

IN CLOSING

Felix Yu
JGU Mainz

EFTs for Collider Physics, Flavor Phenomena and EWSB
November 13, 2014

IN CLOSING OUR STORY THUS FAR

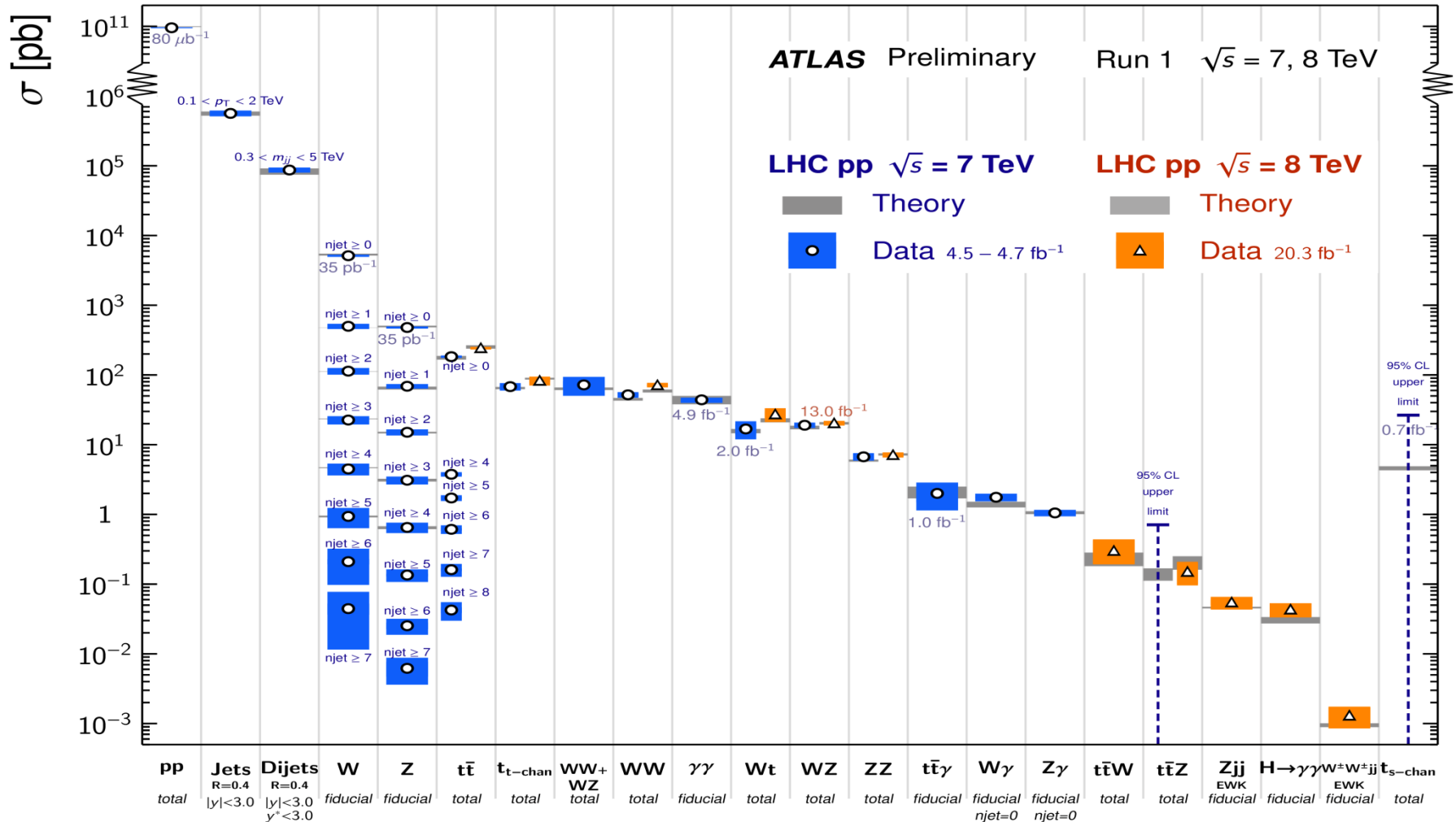
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The SM works

Standard Model Production Cross Section Measurements

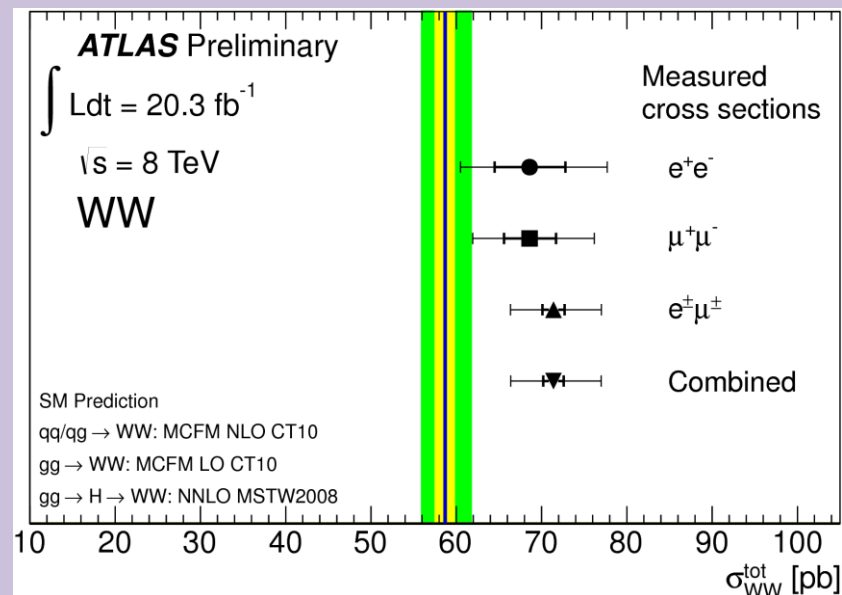
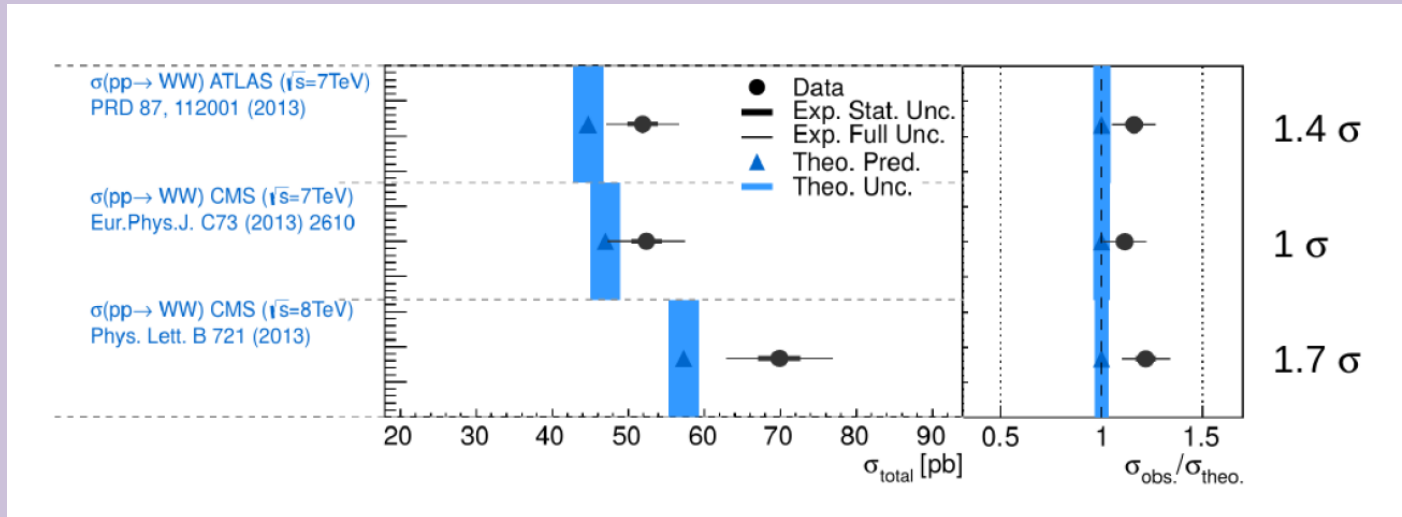
Status: July 2014



ATLAS <https://twiki.cern.ch/twiki/bin/view/AtlasPublic/StandardModelPublicResults>

Also CMS <https://twiki.cern.ch/twiki/bin/view/CMSPublic/PhysicsResultsCombined>

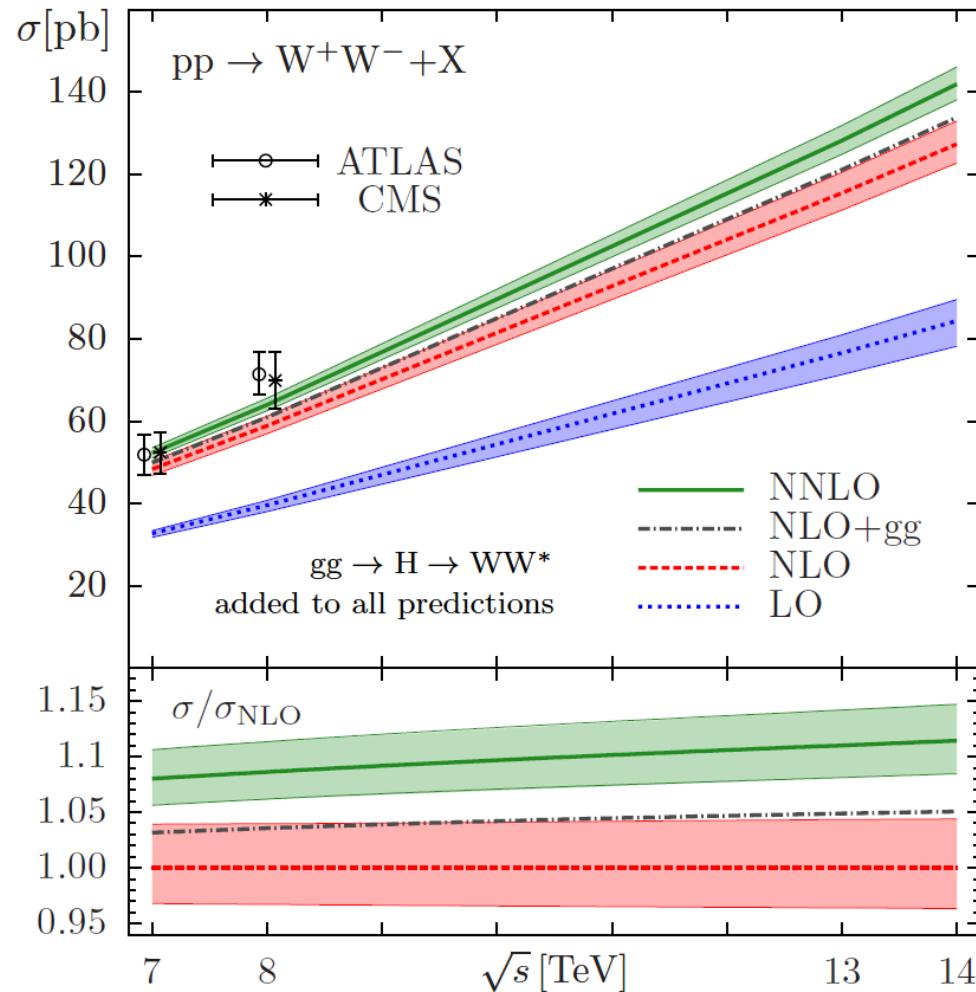
The SM works (?)



von Manteuffel

The SM works (!)

RESULT: W^+W^- PRODUCTION AT NNLO



von Manteuffel

Gehrmann, Grazzini, Kallweit, Maierhöfer, AvM, Pozzorini, Rathlev, Tancredi '14

Aside 1

Anonymized comment overheard during this workshop
“Disgusting level of agreement”

Collective mood since the Higgs discovery
Disgusting (yet impressive) level of agreement

Collective mood since the Higgs discovery
Disgusting (yet impressive) level of agreement

Can the SM be right?

Aside 2

2nd Anonymized comment overheard during this workshop

“But we know it’s wrong”

The SM lives on, but only as an EFT

- Quadratic sensitivity of Higgs mass to new scales
- Fermion masses and mixings
- Dark matter
- Neutrinos
- Baryogenesis
- Inflation
- ...

Disgusting (yet impressive) level of agreement
between SM and data,
but a spectacular failure in many regards

Attacking the SM

- Flavor
- Electroweak precision
- Collider

Attacking the SM

- Flavor
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Ultimately, precision calculations, discrepant data, and robust interpretations will spell the downfall of the SM, no matter which sector breaks through first

The Flavor Attack

Three Basic Requirements

1 Precise CKM parameters from tree level decays (negligible NP contributions)

Main Targets : $|V_{ub}|, |V_{cb}|, \gamma$

2 Precise Lattice QCD Calculations

Main Targets : $F_{B_s}, F_{B_d}, \hat{B}_{B_d}, \hat{B}_{B_s}, B_8^{(2/3)}, B_6^{(1/2)}$
+ formfactors ($B \rightarrow K^*, K$)

Significant progress in the last years (dynamical fermions) but higher precision needed in order to see small NP effects.

3 NLO + NNLO QCD Corrections and NLO Electroweak Corrections to Wilson Coefficients

1988 - 2014

Task completed !!

26 Years !

AJB: 1102.5650 (Update, Sept. 2014)

Most recent

NLO Electroweak to $B_{s,d} \rightarrow \mu^+ \mu^-$
NNLO QCD to $B_{s,d} \rightarrow \mu^+ \mu^-$

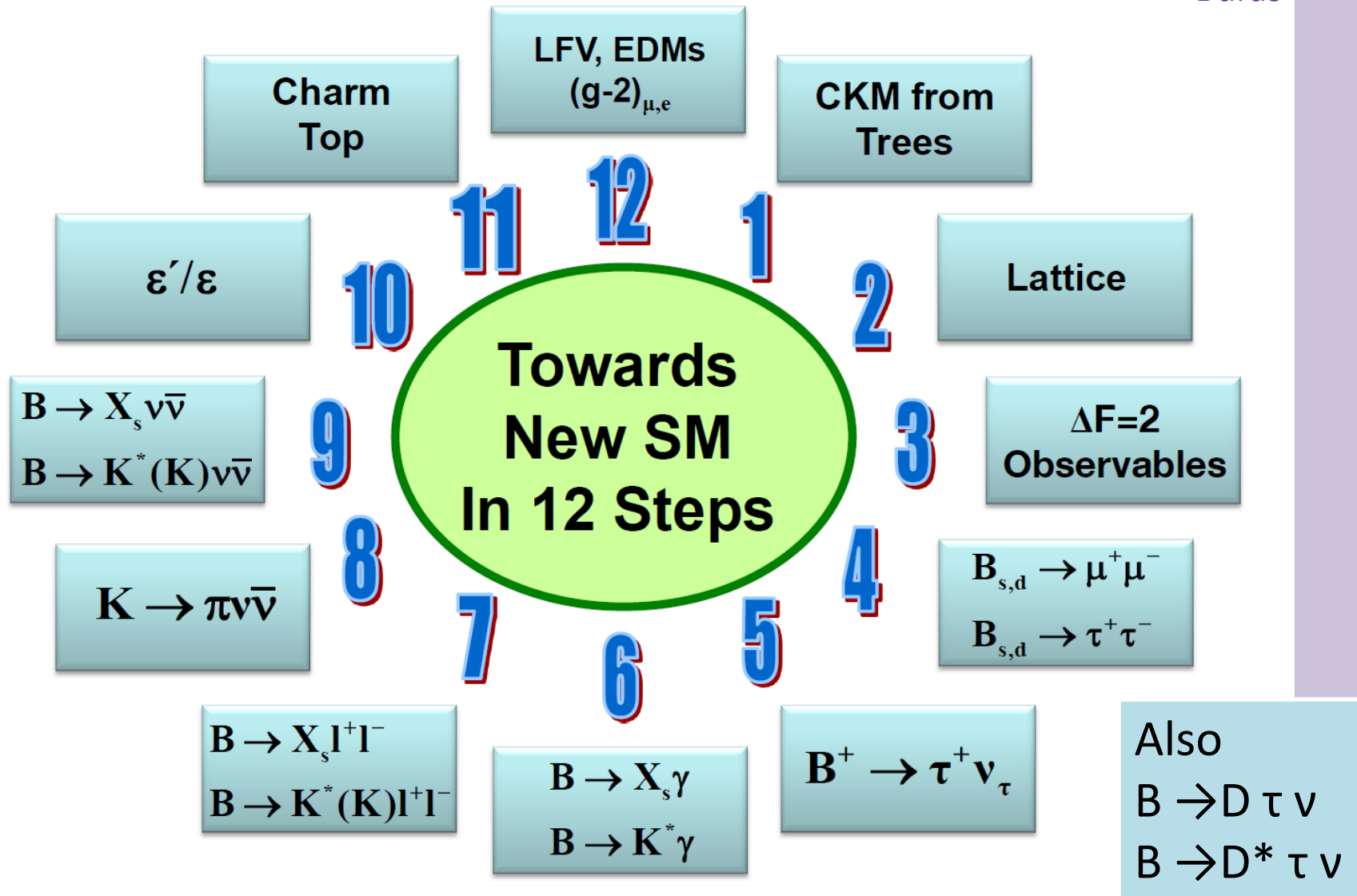
Bobeth, Gorbahn, Stamou

Herrmann, Misiak, Steinhauser

Buras

The Flavor Attack – a 12 step program

Buras



SM starting to crack?

Tensions in $b \rightarrow s$ transitions, November 2014

Straub

Decay	obs.	q^2 bin	SM pred.	measurement		pull
$\bar{B}^0 \rightarrow \bar{K}^{*0} \mu^+ \mu^-$	$10^7 \frac{dBR}{dq^2}$	[16, 19.25]	0.47 ± 0.05	0.31 ± 0.07	CDF	+1.9
$\bar{B}^0 \rightarrow \bar{K}^{*0} \mu^+ \mu^-$	A_{FB}	[2, 4.3]	-0.04 ± 0.03	-0.20 ± 0.08	LHCb	+1.9
$\bar{B}^0 \rightarrow \bar{K}^{*0} \mu^+ \mu^-$	F_L	[2, 4.3]	0.79 ± 0.03	0.26 ± 0.19	ATLAS	+2.7
$\bar{B}^0 \rightarrow \bar{K}^{*0} \mu^+ \mu^-$	S_5	[2, 4.3]	-0.16 ± 0.03	0.12 ± 0.14	LHCb	-2.0
$\bar{B}^- \rightarrow \bar{K}^{*-} \mu^+ \mu^-$	$10^7 \frac{dBR}{dq^2}$	[4, 6]	0.50 ± 0.08	0.26 ± 0.10	LHCb	+1.9
$\bar{B}^- \rightarrow \bar{K}^{*-} \mu^+ \mu^-$	$10^7 \frac{dBR}{dq^2}$	[15, 19]	0.59 ± 0.06	0.40 ± 0.08	LHCb	+1.8
$\bar{B}^0 \rightarrow \bar{K}^0 \mu^+ \mu^-$	$10^8 \frac{dBR}{dq^2}$	[0.1, 2]	2.71 ± 0.53	1.26 ± 0.56	LHCb	+1.9
$\bar{B}^0 \rightarrow \bar{K}^0 \mu^+ \mu^-$	$10^8 \frac{dBR}{dq^2}$	[16, 23]	0.93 ± 0.10	0.37 ± 0.22	CDF	+2.3
$B_s \rightarrow \phi \mu^+ \mu^-$	$10^7 \frac{dBR}{dq^2}$	[1, 6]	0.39 ± 0.06	0.23 ± 0.05	LHCb	+2.0

\Rightarrow QCD or New Physics or ... ?

[Altmannshofer, DS]

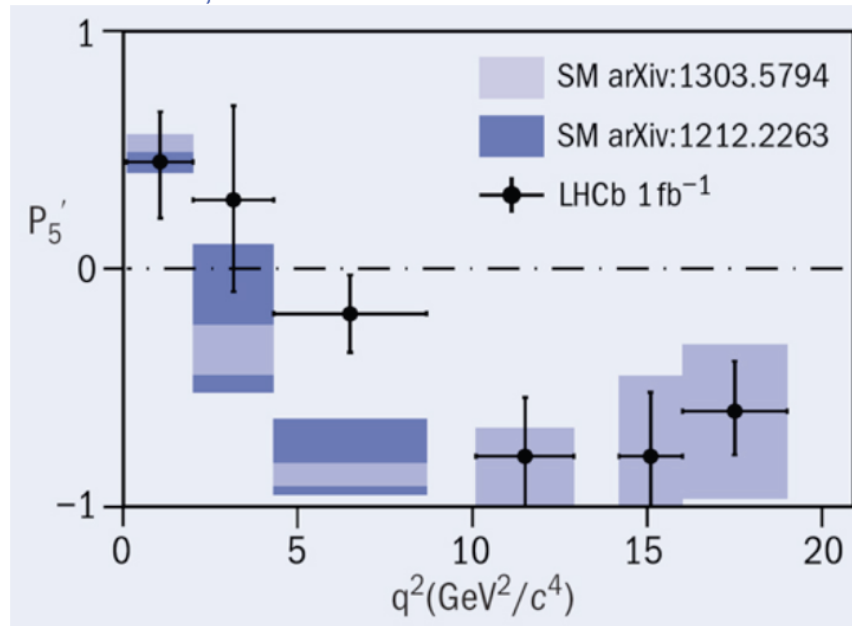
SM starting to crack?

S. Jäger

P_5' “anomaly”

$$\langle P_5' \rangle = \frac{\langle \beta(\text{Re}[(H_V^- - H_V^+)H_A^{0*} + (H_A^- - H_A^+)H_V^{0*}]) \rangle}{\sqrt{\langle \beta^2 |H_V^0|^2 + |H_A^0|^2 \rangle \langle \beta^2 (|H_V^+|^2 + |H_V^-|^2 + |H_A^+|^2 + |H_A^-|^2) \rangle}}$$

CERN Courier, December 2013



Descotes-Genon, Matias, Virto [DMV]

SJ, J Martin Camalich (4.3..8.68 bin is actually a private update, not stated in paper)

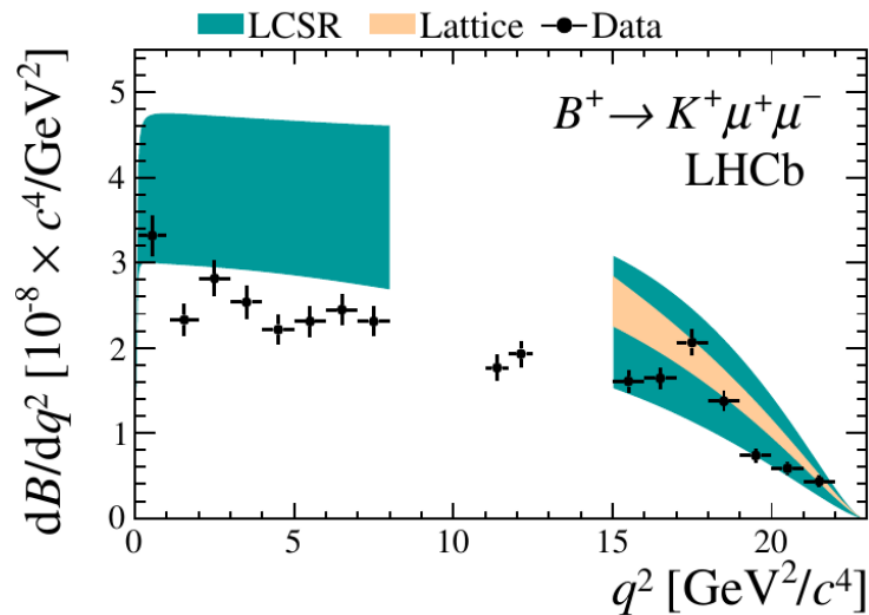
- * Significance of the effect depends strongly on treatment of theory uncertainties!
- * The most significant effect occurs in a bin extending well above the perturbative charm threshold, outside the range of validity of the theory framework

SM starting to crack?

Reduced Branching Ratios

Altmannshofer

LHCb Collaboration 1305.2168, 1403.8044



$B \rightarrow K^* \mu^+ \mu^-$, $B \rightarrow K \mu^+ \mu^-$ and $B_s \rightarrow \phi \mu^+ \mu^-$ branching ratio measurements seem systematically below SM predictions

SM starting to crack?

Introduction
Determination of V_{ub} from exclusive decays
News on the inclusive determination of V_{cb}
Overall Conclusions

Mannel

□ Determination of $|V_{ub}|$

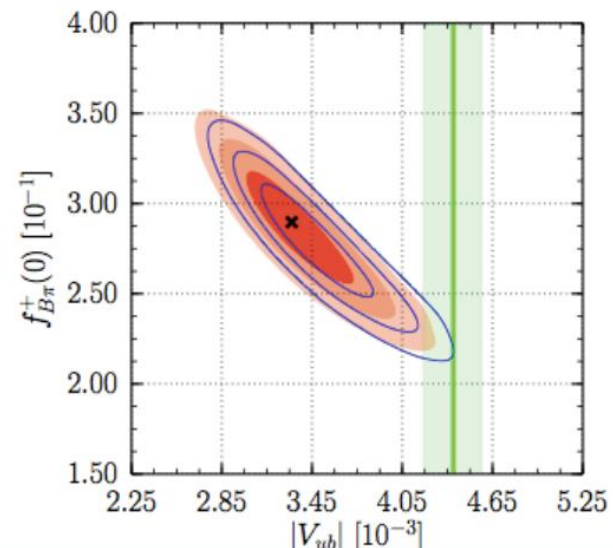
fit of LCSR with the combined BaBar/Belle data at $0 < q^2 < 12 \text{ GeV}^2$

$$(2010): |V_{ub}| = \left(3.43^{+0.27}_{-0.23} \right) \cdot 10^{-3}$$

$$(2013): |V_{ub}| = \left(3.32^{+0.26}_{-0.22} \right) \cdot 10^{-3}$$

blue lines: 68%, 95%, 99% prob. contours for 2010 data
red area: 68%, 95%, 99% prob. contours for 2013 data

green line/area - inclusive determination:
central value / 68% CL interval for GGOU/HFAG



SM starting to crack?

$|V_{cb}|$ summary

Ricciardi

<i>Exclusive decay</i>	$ V_{cb} \times 10^3$
<i>$B \rightarrow D^* l \bar{\nu}$</i>	
FNAL/MILC (Lattice unquenched 2014)	$39.04 \pm 0.49_{\text{exp}} \pm 0.53_{\text{QCD}} \pm 0.19_{\text{QED}}$
HFAG (Lattice unquenched 2012)	$39.54 \pm 0.50_{\text{exp}} \pm 0.74_{\text{th}}$
Rome (Lattice quenched $\omega \neq 1$ 2008)	$37.4 \pm 0.5_{\text{exp}} \pm 0.8_{\text{th}}$
HFAG (Sum Rules 2012)	$41.6 \pm 0.6_{\text{exp}} \pm 1.9_{\text{th}}$
<i>$\bar{B} \rightarrow D l \bar{\nu}$</i>	
FNAL/MILC (Lattice unquenched $\omega \neq 1$ 2013)	$38.50 \pm 1.9_{\text{exp+lat}} \pm 0.2_{\text{QED}}$
PDG (HQE + BPS 2012)	$40.6 \pm 1.5_{\text{exp}} \pm 0.8_{\text{th}}$
Rome (Lattice quenched $\omega \neq 1$ 2009)	$41.6 \pm 1.8 \pm 1.4 \pm 0.7_{FF}$
<i>Inclusive decays</i>	
HFAG ($B_s \rightarrow X_s \gamma$ constraint)	$41.94 \pm 0.43_{\text{fit}} \pm 0.59_{\text{th}}$
HFAG (m_c constraint)	$41.88 \pm 0.44_{\text{fit}} \pm 0.59_{\text{th}}$
Gambino, Schwanda 2014	42.42 ± 0.86

3 σ disagreement

Future:

- CLEO \rightarrow \approx 50-70 more stat B factories \rightarrow \approx 50 more stat Belle II
- LHCb: about 5 million $B \rightarrow D^* \mu \nu$ decay no prospects for $|V_{cb}|$ measurement

SM starting to crack?

Hurth

Signs for lepton non-universality ?

$$R_K \equiv \frac{\mathcal{B}(B^+ \rightarrow K^+ \mu^+ \mu^-)}{\mathcal{B}(B^+ \rightarrow K^+ e^+ e^-)} = 0.745_{-0.074}^{+0.090} (\text{stat}) \pm 0.036 (\text{syst}) \quad \text{LHCb; arXiv:1406.6482}$$

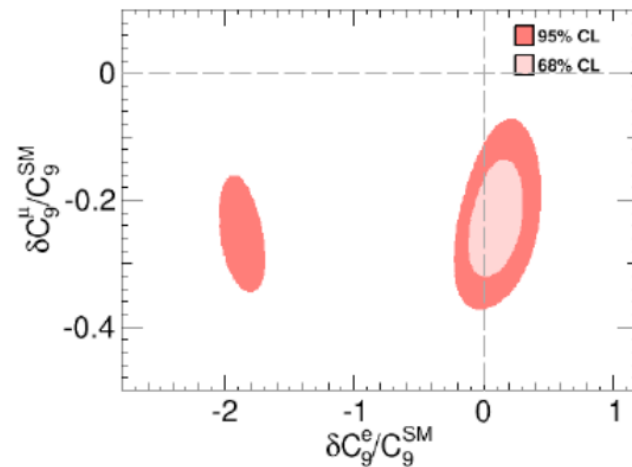
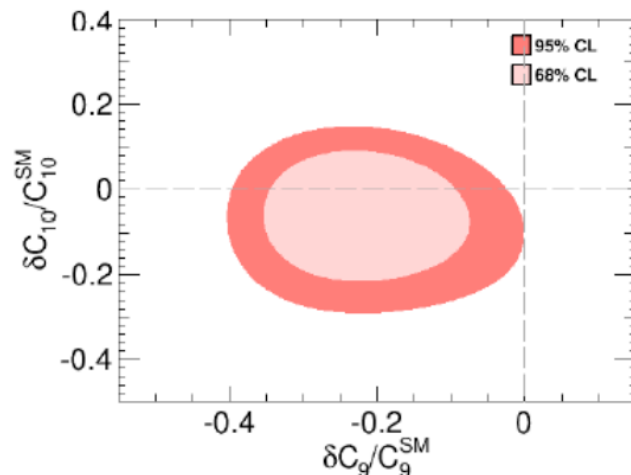
2.6 σ deviation from SM

Hiller,Schmaltz; Ghosh et al.; Biswas et al.;
Straub et al.;Hurth et al.;Glashow et al.

Global fits to the $b \rightarrow sll$ data

Hurth,Mahmoudi,Neshatpour,arXiv:1410.4545

Fit results for two operators



From hints to discovery

- Many checks and tests remain
 - Power corrections
 - Long-distance QCD
 - Charm threshold
- More data
 - Belle II: 50-75 ab^{-1} luminosity anticipated by 2021
 - About 100× luminosity of Belle or BaBar

Still more data-mining

S. Jäger

“Clean” angular observables

Useful to consider functions of the angular coefficients for which form factors drop out in the heavy quark limit if perturbative QCD corrections neglected.

E.g. neglecting strong phase differences [tiny; take into account in numerics]

Becirevic, Schneider 2011
 Matias, Mescia, Ramon, Virto 2012
 Descotes-Genon et al 2012
 (also Krueger, Matias 2005; Egede et al 2008)

$$\begin{aligned}
 P_1 &\equiv \frac{I_3 + \bar{I}_3}{2(I_{2s} + \bar{I}_{2s})} = \frac{-2 \operatorname{Re}(H_V^+ H_V^{-*} + H_A^+ H_A^{-*})}{|H_V^+|^2 + |H_V^-|^2 + |H_A^+|^2 + |H_A^-|^2} \\
 P_3^{CP} &\equiv -\frac{I_9 - \bar{I}_9}{4(I_{2s} + \bar{I}_{2s})} = -\frac{\operatorname{Im}(H_V^+ H_V^{-*} + H_A^+ H_A^{-*})}{|H_V^+|^2 + |H_V^-|^2 + |H_A^+|^2 + |H_A^-|^2} \\
 P_5' &= \frac{\operatorname{Re}[(H_V^- - H_V^+) H_A^{0*} + (H_A^- - H_A^+) H_V^{0*}]}{\sqrt{(|H_V^0|^2 + |H_A^0|^2)(|H_V^+|^2 + |H_V^-|^2 + |H_A^+|^2 + |H_A^-|^2)}} \\
 &= 0, \quad \left. \begin{array}{l} \text{(Melikhov 1998)} \\ \text{Krueger, Matias 2002} \\ \text{Lunghi, Matias 2006} \\ \text{Becirevic, Schneider 2011} \end{array} \right\} \\
 &= 0, \\
 &= \frac{C_{10} (C_{9,\perp} + C_{9,\parallel})}{\sqrt{(C_{9,\parallel}^2 + C_{10}^2)(C_{9,\perp}^2 + C_{10}^2)}}
 \end{aligned}$$

where $C_{9,\perp} = C_9^{\text{eff}}(q^2) + \frac{2 m_b m_B}{q^2} C_7^{\text{eff}}$
 $C_{9,\parallel} = C_9^{\text{eff}}(q^2) + \frac{2 m_b E}{q^2} C_7^{\text{eff}}$

C_7 and C_9 opposite sign
 destructive interference enhances vulnerability to anything that violates the large-energy form factor relations
 much more relevant to P_5' (and others)
 than to P_1 or P_3^{CP}

in SM, neglecting power corrections and pert. QCD corrections

Still more precision calculations

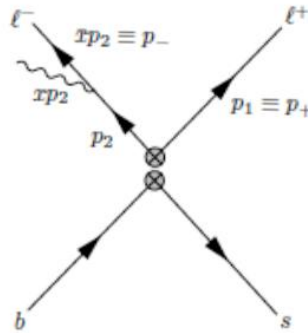
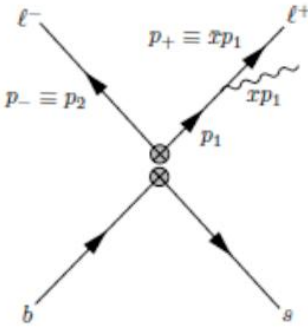
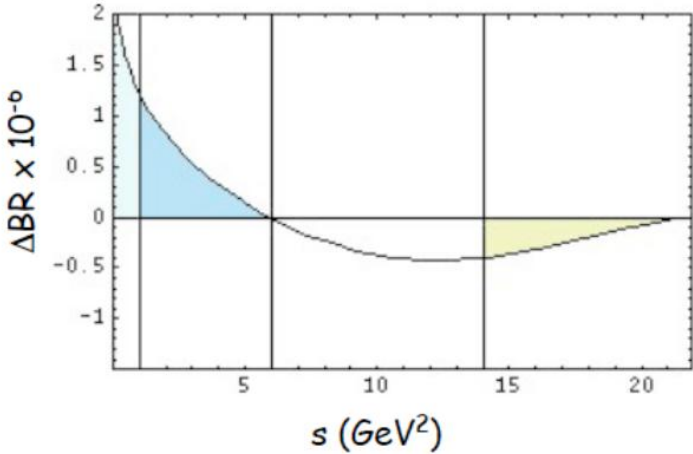
Latest improvements of inclusive $\bar{B} \rightarrow X_s \ell^+ \ell^-$

Hurth

Beyond existing NNLL QCD precision electromagnetic corrections were calculated: Huber,Hurth,Lunghi,Nucl.Phys.B802(2008)40 and work in progress

Corrections to matrix elements lead to large collinear $\text{Log}(m_b/m_\ell)$

$$\delta\text{BR}(B \rightarrow X_s \mu^+ \mu^-) = \begin{cases} (+2.0\%) & \text{low } q^2 \\ (-6.8\%) & \text{high } q^2 \end{cases} \quad \delta\text{BR}(B \rightarrow X_s e^+ e^-) = \begin{cases} (+5.2\%) & \text{low } q^2 \\ (-17.6\%) & \text{high } q^2 \end{cases}$$



Still more precision calculations

Asymptotic behaviour (Λ_b)

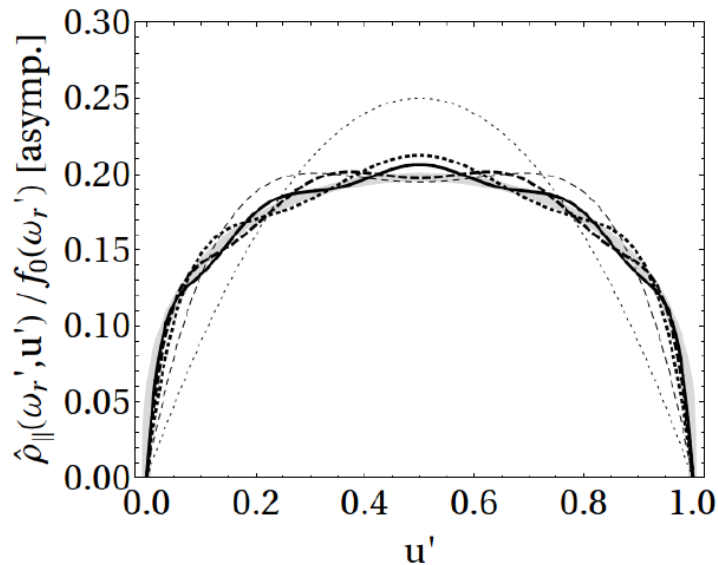
[Bell/TF/Wang/Yip]

- Asymptotically, for $\mu \gg \mu_0$, the dependence on dual momentum fraction u' (approximately) approaches functional form

Feldmann

$$\hat{\rho}_2(\omega'_r, u') \stackrel{\mu \rightarrow \infty}{\propto} f_0(\omega'_r, \mu) (u' \bar{u}')^{\sim 1/3}$$

- Dependence on reduced momentum ω'_r factorizes in that limit.



different levels of Gegenbauer truncation:

- $n = 0$ (thin dotted)
- $n = 2$ (thin dashed)
- $n = 4$ (thick dotted)
- $n = 6$ (thick dashed)
- $n = 8$ (solid)

gray band $\propto (u'(1-u'))^{1/3}$.

[see also Braun/Derkachov/Manashov '14]

Thinking of new physics

- Will discriminate NP models by patterns of deviations in observables

Two Simplest General Frameworks

Buras

MFV (CMFV) $U(3)^3$

(symmetry between 3 generations)

Stringent Correlations between
 K, B_s, B_d

No new sources of flavour
and CP violation

$$S_{\psi K_s} = \sin 2\beta, \quad S_{\psi\phi} = S_{\psi\phi}^{\text{SM}} = \text{small}$$

No Right-handed currents

$U(2)^3$ Flavour Symmetry

(symmetry between two light
generations)

Stringent Correlations between
 B_s and B_d

Correlations $K \leftrightarrow B_{s,d}$ absent

New sources of CP violation
in B_s, B_d but

$$S_{\psi K_s} \leftrightarrow S_{\psi\phi} \\ \text{anticorrelated}$$

Right-handed currents
strongly suppressed

Thinking of new physics

- Will discriminate NP models by patterns of deviations in observables

Observables in $B \rightarrow K^{(*)} \nu \bar{\nu}$

De Fazio

Integrated K^* polarization fractions

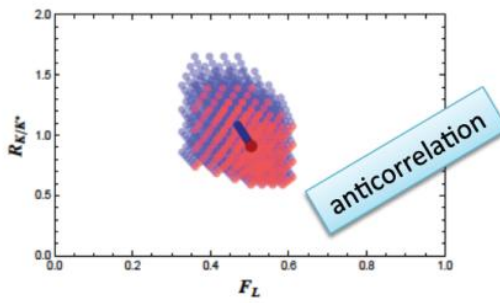
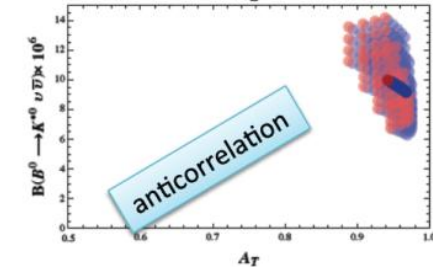
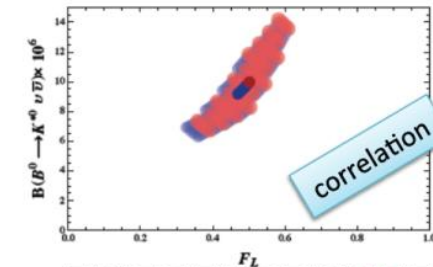
$$F_{L,T} = \frac{1}{\Gamma} \int_0^{1-\bar{m}_{K^*}^2} ds_B \frac{dF_{L,T}}{ds_B}$$

Ratio fo BRs of K mode and K^* mode with transversely polarized K^*

$$R_{K/K^*} = \frac{\mathcal{B}(B \rightarrow K \nu \bar{\nu})}{\mathcal{B}(B \rightarrow K_{h=-1}^* \nu \bar{\nu}) + \mathcal{B}(B \rightarrow K_{h=+1}^* \nu \bar{\nu})}$$

Transverse asymmetry

$$A_T = \frac{\mathcal{B}(B \rightarrow K_{h=-1}^* \nu \bar{\nu}) - \mathcal{B}(B \rightarrow K_{h=+1}^* \nu \bar{\nu})}{\mathcal{B}(B \rightarrow K_{h=-1}^* \nu \bar{\nu}) + \mathcal{B}(B \rightarrow K_{h=+1}^* \nu \bar{\nu})}$$

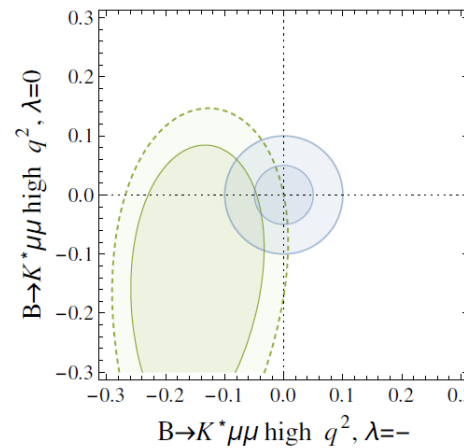
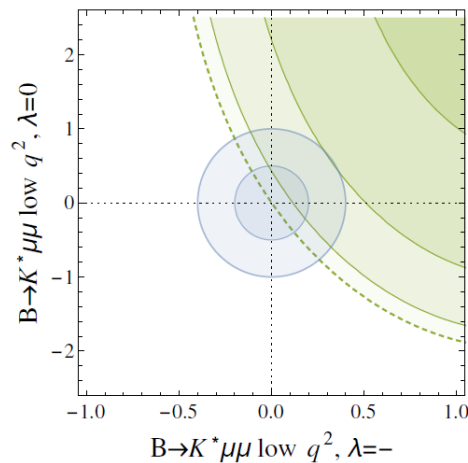


Pattern recognition

- Correlations alleviate uncomfortable flat directions between NP effects and theory errors

Underestimated hadronic effects in $B \rightarrow K^* \mu^+ \mu^-$?

Straub



$\Rightarrow \chi^2$ can be reduced by ~ 9 in the presence of simultaneous huge hadronic effects in the $-$ and 0 helicity amplitudes in $B^* \rightarrow K \mu^+ \mu^-$ at low q^2

Pattern recognition

- Correlations alleviate uncomfortable flat directions between NP effects and theory errors

Future tests of LFU

Spectacular deviations in $B \rightarrow K^* \mu^+ \mu^-$ vs $B \rightarrow K^* e^+ e^-$ angular observables and others can distinguish between different scenarios!

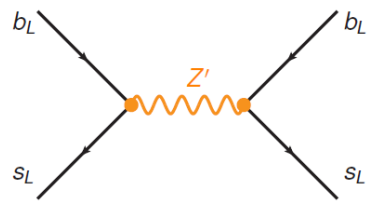
Straub

Observable	Ratio of muon vs. electron mode			
	$C_9^{\text{NP}} = -1.5$	-1.5	-0.7	-1.3
	$C_9' = 0$	0.8	0	0
	$C_{10}^{\text{NP}} = 0$	0	0.7	0.3
$10^7 \frac{d\text{BR}}{dq^2}(\bar{B}^0 \rightarrow \bar{K}^{*0} l^+ l^-)_{[1,6]}$	0.83	0.77	0.79	0.81
$10^7 \frac{d\text{BR}}{dq^2}(\bar{B}^0 \rightarrow \bar{K}^{*0} l^+ l^-)_{[15,22]}$	0.76	0.69	0.76	0.75
$A_{\text{FB}}(\bar{B}^0 \rightarrow \bar{K}^{*0} l^+ l^-)_{[4,6]}$	0.18	0.10	0.75	0.27
$S_5(\bar{B}^0 \rightarrow \bar{K}^{*0} l^+ l^-)_{[4,6]}$	0.66	0.66	0.93	0.71
$10^8 \frac{d\text{BR}}{dq^2}(B^+ \rightarrow K^+ l^+ l^-)_{[1,6]}$	0.75	0.82	0.77	0.74
$10^8 \frac{d\text{BR}}{dq^2}(B^+ \rightarrow K^+ l^+ l^-)_{[15,19]}$	0.75	0.83	0.77	0.75

Pattern recognition

- Concrete models allow full exploration of observables beyond typical QFV measurements

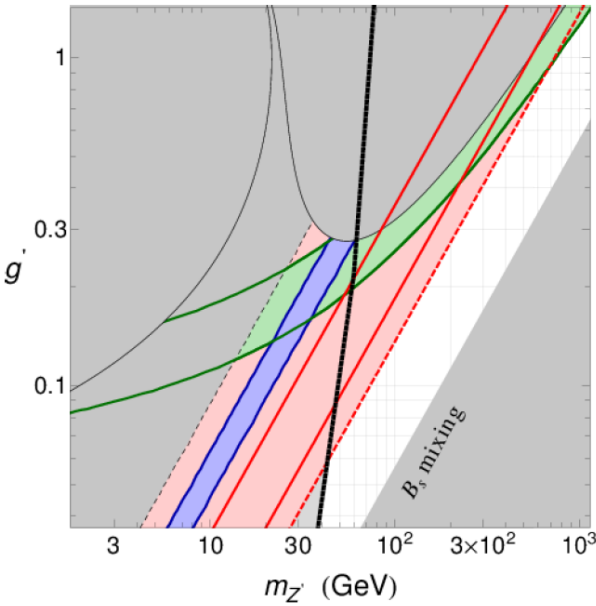
B_s Mixing



$$M_{12}^{NP} \propto (Y_{Qb} Y_{Qs}^*)^2 \frac{\langle \Phi \rangle^2}{m_Q^4}$$

B_s mixing leads to an upper bound on the $U(1)'$ breaking vev, if the Z' is to explain the $b \rightarrow s\mu^+\mu^-$ anomalies

$\langle \Phi \rangle \lesssim 1.8\text{TeV}$



might be possible to probe (parts of) the open parameter space with neutrino tridents at LBNE

(WA, Gori, Pospelov, Yavin 1406.2332)

WA, Gori, Pospelov, Yavin 1403.1269

Altmannshofer

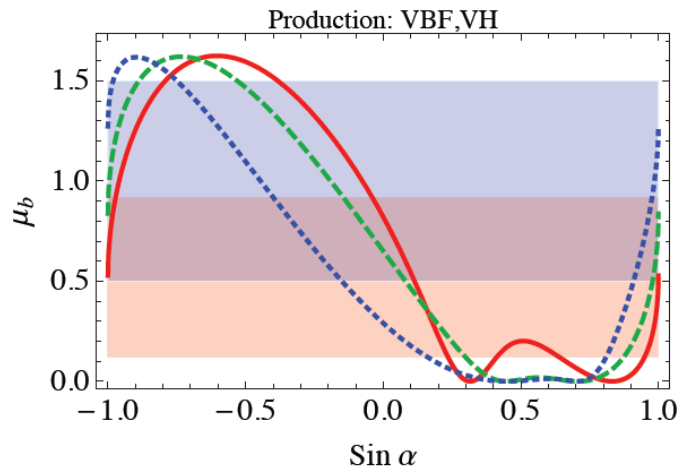
Pattern recognition

- Concrete models allow full exploration of observables beyond typical QFV measurements
- Flavor is intimately intertwined with collider physics and electroweak physics in the SM

Flavor model at the EW scale

Bauer

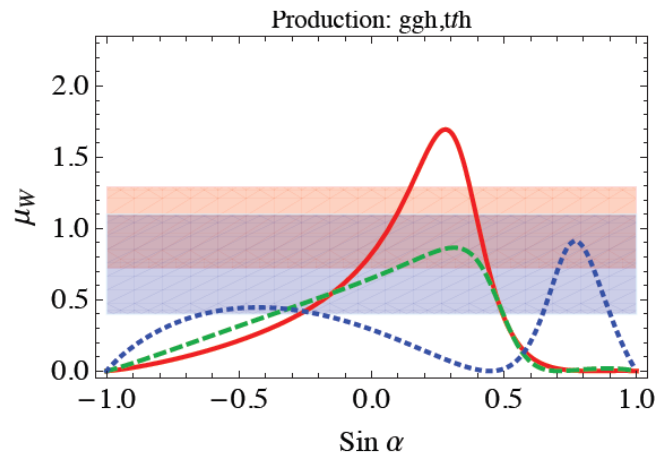
Higgs couplings:



$$\mu_X = \frac{\sigma_{\text{prod}}}{\sigma_{\text{prod}}^{\text{SM}}} \frac{\Gamma_{h \rightarrow X}}{\Gamma_{h \rightarrow X}^{\text{SM}}} \frac{\Gamma_{h, \text{tot}}^{\text{SM}}}{\Gamma_{h, \text{tot}}}$$

ATLAS

CMS



$\tan \beta = 2$

$\tan \beta = 1$

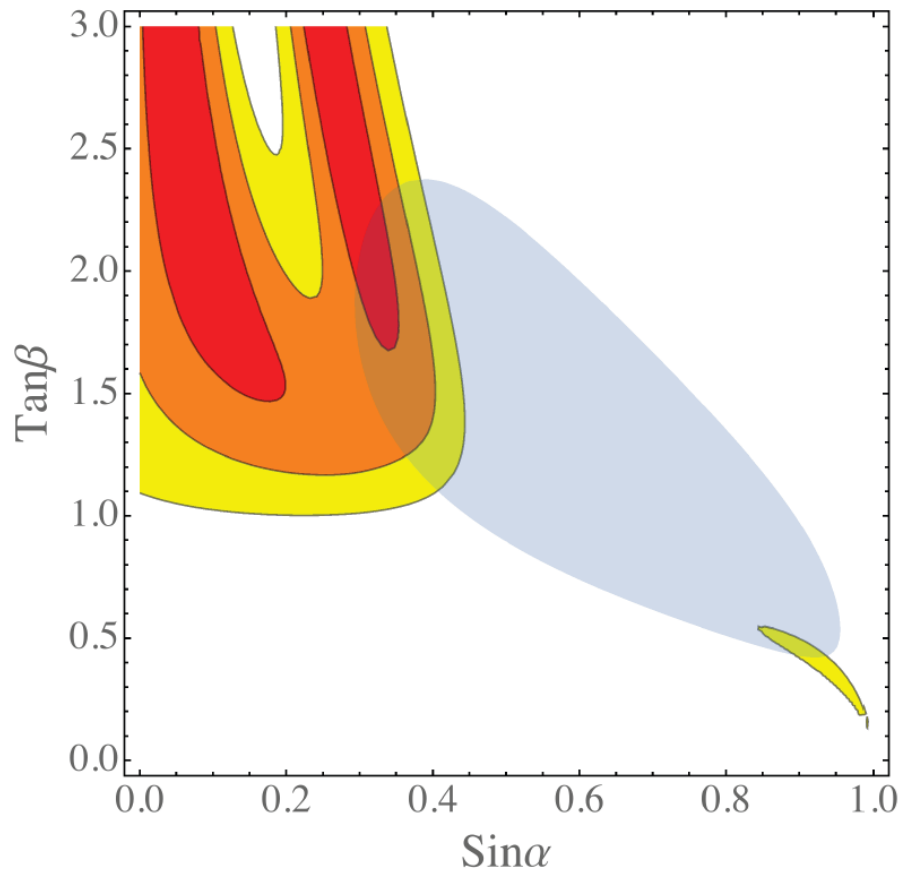
$\tan \beta = 0.5$

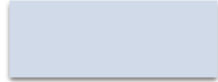
- Preliminary Plots -

Flavor model at the EW scale

Bauer

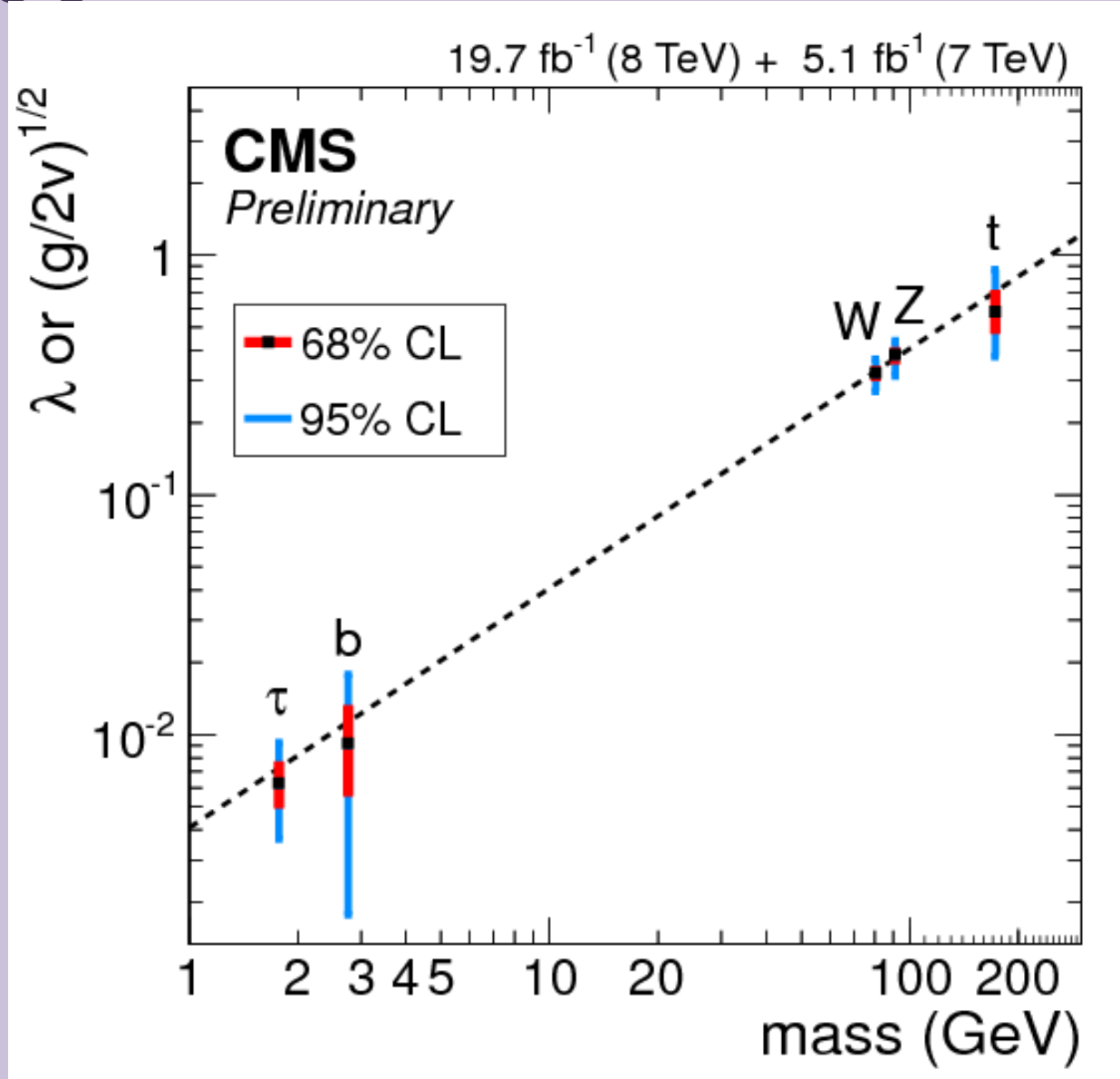
Slightly tuned Yukawa couplings and including heavy Higgses



 ϵ_K within 3σ
UTfit online

- Preliminary Plot -

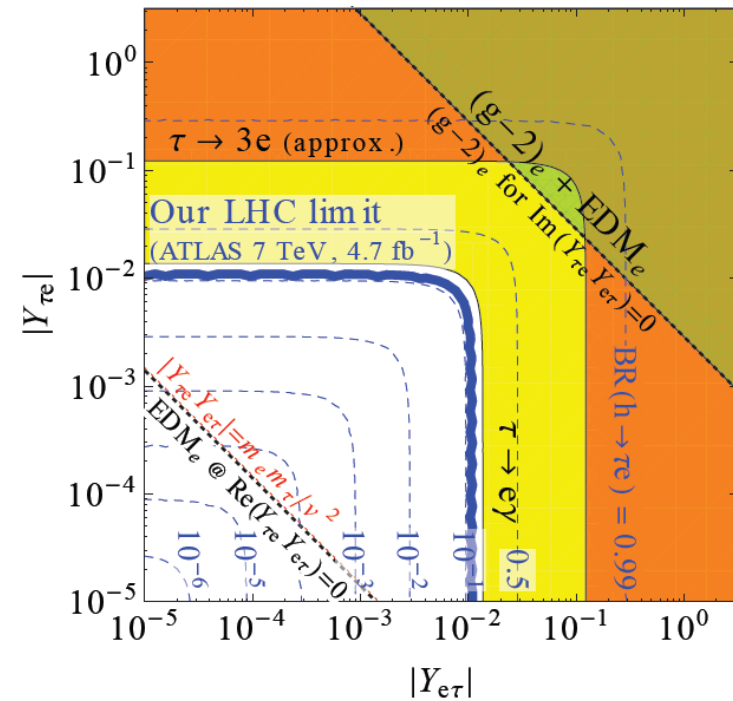
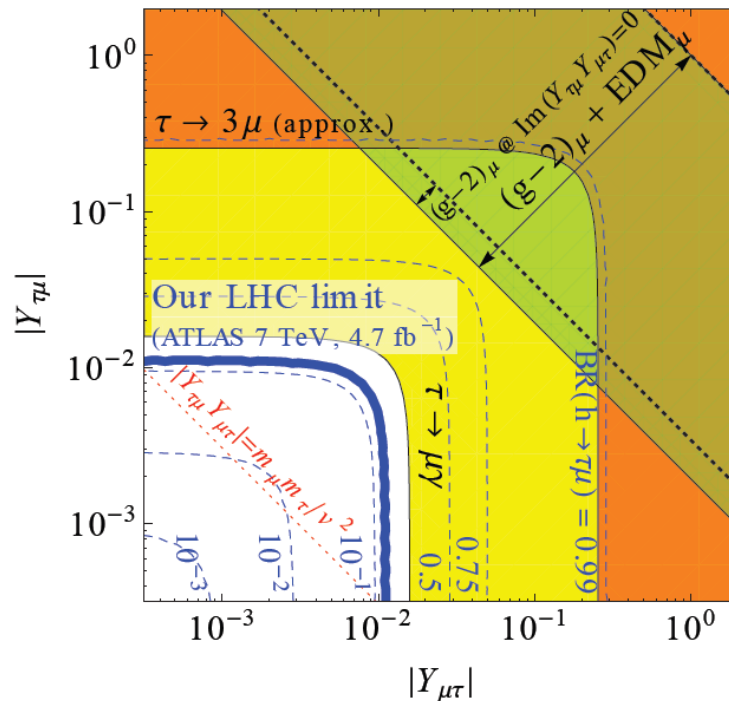
The Higgs as a Flavor Anchor



The Higgs as a flavor violation probe

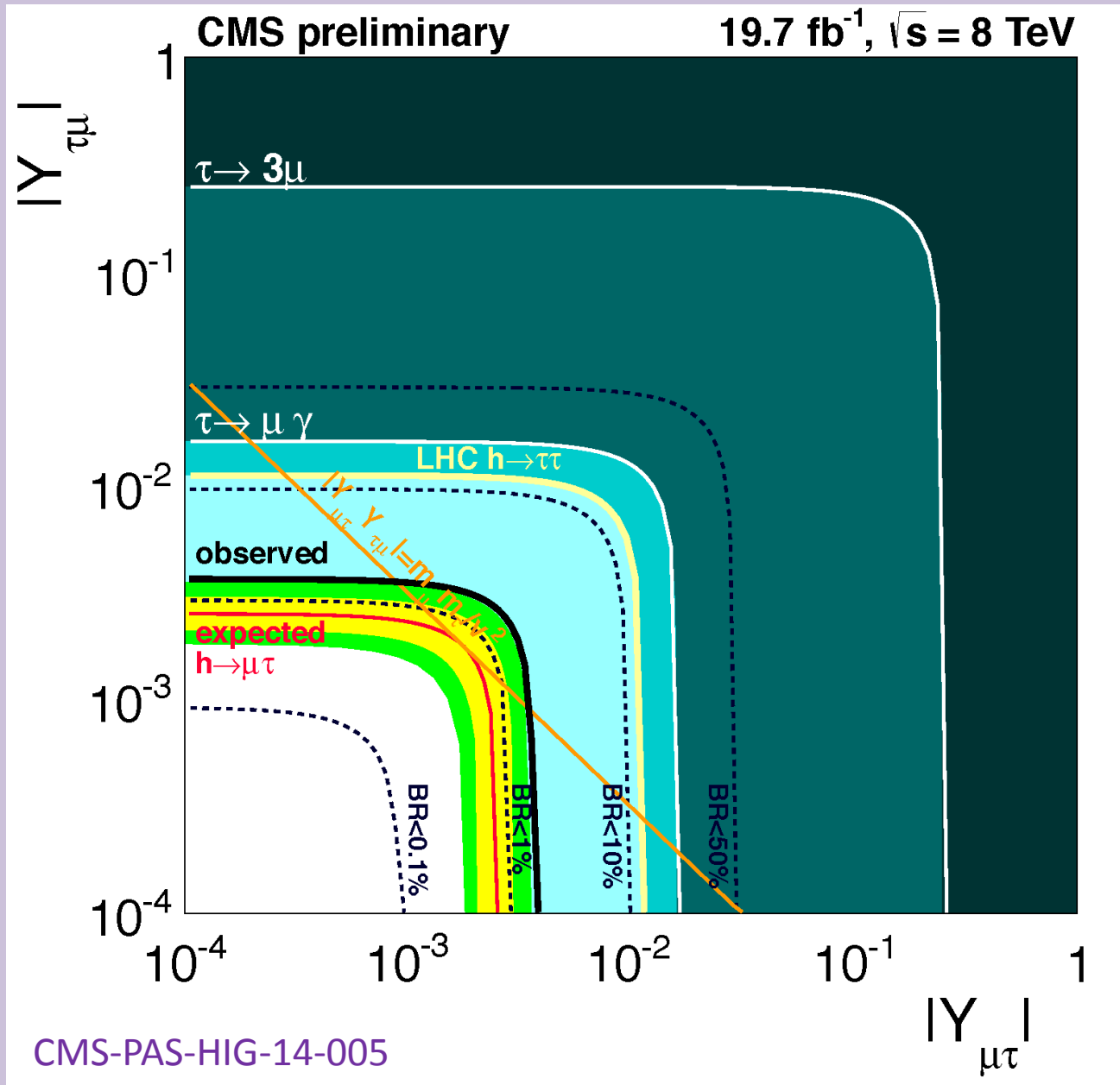
LHC constraints on $h \rightarrow \tau\mu$ and $h \rightarrow \tau e$

Kopp



Harnik JK Zupan, arXiv:1209.1397

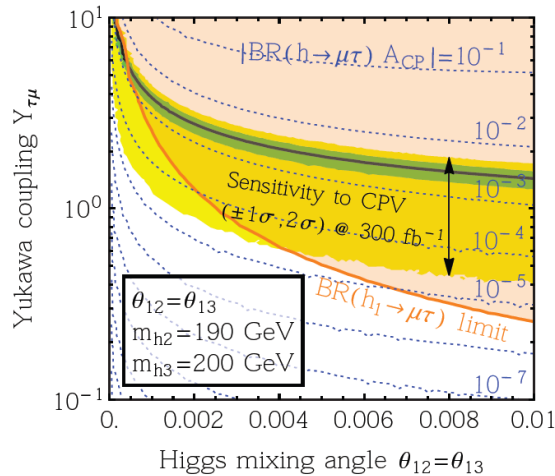
The Higgs as a flavor violation probe



The Higgs as a CPV probe

Sensitivity to CPV in FCNC Higgs decays @ HL-LHC

Kopp



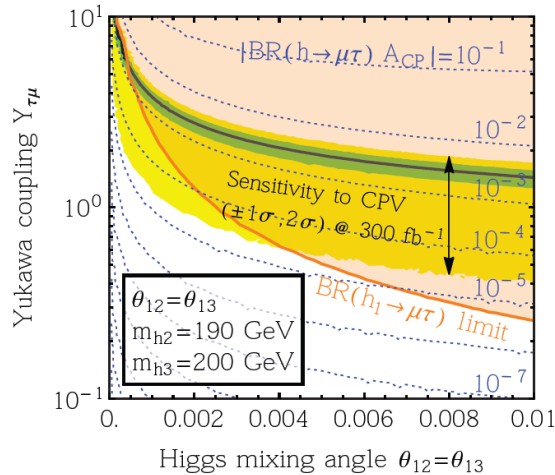
- Best discovery potential in **small Higgs mixing** regime
- CP violation visible only at **high-luminosity LHC**
- Would require a detection of $h \rightarrow \tau\mu$ or $h \rightarrow \tau e$ very soon.

JK Nardecchia, arXiv:1406.5303

The Higgs as a CPV probe

Sensitivity to CPV in FCNC Higgs decays @ HL-LHC

Kopp



- Best discovery potential in **small Higgs mixing** regime
- CP violation visible only at **high-luminosity LHC**
- Would require a detection of $h \rightarrow \tau\mu$ or $h \rightarrow \tau e$ very soon.

JK Nardecchia

CPV sensitivity in $h \rightarrow \tau^+\tau^-$

τ_h efficiency	50%	70%
3σ	$L = 550 \text{ fb}^{-1}$	$L = 300 \text{ fb}^{-1}$
5σ	$L = 1500 \text{ fb}^{-1}$	$L = 700 \text{ fb}^{-1}$
Accuracy ($L = 3 \text{ ab}^{-1}$)	11.5°	8.0°

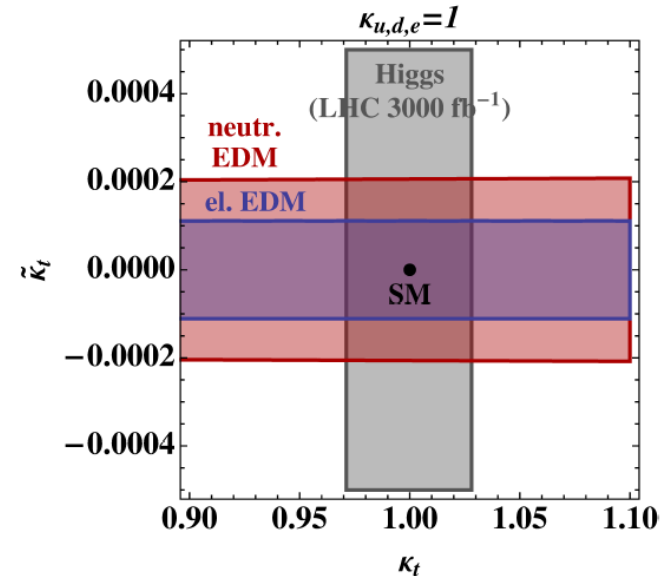
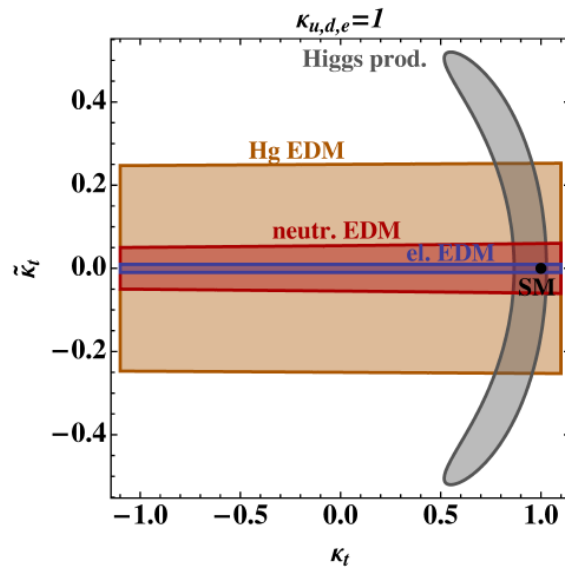
TABLE III: The luminosity required for distinguishing the scalar and pseudoscalar couplings and the accuracy in measuring Δ with 3 ab^{-1} of luminosity at the 14 TeV LHC.

Harnik, Martin, Okui, Primulando, FY
PRD 88 (2013) 7, 076009 [arXiv:1308.1094]

The Higgs as a CPV probe

Combined constraints on top coupling

Brod



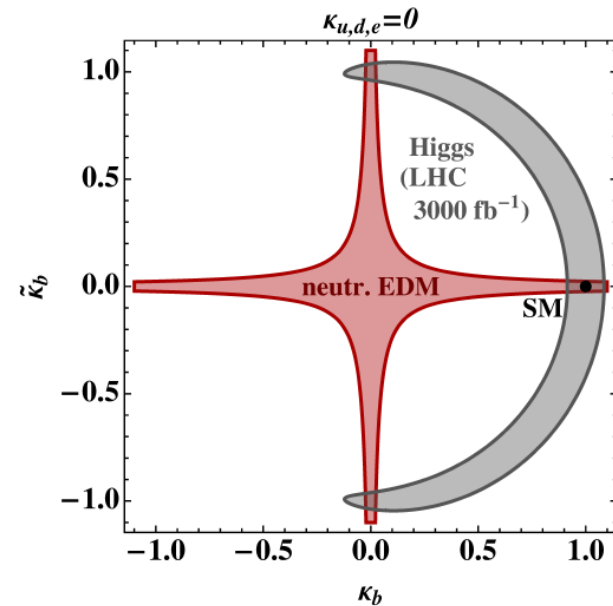
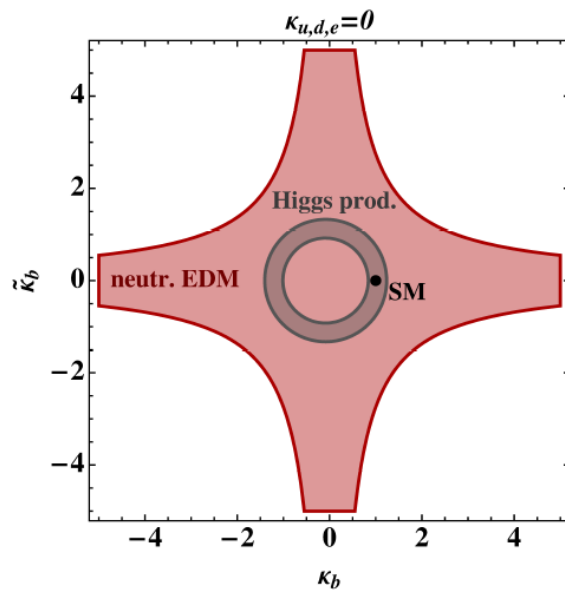
- Assume SM couplings to electron and light quarks
- Future projection for 3000fb⁻¹ @ high-luminosity LHC
[J. Olsen, talk at Snowmass Energy Frontier workshop]
- Factor 90 (300) improvement on electron (neutron) EDM
[Fundamental Physics at the Energy Frontier, arXiv:1205.2671]

The Higgs as a CPV probe

Combined constraints on bottom couplings

Brod

- Set couplings to electron and light quarks to zero
- Contribution of Weinberg operator will lead to competitive constraints in the future scenario



The Higgs as the SM Anchor

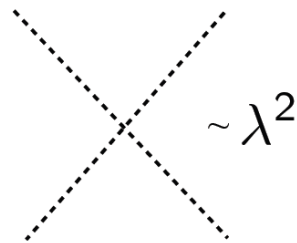
- Central role of the SM Higgs
 - Unitarize longitudinal gauge boson scattering

Effects of unitarity on couplings

El Hedri

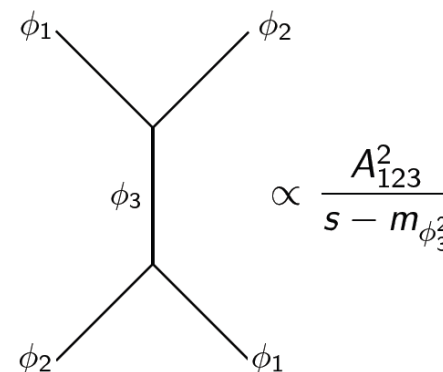
$$\text{Re}T_{ii} < \frac{1}{2}$$

Dimensionless Unitarity



Bounds on quartic couplings
Lee, Quigg, Thacker [Phys. Rev. D 16,
1519 (1977)]

Dimensionful Unitarity

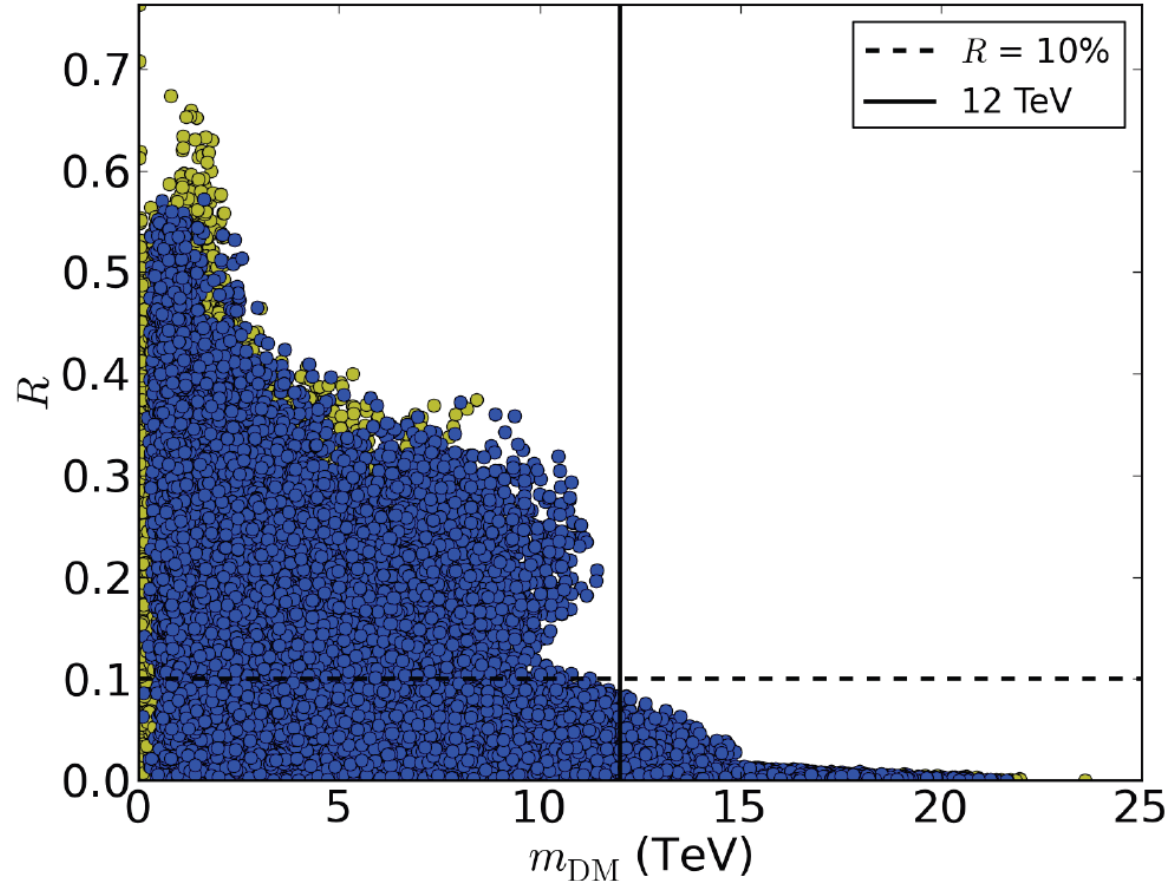


Bounds on mass ratios
Schuessler, Zeppenfeld [arXiv:0710.5175]

Unitarization and NMSSM dark matter

Results: Dark Matter

El Hedri



► Fine Tuning Factor $R = \min_i \frac{|2m_{\text{DM}} - m_{H_i}|}{m_{H_i}}$

The Higgs as the SM Anchor

- Central role of the Higgs
 - Unitarize longitudinal gauge boson scattering
 - Breaks chiral $SU(2)_L$ symmetry, gives masses to charged fermion masses
 - Not yet determined to be the SM Higgs
 - To move forward, either compute in concrete models, simplified models, or an EFT

The Higgs as the SM Anchor

- Crucially important for the EFT to be precise and complete for data interpretation

The fundamental Higgs EFT is...

- NONLINEAR. Even when the Higgs mechanism and doublet is present.
- Trott
- The right EFT has to reproduce the IR of the UV theory, and gravity introduces nonlinearities due to the singlet higgs field mixing with a scalar gravity component proportional to
$$\xi \frac{\bar{\chi}}{M_{pl}}$$
 - The question is not is the Higgs doublet or mechanism present. The question is “do we have interactions in the UV that force us to use a nonlinear formalism to reproduce the IR”.
 - Note that convergence on SM values of couplings implies the cut off scale is parametrically separated from the ew vev scale, not a linear EFT.

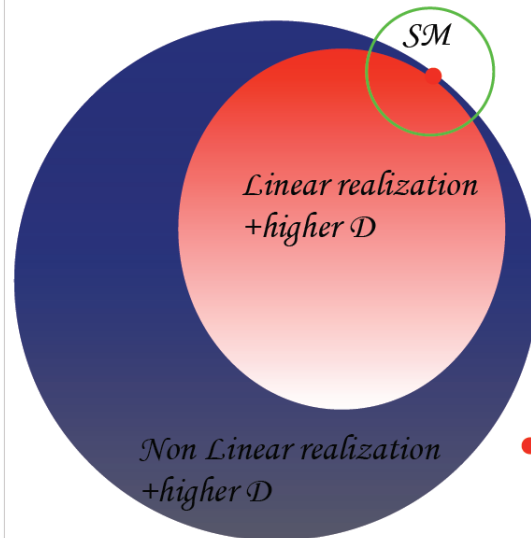
The Higgs as the SM Anchor

- Crucially important for the EFT to be precise and complete for data interpretation

Consistency in bounding the SMEFT

- We need to bound the SMEFT consistently and precisely and look at patterns of deviations (if any found) and relations between observables to even know the right EFT formalism.

Trott

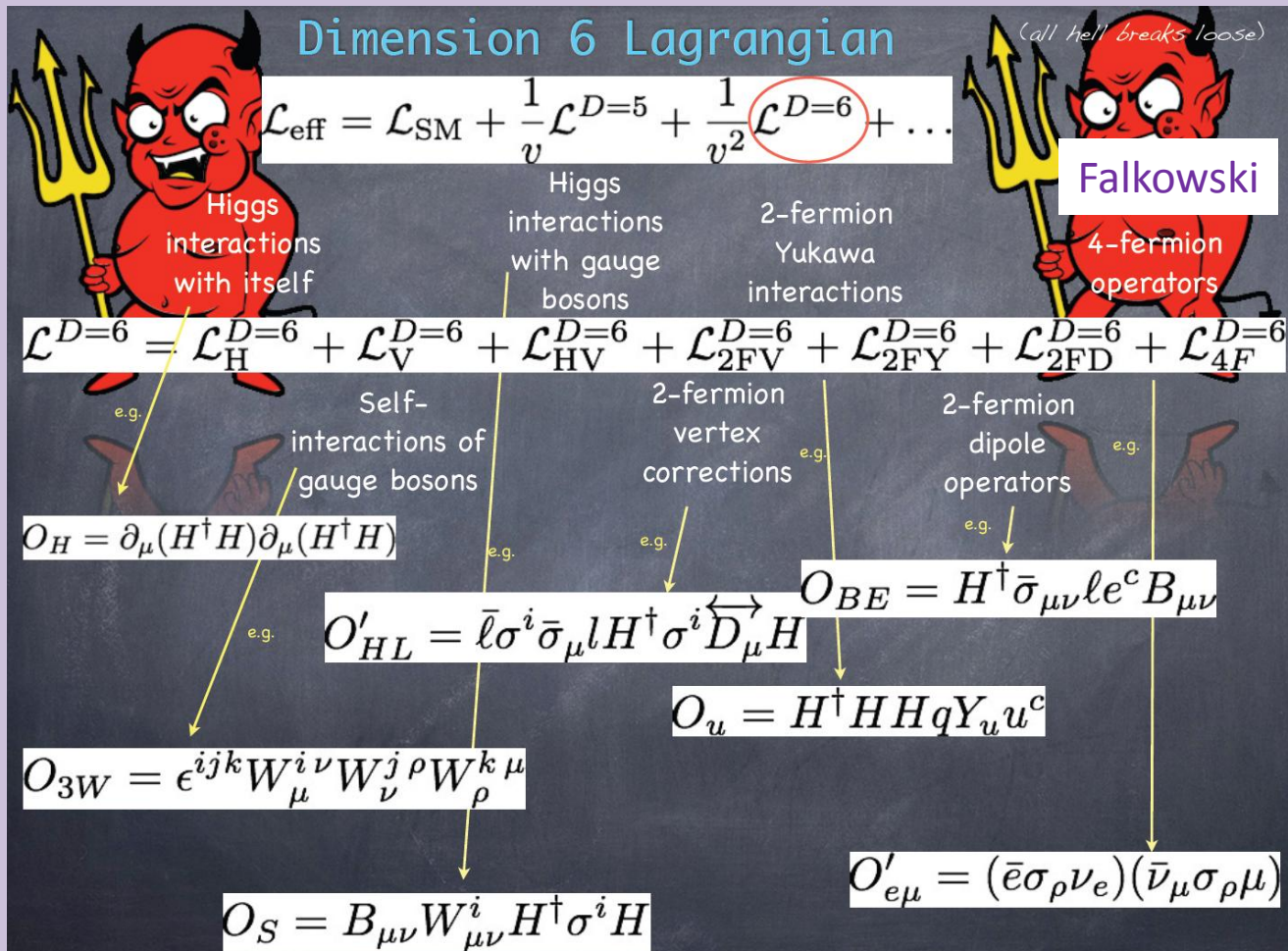


- Linear EFT $H \supset h$ and relations between measurements that follow from this hold
- Non-Linear EFT, singlet h . Broader range of relations between measurements.
- Non-Linear EFT not equivalent and more general arXiv:0704.1505 Grinstein Trott

- Non linear EFT developed Alonso, et al. [arXiv:1212.3305](https://arxiv.org/abs/1212.3305), [arXiv:1409.1589](https://arxiv.org/abs/1409.1589) Contino et al. [arXiv:1202.3415](https://arxiv.org/abs/1202.3415) Buchalla et al. [arXiv:1203.6510](https://arxiv.org/abs/1203.6510), [arXiv:1307.5017](https://arxiv.org/abs/1307.5017)

The Higgs as the SM Anchor

- SM-EFT to dimension 6 covers flavor, EW observables, Higgs physics



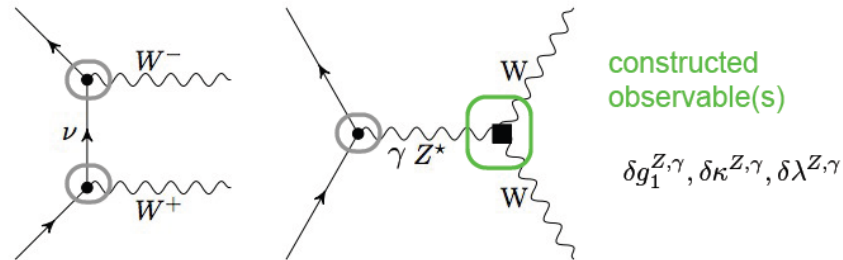
The Higgs as the SM Anchor

- Interplay with EW observables must be self-consistent!

“Functional redundancy”

- An observable in a collider environment is non trivial. Same lesson holds. Consider TGC bounds:

Trott



- Naively one can “extract” combinations of parameters such as

$$\mathcal{P}_{HW} + \mathcal{P}_W \quad \mathcal{P}_{HW} + \mathcal{P}_{HB}$$

from TGC measurements - but the defining condition sets these contributions to 0.

- Taking into account the defining conditions restores the basis independence.

The Higgs as the SM Anchor

- Interplay with EW observables must be self-consistent! But still promising attack of the SM-EFT

VV production constraints

- 11 parameters affecting WW and WZ production at linear level (previous 10 plus O_3W which affects only TGCs)
- However, 8 combinations of these 11 parameters are already constrained by pole measurements
- Precision of WW measurements is only $O(1)\%$ in LEP and $O(10\%)$ in LHC, compared with $O(0.1\%)$ precision of LEP measurement of leptonic vertex corrections and oblique corrections
- Thus, these 8 EFT directions constrained by pole measurements are hardly relevant for WW and WZ measurements, given existing constraints
- We can use a simplified treatment of WW and WZ production, with only 3 free parameters

The Higgs as the SM Anchor

- Interplay with EW observables must be self-consistent! But still promising attack of the SM-EFT

VV production

- 11 parameters affecting WW and O3W which affects only TGCs)
- However, 8 combinations of these measurements
- Precision of WW measurements is compared with $O(0.1\%)$ precision corrections and oblique corrections
- Thus, these 8 EFT directions consist relevant for WW and WZ measurements
- We can use a simplified treatment parameters

To take away

- There are strong constraints on certain combinations of dimension-6 operators from the pole observables measured at LEP-1 and other colliders
- WW production process is extremely important, because it lifts flat directions of the pole observables
- Current model independent LEP-2 constraints are weak, due to an accidental flat directions
- Better probes of dimension-6 operators in WW production should be designed for future e^+e^- colliders

Higgs Collider physics

- Central program of LHC Run 2
 - Experimental data thus far is disgustingly impressive
 - Must test Higgs via its decays, production modes, couplings, width, mass, branching fractions
- Ideal marketplace for crosstalk between theory and experiment

Precision calculations of Higgs xsecs

- SusHi
- Changelog
- Manual
- Examples
- Contact
- Download
- MoRe-SusHi



Download

Follow @sushi4physics

Version 1.4.1 (05.11)
Manual for Version 1.4.1
After providing the c...
fans of the MSSM:
to link SusHi to Feyr...
to link SusHi to Higg...
fans of the 2HDM:
to link SusHi to 2HD...

More features/add-o...

- **New code MoF**
transverse momentum distributions!

- full MSSM @ NLO
- SM @ NNLO
- 2HDM
- bbh
- various ren. schemes
- link to FeynHiggs
- link to LHAPDF
- link to 2HDMC
- ...

RH, Liebler, Mantler '12

Haralander

HB" or "HS"!

Precision calculations of Higgs xsecs

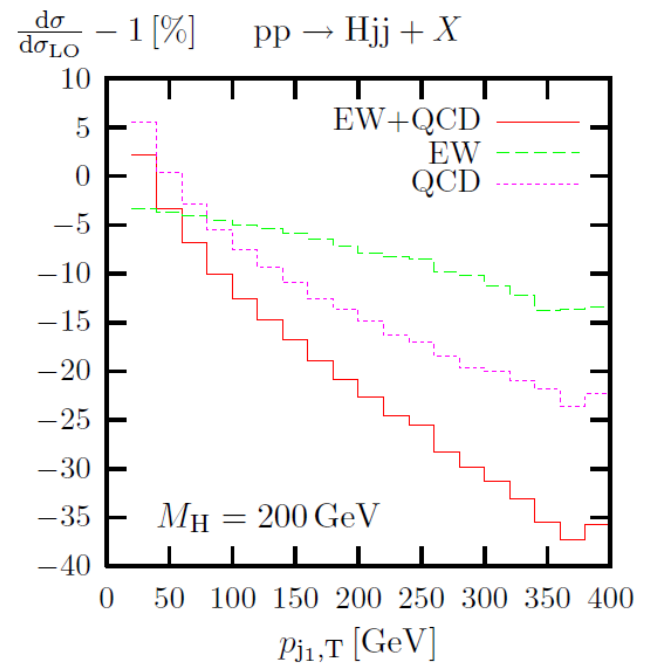
Higgs production in VBF @ NLO EW

B. Jäger

Ciccolini, Denner, Dittmaier (2007):

NLO EW corrections to inclusive cross sections and distributions

- ➡ **NLO EW corrections non-negligible**, modify K factors and distort distributions by up to 10%



publicly available
parton-level Monte Carlo:
HAWK
[Denner, Dittmaier, Mück]

Precision calculations of EW xsecs

$VVjj$ matched with parton showers & NLO-QCD

B. Jäger

so far only implementation of EW- and QCD-induced $VVjj$ production processes available in the POWHEG-BOX:

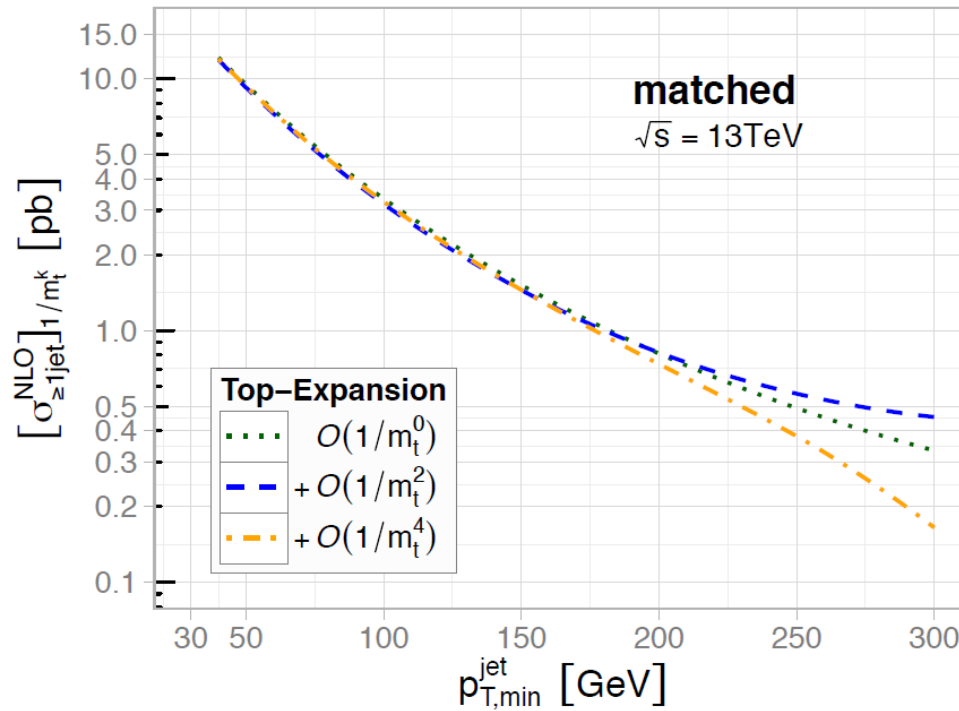
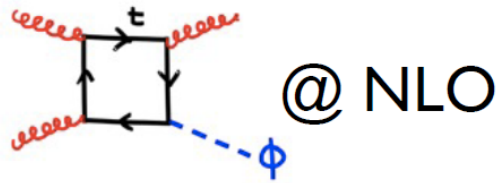
<http://powhegbox.mib.infn.it/>



- ❖ QCD W^+W^+jj production [Melia, Nason, Rontsch, Zanderighi (2011)]
- ❖ EW W^+W^+jj production [Zanderighi, B.J. (2011)]
- ❖ EW W^+W^-jj production [Zanderighi, B.J. (2013)]
- ❖ EW $ZZjj$ production [Karlberg, Zanderighi, B.J. (2013)]

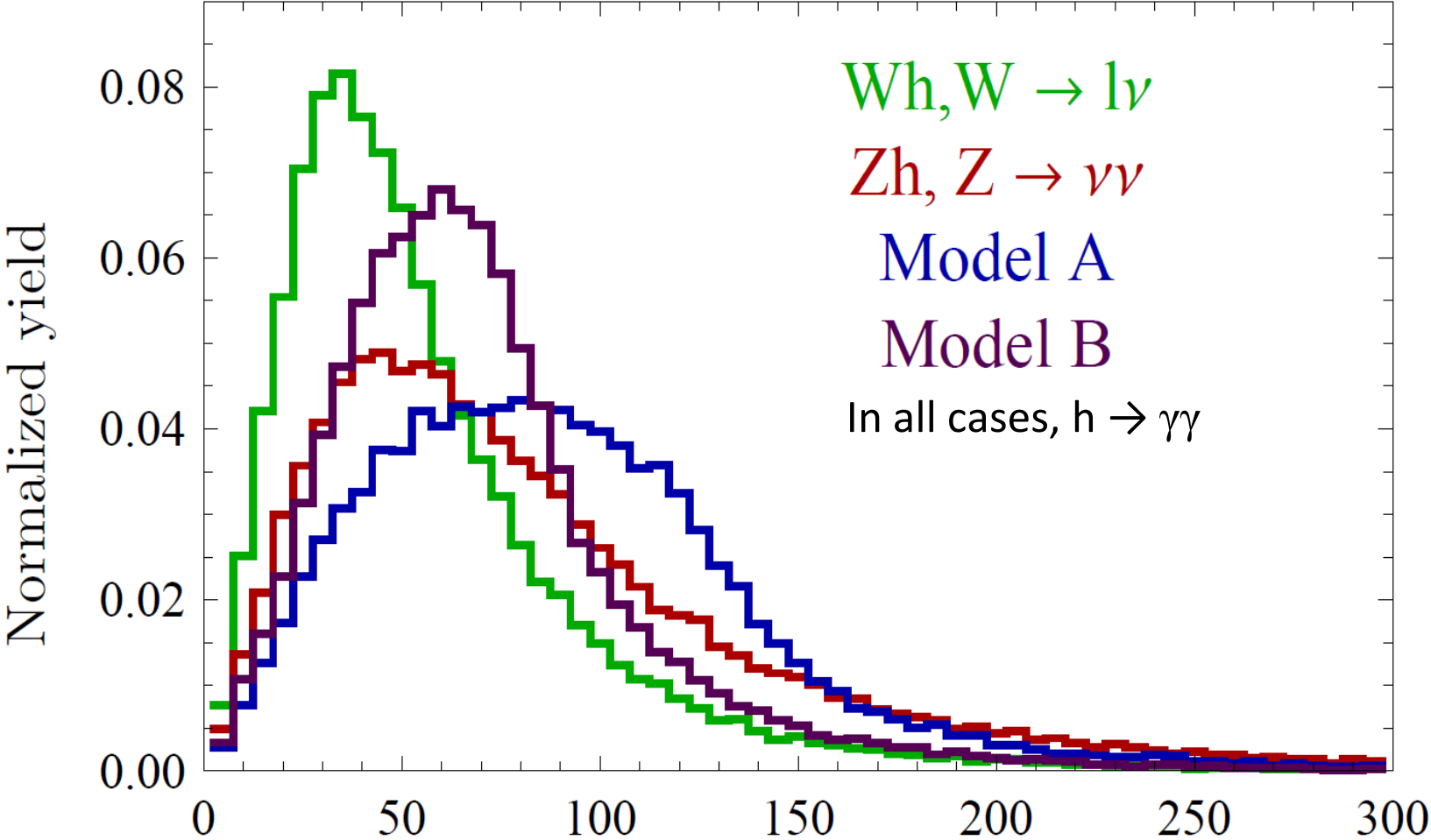
Need precise theory differential distributions

Haralander



Differential distributions powerful NP probe

Normalized MET distributions



FY, PRD 90, 015009 (2014)
[arXiv:1404.2924]

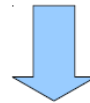
The stakes: the fate of the universe

Introduction

Goertz

Very important test:

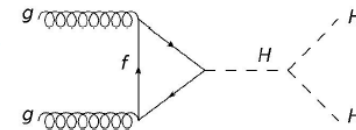
Higgs potential



self couplings

$$V(h) = \frac{1}{2}m_h^2 h^2 + \lambda_{hhh} v h^3 + \frac{1}{4}\lambda_{hhhh} h^4$$

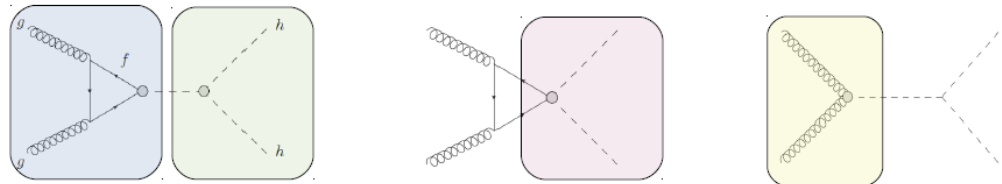
λ_{hhh} can be measured in
Higgs-pair production



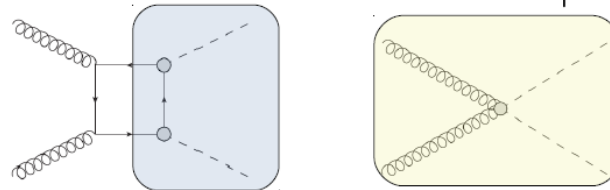
The stakes: the fate of the universe

Cross Section in $D=6$ EFT

Goertz



$$\frac{d\hat{\sigma}(gg \rightarrow hh)}{d\hat{t}} \Big|_{\text{EFT}} = \frac{G_F^2 \alpha_s^2}{256(2\pi)^3} \left\{ \left| C_\Delta F_\Delta (1 - 2c_H + c_t + c_6) + 3F_\Delta (3c_t - c_H) + 2c_g C_\Delta \right. \right. \\ \left. \left. + C_\square F_\square (1 - c_H + 2c_t) + 2c_g C_\square \right|^2 + \left| C_\square G_\square \right|^2 \right\}$$



$$C_\Delta = \frac{3m_h^2}{\hat{s} - m_h^2}, \quad C_\square = 1$$

$$F_\Delta = \frac{2}{3} + \mathcal{O}(\hat{s}/m_Q^2), \quad F_\square = -\frac{2}{3} + \mathcal{O}(\hat{s}/m_Q^2),$$

$$G_\square = \mathcal{O}(\hat{s}/m_Q^2)$$



Implemented in MC generator Herwig++

See Plehn, Spira, Zerwas [ph/9603205](#)

Normalize to NNLO: de Florian, Mazzitelli, [1309.6594](#)

The stakes: the fate of the universe

Final Results

Goertz

Expected 1σ constraints at the 14 TeV LHC, assuming $f_{th} = 30\%$

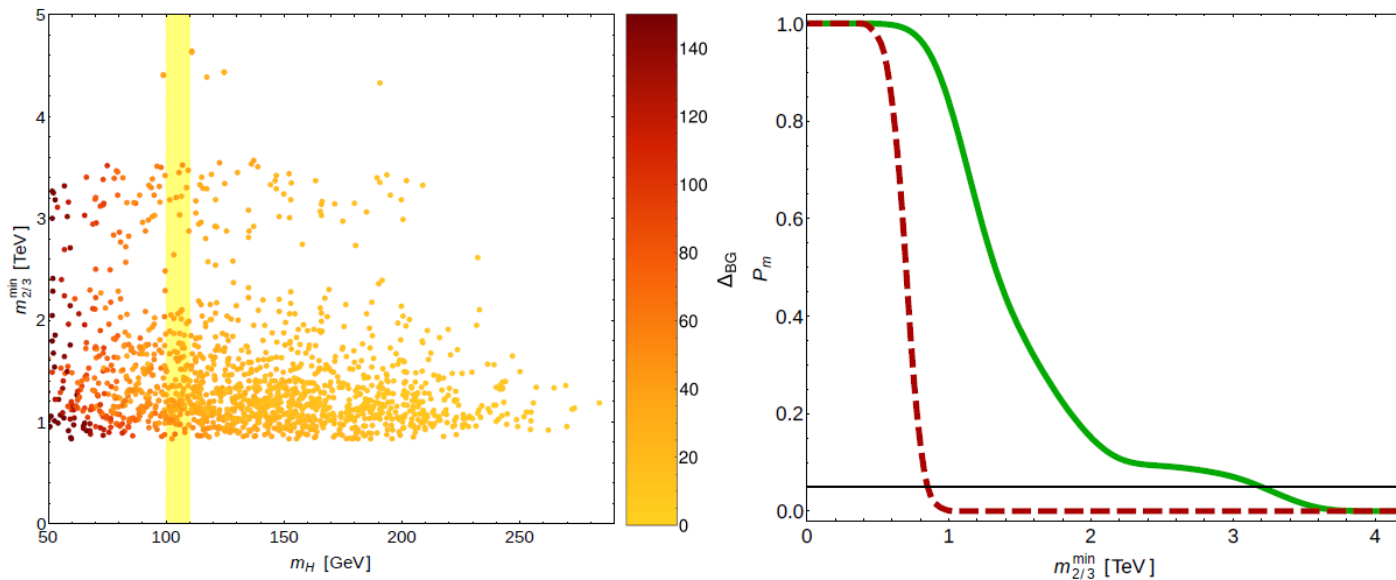
model	$L = 600 \text{ fb}^{-1}$	$L = 3000 \text{ fb}^{-1}$
c_6 -only	$c_6 \in (-0.5, 0.8)$	$c_6 \in (-0.4, 0.4)$
full	$c_6 \gtrsim -1.3$	$c_6 \in (-1.2, 2.4)$

The stakes: gauge hierarchy resolution

Carmona

$$m\text{MCHM}_{5-1}^{\text{III}>}$$

Leptons can even be **the main source** of the Higgs mass, allowing for the most minimal quark model $q_L \sim \mathbf{5}_{-2/3}$, $t_R \sim \mathbf{1}_{-2/3}$

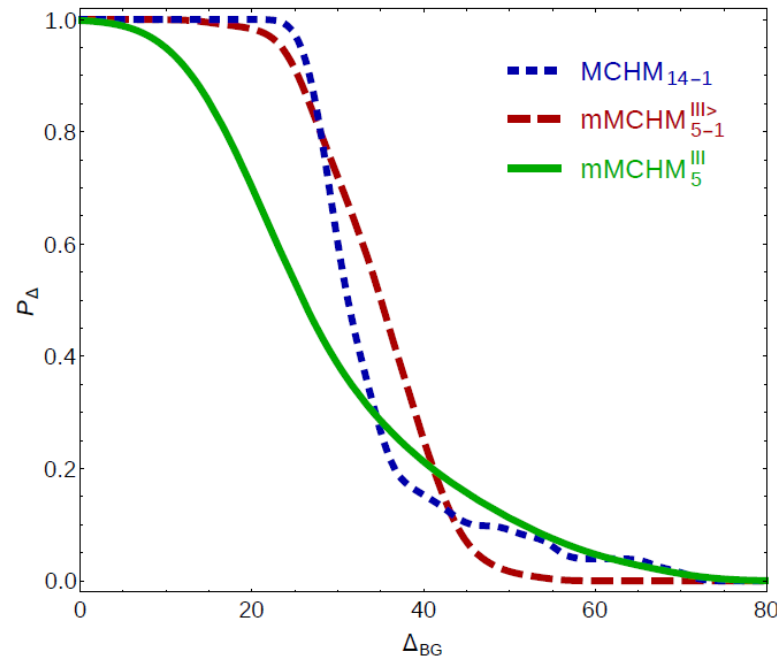


$$Y_*^l = 0.7, \quad Y_*^q = 0.7, \quad f_\pi = 0.8 \text{ TeV}, \quad g_\psi \sim 4.4$$

The stakes: gauge hierarchy resolution

Carmona

Comparison of Tuning



- mMCHM₅^{III} allows to reconcile minimal tuning with absence of ultra-light partners
- mMCHM₅₋₁^{III>} features least dof of all $SO(5)/SO(4)$ models

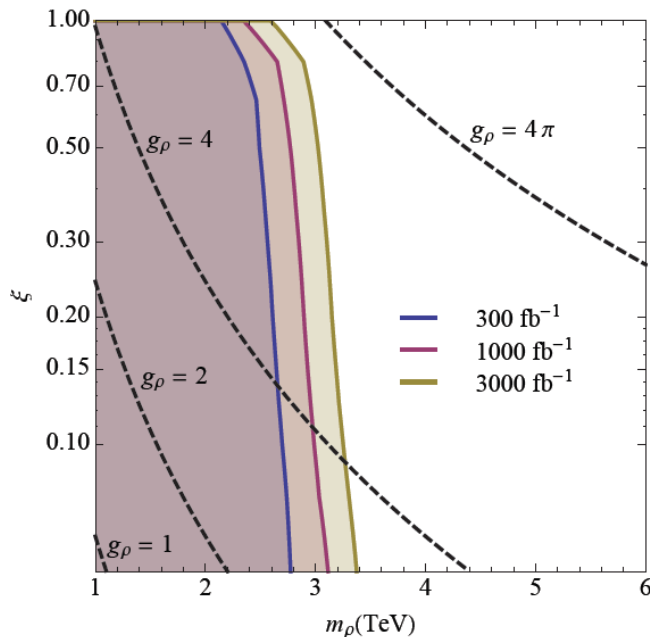
$$Y_*^q = 0.7, \quad f_\pi = 0.8 \text{ TeV}, \quad g_\psi \sim 4.4, \quad m_{2/3}^{\min} > 1 \text{ TeV}$$

The stakes: GH resolution, many new states to discover

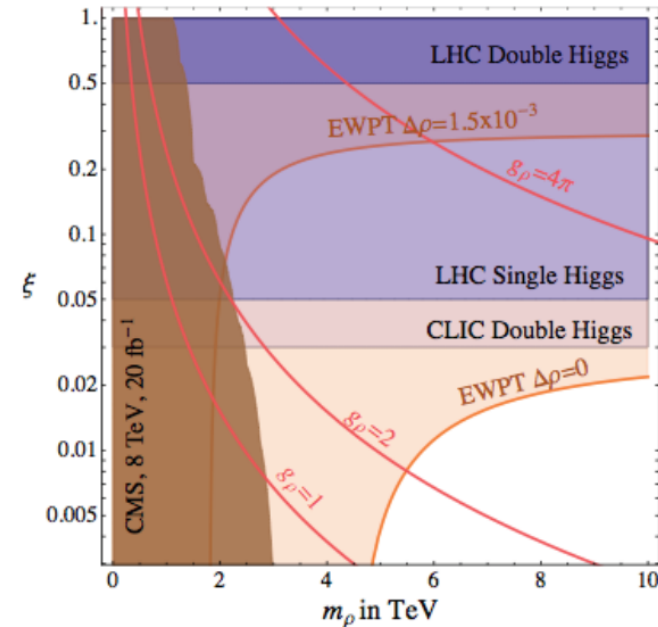
Searching for $\rho \rightarrow Vh$

Kaminska

here assumed $m_\rho = g_\rho f = g_\rho v_{EW} / \sqrt{\xi}$



M.Hoffmann, AK, R.Nikolaidou, S.Paganis



Contino, Grojean, Pappadopulo, Rattazzi, Thamm

The stakes: GH resolution, many new states to discover

Impact of composite fermions

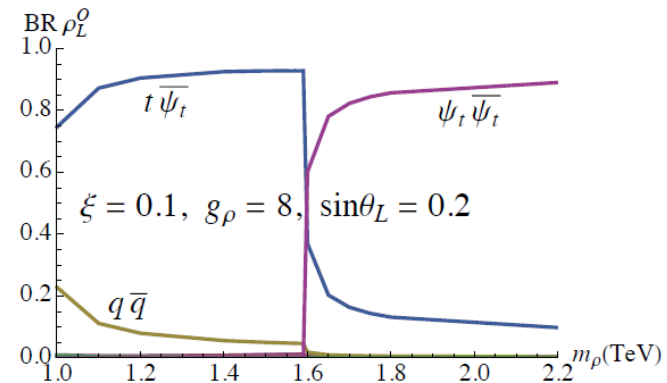
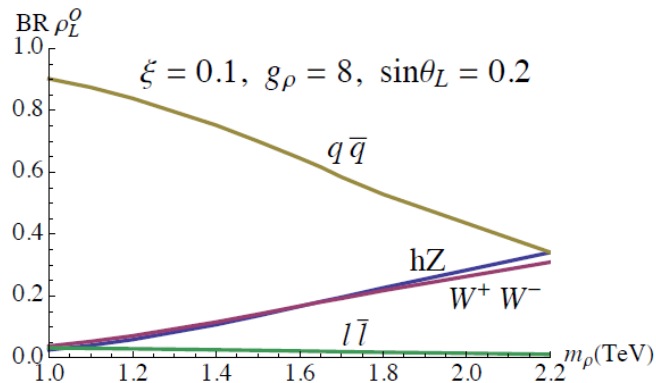
Kaminska

spin-1 resonances may couple directly to fermion resonances

$$-i\bar{\psi}g_{\rho}\gamma^{\mu}T^a\rho_{\mu}^a\psi$$

partial compositeness \rightarrow mass mixing with SM fermions \rightarrow modified BR of spin-1 resonances

- 3 gen. resonances only,
 $m_T \gtrsim 2$ TeV (left) and $m_T \sim 0.8$ TeV (right)



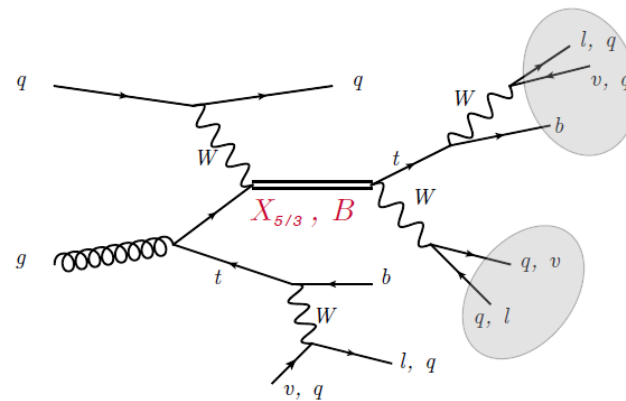
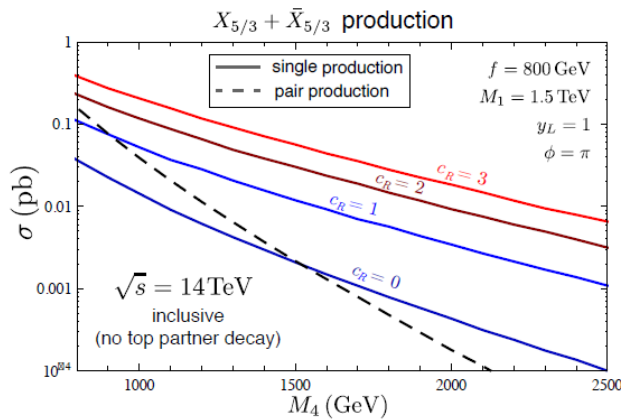
The stakes: GH resolution, many new states, new tool of boosted techniques

Motivation
 Partially composite quarks
 Bounds on quark partners from run I
 Prospects for composite quark partners at LHC run II
 Conclusions and Outlook

Prospects for composite quark partners at LHC run II

Search for top partners in the $q\bar{t}tW$ final state with semi-leptonic decay of tW .

Flacke



The final state is characterized by

- a high energy forward jet
- two b 's
- a highly boosted tW system with:
 - one hard lepton,
 - missing energy,
 - "fat jets",

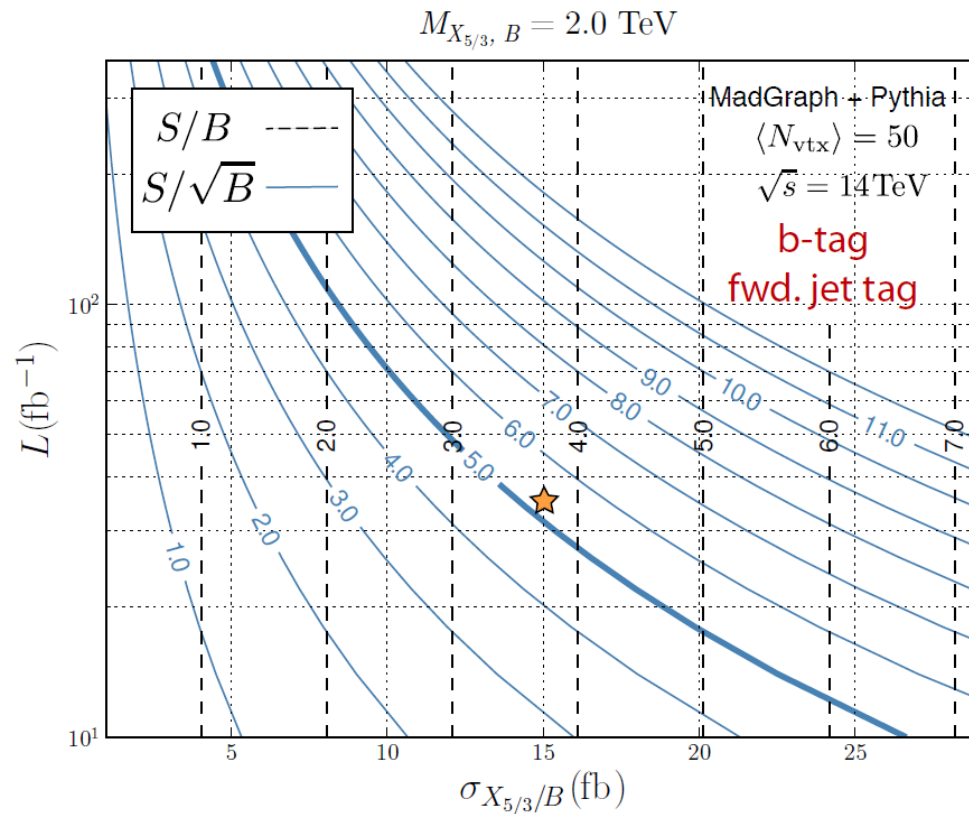
We use this by

- used as a tag
- ⇒ demand two b -tags
- $p_T^l > 100 \text{ GeV}$ cut
- reconstruct boosted t/W using Template Overlap Method (TOM)

The stakes: GH resolution, many new states, new tool of boosted techniques

Motivation
Partially composite quarks
Bounds on quark partners from run I
Prospects for composite quark partners at LHC run II
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Prospects for composite quark partners at LHC run II



Also need SM in the boosted regime

QCD CORRECTIONS IN BOOSTED TOP PRODUCTION

Consider very large pair invariant mass where $\tau = M_{t\bar{t}}^2/s \rightarrow 1$

Pecjak

$$\frac{d\sigma}{dM_{t\bar{t}}}(s, m_t, M_{t\bar{t}}) = \sum_{ij} \int_{\tau}^1 \frac{dz}{z} \mathbb{f}_{ij}(\tau/z, \mu_f) \frac{d\hat{\sigma}_{ij}}{dM_{t\bar{t}}}(z, m_t, M_{t\bar{t}}, \mu_f)$$

$$\mathbb{f}_{ij}(y, \mu_f) = \int_y^1 \frac{dx}{x} f_{i/h_1}(x, \mu_f) f_{j/h_2}(y/x, \mu_f)$$

Two kinds of large logarithms appear:

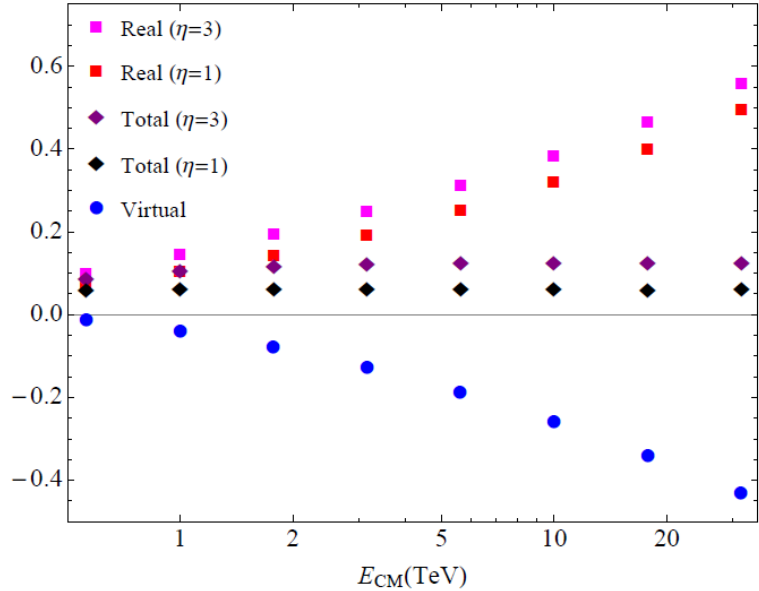
- soft logs: $[\ln(1-z)/(1-z)]_+$ ($z \equiv M_{t\bar{t}}^2/\hat{s}$)
- small-mass (collinear) logs: $\ln m_t/M_{t\bar{t}}$

Goal: set up a framework which can factorize cross sections and resum both types of logs, i.e. understand factorization in double soft and small-mass limit

SM also entering unbroken SU(2) regime

Results for Massless Quarks

Turczyk

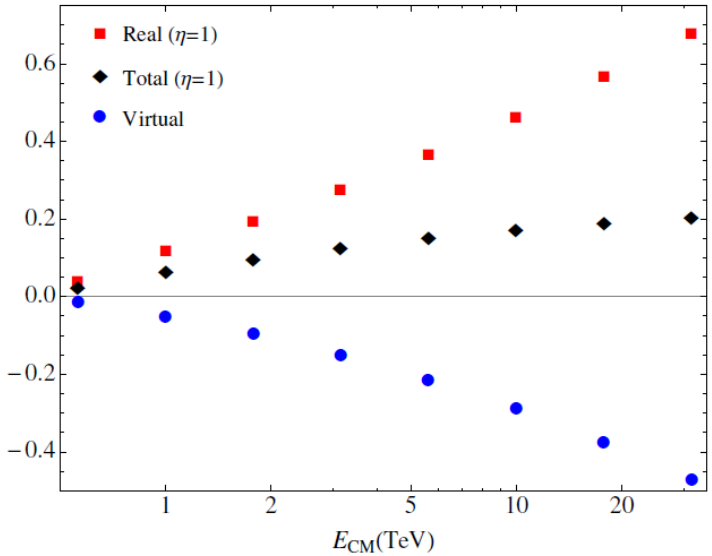
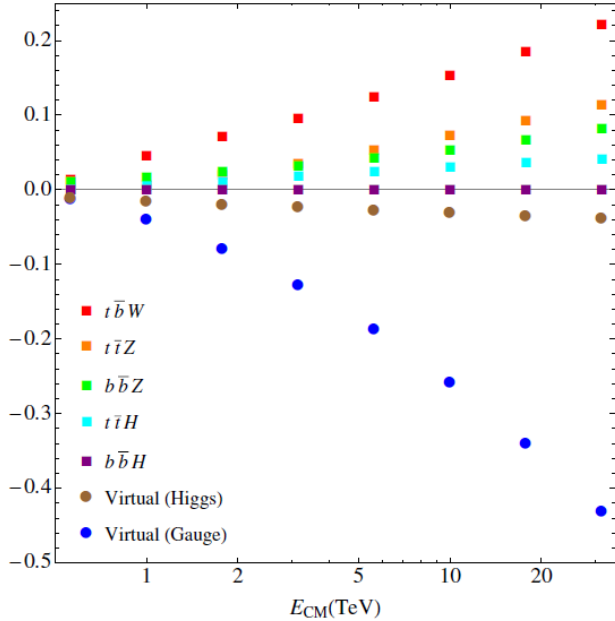


- Tree level: $gg \rightarrow u\bar{u}$ and $gg \rightarrow d\bar{d}$
- Real radiation: $gg \rightarrow u\bar{u}Z$, $gg \rightarrow d\bar{d}Z$, $gg \rightarrow u\bar{d}W^-$ and $gg \rightarrow d\bar{u}W^+$
- $SU(2)$: $\sigma(u\bar{u}) = \sigma(d\bar{d})$, $\sigma(u\bar{d}W^-) = \sigma(d\bar{u}W^+) = 2\sigma(u\bar{u}Z) = 2\sigma(d\bar{d}Z)$
- Cancellation $3\sigma(u\bar{d}W) + 2v_W\sigma(u\bar{u}) \rightarrow 0$
- No full cancellation for experimental observables!

SM also entering unbroken SU(2) regime

Numerical Results for Physical Top Quark Case

Turczyk

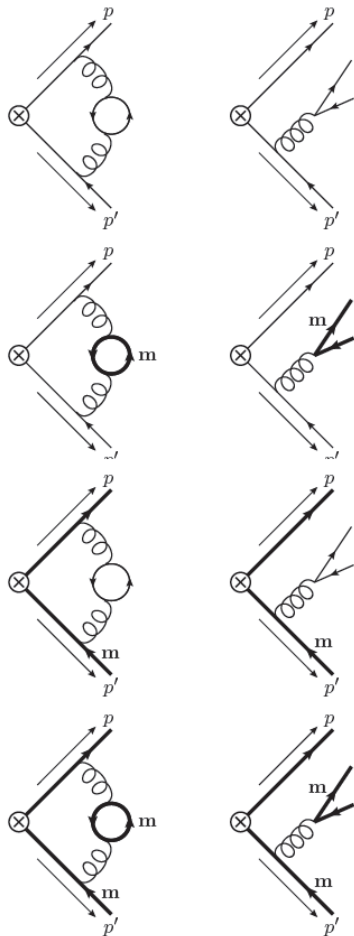


- Same as before, Yukawa coupling for bottom much smaller
- Used $\$t$ tag for MadGraph5_aMC@NLO
- ⇒ Excludes a region of width $15\Gamma_t$ around the on-shell t -quark
- No full cancellation for experimental observables!

NP searches enabled only by precise jet physics calculations

Hoang

Fully Massive Thrust



→ fully massless

- Full N^3LL' (u.t. 4-loop cusp)+ 3-loop non-singular
- Gap scheme for soft function

Only SCET authors: Becher, Schwartz, Fleming, AH, Mantry, Stewart, Bauer, Fleming, Lee, Sterman

→ secondary massive

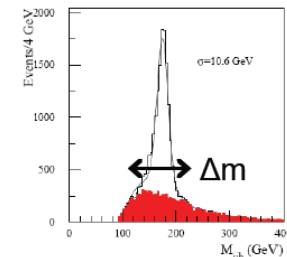
- Full N^2LL'/N^3LL
- New: In detail in this talk.

→ primary massive

- bHQET: full N^2LL'/N^3LL
→ valid for: $\Delta m_{jet} \ll m$
- NLL'/N^2LL for other cases

→ primary massive
secondary massive

→ New: complete and systematic description
→ Only briefly in this talk.



SM: magic still possible

Motivation and Overview
Outline
Background
Our Computational Method
Cross-Checks On The Result
The Structure Of The Small x Limit
Outlook

Magic Connection To The Bare $q\bar{q}$ Soft Function

Surprisingly, we find that one can produce the bare $q\bar{q}$ soft function for all non-trivial color structures to all orders in ϵ by making simple replacements!

For example, if we take $\ln^n(x) \rightarrow 0$ for all $n > 1$ and $\ln(x) \rightarrow \frac{1}{2\epsilon}$ in $S_{\text{bare}}^{t\bar{t}}(x \rightarrow 0, \lambda, \mu) \Big|_{C_F n_f T_F}$, we reproduce
Belitsky, Phys. Lett. B442, 307 (1998)

Schabinger

$$S_{\text{bare}}^{q\bar{q}}(\lambda, \mu) \Big|_{C_F n_f T_F} = \left(\frac{\alpha_s}{4\pi}\right)^2 \frac{\mu^{4\epsilon}}{\lambda^{1+4\epsilon}} \left[\frac{16}{3\epsilon^2} + \frac{80}{9\epsilon} + \frac{448}{27} - \frac{56\pi^2}{9} \right. \\ \left. + \epsilon \left(\frac{2624}{81} - \frac{280\pi^2}{27} - \frac{992\zeta(3)}{9} \right) + \mathcal{O}(\epsilon^2) \right]$$

We conjecture that, for all non-trivial color structures, we can obtain the massless result via $\ln^n(x) \rightarrow 0$ for all $n > 1$ and $\ln(x) \rightarrow \frac{1}{L\epsilon}$ at L loop order by expanding to one order higher in ϵ than normal.

SM: puzzles still remain

Holomorphy

Manohar

	$(X^+)^3$	$(X^+)^2 H^2$	$\psi^2 X^+ H$	$(\bar{L}R)(\bar{L}R)$	$(\bar{L}R)(\bar{R}L)$	JJ	$\psi^2 H^3$	H^6	$H^4 D^2$	$\psi^2 H^2 D$
$(X^+)^3$	\mathfrak{h}	$\rightarrow 0$	0	0	0	0	0	0	0	0
$(X^+)^2 H^2$	\mathfrak{h}	\mathfrak{h}	\mathfrak{h}	0	0	\nexists	0	0	$\rightarrow 0$	$\rightarrow 0$
$\psi^2 X^+ H$	\mathfrak{h}	\mathfrak{h}	\mathfrak{h}	\mathfrak{h}_F	$\rightarrow 0$	$\rightarrow 0$	$\rightarrow 0$	0	\nexists	$\rightarrow 0$
$(\bar{L}R)(\bar{L}R)$	$\rightarrow 0$	\nexists	\mathfrak{h}_F	\mathfrak{h}_F	$Y_u^\dagger Y_{e,d}^\dagger$	$Y_u^\dagger Y_{e,d}^\dagger$	\nexists	\nexists	\nexists	$\rightarrow 0$
$(\bar{L}R)(\bar{R}L)$	$\rightarrow 0$	\nexists	$\rightarrow 0$	$Y_u Y_d, Y_u^\dagger Y_e^\dagger$	\mathfrak{h}_F	*	\nexists	\nexists	\nexists	$\rightarrow 0$
JJ	$\rightarrow 0$	\nexists	$\rightarrow 0$	$Y_u Y_{e,d}$	*	*	\nexists	\nexists	\nexists	*
$\psi^2 H^3$	$\rightarrow 0$	$Y_{u,d,e}^\dagger$	\mathfrak{h}	\mathfrak{h}	*	*	*	\nexists	*	*
H^6	$\rightarrow 0$	*	\nexists	\nexists	\nexists	\nexists	*	*	*	*
$H^4 D^2$	$\rightarrow 0$	$\rightarrow 0$	$\rightarrow 0$	\nexists	\nexists	\nexists	$\rightarrow 0$	\nexists	*	*
$\psi^2 H^2 D$	$\rightarrow 0$	$\rightarrow 0$	$\rightarrow 0$	$\rightarrow 0$	$\rightarrow 0$	*	$\rightarrow 0$	\nexists	*	*

Next chapter of our story

- Struggle between the SM and the data continues
- More data will come in LHC Run 2, HL-LHC, Belle 2, LBNF, Muon $g-2$, Mu2e, Xenon 1T, IceCube, Fermi-LAT, Planck, BICEP-II, ILC, FCC/CEPC/SPPC, LSST, DESI, ...

Next chapter of our story

“May you live in interesting times”

- The questions are huge

Next chapter of our story

“May you live in interesting times”

- The questions are huge
- The questions are patient

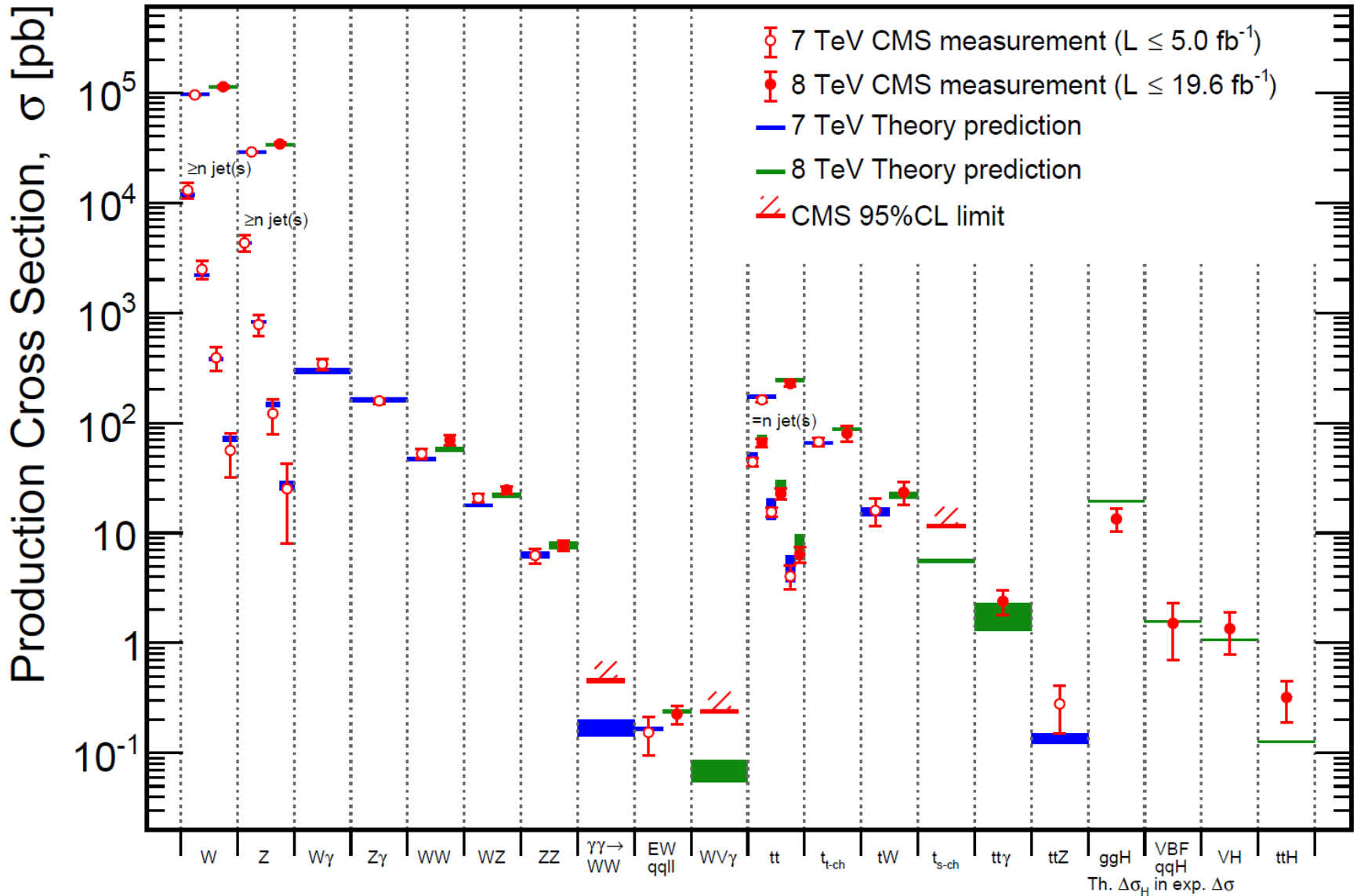
Next chapter of our story

“May you live in interesting times”

- The questions are huge
- The questions are patient
- The questions are very patient

Feb 2014

CMS Preliminary



ATLAS <https://twiki.cern.ch/twiki/bin/view/AtlasPublic/StandardModelPublicResults>

Also CMS <https://twiki.cern.ch/twiki/bin/view/CMSPublic/PhysicsResultsCombined>