

Prospects for Precision Measurements of Neutron Decays

Chen-Yu Liu

University of Illinois at Urbana-Champaign

10/24/2022

Electro2022, Electroweak Precision Physics from Beta Decays to the Z Pole

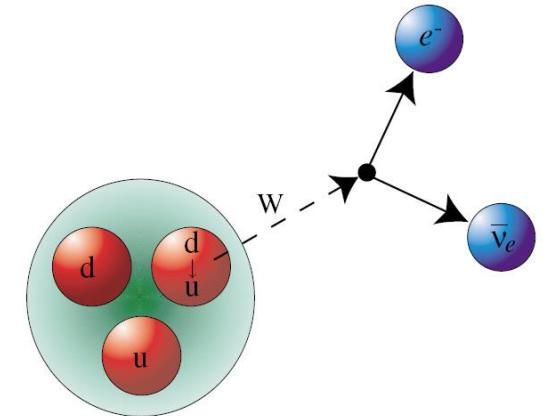
Mainz



Theory of Nuclear Beta-decay

- W. Pauli summarized the decay process into 5 possible Lorentz-invariant (CPT-preserving) forms:

$$(\bar{\phi}_p \hat{O}_i \phi_n)(\bar{\phi}_e \hat{O}_i \phi_\nu)$$



$$n \rightarrow p^+ + e^- + \bar{\nu}_e + 782 \text{ keV}$$

Table 1.2. Elementary fermion transition operators

\hat{O}_i	Transformation property of $\bar{\Psi} \hat{O}_i \Psi$	Number of matrices
1	Scalar (S)	1
γ^μ	Vector (V)	4
$\sigma^{\mu\nu} = \frac{i}{2}[\gamma^\mu, \gamma^\nu]$	Tensor (T)	6
$\gamma^\mu \gamma_5$	Axial vector (A)	4
$\gamma_5 = -i\gamma_0\gamma_1\gamma_2\gamma_3$ $= i\gamma^0\gamma^1\gamma^2\gamma^3$	Pseudoscalar (P)	1

For non-relativistic fermions in nuclear beta decay

$$\phi_p^\dagger \phi_n \quad \text{Fermi (spin-preserving)}$$

$$\phi_p^\dagger \sigma \phi_n \quad \text{Gamow-Teller (spin-changing, } \Delta l = \pm 1, 0\text{)}$$

$$0$$

Spectral measurements (pre-1950)

$$\begin{aligned}H_{\text{int}} = & (\bar{\psi}_p \psi_n) (C_S \bar{\psi}_e \psi_\nu + C_{S'} \bar{\psi}_e \gamma_5 \psi_\nu) \\& + (\bar{\psi}_p \gamma_\mu \psi_n) (C_V \bar{\psi}_e \gamma_\mu \psi_\nu + C_{V'} \bar{\psi}_e \gamma_\mu \gamma_5 \psi_\nu) \\& + \frac{1}{2} (\bar{\psi}_p \sigma_{\lambda\mu} \psi_n) (C_T \bar{\psi}_e \sigma_{\lambda\mu} \psi_\nu + C_{T'} \bar{\psi}_e \sigma_{\lambda\mu} \gamma_5 \psi_\nu) \\& - (\bar{\psi}_p \gamma_\mu \gamma_5 \psi_n) (C_A \bar{\psi}_e \gamma_\mu \gamma_5 \psi_\nu + C_{A'} \bar{\psi}_e \gamma_\mu \psi_\nu) \\& + (\bar{\psi}_p \gamma_5 \psi_n) (C_P \bar{\psi}_e \gamma_5 \psi_\nu + C_{P'} \bar{\psi}_e \psi_\nu)\end{aligned}$$

+ Hermitian conjugate,

5x 2(helicities) x 2 (complex) = 20 coupling constants

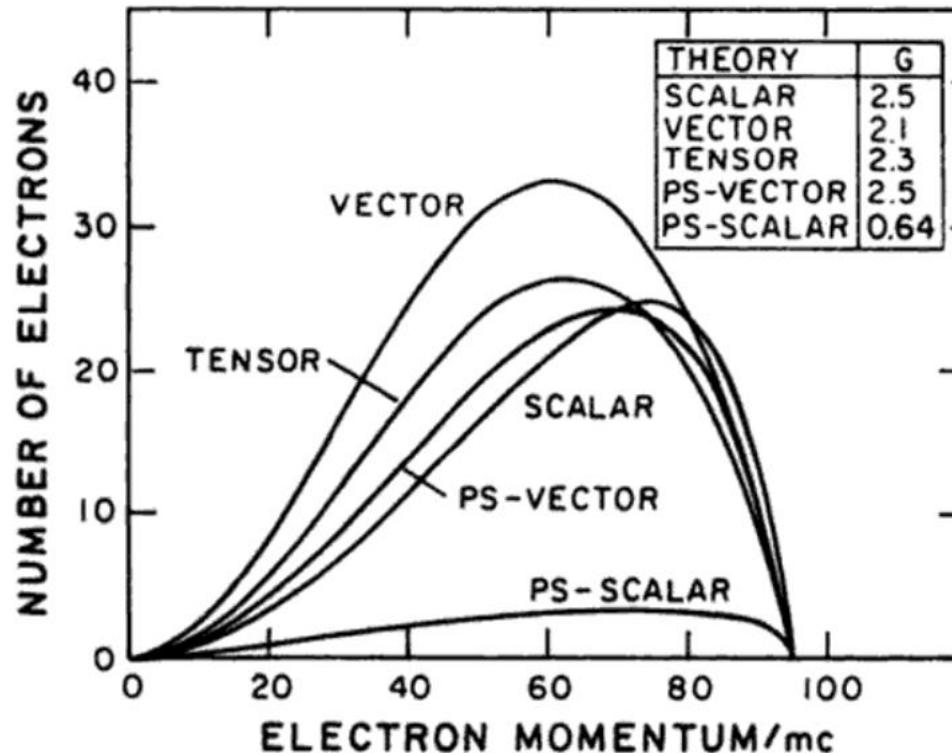
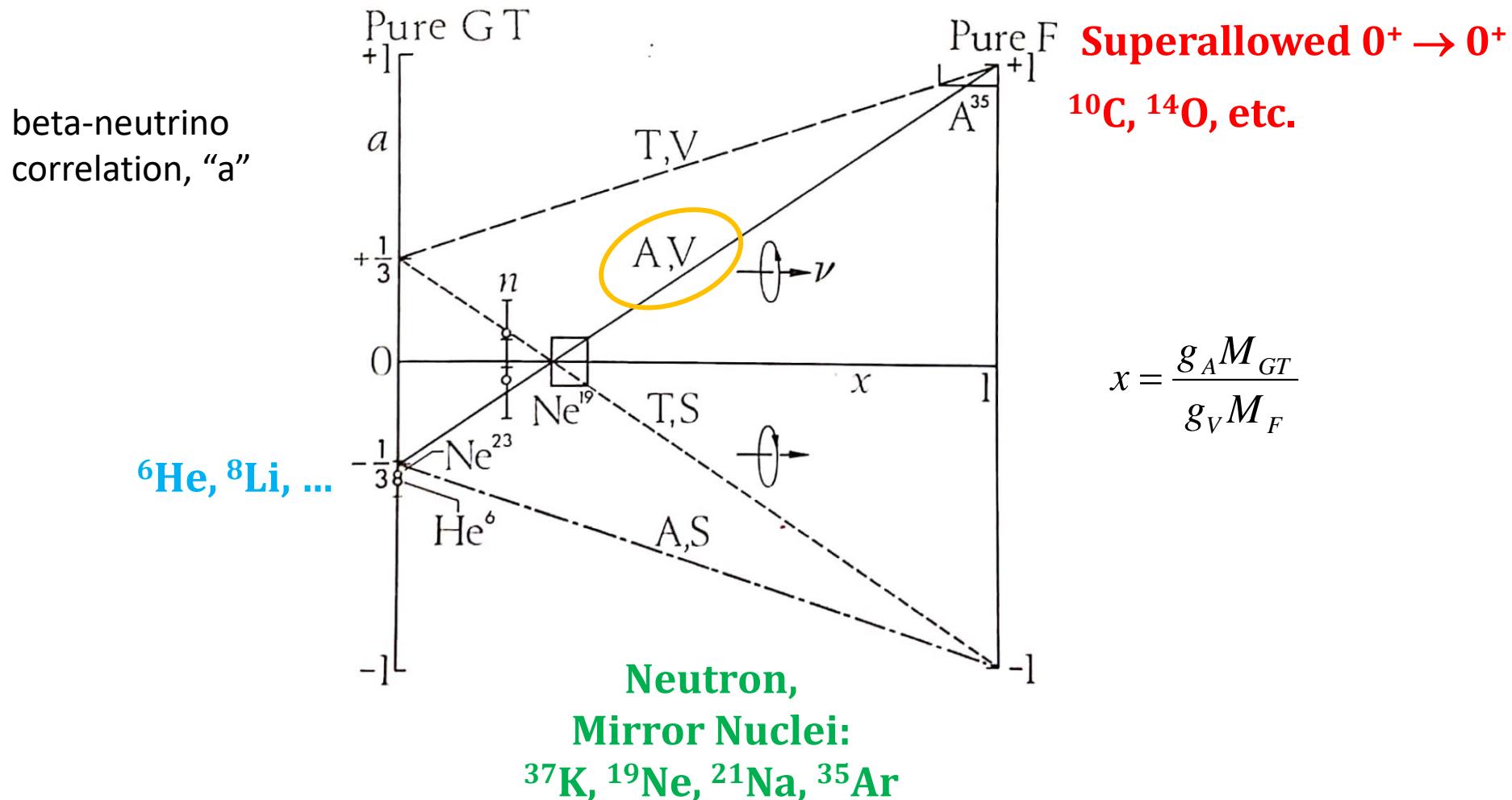


Figure 2.4. “Influence of form of coupling on shape of spectrum for fixed values of the mass of the μ -and μ_0 meson. Contrast this result with the case of ordinary beta-decay, where the atomic nucleus has negligible velocity and the decay curves have the same shape in all five cases” (Tiomno and Wheeler 1949a, p. 148).

Experimental evidence supports the “V—A” structure (nuclear data)



Measurements of Asymmetries in the Decay of Polarized Neutrons*

M. T. BURGY, V. E. KROHN, T. B. NOVEY, AND G. R. RINGO,
Argonne National Laboratory, Lemont, Illinois

AND

V. L. TELELDI, *University of Chicago, Chicago, Illinois*
 (Received April 17, 1958)

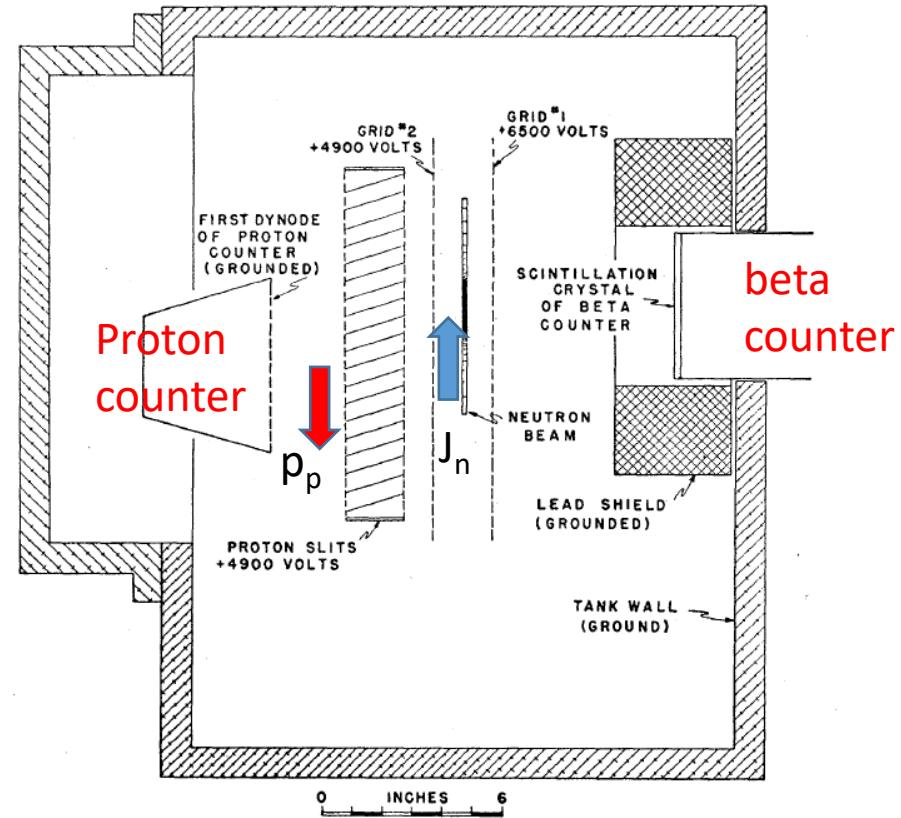


FIG. 1. Vertical cross section (normal to the neutron beam) through the detector system of the experiment measuring the correlation of the neutrino momentum and the neutron spin.

a (beta-neutrino correlation)
 B (neutrino asymmetry)

TABLE II. Predicted values for \mathfrak{A} and \mathfrak{B} .

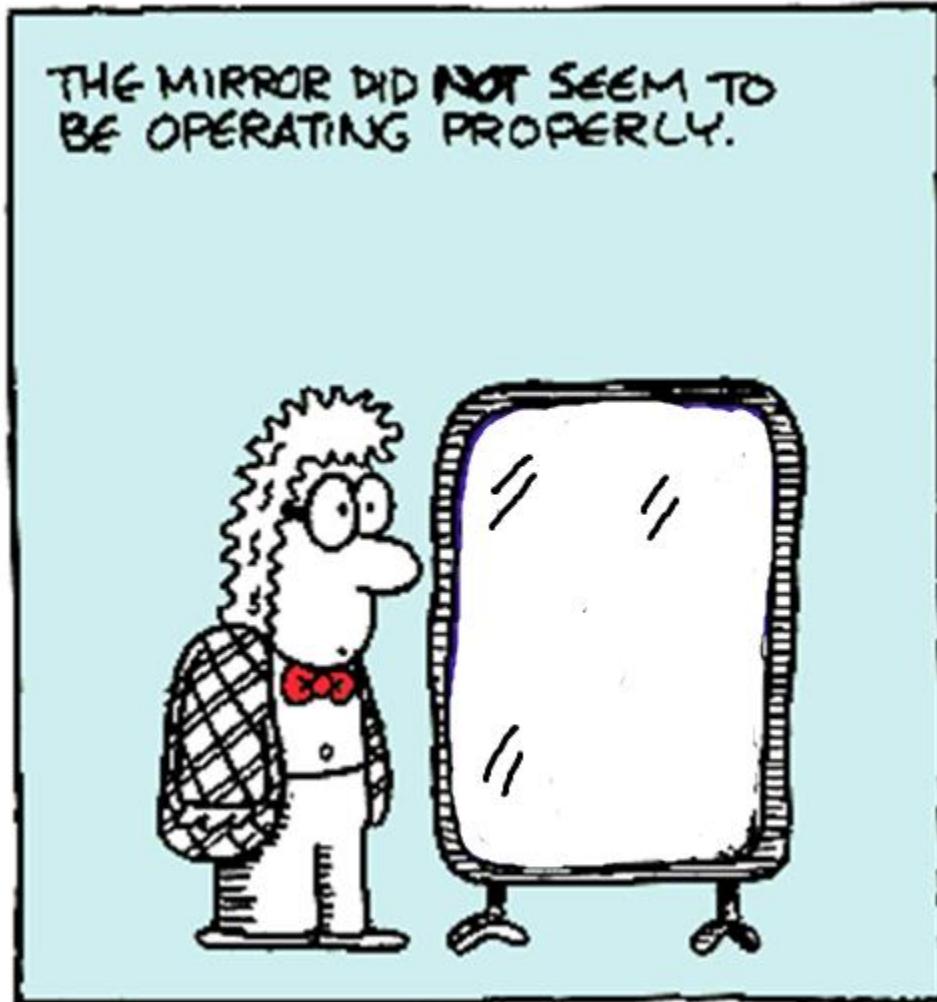
	$S+T^a$	$S-T$	$V+A$	$V-A^a$	Exp.				
	$\bar{\nu}_L^b$	$\bar{\nu}_R$	$\bar{\nu}_L$	$\bar{\nu}_R$	$\bar{\nu}_L$	$\bar{\nu}_R$			
\mathfrak{A}	-1	+1	-0.07 ^c	0.07	+1	-1	0.07	-0.07	-0.09
\mathfrak{B}	-0.07	0.07	-1	+1	-0.07	0.07	-1	+1	+0.88

^a The relative signs in this row are those of the couplings present; i.e., $V-A$ means $C_A/C_V = -1.14$.

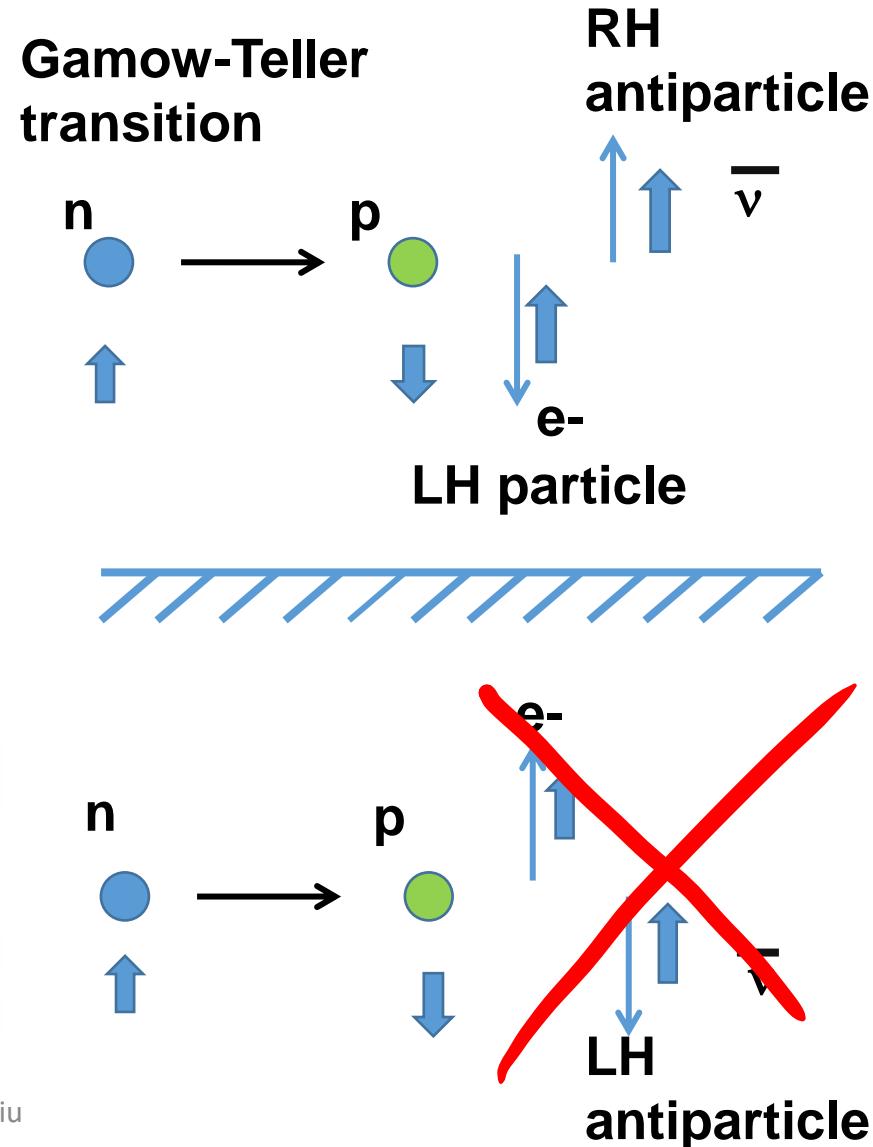
^b $\bar{\nu}_{L(R)}$ means left (right) handed antineutrino; i.e., $\bar{\nu}_{L(R)}$ corresponds to $C_L/C_R = -1(+1)$.

^c The uncertainty of ± 0.05 in x introduces an uncertainty of ± 0.02 in this number, 0.07, wherever it appears.

“V–A” → The Spatial Inversion Symmetry (or Parity) is Broken!



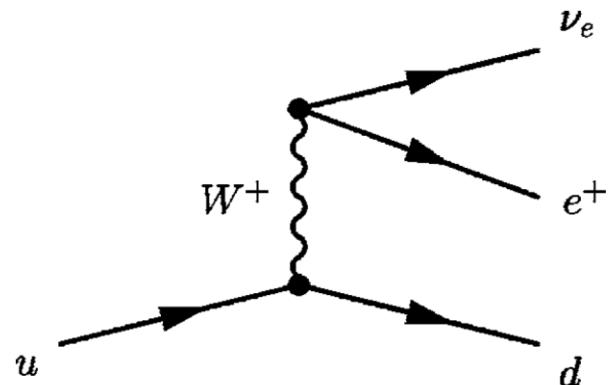
Chen-Yu Liu





Girl before a mirror,
Pablo Picasso (1932)

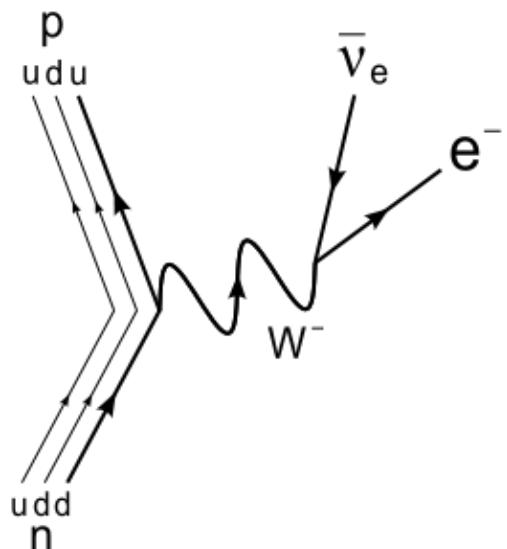
Neutron beta-decay (minimal V—A)



$$\begin{pmatrix} d' \\ s' \\ b' \end{pmatrix} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \begin{pmatrix} d \\ s \\ b \end{pmatrix}$$

Cabbibo-Kobayashi-Maskawa (CKM) matrix

$$H_{V,A} = \frac{G_F V_{ud}}{\sqrt{2}} \left[(\bar{e} \gamma_\mu (1 + \gamma_5) v) (\bar{u} \gamma^\mu d) - (\bar{e} \gamma_\mu \gamma_5 (1 + \gamma_5) v) (\bar{u} \gamma^\mu \gamma_5 d) \right] + \text{h.c.}$$



$$H_\beta = H_{V,A} = \frac{G_F V_{ud}}{\sqrt{2}} \bar{\phi}_e \gamma_i (1 - \gamma^5) \phi_{\nu_e} \bar{\phi}_p (g_V + g_A \gamma^5) \gamma^i \phi_n$$

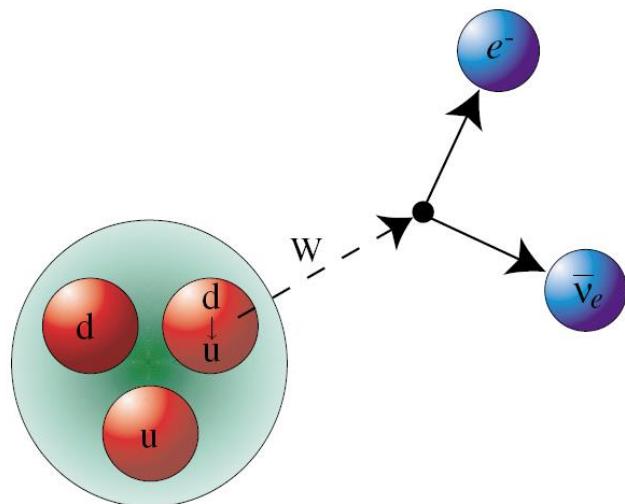
$\boxed{g_V}(\bar{p} \gamma_\mu n) = \langle p | \bar{u} \gamma_\mu d | n \rangle$

$\boxed{g_A}(\bar{p} \gamma_\mu \gamma_5 n) = \langle p | \bar{u} \gamma_\mu \gamma_5 d | n \rangle$

g_A has to be determined by measurements or calculated using Lattice QCD.

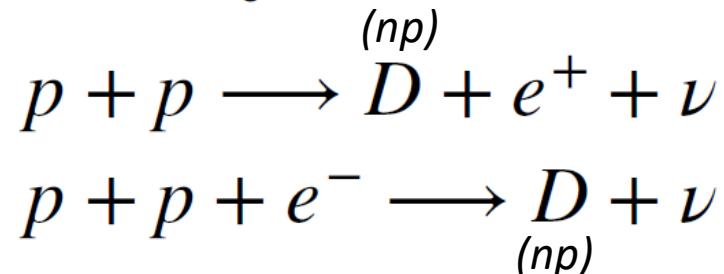
The neutron lifetime has broader impacts in other fields of research:

Neutron beta decay

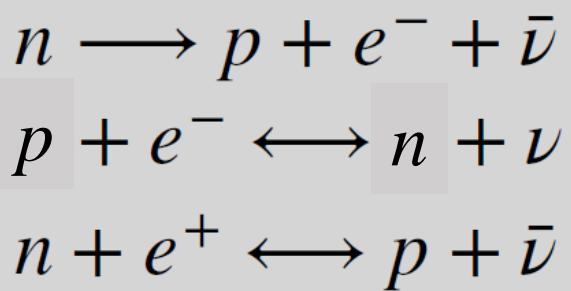


$$n \rightarrow p^+ + e^- + \bar{\nu}_e + 782 \text{ keV}$$

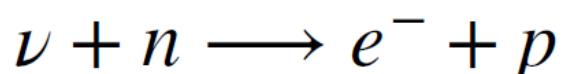
Neutron lifetime gives us weak interaction rates, e.g.



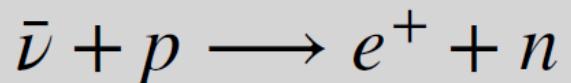
Solar cycle



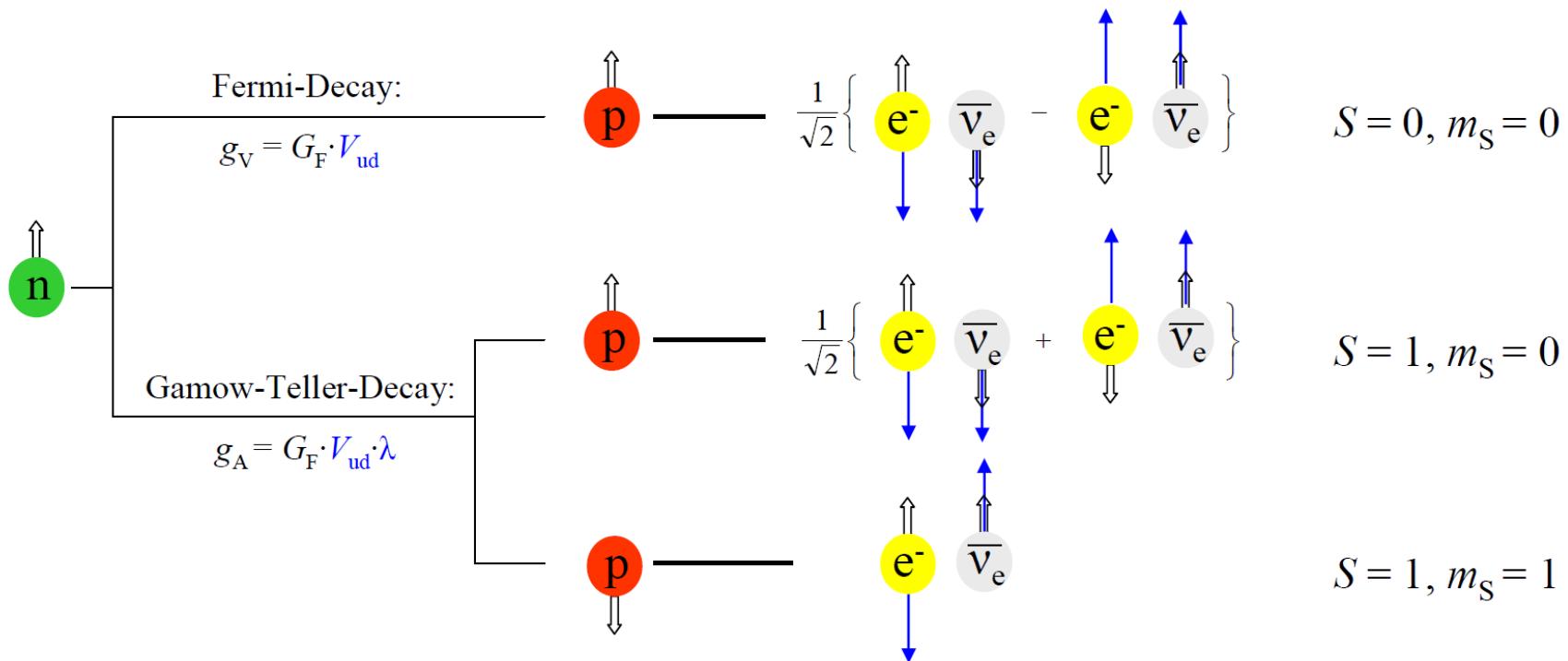
BBN and neutron stars



(anti)neutrino detection



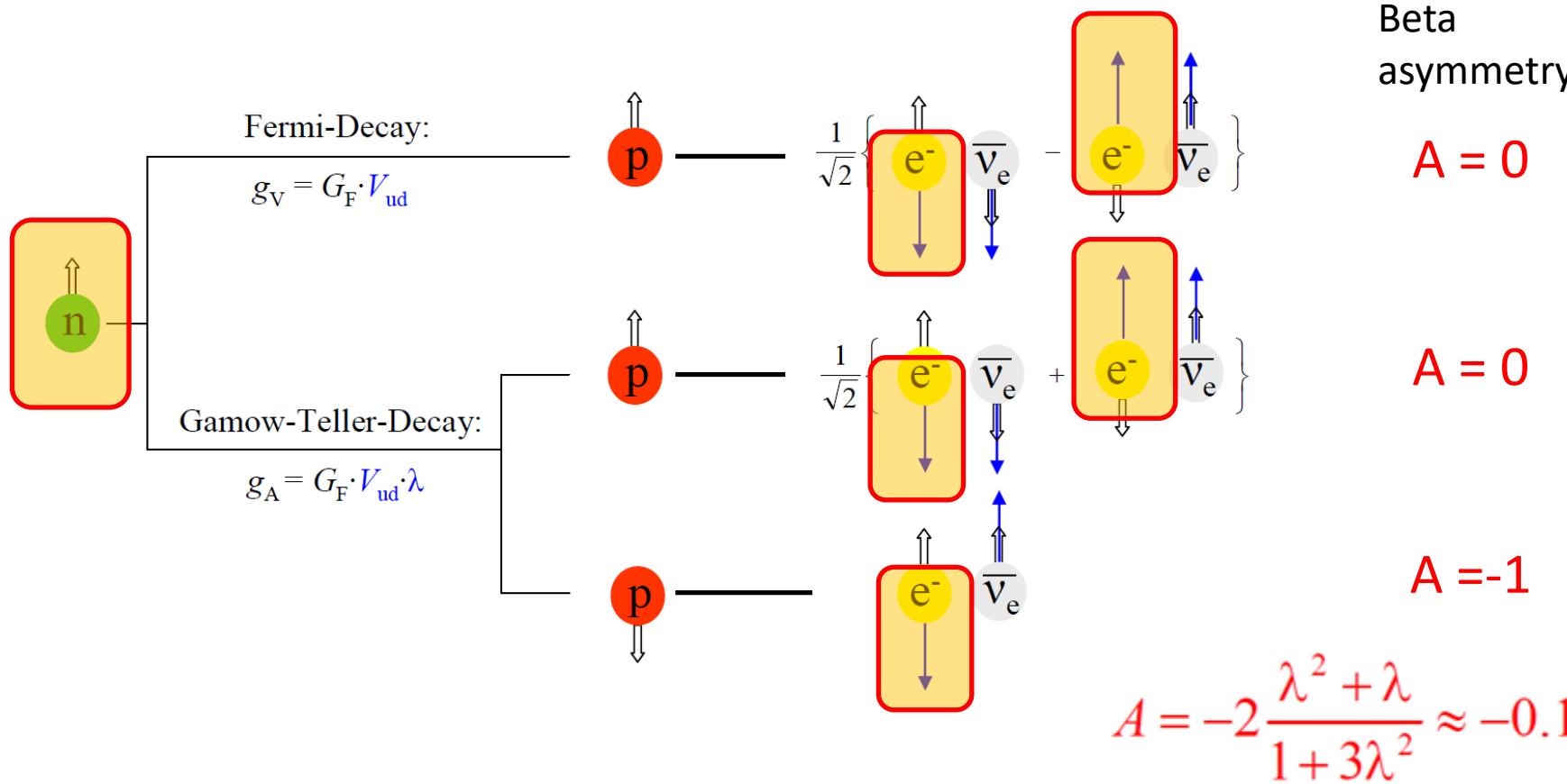
Neutron beta-decay



Two unknown parameters, g_A and g_V , need to be determined in 2 experiments

1. Neutron-Lifetime: $\tau_n^{-1} \propto (g_V^2 + 3g_A^2)$ $\tau_n \approx 885$ s

Neutron beta-decay & angular correlations

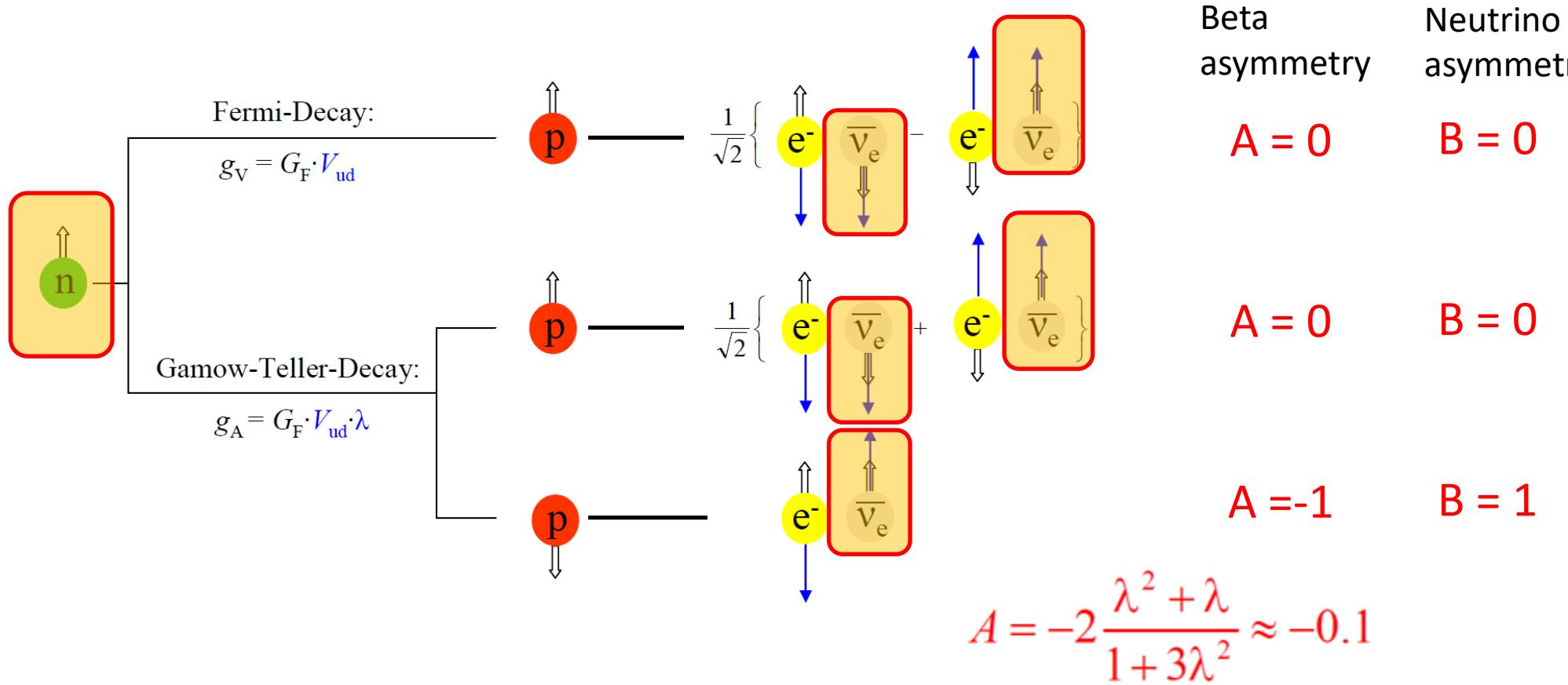


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$$\lambda = \frac{g_A}{g_V}$$

Neutron beta-decay & angular correlations



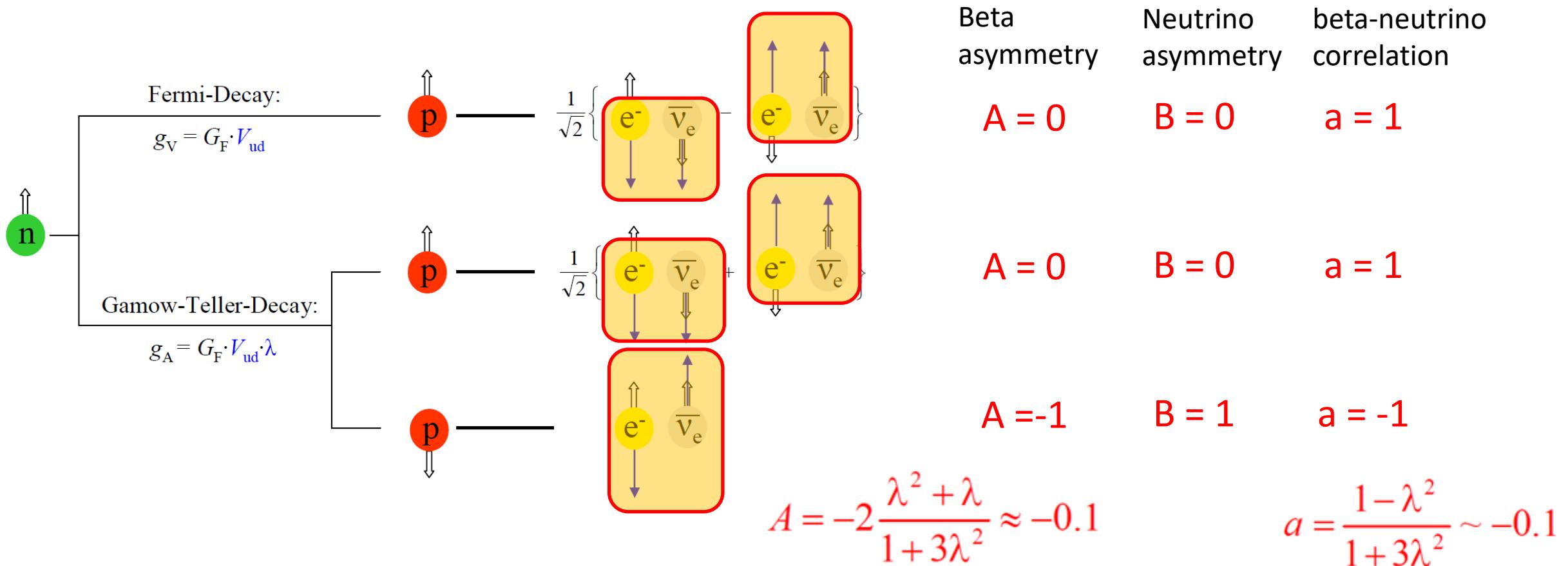
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$$1. \text{ Neutron-Lifetime: } \tau_n^{-1} \propto (g_V^2 + 3g_A^2) \quad \tau_n \approx 885 \text{ s}$$

$$B = 2 \frac{\lambda^2 - \lambda}{1 + 3\lambda^2} \approx 0.98$$

$$\lambda = \frac{g_A}{g_V}$$

Neutron beta-decay & angular correlations



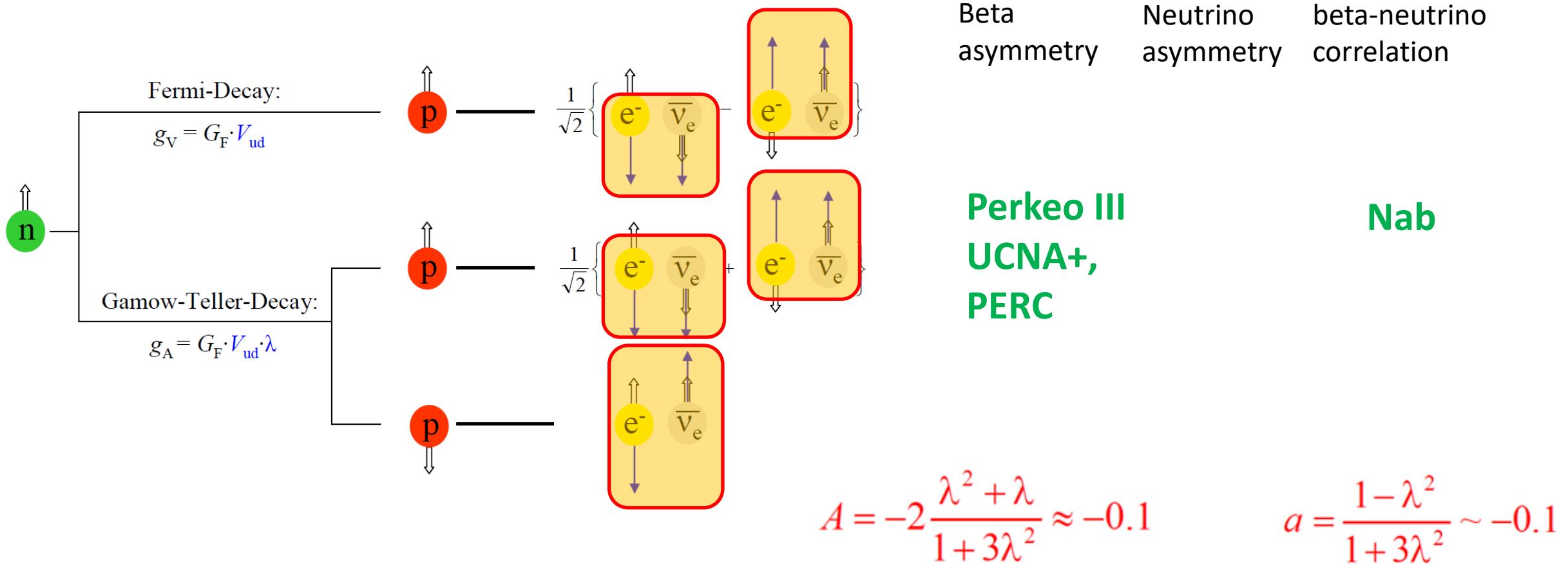
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Neutron beta-decay & angular correlations



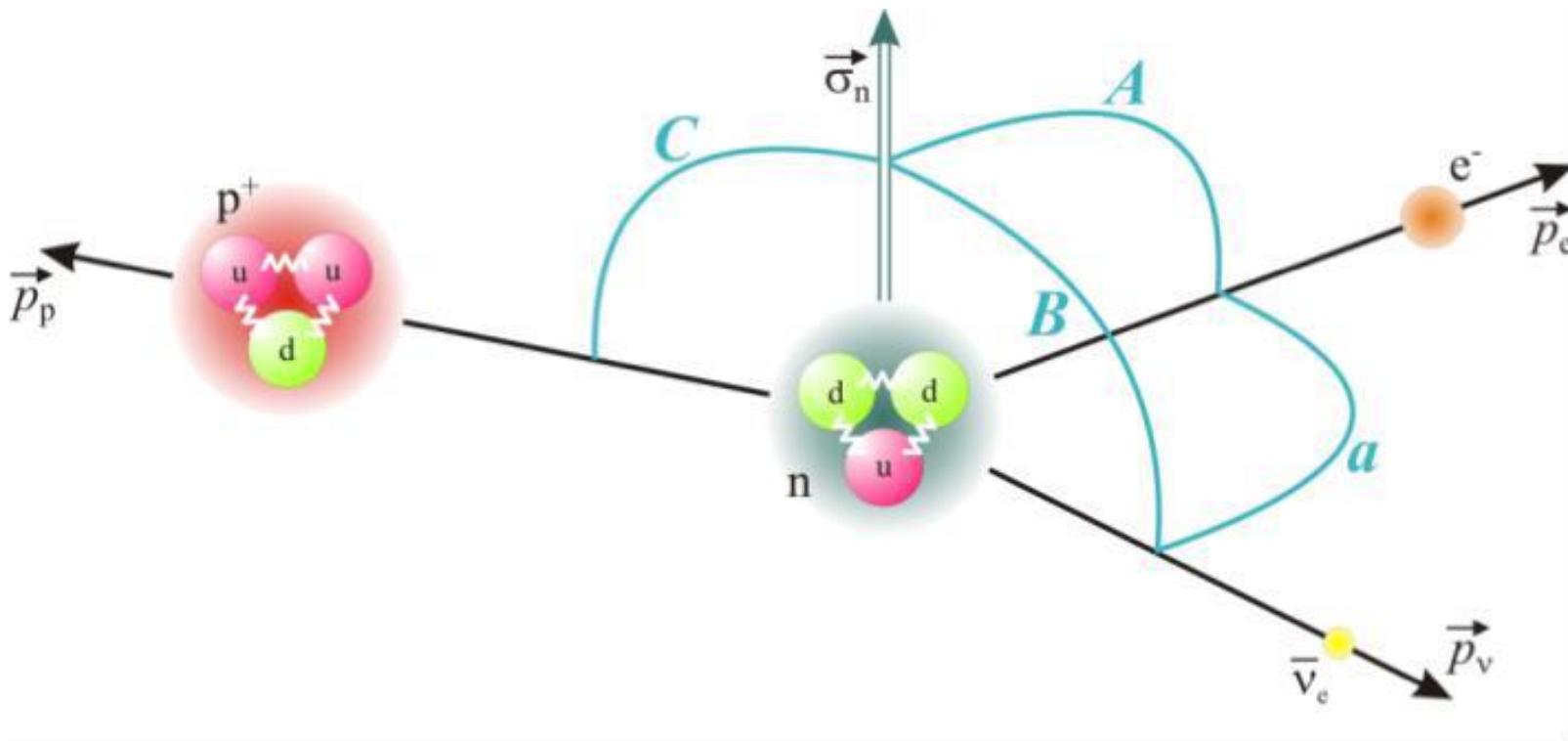
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UCNtau, BL2, BL3, J-PARC lifetime, ...

Beta-decay Alphabets



Beta decays and new physics models

- Model → set overall size and pattern of effective couplings
- Beta decays can play very useful diagnosing role
- Qualitative picture:

Can be made quantitative

	ε_L	ε_R	ε_P	ε_S	ε_T
LRSM	x	✓	x	x	x
LQ	✓	x	✓	✓	✓
2HDM	x	x	✓	✓	x
MSSM	✓	✓	✓	✓	✓
YOUR FAVORITE MODEL

The diagram illustrates several particle interactions:

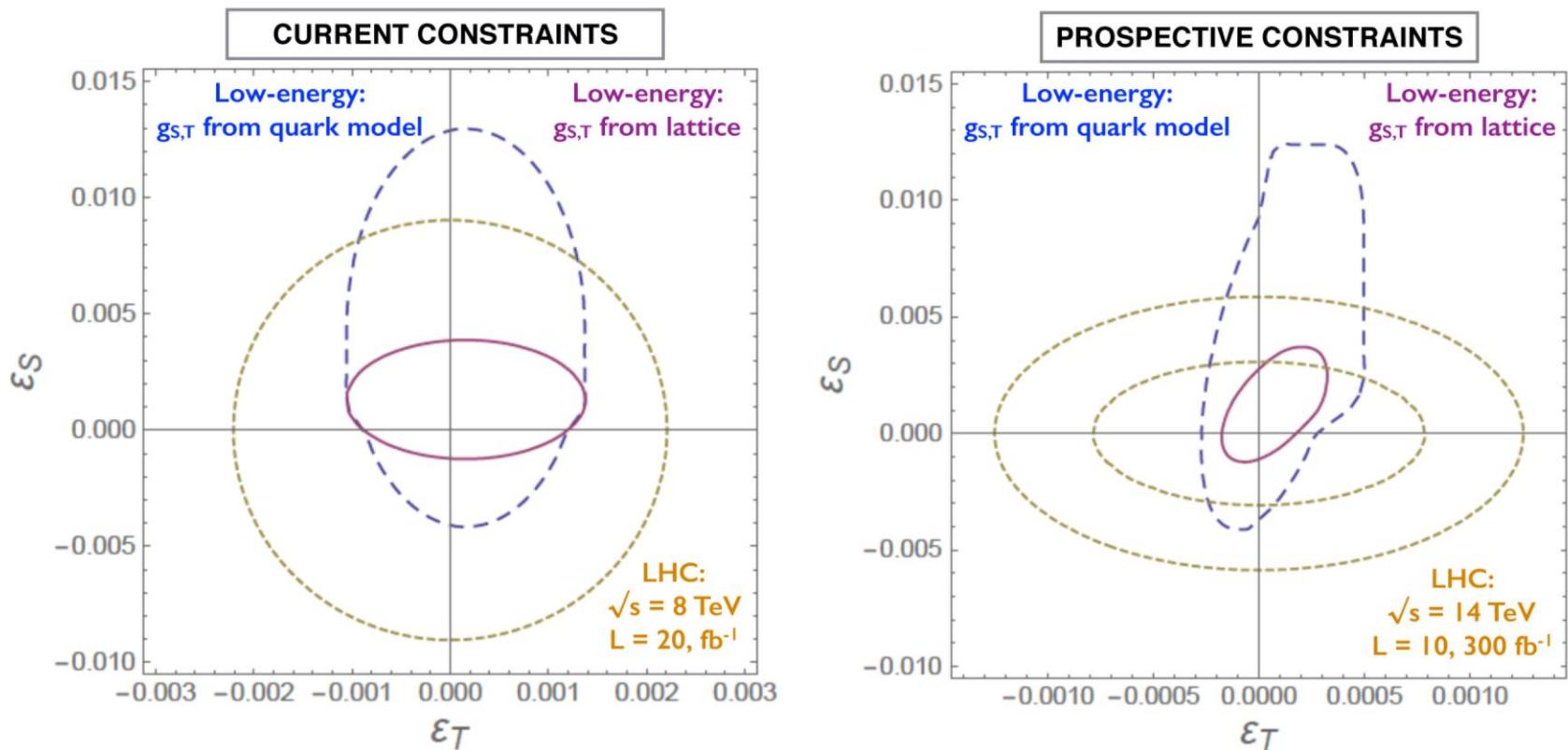
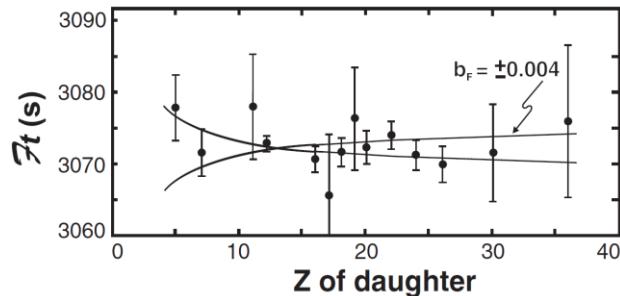
- A top diagram shows a vertex labeled W_R connected by a dashed red line to a horizontal line, which then splits into two solid black lines.
- A middle diagram shows a vertex labeled LQ connected by a dashed red line to a horizontal line, which then splits into up quark (u) and down quark (d) lines, each ending in an electron (e) and a neutrino (ν).
- A bottom diagram shows a vertex labeled H^+ connected by a dashed red line to a horizontal line, which then splits into two solid black lines.
- A detailed Feynman diagram at the bottom right shows a quark line (u , d) interacting with a neutrino line (ν_I) via a vertex. This interaction involves supersymmetric particles: \tilde{d}_i^- and \tilde{L}_j^- (dashed lines) and χ_k^0 and χ_m^0 (solid lines). A W^+ boson (wavy line) also interacts with these particles.
- A separate diagram at the bottom right shows a vertex where a W^+ boson (W^+) interacts with a neutrino (ν_I) and a supersymmetric particle $\tilde{\nu}_J$.

Scalar and Tensor Couplings - beyond the Standard Model

Scalar Currents: b_F

$$f \propto 1 + \langle b_F \gamma_1 m_e / E_e \rangle \quad \gamma_1 = \sqrt{1 - \alpha^2 Z^2}$$

$$C_S / C_V = -b_F / 2 = 0.0014(13)$$

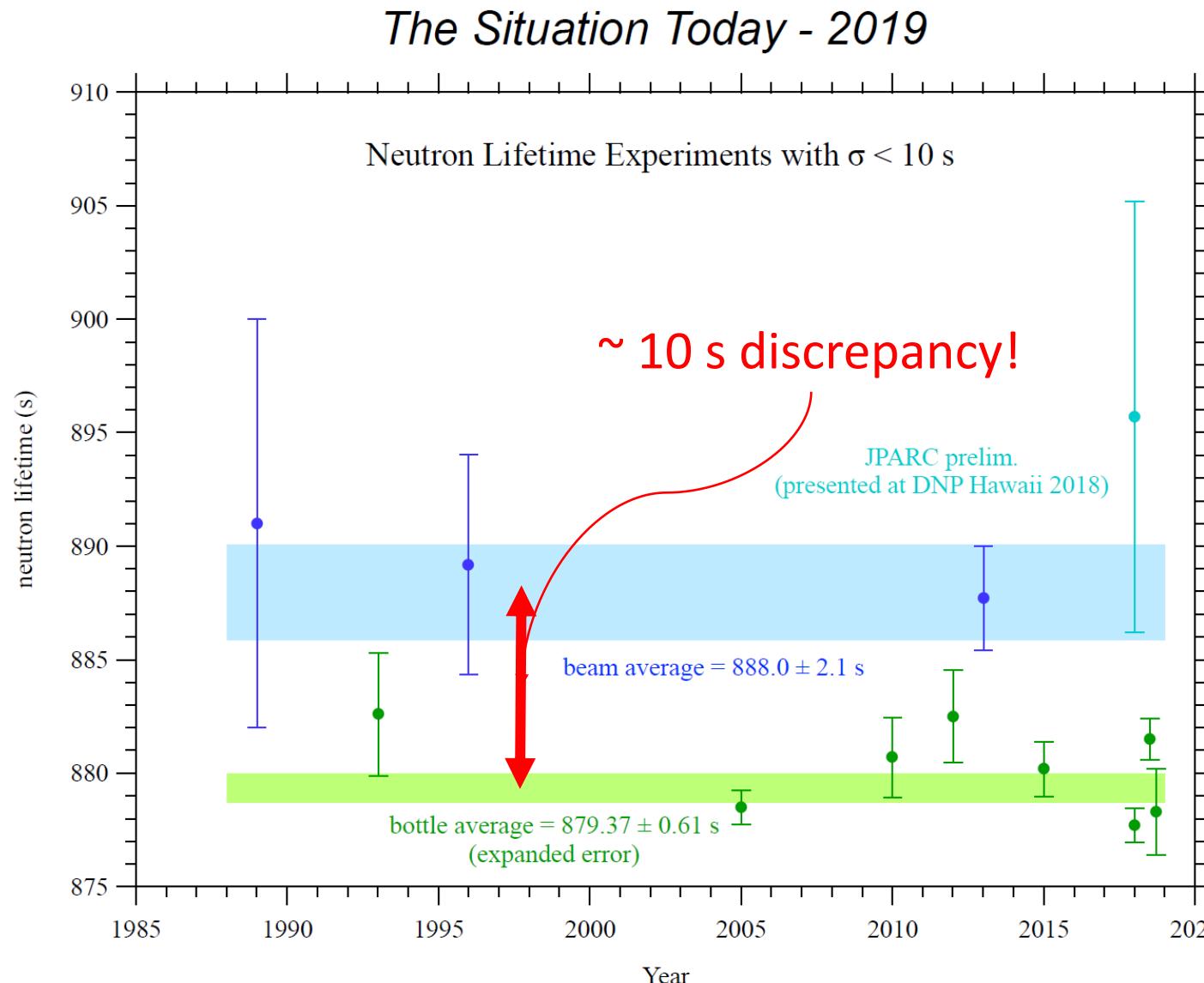


$\text{LHC: pp} \rightarrow e\nu + X$
 $\varepsilon_S: 0^+ \rightarrow 0^+$ Fierz b_F
 $\varepsilon_T: \pi \rightarrow e\nu\gamma$

$\Lambda_S > 7 \text{ TeV}$
 $\Lambda_T > 13 \text{ TeV}$

Future $\varepsilon_S, \varepsilon_T$: Neutron b, b_ν
 Future ε_T : ${}^6\text{He } b$

Neutron Lifetime Puzzle: an unresolved discrepancy between two leading methods to measure the neutron lifetime:



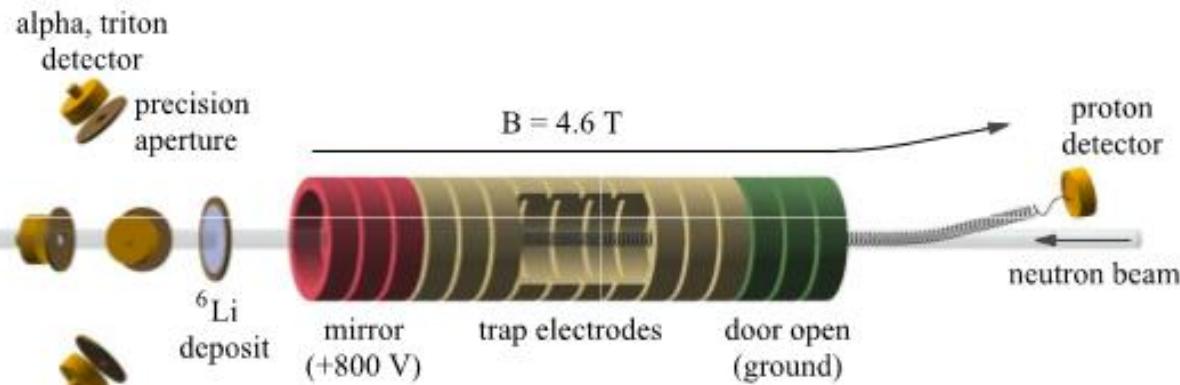
Neutrons in a bottle seem to disappear faster ???

“beam”

VS

“bottle”

$$\tau_n = \frac{L}{v_n} \frac{\dot{N}_n / \epsilon_n}{\dot{N}_p / \epsilon_p}$$

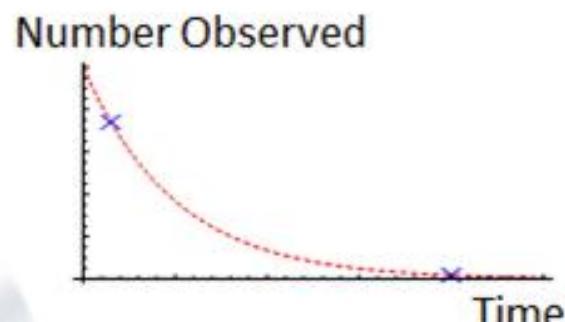
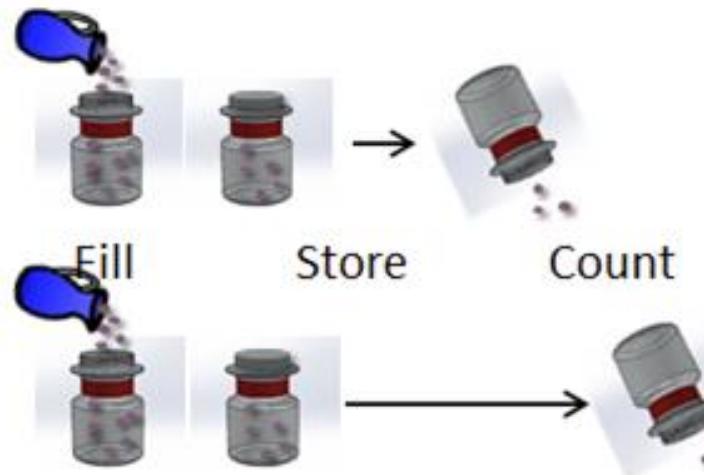


BL3 talk, Fred Wietfeldt

count the dead
(appearance)

≠
?????

$$Y(t) = Y_0 e^{-t / \tau_{meas}}$$
$$\tau_{meas}^{-1} = \tau_n^{-1} + \tau_{loss}^{-1}$$

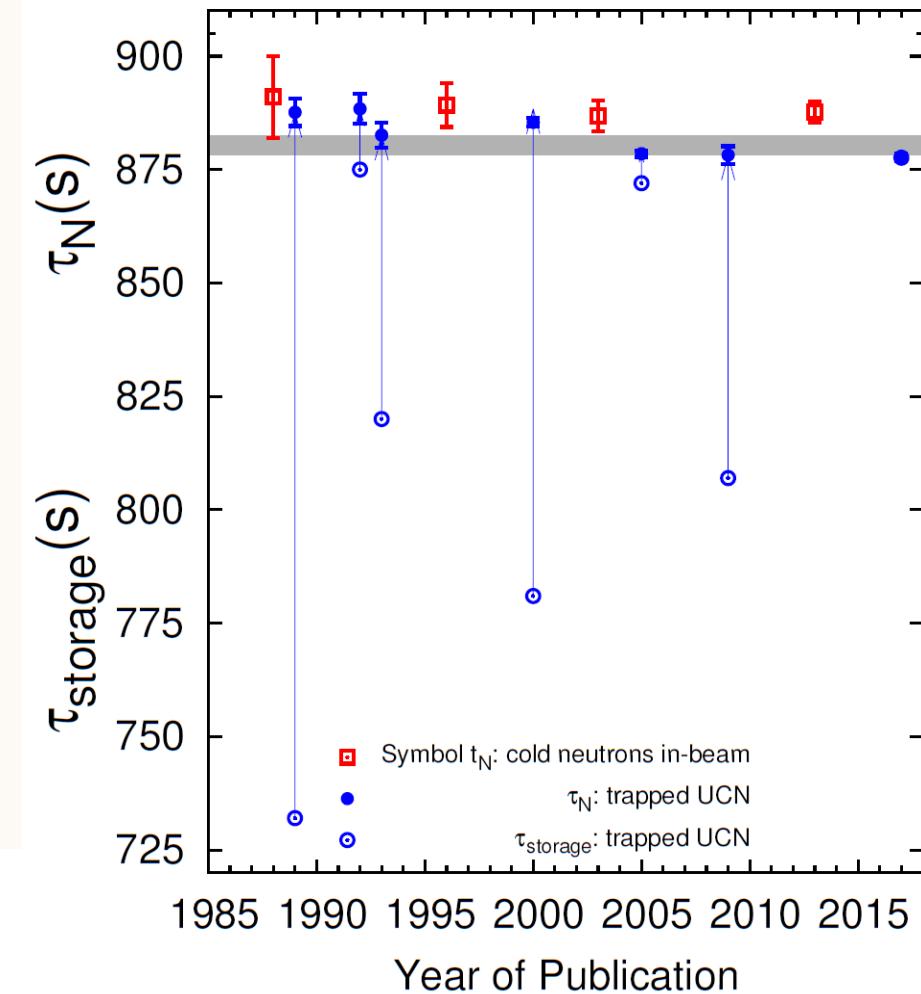


count the living
(disappearance)

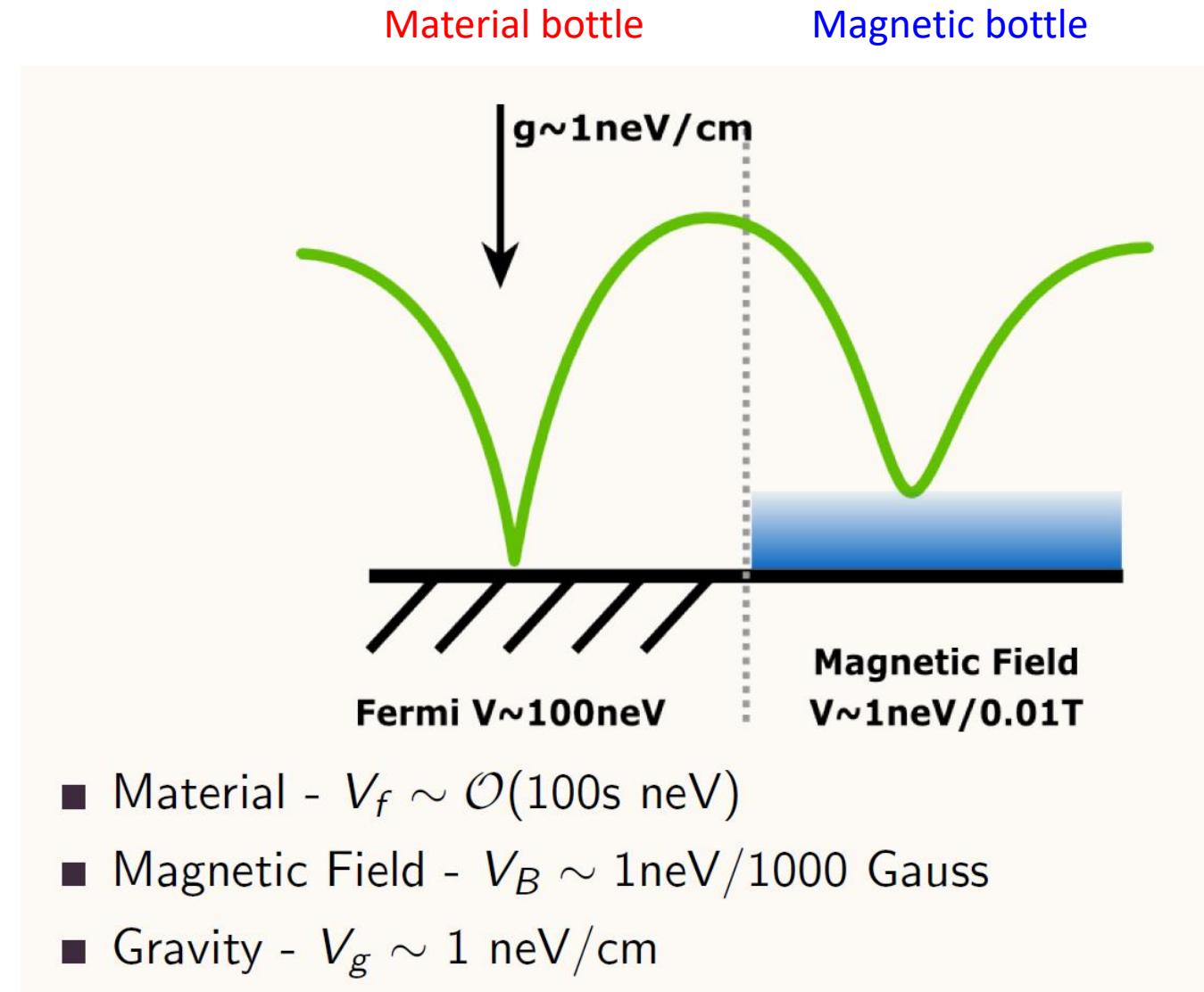
Many experiments need to correct for the systematic effects and extrapolate from the measured lifetime to report the Neutron Lifetime

$$1/\tau_{\text{bottle}} = 1/\tau_n + 1/\tau_{\text{wall}} + 1/\tau_{\text{gas}} + \dots$$

Author	$\sigma_{\text{stat.}}$ [s]	$\Delta\tau_{\text{sys.}}$ [s]	Extrap. [s]	Method
Arzumanov 2015	0.64	3.6	40-280	Bottle
Steyerl 2012	1.4	~7	>200 s	Bottle
Pichlmaier 2010	1.3	1	110-300	Bottle
Serebrov 2005	0.7	0.4	10-20	Bottle
Yue 2013	1.2	1	2-15	Beam
Byrne 1996	3	5.9	-	Beam



Neutron-wall interactions



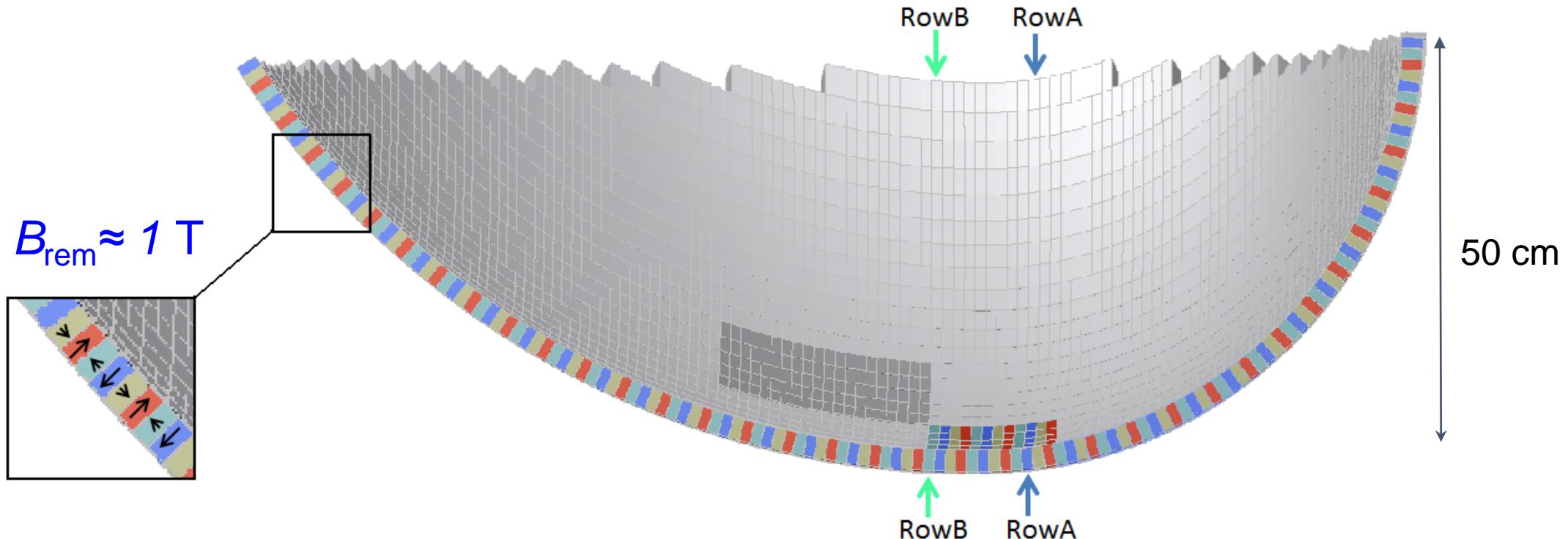
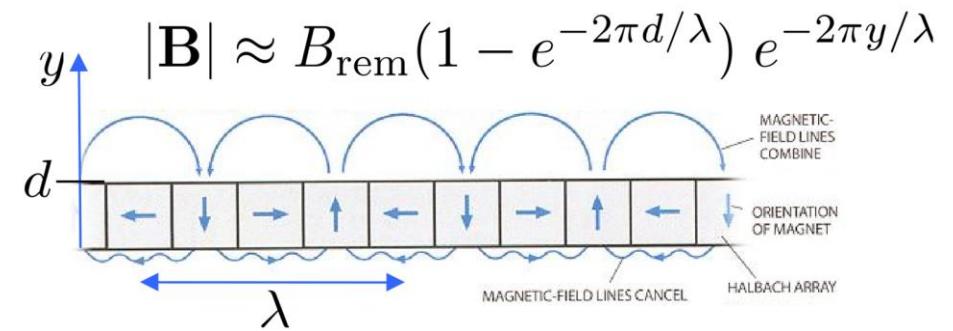
The UCN τ Magneto-Gravitational Trap using a “Halbach” array

DESIGN OF PERMANENT MULTIPOLE MAGNETS
WITH ORIENTED RARE EARTH COBALT MATERIAL*

K. HALBACH

University of California, Lawrence Berkeley Laboratory, Berkeley, CA 94720, U.S.A.

Received 20 August 1979



Bailey inside the Halbach array performing field mapping (before Christmas 2012)

← Tweet



Chris Hadfield
@Cmdr_Hadfield

...

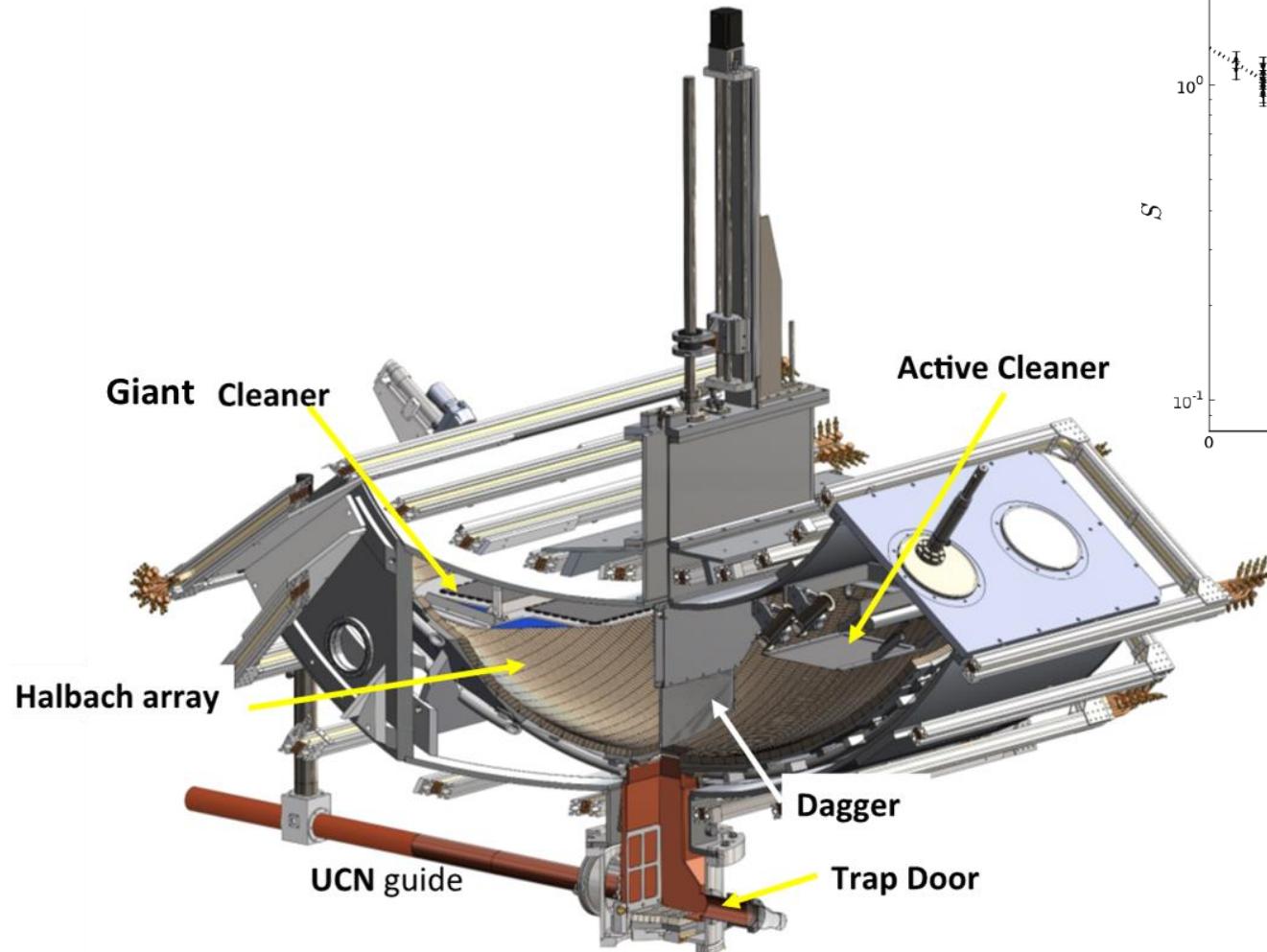
That's Bailey in a neutron bottle. She helped discover that neutrons in the wild last 14.629 minutes (in an atom they can last billions of years).

@LosAlamosNatLab

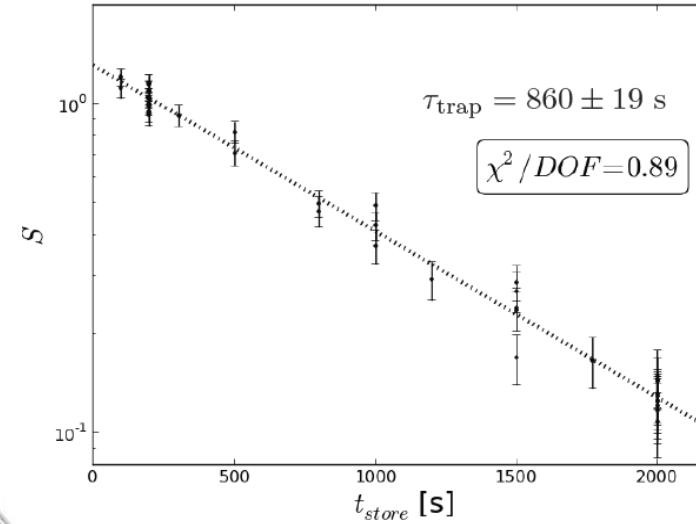
The details: bit.ly/3mBp5Tm



The UCN τ Apparatus



First Physics Data: 2013

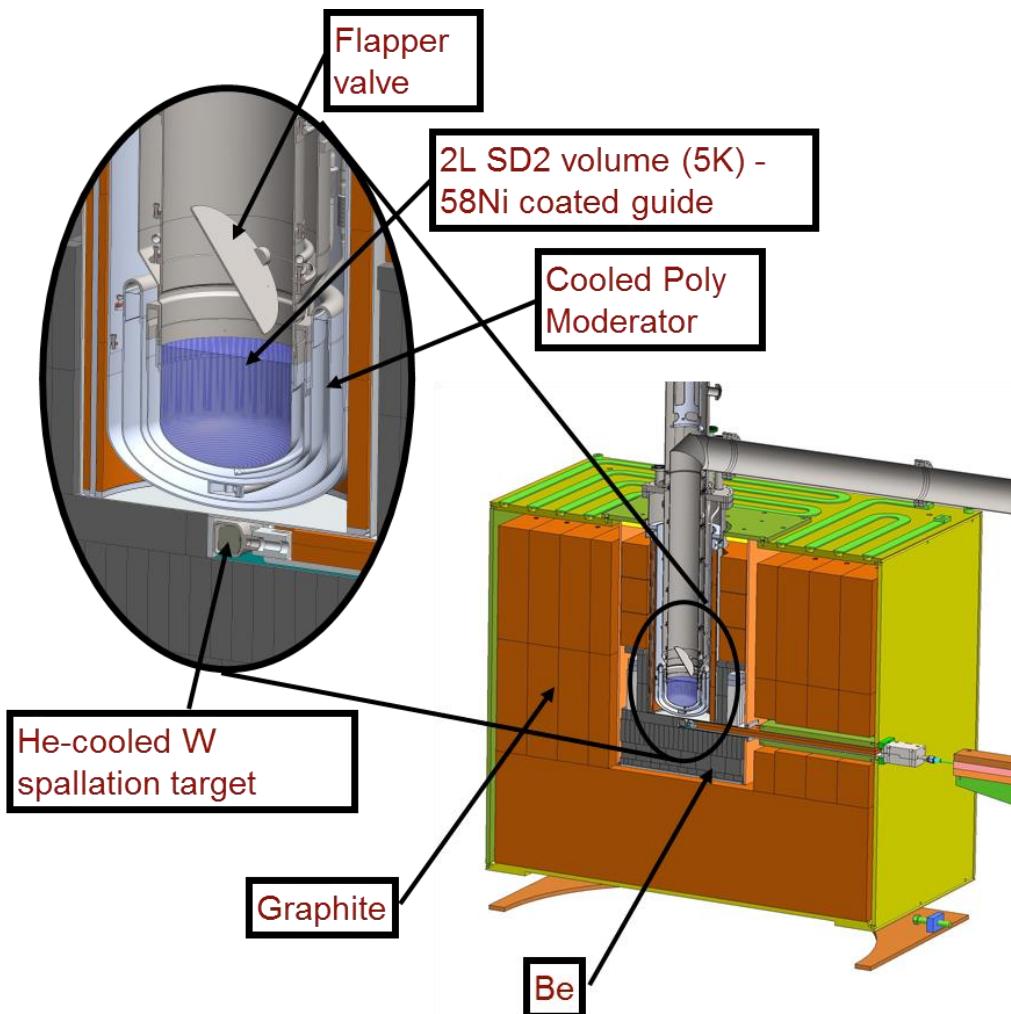


D. Salvat, PRC 89, 052501 (2014)

Los Alamos Neutron Science Center (LANSCE)



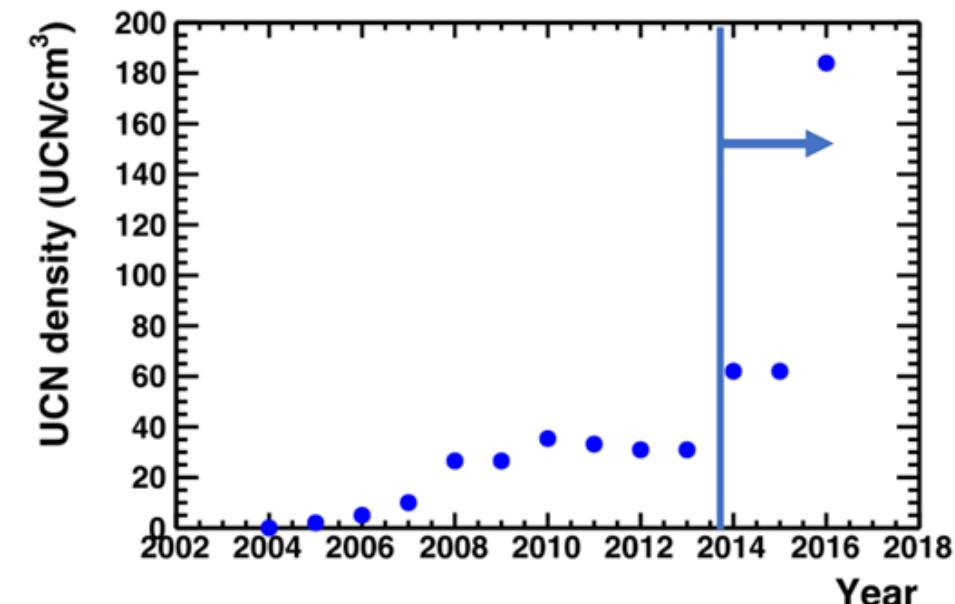
UCN “Pokotilovsky” source operating at the Los Alamos Neutron Science Center (LANSCE)



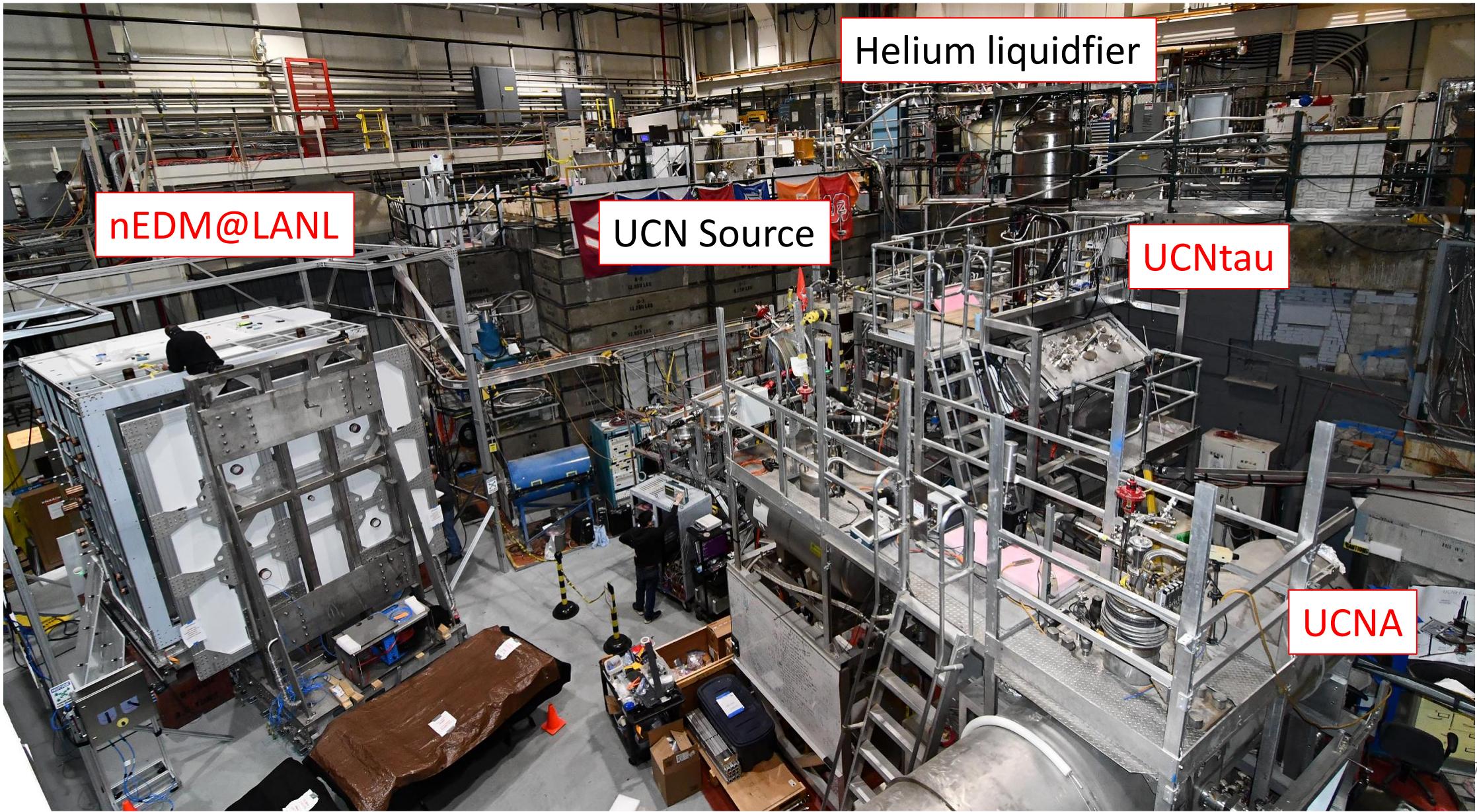
Source upgrade (2016):

- Better moderator cooling
- NiP guides
- Optimized geometry

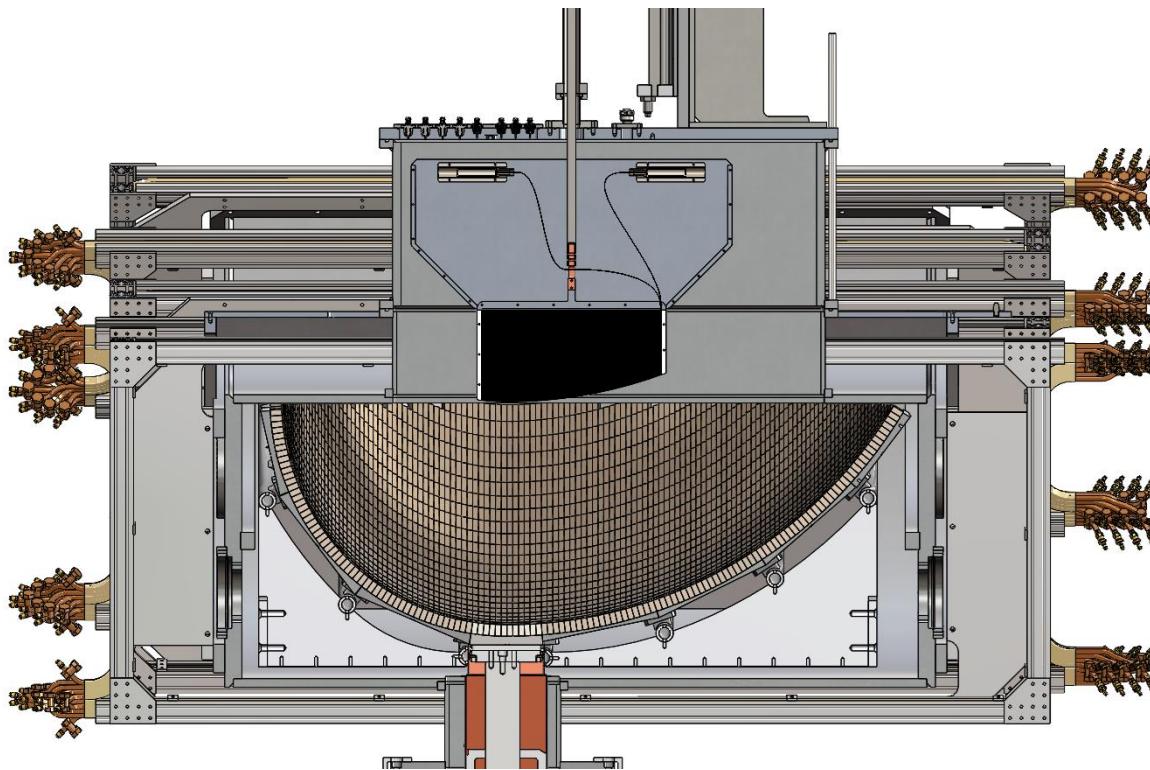
UCN density measured by Vanadium activation: **184 UCN/cc.**



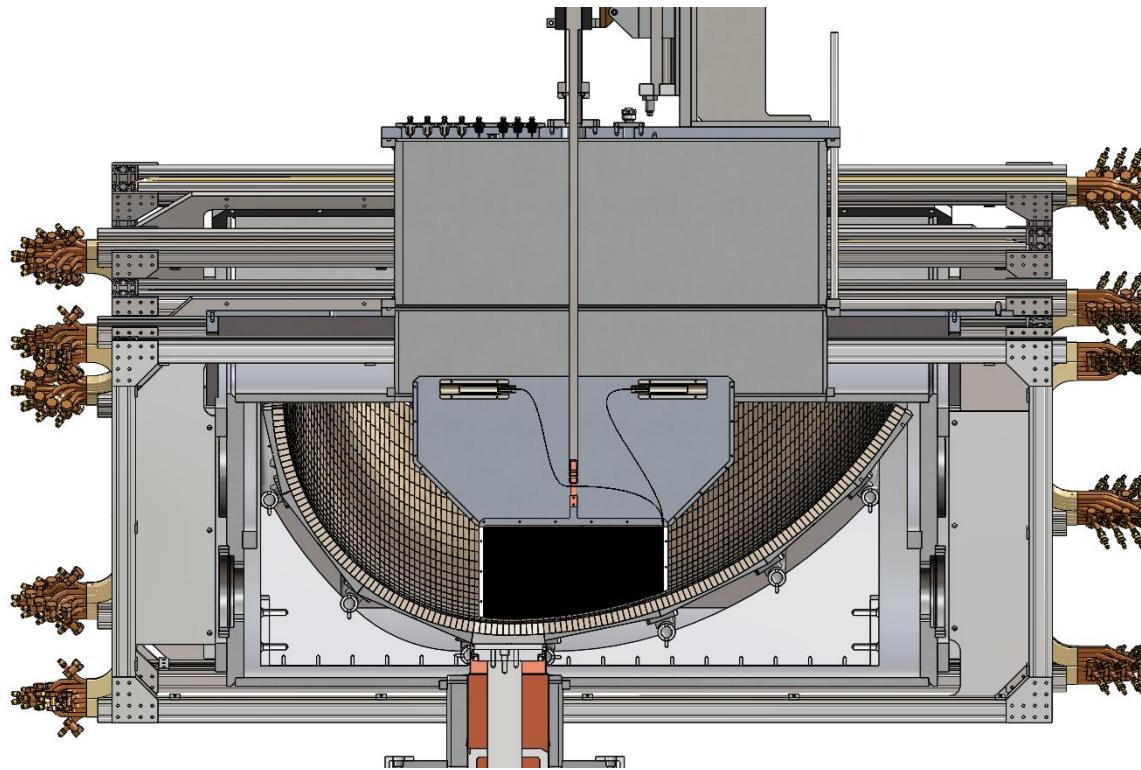
LANSCE UCN Experimental Area (2021)

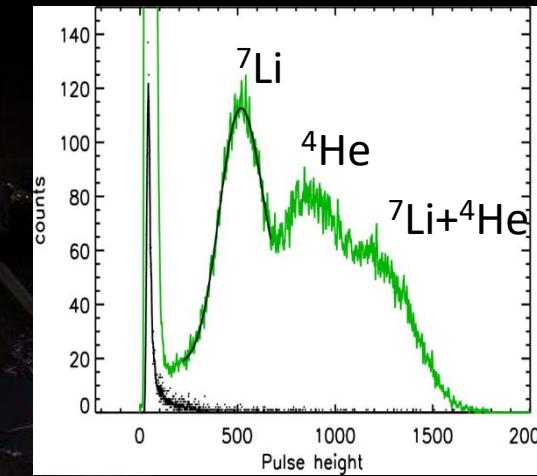
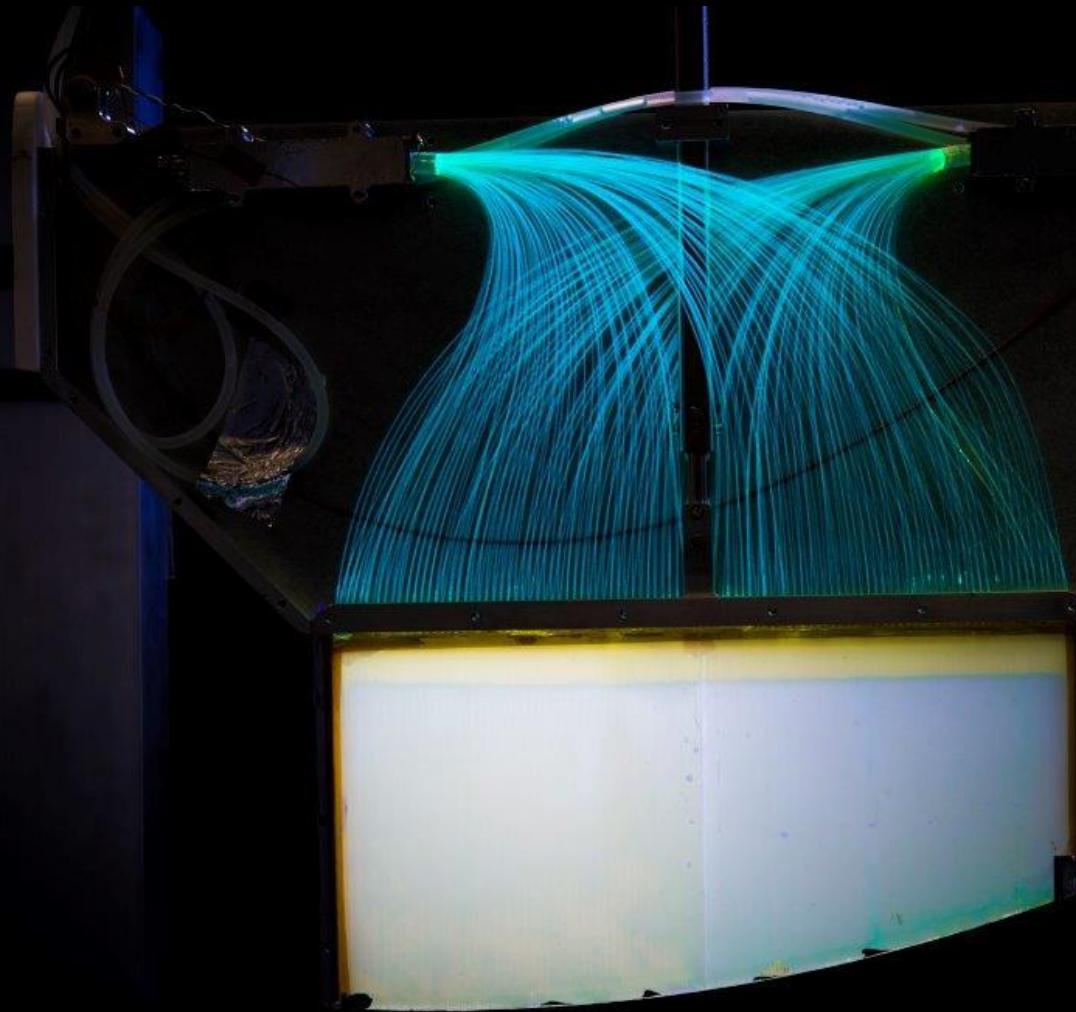


We also implemented a new way to count the trapped neutrons:

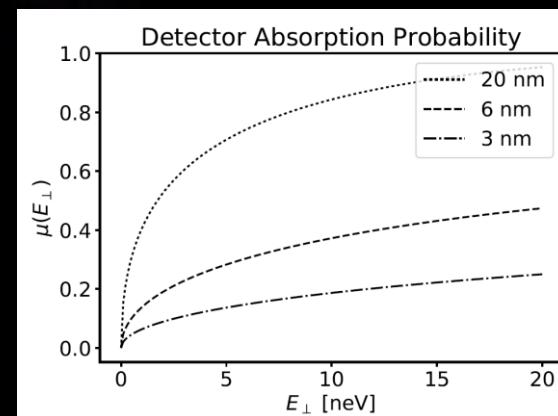
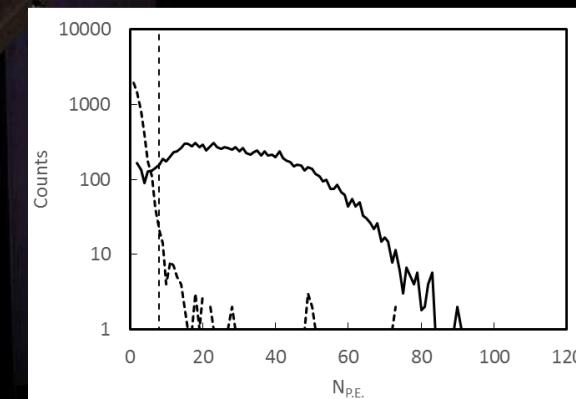


In-situ UCN detection using a “dagger” detector:
detection time ~ 8 s

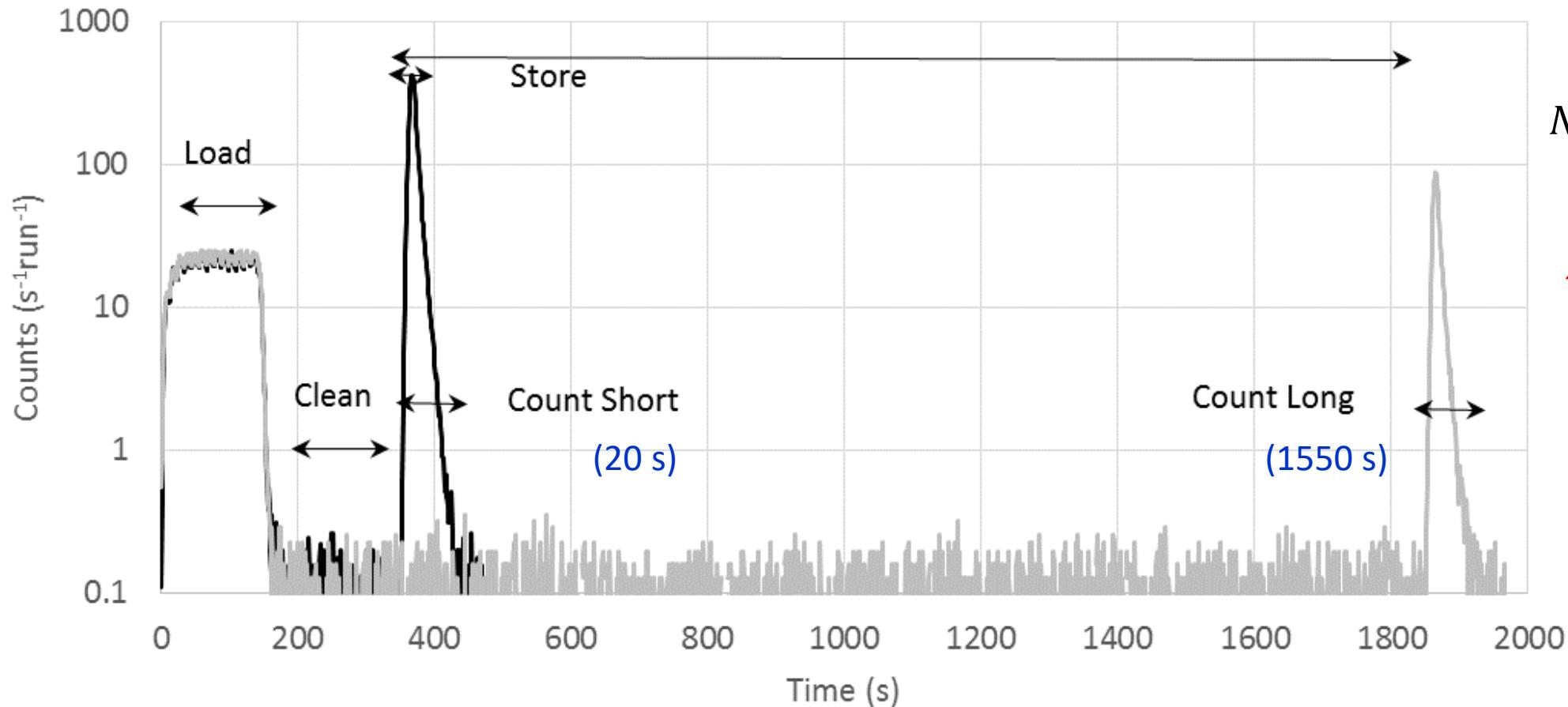




Light Output

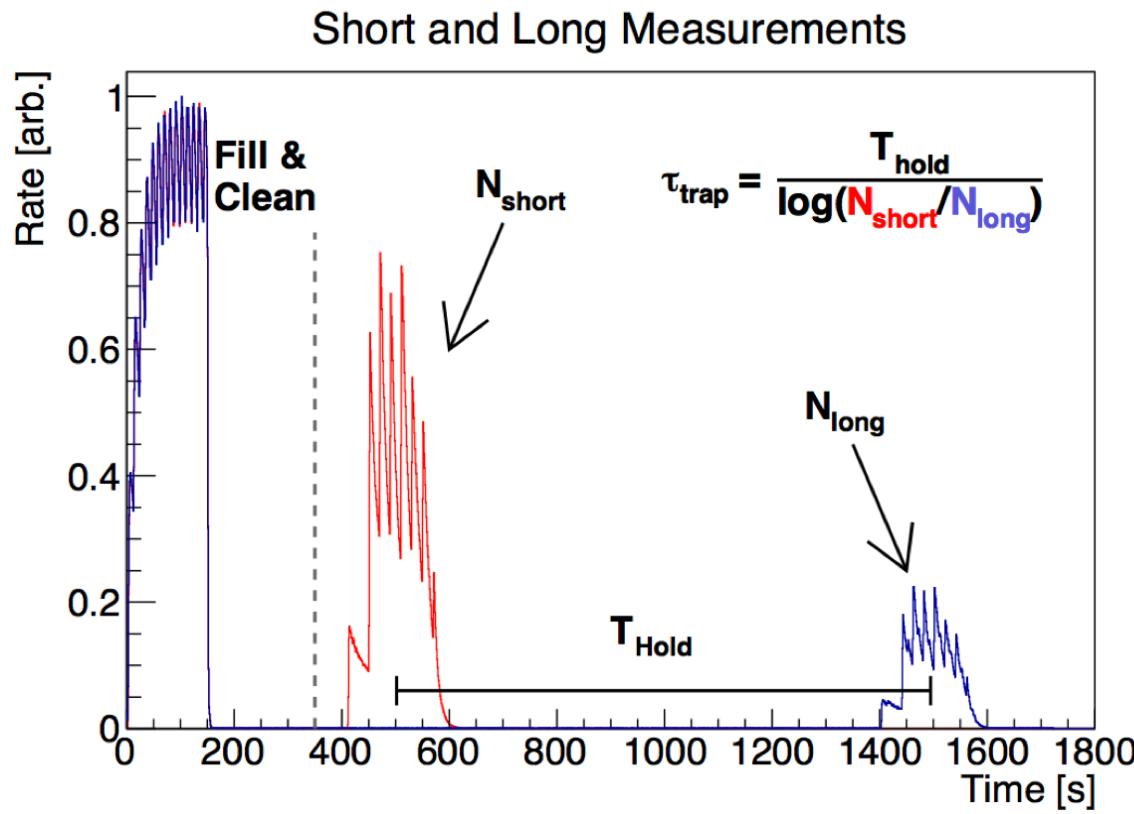


Paired runs: a short-storage followed by a long-storage:



$$N(t) = N_0 e^{-t/\tau}$$

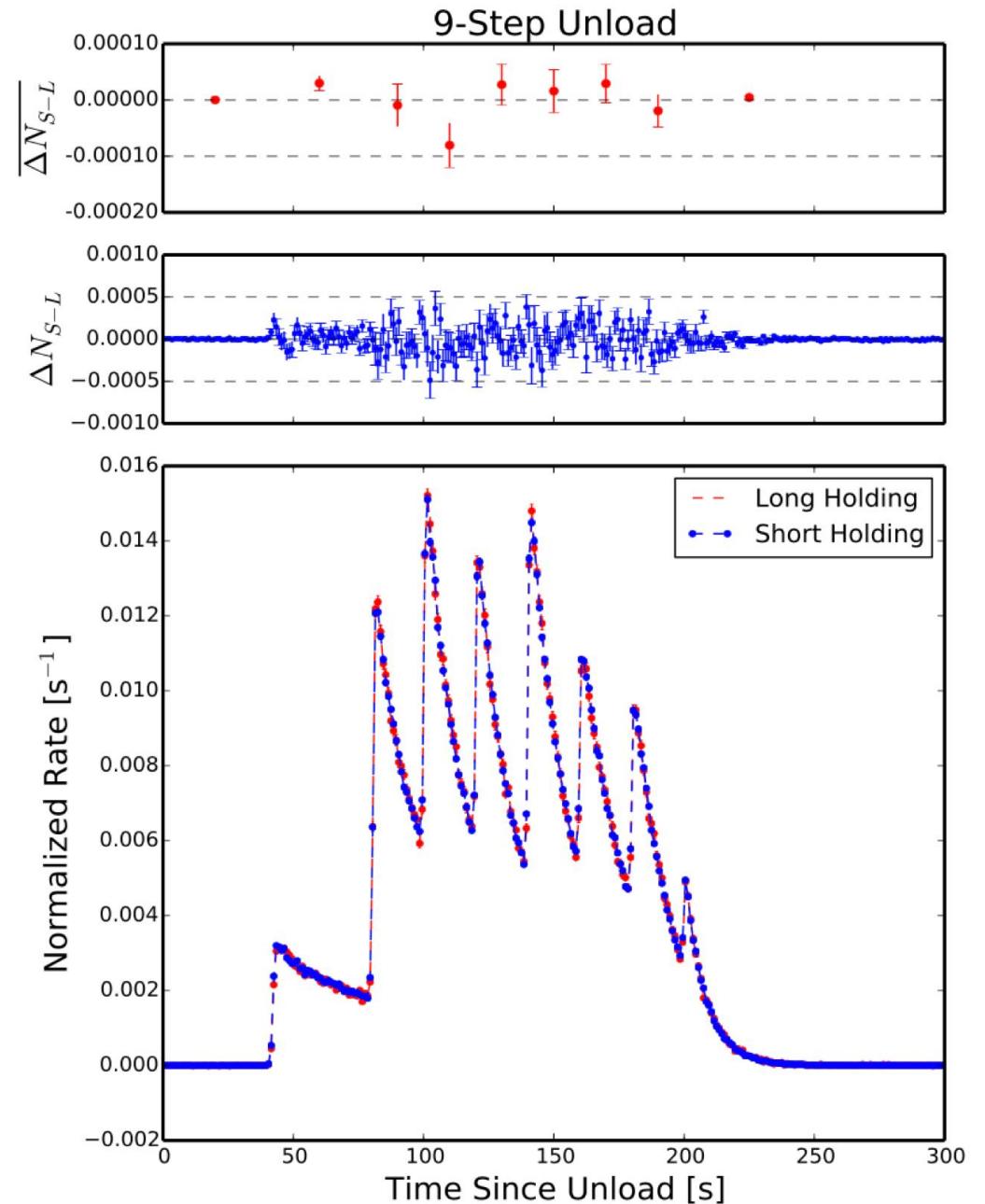
$$\tau = \frac{\Delta t}{\ln \frac{N_1}{N_2}}$$



Use difference between mean arrival times

$$\bar{T} = \frac{\sum N_i t_i}{\sum N_i}$$

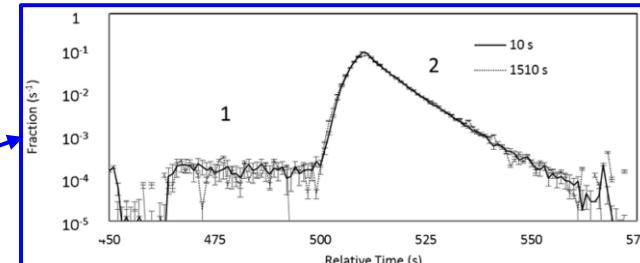
as T_{hold} . Difference between this and the programmed holding time sets the phase space evolution bound.



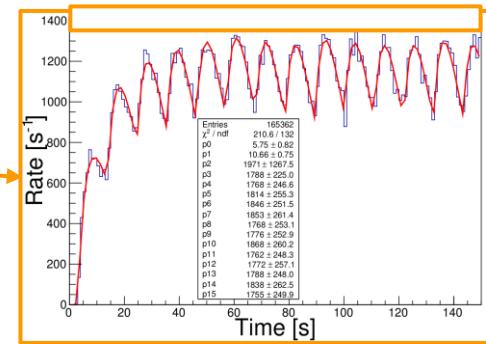
Analyzing data...

Single p.e.
dagger
counts

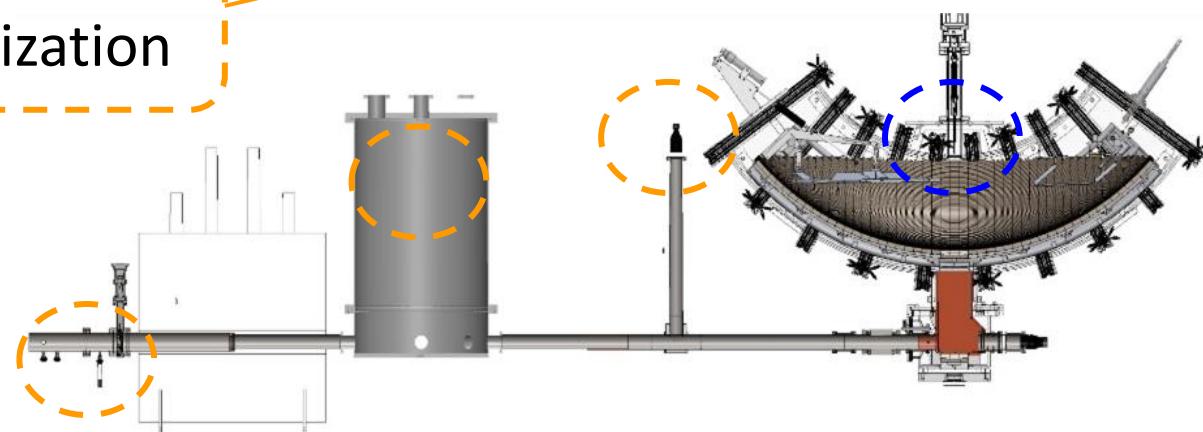
UCN
events
passing
cuts



"Monitor"
detector
counts



"Monitor"
normalization

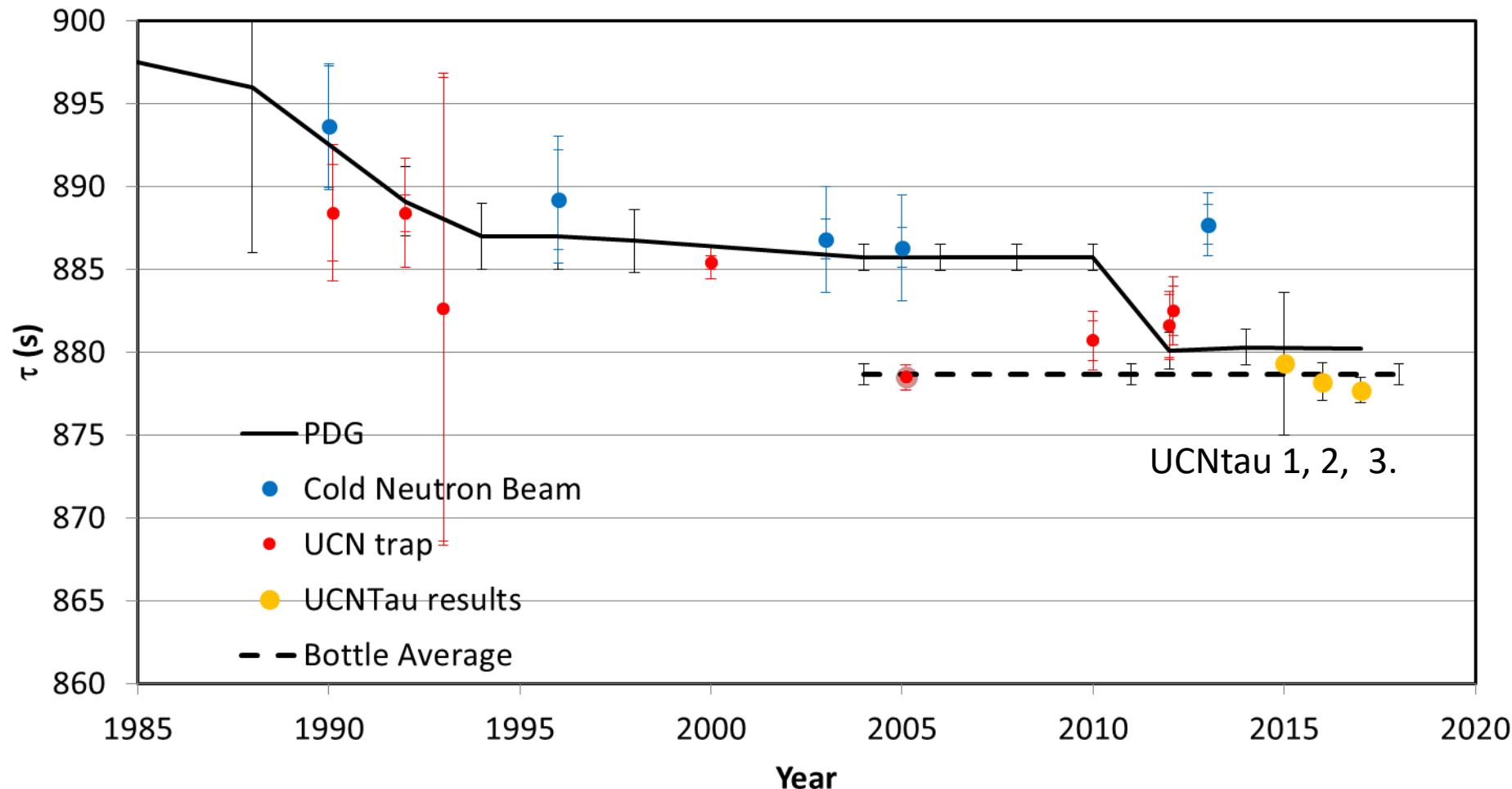


$$Y_t = \frac{D_t - B}{M}$$



UCNtau results (2018)

1. 2015 commission data (RSI)
2. 2015-2016 data
3. 2016-2017 data (Science, 2018)

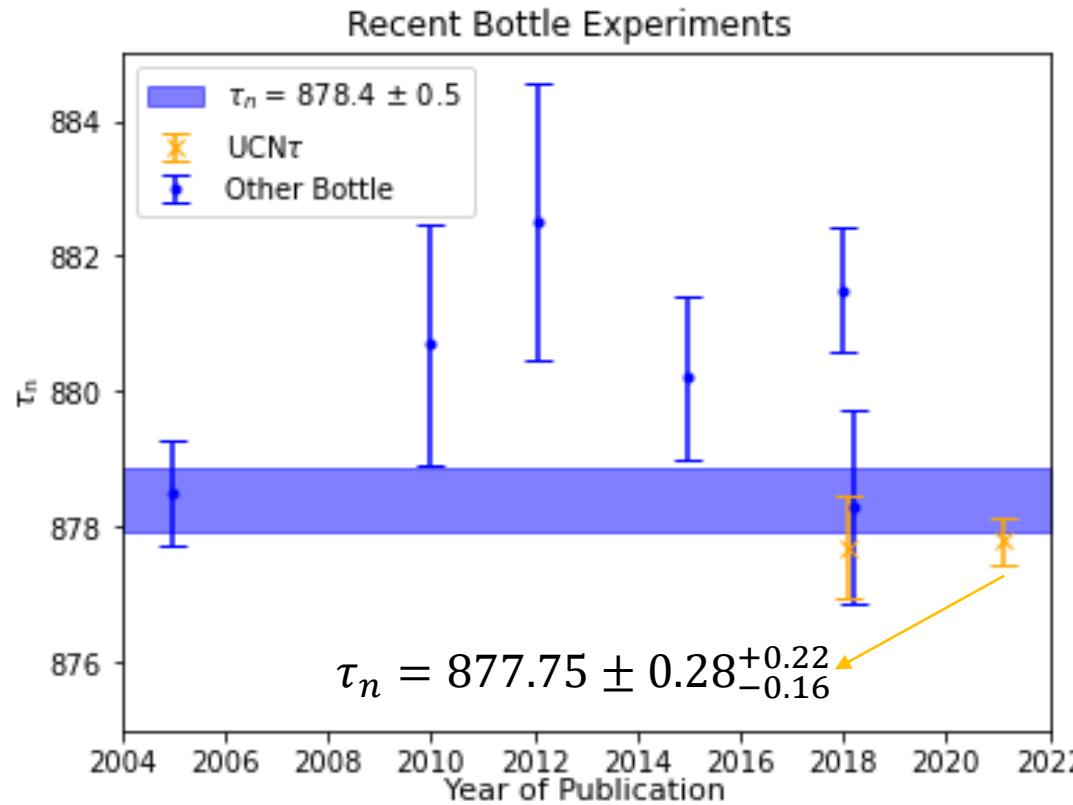


With UCNtau, we have made a measurement of τ_n for the first time
with **no extrapolation**: 877.7 ± 0.7 (stat) $+0.3/-0.1$ (sys) s.

New Result (2021): $\tau_n = 877.75 \pm 0.28^{+0.22}_{-0.16}$ s

Effect	Previous Reported Value (s)	New Reported Value (s)	Notes
τ_{meas}	877.5 ± 0.7	877.58 ± 0.28	Uncorrected Value!
UCN Event Definition	0 ± 0.04	0 ± 0.13	Single photon analysis vs. Coincidence analysis
Normalization Weighting	--	0 ± 0.06	Previously unable to estimate
Depolarization	$0 + 0.07$	$0 + 0.07$	
Uncleaned UCN	$0 + 0.07$	$0 + 0.11$	
Heated UCN	$0 + 0.24$	$0 + 0.08$	
Phase Space Evolution	0 ± 0.10	--	Now included in stat. uncertainty
Al Block	--	0.06 ± 0.05	Accidentally dropped into trap...
Residual Gas Scattering	0.16 ± 0.03	0.11 ± 0.06	
Sys. Total	$0.16^{+0.4}_{-0.2}$	$0.17^{+0.22}_{-0.16}$	
TOTAL	$877.7 \pm 0.7^{+0.4}_{-0.2}$	$877.75 \pm 0.28^{+0.22}_{-0.16}$	

Latest: Neutron Lifetime Measurements (2021)



We report a measurement of τ_n with 0.34 s (0.039%) uncertainty, improving upon our past results by a factor of 2.25 using two blinded datasets from 2017 and 2018. The new result incorporates improved experimental and analysis techniques over our previous result [Science 360, 627 (2018)].

Limits on lifetimes for *bound* neutrons are given in the section "p PARTIAL MEAN LIVES."

We average seven of the best eight measurements, those made with ultracold neutrons (UCN's). If we include the one in-beam measurement with a comparable error ([YUE 2013](#)), we get 879.6 ± 0.8 s, where the scale factor is now 2.0.

For a recent discussion of the long-standing disagreement between in-beam and UCN results, see [CZARNECKI 2018](#) (Physical Review Letters 120 202002 (2018)). For a full review of all matters concerning the neutron lifetime until about 2010, see [WIETFELDT 2011](#), F.E. Wietfeldt and G.L. Greene, "The neutron lifetime," Reviews of Modern Physics 83 1173 (2011).

VALUE (s)	DOCUMENT ID	TECN	COMMENT
878.4 ± 0.5	OUR AVERAGE Error includes scale factor of 1.8. See the ideogram below.		
$877.75 \pm 0.28^{+0.22}_{-0.16}$	GONZALEZ	2021	CNTR UCN asym. magnetic trap
$878.3 \pm 1.6 \pm 1.0$	EZHOV	2018	CNTR UCN magneto-gravit. trap
$877.7 \pm 0.7^{+0.4}_{-0.2}$	¹ PATTIE	2018	CNTR UCN asym. magnetic trap
$881.5 \pm 0.7 \pm 0.6$	SEREBROV	2018	CNTR UCN gravitational trap
880.2 ± 1.2	² ARZUMANOV	2015	CNTR UCN double bottle
$882.5 \pm 1.4 \pm 1.5$	³ STEYERL	2012	CNTR UCN material bottle
$880.7 \pm 1.3 \pm 1.2$	PICHLMAIER	2010	CNTR UCN material bottle
$878.5 \pm 0.7 \pm 0.3$	SEREBROV	2005	CNTR UCN gravitational trap

• • We do not use the following data for averages, fits, limits, etc. • •

$887 \pm 14^{+7}_{-3}$	⁴ WILSON	2021	CNTR space-based <i>n</i> rate
$887.7 \pm 1.2 \pm 1.9$	⁵ YUE	2013	In-beam <i>n</i> , trapped <i>p</i>
$881.6 \pm 0.8 \pm 1.9$	⁶ ARZUMANOV	2012	See ARZUMANOV 2015
$886.3 \pm 1.2 \pm 3.2$	NICO	2005	See YUE 2013
$886.8 \pm 1.2 \pm 3.2$	DEWEY	2003	See NICO 2005

Precision Test on the CKM Unitarity

First Row: $|V_{ud}|^2 + |V_{us}|^2 + |V_{ub}|^2 = 1 + \Delta_{BSM}$

$V_{ub} \ll V_{ud}$ and V_{us} , so negligible contribution

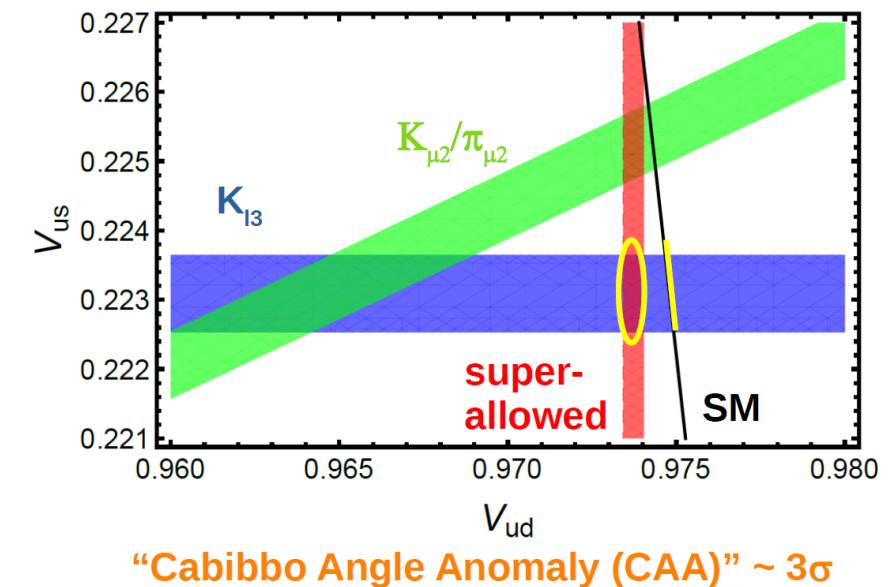
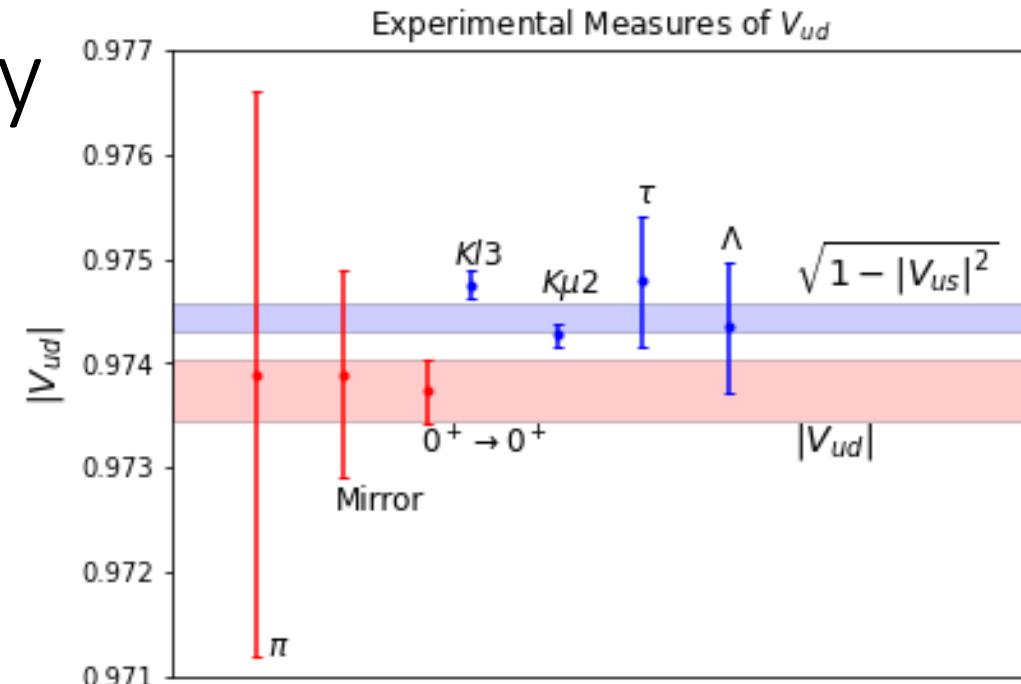
Measurements of V_{ud} :

- Most precise “Superallowed” $0^+ \rightarrow 0^+$ decays
- Mirror nuclei and Pions less precise
- Large theoretical uncertainties from radiative corrections and nuclear structure

Measurements of V_{us} :

- Most precise from Kaon decays
- Cabibbo angle anomaly ($V_{us} = \lambda = \sin \Theta_c$) between different decay channels
- Also limits from τ and Λ hyperons

Most precise measurements disagree (up to 3σ)!



Discovery potential of the beta decay anomalies

A concrete example: First-row CKM unitarity with $|V_{ud}|$ from 0^+ beta decay and $|V_{us}|$ from K_{l3} decay

$$|V_{ud}|_{0+}^2 + |V_{us}|_{K_{l3}}^2 + \cancel{|V_{ub}|^2} - 1 = -0.0021(7)$$

SOURCES OF UNCERTAINTY:

$\delta|V_{ud}|_{0+}^2$, RC:

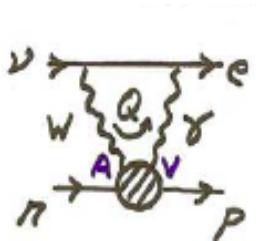


Theory uncertainties in the single-nucleon radiative corrections (RC)

$ V_{ud} _{0+}^2 + V_{us} _{K_{l3}}^2 - 1$	-2.1×10^{-3}
$\delta V_{ud} _{0+}^2$, exp	2.1×10^{-4}
$\delta V_{ud} _{0+}^2$, RC	1.8×10^{-4}
$\delta V_{ud} _{0+}^2$, NS	5.3×10^{-4}
$\delta V_{us} _{K_{l3}}^2$, exp+th	1.8×10^{-4}
$\delta V_{us} _{K_{l3}}^2$, lat	1.7×10^{-4}
Total uncertainty	6.5×10^{-4}
Significance level	3.2σ

Extracting V_{ud} with neutron decays

f: Phase space factor=1.6886
 (Fermi function, nuclear mass, size,
 recoil)



$$1/\tau_n = f G_F^2 |V_{ud}|^2 m_e^5 (1+3g_A^2)(1+RC)/2\pi^3$$

From μ -decay: 0.6 ppm (MuLan 2011)

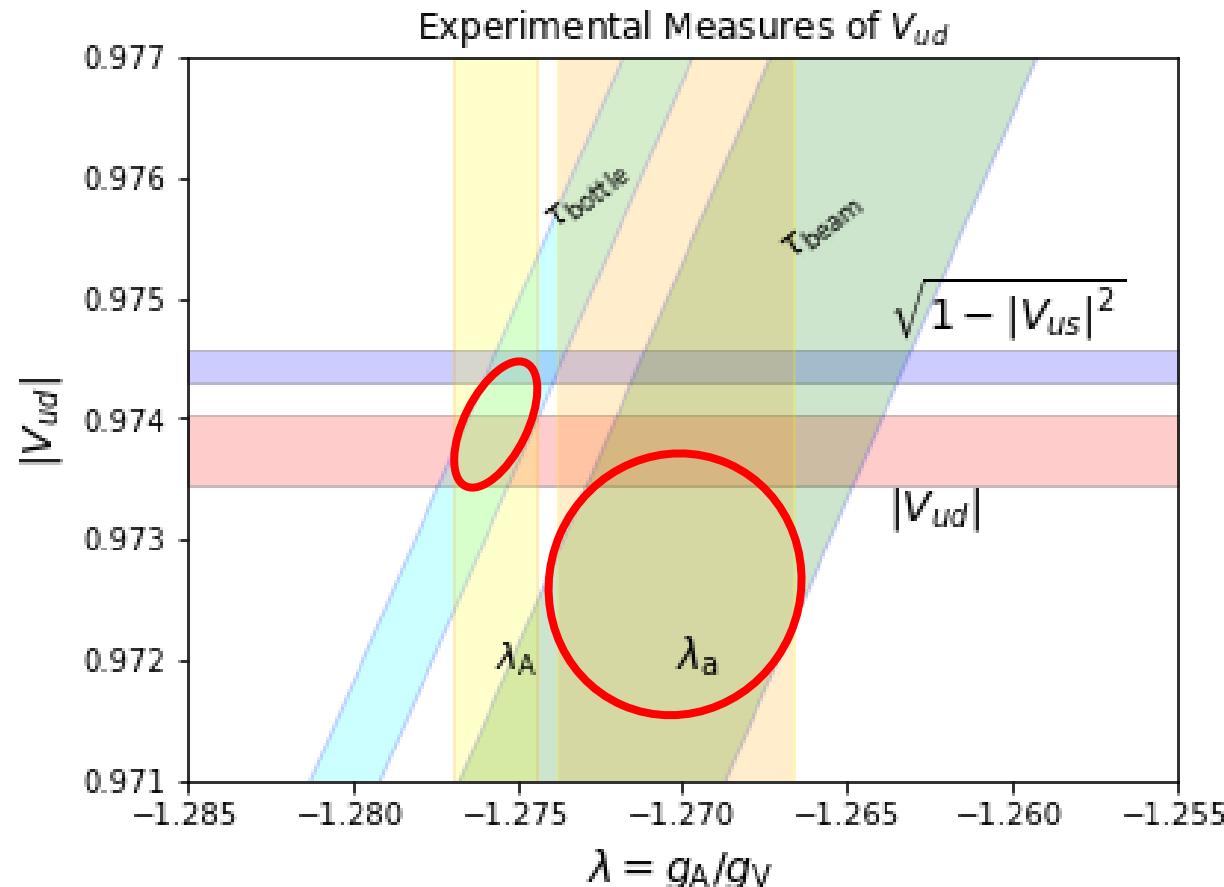
$$|V_{ud}|^2 = \frac{4905.7 \pm 1.7 \text{ s}}{\tau_n(g_V + 3g_A^2)}$$

Marciano & Sirlin, PRL 96, 032002 (2006)

Seng et al, PRL 121 (2018); Seng et al, PRD 100 (2019);

Czarnecki, Marciano & Sirlin, PRD 100 (2019)

To match the theoretical uncertainty: 3.5×10^{-4} , it requires experimental uncertainties of: $\Delta A/A = 4\Delta\lambda/\lambda < 2 \times 10^{-3}$ and $\Delta\tau/\tau = 3.5 \times 10^{-4}$.



To be consistent with CKM unitarity, it requires a smaller $|g_A|$, or a shorter τ_n .

Status of $\lambda = g_A/g_V$ from Decay Correlations

New beta asymmetry A results **consistent** –
but disagree with older measurements and
new aSpect electron-neutrino correlation a
result.

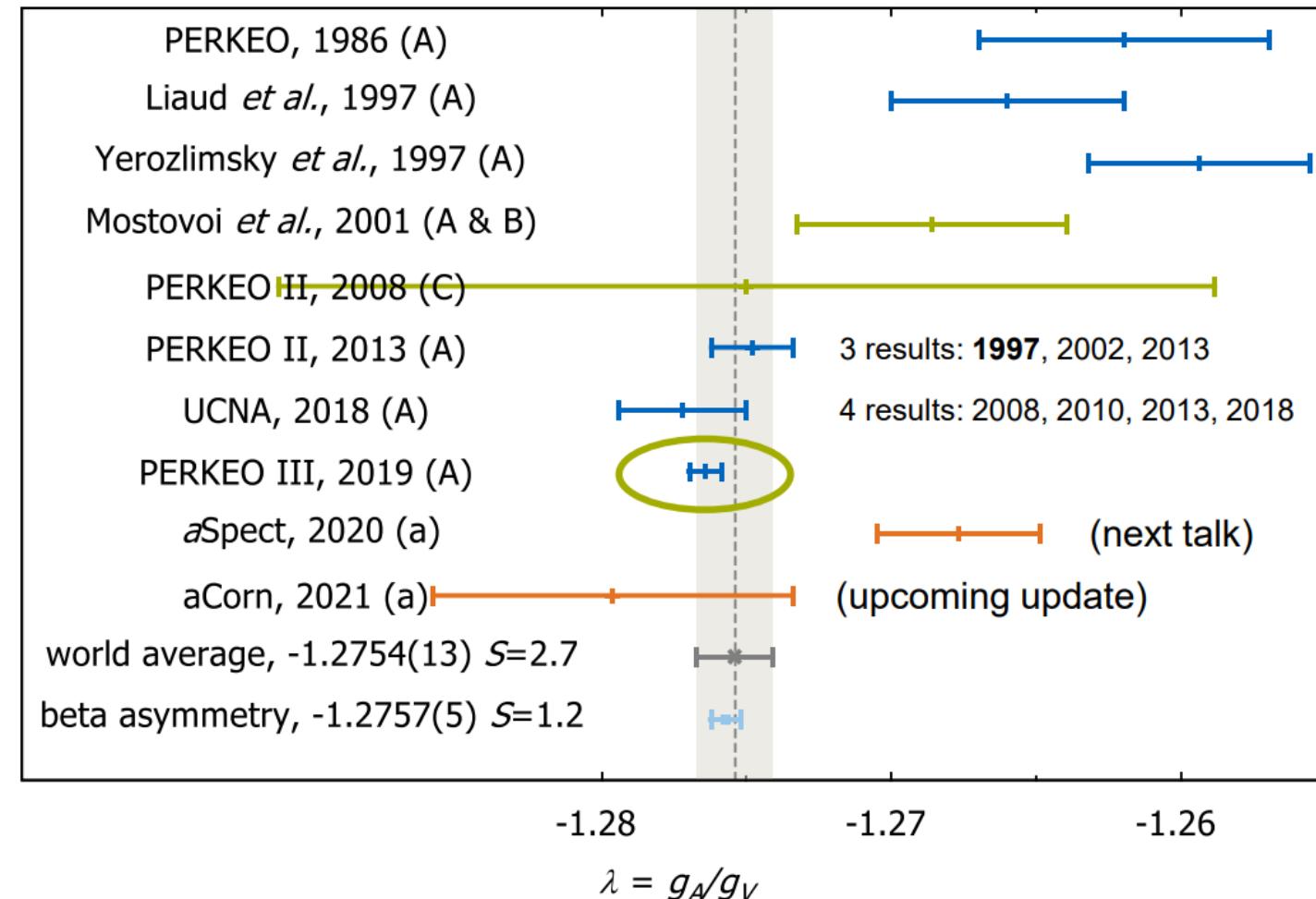
$$A_{avg} = -0.11958(21), \quad S = 1.2$$

Newer measurements of A have order of
magnitude **smaller corrections**.

UCNA, PERKEO III, aCorn, aSpect:
blinded analysis to avoid potential bias.

(Newer results of UCNA & PERKEO II include older
results)

Aim of PERC is five-fold improvement.



Experimental observables are *not* the correlation parameters: radiative corrections change

See L. Hayen's talk, and Glück arXiv:2205.05042

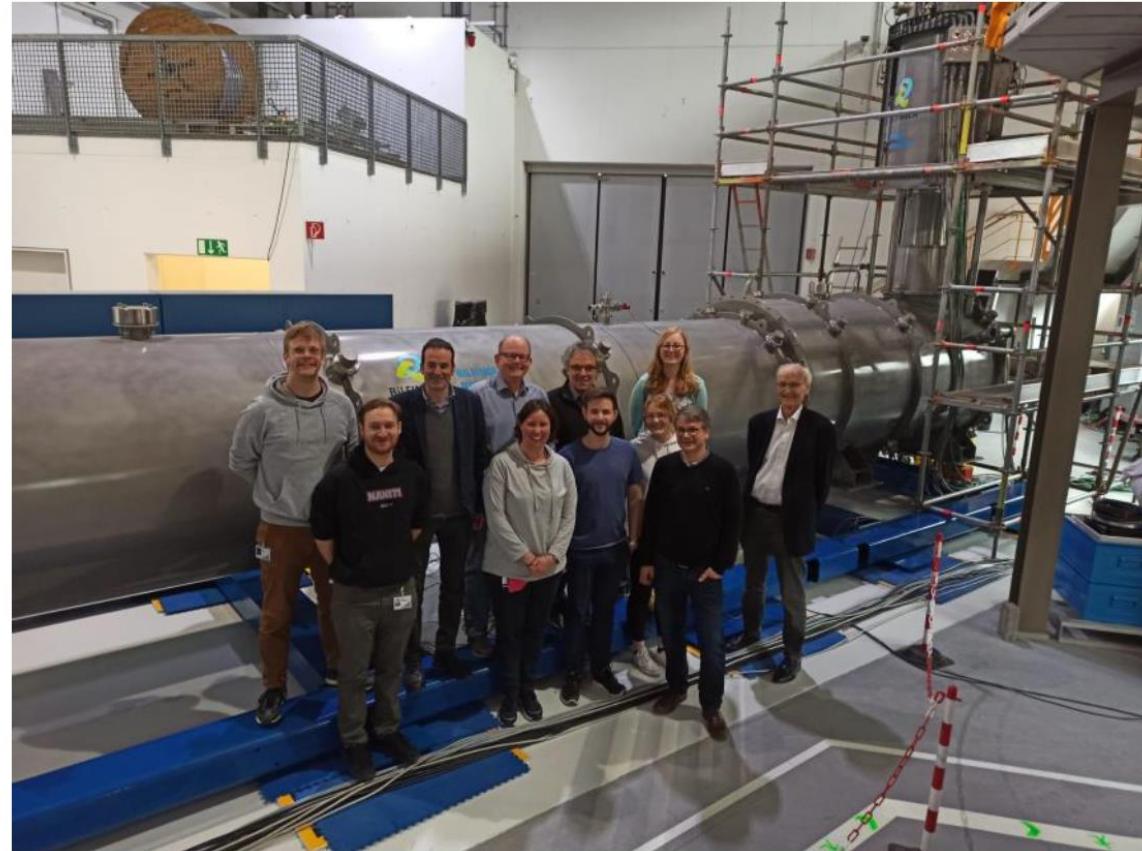
Summary and Outlook

PERKEO III Leading beta asymmetry and Fierz term results. Analysis of proton asymmetry and beta spectrum campaigns ongoing, Establishes *pulsed cold beam* technique.

PERC Aims at improved measurements of A, (B), C, a, b. **Commissioning!**

ANNI at ESS Proposed beam line at the ESS.
Statistics gain factor for a PERC-like system: ×15 !

T. Soldner, *et al.*, EPJ Web Conf. 219, 10003 (2019)



DFG Schwerpunktprogramm

SPP1491

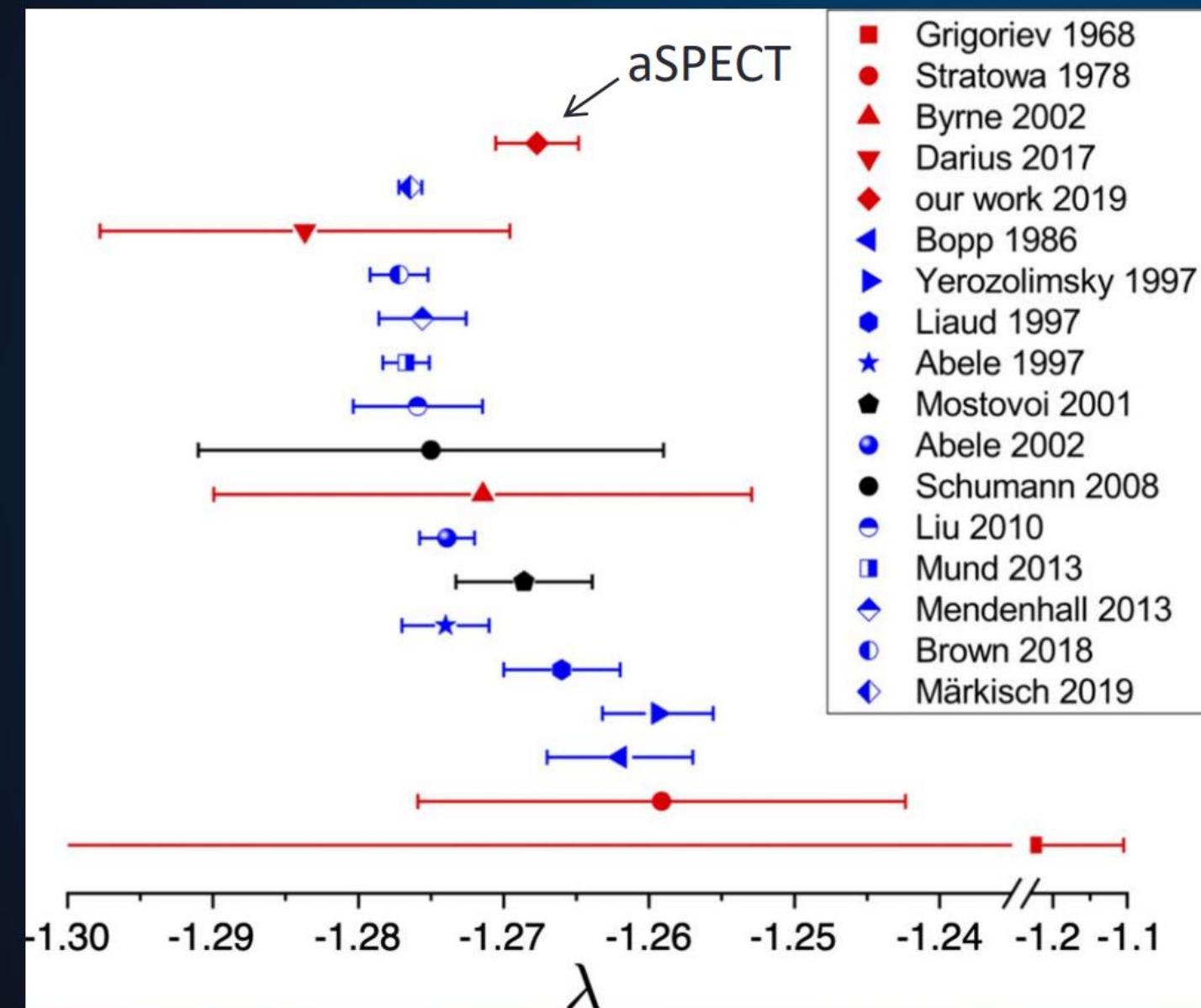


Particle Physics with Cold and Ultra-Cold Neutrons

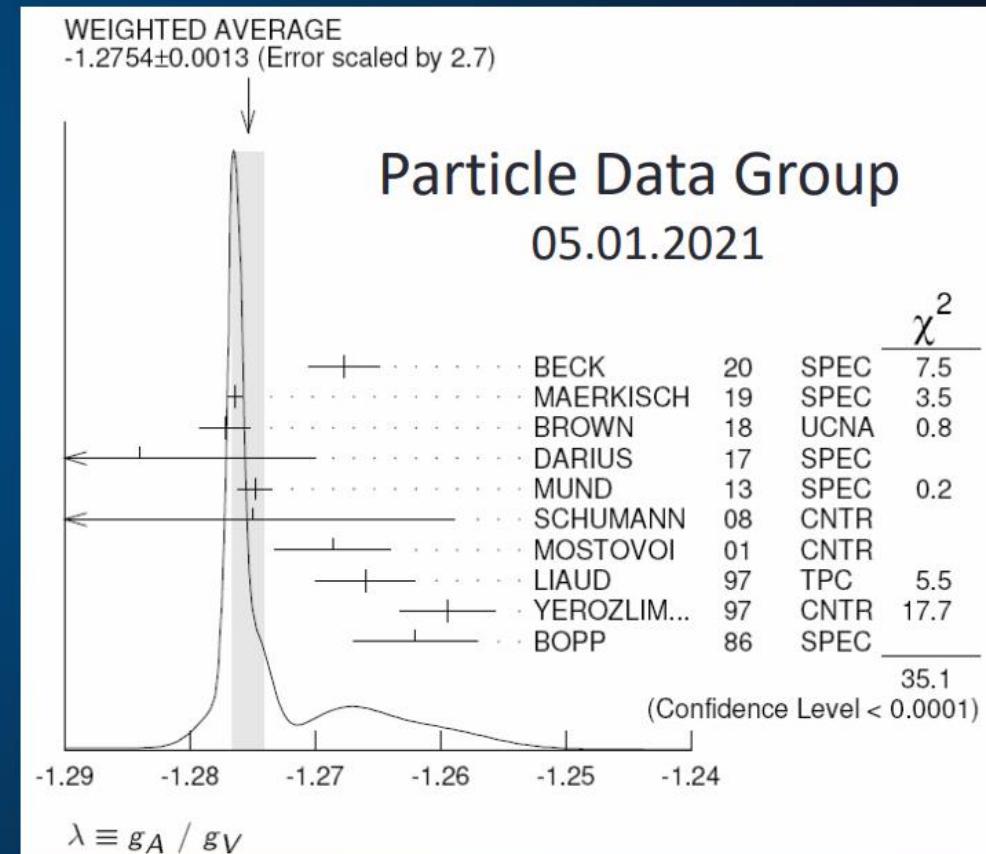


Global fit result λ

Ulrich Schmidt, PSI2022



aSPECT result:
 $\lambda = -1.2677 \pm 0.0028$
 Phys.Rev. C 101, 055506 (2020)

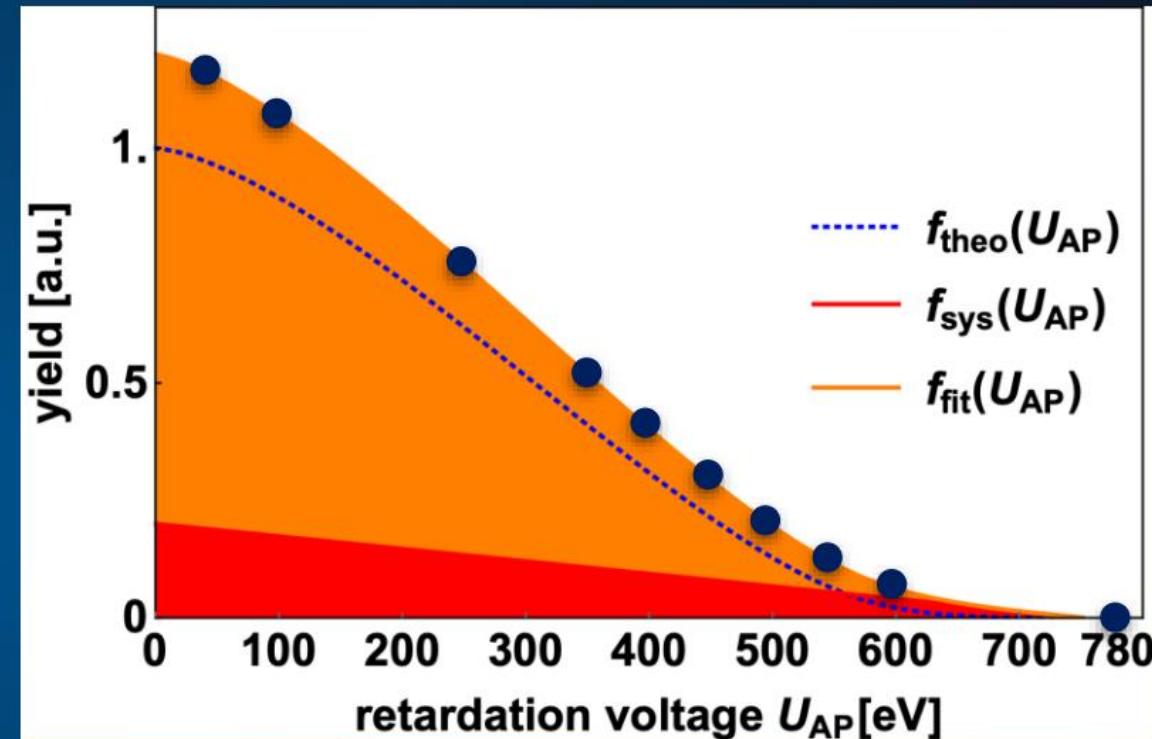


Analysis

Ulrich Schmidt, PSI2022

Systematic effects

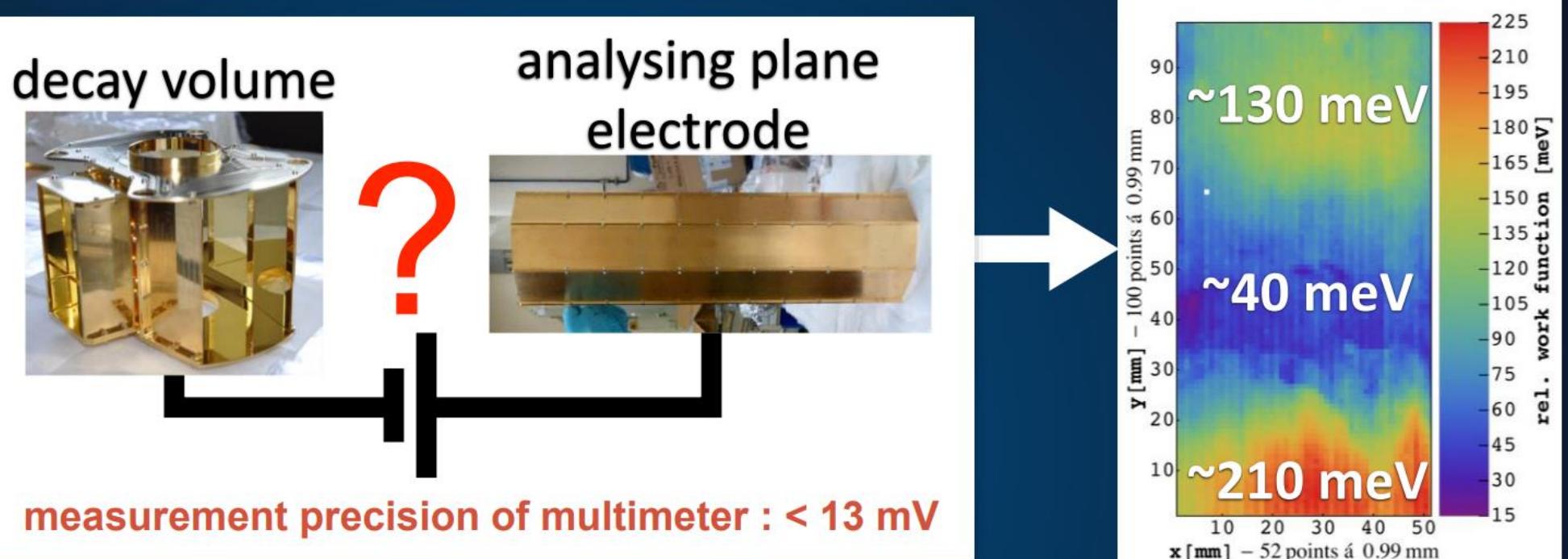
- A. Temporal stability and normalization
- B. Magnetic field ratio $\langle r_B \rangle$
- C. Retardation voltage $\langle U_{AP} \rangle$
- D. Background
- E. Edge effect
- F. Backscattering and below-threshold losses
- G. Dead time and pile-up
- H. Proton traps in the DV region



$$f_{fit}(U_{AP}) = f_{theo}(U_{AP}, a) + \sum_i f_{sys_i}(U_{AP})$$

Retardation voltage - WF measurements

$$\Delta U_{AP} = 10 \text{ mV} \\ \approx \\ \Delta a/a \approx 0.1 \%$$



Production run
aSPECT
2013
~120 K
 $\leq 10^{-9}$ mbar

WF measurements with
Kelvin probe under
ambient and HV
conditions
until 2017

Ulrich Schmidt, PSI2022

- ✓ Aging effects
< 20 meV
- ✓ Temperature effects
< 10 meV
- ✓ Air-vacuum difference
< 11 meV

Went something wrong?

→ normalization of the errors of the independent variables (x-errors)

after proper normalisation:

$$\chi^2/\nu = 1.440 \rightarrow \chi^2/\nu = 1.2$$

value of a shift by $1/2\sigma_a$

error σ_a stayes the same

Revised Systematic effects

F. Backscattering and below-threshold losses: effects from channeling?

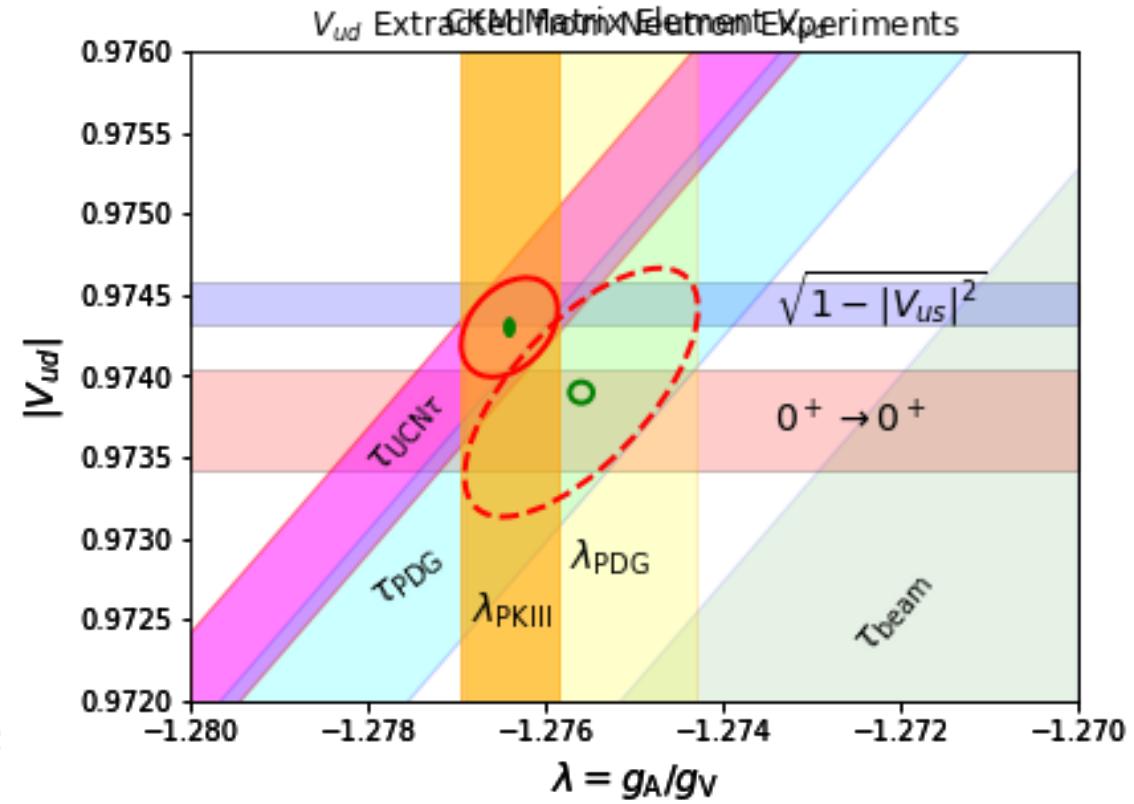
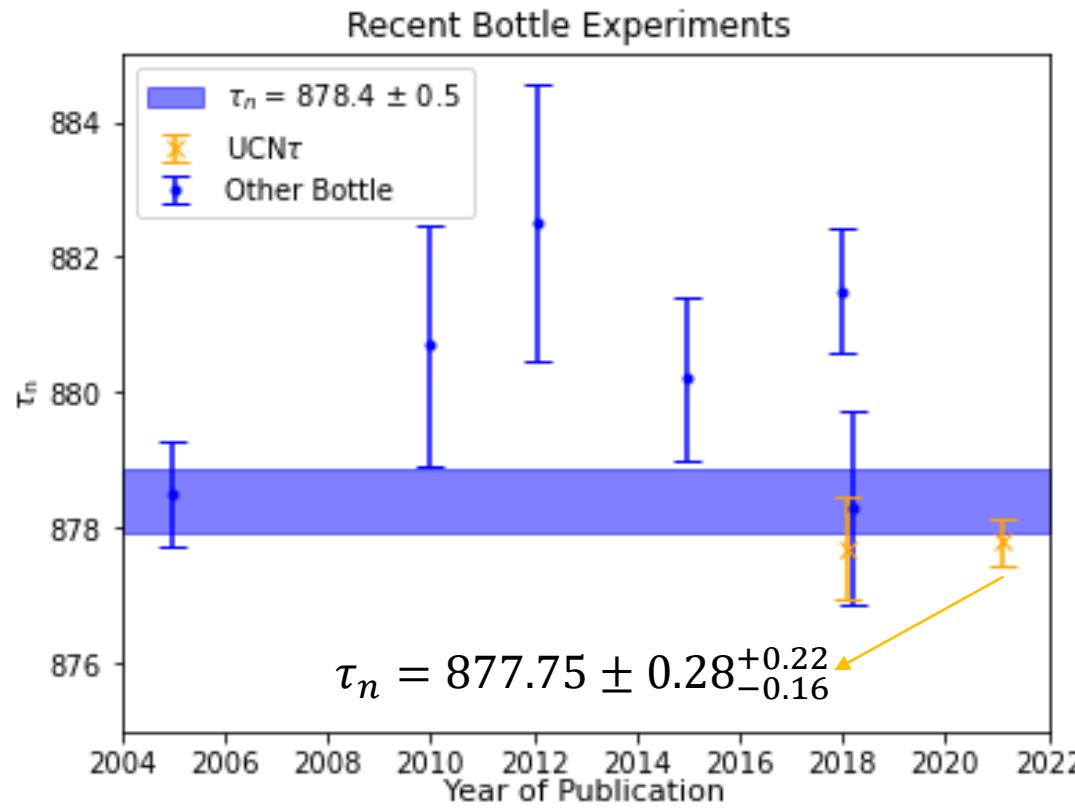
Coulomb and radiative Correction:

Ferenc Glück is a collaboration member so we aware of the 4 body kinematic in case of Bremsstrahlung:

Radiative corrections to neutron and nuclear β -decays: a serious kinematics problem in the literature

arXiv:2205.05042v1 [hep-ph] 10 May 2022

With new UCN τ lifetime result (+ Perkeo III), the extracted V_{ud} agrees with the CKM unitarity.



We report a measurement of τ_n with 0.34 s (0.039%) uncertainty, improving upon our past results by a factor of 2.25 using two blinded datasets from 2017 and 2018. The new result incorporates improved experimental and analysis techniques over our previous result [Science **360**, 627 (2018)].

This is the first neutron lifetime measurement precise enough to confront SM theoretical uncertainties.

Summary

Storage of UCN allows for the long observation times needed for precision measurement of many neutron observables. High-precision measurements, confronted with theoretical predictions, probe high-energy physics.

Precision measurements on the neutron lifetime ($\delta\tau_n < 0.1$ s), combined with the beta-decay asymmetry ($\delta A/A < 0.1\%$), test the unitarity of the CKM matrix (to 10^{-4} level of precision) and probe physics beyond the Standard Model. With UCN τ , all systematic uncertainties have been quantified by measurements.

- $\tau_n = 877.7 \pm 0.7^{+0.3}_{-0.1}$ s (Science 2018)
- $\tau_n = 877.75 \pm 0.28^{+0.22}_{-0.16}$ s (PRL 2021)

Moving forward:

- UCN τ + (immediate future): elevator loading, reaching $\delta\tau_n = 0.1$ s
- UCN τ 2 (future): superconducting coils (conceptual design), reaching $\delta\tau_n = 0.01$ s

To be consistent with CKM unitarity, it requires either a smaller $|g_A|$ or a shorter τ_n .

Discrepancy with CKM unitarity is an opportunity for new physics.

Other neutron beta-decay talks:

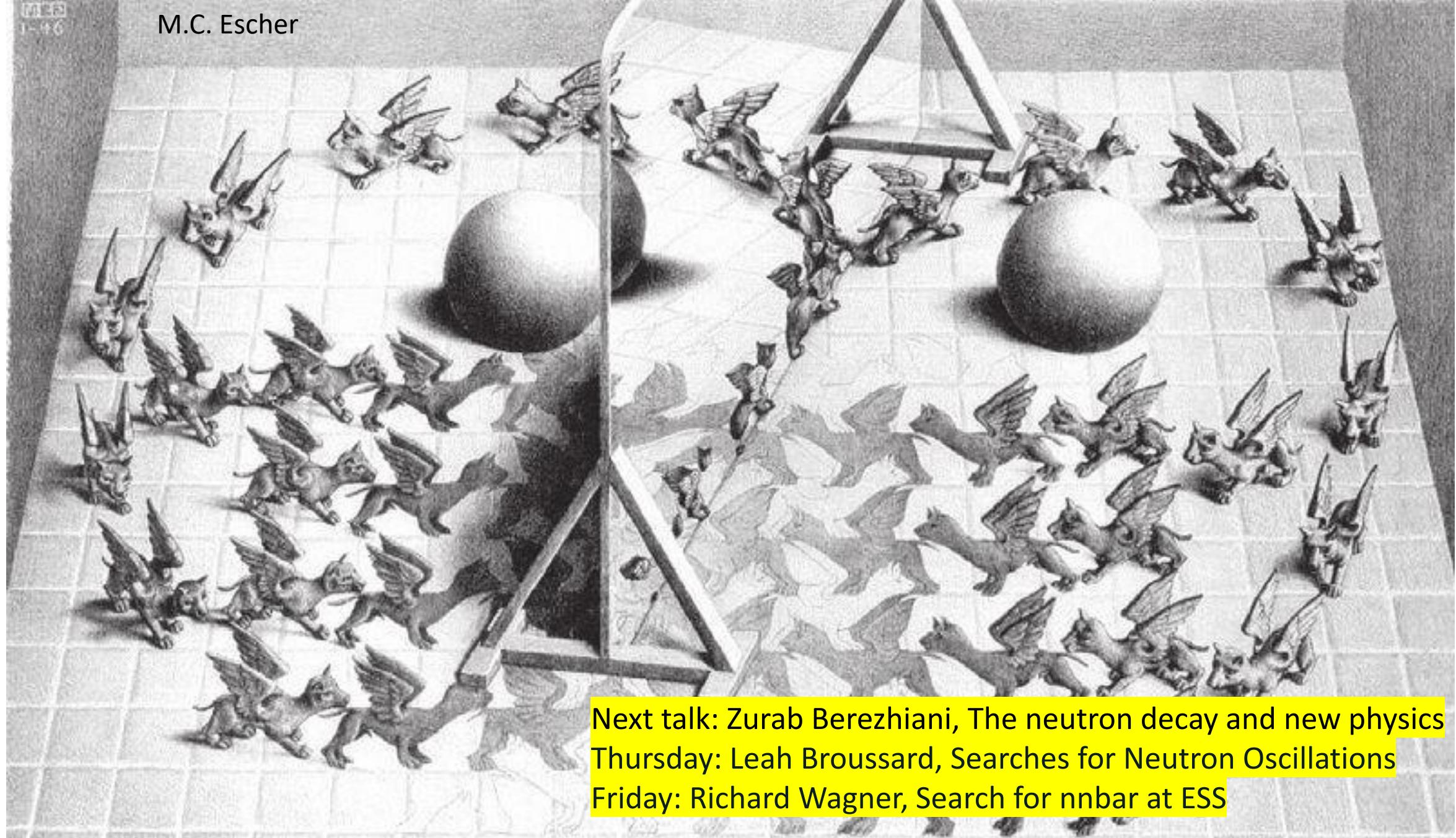
Wednesday: Kazimierz Bodek, BRAND Experiment,

Thursday: Bastian Markisch, Neutron beta decay with cold neutron beams

Thursday, Ulrich Schmidt, Reanalysis of aSPECT result

After \sim 10 years of work,
we concluded that the neutron lifetime in a bottle
is shorter than the pre-2010 PDG value.

The discrepancy of neutron lifetime persists.

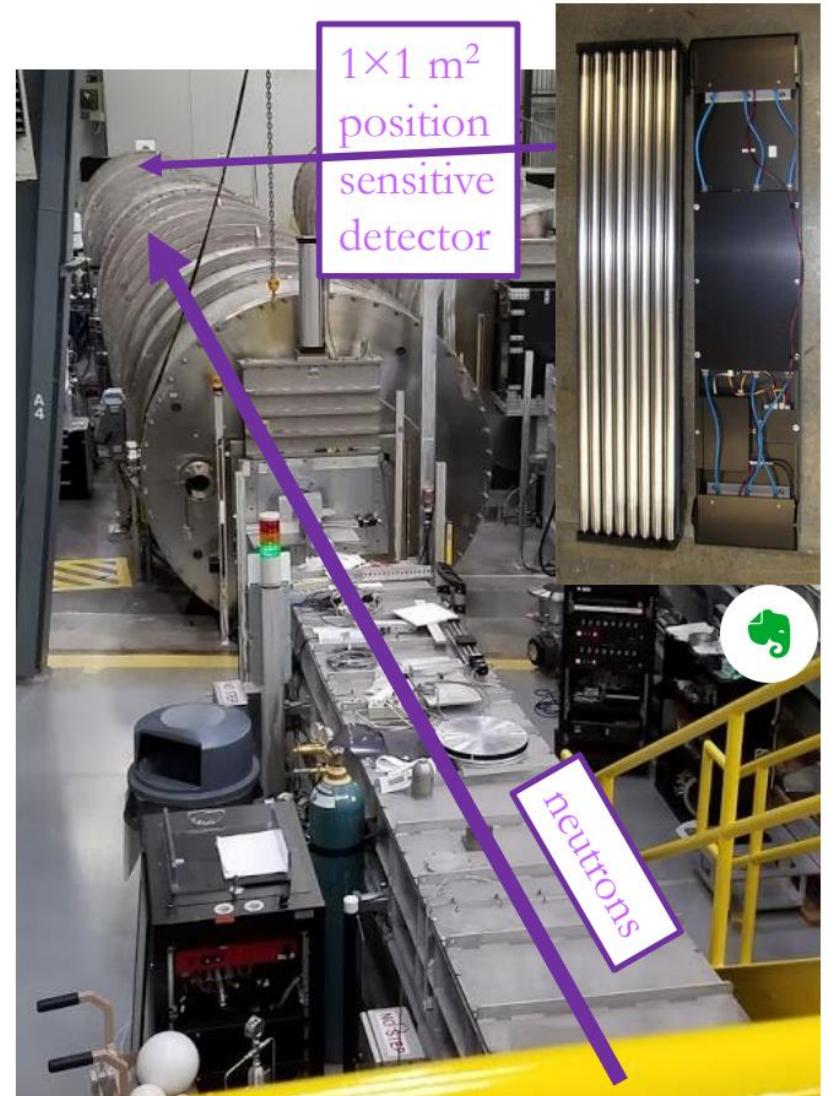
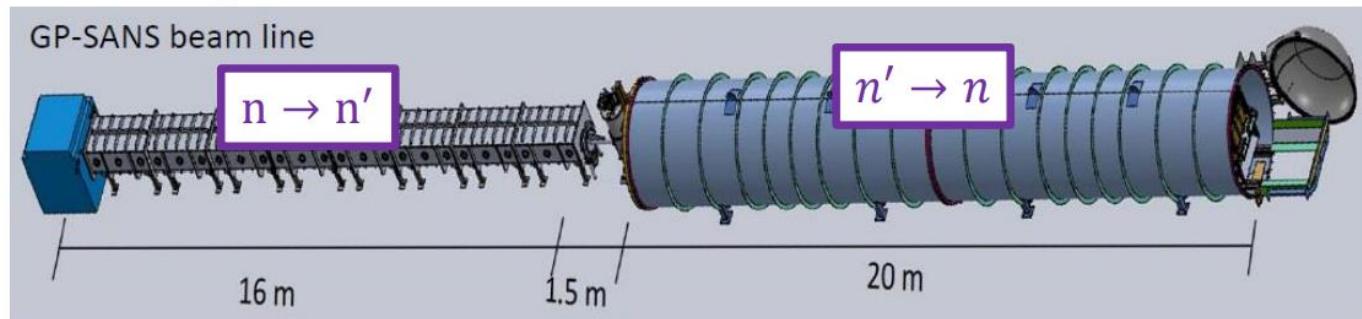


Next talk: Zurab Berezhiani, The neutron decay and new physics
Thursday: Leah Broussard, Searches for Neutron Oscillations
Friday: Richard Wagner, Search for nnbar at ESS

A theoretical conjecture: Neutrons oscillate into the mirror world

Next: searches for $n \rightarrow n'$ @ HFIR

- High Flux Isotope Reactor - 85 MW: highest reactor-based source of neutrons for research in US
- New program of searches using General-Purpose Small Angle Neutron Scattering instrument
- $\sim 10,000\times$ more neutron intensity than SNS Mag Ref
- Lower backgrounds: ^3He neutron detector in Cd shielded tank
- 15 m and 20 m long beamguides for “disappearance” and “regeneration”



Mirror neutrons and antineutrons

- Straightforward extension of formalism to consider $n \rightarrow \bar{n}, n', \bar{n}'$

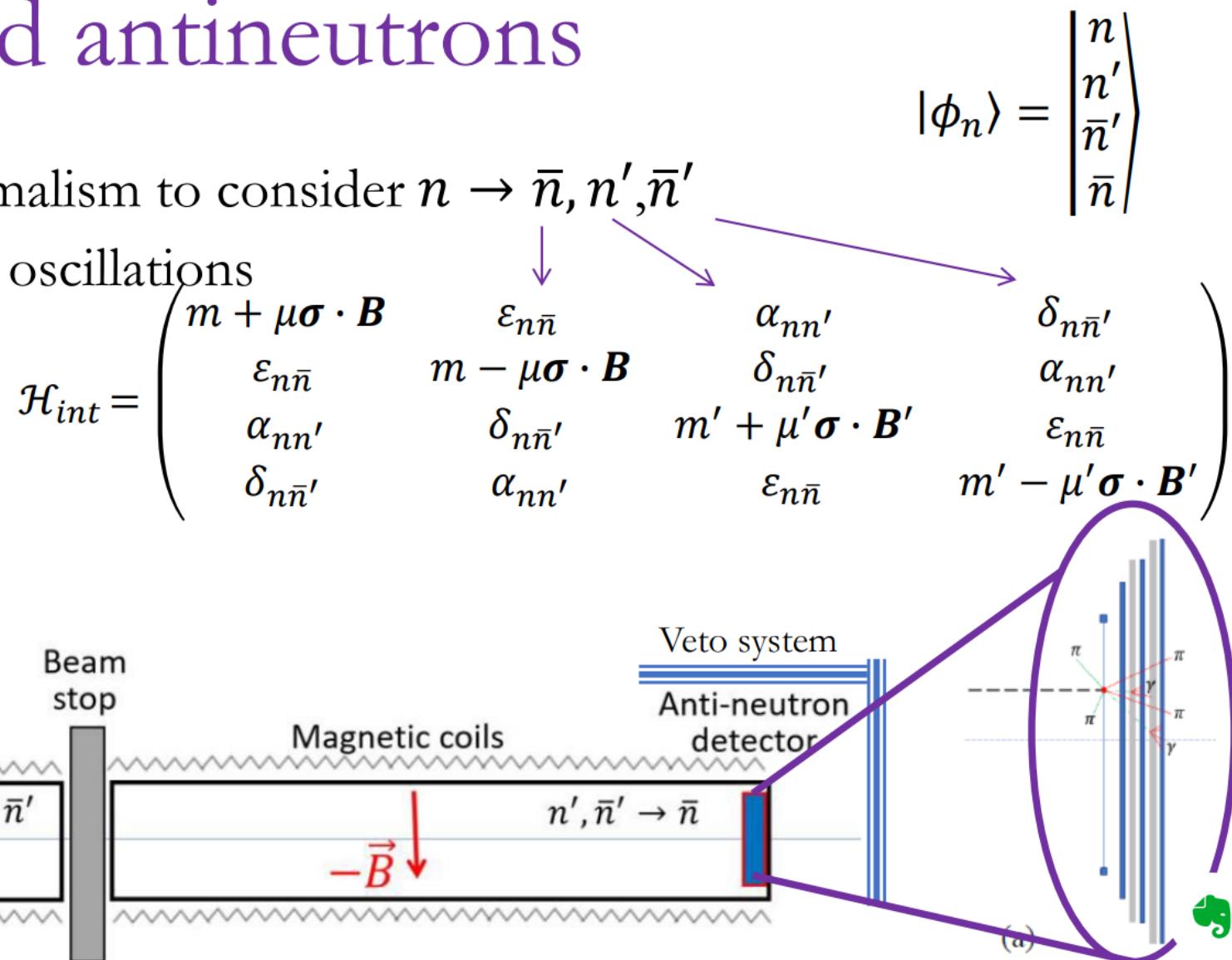
- Shortcut for neutron-antineutron oscillations

[EPJC 81 \(2021\) 33](#)

- New Avenue for search for baryon number violation

- Connection to cobaryogenesis

[IJMP 33 1844034 \(2018\)](#)



- Bonus: R&D for a high sensitivity $n \rightarrow \bar{n}$ search NNBAR [R. Wagner Friday]

The UCN τ Collaboration



Argonne National Laboratory

N. B. Callahan

California Institute of Technology

M. Blatnik, B. Filippone, E. M. Fries, K. P. Hickerson,
S. Slutsky, V. Su, X. Sun, C. Swank, W. Wei

DePauw University

A. Komives

East Tennessee State University

R. W. Pattie, Jr.

Indiana University/CEEM

M. Dawid, W. Fox, C.-Y. Liu, D. J. Salvat,
J. Vanderwerp, G. Visser

Institute Laue-Langevin

P. Geltenbort

Joint Institute for Nuclear Research

E. I. Sharapov

Los Alamos National Laboratory

S. M. Clayton (co-spokesperson), S. A. Currie,
M. A. Hoffbauer, T. M. Ito, M. Makela, C. L. Morris,
C. O'Shaughnessy, Z. Tang, W. Uhrich,
P. L. Walstrom, Z. Wang

North Carolina State University

T. Bailey, J. H. Choi, C. Cude-Woods, E.B. Dees,
L. Hayen, R. Musedinovic, A. R. Young, B. A. Zeck

Oak Ridge National Laboratory

L. J. Broussard, F. Gonzalez, J. Ramsey, A. Saunders

Tennessee Technological University

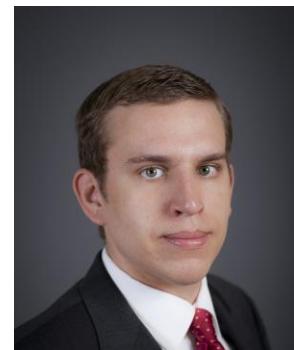
R. Colon, D. Dinger, J. Ginder, A. T. Holley (co-spokesperson),
M. Kemp, C. Swindell

3 independent analyses

- Blinded data:
 - Holding time is modified
 - Measured lifetime blinded by up to ± 15 s
- Unblinding Criteria:
 - Three complete (statistical and systematic) analyses
 - After cross-checking analyses, lifetimes combined via unweighted average, using largest uncertainties



Frank Gonzalez
(Indiana)



Eric Fries
(Caltech)



Chris Morris
(LANL)

