

Detecting Rare Species of Dark Matter with Large-volume Neutrino Detectors

- i) Phys. Rev. Lett. 131, 011005 (2023) [[arXiv: 2303.03416](https://arxiv.org/abs/2303.03416)]
- ii) arXiv: 2309.10032

Anupam Ray

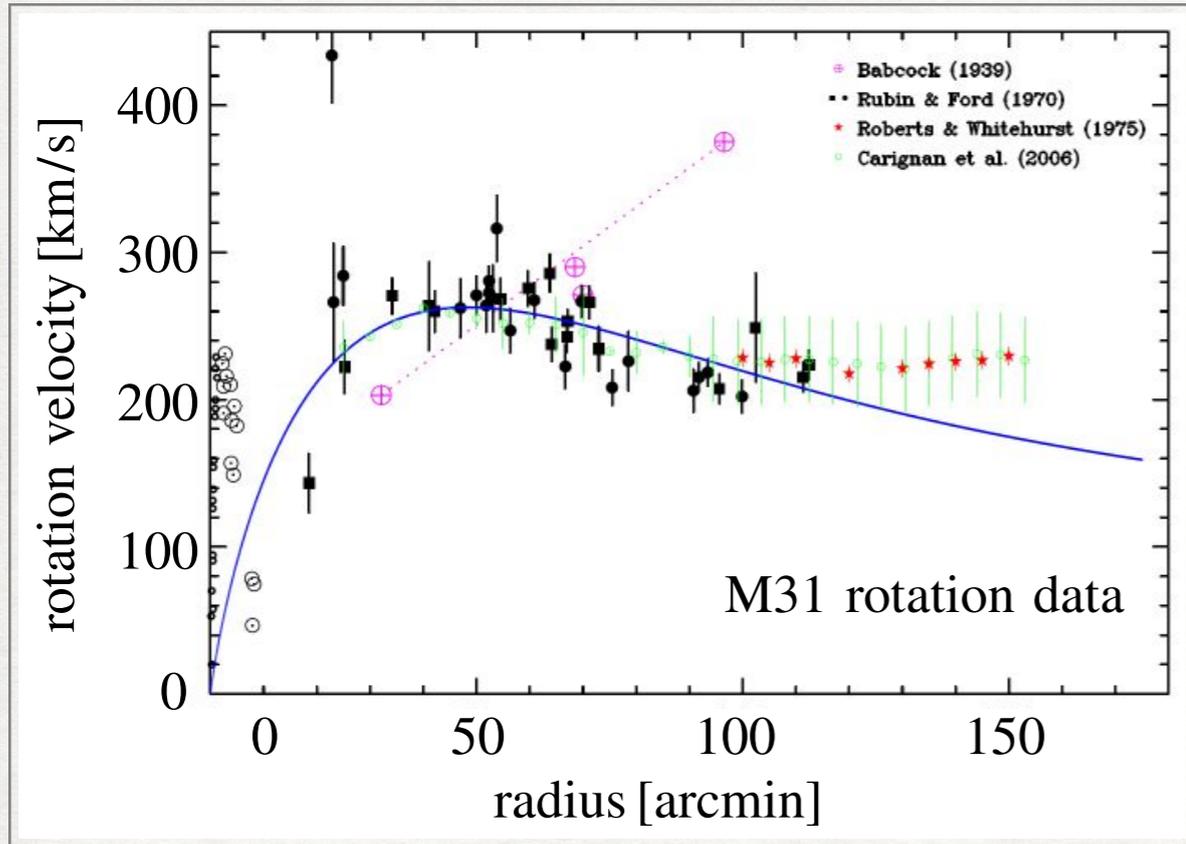
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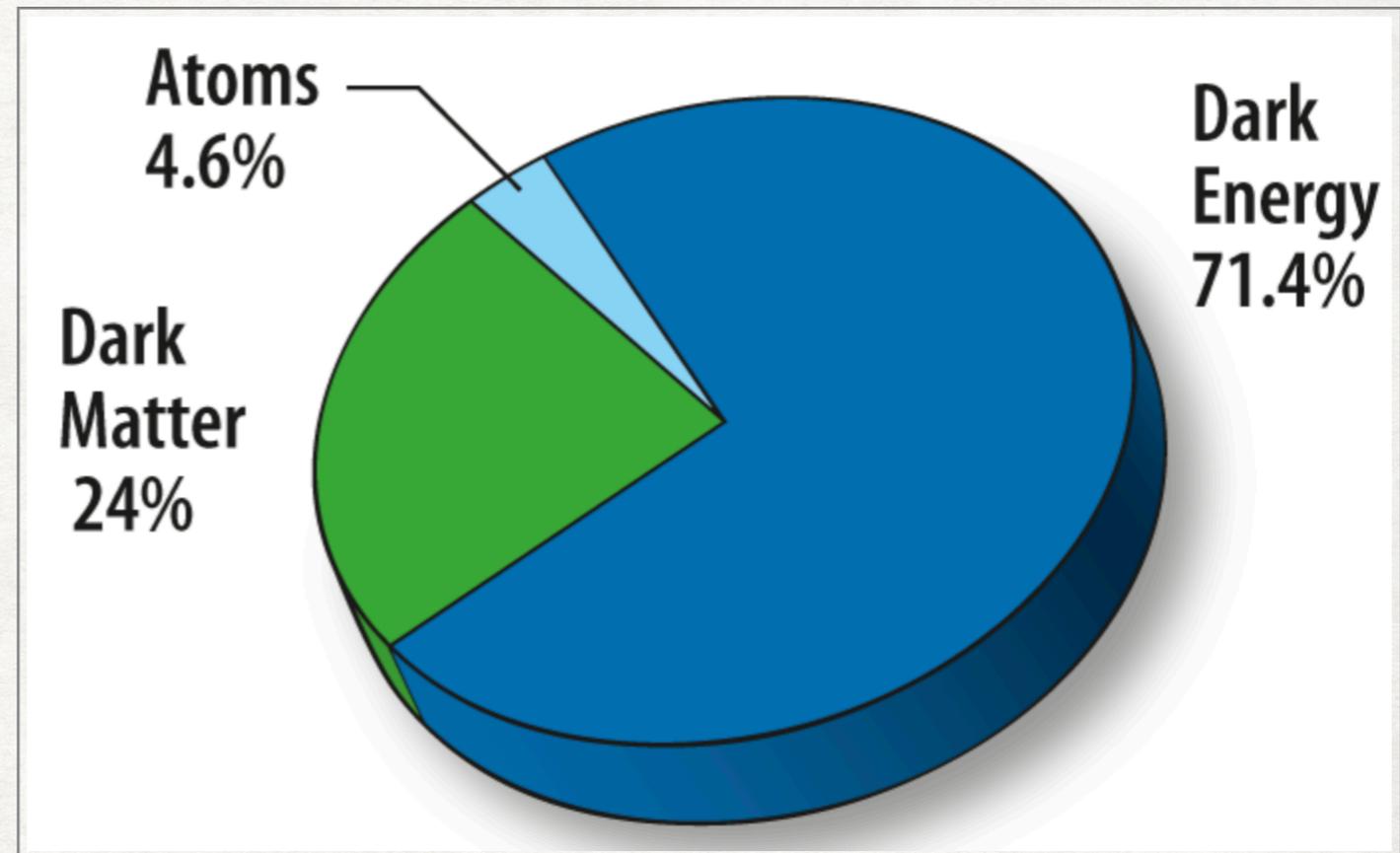
11.08.2023



Dark Matter (DM)



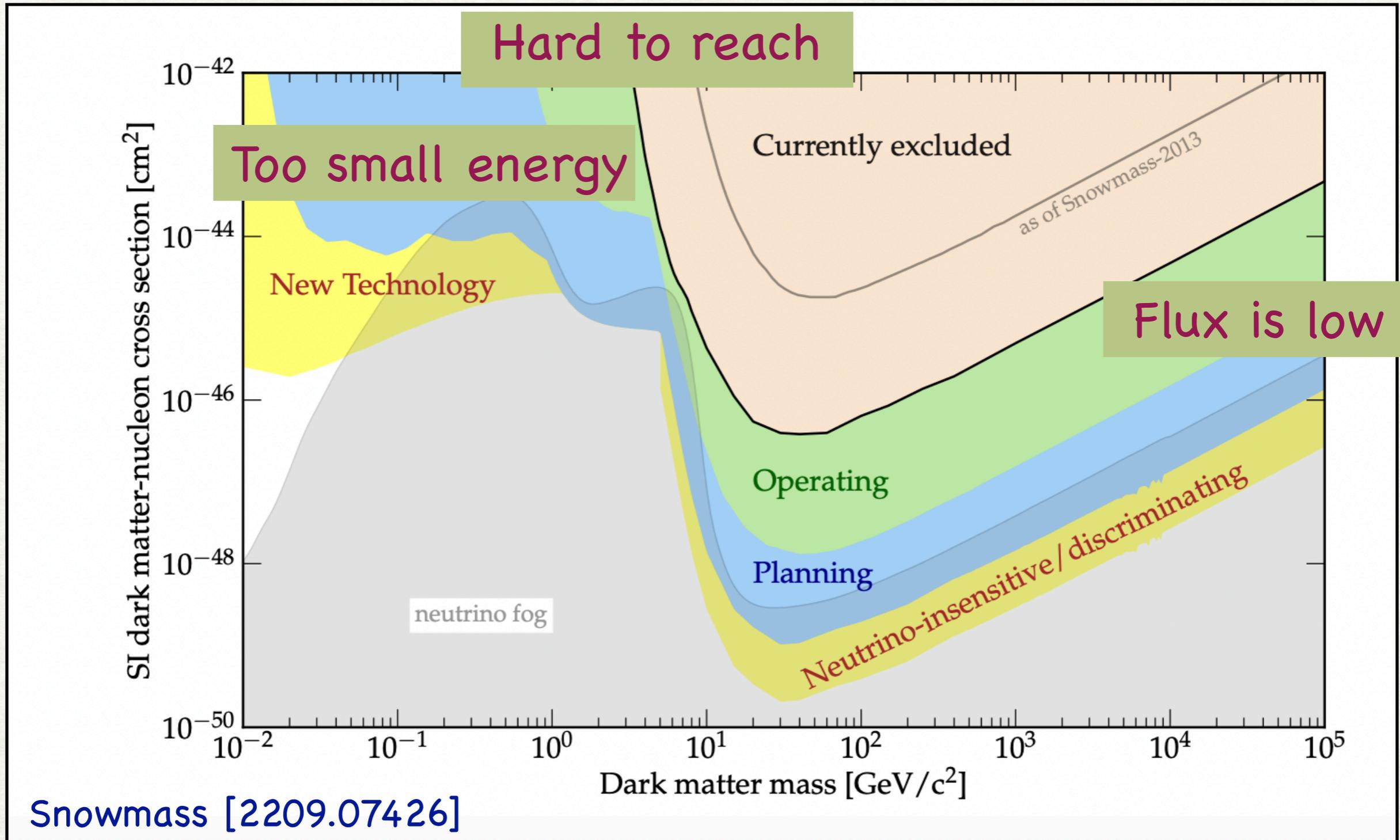
From: Bertone and Hooper,
Rev. Mod. Physics (2016)



https://wmap.gsfc.nasa.gov/universe/uni_matter.html

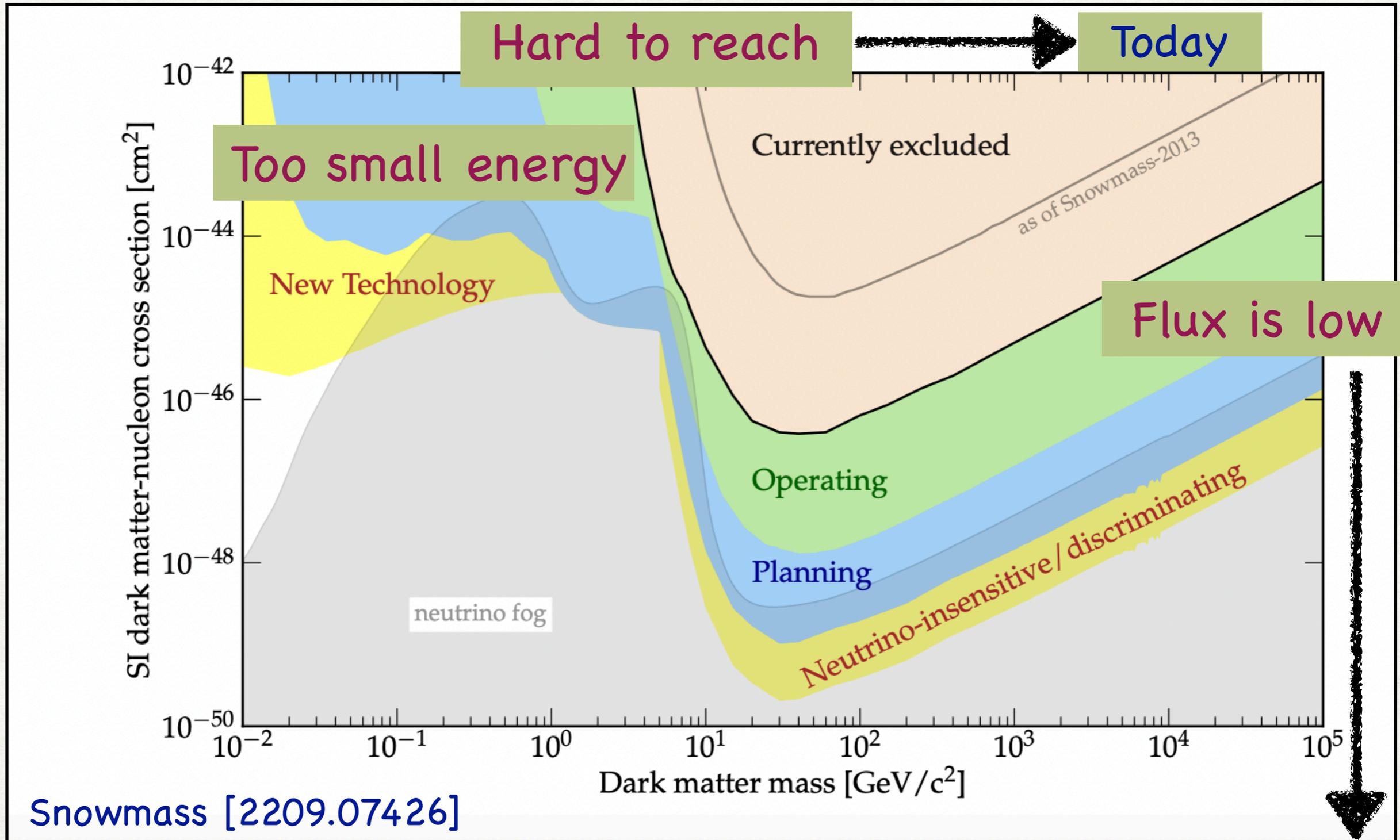
- DM mass?
- DM interactions with baryons?

Direct Detection: Blindspots



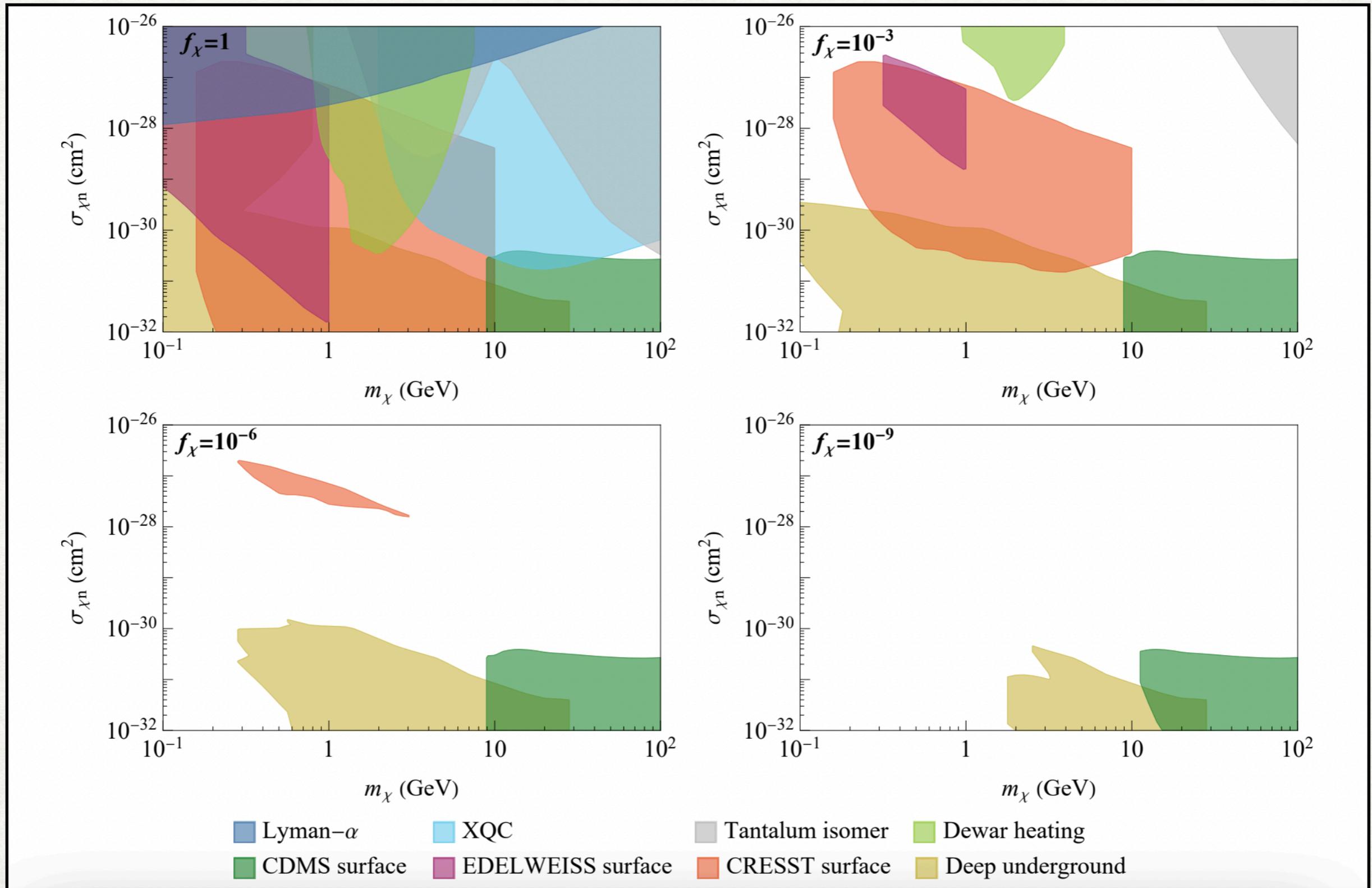
- Light DM, Heavy DM and Strongly-interacting DM
 - “3” Blind-spots to the underground detectors.

Direct Detection: Blindspots



EM/GW observations of compact objects
Ray (with Bhattacharya, Dasgupta, Laha) [PRL, 2023]

Strongly-interacting DM Component



Summary

- Earth accumulates significant number of DM particles from the Galactic halo, leading to a DM density up to **15 orders of magnitude larger** than the Galactic DM density!

“Earth-bound DM”

- **Local annihilation** of Earth-bound DM particles inside any large-volume neutrino detectors (such as Super-Kamiokande) provides **unprecedented** sensitivity to strongly-interacting DM component.

Ray, (with Mckeen, Morissey, Pospelov, Ramani) [PRL, 2023]

- Neutrinos from annihilation of Earth-bound DM from the center of the Earth provide **yet another probe** of strongly-interacting DM component.

Pospelov & Ray [2309.10032]

Outline

- Earth-bound DM and their accumulation.

- Distribution of Earth-bound DM.

- Earth-bound DM at Super-Kamiokande.

[Ray](#), (with Mckeen, Morissey, Pospelov, Ramani) [[PRL, 2023](#)]

- Earth-bound DM annihilation to neutrinos.

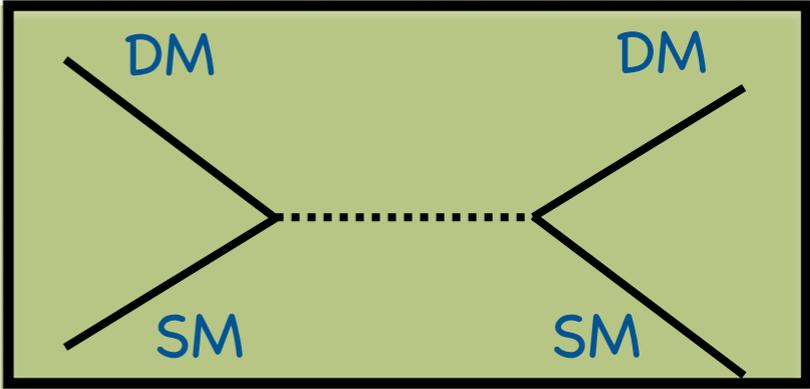
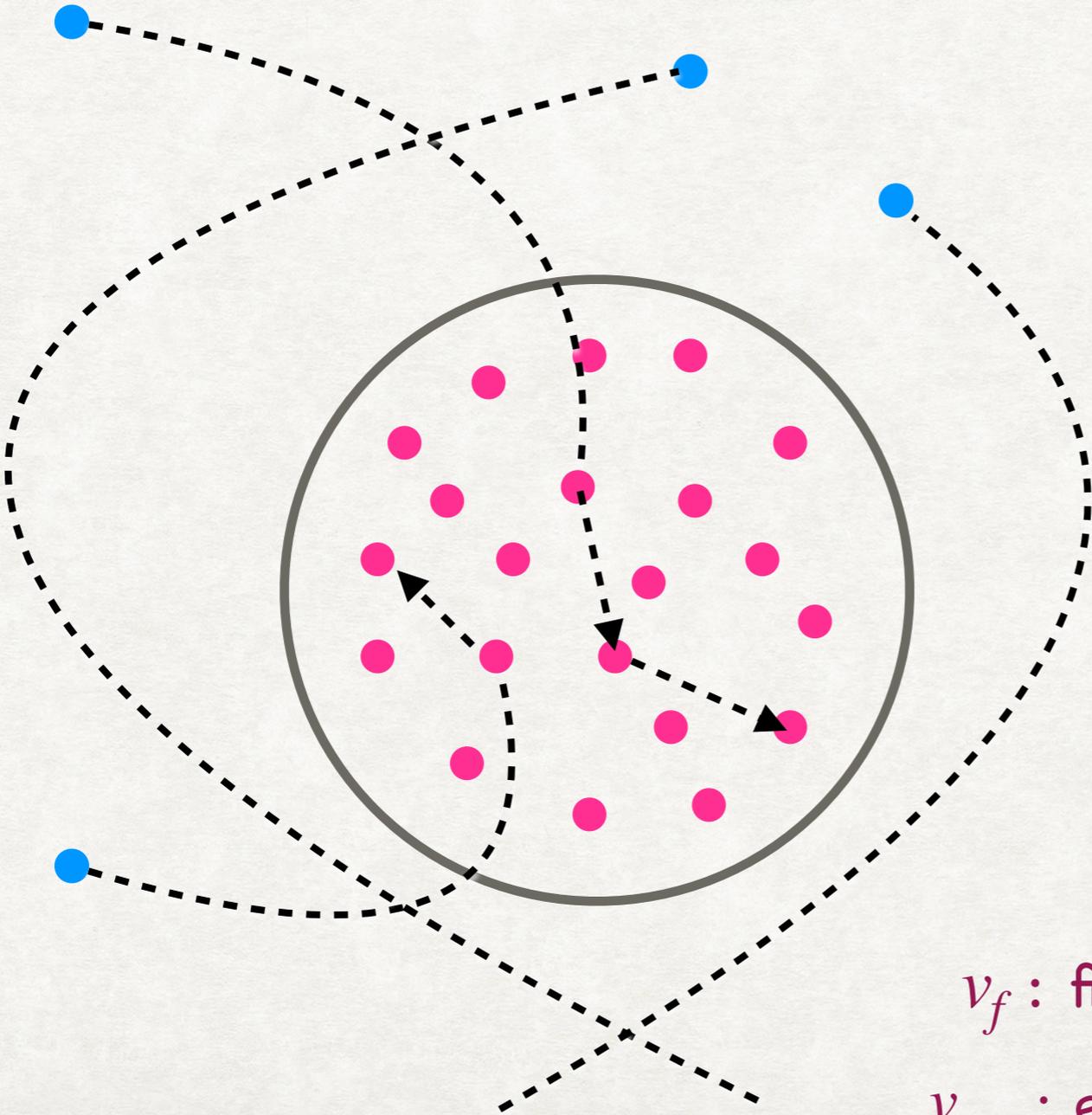
[Pospelov & Ray \[2309.10032\]](#)

DM Accretion in Stellar Objects

Press & Spergel (1985,ApJ), Gould (1987, ApJ),...

Small $\sigma_{\chi n} \rightarrow$ single collision,

large $\sigma_{\chi n} \rightarrow$ multiple collisions.



$$v_f \leq v_{esc} \text{ (captured)}$$

v_f : final velocity of the DM particles

v_{esc} : escape velocity of the stellar object

DM accretion in stellar objects

- Number of DM particles that passes through:

$$C_{\text{geo}} = \frac{\rho_{\chi}}{m_{\chi}} \pi R^2 \int \frac{f(u) du}{u} (u^2 + v_{\text{esc}}^2)$$

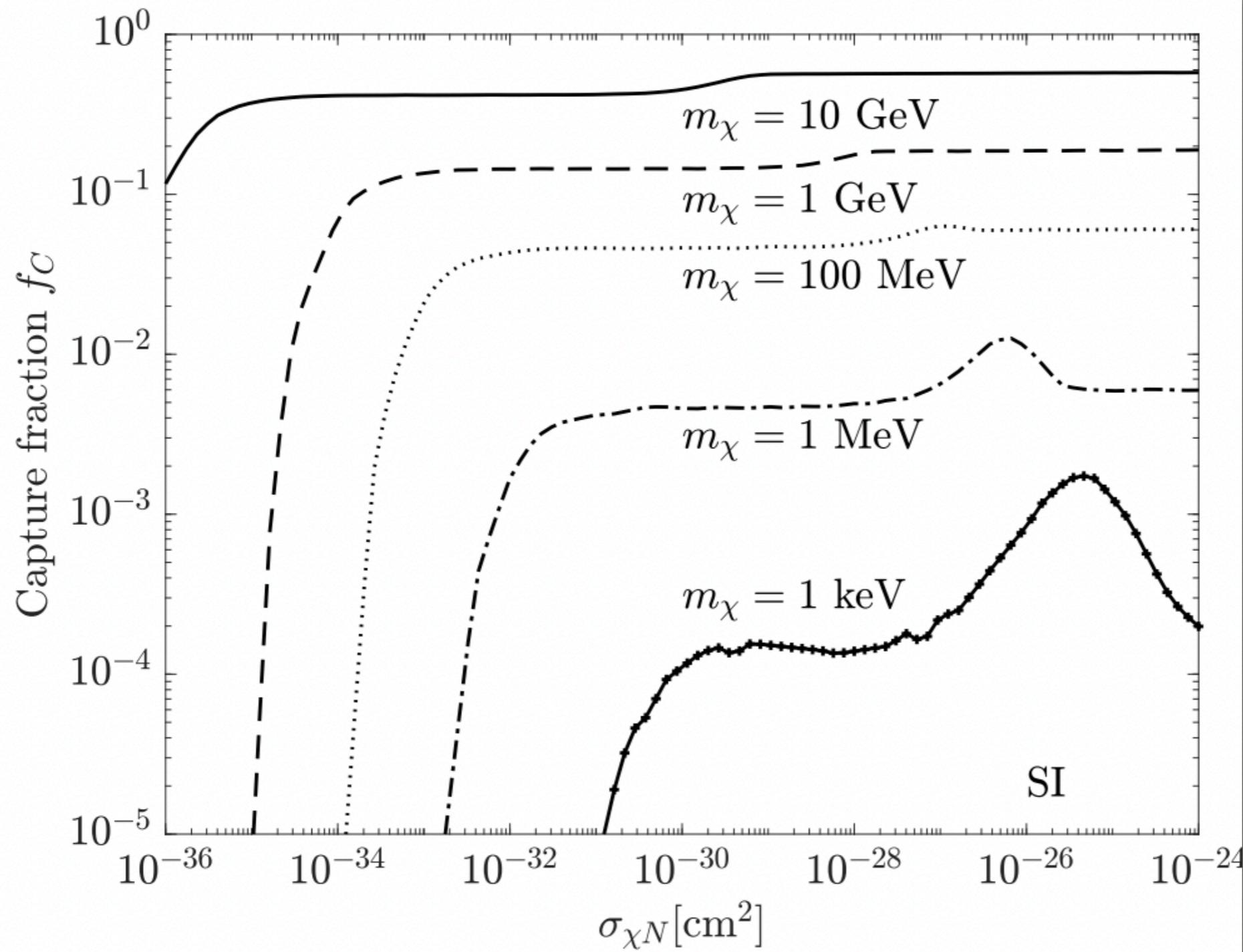
- A fraction of them gets captured depending on DM-nucleon interaction strength and DM mass.

$$\Gamma_{\text{cap}} = f_c \times C_{\text{geo}}$$

$$f_c \left(\sigma_{\chi n}, m_{\chi} \right)$$

Neufeld et al (2018, APJ), Bramante et al. (2022, PRD)...

DM accretion in stellar objects



$$f_c(\sigma_{\chi n}, m_\chi)$$

DM accretion in stellar objects

- Lets do some estimate:

For DM mass of 1 GeV and $\sigma_{\chi n} = 10^{-28} \text{ cm}^2$

$$C_{\text{geo}} = 1.3 \times 10^{25} \text{ s}^{-1} \quad \text{and} \quad f_c \sim 0.1 \quad f_\chi = 1$$

DM density (assuming they uniformly distribute over the Earth-volume)

$$\rho_\chi = m_\chi \frac{f_c \times C_{\text{geo}} \times t_\oplus}{V_\oplus} \sim 3 \times 10^{14} \text{ GeV/cm}^3 \quad f_\chi = 1$$

- 15 orders of magnitude larger than the Galactic DM density!

DM Distribution in Stellar Objects

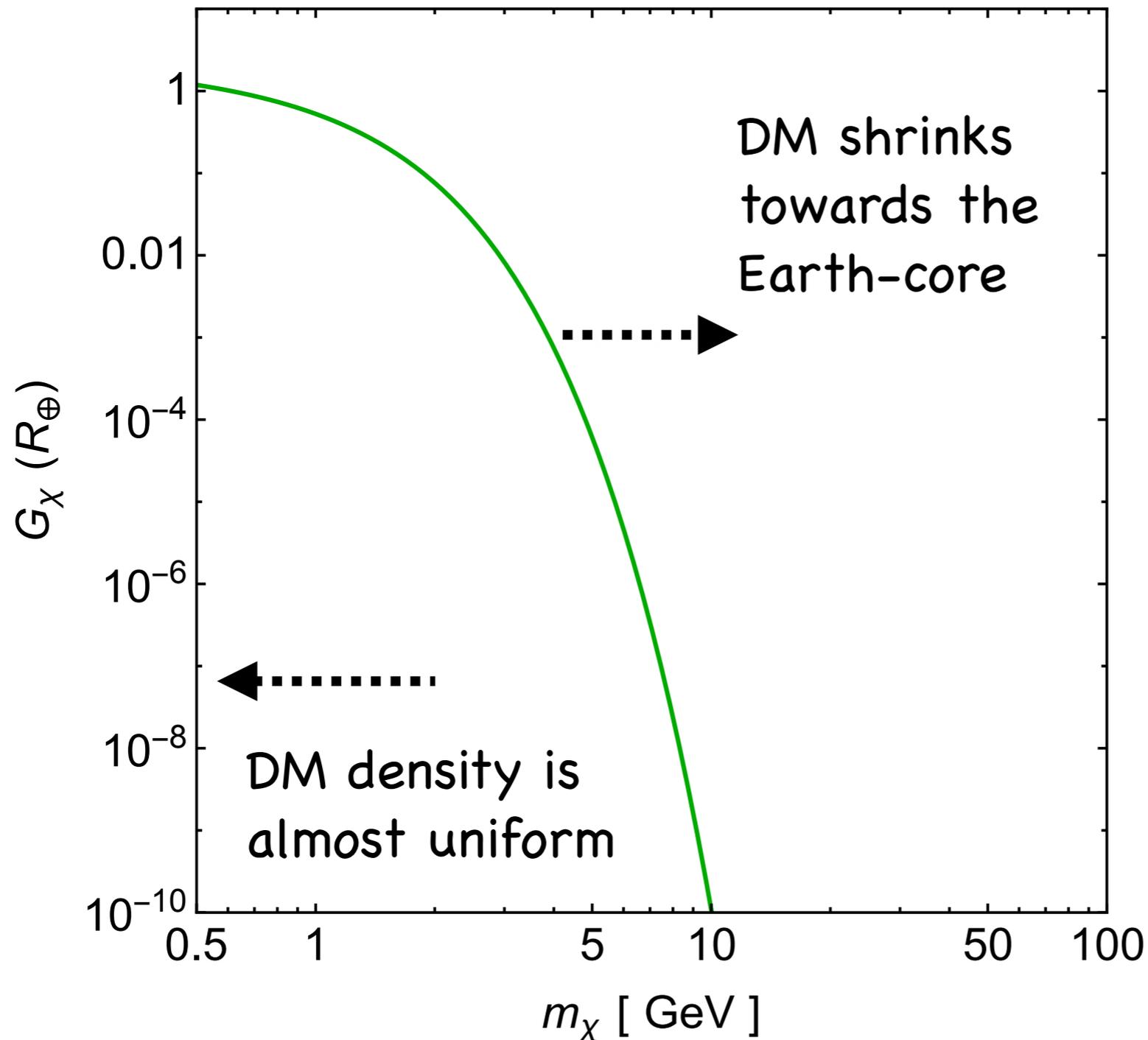
- DM distribution inside the celestial objects depends on the effects of diffusion and gravity.

Gould and Raffelt (1990, APJ), ..., Leane et al (2209.09834)

$$\frac{\nabla n_{\chi}(r)}{n_{\chi}(r)} + (\kappa + 1) \frac{\nabla T(r)}{T(r)} + \frac{m_{\chi}g(r)}{T(r)} = \frac{\Phi}{n_{\chi}(r)D_{\chi n}(r)} \frac{R_{\oplus}^2}{r^2}$$

- For heavy DM, the effect of gravity dominates over the diffusion processes, and they **shrink** towards the stellar core.
- For light DM, the distribution is **almost uniform**, leading to a huge surface density.

DM Distribution in Stellar Objects



- Dimensionless profile function:

$$G_\chi(R_\oplus) = \frac{n_\chi(R_\oplus)V_\oplus}{N_\chi}$$

- For uniform DM density:

$$G_\chi(R_\oplus) = 1$$

DM Evaporation

- Light DM can get thermal kick and escape the Earth-volume, commonly known as “Evaporation”.

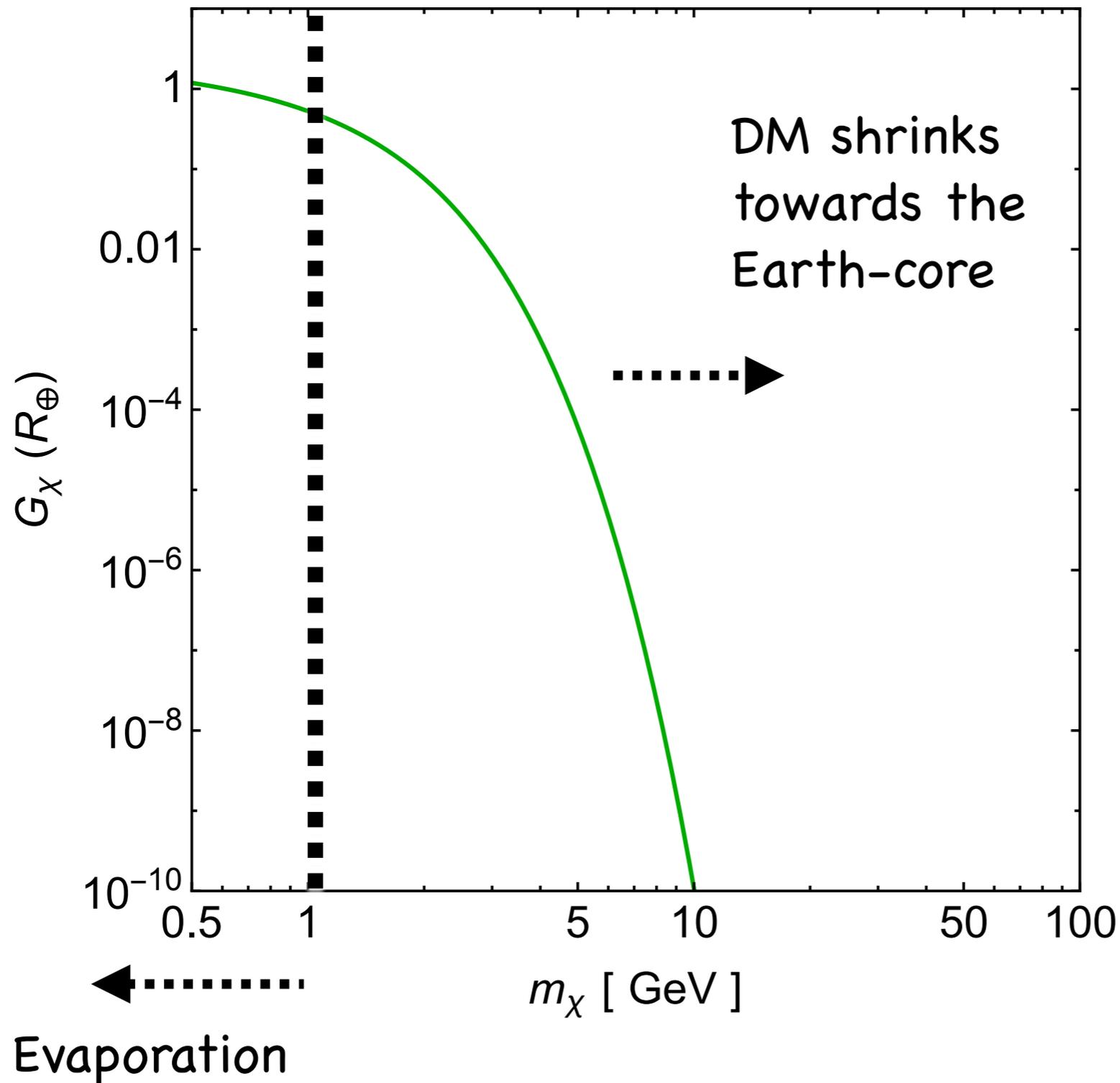
Gould (1990, APJ), ..., Garani and Ruiz (JCAP, 2017, 2021),...

- In the strongly-interacting regime, evaporation primarily occurs from the Earth-surface (in the standard weakly interacting regime, evaporation occurs mostly from core).

Surface temperature is ~ 20 smaller than the core-temperature, this leads to smaller evaporation mass for large $\sigma_{\chi n}$.

- We found evaporation does not allow to retain $m_\chi \lesssim 1$ GeV (irrespective of DM-nucleon scattering cross-section).

DM Distribution in Stellar Objects



- Dimensionless profile function:

$$G_\chi(R_\oplus) = \frac{n_\chi(R_\oplus)V_\oplus}{N_\chi}$$

- For uniform DM density:

$$G_\chi(R_\oplus) = 1$$

Signal at SK

- Earth-bound DM, of mass GeV scale are present in a copious amount inside any large-volume detectors (for example Super-K).
- Their detection via scattering is **almost impossible** as they acquire very little amount kinetic energy (0.03 eV), much lower than the detection threshold of typical DM detectors.

Recently, Das, Kurinsky, and Leane [2210.09313] have proposed their detection via “futuristic” low-threshold quantum detectors.

Our proposal: simply look at their annihilation signature (as the annihilation channel is not limited to the tiny kinetic energy)!

Signal at SK

- For DM mass of 2 GeV, and large $\sigma_{\chi n}$ (say $\sigma_{\chi n} = 10^{-28} \text{ cm}^2$), annihilation rate inside Super-K is quite **huge**.

$$\Gamma_{\text{ann}}^{\text{SK}} = n_{\chi}^2(R_{\oplus}) \langle \sigma v \rangle_{\text{ann}} V_{\text{SK}}$$

$$\Gamma_{\text{ann}}^{\text{SK}} = n_{\chi}^2(R_{\oplus}) \langle \sigma v \rangle_{\text{ann}} V_{\text{SK}} \sim 2 \times 10^{11} \text{ yr}^{-1} \quad f_{\chi} = 1$$

- Given the relevant energy range of annihilations, we use the di-nucleon analysis ($n+n \rightarrow 2\pi^0 \rightarrow 4\gamma$) performed by Super-K.

background-free identification with an efficiency of $\sim 10\%$

Super-Kamiokande (PRD, 2015)

Results

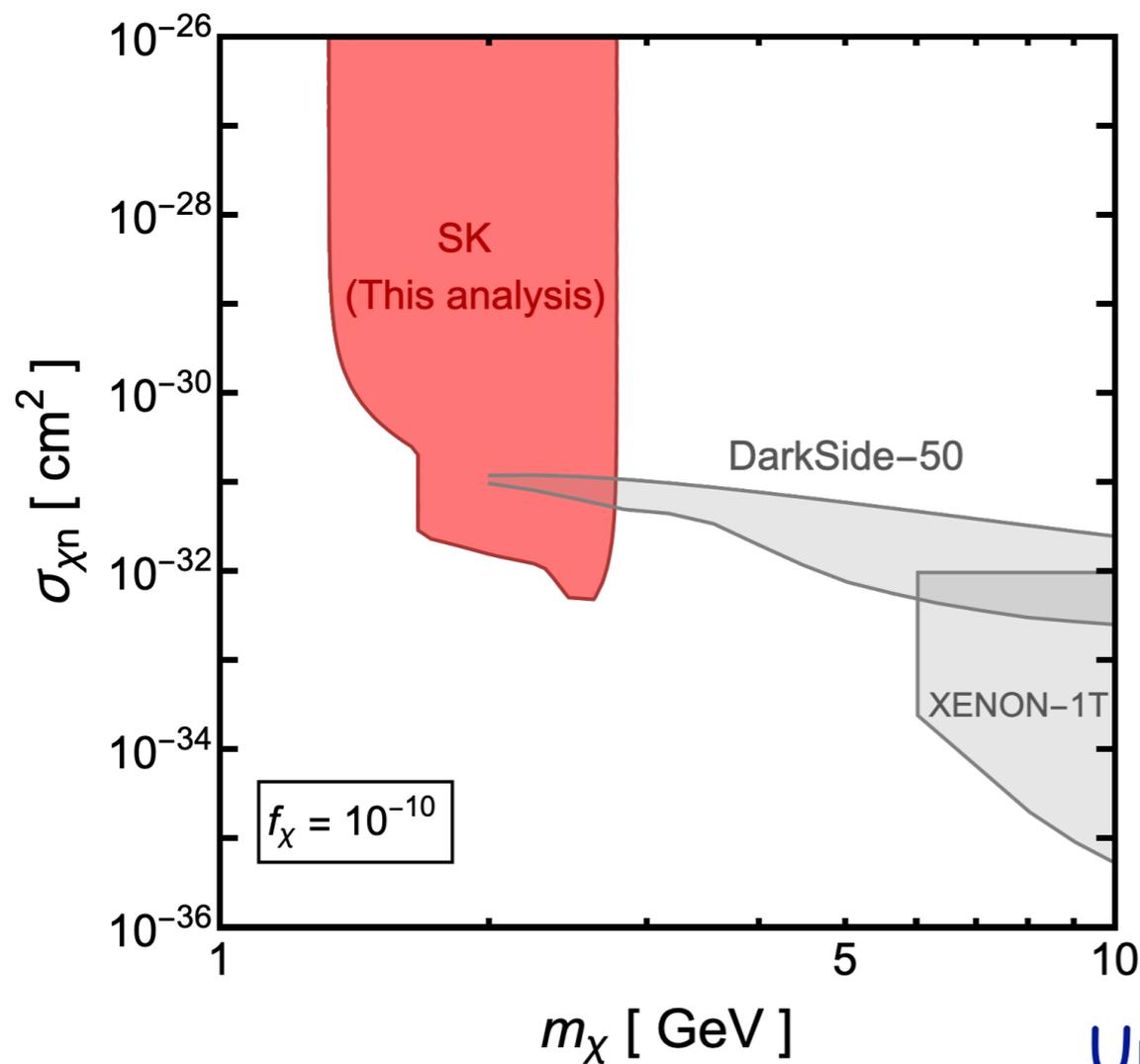
- Exclusion limits are simply derived:

$$\epsilon \times \Gamma_{\text{ann}}^{\text{SK}} \times t_{\text{obs}} \leq 3$$

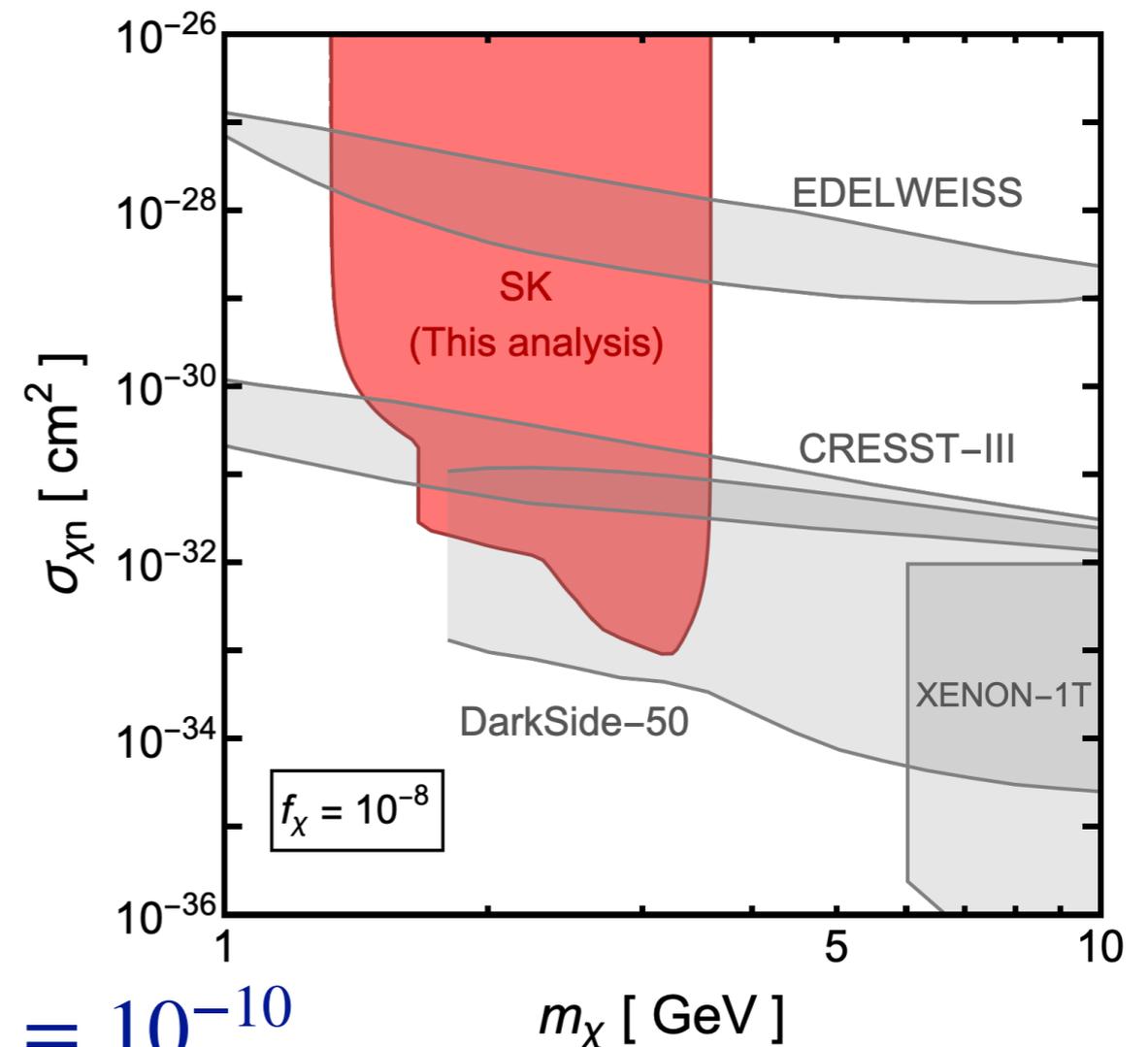
$$\epsilon \sim 10\%$$

$$t_{\text{obs}} = 4581.5 \text{ days}$$

Ray, (with Mckeen, Morrissey, Pospelov, Ramani) [PRL, 2023]

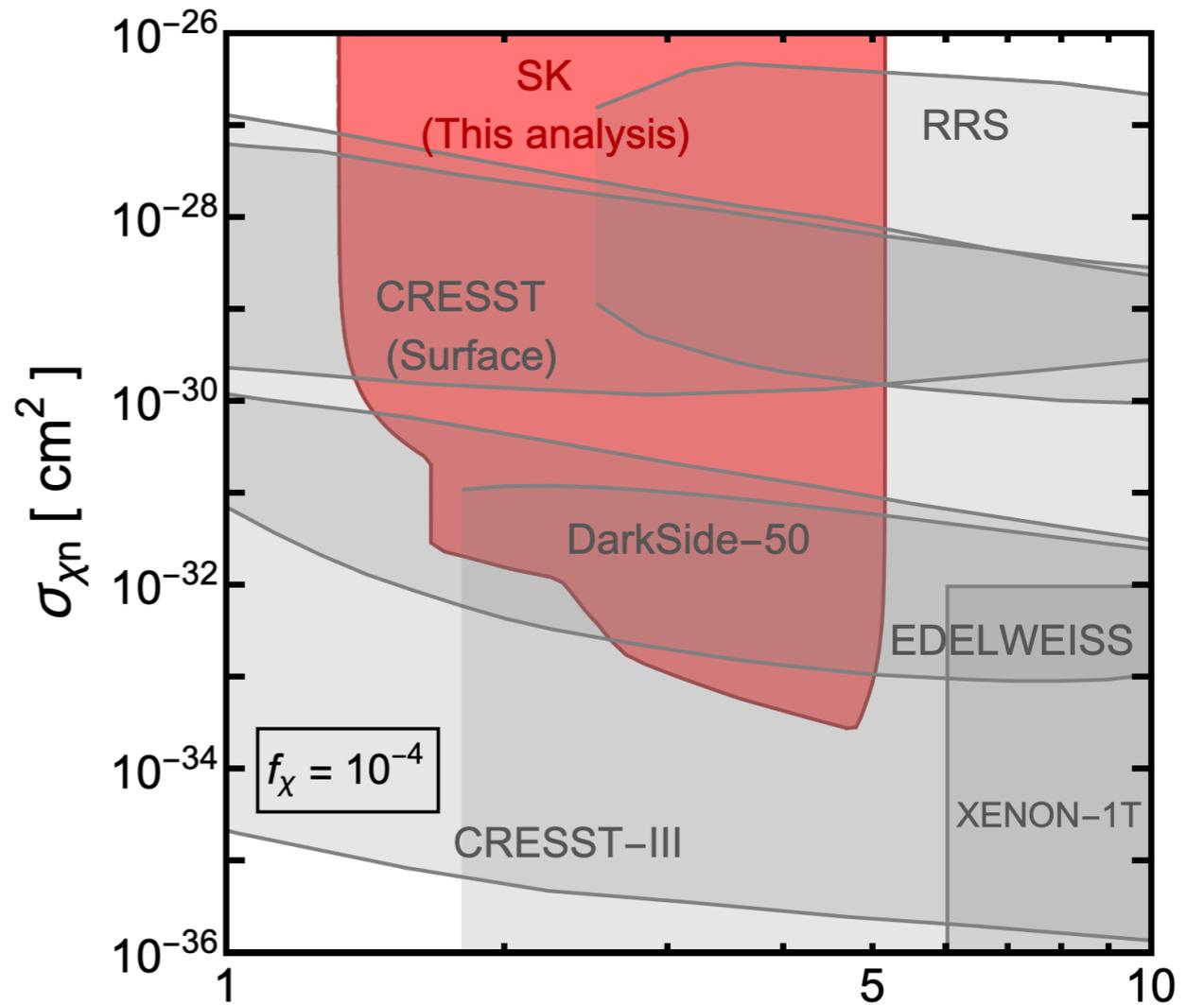
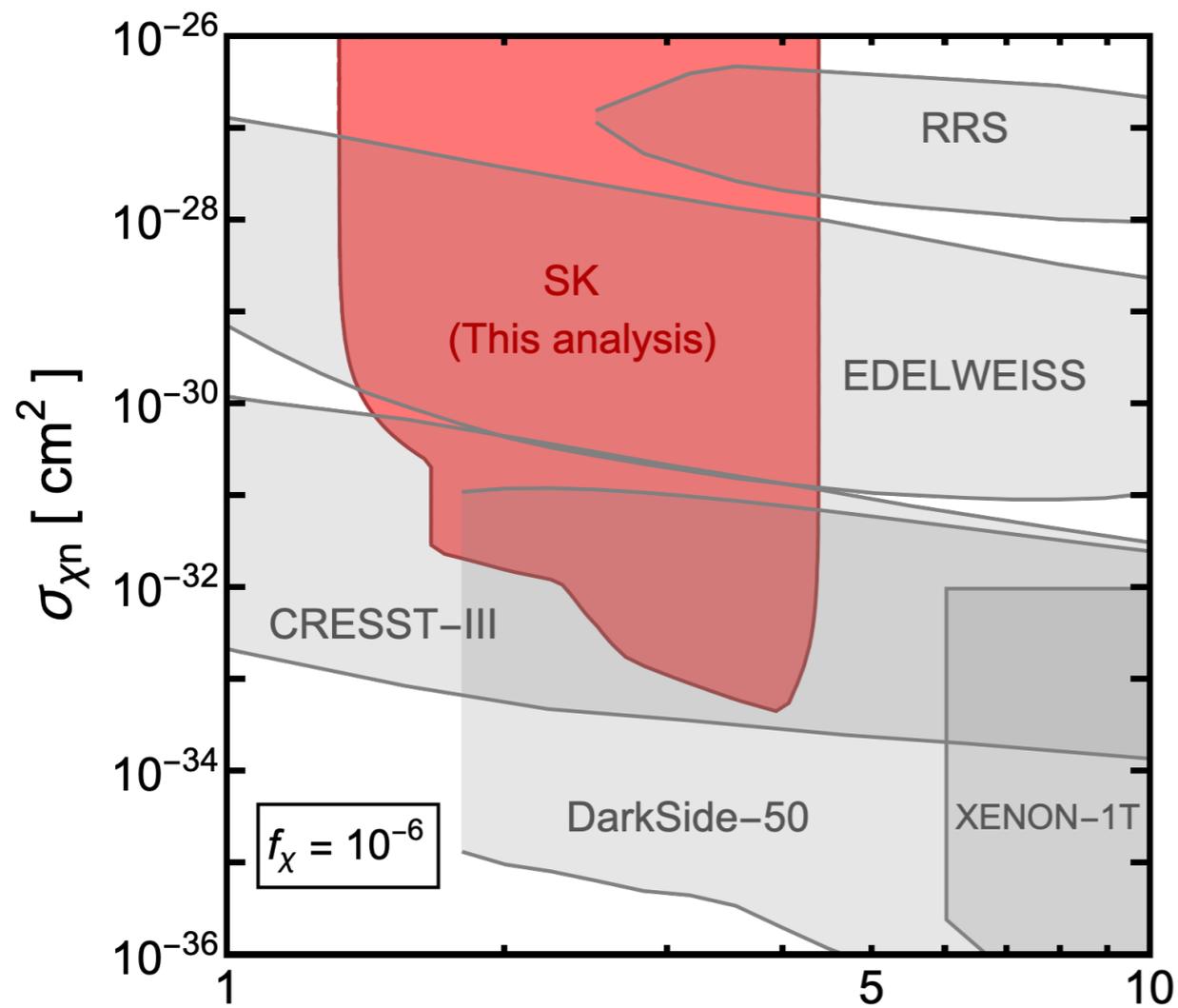


Up to $f_\chi = 10^{-10}$



Results

Ray, (with Mckeen, Morrissey, Pospelov, Ramani) [PRL, 2023]



←
Evaporation

m_χ [GeV]

..... →

DM shrinks towards
the Earth-core

Model

- Let's illustrate our result in a concrete phenomenological model.

$$\mathcal{L} = -\frac{1}{4} \left(F'_{\mu\nu} \right)^2 - \frac{\epsilon}{2} F'_{\mu\nu} F^{\mu\nu} + \frac{1}{2} m_{A'}^2 \left(A'_\mu \right)^2 + \bar{\chi} (i\gamma^\mu D_\mu - m_\chi) \chi$$

χ : Dirac fermion which can couple to a dark photon A'

- The perturbative cross section for χ to scatter on a nucleus (Z, A) is related to the model parameters

$$\sigma_{\chi A} = \frac{16\pi Z^2 \alpha \alpha_d \epsilon^2 \mu_{\chi A}^2}{m_{A'}^4}$$

Model

- We are interested in the following channel

$$\chi\bar{\chi} \rightarrow A'A' \quad \text{with } A' \rightarrow \text{SM} + \text{SM} \text{ (say } e^+ + e^-)$$

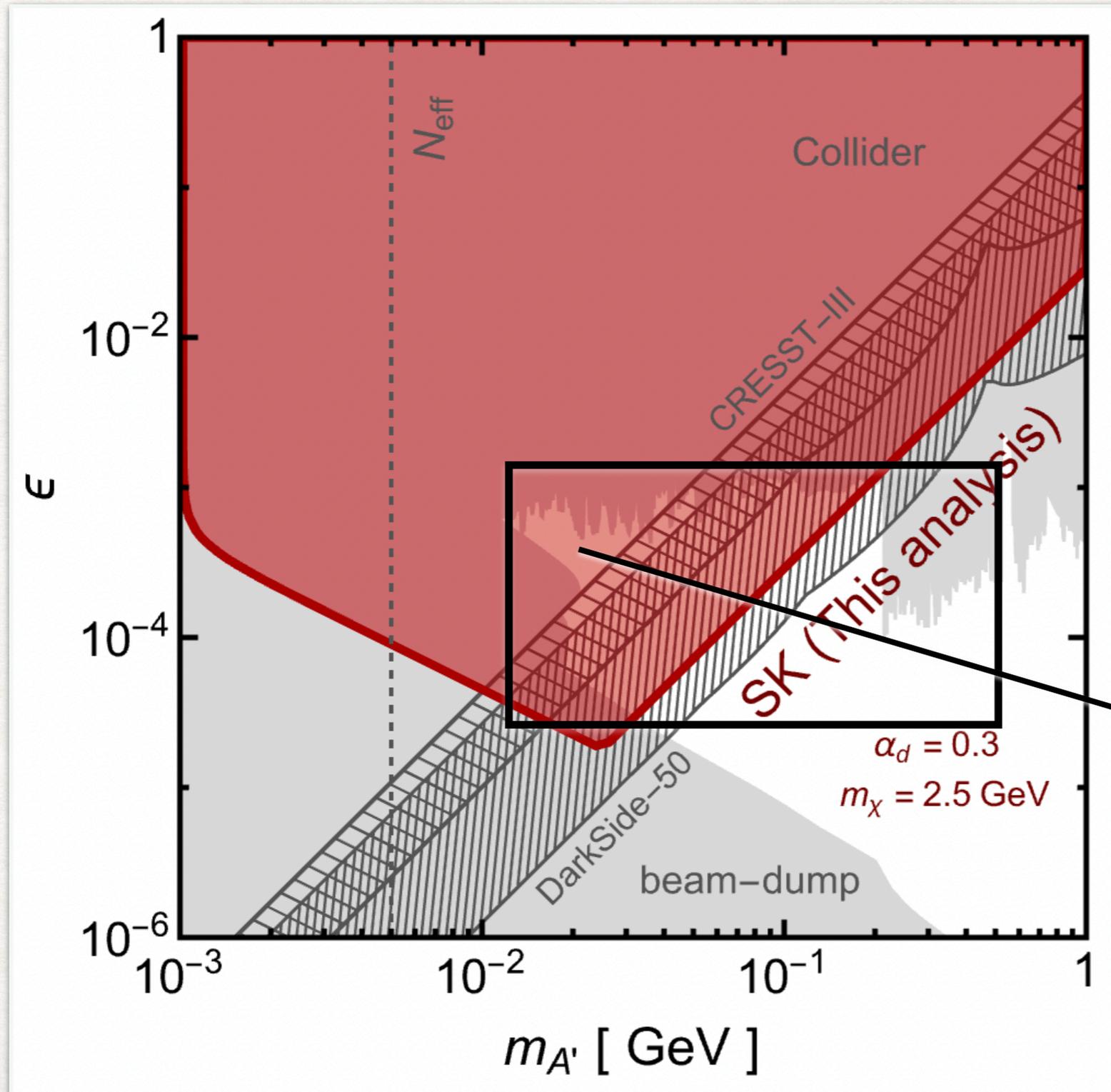
$$\langle\sigma v\rangle_{\text{ann}} = \frac{\pi\alpha_d^2 \left(1 - m_{A'}^2/m_\chi^2\right)^{3/2}}{m_\chi^2 \left(1 - m_{A'}^2/4m_\chi^2\right)^2}$$

$$\Gamma_{A'} = \frac{1}{3}\alpha\epsilon^2 m_{A'} \left(1 + \frac{2m_e^2}{m_{A'}^2}\right) \left(1 - \frac{4m_e^2}{m_{A'}^2}\right)^{1/2}$$

- To ensure the decay within the Super-K fiducial volume, we restrict the decay length $\gamma c\tau_{A'} \leq 1 \text{ m}$.

Results

Ray, (with Mckeen, Morissey, Pospelov, Ramani) [PRL, 2023]

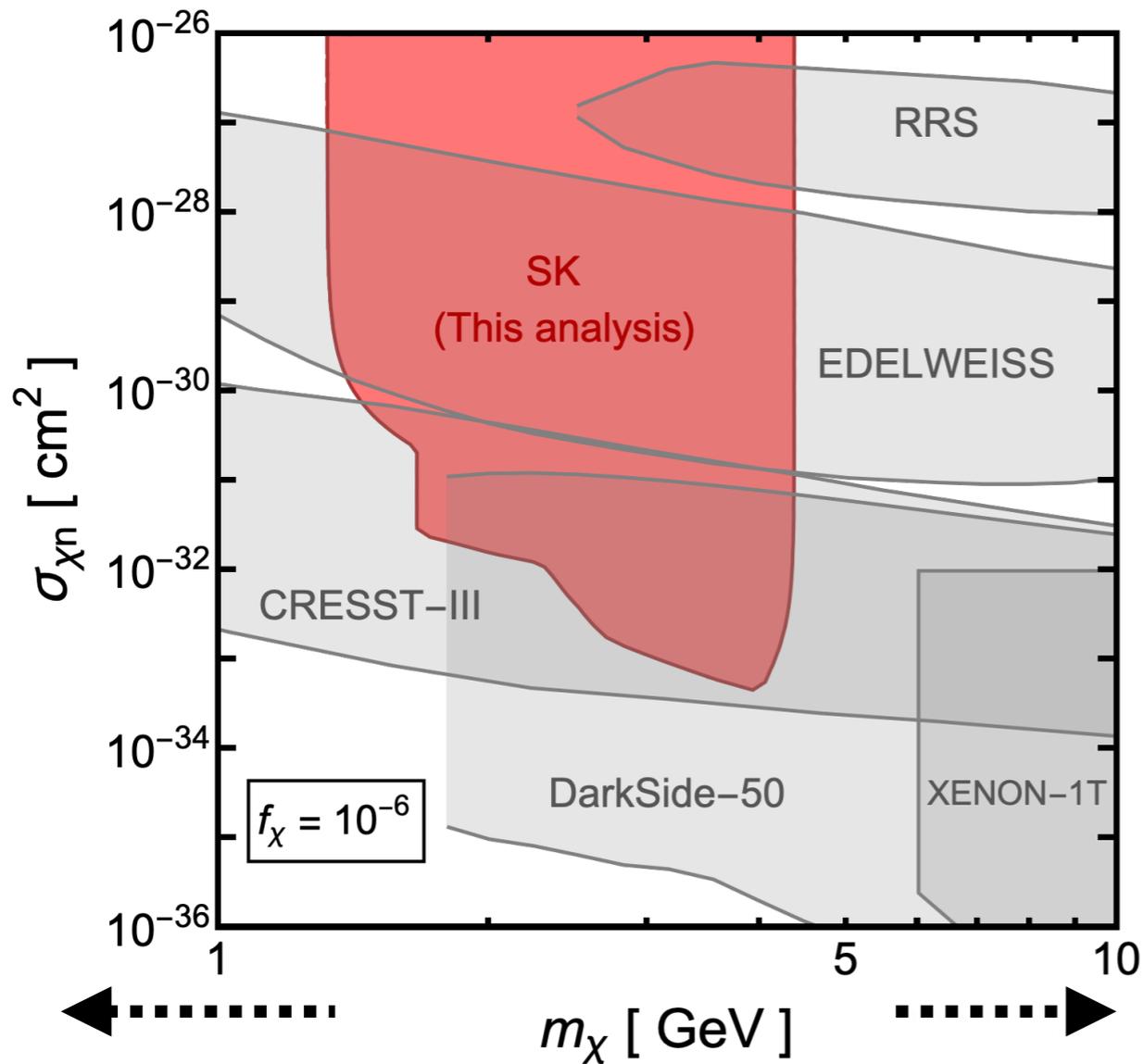


Unprecedented sensitivity on parts of the parameter space.

Summary

- Earth accumulates significant number of DM particles from the Galactic halo, leading to a DM density **15 orders of magnitude larger** than the Galactic DM density!
- Despite their prodigious abundance, their detection is extremely challenging as they have **tiny amount** of kinetic energy.
- We propose a novel detection scheme of such Earth-bound DM based on their **local annihilation** signature at large-volume neutrino detectors, such as, Super-K.
- Using di-nucleon annihilation searches at Super-K, we provide **unprecedented sensitivity** to the DM parameters.

What about heavy DM?

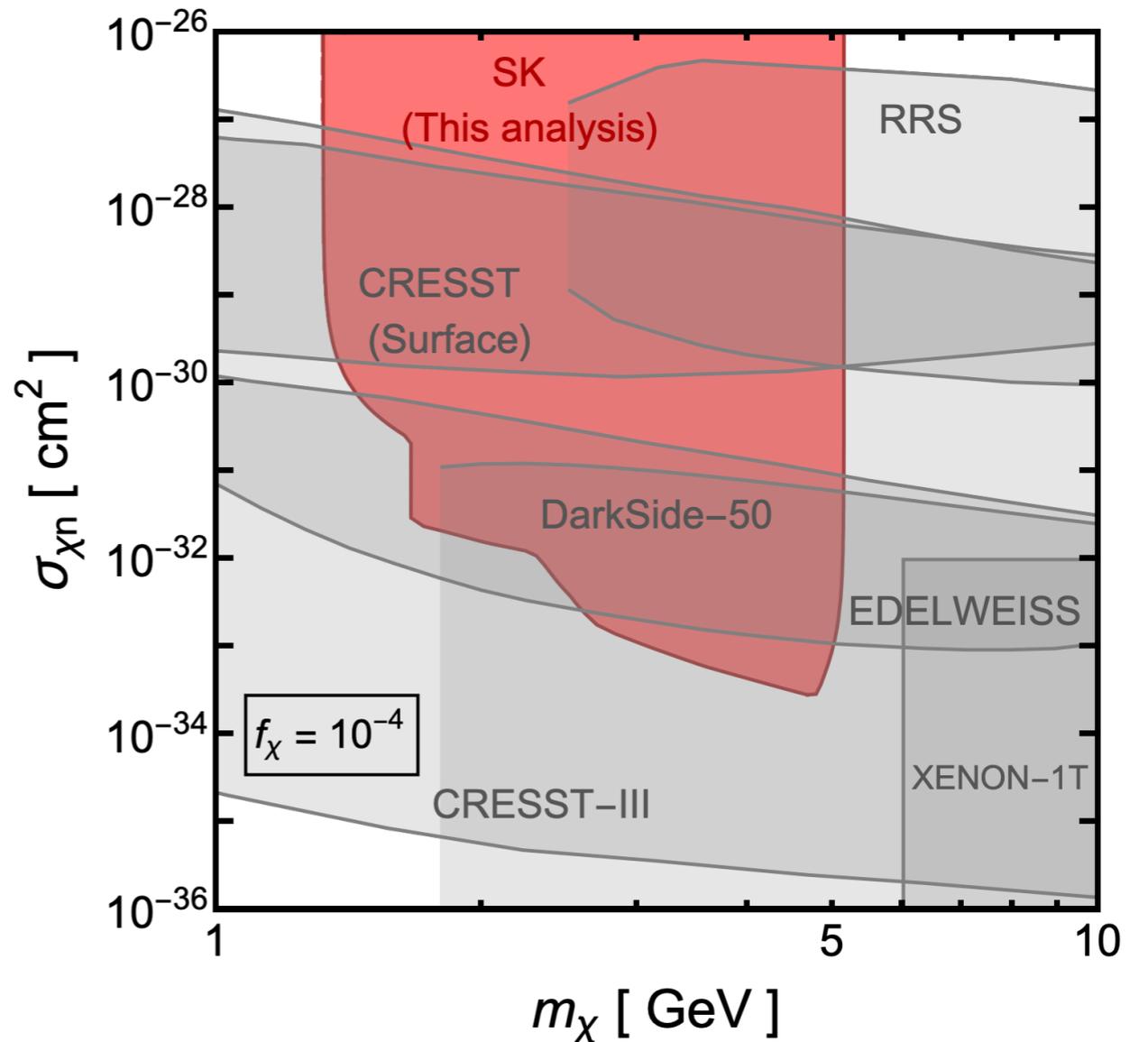


Evaporation

(Can not be improved)

DM shrinks towards the Earth-core

(Can be improved)



$m_{\chi} [\text{GeV}]$

Neutrino Signal

- Earth-bound DM if sufficiently heavy, shrinks towards the core, leading to a negligible surface density.

gravity dominates over the diffusion processes

- Annihilation to neutrinos can occur at the Earth-core, if Earth-bound DM is sufficiently heavy. Since the number density is huge, annihilation rate is also fairly large.
- Neutrinos, because of their feeble interactions, can reach detectors like Super-K, IceCube-DeepCore, and searching these annihilated neutrinos can provide sensitivity to DM interactions.

Pospelov & Ray [2309.10032]

Earth as the most optimal detector

- Earth accumulates fewer number of DM particles as compared to the Sun.
(by a factor of $\sim R_{\oplus}^2/R_{\odot}^2$)

$$\Gamma_{\text{cap}} = f_c \frac{\rho_{\chi}}{m_{\chi}} \pi R^2 \int \frac{f(u) du}{u} (u^2 + v_{\text{esc}}^2)$$

- But, for Earth-bound DM, distance to the detector is far less.

$$\phi_{\oplus} \sim \frac{\Gamma_{\text{cap}}}{4\pi R_{\oplus}^2} \quad \text{and} \quad \phi_{\odot} \sim \frac{\Gamma_{\text{cap}}}{4\pi D^2}$$

Flux for Earth-bound DM is ~ 4000 larger than the neutrino flux from Sun.

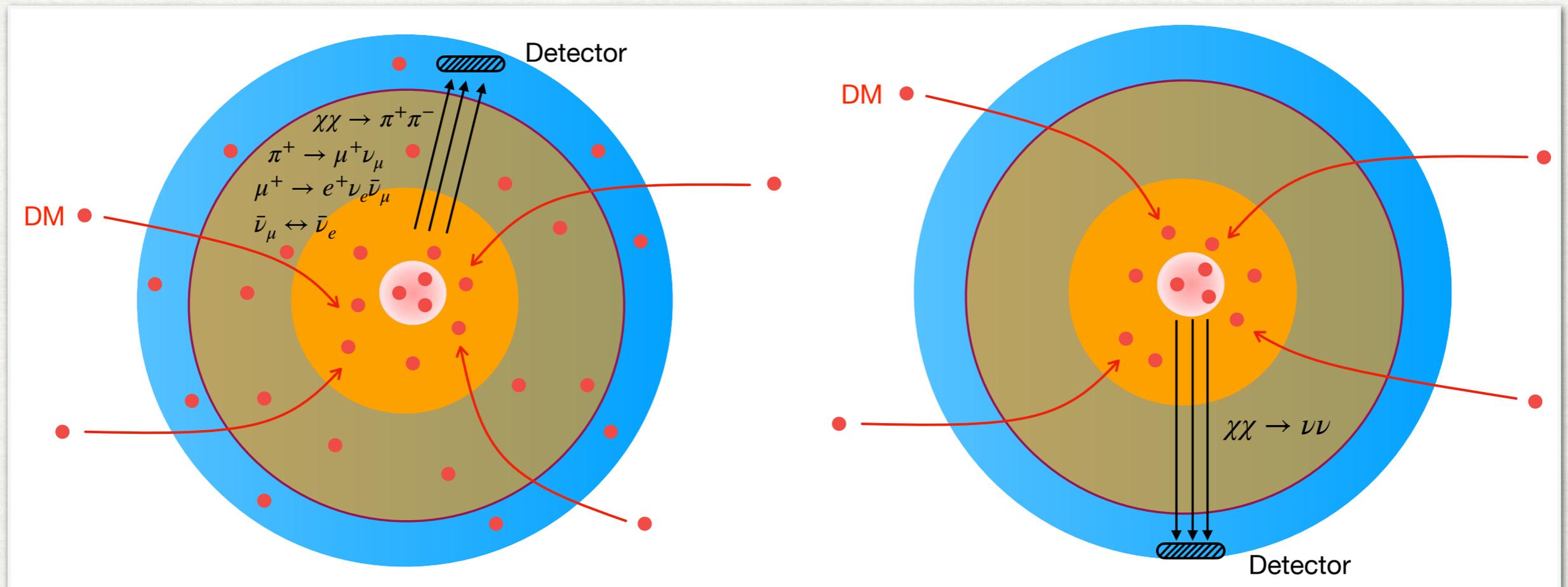
This is quite different from standard weakly-interacting paradigm where Sun is the most-optimal detector, and therefore, has been studied over the past few decades.

Neutrino Signal

- We consider two phenomenological scenarios:

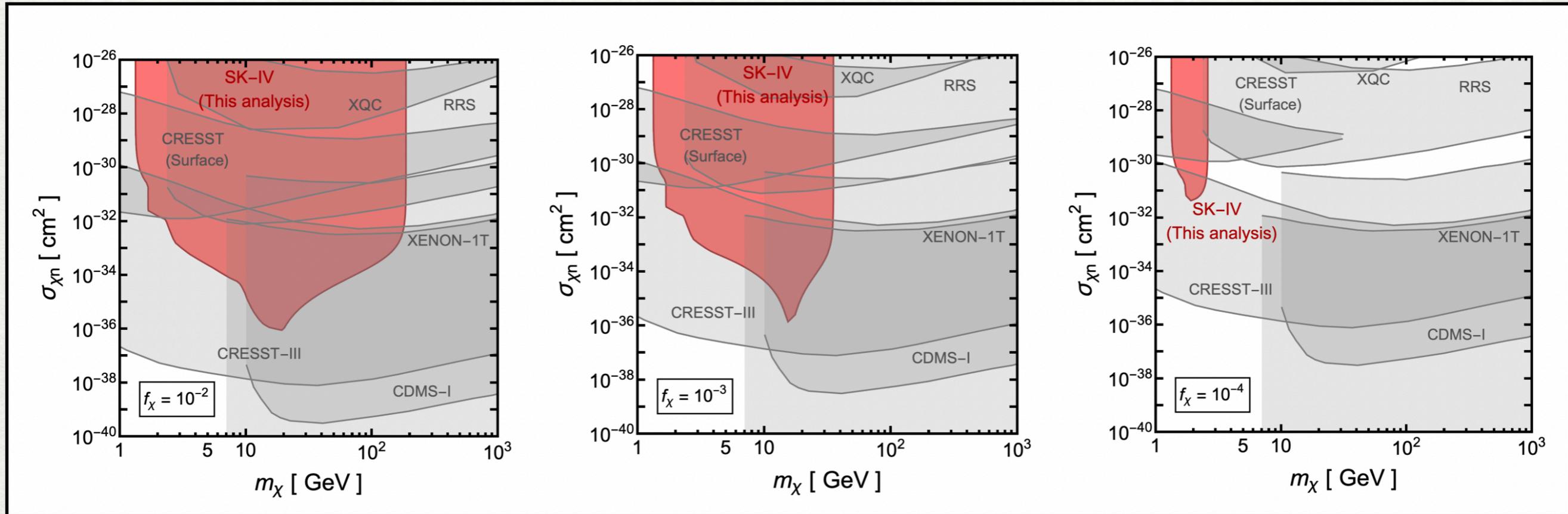
Lower energy neutrinos from the stopped pion decay

Higher energy neutrino lines from direct annihilation



Low Energy Neutrinos

Pospelov & Ray [2309.10032]

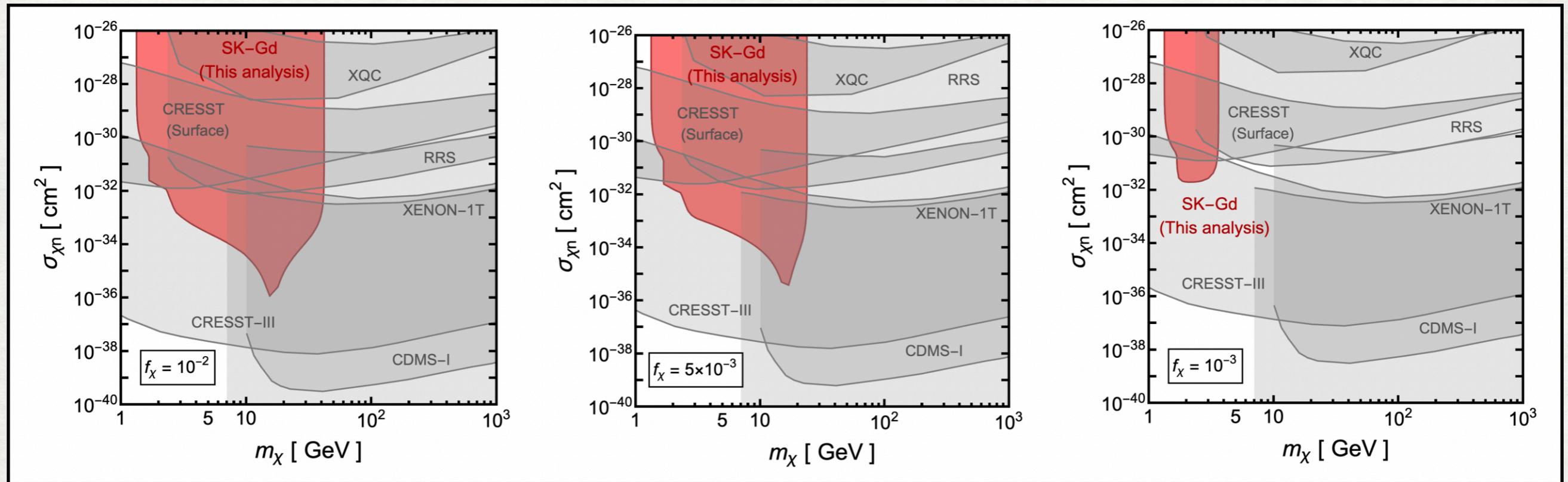


We use the Super-K DSNB search result with pure-water (22.5 kton \times 2970 days) to derive the exclusion limits.

Super-Kamiokande (PRD, 2021)

Low Energy Neutrinos

Pospelov & Ray [2309.10032]



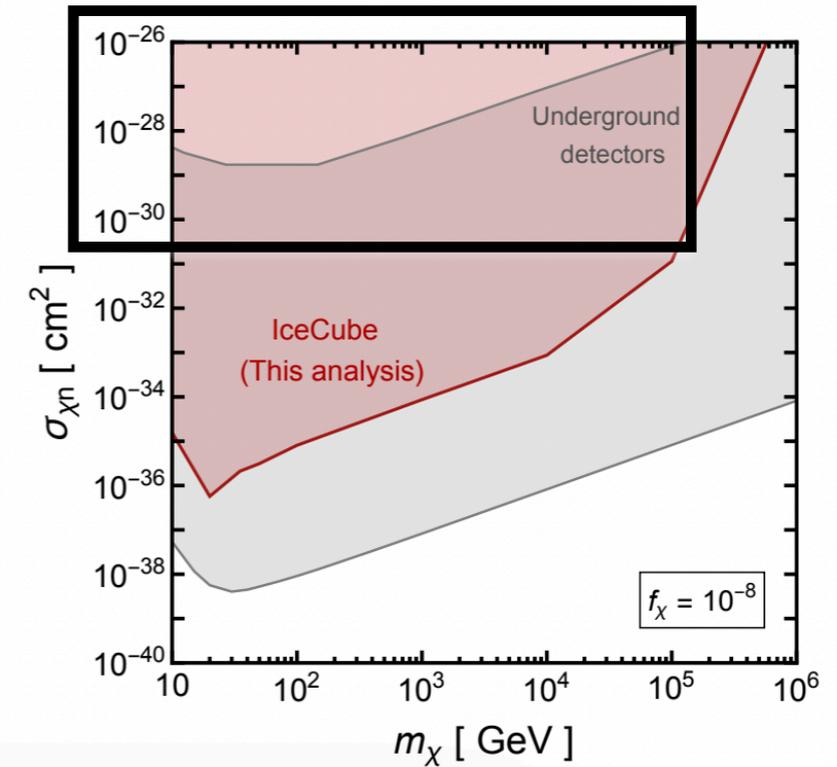
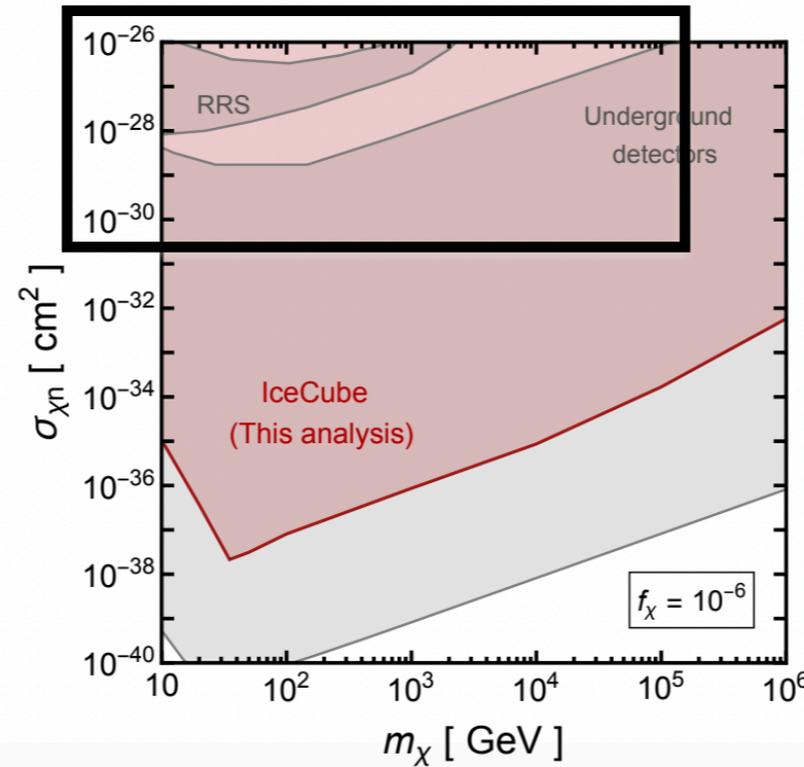
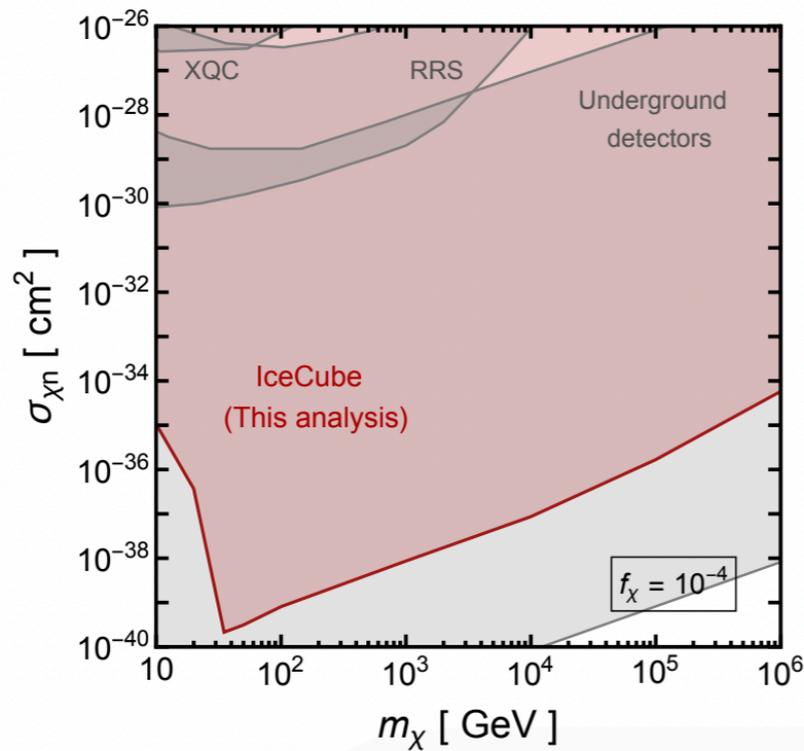
We use the Super-K DSNB search result with 0.01 wt% gadolinium loaded water (22.5 kton \times 552.2 days) to derive the exclusion limits

Super-Kamiokande (APJL, 2023)

*Gd-loaded water gives competitive limit although the data is 5 times less.

High Energy Neutrinos

Pospelov & Ray [2309.10032]



We probe up to $f_\chi \geq 10^{-8}$ for sufficiently heavy Earth-bound DM.

Mass (GeV)	$b\bar{b}$		$\tau\bar{\tau}$		$\nu\bar{\nu}$
	$\Gamma_{\text{ann}} [\text{s}^{-1}] \times 10^{23}$		$\Gamma_{\text{ann}} [\text{s}^{-1}] \times 10^{23}$		$\Gamma_{\text{ann}} [\text{s}^{-1}] \times 10^{23}$
5		139		139.3	
10		396		7.0	1.37
20		29.7		0.97	0.27
35		7.41		0.22	0.09
50		3.51		0.096	0.05
100		1.39		0.038	0.027

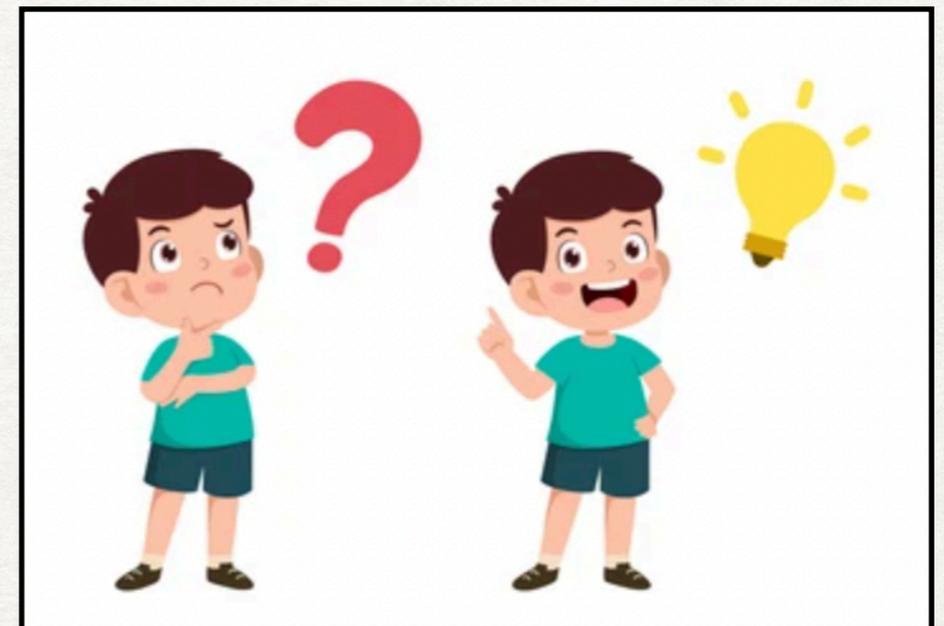
IceCube (PRD,2022)

Conclusion

★ How to detect rare species of DM?



★ Look at the annihilation of Earth-bound DM!



Thanks!

Questions & Comments: anupam.ray@berkeley.edu