# SMASH - A new hadron transport approach for heavy ion collisions

#### 54th International Winter Meeting on Nuclear Physics, Bormio January 26, 2016

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# Outline

- Overview of the SMASH project
- Comparison to HADES and FOPI results
  - Gold-gold at  $E_{\mathsf{lab}} \in [0.4, 1.5]A\,\mathsf{GeV}$
  - Carbon-carbon at  $E_{\mathsf{lab}} \in \{1,2\}A\,\mathsf{GeV}$
  - Rapidity and transverse mass spectra
- Predictions for HADES pion beam
  - $\pi^- p$  at  $E_{\text{lab}} = 1.7 \text{ GeV}$
  - Reaction rates and particle production
  - Transverse mass spectra

# Transport Approach: Big Picture

- Microscopic simulation of hadronic reactions
- Solve relativistic Boltzmann equation:

$$p^{\mu}\partial_{\mu}f_{i}(x,p) = C_{\text{coll}}^{i}$$
(1)

- Each particle represented by a number of point-like test particles
- Use Gaussian wave packets when calculating thermodynamic quantities

# The SMASH Team

Currently:

- Hannah Petersen (group leader)
- Janus Weil, Long-Gang Pang (postdocs)
- Dima Oliinychenko, Jean-Bernard Rose, Vinzent Steinberg (PhD students)
- Anna Schäfer, Jan Staudenmeyer, Markus Mayer (master students)

Previously:

 Max Attems, Jussi Auvinen, Björn Bäuchle, Matthias Kretz, Marcel Lauf

## Motivation

- Understanding hadronic phase in heavy-ion collisions
- Modeling non-equilibrium phenomena and microscopic physics
- Open, maintainable, extensible code

# Movie: Energy Density and Velocity in CuCu collision



$$T_L^{00}$$
 [GeV/fm<sup>3</sup> ]  
0.2 0.4  
0 0.6

$$\sqrt{s} = 3A \, \text{GeV}$$
  $b = 3 \, \text{fm}$ 

#### Implemented Particles

Mesons:

- $\blacktriangleright \pi, \rho, \eta, \omega, \phi, \sigma, f_2$ ► K, K\*(892), K\*(1410)

Baryons:

- ▶ *N*, *N*<sup>\*</sup>, up to 2.25 GeV
- $\Delta$ ,  $\Delta^*$ , up to 1.95 GeV
- Λ, Λ\*, up to 1.89 GeV
- Σ, Σ\*, up to 1.915 GeV
- ▶ Ξ. Ω

## **Cross Sections**



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#### Detailed Balance: $\pi\rho\sigma$ Box



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## **FOPI** Measurements

- Gold-gold collisions at various energies
- Centrality selections using energy-ratio cuts

$$ERAT = \frac{E_T}{E_L} = \frac{\sum_i p_{Ti}^2 / (m_i + E_i)}{\sum_i p_{Li} / (m_i + E_i)}$$
(2)

Normalized rapidity:

$$y_0 = \frac{y - y_{cm}}{y_{cm}} \tag{3}$$

 Simulated with SMASH (with and without Skyrme potential, Fermi motion, Pauli blocking)

## **FOPI Pion Production**



# FOPI Rapidity Spectra at $E_{lab} = 0.8A \,\text{GeV}$



# **HADES** Measurements

- Carbon-carbon collisions at  $E_{\mathsf{lab}} \in \{1,2\} A \,\mathsf{GeV}$
- Impact parameter distribution provided by HADES (reconstructed from another transport model)
- Simulated with SMASH (no potentials, no Fermi motion, no Pauli blocking)

## HADES Transverse Mass Spectra vs. SMASH (1A GeV)



## HADES Transverse Mass Spectra vs. SMASH (2A GeV)



## **HADES** Pion Beam

- Upcoming HADES data:  $\pi^- C$  (and  $\pi^- W$ ) collisions at  $E_{lab} = 1.7 \text{ GeV}$
- Corresponds to  $\sqrt{s} \approx 2.1 \text{ GeV}$ , requires heavy  $N^*$  resonances for  $\pi^- p$  cross section (little experimental data on branching ratios)
- Simulated with SMASH for  $b \in [0, 2]$  fm
- No potentials, no Fermi motion, no Pauli blocking
- Spectators (particles that only interact elastically) are ignored

# HADES Pion Beam: Predicted Reactions



# HADES Pion Beam: Pion Transverse Mass



# HADES Pion Beam: Nucleon Transverse Mass



# Conclusion

- Clean and future-proof implementation of hadronic transport
- Work in progress:
  - Strangeness
  - String fragmentation
- Future work:
  - Interface to hydro
  - Parallelization
  - Many-particle interactions, stochastic rates

# Transport Approach: Reactions

Inelastic low energy reactions:

- Resonance excitations and decays
- $\blacktriangleright$  Need cross sections and branching ratios  $\rightarrow$  Data available from PDG, but very little on heavy resonances
- Different options at high energies:
  - String fragmentation (color flux tubes)
  - Hagedorn states

# SMASH: Current Status

- Simulating Many Accelerated Strongly-interacting Hadrons
- Roughly three years old
- Ca. 20 000 source lines of code,

7 active contributors

 Almost feature parity with UrQMD (missing: string fragmentation)



# I/O and Tests

- Input
  - Configuration file for simulation parameters and options
  - Configuration files for particles and decays
    - Very concise
    - Easy to switch
- Output
  - OSCAR, VTK, ROOT, binary
  - Easy to make movies or analyze in ROOT
- Tests
  - Separate analysis repository for regular consistency tests and comparison to experiment
  - Unit tests to check code correctness

## **Collision Criterion**

 Geometric collision criterion (as used by UrQMD) using the transverse distance in c.o.m. frame:

$$d_{\text{trans}} < d_{\text{int}} = \sqrt{\frac{\sigma_{\text{tot}}}{\pi}}$$
(4)  
$$d_{\text{trans}}^{2} = (\vec{r}_{a} - \vec{r}_{b})^{2} - \frac{\left((\vec{r}_{a} - \vec{r}_{b})(\vec{p}_{a} - \vec{p}_{b})\right)^{2}}{(\vec{p}_{a} - \vec{p}_{b})^{2}}$$
(5)  
$$t_{\text{coll}} = -\frac{(\vec{x}_{a} - \vec{x}_{b})(\vec{v}_{a} - \vec{v}_{b})}{(\vec{v}_{a} - \vec{v}_{b})^{2}}$$
(6)

Not Lorentz-invariant

#### Frame Dependence of Particle Production



#### Decay Width

Manley-Saleski ansatz for off-shell decay branching ratio:

$$\Gamma_{R \to ab} = \Gamma_{R \to ab}^{0} \frac{\rho_{ab}(m)}{\rho_{ab}(m_{0})}$$
(7)  
$$\rho_{ab}(m) = \int dm_{a}^{2} dm_{b}^{2} \mathcal{A}_{a}(m_{a}^{2}) \mathcal{A}_{b}(m_{b}^{2}) \frac{p_{f}}{m} B_{L}^{2}(p_{f}R) \mathcal{F}_{ab}(m)$$
(8)

• Example: L=1 decay with stable daughters (e.g.  $\Delta \rightarrow \pi N$ )

$$\Gamma(m) = \Gamma_0 \frac{m_0}{m} \left(\frac{p_f}{p_{f0}}\right)^3 \frac{p_{f0}^2 + \Lambda^2}{p_f^2 + \Lambda^2}$$
(9)

#### **Cross Sections**

▶  $2 \rightarrow 1$  resonance production (Breit-Wigner)

$$\sigma_{ab\to R}(s) = \frac{2J_R + 1}{(2J_a + 1)(2J_b + 1)} S_{ab} \frac{4\pi}{p_{cm}^2} \frac{s\Gamma_{ab\to R}(s)\Gamma_R(s)}{(s - M_0)^2 + s\Gamma_R(s)^2}$$
(10)  

$$2 \to 2$$

$$\sigma_{ab\to Rc}(s) = C_l^2 \frac{|M|^2_{ab\to Rc}}{64\pi^2 s} \frac{4\pi}{p^i_{\rm cm}} \int dm^2 \mathcal{A}(m^2) p^f_{\rm cm} \qquad (11)$$

where

$$\mathcal{A}(m) = \frac{1}{\pi} \frac{m\Gamma(m)}{(m^2 - M_0^2)^2 + m^2\Gamma(m)^2}$$
(12)

#### **Skyrme Potentials**

$$U = a\frac{\rho}{\rho_0} + b\left(\frac{\rho}{\rho_0}\right)^{\tau} + 2S_{\text{pot}}\frac{\rho_p - \rho_n}{\rho_0}\frac{I_3}{I}$$
(13)  
$$H_i = \sqrt{\vec{p}_i^2 + m_i^2} + U(\vec{r}_i)$$
(14)

where

a = -209.2 MeV b = 156.4 MeV  $\tau = 1.53$   $S_{pot} = 18 \text{ MeV}$ 

# FOPI Rapidity Spectra at $E_{lab} = 0.8A \text{ GeV}$



# HADES Transverse Mass Spectra vs. UrQMD (1A GeV)



Agakishiev et al, Eur.Phys.J. A40 (2009) 45-59

# HADES Transverse Mass Spectra vs. UrQMD (2A GeV)



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# HADES Pion Beam: Predicted Particle Production



## HADES Pion Beam: Nucleon Transverse Mass (p Target)

