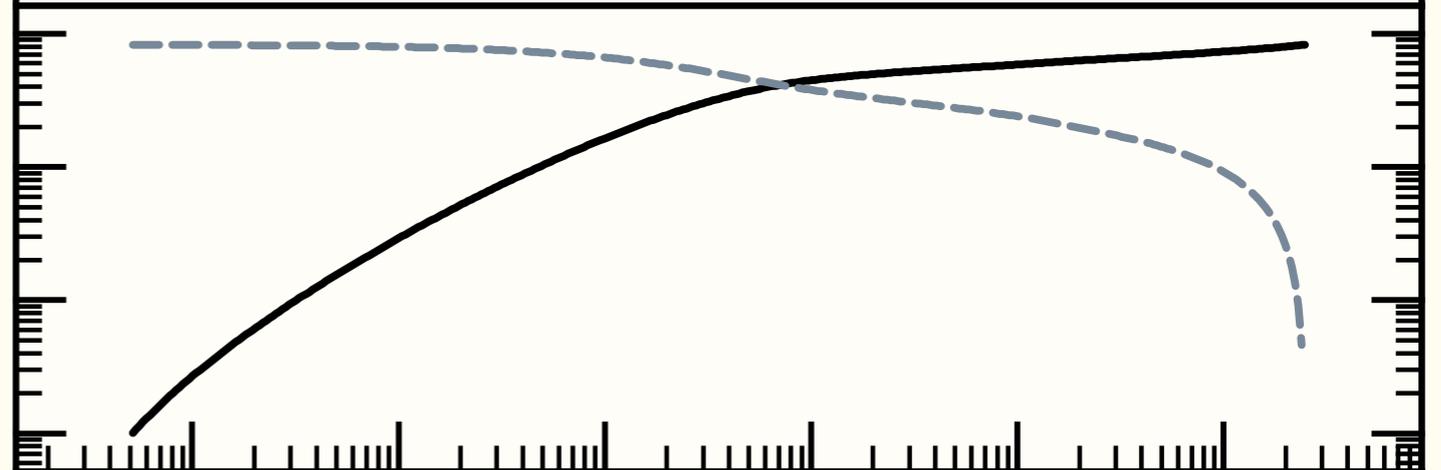
$10^{15}$

$10^{16}$

$10^{17}$

$10^{18}$

$P/g$  ( $\text{g cm}^{-2}$ )

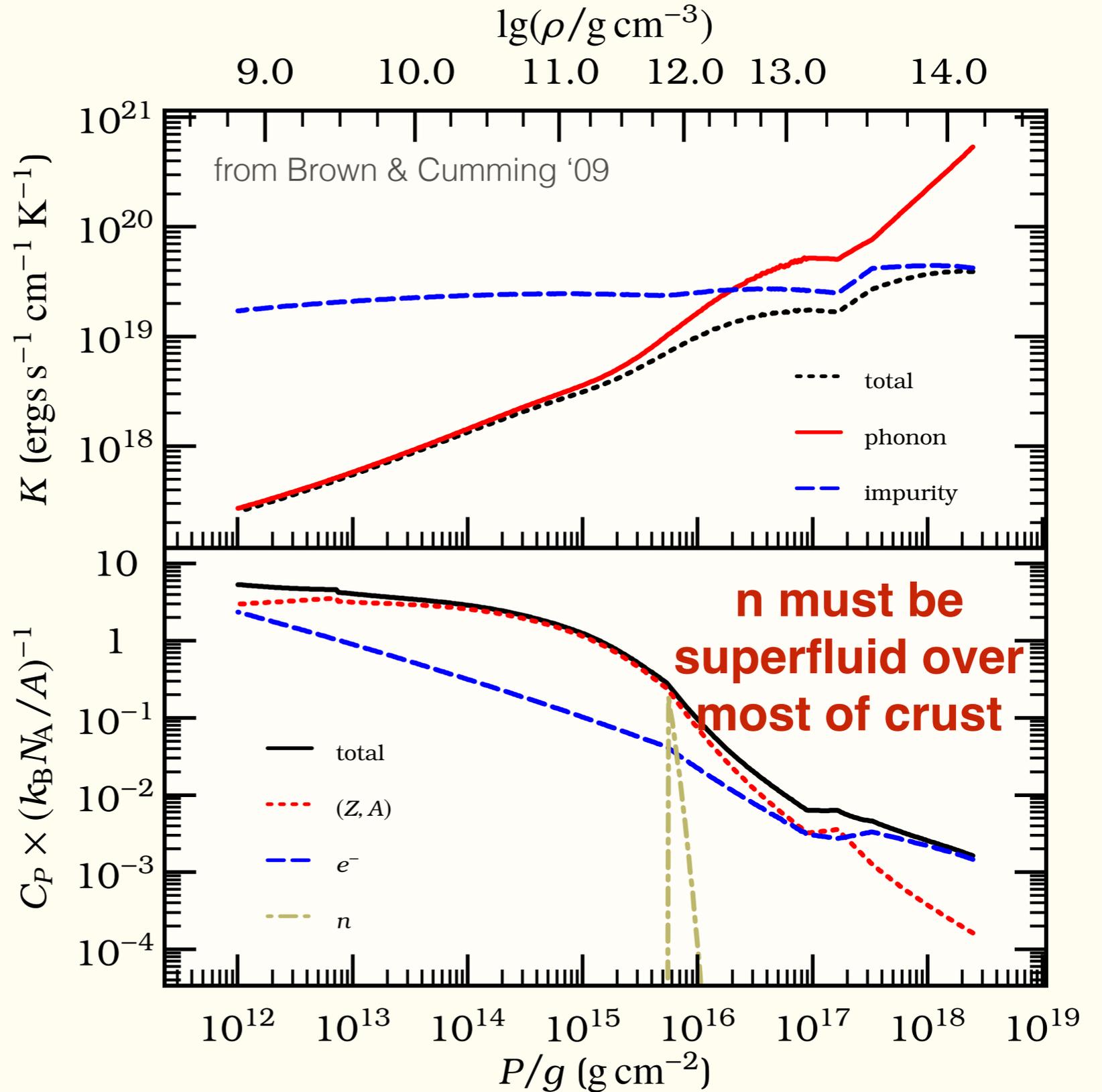


# The cooling timescale

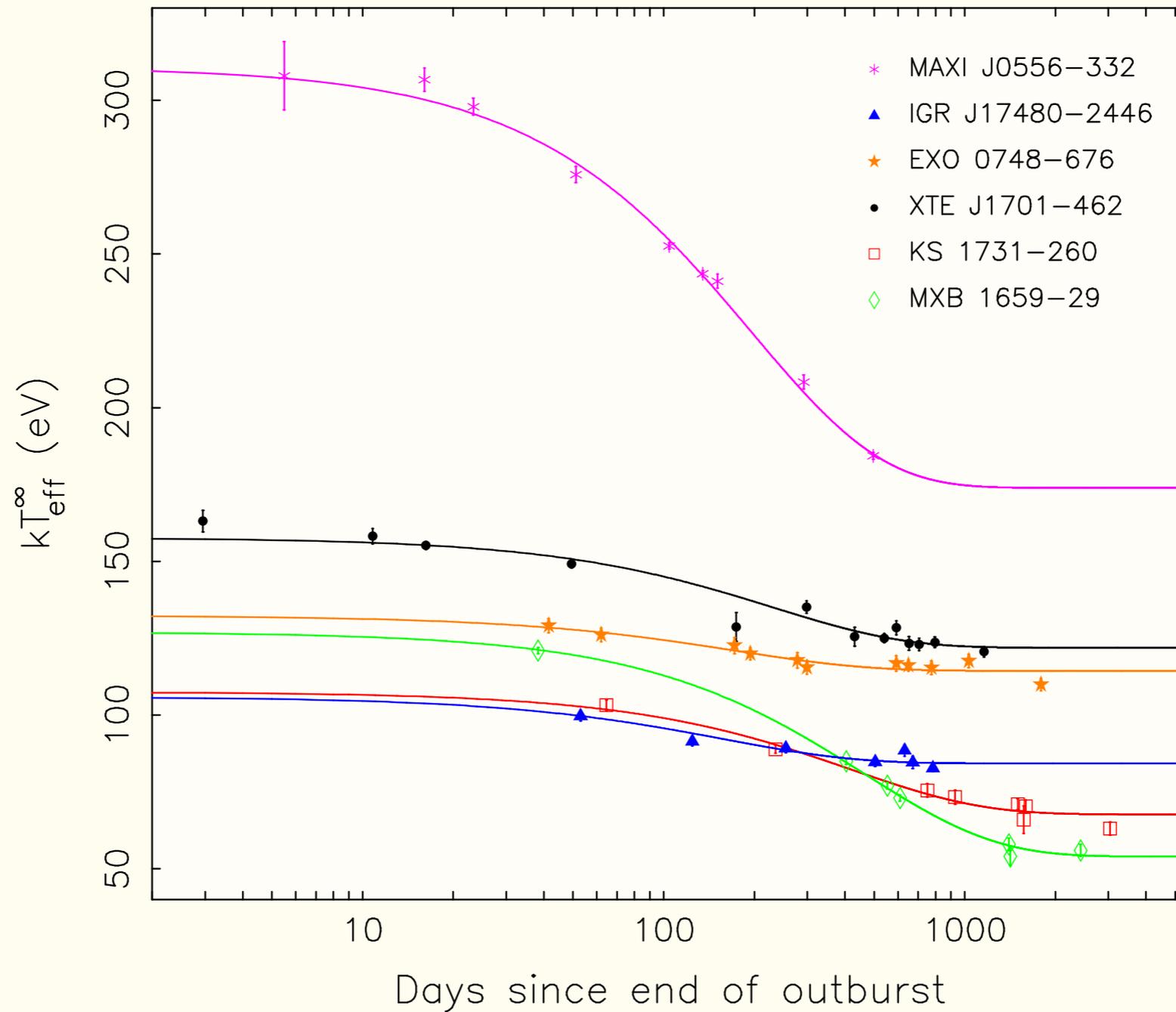
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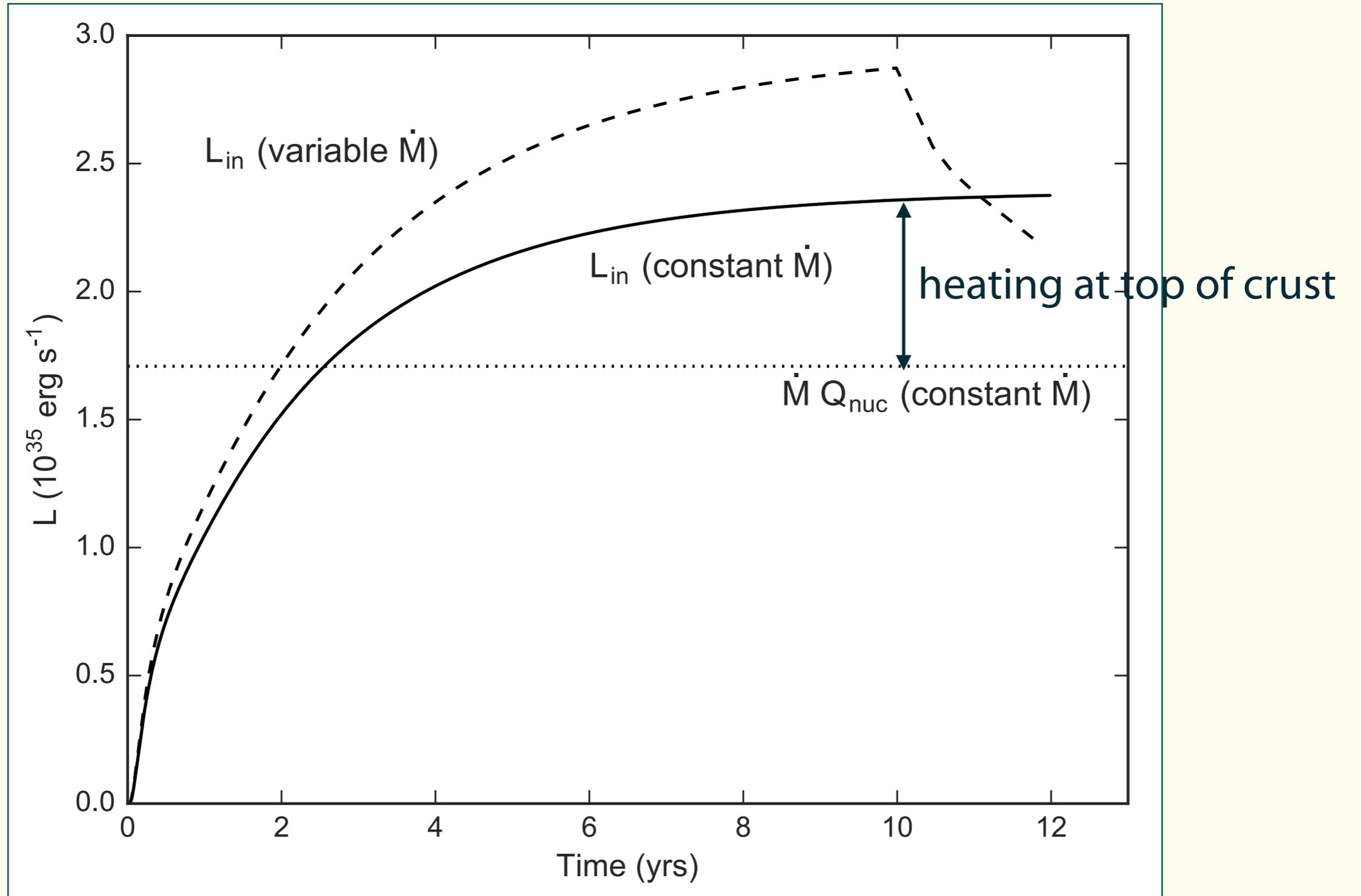


# Many quasi-persistent transients are now monitored



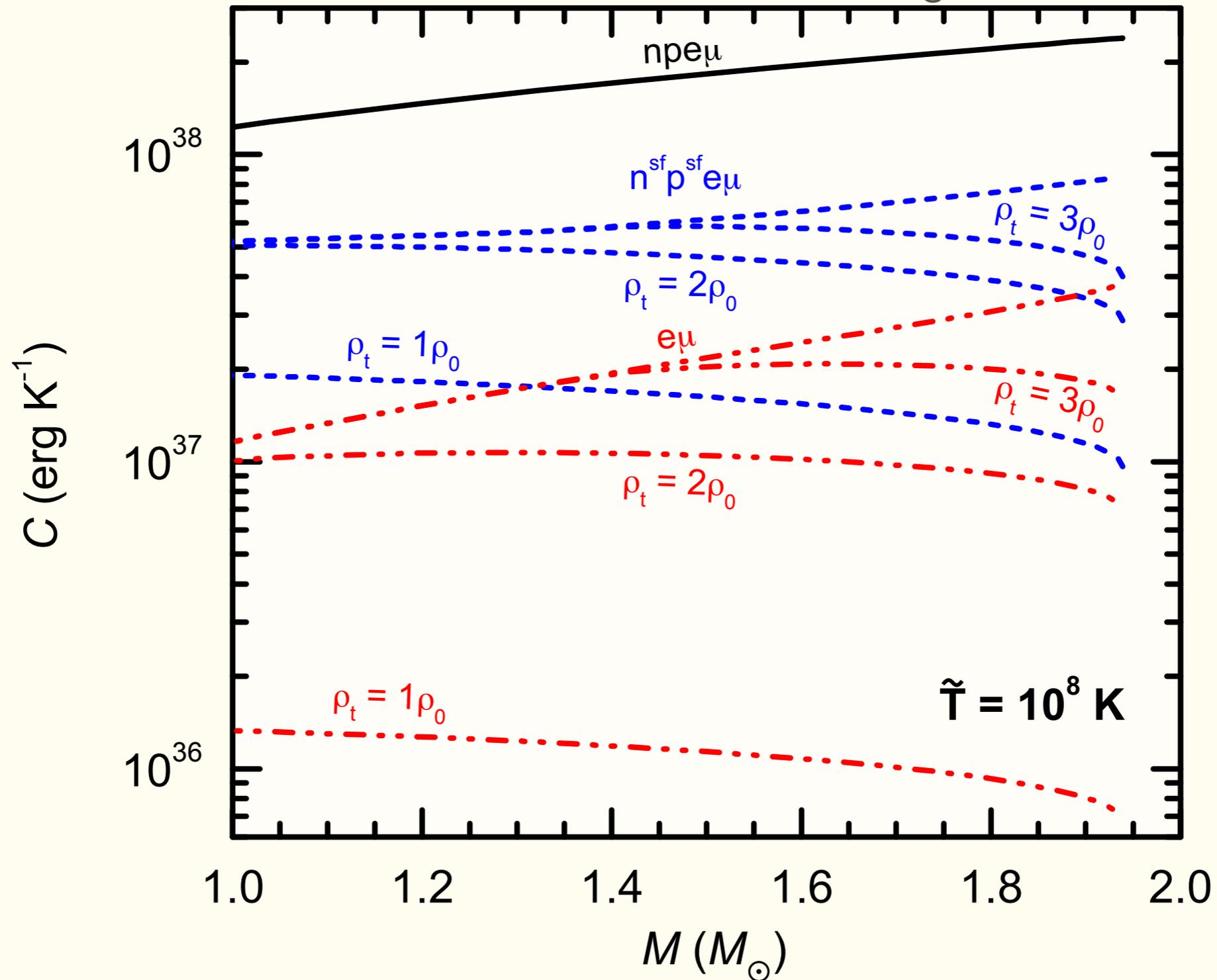
from Homan et al. (2014)

For KS1731,  $E \approx 6 \times 10^{43}$  ergs deposited into the core



# This could change $T_{\text{core}}$ significantly

Cumming et al. 2017



Suppose core cools completely between outbursts and neutrino cooling is off

$$C \frac{d\tilde{T}}{dt} = -L_\nu + L_{\text{in}},$$

$$C > \frac{2E}{\tilde{T}_f} \quad \text{with} \quad E = \int L_{\text{in}} dt$$

since  $C \sim T$

For KS1731,  $C > 3 \times 10^{36} \tilde{T}_8$

**The specific heat  
must be larger than  
this!**

At the other limit, suppose the core temperature saturates because of neutrino emission:

$$C \frac{d\tilde{T}}{dt} = -L_\nu + L_{\text{in}},$$

$$\begin{aligned} L_{\nu,\text{dU}} &= 6 \times 10^{38} \tilde{T}_8^6 \text{ erg s}^{-1} & n &\rightarrow p e \nu \\ L_{\nu,\text{mU}} &= 6 \times 10^{30} \tilde{T}_8^8 \text{ erg s}^{-1} & nn &\rightarrow n p e \nu \end{aligned}$$

The neutrino luminosity cannot exceed the heating rate, however:

$$L_\nu < L_{\text{in}} \approx 2 \times 10^{35} \text{ erg s}^{-1}$$

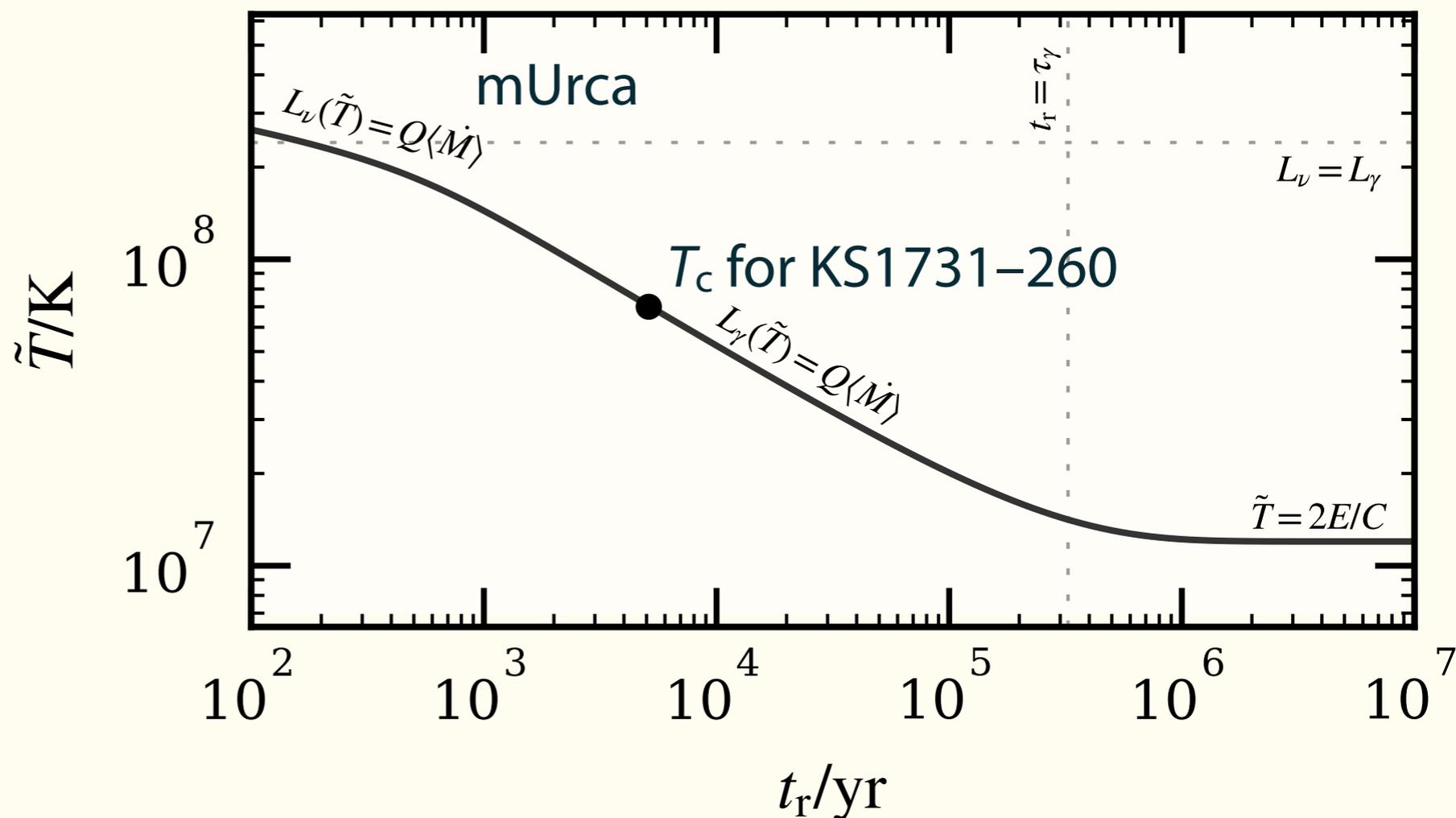
for KS1731. If a *fast* process is present, its strength is  $< 10^{-3}$  of direct Urca.

# The general case

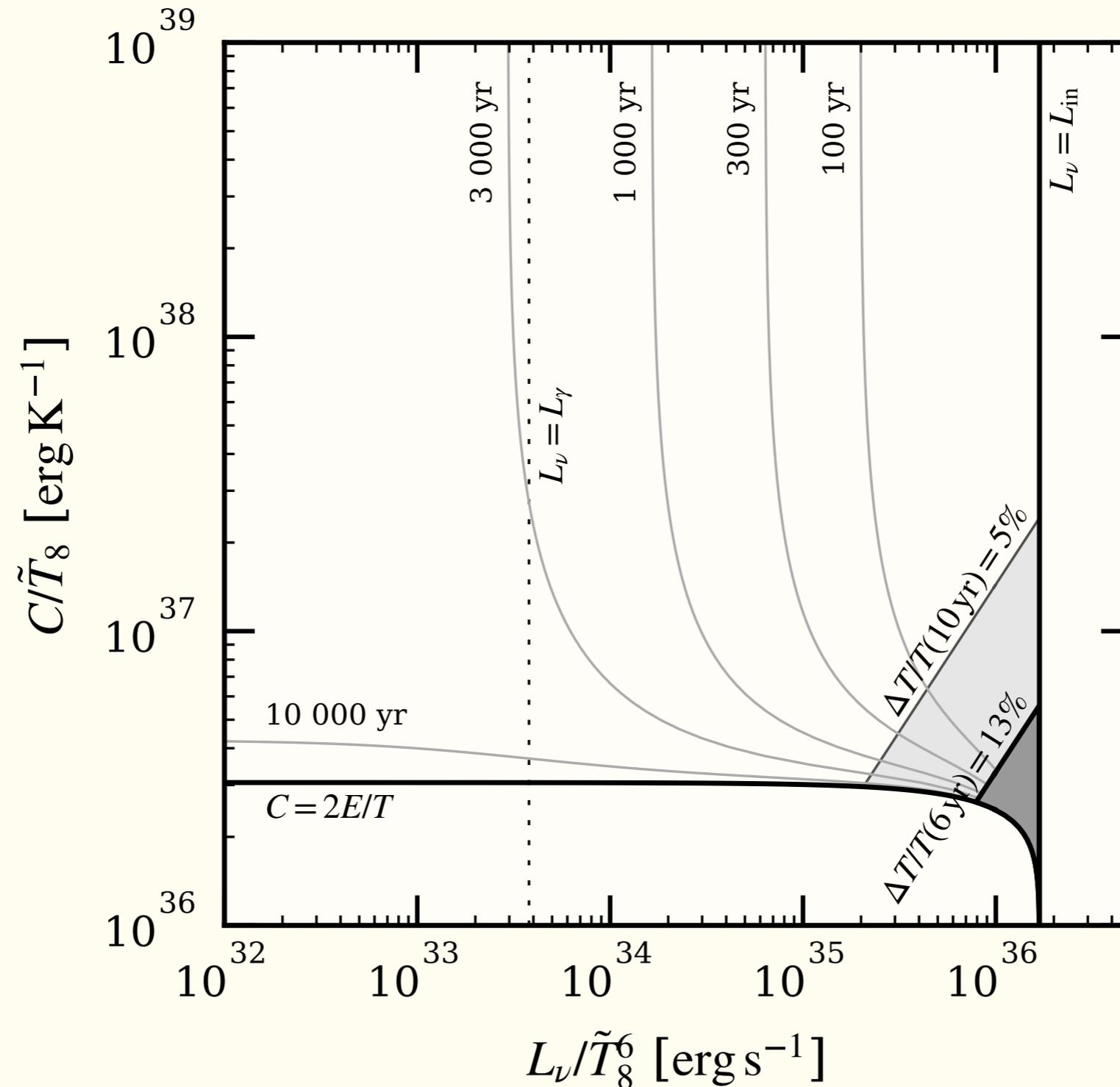
$$C \frac{d\tilde{T}}{dt} = -L_\gamma(\tilde{T}) - L_\nu(\tilde{T}) + L_{\text{in}},$$

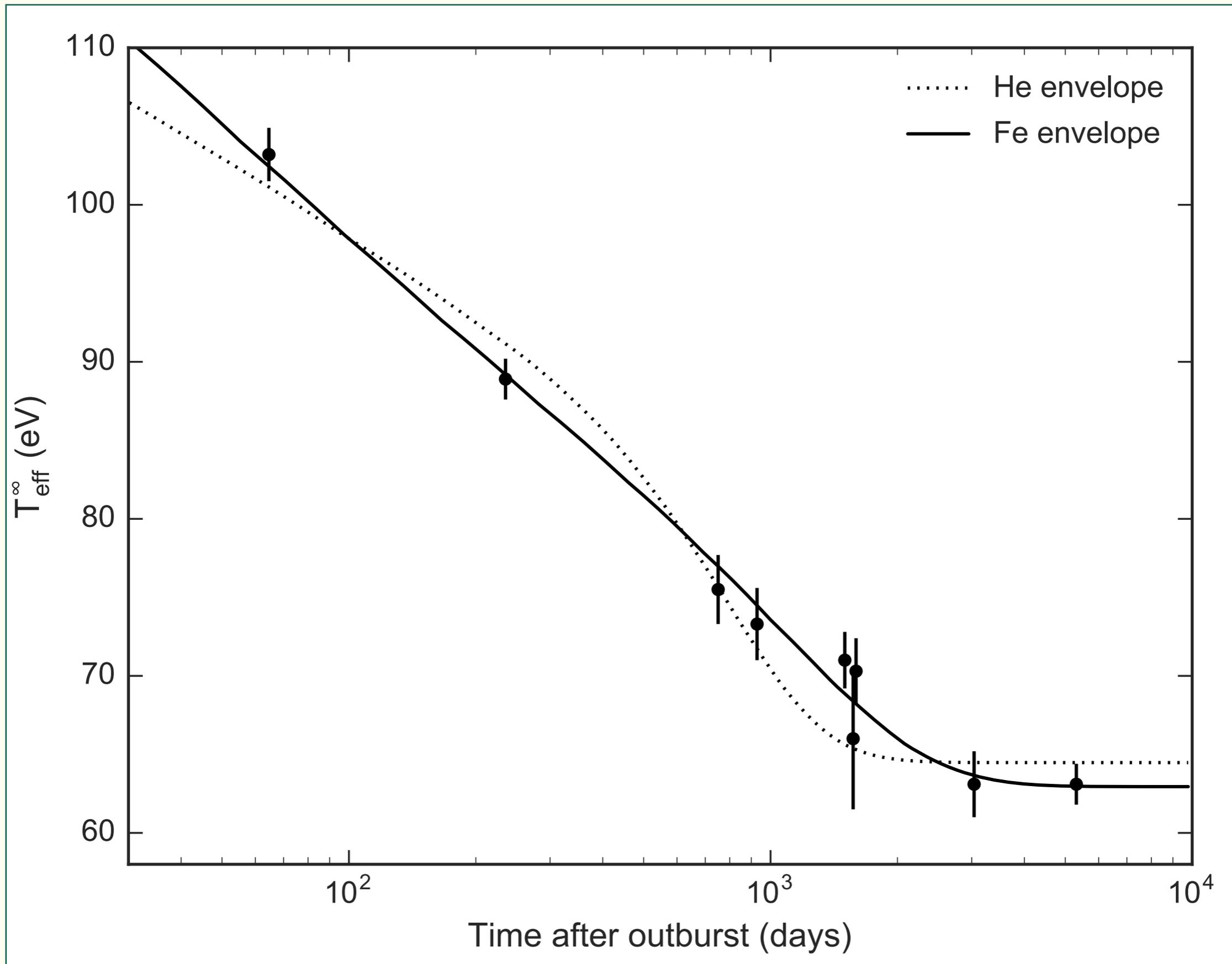
where  $L_{\text{in}} = 0$  during quiescence

In this plot the specific heat is fixed,  $C/\tilde{T}_8 = 10^{38} \text{ erg K}^{-1}$ , and we vary the recurrence time  $t_r$ .



# Putting everything together: a “phase diagram” for KS1731–260





# In summary,

Cooling neutron star transients probe the transport properties of matter and near-saturation density.

Transients with long outbursts deposit enough heat in the core to potentially raise the core temperature. Observations following crust relaxation measure this temperature.

For KS1731,  $C > 3 \times 10^{36} \tilde{T}_8$

Its neutrino luminosity is  $< 10^{-3}$  that of direct Urca.

Further monitoring of variations in the core temperature, or constraints on the recurrence duration, will improve constraints.