

Theoretical Description of the X(3872) and Y(4260) Decays

D.A.S. Molnar, I. Danilkin and M. Vanderhaeghen

SFB School, Boppard
October, 2016



- 1 Motivation
 - Exotic Mesons
- 2 X(3872)
 - Breit-Wigner Method
- 3 Y(4260)
 - Breit-Wigner Method
 - Mirror-Partner
 - $\pi\pi$ Rescattering
- 4 Perspectives
 - Steps in Progress
- 5 Conclusions
 - Preliminary Conclusions

1 Motivation

X(3872)

- Discovery 2003
 - Belle at KEK - Japan
 - e^+e^- collisions
- Seen by
 - CDF, D0(Fermilab - USA), LHCb, CMS (Cerne-Switzerland), Babar (SLAC - USA), BESIII (IHEP - China)
- 1st exotic in $c\bar{c}$ spectrum

Y(4260)

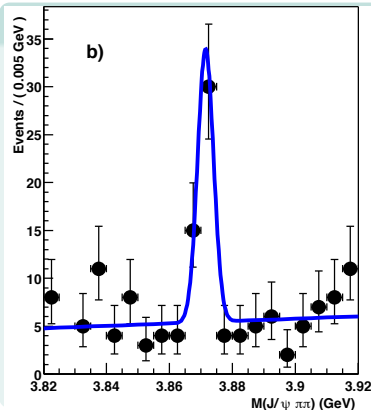
- Discovery 2005
 - Babar at SLAC - USA
 - e^+e^- annihilation through initial state radiation
- Seen by
 - Belle (KEK - Japan), Cleo (CESR - USA), BESIII (IHEP - China)
- Decay into other exotic mesons!

Exotic Mesons

- Mesons that can not be explained by the conventional quark model are called exotic

X(3872)

- Discovery 2003
 - Belle at KEK - Japan
 - e^+e^- collisions
- Seen by
 - CDF, D0(Fermilab - USA), LHCb, CMS (Cerne-Switzerland), Babar (SLAC - USA), BESIII (IHEP - China)
- 1st exotic in $c\bar{c}$ spectrum

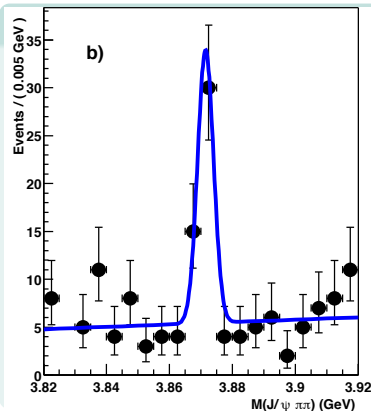


Exotic Mesons

- Mesons that can not be explained by the conventional quark model are called exotic

X(3872)

- Discovery 2003
 - Belle at KEK - Japan
 - e^+e^- collisions
- Seen by
 - CDF, D0(Fermilab - USA), LHCb, CMS (Cerne-Switzerland), Babar (SLAC - USA), BESIII (IHEP - China)
- 1st exotic in $c\bar{c}$ spectrum



Exotic Mesons

- Mesons that can not be explained by the conventional quark model are called exotic

X(3872)

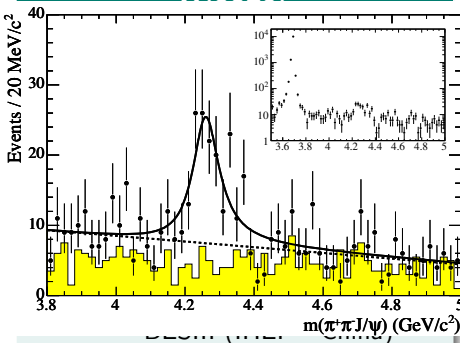
- Discovery 2003
 - Belle at KEK - Japan
 - e^+e^- collisions
- Seen by
 - CDF, D0(Fermilab - USA), LHCb, CMS (Cerne-Switzerland), Babar (SLAC - USA), BESIII (IHEP - China)
- 1st exotic in $c\bar{c}$ spectrum

Y(4260)

- Discovery 2005
 - Babar at SLAC - USA
 - e^+e^- annihilation through initial state radiation
- Seen by
 - Belle (KEK - Japan), Cleo (CESR - USA), BESIII (IHEP - China)
- Decay into other exotic mesons!

Exotic Mesons

- Mesons that can not be explained by the conventional quark model are called exotic



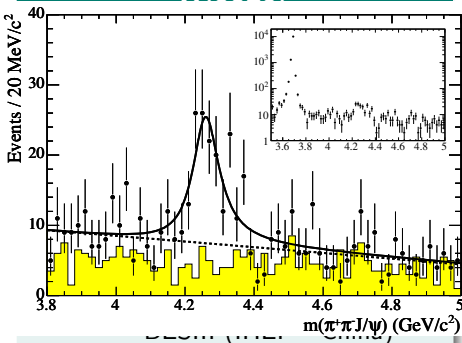
- 1st exotic in $c\bar{c}$ spectrum

Y(4260)

- Discovery 2005
 - Babar at SLAC - USA
 - e^+e^- annihilation through initial state radiation
- Seen by
 - Belle (KEK - Japan), Cleo (CESR - USA), BESIII (IHEP - China)
- Decay into other exotic mesons!

Exotic Mesons

- Mesons that can not be explained by the conventional quark model are called exotic



- 1st exotic in $c\bar{c}$ spectrum

Y(4260)

- Discovery 2005
 - Babar at SLAC - USA
 - e^+e^- annihilation through initial state radiation
- Seen by
 - Belle (KEK - Japan), Cleo (CESR - USA), BESIII (IHEP - China)
- Decay into other exotic mesons!

Exotic Mesons

- Mesons that can not be explained by the conventional quark model are called exotic

X(3872)

- Discovery 2003
 - Belle at KEK - Japan
 - e^+e^- collisions
- Seen by
 - CDF, D0(Fermilab - USA), LHCb, CMS (Cerne-Switzerland), Babar (SLAC - USA), BESIII (IHEP - China)
- 1st exotic in $c\bar{c}$ spectrum

Y(4260)

- Discovery 2005
 - Babar at SLAC - USA
 - e^+e^- annihilation through initial state radiation
- Seen by
 - Belle (KEK - Japan), Cleo (CESR - USA), BESIII (IHEP - China)
- Decay into other exotic mesons!

Exotic Mesons

- Mesons that can not be explained by the conventional quark model are called exotic



X(3872)

- Discovery 2003
 - Belle at KEK - Japan
 - e^+e^- collisions
- Seen by
 - CDF, D0(Fermilab - USA), LHCb, CMS (Cerne-Switzerland), Babar (SLAC - USA), BESIII (IHEP - China)
- 1st exotic in $c\bar{c}$ spectrum

Y(4260)

- Discovery 2005
 - Babar at SLAC - USA
 - e^+e^- annihilation through initial state radiation
- Seen by
 - Belle (KEK - Japan), Cleo (CESR - USA), BESIII (IHEP - China)
- Decay into other exotic mesons!

Exotic Mesons

- Mesons that can not be explained by the conventional quark model are called exotic



X(3872)

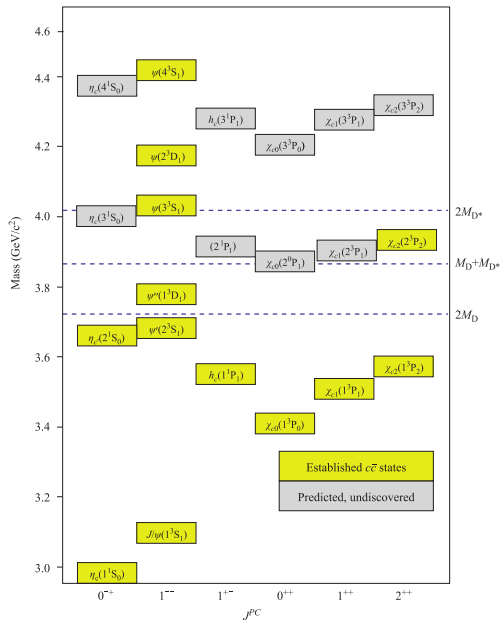
- Discovery 2003
 - Belle at KEK - Japan
 - e^+e^- collisions
- Seen by
 - CDF, D0(Fermilab - USA), LHCb, CMS (Cerne-Switzerland), Babar (SLAC - USA), BESIII (IHEP - China)
- 1st exotic in $c\bar{c}$ spectrum

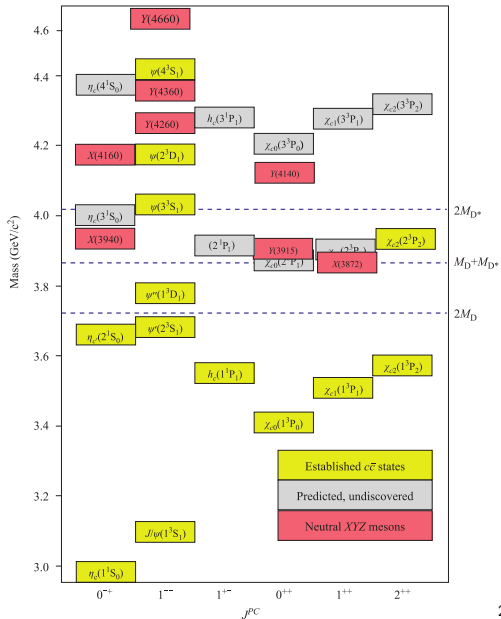
Y(4260)

- Discovery 2005
 - Babar at SLAC - USA
 - e^+e^- annihilation through initial state radiation
- Seen by
 - Belle (KEK - Japan), Cleo (CESR - USA), BESIII (IHEP - China)
- Decay into other exotic mesons!

Exotic Mesons

- Mesons that can not be explained by the conventional quark model are called exotic

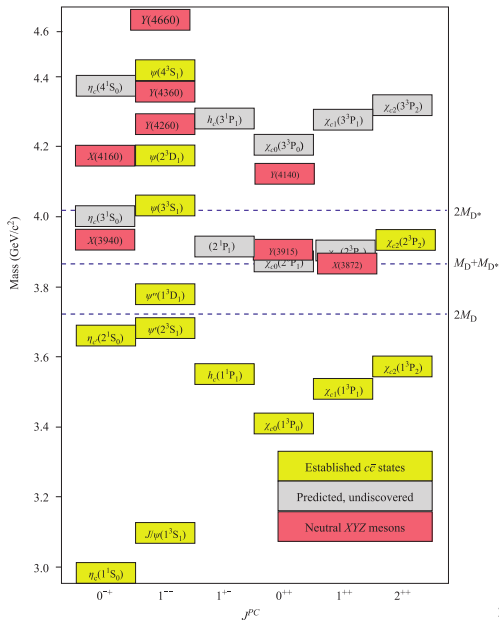
S. L. Olsen *Front.Phys.* (2015)

S. L. Olsen *Front.Phys.* (2015)

Alternative explanations:

tetraquark, molecular state, hybrids of quarkonium and gluons, quarkonium-gluoballs mixtures ...

S. L. Olsen *Front.Phys.* (2015)



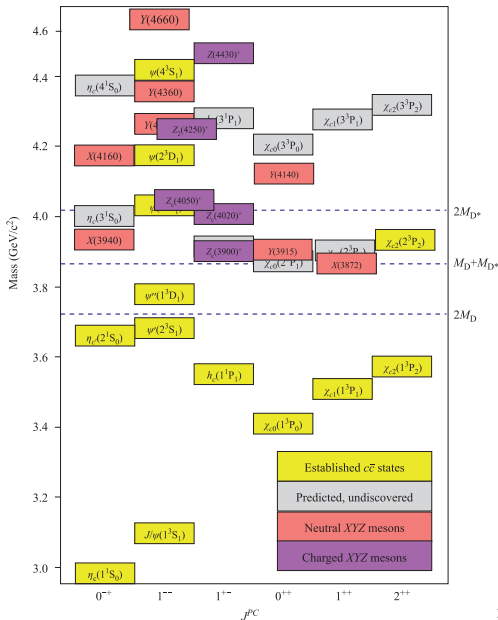
Alternative explanations:

tetraquark, molecular state, hybrids of quarkonium and gluons, quarkonium-gluoballs mixtures ...

Charged Exotic Mesons

- Confirmed in 2013 by Belle and BESIII
- $c\bar{c} + q_i\bar{q}_j$ ($i \neq j$)

S. L. Olsen *Front.Phys.* (2015)



Alternative explanations:

tetraquark, molecular state, hybrids of quarkonium and gluons, quarkonium-gluoballs mixtures ...

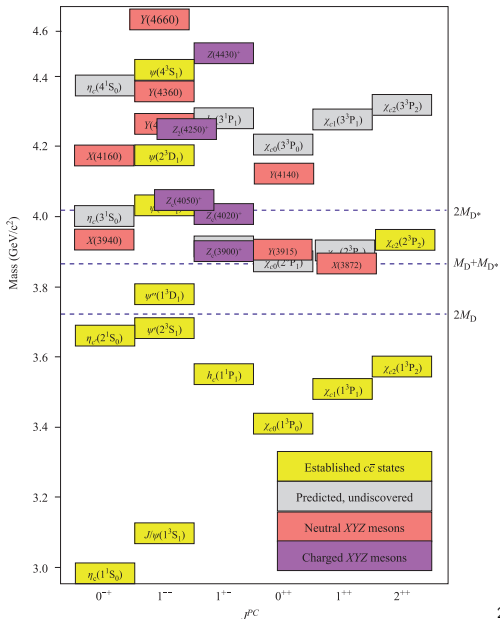
Charged Exotic Mesons

- Confirmed in 2013 by Belle and BESIII
- $c\bar{c} + q_i\bar{q}_j$ ($i \neq j$)

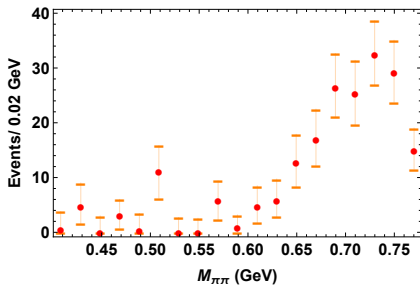
No Unique Structure

Pure Molecular or tetraquark explanations cannot explain the exotic states

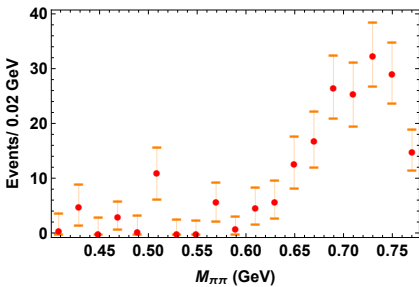
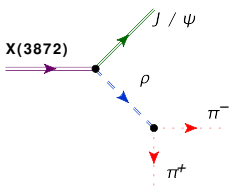
S. L. Olsen *Front.Phys.* (2015)



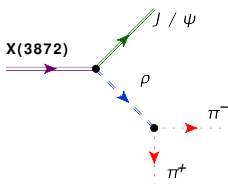
2 X(3872)



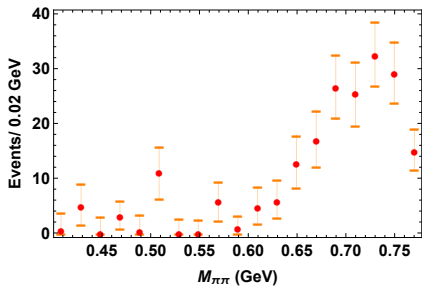
■ Belle-2011

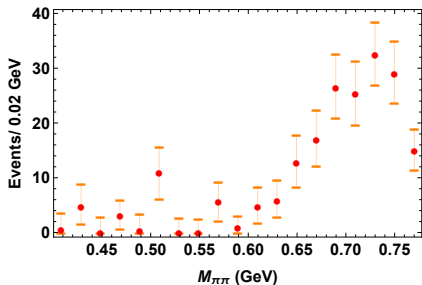
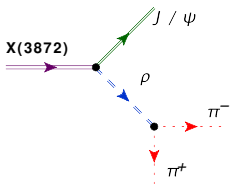


Breit-Wigner Method



$$(V_{\rho\pi\pi})^\mu \underbrace{\frac{(-g_{\mu\nu} + q_\mu q_\nu / m_\rho^2)}{q^2 - m_\rho^2 + im_\rho \Gamma_\rho}}_{\text{Breit-Wigner Propagator}} (V_{X\psi\rho})^{\alpha\beta\nu} \epsilon_\alpha(p_X) \epsilon_\beta(p_\psi)$$





Belle-2011

$$(V_{\rho\pi\pi})^\mu \underbrace{\frac{(-g_{\mu\nu} + q_\mu q_\nu / m_\rho^2)}{q^2 - m_\rho^2 + im_\rho \Gamma_\rho}}_{\text{Breit-Wigner Propagator}} (V_{X\psi\rho})^{\alpha\beta\nu} \epsilon_\alpha(p_X) \epsilon_\beta(p_\psi)$$

Vertex $V_{X\psi\rho}$

$V_{X\psi\rho} \rightarrow 3$ couplings:

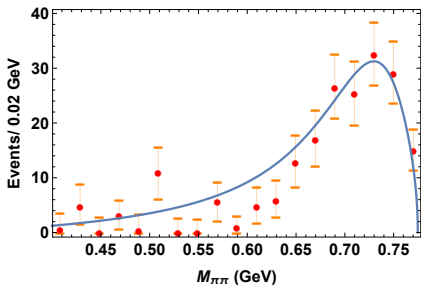
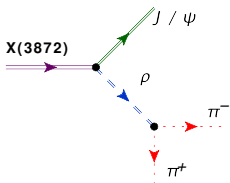
- 1 longitudinal (helicity = 0)
- 2 transversal (helicity = ± 1)

Vertex $V_{\rho\pi\pi}$

$C_{\rho\pi\pi}$ can be obtained directly from the experimental ρ width:

$$\Gamma_{\rho\pi\pi} = 147.8(9) \text{ MeV} \\ \implies C_{\rho\pi\pi} = 5.98(2)$$

Dimensionless Couplings!



Belle-2011

$$(V_{\rho\pi\pi})^\mu \underbrace{\frac{(-g_{\mu\nu} + q_\mu q_\nu / m_\rho^2)}{q^2 - m_\rho^2 + im_\rho \Gamma_\rho}}_{\text{Breit-Wigner Propagator}} (V_{X\psi\rho})^{\alpha\beta\nu} \epsilon_\alpha(p_X) \epsilon_\beta(p_\psi)$$

Vertex $V_{X\psi\rho}$

$V_{X\psi\rho} \rightarrow 3$ couplings:

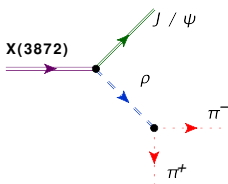
- 1 longitudinal (helicity = 0)
- 2 transversal (helicity = ± 1)

Vertex $V_{\rho\pi\pi}$

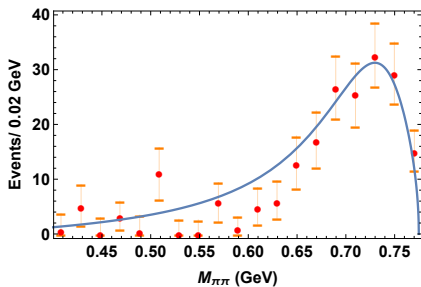
$C_{\rho\pi\pi}$ can be obtained directly from the experimental ρ width:

$$\Gamma_{\rho\pi\pi} = 147.8(9) \text{ MeV} \\ \Rightarrow C_{\rho\pi\pi} = 5.98(2)$$

Dimensionless Couplings!



$$(V_{\rho\pi\pi})^\mu \underbrace{\frac{(-g_{\mu\nu} + q_\mu q_\nu / m_\rho^2)}{q^2 - m_\rho^2 + im_\rho \Gamma_\rho}}_{\text{Breit-Wigner Propagator}} (V_{X\psi\rho})^{\alpha\beta\nu} \epsilon_\alpha(p_X) \epsilon_\beta(p_\psi)$$



Fit Parameters

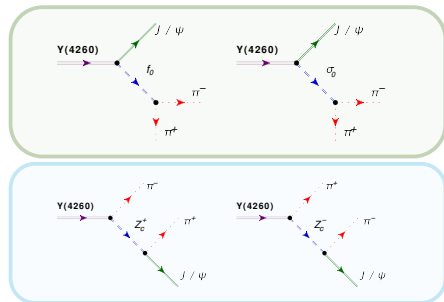
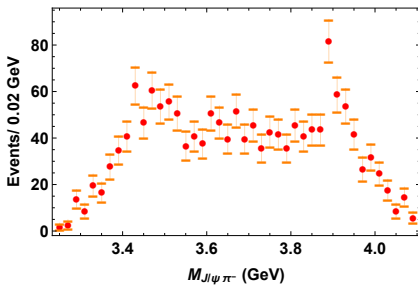
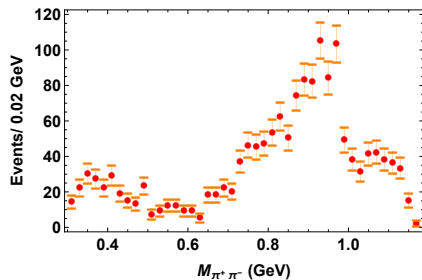
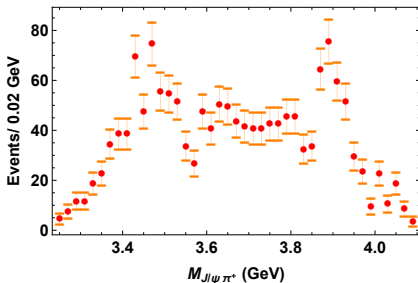
$$\chi_{red}^2 \simeq 0.73$$

$$Norm \simeq 104.08$$

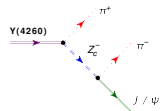
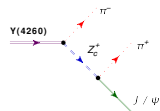
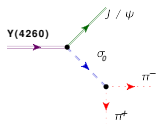
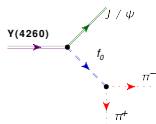
$$\frac{C_a^{(1)}}{C_{X\psi\rho}^{(0)}} \sim 2 \cdot 10^{-7}$$

$$\frac{C_b^{(1)}}{C_{X\psi\rho}^{(0)}} \sim 8 \cdot 10^{-7}$$

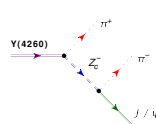
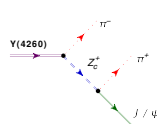
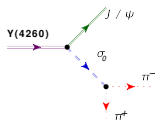
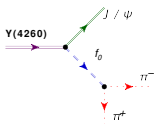
3 Y(4260)

 BESIII 2013


Breit-Wigner Method



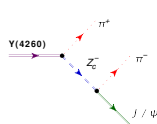
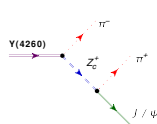
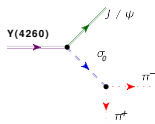
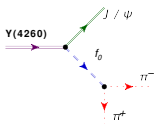
Breit-Wigner Method



$$\left(\frac{1}{3} \sum_{spin} |\mathcal{M}|^2\right) = \frac{1}{3} |\mathcal{M}_{f_0} + \mathcal{M}_{\sigma_0} + \mathcal{M}_{Z_c^+} + \mathcal{M}_{Z_c^-}|^2 \underbrace{[\epsilon_\alpha(p_Y) \epsilon_{\alpha'}^*(p_Y)]}_{-g^{\alpha\alpha'} + \frac{p_Y^\alpha p_Y^{\alpha'}}{m_Y^2}} \underbrace{[\epsilon_\beta(p_\psi) \epsilon_{\beta'}^*(p_\psi)]}_{-g^{\beta\beta'} + \frac{p_\psi^\beta p_\psi^{\beta'}}{m_\psi^2}}$$

$$\frac{d\Gamma}{dM_{\psi\pi}^2 dM_{\pi\pi}^2} = \frac{1}{32 (2\pi m_Y)^3} \left(\frac{1}{3} \sum_{spin} |\mathcal{M}|^2\right)$$

Breit-Wigner Method



$$\left(\frac{1}{3} \sum_{spin} |\mathcal{M}|^2\right) = \frac{1}{3} |\mathcal{M}_{f_0} + \mathcal{M}_{\sigma_0} + \mathcal{M}_{Z_c^+} + \mathcal{M}_{Z_c^-}|^2 \underbrace{[\epsilon_\alpha(p_Y)\epsilon_{\alpha'}^*(p_Y)]}_{-g^{\alpha\alpha'} + \frac{p_Y^\alpha p_Y^{\alpha'}}{m_Y^2}} \underbrace{[\epsilon_\beta(p_\psi)\epsilon_{\beta'}^*(p_\psi)]}_{-g^{\beta\beta'} + \frac{p_\psi^\beta p_\psi^{\beta'}}{m_\psi^2}}$$

$$\frac{d\Gamma}{dM_{\psi\pi}^2 dM_{\pi\pi}^2} = \frac{1}{32(2\pi m_Y)^3} \left(\frac{1}{3} \sum_{spin} |\mathcal{M}|^2\right)$$

Known Couplings

$$\Gamma_{f_0} = 50(15) \implies \mathbf{C_{f_0\pi\pi} = 1.32(13)}$$

$$\Gamma_{\sigma_0} = 552(10) \implies \mathbf{C_{\sigma_0\pi\pi} = 7.29(7)}$$

$$\Gamma_z = 4.9(2.2) \implies \mathbf{C_{Z_c\psi\pi} = 0.41(9)}$$

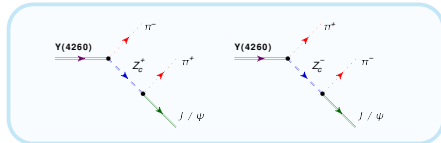
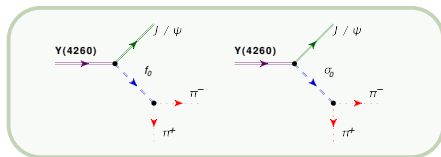
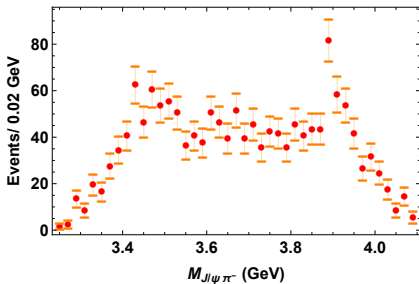
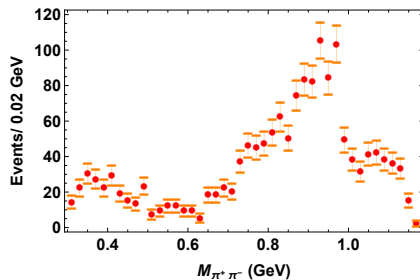
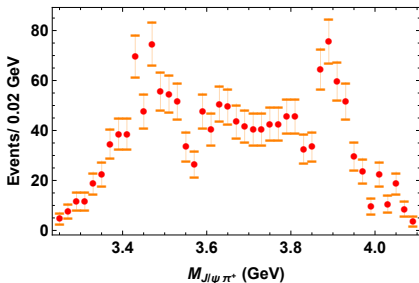
MeV

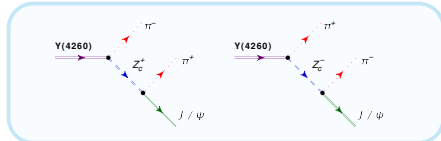
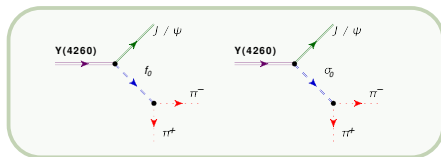
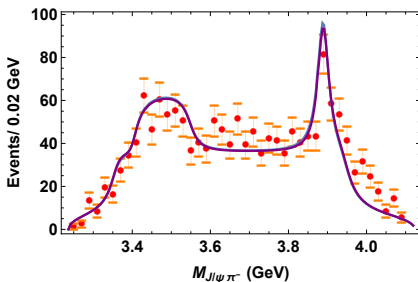
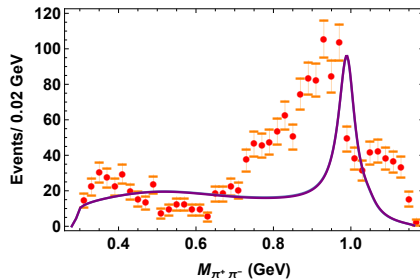
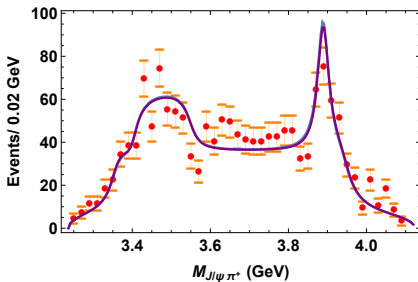
Couplings to fit

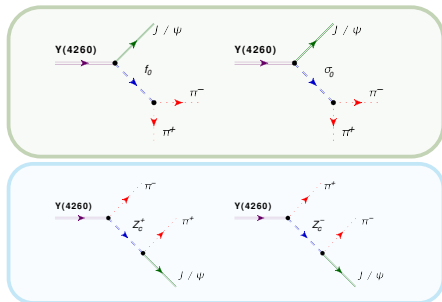
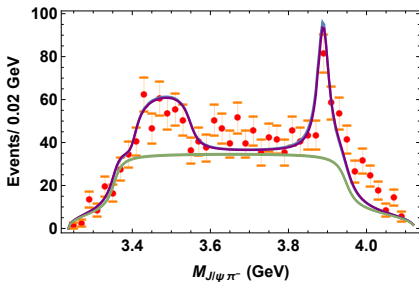
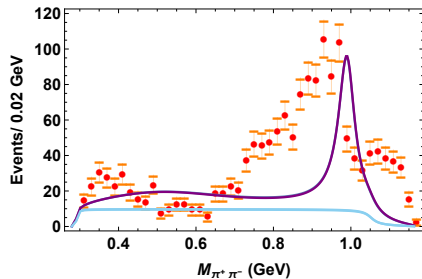
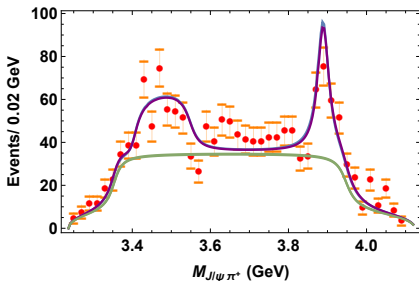
$$C_{Y\psi f_0}^T \quad C_{Y\psi f_0}^L$$

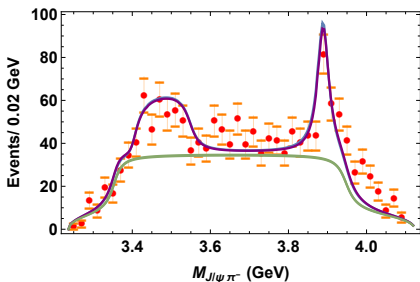
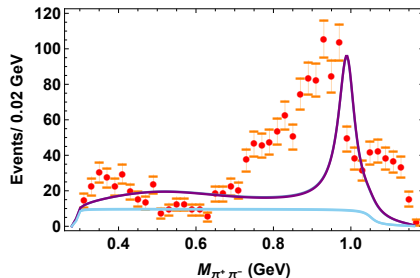
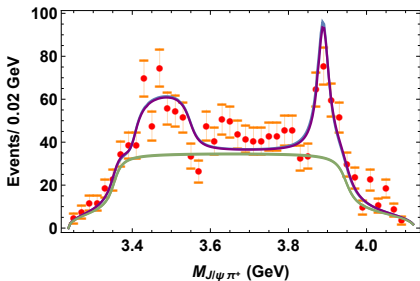
$$C_{Y\psi\sigma_0}^T \quad C_{Y\psi\sigma_0}^L$$

$$C_{Y\pi Z_c}$$

 BESIII 2013


 BESIII 2013


 BESIII 2013


 BESIII 2013


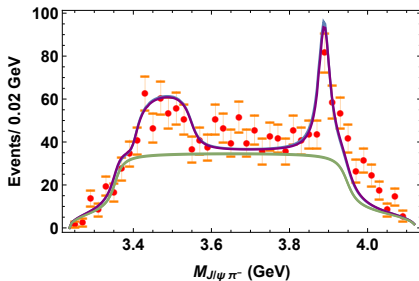
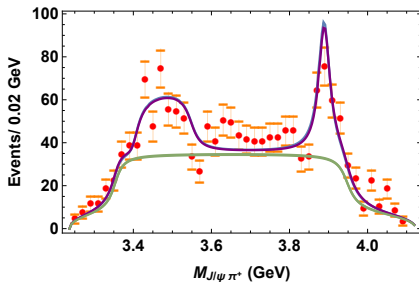
Fit Parameters

$$\chi_{red}^2 \simeq 9.5$$

$$N1 \simeq 3280 \quad N2 \simeq 25931$$

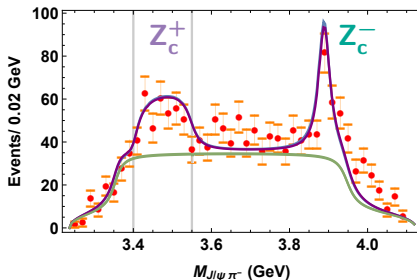
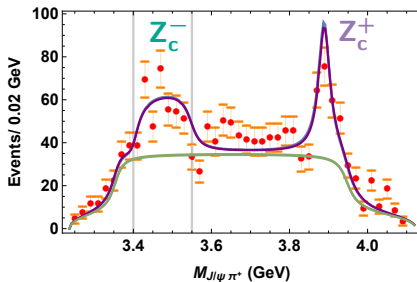
$$\frac{C_{Y\psi f_0}^T}{C_{Y\pi Z_c}} \simeq 0.21 \quad \frac{C_{Y\psi \sigma_0}^T}{C_{Y\pi Z_c}} \simeq -0.7 \cdot 10^{-2}$$

$$\frac{C_{Y\psi f_0}^L}{C_{Y\pi Z_c}} \simeq -0.11 \quad \frac{C_{Y\psi \sigma_0}^L}{C_{Y\pi Z_c}} \simeq 0.4 \cdot 10^{-1}$$



Mandelstam Variables

$$\underbrace{M_{\pi\pi}^2}_s + \underbrace{M_{\psi\pi^+}^2}_t + \underbrace{M_{\psi\pi^-}^2}_u = \sum_i^{\text{all part.}} m_i^2$$



Mandelstam Variables

$$\underbrace{M_{\pi\pi}^2}_s + \underbrace{M_{\psi\pi^+}^2}_t + \underbrace{M_{\psi\pi^-}^2}_u = \sum_i^{\text{all part.}} m_i^2$$

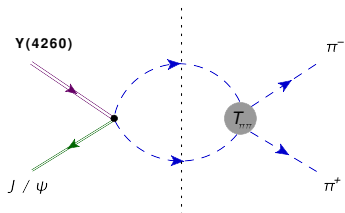
$$M_{\psi\pi^\pm} \rightarrow M_{Z_c^\pm}$$

$$\Rightarrow 3.40 < M_{\psi\pi^\mp} < 3.55$$

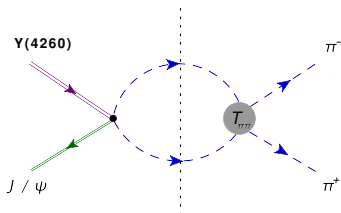
Mirror Partner (Z_c^+ , Z_c^-)

The bump in this region is due to the kinematic reflection of the mirror partner!

Omnes Method



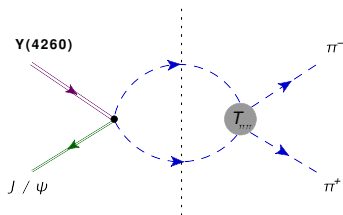
Omnes Method



Analyticity: Dispersion Relation

$$\mathcal{M} = \frac{1}{\pi} \int_{4m_{\pi}^2}^{\infty} ds' \frac{\text{Im}(\mathcal{M})}{s' - s}$$

Omnes Method



Analyticity: Dispersion Relation

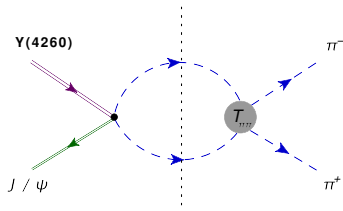
$$\mathcal{M} = \frac{1}{\pi} \int_{4m_{\pi}^2}^{\infty} ds' \frac{\text{Im}(\mathcal{M})}{s' - s}$$

Cutskovsky (Cutting) Rule:

$$\frac{1}{p^2 - m^2 + i\epsilon} \rightarrow (-2\pi i) \delta(p^2 - m^2)$$

Imaginary Part \rightarrow Propagators On-Shell

Omnes Method



Analyticity: Dispersion Relation

$$\mathcal{M} = \frac{1}{\pi} \int_{4m_{\pi}^2}^{\infty} ds' \frac{\text{Im}(\mathcal{M})}{s' - s}$$

Cutskovsky (Cutting) Rule:

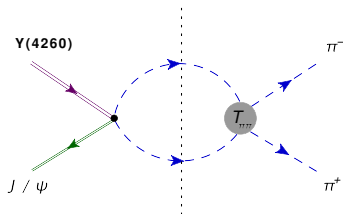
$$\frac{1}{p^2 - m^2 + i\epsilon} \rightarrow (-2\pi i) \delta(p^2 - m^2)$$

Imaginary Part \rightarrow Propagators On-Shell

Unitarity: p. w. Amplitude

$$\text{Im}\mathcal{M}_j(s) = \rho_j(s)\mathcal{M}_j(s)t_{\pi\pi j}^{*l}\theta(s > 4\pi^2)$$

Omnes Method



Analyticity: Dispersion Relation

$$\mathcal{M} = \frac{1}{\pi} \int_{4m_{\pi}^2}^{\infty} ds' \frac{\text{Im}(\mathcal{M})}{s' - s}$$

Unitarity: p. w. Amplitude

$$\text{Im}\mathcal{M}_j(s) = \rho_j(s)\mathcal{M}_j(s)t_{\pi\pi j}^{*I} \theta(s > 4\pi^2)$$

\implies S-wave and Isospin = 0

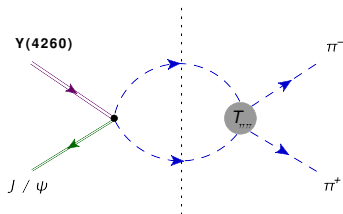
$$t^* = \frac{e^{i\delta(s)} \sin \delta(s)}{\rho(s)}$$

$$\mathcal{M}(s) = |\mathcal{M}(s)|e^{i\delta(s)}$$

Watson Final State Theorem

$$\text{Arg}[\mathcal{M}(s)] = \delta(s)$$

Omnes Method



Analyticity: Dispersion Relation

$$\mathcal{M} = \frac{1}{\pi} \int_{4m_{\pi}^2}^{\infty} ds' \frac{\text{Im}(\mathcal{M})}{s' - s}$$

Unitarity: p. w. Amplitude

$$\text{Im}\mathcal{M}_j(s) = \rho_j(s)\mathcal{M}_j(s)t_{\pi\pi j}^{*I}\theta(s > 4\pi^2)$$

\implies S-wave and Isospin = 0

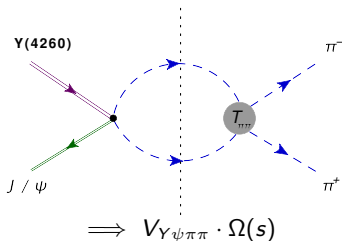
$$t^* = \frac{e^{i\delta(s)} \sin \delta(s)}{\rho(s)}$$

$$\mathcal{M}(s) = |\mathcal{M}(s)|e^{i\delta(s)}$$

Watson Final State Theorem

$$\text{Arg}[\mathcal{M}(s)] = \delta(s)$$

Omnes Method



Omnes Function

$$\Omega(s) = \exp \left[\frac{s}{\pi} \int_{4m^2}^{\infty} \frac{ds'}{s'} \frac{\delta(s')}{s' - s} \right]$$

One subtraction and normalization

$$\Omega(0) = 1$$

Analyticity: Dispersion Relation

$$\mathcal{M} = \frac{1}{\pi} \int_{4m_{\pi}^2}^{\infty} ds' \frac{\text{Im}(\mathcal{M})}{s' - s}$$

Unitarity: p. w. Amplitude

$$\text{Im}\mathcal{M}_j(s) = \rho_j(s)\mathcal{M}_j(s)t_{\pi\pi j}^{*l}\theta(s > 4\pi^2)$$

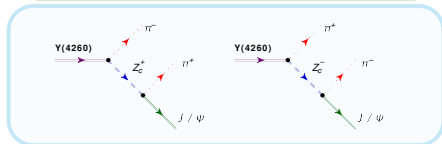
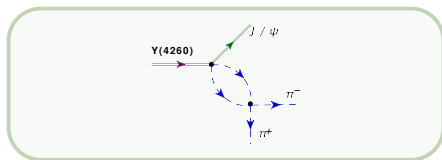
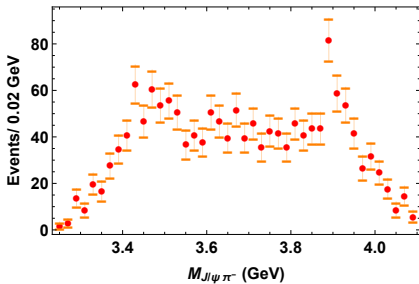
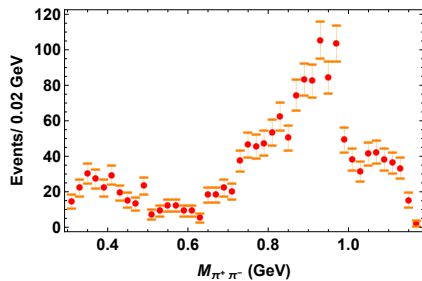
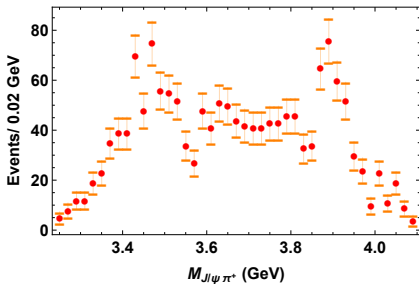
\Rightarrow S-wave and Isospin = 0

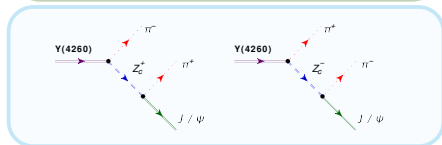
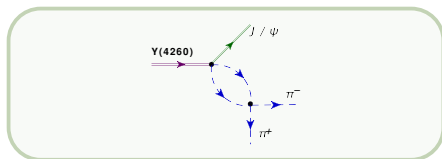
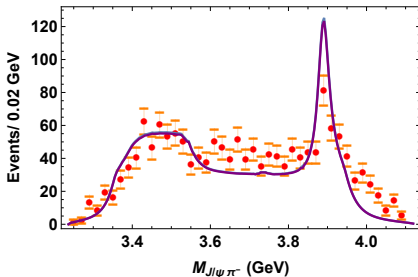
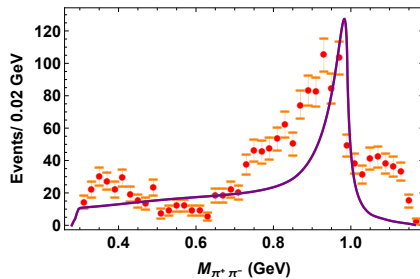
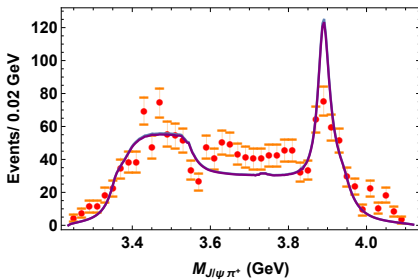
$$t^* = \frac{e^{i\delta(s)} \sin \delta(s)}{\rho(s)}$$

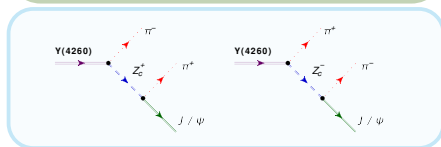
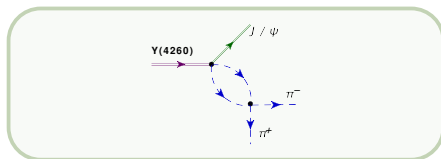
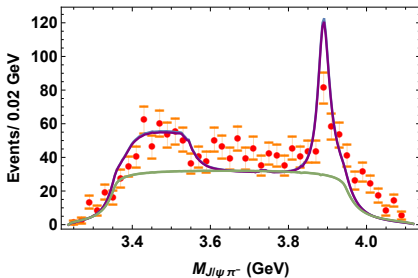
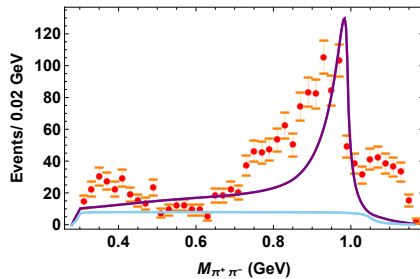
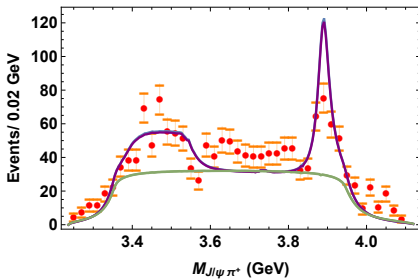
$$\mathcal{M}(s) = |\mathcal{M}(s)|e^{i\delta(s)}$$

Watson Final State Theorem

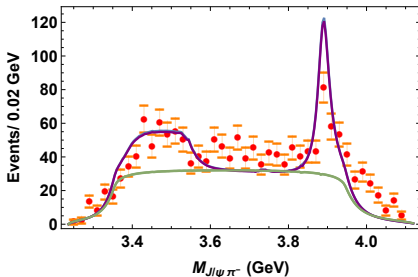
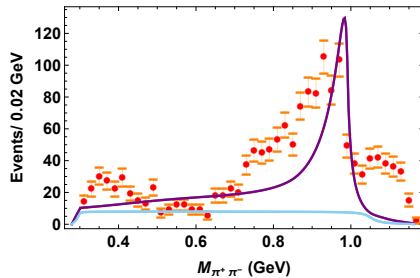
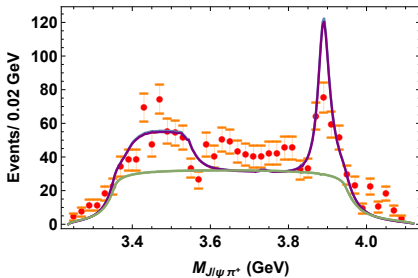
$$\text{Arg}[\mathcal{M}(s)] = \delta(s)$$

 BESIII 2013


 BESIII 2013


 BESIII 2013


☞ BESIII 2013



Fit Parameters

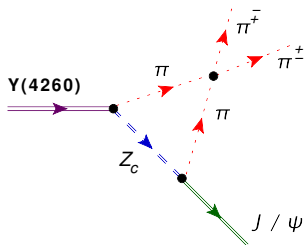
$$\chi_{red}^2 \simeq 6.9$$

$$N1 \simeq 2691 \quad N2 \simeq 17445.5$$

$$\frac{C_{Y\psi\pi\pi}^T}{C_{Y\pi Z_C}} \simeq 0.68$$

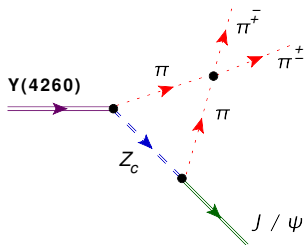
$$\frac{C_{Y\psi\pi\pi}^L}{C_{Y\pi Z_C}} \simeq 0.57$$

4 Perspectives



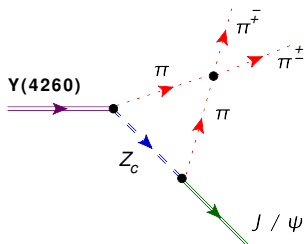
Triangle Loop

- Analytic structure of the process with t and u channel diagrams
- As important as the others diagrams
- Inclusion of neutral Z_c^0
- Development of the formalism in progress



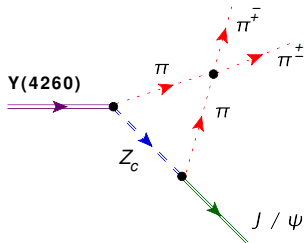
Triangle Loop

- Analytic structure of the process with t and u channel diagrams
- As important as the others diagrams
- Inclusion of neutral Z_c^0
- Development of the formalism in progress



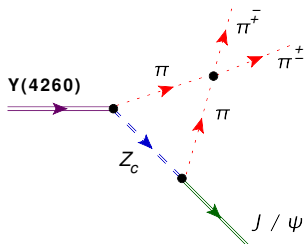
Triangle Loop

- Analytic structure of the process with t and u channel diagrams
- As important as the others diagrams
- Inclusion of neutral Z_c^0
- Development of the formalism in progress



Triangle Loop

- Analytic structure of the process with t and u channel diagrams
- As important as the others diagrams
- Inclusion of neutral Z_c^0
- Development of the formalism in progress



Triangle Loop

- Analytic structure of the process with t and u channel diagrams
- As important as the others diagrams
- Inclusion of neutral Z_c^0
- Development of the formalism in progress

5 Conclusions

X(3872)

- Simple Breit-Wigner method explain the dynamics of the decay:
- Meaning that $X \rightarrow \rho^0 + J/\psi$, then $\rho^0 \rightarrow \pi^- + \pi^+$
- $C_{X\psi\rho}$ longitudinal dominates the transverse one, and can be determined as soon as the absolute mass spectra are known.

Y(4260)

- Breit-Wigner Method:
 - $J/\psi\pi^\pm$ invariant mass distribution can be (well) explained!
 - First step: approximate estimate for f_0 and σ_0
- $\pi\pi$ rescattering (via Omnes method):
 - Number of fitting couplings is reduced (only 3)
 - Implemented mechanism $I \rightarrow \pi\pi$ rescattering in the S-channel

X(3872)

- Simple Breit-Wigner method explain the dynamics of the decay:
- Meaning that $X \rightarrow \rho^0 + J/\psi$, then $\rho^0 \rightarrow \pi^- + \pi^+$
- $C_{X\psi\rho}$ longitudinal dominates the transverse one, and can be determined as soon as the absolute mass spectra are known.

Y(4260)

- Breit-Wigner Method:
 - $J/\psi\pi^\pm$ invariant mass distribution can be (well) explained!
 - First step: approximate estimate for f_0 and σ_0
- $\pi\pi$ rescattering (via Omnes method):
 - Number of fitting couplings is reduced (only 3)
 - Implemented mechanism $I \rightarrow \pi\pi$ rescattering in the S-channel

X(3872)

- Simple Breit-Wigner method explain the dynamics of the decay:
- Meaning that $X \rightarrow \rho^0 + J/\psi$, then $\rho^0 \rightarrow \pi^- + \pi^+$
- $C_{X\psi\rho}$ longitudinal dominates the transverse one, and can be determined as soon as the absolute mass spectra are known.

Y(4260)

- Breit-Wigner Method:
 - $J/\psi\pi^\pm$ invariant mass distribution can be (well) explained!
 - First step: approximate estimate for f_0 and σ_0
- $\pi\pi$ rescattering (via Omnes method):
 - Number of fitting couplings is reduced (only 3)
 - Implemented mechanism $I \rightarrow \pi\pi$ rescattering in the S-channel

X(3872)

- Simple Breit-Wigner method explain the dynamics of the decay:
- Meaning that $X \rightarrow \rho^0 + J/\psi$, then $\rho^0 \rightarrow \pi^- + \pi^+$
- $C_{X\psi\rho}$ longitudinal dominates the transverse one, and can be determined as soon as the absolute mass spectra are known.

Y(4260)

- Breit-Wigner Method:
 - $J/\psi\pi^\pm$ invariant mass distribution can be (well) explained!
 - First step: approximate estimate for f_0 and σ_0
- $\pi\pi$ rescattering (via Omnes method):
 - Number of fitting couplings is reduced (only 3)
 - Implemented mechanism $I \rightarrow \pi\pi$ rescattering in the S-channel

X(3872)

- Simple Breit-Wigner method explain the dynamics of the decay:
- Meaning that $X \rightarrow \rho^0 + J/\psi$, then $\rho^0 \rightarrow \pi^- + \pi^+$
- $C_{X\psi\rho}$ longitudinal dominates the transverse one, and can be determined as soon as the absolute mass spectra are known.

Y(4260)

- Breit-Wigner Method:
 - $J/\psi\pi^\pm$ invariant mass distribution can be (**well**) explained!
 - First step: approximate estimate for f_0 and σ_0
 - $\pi\pi$ rescattering (via Omnes method):
 - Number of fitting couplings is reduced (only 3)
 - Implemented mechanism $I \rightarrow \pi\pi$ rescattering in the S-channel

X(3872)

- Simple Breit-Wigner method explain the dynamics of the decay:
- Meaning that $X \rightarrow \rho^0 + J/\psi$, then $\rho^0 \rightarrow \pi^- + \pi^+$
- $C_{X\psi\rho}$ longitudinal dominates the transverse one, and can be determined as soon as the absolute mass spectra are known.

Y(4260)

- Breit-Wigner Method:
 - $J/\psi\pi^\pm$ invariant mass distribution can be (**well**) explained!
 - First step: approximate estimate for f_0 and σ_0
- $\pi\pi$ rescattering (via Omnes method):
 - Number of fitting couplings is reduced (only 3)
 - Implemented mechanism $I \rightarrow \pi\pi$ rescattering in the S-channel

X(3872)

- Simple Breit-Wigner method explain the dynamics of the decay:
- Meaning that $X \rightarrow \rho^0 + J/\psi$, then $\rho^0 \rightarrow \pi^- + \pi^+$
- $C_{X\psi\rho}$ longitudinal dominates the transverse one, and can be determined as soon as the absolute mass spectra are known.

Y(4260)

- Breit-Wigner Method:
 - $J/\psi\pi^\pm$ invariant mass distribution can be (**well**) explained!
 - First step: approximate estimate for f_0 and σ_0
- $\pi\pi$ rescattering (via Omnes method):
 - Number of fitting couplings is reduced (only 3)
 - Implemented mechanism $I \rightarrow \pi\pi$ rescattering in the S-channel

X(3872)

- Simple Breit-Wigner method explain the dynamics of the decay:
- Meaning that $X \rightarrow \rho^0 + J/\psi$, then $\rho^0 \rightarrow \pi^- + \pi^+$
- $C_{X\psi\rho}$ longitudinal dominates the transverse one, and can be determined as soon as the absolute mass spectra are known.

Y(4260)

- Breit-Wigner Method:
 - $J/\psi\pi^\pm$ invariant mass distribution can be (**well**) explained!
 - First step: approximate estimate for f_0 and σ_0
- $\pi\pi$ rescattering (via Omnes method):
 - Number of fitting couplings is reduced (only 3)
 - Implemented mechanism $I \rightarrow \pi\pi$ rescattering in the S-channel

X(3872)

- Simple Breit-Wigner method explain the dynamics of the decay:
- Meaning that $X \rightarrow \rho^0 + J/\psi$, then $\rho^0 \rightarrow \pi^- + \pi^+$
- $C_{X\psi\rho}$ longitudinal dominates the transverse one, and can be determined as soon as the absolute mass spectra are known.

Y(4260)

- Breit-Wigner Method:
 - $J/\psi\pi^\pm$ invariant mass distribution can be (**well**) explained!
 - First step: approximate estimate for f_0 and σ_0
- $\pi\pi$ rescattering (via Omnes method):
 - Number of fitting couplings is reduced (only 3)
 - Implemented mechanism $I \rightarrow \pi\pi$ rescattering in the S-channel

Thank you for listening!



Contact:

 **Daniel Molnar**

 **molnar@kph.uni-mainz.de**