Dark-matter at colliders, and QCD

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Effective Theories and Dark Matter Mainz, 25 March 2014 1. QCD effects in monojet searches

[Haisch,Kahlhoefer,ER '13]

2. the $jj + \not\!\!\!E_T$ signature

[Haisch, Hibbs, ER '13]











1. monojets and QCD corrections

Why NLO ?



- NLO predictions for signal & backgrounds will reduce theoretical uncertainties:
 - . <u>no excess</u>: with NLO, more precise bounds
 - . potential excess: knowledge of background relevant to draw a solid conclusion

[TH input might be needed]

- <u>established excess</u>: accurate predictions for signal and background helpful to "read out" parameters
- NLO corrections ("K-factor") can be sizeable



Dark Matter / SM interaction

- ▶ all I discuss here is limited to spin-0 and spin-1 "s-channel mediated" processes
- useful to classify interactions using effective operators

$$\mathcal{O}_{V} = \frac{1}{\Lambda^{2}} \left(\bar{q} \gamma_{\mu} q \right) \left(\bar{\chi} \gamma^{\mu} \chi \right) \quad , \quad \mathcal{O}_{A} = \frac{1}{\Lambda^{2}} \left(\bar{q} \gamma_{\mu} \gamma_{5} q \right) \left(\bar{\chi} \gamma^{\mu} \gamma_{5} \chi \right)$$

$$\mathcal{O}_{S} = \frac{m_{q}}{\Lambda^{3}} \left(\bar{q} q \right) \left(\bar{\chi} \chi \right) \quad , \quad \mathcal{O}_{P} = \frac{m_{q}}{\Lambda^{3}} \left(\bar{q} \gamma_{5} q \right) \left(\bar{\chi} \gamma_{5} \chi \right)$$

$$\mathcal{O}_{G} = \frac{\alpha_{s}}{\Lambda^{3}} G_{\mu\nu}^{a} G^{a,\mu\nu} \left(\bar{\chi} \chi \right) \quad , \quad \mathcal{O}_{\tilde{G}} = \frac{\alpha_{s}}{\Lambda^{3}} \tilde{G}_{\mu\nu}^{a} G^{a,\mu\nu} \left(\bar{\chi} \gamma_{5} \chi \right)$$

- these interactions arise from "integrating out" heavy mediators
- the EFT approach has several limitations

[Busoni et al., 1307.2253,...]

[Buchmueller, Dolan, McCabe, 1308.6799]

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- in 1310.4491, we focussed on EFT; comprehensive study possible also for "simplified models"
 - . for instance, for V/A mediators, public code was used in [Buchmueller,Dolan,Malik,McCabe, 1407.8257]

▶ main background $Z(\rightarrow \nu \bar{\nu}) + j$ known at NLO for a long time [Giele, Glover, '92] (and will be know at NNLO in the not-too-distant future)

monojet cross-sections first computed at NLO (parton-level only) more recently

[Fox,Williams, 1211.6390]



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- if interested in full event simulation while keeping NLO accuracy, need to match to parton-showers
- there are well-established methods to consistently match these approximations
 [POWHEG,MC@NLO]
- will show example where important effects would be missed if using pure parton-level NLO

results: cuts and scale choice (CMS)

we studied both ATLAS and CMS cuts. For CMS setup:

[CMS-PAS-EXO-12-048]

- from QCD point of view, monojet production is a process with more than one typical scale $(E_{T,\text{miss}}, p_{T,j}, m_{\chi}, m_{\chi\bar{\chi}})$
- dynamic choice for factorization and renormalization scale:

$$\mu = \xi \frac{H_T}{2} \qquad \qquad H_T = \sqrt{m_{\chi\bar\chi}^2 + p_{T,j}^2} + p_{T,j}$$

and as usual ξ varied in [1/2, 2]

fixed order \rightarrow full simulation



- uncertainties reduced by a factor of 2. Constant K-factor of 1.1 for our scale choice
- for "inclusive cuts", PS & hadronization effects visible but small (R=0.4)
- for realistic cuts (i.e. with jet veto on 3rd jet), NLOPS cross section reduced by about 40 %
- notice that with fixed-order result you don't see this effect at all (no 3rd jet)

NLO+PS vs LO+PS: V case



LOPS vs NLOPS shows that NLO/LO K-factor is partially washed away from PS effects.

 \checkmark Theoretical uncertainty is still much smaller when NLO included.

. more reliable extraction of exclusion bounds

NLO+PS vs LO+PS: G case



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a closer look to "mono"-jet events



- large centre-of-mass energy: soft QCD radiation can easily generate additional jets with $p_{T,j} > 30 \text{ GeV}$
- large fraction of 2-jet events: reduces impact of genuine fixed-order NLO corrections
- similarly, 3 (or more) jet events are not that rare, hence jet-veto has large impact; more so for gluon-induced processes

structure of the interaction



- different interactions will give different total x-sections
- however, p_T spectrum of signal is featureless
 - . same masses (and widths)

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same shape for different *s*-channel interactions

- it seems impossible* to distinguish between O_V, O_A, O_S, O_G, ... just by using monojets
- what about looking into 2-jets events?

^{*}distinguish between coupling to gluons or vectors trying to identify the jet flavour has been explored [Agrawal,Rentala,1312.5325]

DM + 2 jets (EFT)

 we looked at the case where DM-SM interactions take place via

$$\mathcal{O}_{S} = \frac{m_{t}}{\Lambda^{3}} \left(\bar{t}t \right) \left(\bar{\chi}\chi \right) \quad \text{or} \quad \mathcal{O}_{P} = \frac{m_{t}}{\Lambda^{3}} \left(\bar{t}\gamma_{5}t \right) \left(\bar{\chi}\gamma_{5}\chi \right)$$

▶ bounds from $j + E_{T,\text{miss}}$ and $t\bar{t} + E_{T,\text{miss}}$: $\Lambda \gtrsim 150 - 170 \text{ GeV}$ [$m_{\chi} = 50 \text{ GeV}$]

$$g$$
 $\mathcal{O}_{S,P}$ $\bar{\chi}$
 t χ
 g χ
 f χ
 g χ
 f χ
 χ
 χ
 χ
 χ
 f χ
 f

- (normalized) azimuthal correlation $\Delta \Phi_{jj}$:
 - distinguish between background and signal hypothesis
 - \mathbb{P} distinguish between \mathcal{O}_S and \mathcal{O}_P (and $\mathcal{O}_{V/A}$)
- ► LHC 14 TeV w/ CMS cuts + m_{jj} > 600 GeV: $\sigma(E_{T,\text{miss}} + jj) \simeq 0.3\sigma(E_{T,\text{miss}} + j), \sigma_S \simeq \sigma_B$



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 χ
 g \mathcal{O}_{T} χ
 g \mathcal{O}_{T} χ
 j_1 j_2 $\Delta\phi_{j_1,j_2}$

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- pattern visible also in heavy-top limit [G_{µν}G^{µν} χ̄χ] (although x-section overestimated (factor 10))



DM + 2 jets (full theory)

- with previous settings, EFT validity questionable
- studied specific case with simplified s-channel model:

$$\mathcal{L}_{S} = g_{\chi}^{S}\left(\bar{\chi}\chi\right)S + g_{t}^{S}\frac{m_{t}}{v}\left(\bar{t}t\right)S$$

- (pseudo)-scalar mediator, $M_{P/S}$ = $500~{\rm GeV},$ m_{χ} = $200~{\rm GeV},$ g = 1
- all constraints from LHC and cosmology satisified
- width explicitly computed (here turns out $\Gamma/M \simeq 3-6\%$)

modulation pattern survives





3. Dark-Matter heavy-flavour at the LHC

dark-matter top-quark interactions

study spin-0 mediators and LHC discovery/exclusion potential

see also [Buckley et al., 1410.6497], [Harris et al., 1411.0535]

- if MFV assumed, the more relevant DM-SM interactions are those involving heavy quarks
- ▶ we wanted to look how searches in monojets and $t\bar{t} + E_T$ compare (and how they compare with direct-detection limits)

- simplified model

$$\mathcal{L} \supset g_{\rm DM}^{S}\left(\bar{\chi}\chi\right)S + g_{\rm SM}^{S}\sum_{q} \frac{m_{q}}{v}\left(\bar{q}q\right)S + ig_{\rm DM}^{P}\left(\bar{\chi}\gamma_{5}\chi\right)P + ig_{\rm SM}^{P}\sum_{q} \frac{m_{q}}{v}\left(\bar{q}\gamma_{5}q\right)P$$

- EFT description

$$O_S^q = \frac{m_q}{\Lambda_S^3} \,\bar{\chi}\chi \,\bar{q}q \,, \qquad O_P^q = \frac{m_q}{\Lambda_P^3} \,\bar{\chi}\gamma_5\chi \,\bar{q}\gamma_5q \qquad \Lambda = \left(\frac{vM^2}{g_{\rm SM}g_{\rm DM}}\right)^{1/3}$$

- unless stated, we always keep full top-mass dependence
- for simplicity, same factors for up-down type families: $g_{SM}^{P/S} \equiv g_{u,SM}^{P/S} = g_{d,SM}^{P/S}$

available searches



EFT analysis



- bands from scale uncertainties
- monojet search currently provide the (EFT) best constraints
- difference between P and S at low m_{χ} : $\Lambda_P \simeq (3/2)^{1/3} \Lambda_S$
- $m_{\chi} \gtrsim 100 \text{ GeV: } S$ bound falls faster because of scaling property of cross-section (P: β vs S: β^3 , where $\beta = \sqrt{1 4m_{\chi}^2/m_{\chi\bar{\chi}}^2}$)

simplified model

$$\mathcal{L} \supset g_{\rm DM}^{S}\left(\bar{\chi}\chi\right)S + g_{\rm SM}^{S}\sum_{q}\frac{m_{q}}{v}\left(\bar{q}q\right)S + ig_{\rm DM}^{P}\left(\bar{\chi}\gamma_{5}\chi\right)P + ig_{\rm SM}^{P}\sum_{q}\frac{m_{q}}{v}\left(\bar{q}\gamma_{5}q\right)P$$

- 4 free parameters: g_{DM} , g_{SM} , m_{χ} , $M_{S/P}$
- width always computed: include $S \rightarrow \chi \bar{\chi}, S \rightarrow t\bar{t}, S \rightarrow gg$ and $S \rightarrow b\bar{b}$
- · this is the minimal width, within the simplified model we are considering

- ▶ no approximate NLO/LO K-factor for monojet x-section, since NLO for H/A + j with top-mass dependence is not known (if $m_t \rightarrow \infty, K \simeq 1.6$)
- > PDF: MSTW2008LO $\mu=H_T/2, \text{ where } H_T=\sqrt{m_{\chi\bar{\chi}}^2+p_{T,j}^2}+p_{T,j}$ Pythia6

scalar: results



- left: m_{χ} = 100 GeV, M_S = 300 GeV.
- right: g = 4 (not very weak)
- LHC8 can exclude $g_{\rm SM}^S\gtrsim 3$ and $g_{\rm DM}^S\gtrsim 0.2$
- weakly-coupled scalar mediators seem hard to probe
- direct-detection (LUX) much more constraining

pseudoscalar: results



- left: m_{χ} = 100 GeV, M_P = 300 GeV.
- right: g = 4 (not very weak)
- ► can probe off-shell region $(M < 2m_{\chi})$: $|\mathcal{M}(P \to \chi \bar{\chi})|^2 \sim Q^2 \quad \text{vs.} \quad |\mathcal{M}(S \to \chi \bar{\chi})|^2 \sim (Q^2 - 4m_{\chi}^2)$
- no direct-detection (spin-dependent DM-nucleon x-section is momentum suppressed)



- depending on specific parameters, the 2 searches can have similar reaches and/or become complementary
- $t\bar{t} + E_T$ not tailored to DM searches

pseudoscalar: $\not\!\!\!E_T + j$ vs $t\bar{t} + \not\!\!\!E_T$



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- $t\bar{t} + E_T$ not tailored to DM searches

Conclusions

- QCD corrections are/will be relevant for background, and might be also important for the signal
- a full NLO+PS simulation is useful to describe important features (2-jets region, jet-veto,...)

- mono-jet searches good for discovery or to set bounds, not to characterise a signal
- if a signal found, angular correlations can tell a lot more than just monojets

- scalar/pseudoscalar mediators: probe only relatively large couplings. Possible to improve at 14 TeV ?
- simplified models more reliable
- complementarity between different LHC searches (although monojet searches seem so far the more competitive)





