New physics searches with atomic dysprosium

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What is dysprosium?



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Experimental investigation of excited states in atomic dysprosium

Dmitry Budker, David DeMille, and Eugene D. Commins



Radio-frequency spectrum



The Dy parity violation experiment



Search for parity nonconservation in atomic dysprosium

A. T. Nguyen,¹ D. Budker,^{1,2} D. DeMille,^{1,*} and M. Zolotorev³

 $|H_w| = |2.3 \pm 2.9 (\text{statistical}) \pm 0.7 (\text{systematic})|$ Hz

PRL 113, 081601 (2014) PHYSICAL REVIEW LETTERS 22 AUGUST 2014

Limiting P-Odd Interactions of Cosmic Fields with Electrons, Protons, and Neutrons

also PRD **90**, 096005 (2014)

B. M. Roberts,^{1,*} Y. V. Stadnik,^{1,†} V. A. Dzuba,¹ V. V. Flambaum,^{1,2} N. Leefer,³ and D. Budker^{3,4,5}

Experimental details



Atomic beam apparatus



 $(\delta \nu \sim {\rm Hz}/{10^{-6}} {
m Torr})$ A. Cingoz, et. al., <u>Phys. Rev. A</u> 72, 063409 (2005)

- a) oven chamber
- b) gate valve
- c) interaction-region chamber
- d) Dy oven
- e) vacuum chokes
- f) laser access/in-vacuum polarizer

- g) magnetic-field coils
- h) light pipe
- i) rf electrodes
- j) light-collection mirrors
- k) two-layer magnetic shielding

Atomic beam apparatus







Why look for variation?



J.-P. Uzan, Rev. of Mod. Phys. 75 (2003)

There is no reason to expect parameters of our theories to be constant.

Astrophysics evidence

to be constant. $\Delta lpha / lpha = (-0.57 \pm 0.11) imes 10^{-5}$

10 billion year time scale

How do we look?



Indirect methods

Method: Direct measurement

$$\alpha = \frac{e^2}{\hbar c} = \frac{1}{137.035\,999\,074(44)}$$

 Precise measurement at
 0.5 ppb level by electron gfactor

$$\left| \dot{\alpha} \right| \le 5 \times 10^{-10} / yr$$



• We can do better!

Method: Indirect measurement

 $E_{atom} = Km_e c^2 \alpha^2 Z^2 \left(1 + k_{fs} \alpha^2 Z^2 + k_{hfs} g \left(\frac{m_e}{m_p} \right) \alpha^2 Z^2 + \cdots \right)$

 Look for relative shift of atomic transition energies

$$E=E_{o}+Q\left(rac{lpha^{2}}{lpha_{o}^{2}}-1
ight)$$
V. A. Dzuba *et. al.*, Phys. Rev. A **68**, 022506 (2003)



Requires theory input

Laboratory searches

• Every frequency measurement is a ratio

 $\frac{v_a}{v_b}$

Look for fractional changes of ratio

$$\frac{\Delta \left(\upsilon_a / \upsilon_b \right)}{\upsilon_a / \upsilon_b} = \frac{\Delta \upsilon_a}{\upsilon_a} - \frac{\Delta \upsilon_b}{\upsilon_b} = \left(\frac{2 q_a}{\upsilon_a} - \frac{2 q_b}{\upsilon_b} \right) \frac{\Delta \alpha}{\alpha}$$

$$K_{\alpha}$$

Any comparison can be written

$$\frac{\Delta \left(\upsilon_a / \upsilon_b \right)}{\upsilon_a / \upsilon_b} = K_{\alpha} \frac{\Delta \alpha}{\alpha} + K_e \frac{\Delta (m_e / m_p)}{m_e / m_p} + K_q \frac{\Delta (m_q / \Lambda_{QCD})}{m_q / \Lambda_{QCD}}$$

Laboratory searches

$$\frac{\Delta \left(\upsilon_a / \upsilon_b \right)}{\upsilon_a / \upsilon_b} = K_{\alpha} \frac{\Delta \alpha}{\alpha} + K_e \frac{\Delta (m_e / m_p)}{m_e / m_p} + K_q \frac{\Delta (m_q / \Lambda_{QCD})}{m_q / \Lambda_{QCD}}$$

Ratio	K _α	K_e	K_q	Reference
^{164,162} Dy/Cs	$(-2.6, +8.5) \times 10^{6}$	-1	-0.002	This work
Rb/Cs	-0.49	0	-0.021	[<mark>10</mark>]
Yb ⁺ /Cs	-1.83	-1	-0.002	[11]
CSO/Cs	3	-1	0.1	[12]
Hg^+/Al^+	-2.95	0	0	[13]
Sr/Cs	-2.77	-1	-0.002	[14]
H(1S-2S)/Cs	-2.83	-1	-0.002	[<mark>16</mark>]

Laboratory searches

Controlled environment

Short time scale, high precision

Single ion clocks **Optical lattice clocks (ensemble)** Sr, Yb, Hg AI+,Yb+,Hg+...**Optical frequency Optical frequency** $\frac{\Delta v}{-} \sim 10^{-17}$ $\frac{\Delta \boldsymbol{v}}{-} \sim 10^{-17}$ **Atomic fountain clocks Dysprosium thermal beam** Rb, Cs Radio-frequency Microwave frequency $\frac{\Delta v}{-} \sim 10^{-10}$ $\frac{\Delta v}{-} \sim 10^{-16}$

S

New Limits on Variation of the Fine-Structure Constant Using Atomic Dysprosium



Summary of results



Test of Lorentz symmetry

Special relativity: laws of physics are invariant under Lorentz transformations.



2) Anisotropy of maximum speed in particle Lorentz transformation

kinematic constraints, Hughes-Drever experiments

Test of Lorentz symmetry for electrons

 $modified \ electron \ Lagrangian^{\rm V. \ A. \ Kosteleck\acute{y} \ and \ C. \ D. \ Lane, \ Phys. \ Rev. \ D, \ 60 \ (1999)}$

$$\mathcal{L} = \frac{1}{2} i \bar{\psi} (\gamma_{\nu} + c_{\mu\nu} \gamma^{\mu}) \vec{D}^{\nu} \psi - \bar{\psi} m \psi$$

modified maximum speed of electron

$$(\boldsymbol{v}_j \hat{\boldsymbol{e}}_j)_{\max} = 1 - c_{jk} \hat{\boldsymbol{e}}_j \hat{\boldsymbol{e}}_k - c_{0j} \hat{\boldsymbol{e}}_j$$

For a bound electron

$$\delta H = (c_{11} + c_{22} - 2c_{33})\langle p_1^2 + p_2^2 - 2p_3^2 \rangle$$

Test of Lorentz symmetry for electrons

For a bound electron

atomic calculations

$$\delta H = (c_{11} + c_{22} - 2c_{33}) \langle p_1^2 + p_2^2 - 2p_3^2 \rangle$$

energy shift of anisotropic electron orbital depends on alignment of quantization axis



G

Limits on Violations of Lorentz Symmetry and the Einstein Equivalence Principle using Radio-Frequency Spectroscopy of Atomic Dysprosium



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School of Physics, University of New South Wales, Sydney 2052, Australia (Received 14 March 2013; published 29 July 2013)

Combination	New limit	Existing limit	
$\begin{array}{l} 0.10c_{X-Y} - 0.99c_{XZ} \\ 0.99c_{X-Y} + 0.10c_{XZ} \\ 0.94c_{XY} - 0.35c_{YZ} \\ 0.35c_{XY} + 0.94c_{YZ} \\ 0.18c_{TX} - 0.98c_{T(Y+Z)} \\ 0.98c_{TX} + 0.18c_{T(Y+Z)} \\ c_{T(Y-Z)} \\ c_{TT} \end{array}$	$\begin{array}{r} -9.0 \pm 11 \\ 3.8 \pm 5.6 \\ -0.4 \pm 2.8 \\ 3.2 \pm 7.0 \\ 0.95 \pm 18(3.3) \\ 5.6 \pm 7.7(2.4) \\ -21 \pm 19(2.2) \\ -8.8 \pm 5.1(4) \end{array}$	$\begin{array}{c} 27 \pm 19 \times 10^{-17} \\ -32 \pm 62 \times 10^{-17} \\ 43 \pm 19 \times 10^{-17} \\ 5.3 \pm 23 \times 10^{-17} \\ -0.7 \pm 1.3 \times 10^{-15} \\ -1.4 \pm 5.4 \times 10^{-15} \\ .002 \pm .004 \times 10^{-13} \\ 10^{-6}(2 \pm 2) \times 10^{-9} \end{array}$	Best lim at time
c_{TT} (gravitational)	$-14 \pm 28(9)$	$4600 \pm 4600 \times 10^{-9}$	

$$c_{X-Y} \equiv c_{XX} - c_{YY}$$

$$c_{T(Y+Z)} \equiv c_{TY} \cos \eta + c_{TZ} \sin \eta$$

$$c_{T(Y-Z)} \equiv c_{TY} \sin \eta - c_{TZ} \cos \eta \ \eta = \text{Earth's axial tilt}$$

LETTER

Michelson–Morley analogue for electrons using trapped ions to test Lorentz symmetry

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Improved constraints on LV for electrons by up to two orders of magnitude

Searching for dilaton dark matter with atomic clocks

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Search for ultralight scalar dark matter with atomic spectrosopy

Summary and Outlook

- With a single experiment we have placed constraints on a wide range of 'new' physics
 - Results are applicable for any metrological spectroscopy
 - We did not foresee 2/3 of results presented here
- With large model space for DM/DE, documenting and storing data is extremely important

Thank you!

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- Victor Flambaum
- Valeriy Yashchuk
- Ben Roberts
- Yevgeny Stadnik

Why look for variation?



$$F_{EM}/F_{G} = \frac{e^{2}/a_{0}^{2}}{Gm_{e}m_{p}/a_{0}^{2}} \approx 10^{40}$$

 $\frac{\text{age of universe}}{\text{period of orbit}} \approx \frac{10^{18} \text{ s}}{a_0 / \alpha c} \approx 10^{40}$

$$\dot{G}/G \approx -10^{-10} \,\mathrm{yr}^{-1}$$

Dirac, 1937, Large Numbers Hypothesis

Ruled out by lunar laser-ranging: $\dot{G}/G \leq 10^{-12} \,\mathrm{yr}^{-1}$ J. Müller and L. Biskupek, Class. Quant. Grav. 24, 4533 (2007)

Astrophysics searches

Absorption features in quasar spectra encode local value of α throughout the universe M.T. Murphy



Astrophysics searches

Absorption features in quasar spectra encode local value of α throughout the universe



M.T. Murphy, et. al., ACFC Proceedings 74, 131 (2004)

$$oldsymbol{\Delta} lpha / lpha = (-0.57 \pm 0.11) imes 10^{-5}$$

10 billion year time scale

Astrophysical searches

Year	Method	$\Delta lpha / lpha \; (imes 10^{-5})$	Redshift	$\dot{lpha}/lpha~(imes 10^{-15}/{ m yr})$
2006	CMB	-800 ± 1850 1500 ± 1750	z = 1100 z = 1100	584 ± 1350 1005 ± 1277
2004 2005	OIII	-1300 ± 1730 6 ± 16	z = 1100 0.3 < z < 0.8	-8.7 ± 23
2004 2004	QSO Abs. QSO Abs.	-0.04 ± 0.33 1.1 ± 1.1	z = 1.15 z = 1.149	0.05 ± 0.4 -1.3 ± 1.3
2004	QSO Abs.	-0.06 ± 0.06	0.4 < z < 2.3	0.06 ± 0.06
$2003 \\ 2001$	QSO Abs. QSO Abs.	$-0.543 \pm 0.116 \\ -0.72 \pm 0.18$	0.2 < z < 3.7 0.5 < z < 3.5	0.45 ± 0.097 $\simeq 0.61 \pm 0.15$
1999	QSO Abs.	-1.1 ± 0.4	0.5 < z < 1.6	$\simeq 1.2\pm 0.4$

 Conflicting data come from different telescopes, observing <u>different regions of the sky</u>

KECK

revisited in 2011

Spatial variation?



Θ, angle from best-fitting dipole (degrees)

Analysis of absorption lines in north and south hemispheres

J. C. Berengut and V. V. Flambaum (2012) Euro. Phys. Lett.

$$\dot{lpha}/lpha|_{lab} = 1.35 imes 10^{-18} \cos heta_{lab} ext{ yr}^{-1}$$

 $\cos heta_{lab} \sim 0.07$

Movement of Sun relative to CMB

Oklo natural reactor

 1976: Y. Petrov and A. Shlyakhter propose using isotopic abundances to search for α variation

 $\mathbf{n}\,+\,{}^{\mathbf{149}}\mathbf{Sm}\,\rightarrow\,{}^{\mathbf{150}}\mathbf{Sm}\,+\,\gamma$

- Resonance energy of reaction is 97.3 meV
 - Cancellation of strong nuclear force by coulomb interaction
 - Neutron capture cross section very sensitive to changes in resonance energy, i.e. changes in α and α_s



The uranium isotopes found at Oklo strongly resemble those in the spent nuclear fuel generated by today's nuclear power plants.

 $\begin{array}{l} 1972:\, 0.717\,\%^{\,235}U\, {\rm found} \\ \\ 0.720\,\%^{\,235}U\, {\rm expected} \end{array}$

Oklo natural reactor

 Isotopic abundances of strong vs weak absorbers to calculate cross



T. Damour and F. Dyson, Nuclear Physics, **B480**, 37 (1996)

 Model dependent, large uncertainties due to reactor models Dependence of cross section on energy shift



 $|\dot{\alpha}/\alpha| \le 4.6 \times 10^{-17} \, yr^{-1}$

C.R. Gould, et. al., Phys. Rev. C 74, 024607 (2006)

billion year time scale

Search in dysprosium



Atomic beam apparatus oven 5 layer, Ta heat shield thermocouple Mo oven tube Ta heater coil Dy #1~1450 K water cooled jacket 0.0257 a beam flag sweep electrode

Atomic beam apparatus



(b)

(a)





polished Al light collector

Atomic beam apparatus



light collection region -

magnetic shielding

Cu 'cold fingers'

Lock-in detection

•First harmonic, HI, is odd function of detuning around resonance

•variable detection phase for characterizing systematics

