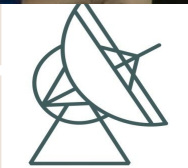


The latest updates from the PTA community: 29th of June announcement

Nataliya K. Porayko

on behalf of the  **EPTA**



Max-Planck-Institut
für Radioastronomie



InPTA
Indian Pulsar Timing Array



EPTA + InPTA: more telescopes the better

Partner telescopes:

- Effelsberg
- Lovell
- Nancay Radio Telescope
- Sardinia Radio Telescope
- Westerbork Synthesis Radio Telescope

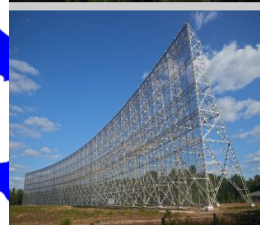
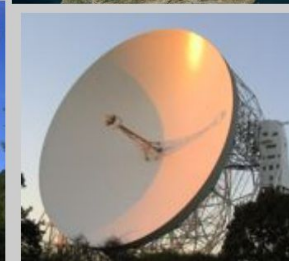
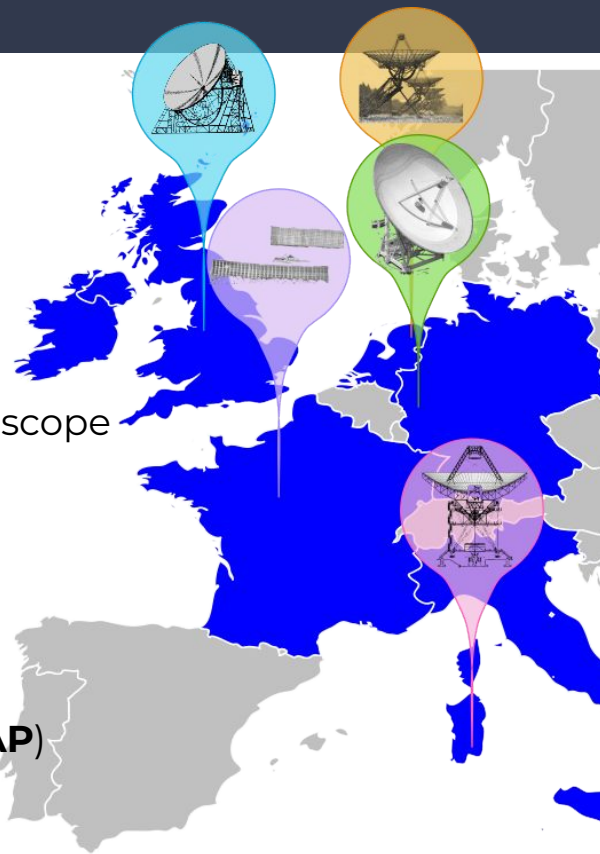
+

GMRT in India

+

Large European Array for Pulsars (**LEAP**)

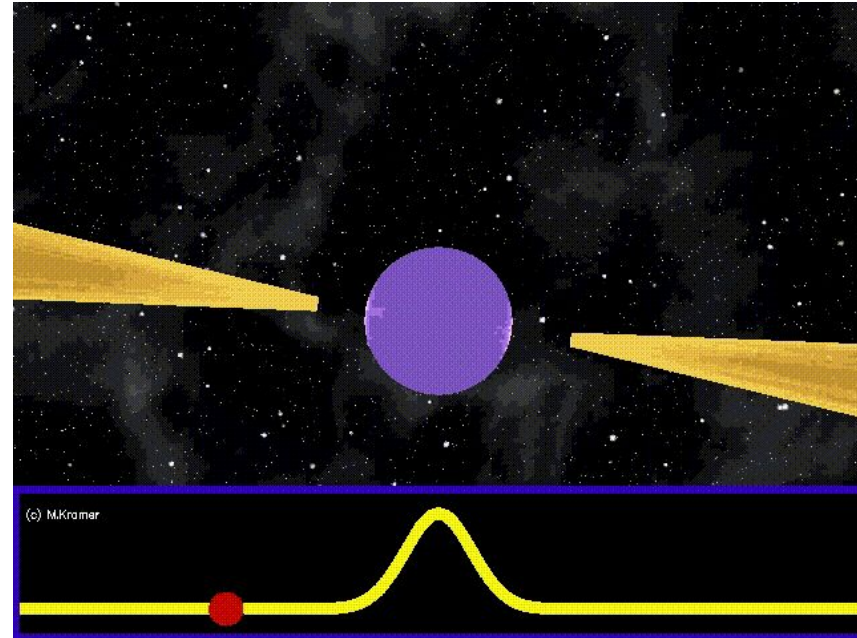
Low Frequency Array (**LOFAR**)



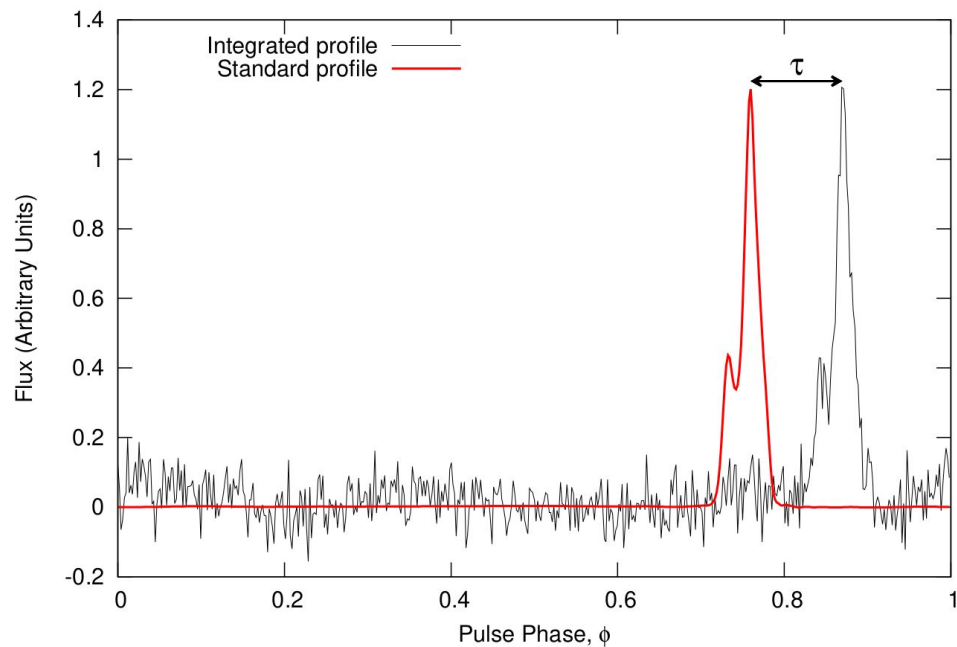
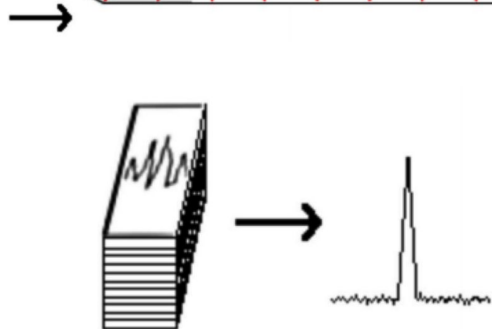
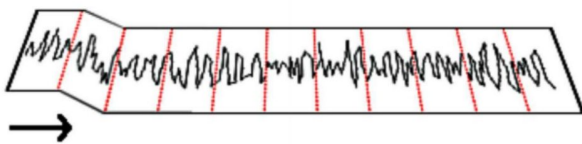
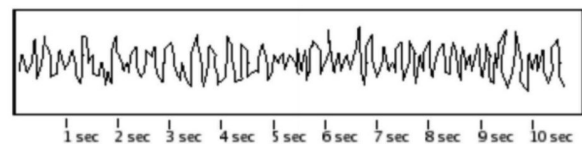
Pulsars in a nutshell

Pulsars are neutron stars, which are:

- Rapidly spinning. Periods: **from few ms to several seconds**
- Highly magnetised $\sim 10^8 - 10^{15} \text{G}$
- Extremely dense: $\rho > 10^{14} \text{g/cm}^3$
- **Stable rotators (“Galactic clocks”)**

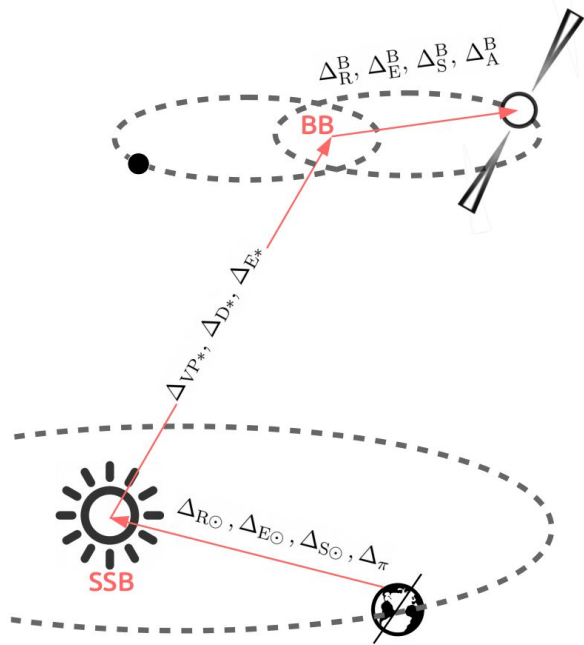


Pulsar timing



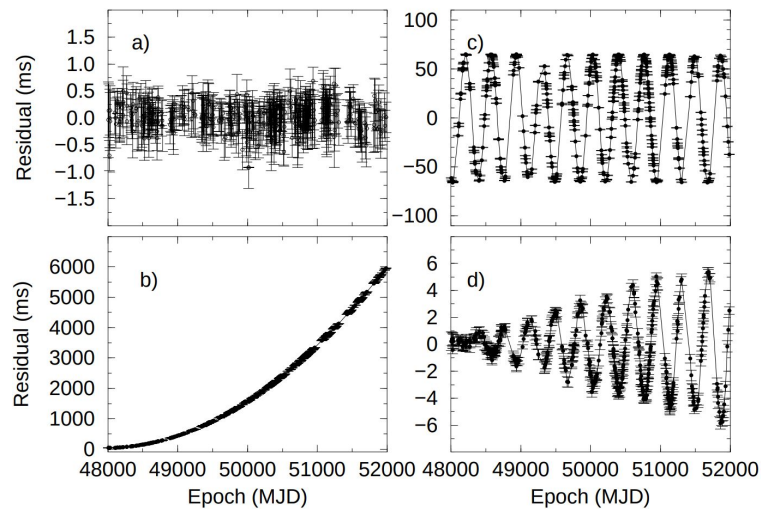
Credit: Ridolfi, PhD thesis

Pulsar timing

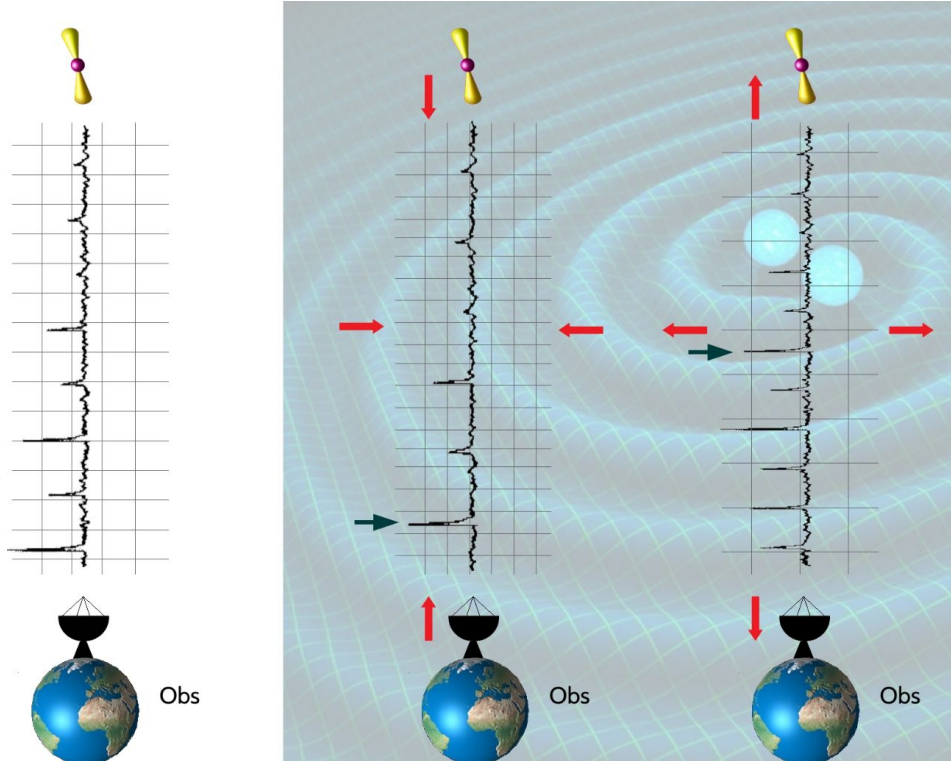


$$t_{\text{SSB}} = t_{\text{topo}} + t_{\text{corr}} - \frac{\Delta D}{f^2} + \underbrace{\Delta_{R\odot} + \Delta_{S\odot} + \Delta_{E\odot}}_{\text{Solar system terms}} + \underbrace{\Delta_{RB} + \Delta_{SB} + \Delta_{EB}}_{\text{(pulsar binary terms)}}$$

Conversion to topocentric (time at observatory) Clock corrections Dispersion measure Römer delay Shapiro delay Einstein delay



PTA response on CGW



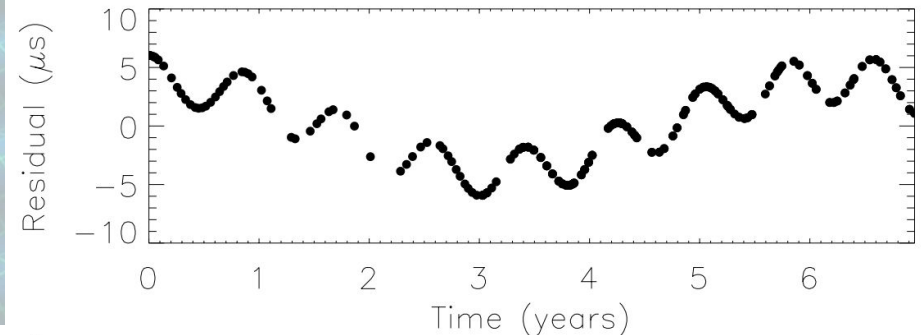
Credit: C. Tiburzi slide

$$R(t) = \frac{1}{2} (1 + \cos\mu) x$$

$$[r_+(t) \cos 2\psi + r_x(t) \sin 2\psi]$$

$\sim e^{i\omega t}$, $\omega = 2\omega_{orb}$

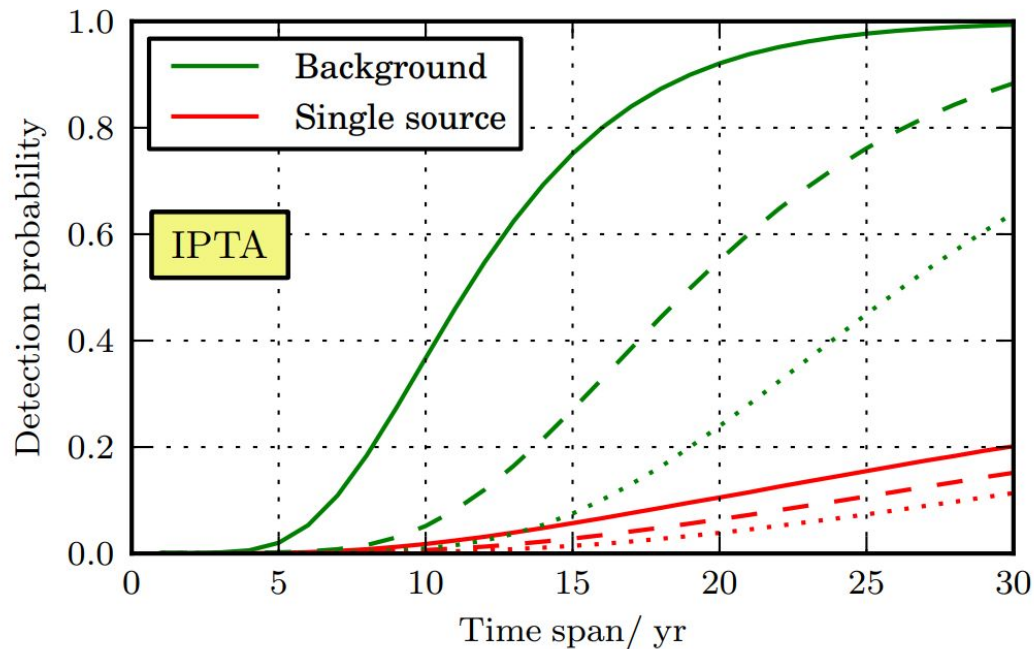
$$r_{+,x}(t) = r_{+,x}^E(t) - r_{+,x}^P(t)$$



Credit: Jenet et al 2004

PTA response on GW background

Credit: Rosado, Sesana, Gair 2015



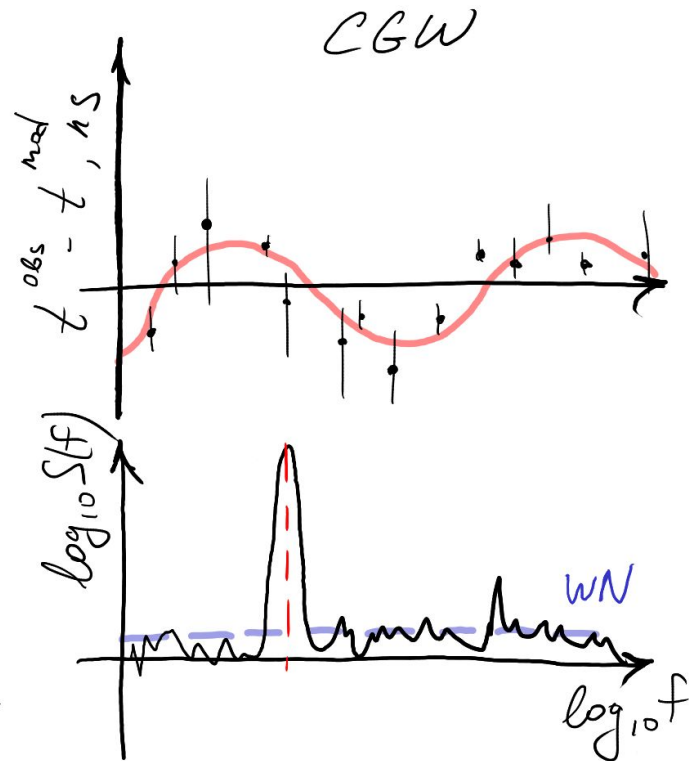
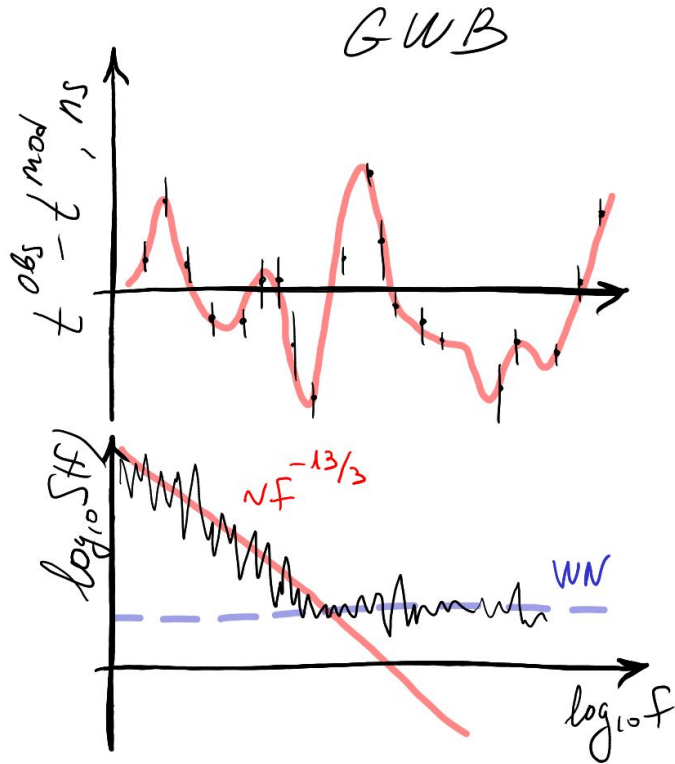
$$\Omega_{\text{GWB}} \sim f^{2/3}$$
$$h_c(f) \sim f^{-2/3}$$

↓

$$S(f) \sim f^{-13/3}$$

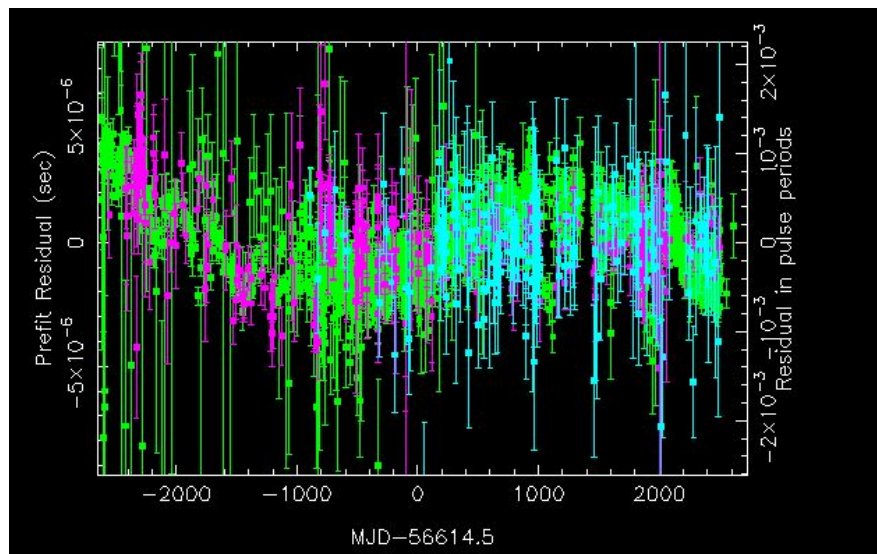
response of the detector

GWB vs CGW

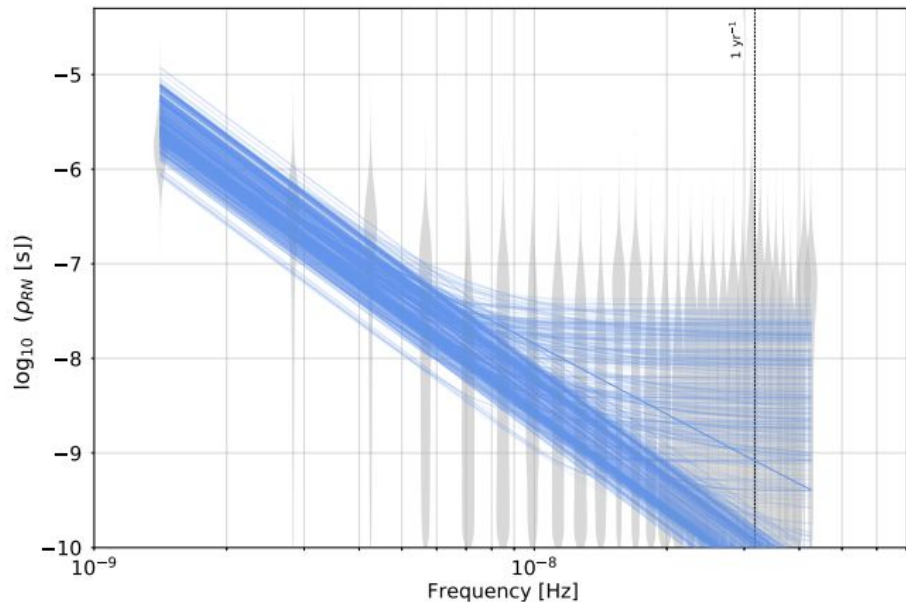


Pulsar timing: obstacles

Timing residuals ...

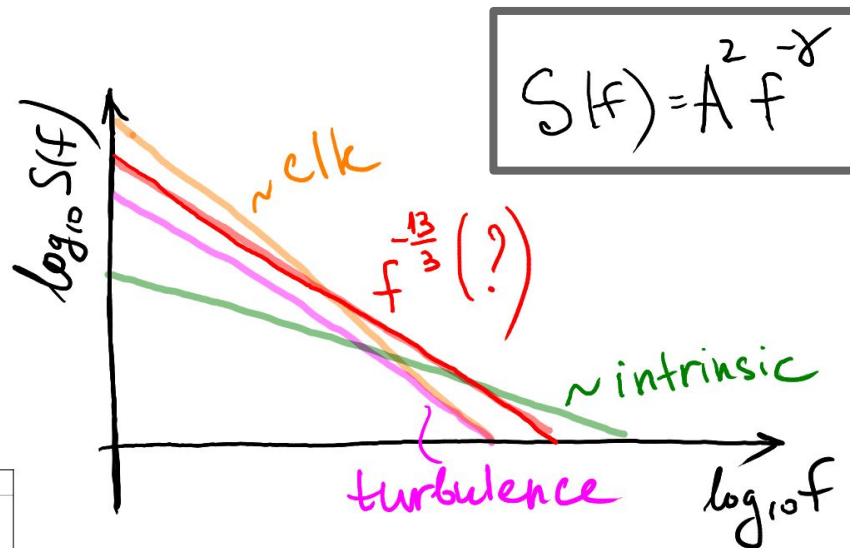
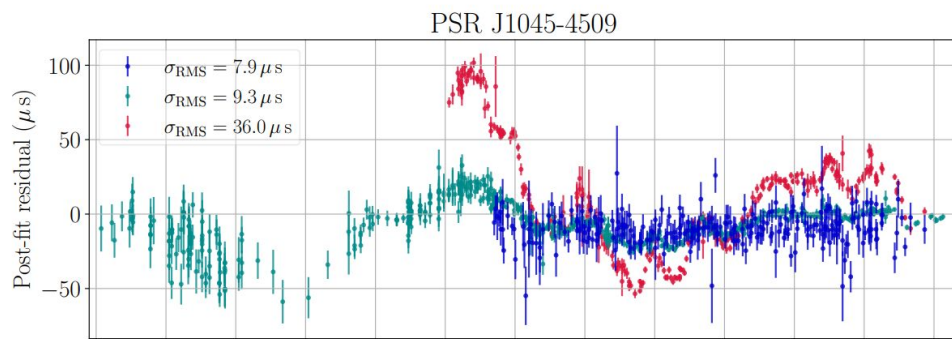


and power spectrum of PSR J0613-0200



Sources of noise in pulsar timing

- Intrinsic pulsar noise (red)
- IISM related chromatic noise (red)
- Instrumental noise (usually assumed to be white)
- Clock noise (red)
- Ephemerid noise (red)

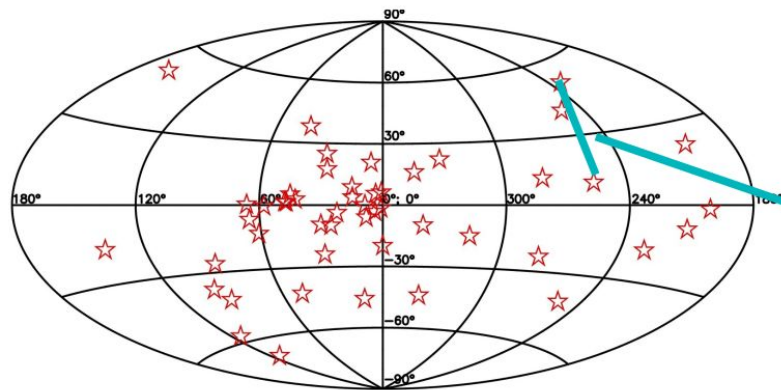


Credit: Reardon et al 2021

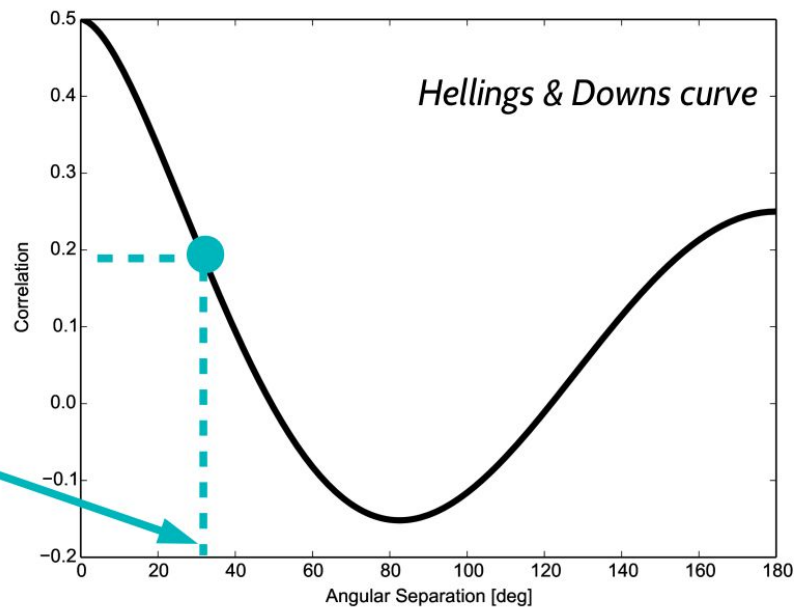
Hellings and Downs curve

$$\zeta(\theta_{ij}) = \frac{3}{2} x \log(x) - \frac{x}{4} + \frac{1}{2}$$

$$x = [1 - \cos(\theta_{ij})]$$



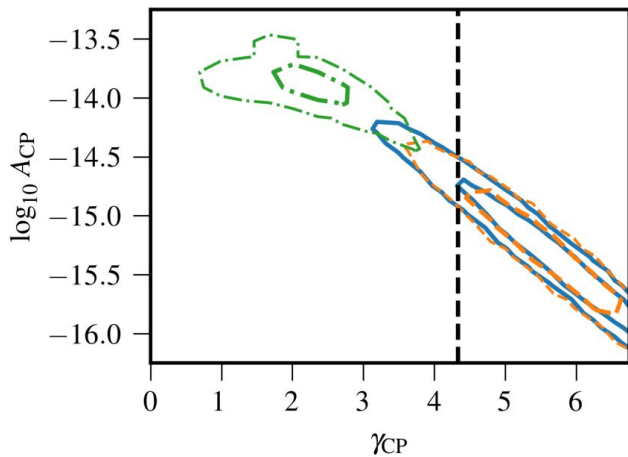
Verbiest+2016



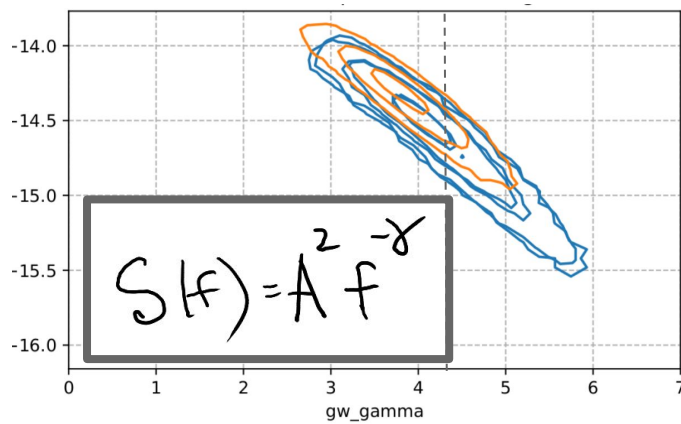
yesterday

Pulsar Timing Arrays ~~today~~: common signal

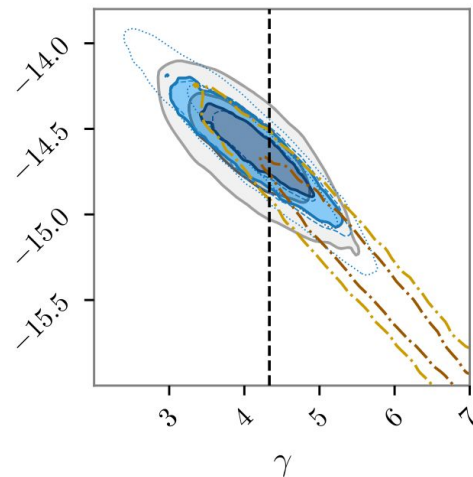
NANOGrav, 2021
12.5 years, 47 PSRs



EPTA, 2021
24 years, 6 PSRs



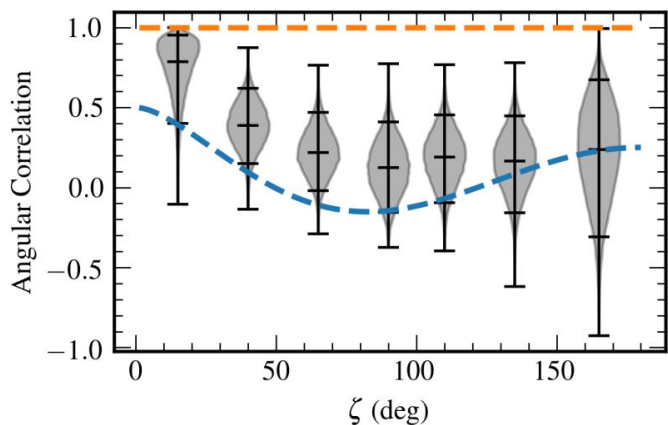
PPTA, 2021
14 years, 26 PSRs



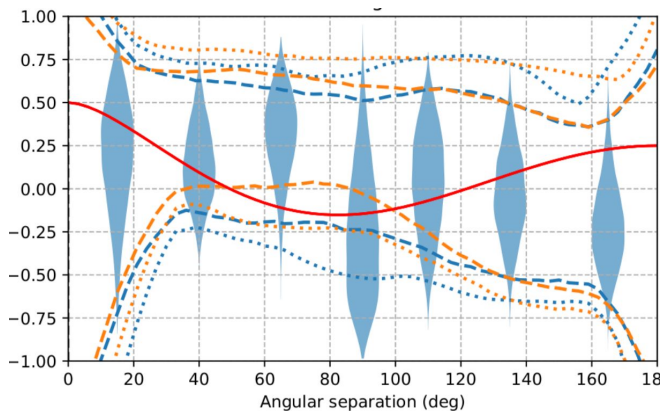
yesterday

Pulsar Timing Arrays ~~today~~: correlation curves

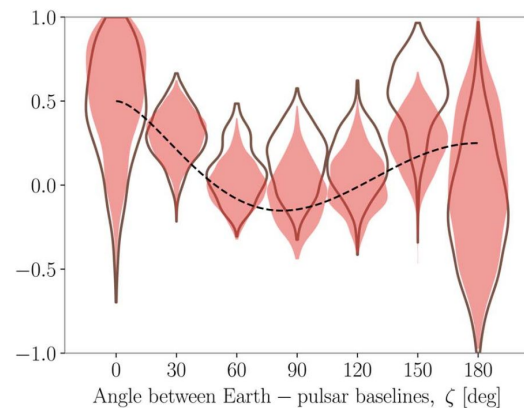
NANOGrav, 2021
12.5 years, 47 PSRs



EPTA, 2021
24 years, 6 PSRs

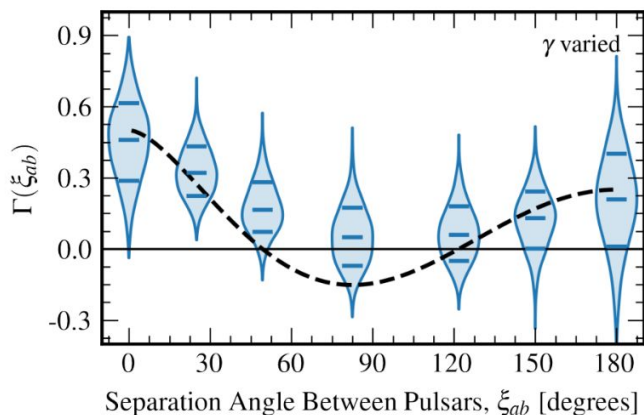


PPTA, 2021
14 years, 26 PSRs



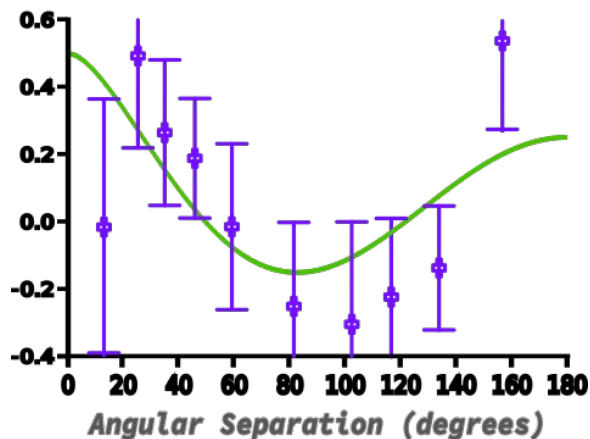
Pulsar Timing Arrays today: 29th of June, 2023

NANOGrav, 2023
15 years, 70 PSRs
 3σ - 4σ



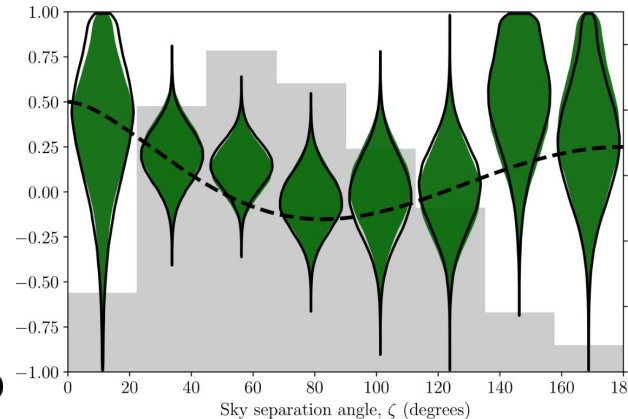
arXiv: 2306.16213

EPTA+InPTA, 2023
10.3 years, 25 PSRs,
 3σ



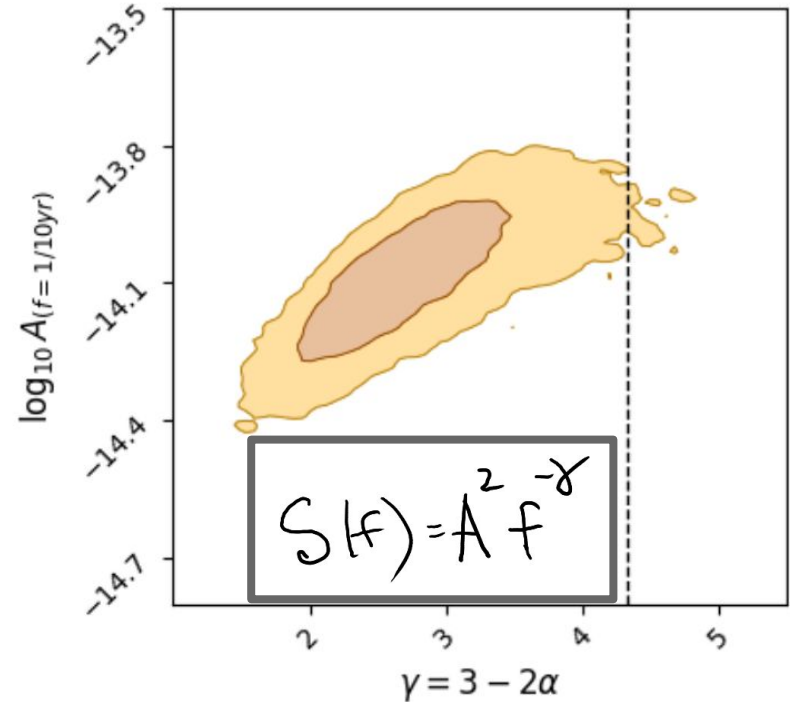
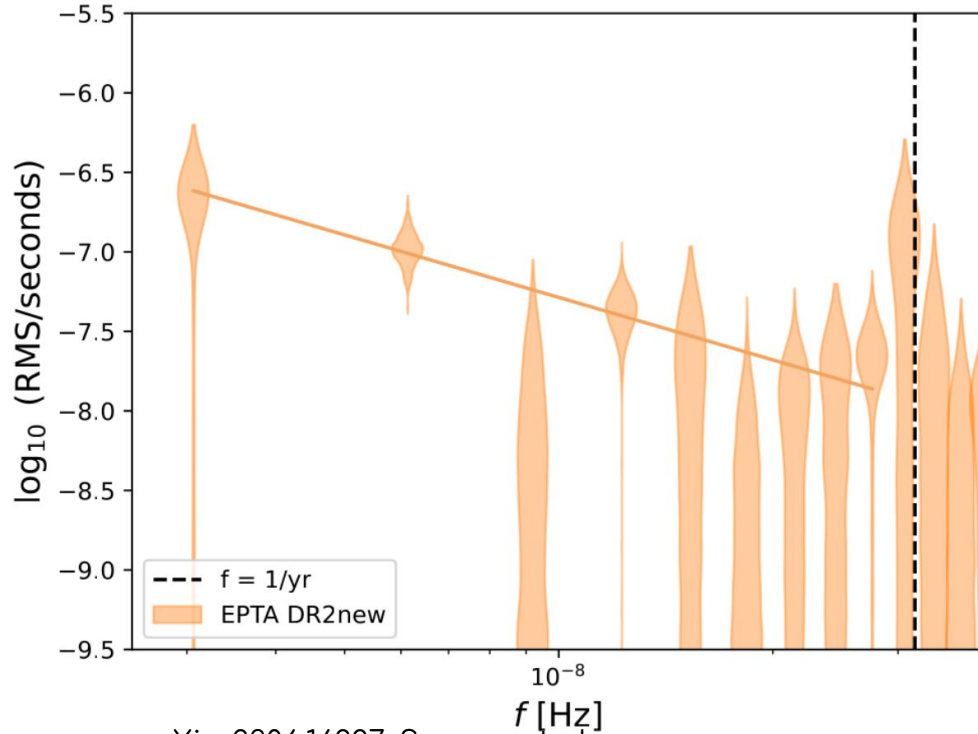
arXiv: 2306.16214

PPTA, 2023
18 years, 32 PSRs
 2σ



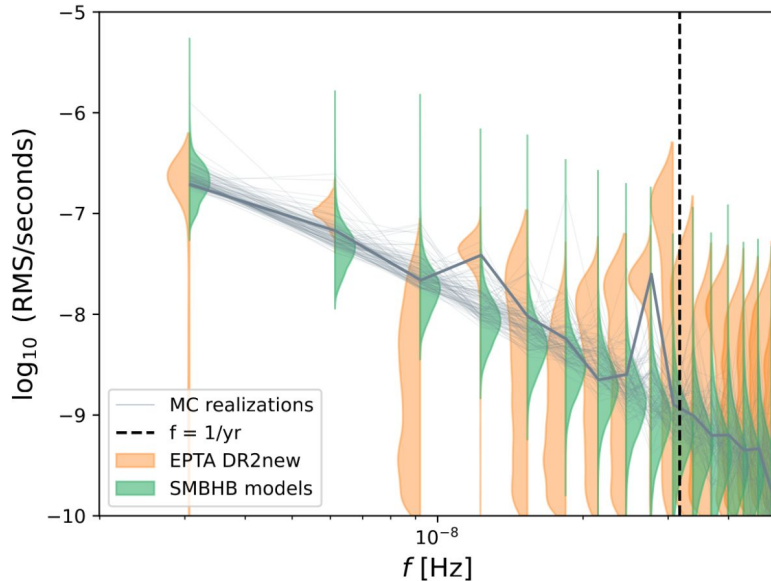
arXiv: 2306.16215

EPTA+InPTA power spectrum



EPTA+InPTA power spectrum: GWB

$$h_c^2(f) = \frac{4}{\pi f^2} \int \int \int dz dM_{\bullet,1} dq_{\bullet} \left[\frac{d^3 n}{dz dM_{\bullet,1} dq_{\bullet}} \right] \frac{1}{1+z} \left[\frac{dE_{\text{gw}}(\mathcal{M})}{d \ln f_r} \right]$$



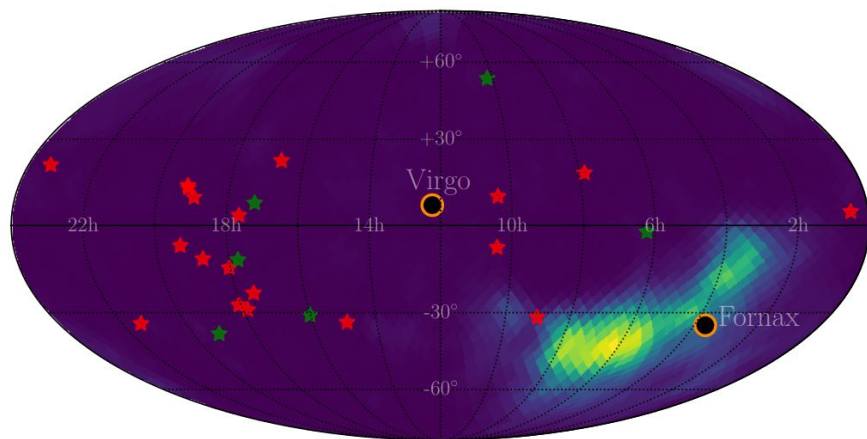
arXiv: 2306.16227: Sesona et al

Defines the amplitude:
 number of mergers per
 comoving volume (per
 redshift, mass, mass
 ration)

Defines the slope:
 the energy emitted per
 log frequency interval;
 $\frac{2}{3}$ in pure GTR with
 circular binaries, can
 be modified by
 accretion and
 eccentricity

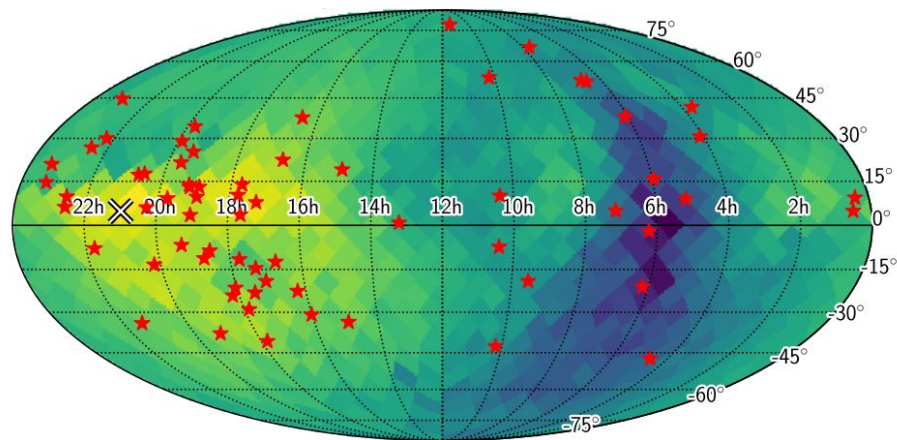
Continuous GW search

EPTA+InPTA



arXiv: 2306.16226 (Falxa, Babak, Speri et al)

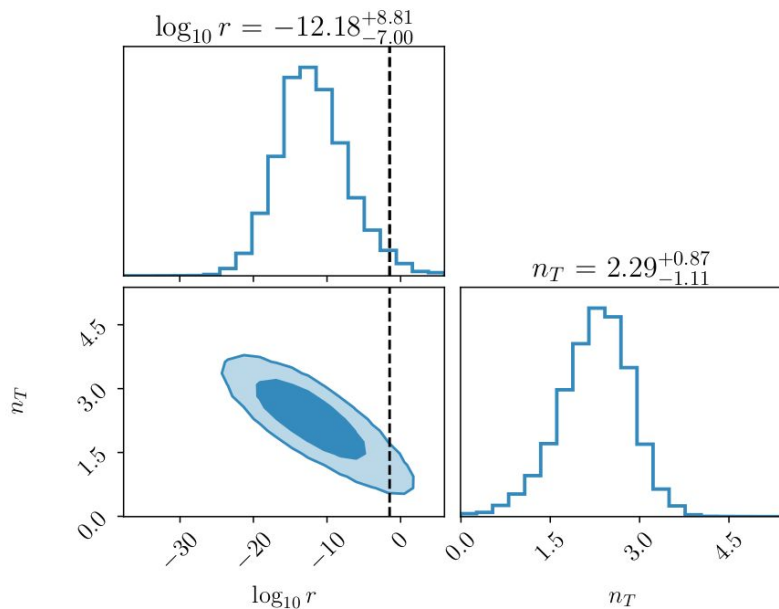
NANOGrav



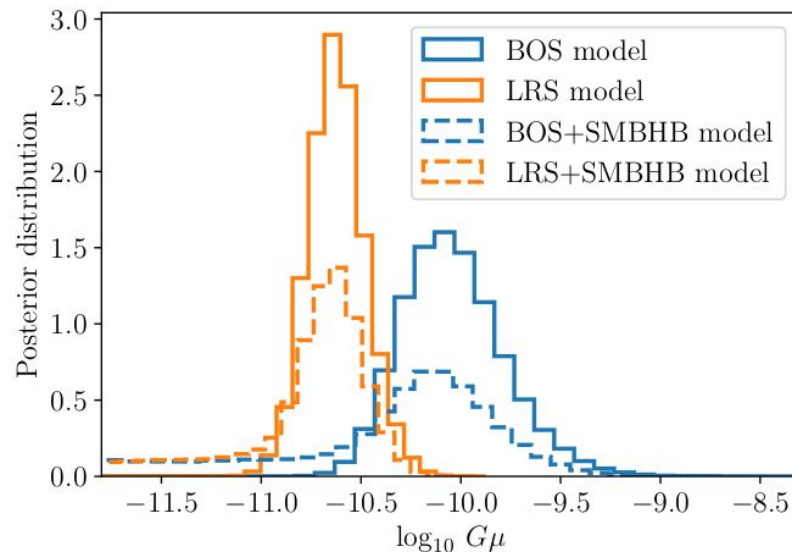
arXiv: 2306.16222

Alternative explanations: early Universe

Inflationary GWB

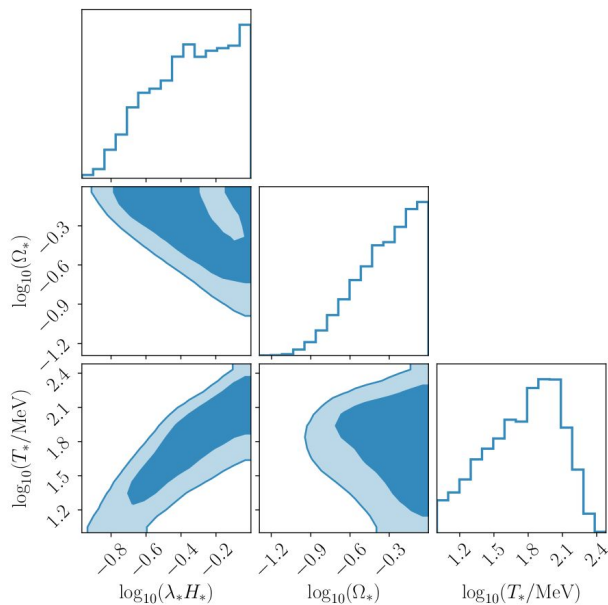


Cosmic strings

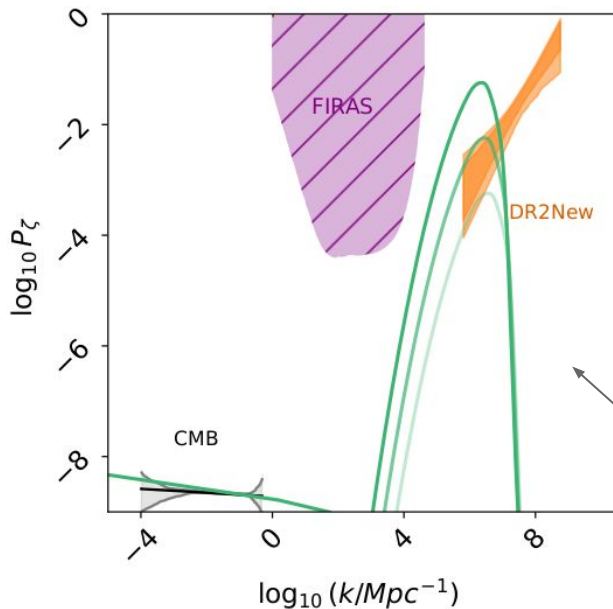


Alternative explanations: early Universe

Cosmic turbulence



2nd order scalar induced GWB



$$P_\zeta = A_\zeta^{10\text{yr}} \left(\frac{k}{k_{10\text{yr}}} \right)^{(n_s-1)}$$

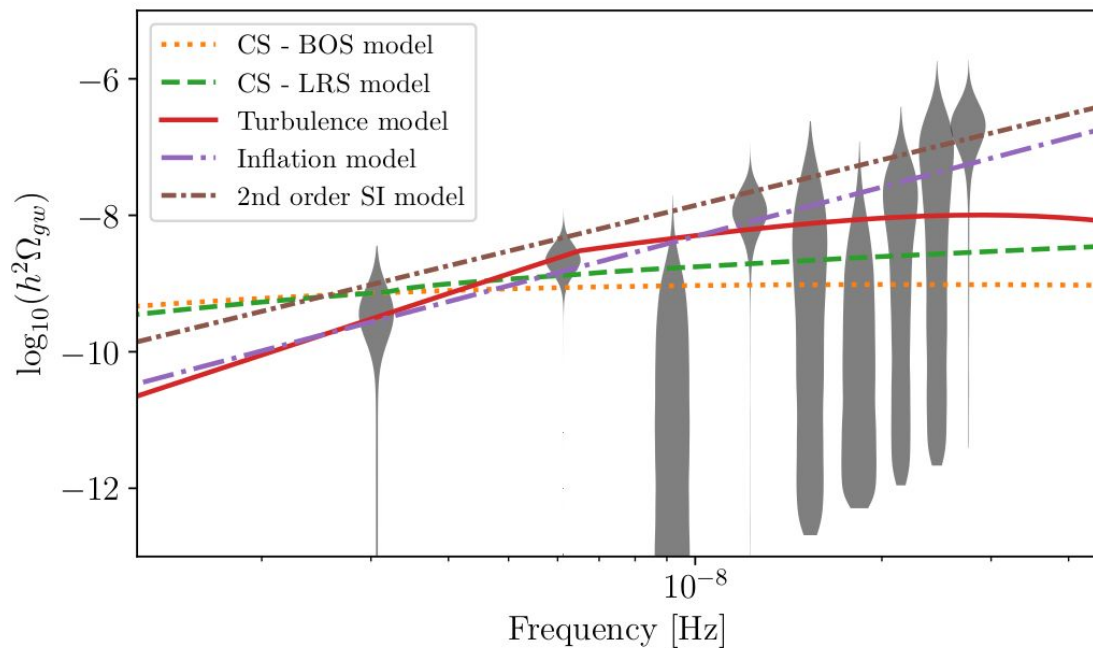
$$\Omega_{\text{GW}} \left(f = \frac{kc}{2\pi} \right) = Q(n_s) A_\zeta^{10\text{yr}} \left(\frac{k}{k_{10\text{yr}}} \right)^{2(n_s-1)}$$

$$\Omega_{\text{GW}}^0 = 2\Omega_r^0 \left(\frac{g_*(T)}{g_*(T_{\text{eq}})} \right) \left(\frac{g_{*s}(T)}{g_{*s}(T_{\text{eq}})} \right)^{-\frac{4}{3}} \Omega_{\text{GW}}$$

Kohri, Terada 2018

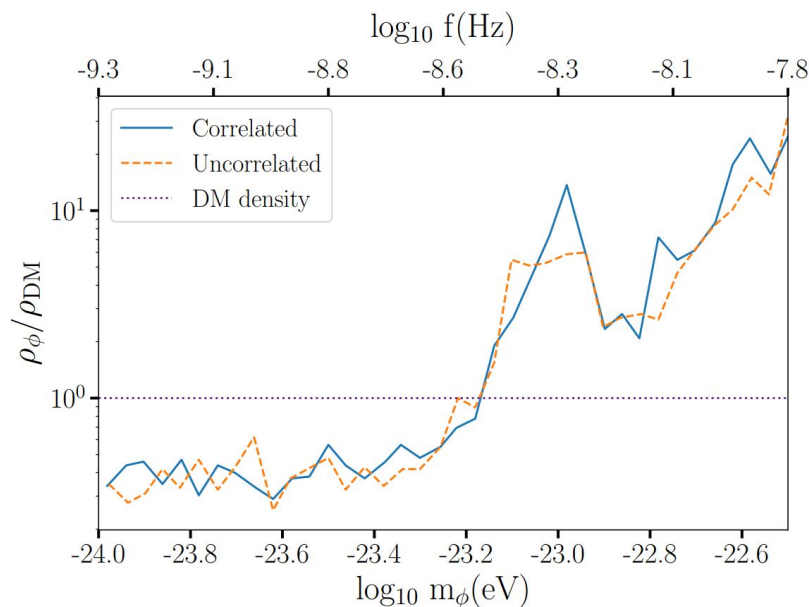
Braglia et al 2020

Alternative explanations: early Universe



Alternative explanations: scalar field dark matter

Upper limits on the FDM using 25-yr EPTA dataset



Scalar field of the form: *Boson mass*

$$\varphi(x,t) = A(x) \cos(mt + d(x))$$

Energy-momentum tensor:

$$T_{\mu\nu} = \partial_\mu \varphi \partial_\nu \varphi - \frac{1}{2} g_{\mu\nu} ((\partial\varphi)^2 - m^2 \varphi^2)$$

To the first order v/c

$$T_{\mu\nu} = \begin{pmatrix} P = \frac{1}{2} m^2 A^2 & & & \\ & P & & \\ & & P & \\ & & & P \cos(2mt) \end{pmatrix} \xrightarrow{\delta T G T_{\mu\nu} = G_{\mu\nu}} g_{\mu\nu}(t) = \begin{pmatrix} \varphi(t) & & & \\ & -\varphi(t) & & \\ & & -\varphi(t) & \\ & & & -\varphi(t) \end{pmatrix}$$

cos(2mt)

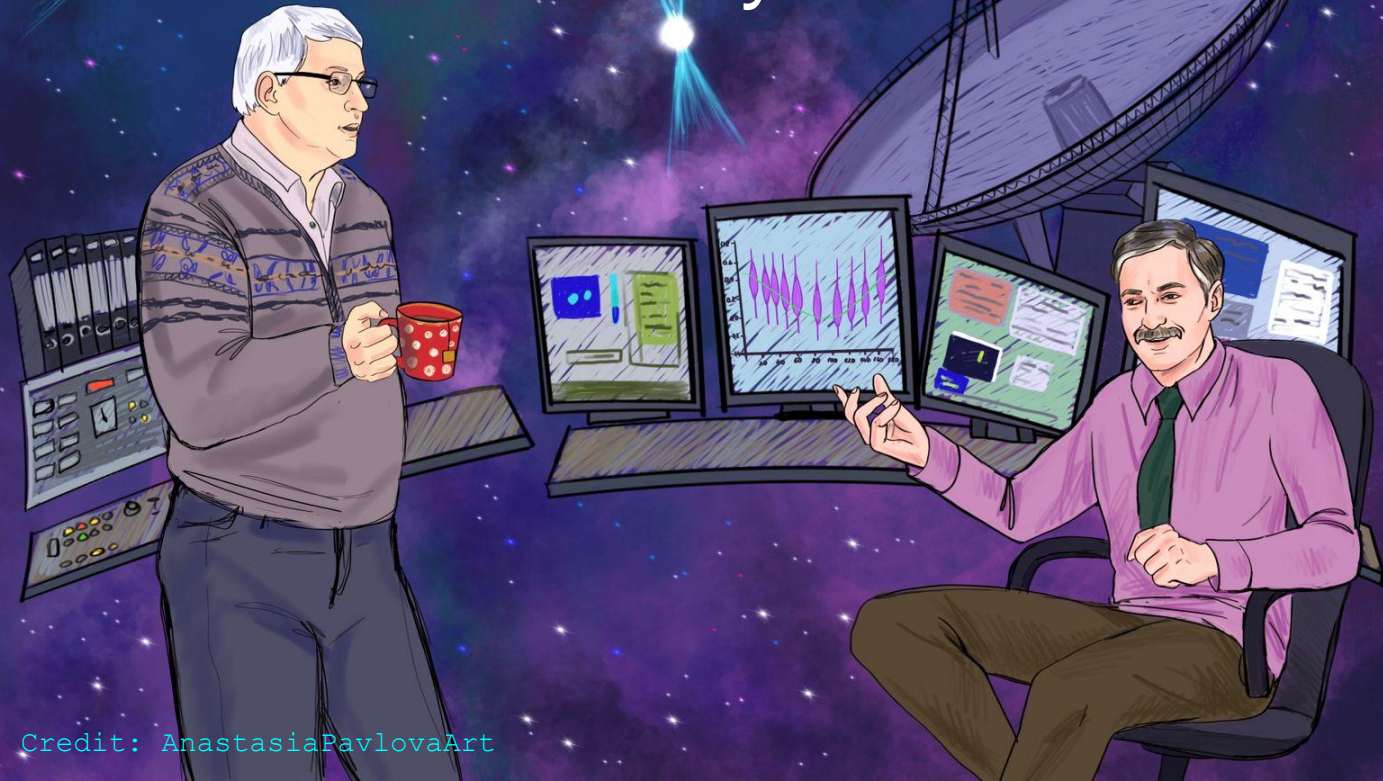
The final expression for the perturbed timing residuals

$$R(t) = \underbrace{\frac{\psi(x_e)}{2\pi f} \sin(2\pi f t + d(x_e))}_{\text{Earth term}} - \underbrace{\frac{\psi(x_p)}{2\pi f} \sin(2\pi f(t - \frac{D}{c}) + d(x_p))}_{\text{Pulsar term}}$$

$\sim \rho_{DM}$

$= \frac{2mc^2}{h} = 5 \cdot 10^8 \left(\frac{m}{10^{-22} \text{eV}} \right) \text{Kz}$

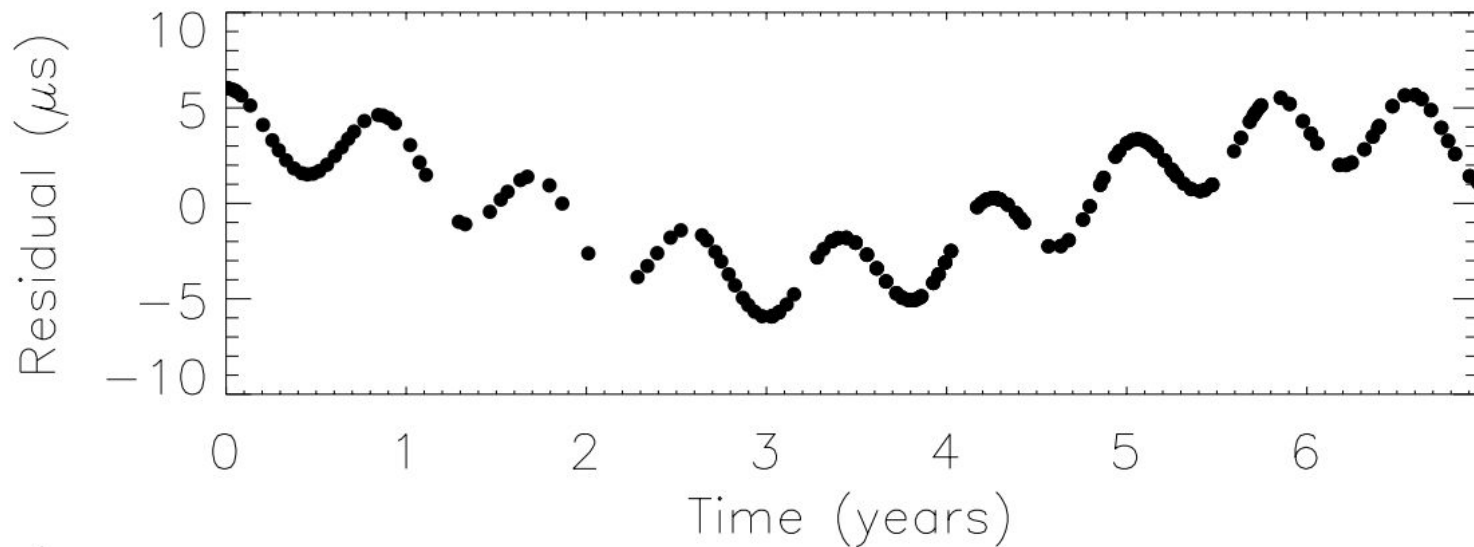
Thank you



Credit: AnastasiaPavlovaArt

Pulsar timing: GW response

Simulated residuals of PSR B1855+09 from the alleged SMBHB in 3C66B



Credit: Jenet et al 2004

EPTA results

