

# Coherent elastic neutrino scattering for $^{40}\text{Ar}$ from first principles

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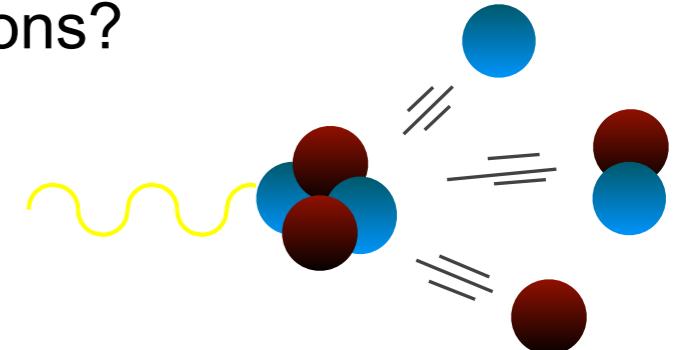
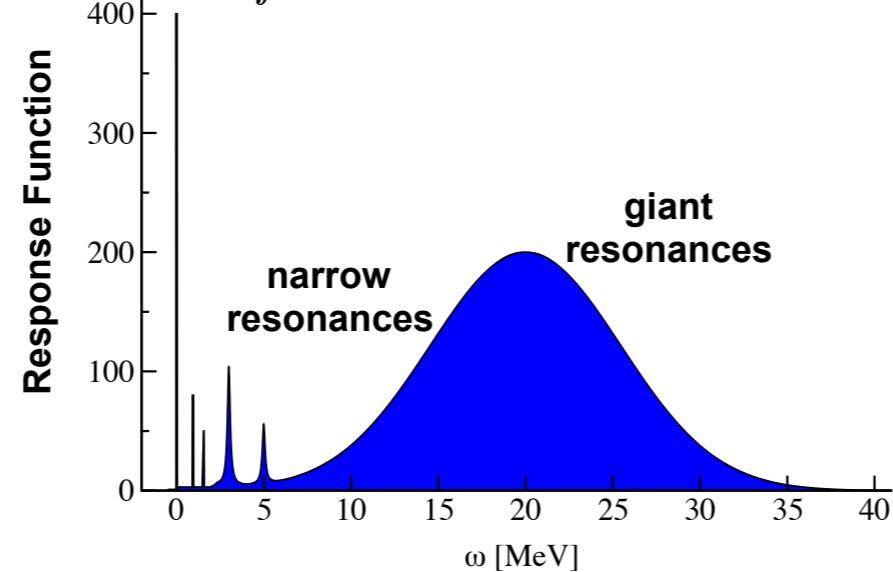
## Outline

- Motivation
- The electroweak sector:
  - coherent elastic neutrino scattering
  - inelastic lepton scattering
- Outlook

# Motivation

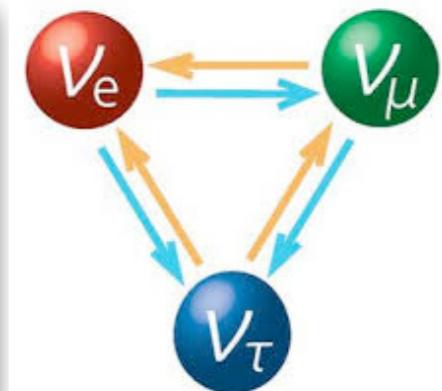
- How does the nucleus respond to external electroweak excitations?

$$R(\omega, q) = \sum_f |\langle \Psi_f | \Theta(q) | \Psi_0 \rangle|^2 \delta(\omega - E_f + E_0)$$



- Interesting in nuclear physics and useful in other fields of physics, where nuclear physics plays a crucial role:

- Astrophysics:
- Atomic physics
- **Particle physics**



# Nuclear structure theory

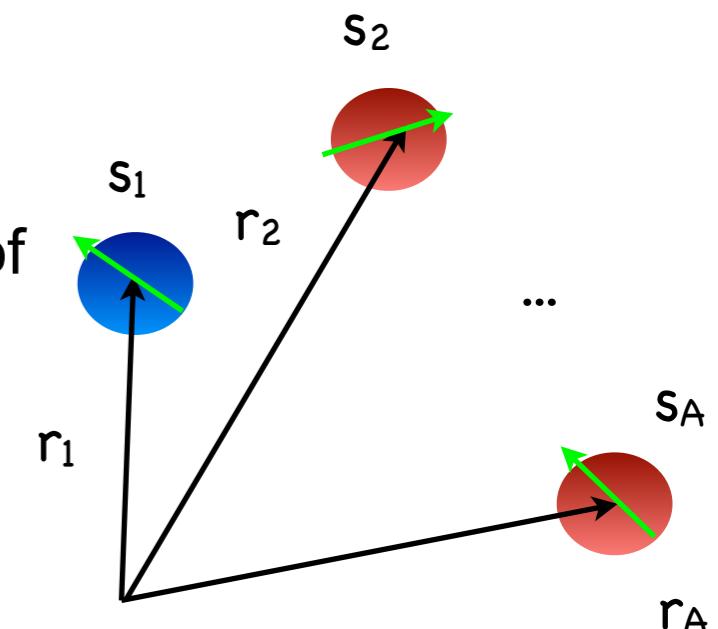
Several particle physics experiments that look for BSM physics use nuclei as targets. Hence, we need a solid theory to study/quantify nuclear structure effects.

## Ab initio approach

- Start from neutrons and protons as building blocks (centre of mass coordinates, spins, isospins)
- Solve the (non-relativistic) quantum mechanical problem of A-interacting nucleons

$$H|\psi\rangle = E|\psi\rangle$$

$$H = T + V_{NN}(\Lambda) + V_{3N}(\Lambda) + \dots$$

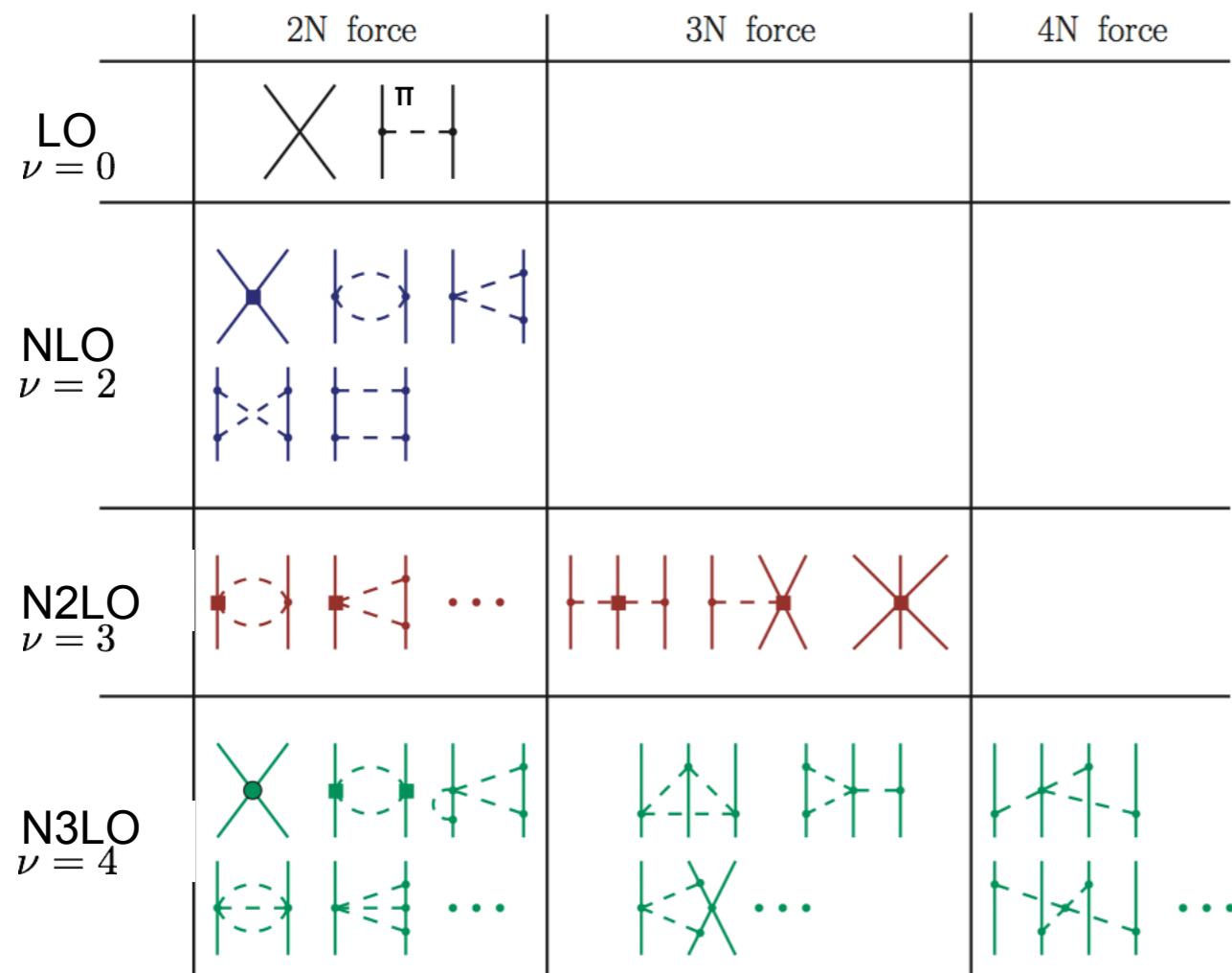


- Find numerical solutions with no approximations or controllable approximations

# Nuclear structure theory

Several particle physics experiments that look for BSM physics use nuclei as targets. Hence, we need a solid theory to study/quantify nuclear structure effects.

## Chiral effective field theory



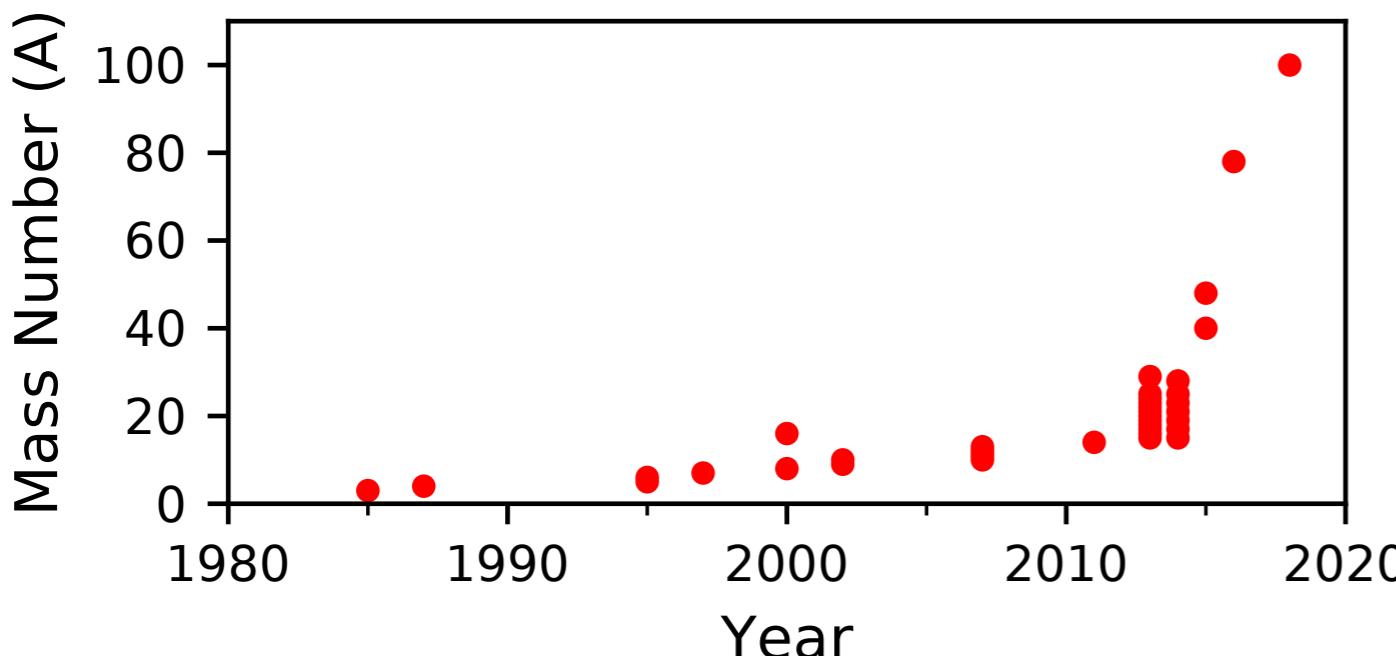
- Systematic approach (order-by-order)
- There are NN and 3NF starting from N2LO
- Low energy constants (LEC) are fit to experiment
- Once Hamiltonian has been calibrated it can be used to predict a variety of observables using a few- or many-body method

# Nuclear structure theory

Several particle physics experiments that look for BSM physics use nuclei as targets. Hence, we need a solid theory to study/quantify nuclear structure effects.

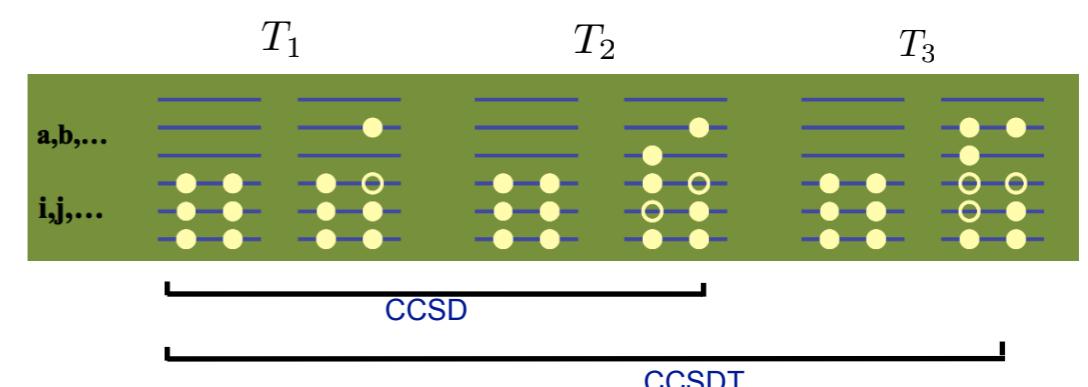
## Coupled-cluster theory

In collaboration with ORNL group



$$|\psi_0(\vec{r}_1, \vec{r}_2, \dots, \vec{r}_A)\rangle = e^T |\phi_0(\vec{r}_1, \vec{r}_2, \dots, \vec{r}_A)\rangle$$

$$T = \sum T_{(A)} \quad \text{cluster expansion}$$



$$R(\omega, q) \rightarrow (\bar{H} - E_0 - \sigma + i\Gamma)|\tilde{\Psi}_R\rangle = \bar{\Theta}|\Phi_0\rangle$$

SB *et al.*,  
Phys. Rev. Lett. **111**, 122502 (2013)

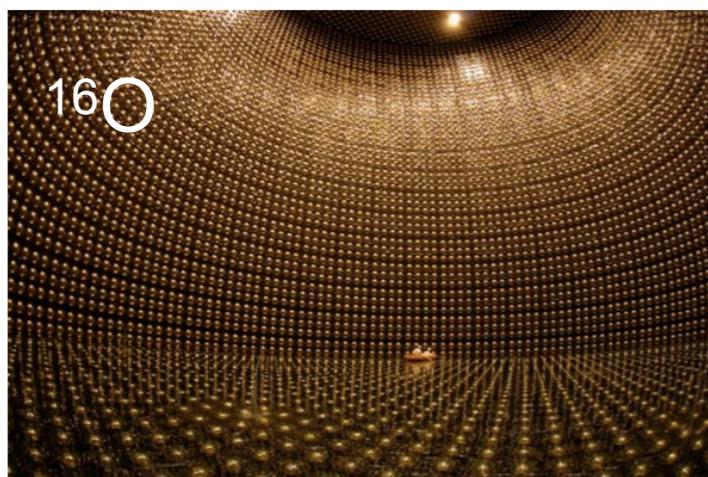
# Electroweak sector

Measuring the elusive neutrinos ...

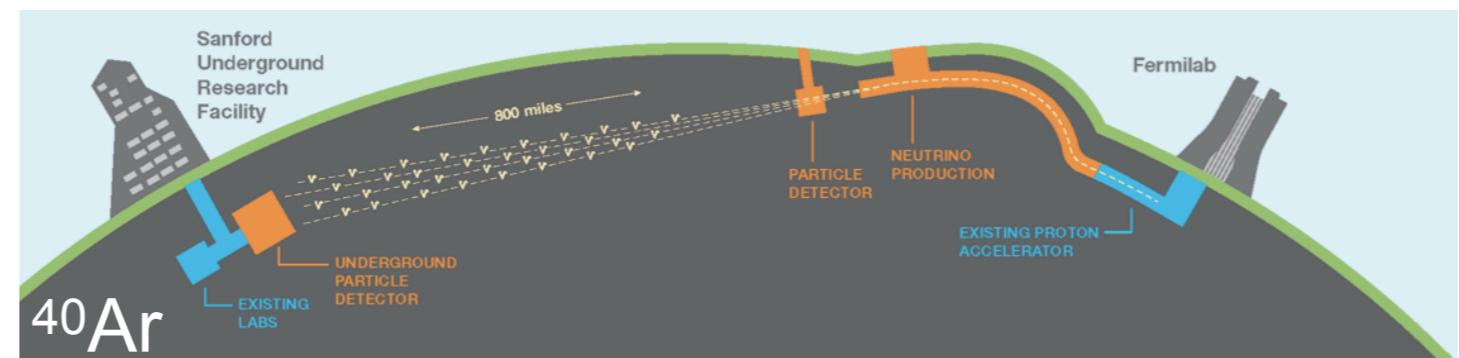


Various materials including,  $^{40}\text{Ar}$

Short and Long-baseline neutrino experiments



T2K

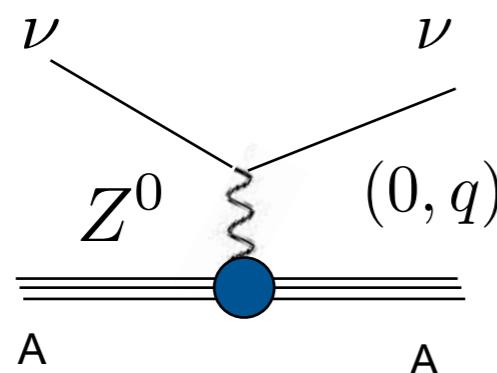


DUNE

Can ab-initio nuclear theory impact these fields?

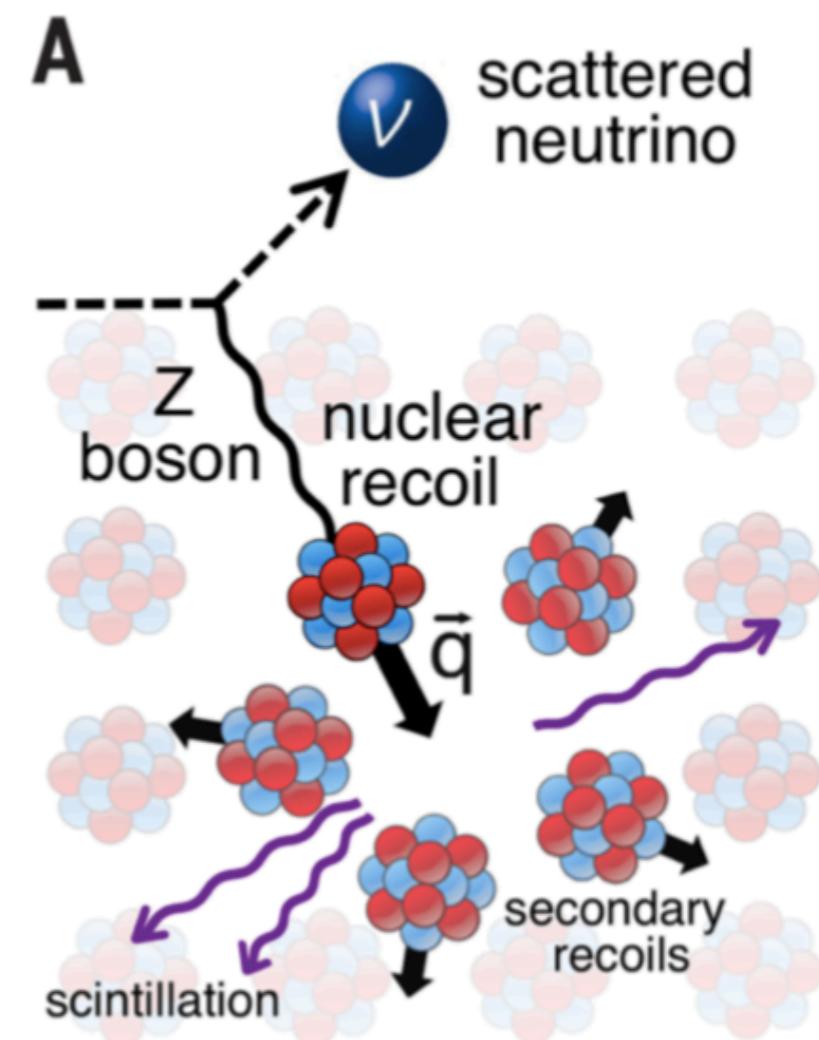
# Coherent elastic neutrino scattering

CEvNS



The neutrino exchanges a  $Z$ -boson with the nucleus, that recoils as a whole (no internal excitation).

This is valid for neutrino energies up to 50 MeV



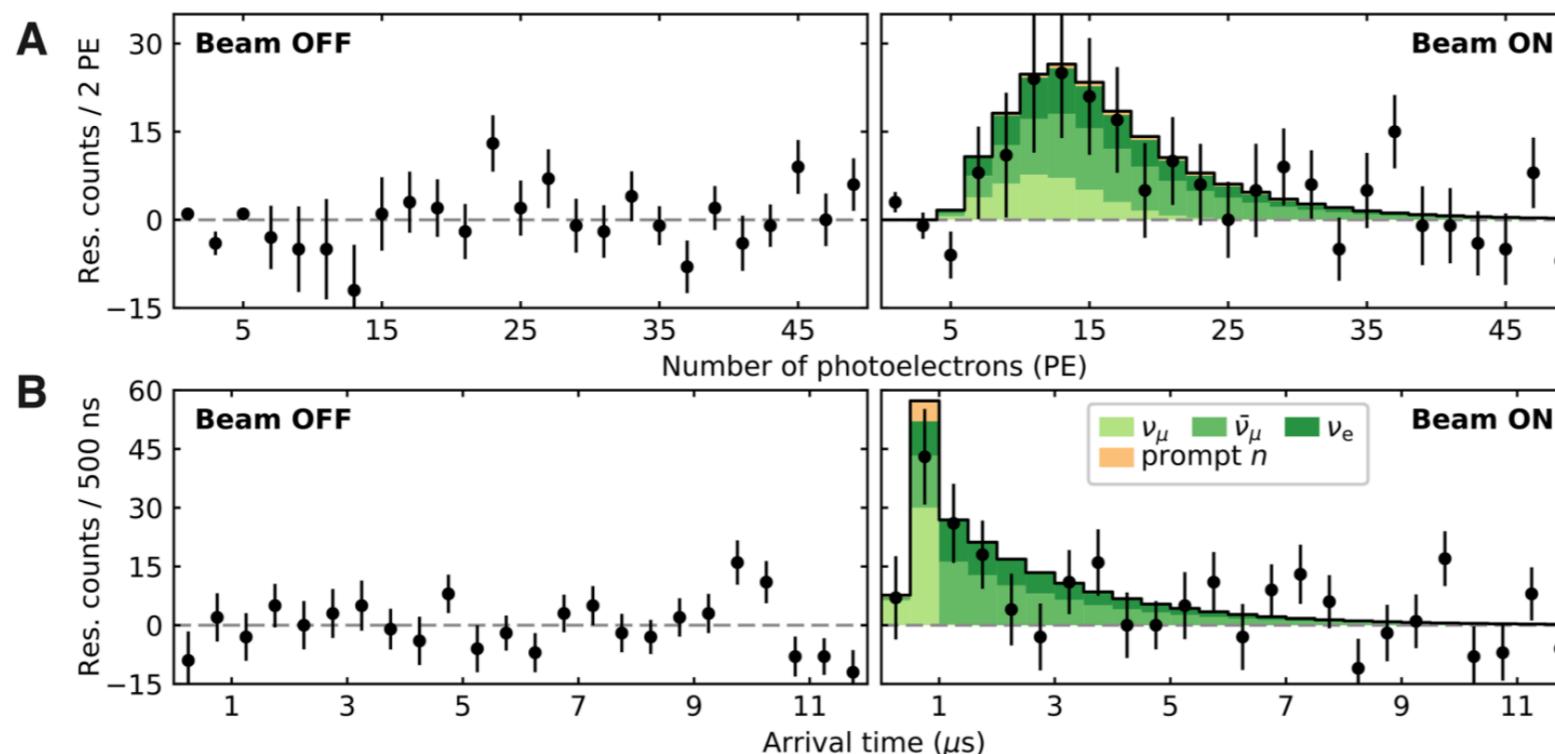
Experimental signature: tiny energy deposited by nuclear recoils in the target material

If you measure it you can probe BSM physics.

COHERENT  
SNS

Cite as: D. Akimov *et al.*, *Science* 10.1126/science.aao0990 (2017).

## Observation of coherent elastic neutrino-nucleus scattering

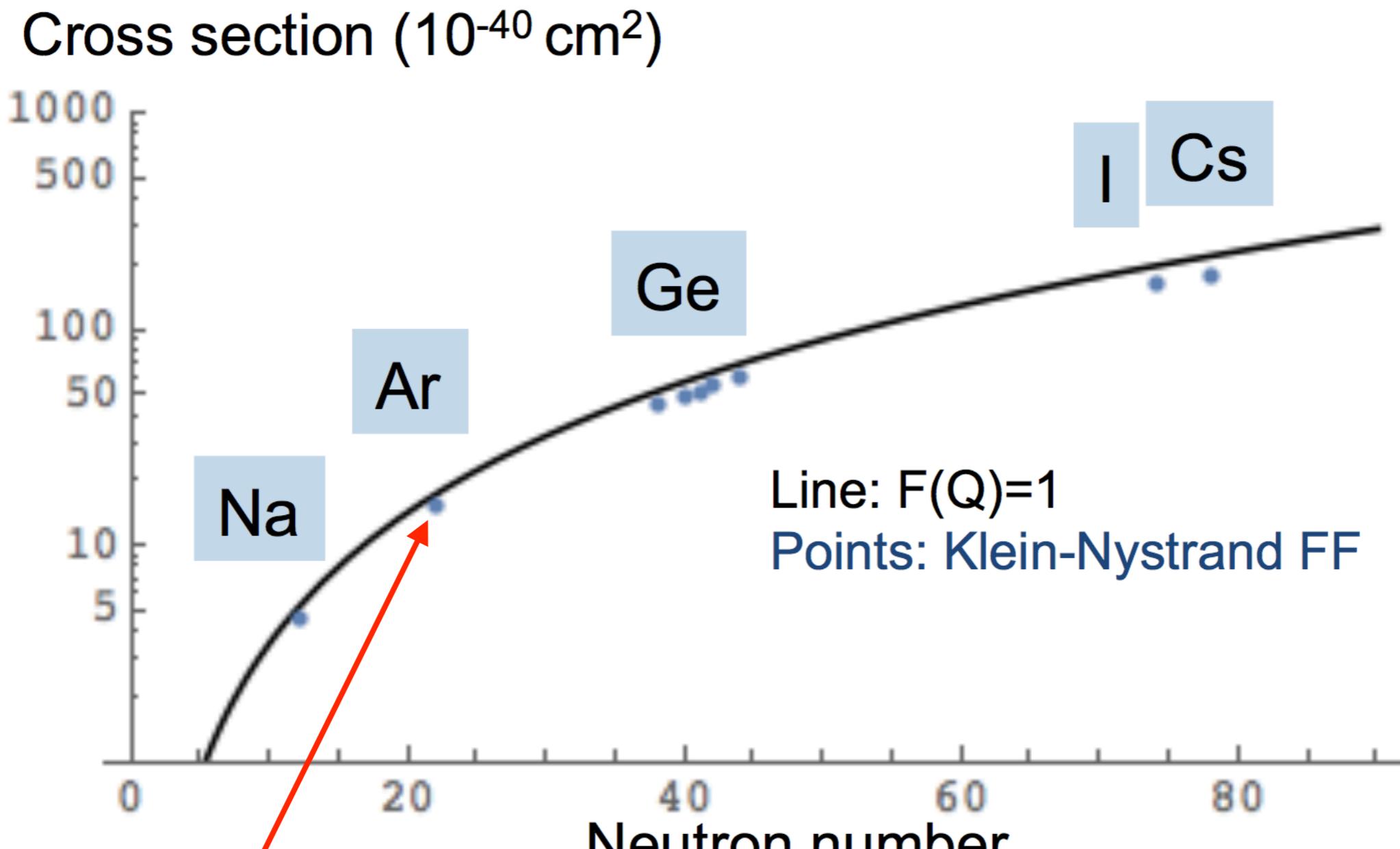


$$\frac{d\sigma}{dT}(E_\nu, T) \simeq \frac{G_F^2}{4\pi} M \left[ 1 - \frac{MT}{2E_\nu^2} \right] Q_W^2 F_W^2(q^2) \propto N^2 \quad Q_W = N - (1 - 4 \sin^2 \theta_W) Z$$

$$F_W(q^2) = \frac{1}{Q_W} [N F_n(q^2) - (1 - 4 \sin^2 \theta_W) Z F_p(q^2)]$$

Nuclear structure information needed: elastic weak form factor

# CEvNS cross section



arXiv:2003.10630

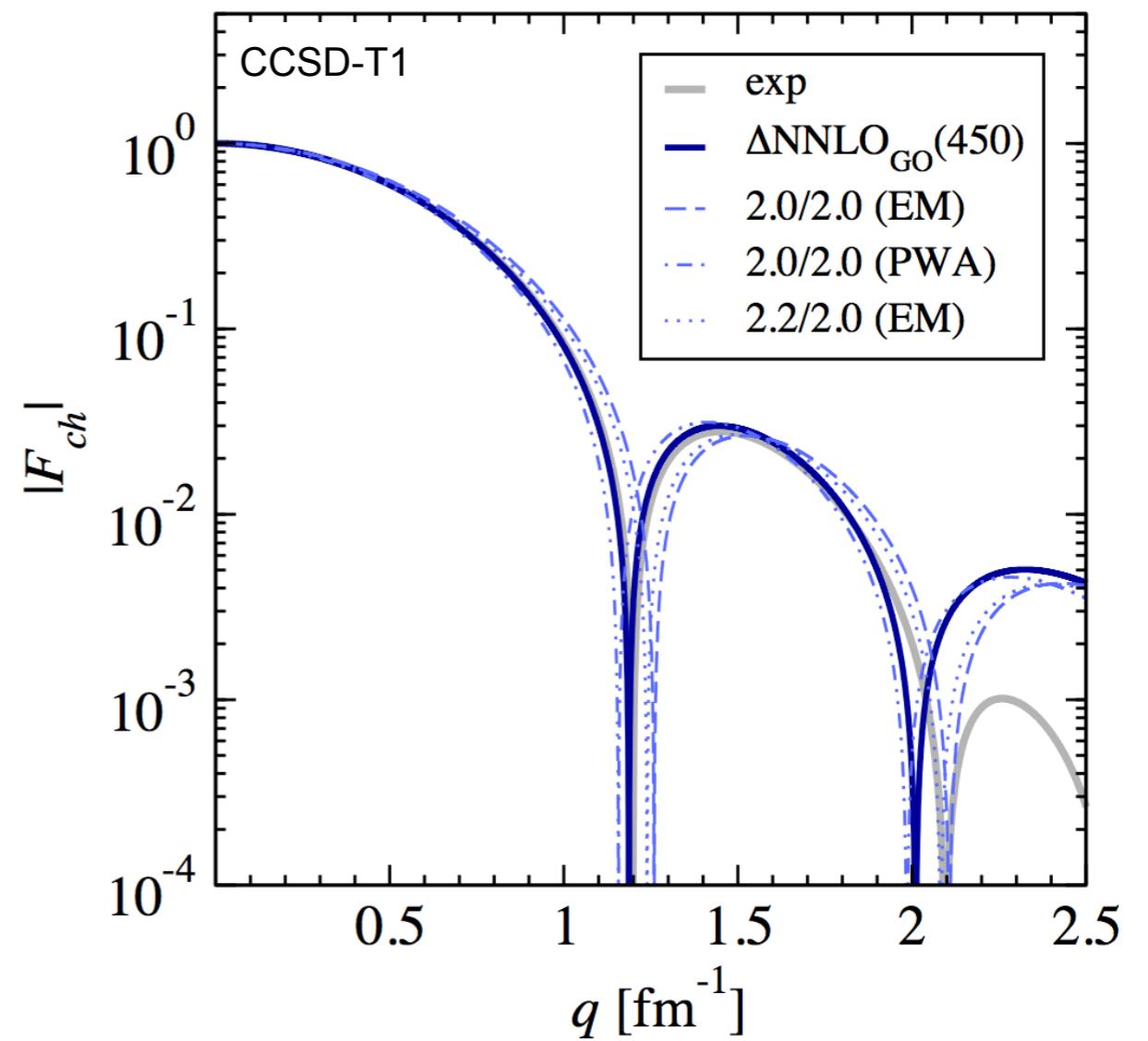
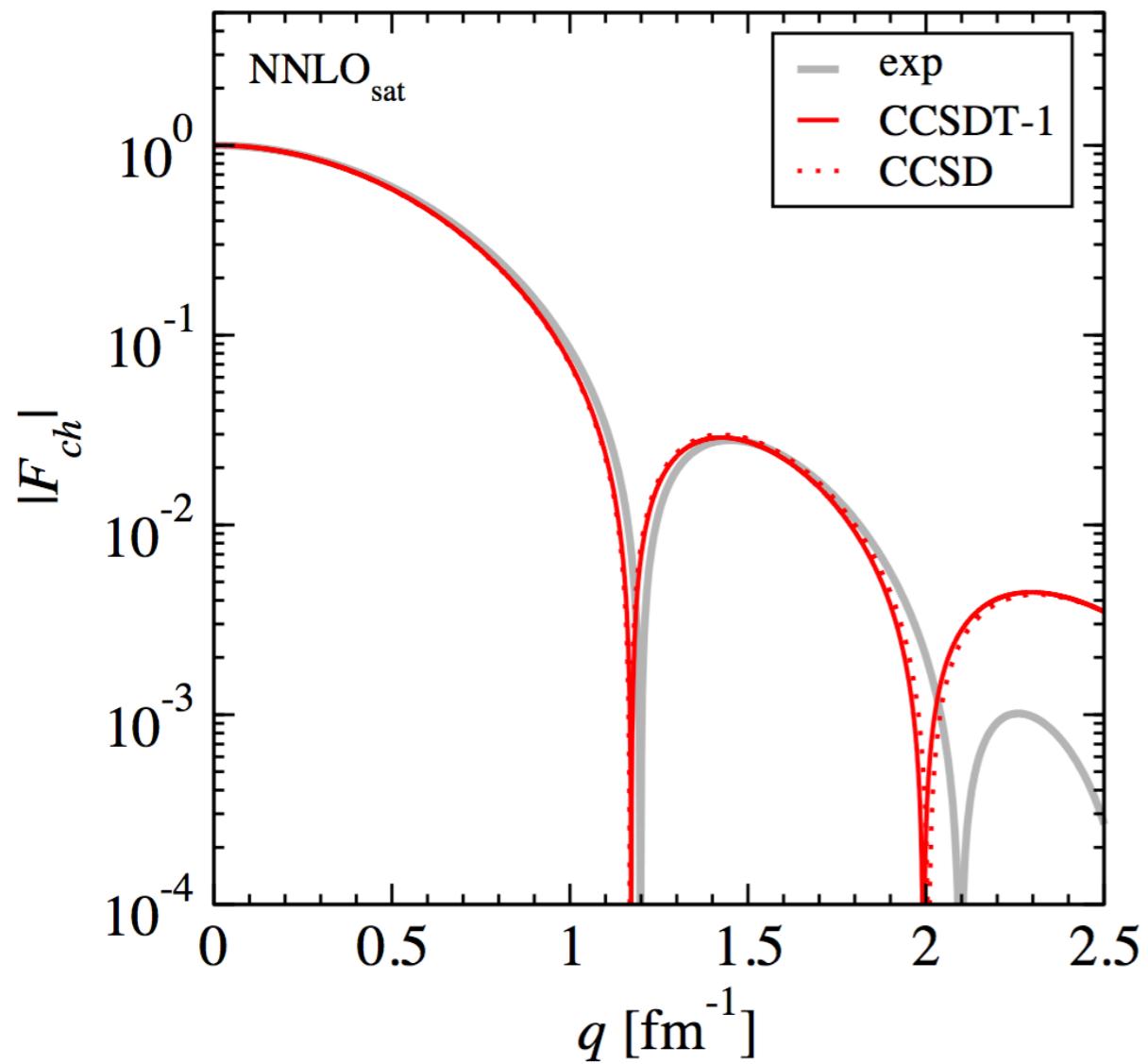
From K. Scholberg

# $^{40}\text{Ar}$ Charge Form Factor



C. Payne et al., Phys. Rev. C 100, 061304(R) (2019)

C. Payne



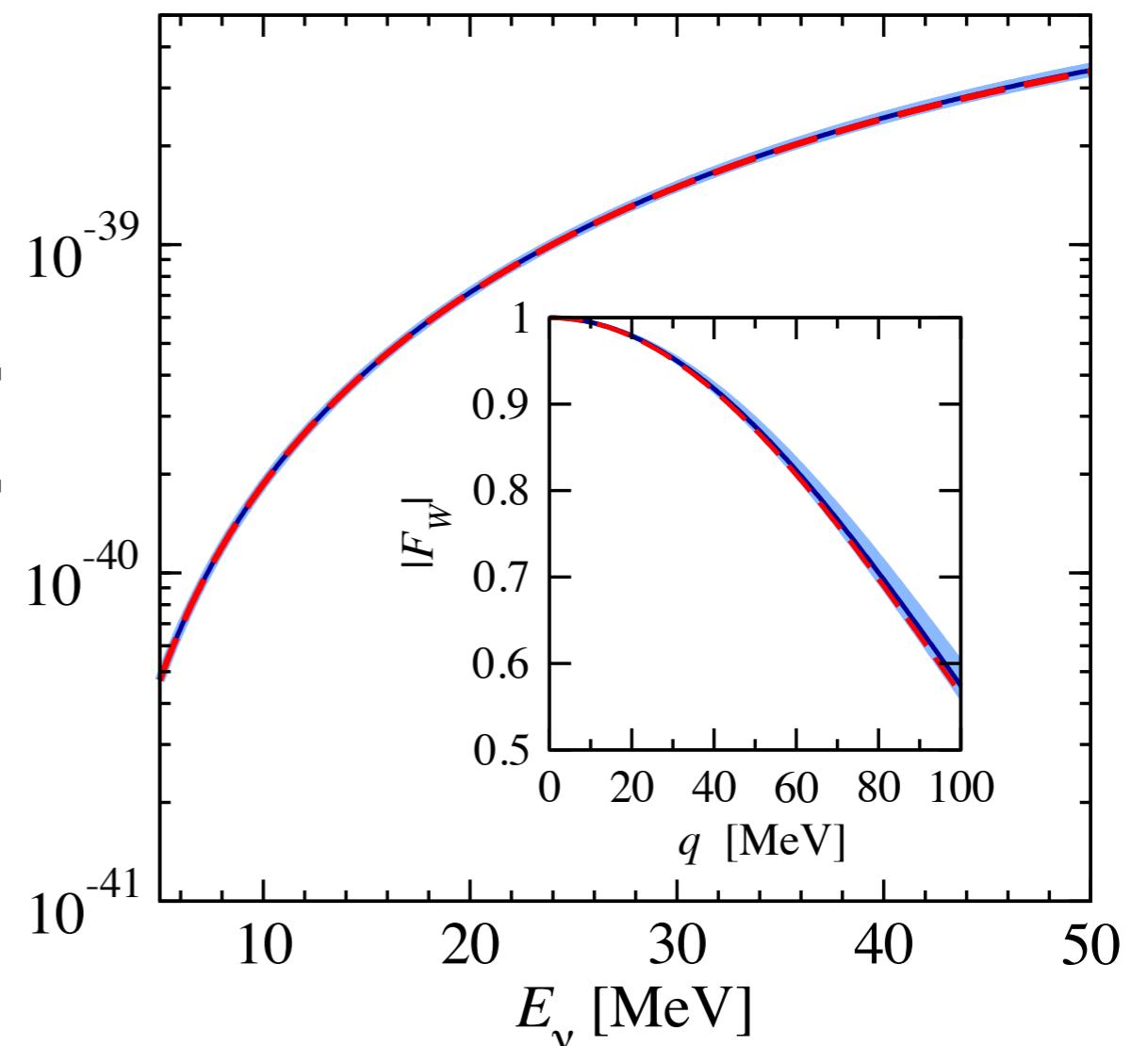
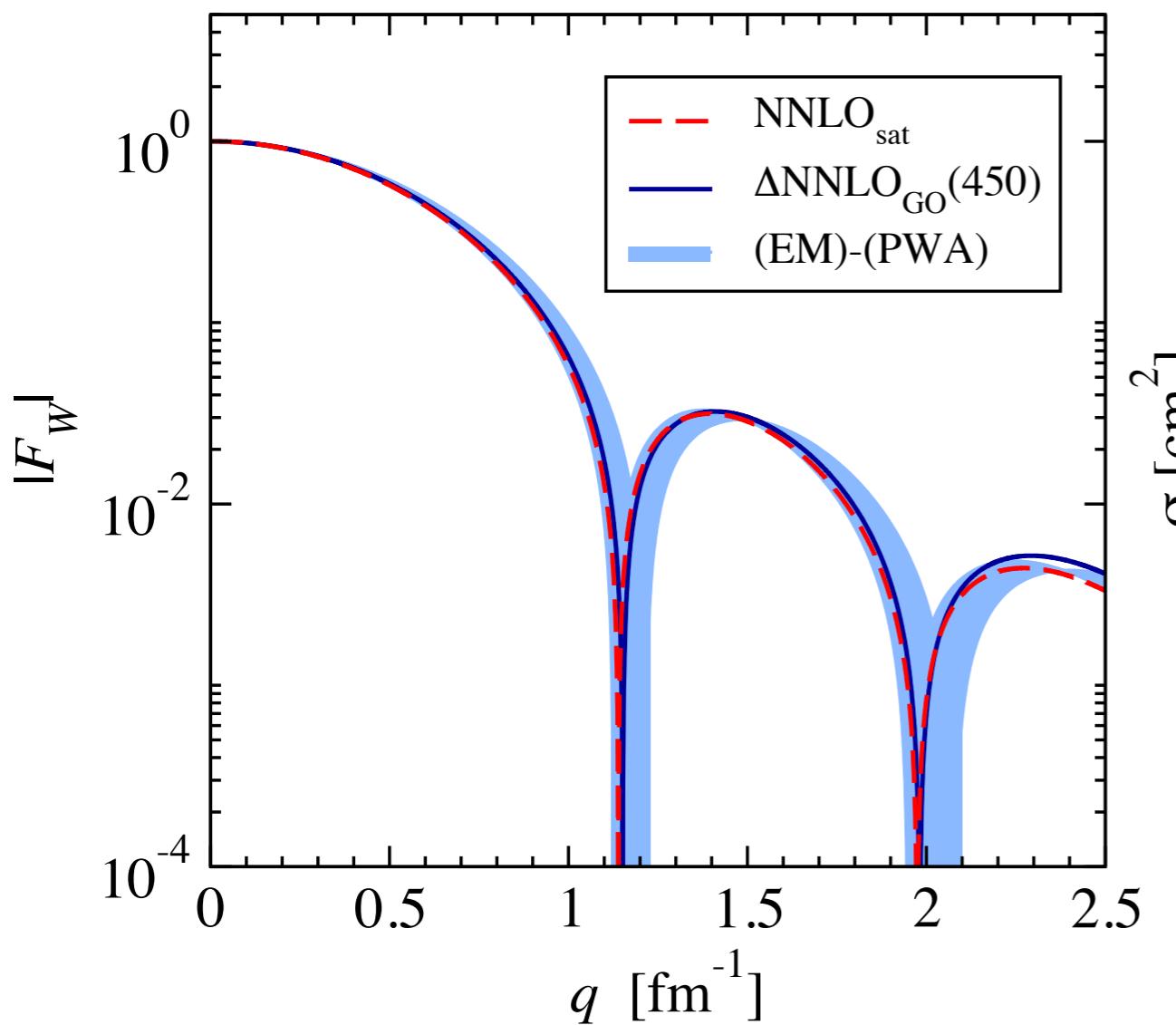
exp: in Mainz, Ottermann et. al., Nucl. Phys. A 379, 396 (1982)

# $^{40}\text{Ar}$ Weak Form Factor



C. Payne et al., Phys. Rev. C 100, 061304(R) (2019)

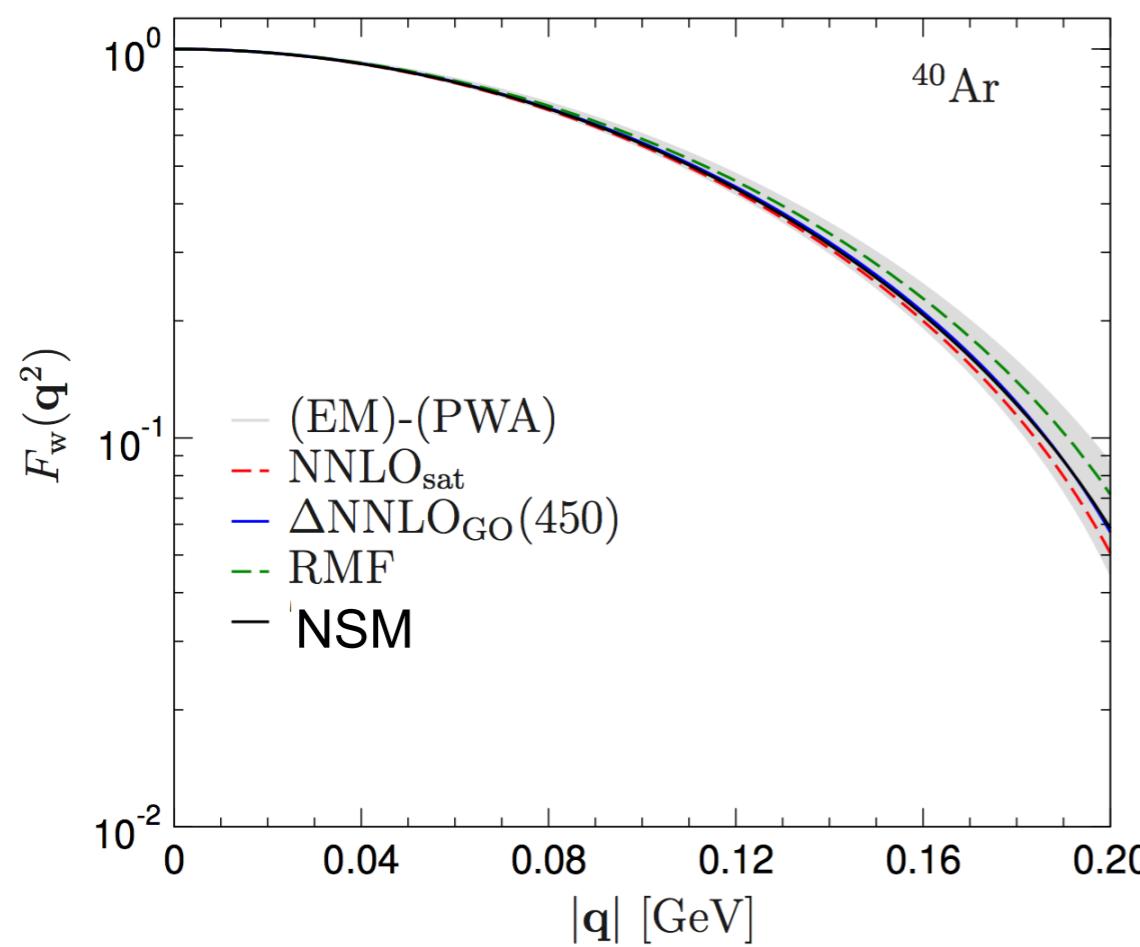
C. Payne



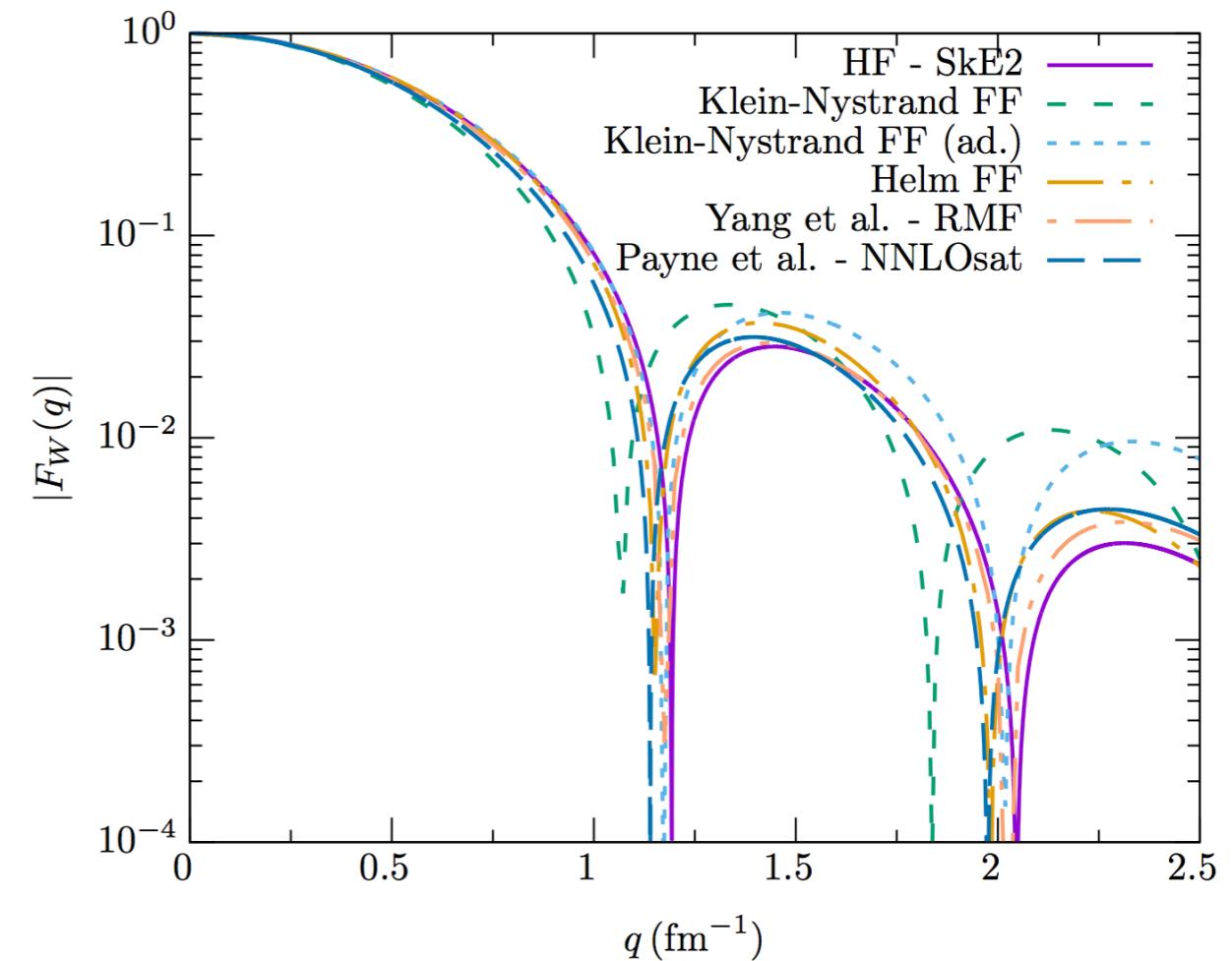
Small nuclear structure uncertainties in the cross section, in contrast to what originally estimated in Sierra, Liao, Malfatia, JHEP 1906:141 (2019)

# Comparison to other calculations

Hoferichter et al., arXiv:2007.08529



Van Dessel et al., arXiv:2007.03658



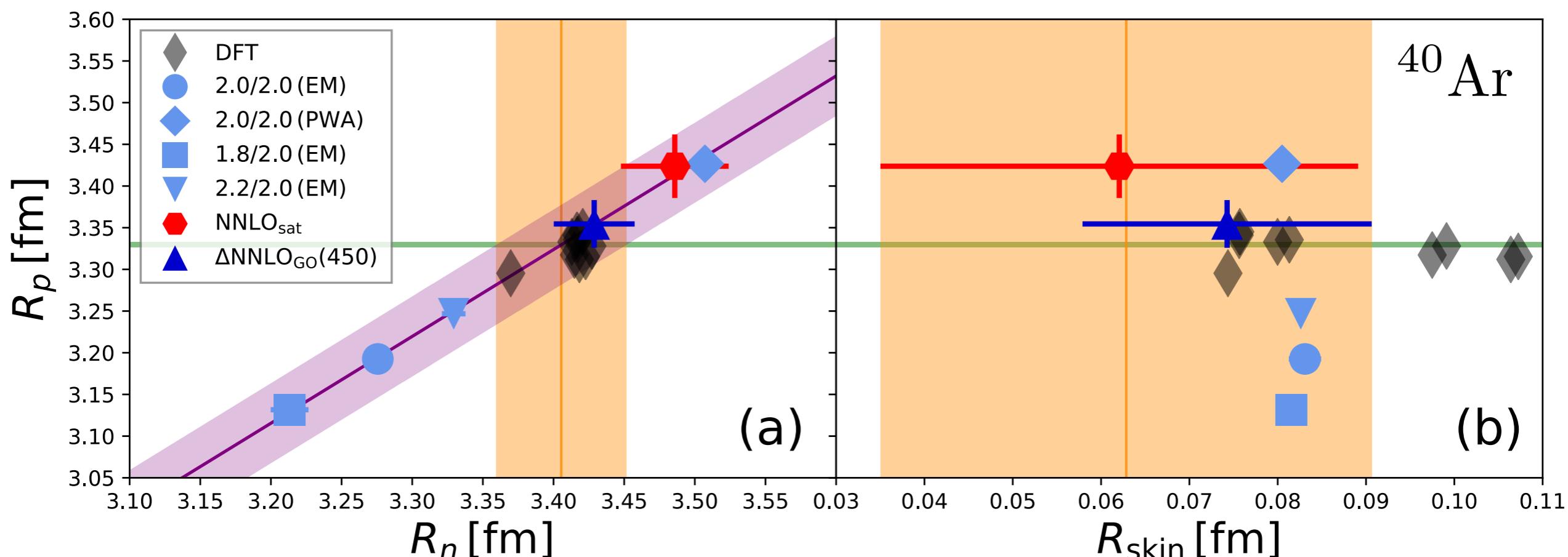
See also RMF Yang et al., Phys. Rev. C 100, 054301 (2019)  
and RPA calculations in Co' et al., arXiv:2001.04684.

Confirm small nuclear structure uncertainties in the cross section.

# Neutron radius and skin thickness

Perhaps  $R_n$  and  $R_{\text{skin}}$  can be extracted from coherent elastic neutrino scattering

Amanik and McLaughlin, J. Phys. G: Nucl. Part. Phys. **36** 015105 (2009)  
Cadeddu et al., Phys. Rev. Lett. **120**, 072501 (2018)



DFT from N. Schunck, private communication, **HFB9**, **SKI3**, **SKM\***, **SKO**, **SKX**, **SLY4**, **SLY5**, **UNEDF0**, **UNEDF1**

# $^{68}\text{Ni}$ neutron skin thickness

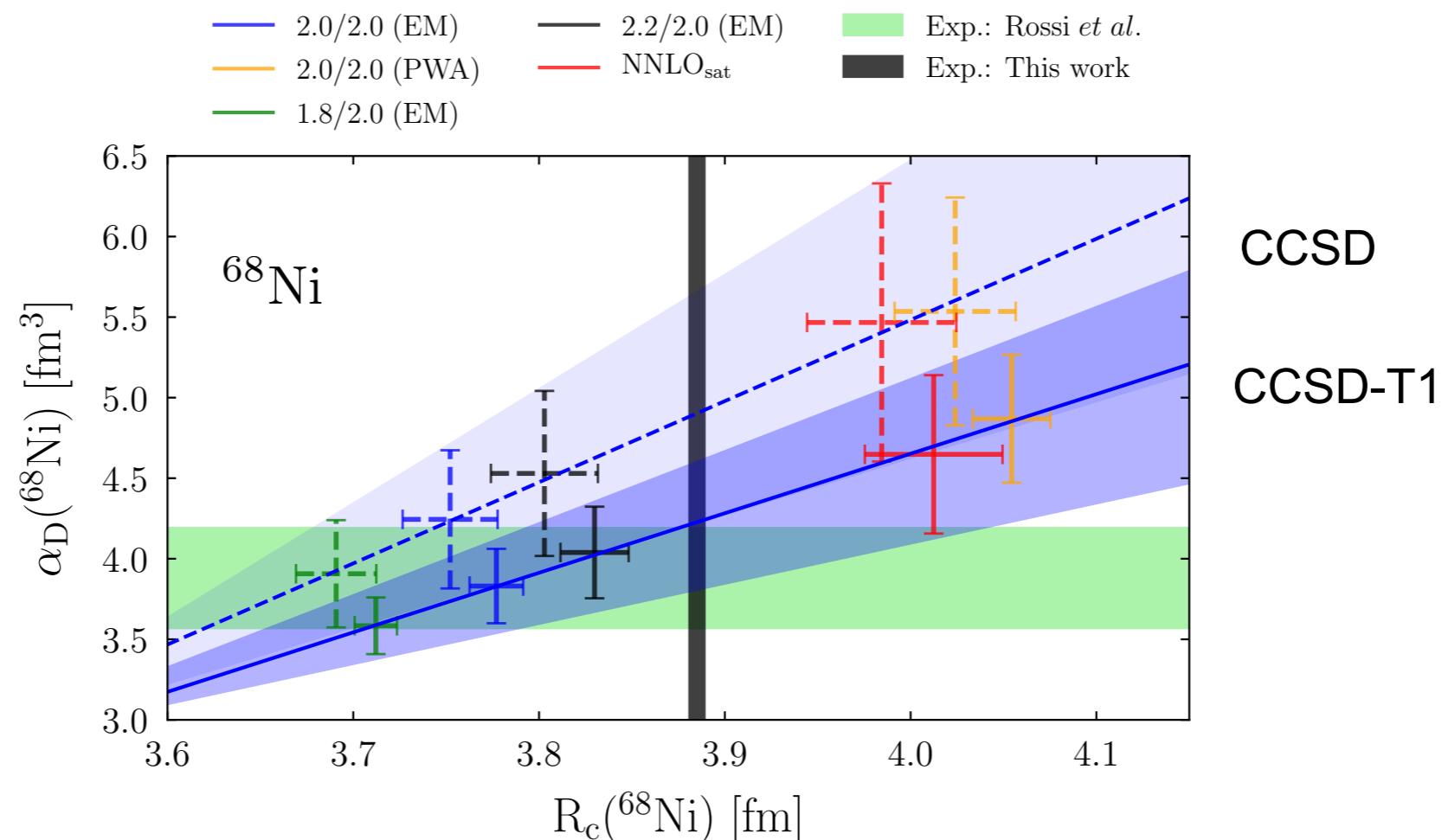
Neutron rich nucleus:  $^{68}\text{Ni}$ , unstable ( $Z=28$  and  $N=40$ )

S. Kaufmann, J. Simonis, S.B. et al., PRL **124** 132502 (2020)



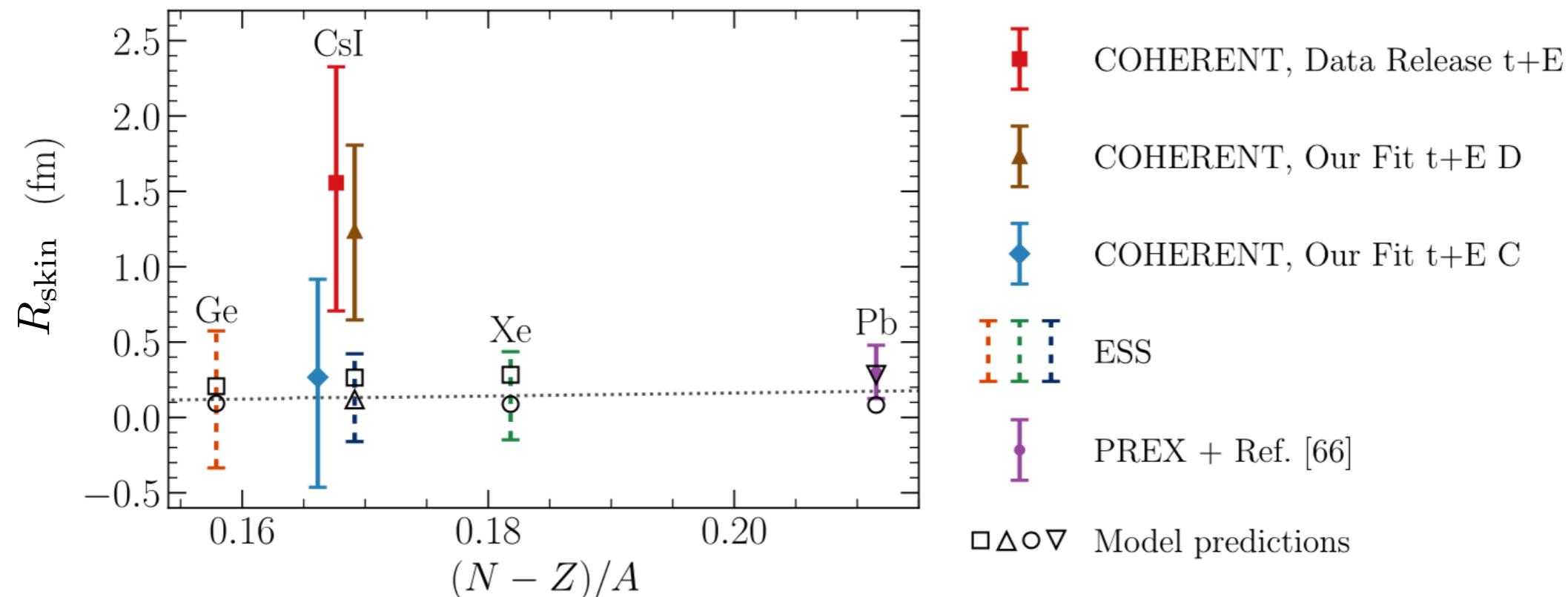
J. Simonis

Hamiltonian	$\alpha_D$	$R_p$	$R_n$	$R_{\text{skin}}$	$R_c$
1.8/2.0 (EM)	3.58(18)	3.62(1)	3.82(1)	0.201(1)	3.70(1)
2.0/2.0 (EM)	3.83(23)	3.69(2)	3.89(2)	0.202(3)	3.77(1)
2.2/2.0 (EM)	4.04(28)	3.74(2)	3.94(2)	0.203(4)	3.82(2)
2.0/2.0 (PWA)	4.87(40)	3.97(2)	4.17(3)	0.204(8)	4.05(2)
NNLO <sub>sat</sub>	4.65(49)	3.93(4)	4.11(5)	0.183(8)	4.00(4)



# Neutron radius and skin thickness

Coloma, Esteban, Gonzalez-Garcia, Menendez, 2006.08624



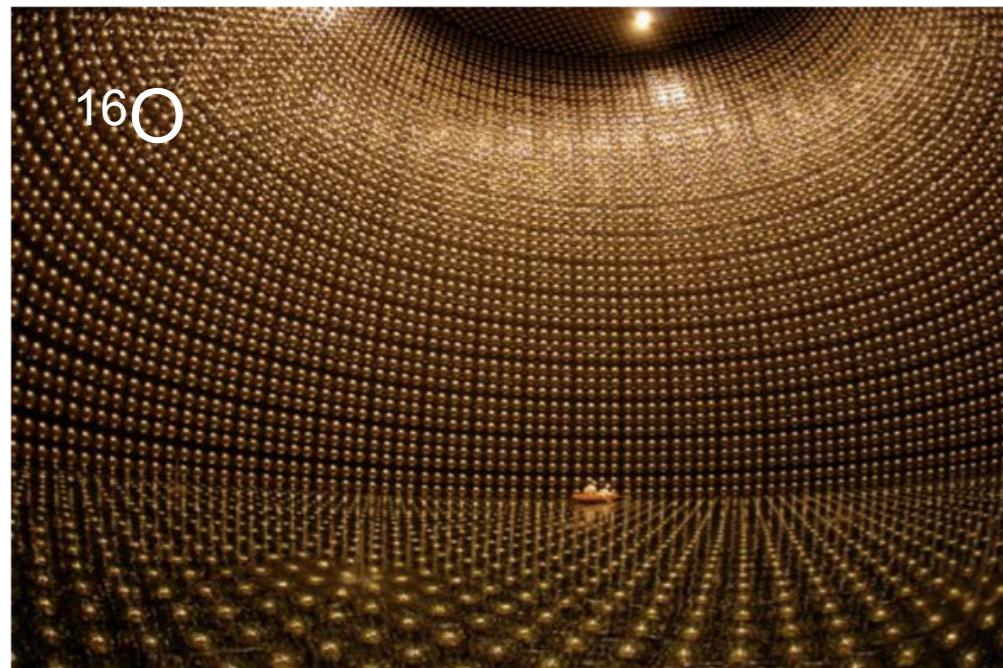
Cadeddu et al., Phys. Rev. Lett. **120**, 072501 (2018)

$$\text{CsI} \quad R_n = 5.5^{+0.9}_{-1.1} \text{ fm} \quad R_{\text{skin}} = 0.7^{+0.9}_{-1.1} \text{ fm}$$

For discussion: what are the prospects to extract  $R_{\text{skin}}$  for  ${}^{40}\text{Ar}$  from COHERENT?

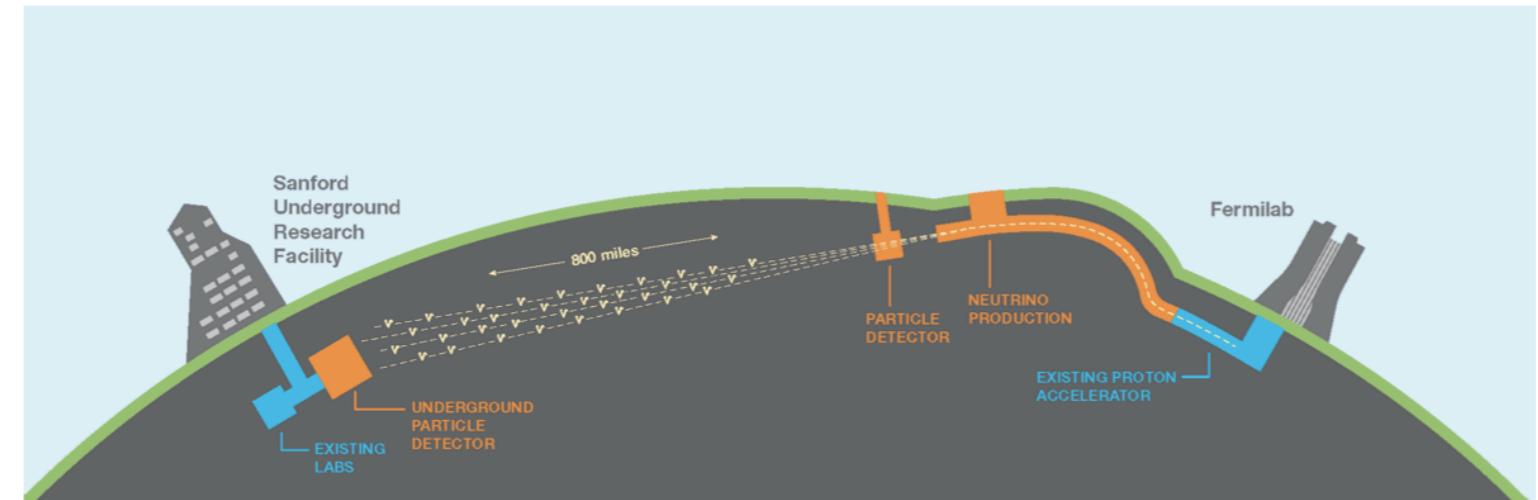
# Inelastic neutrino scattering

Long baseline neutrino experiments aim at measuring fundamental neutrino properties.  
Detectors are made by complex nuclei ( $^{12}\text{C}$ ,  $^{16}\text{O}$ ,  $^{40}\text{Ar}$ , ...)



T2K /T2HK

MiniBooNE, Minerva, ...



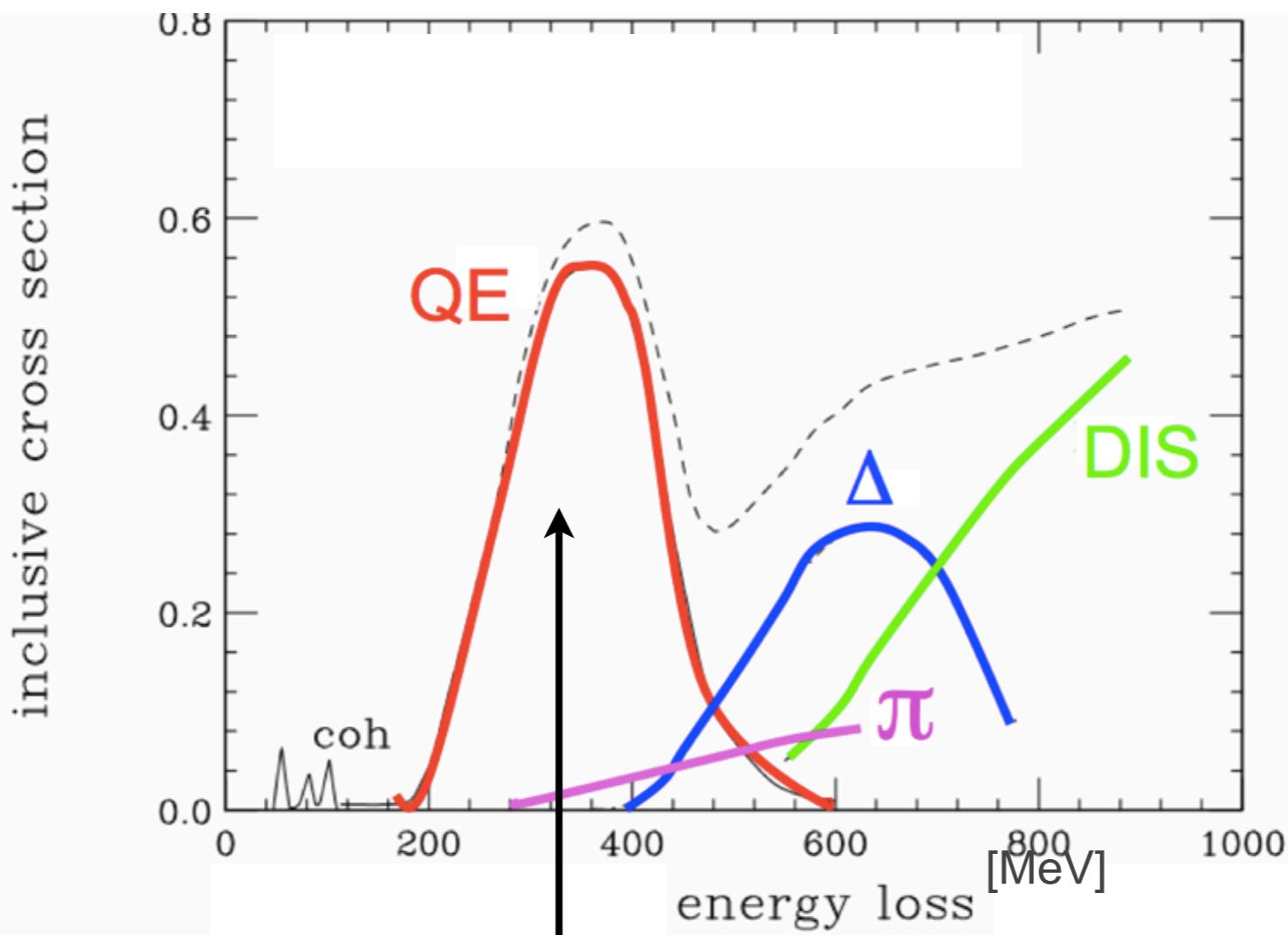
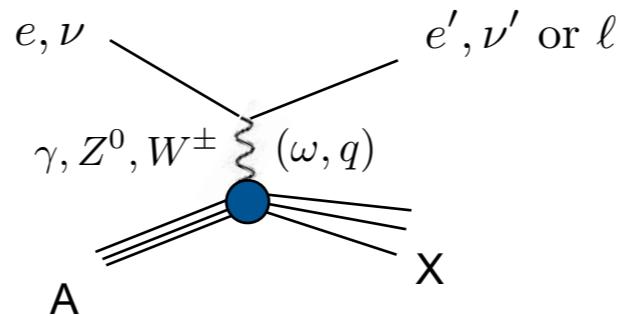
DUNE

Can we perform ab initio calculations of neutrino nucleus cross sections?

$R(\omega, q) \rightarrow$  See work by Lovato et al.

# Lepton-nucleus scattering

Neutrino scattering  $\Leftrightarrow$  electron scattering



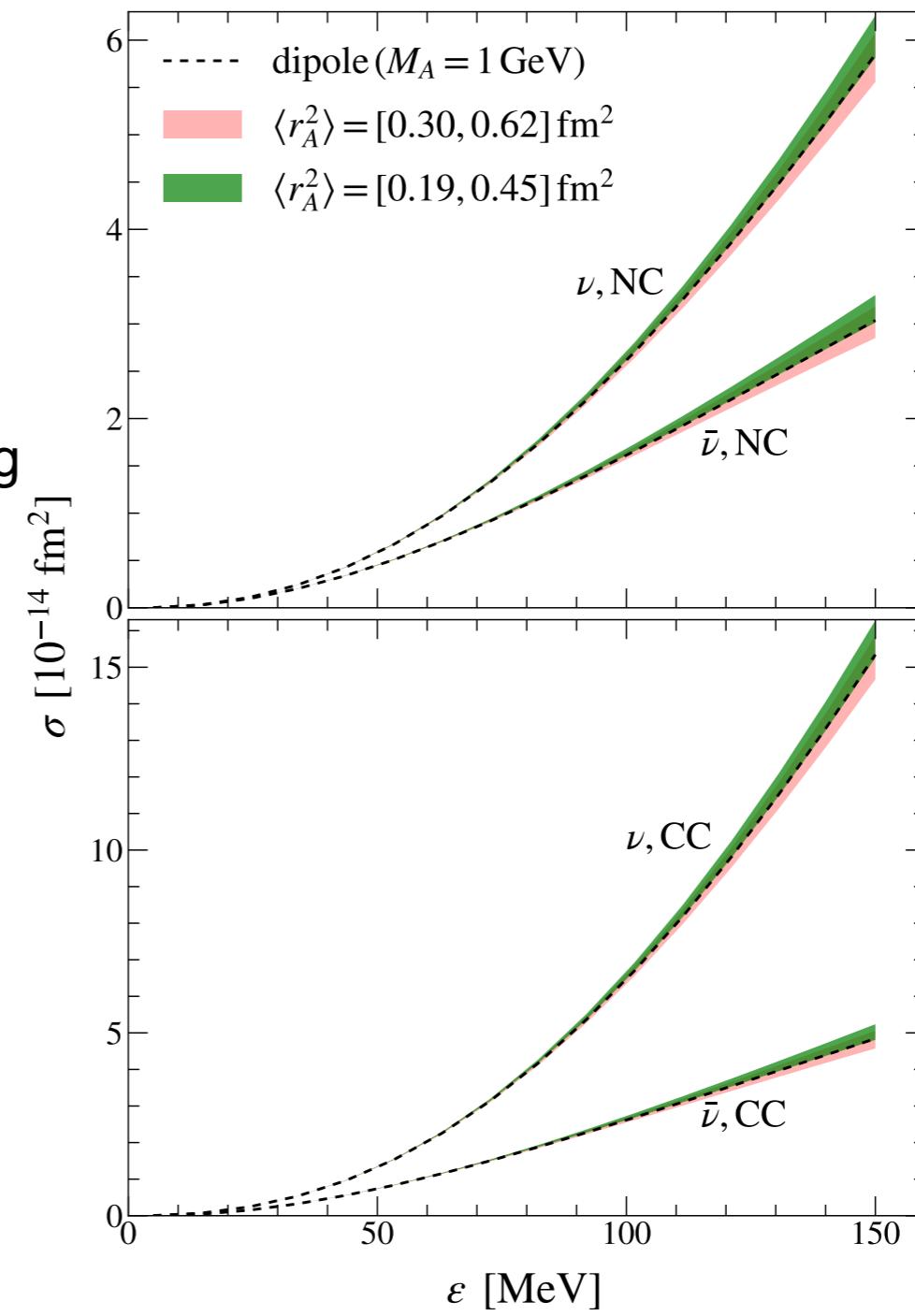
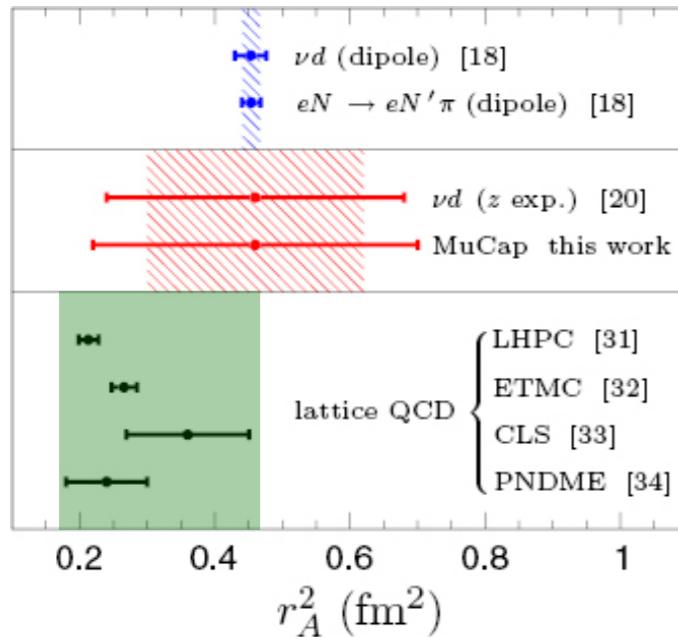
Window of opportunity for our ab initio nuclear theory

# Neutrino Deuteron scattering

B. Acharya and S.B., PRC 101, 015505 (2019)

- Consider the simplest nucleus to simplify structure part and focus on the multipole expansion of the electroweak operators
- Benchmark previous results with one- and two-body currents (up to N2LO)
- For the deuteron we find that the largest source of uncertainty at low energy is coming from “single nucleon physics”

$$G_A(Q^2) = g_A [1 - \langle r_A^2 \rangle Q^2 / 6]$$



B. Acharya

# Coulomb sum rule

Total strength of inelastic longitudinal response function

$$\text{CSR}(q) = \int d\omega R_L^{in}(\omega, \mathbf{q})$$

$$R_L^{in}(\omega, \mathbf{q}) = \sum_f |\langle f | \rho(\mathbf{q}) | 0 \rangle|^2 \delta(\omega - E_f + E_0)$$

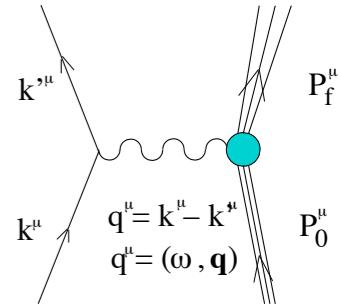
Can be measured from electron scattering

Theory methods:

- 1) Expand charge operator in multipoles and compute CSR       $\rho(\mathbf{q}) = \sum_i^A e^{i\mathbf{q}\mathbf{r}_i} = \sum_{\mathcal{J}} C^{\mathcal{J}}(\mathbf{q})$
- 2) Calculate CSR as expectation value

$$\text{CSR}(q) = Z + \langle 0 | \sum_{i \neq j} e^{i\mathbf{q} \cdot (\mathbf{r}_i - \mathbf{r}_j)} | 0 \rangle - | F_{\text{el}}(\mathbf{q}) |^2 Z^2 \\ Z(Z-1)f_2(|\mathbf{q}|)$$

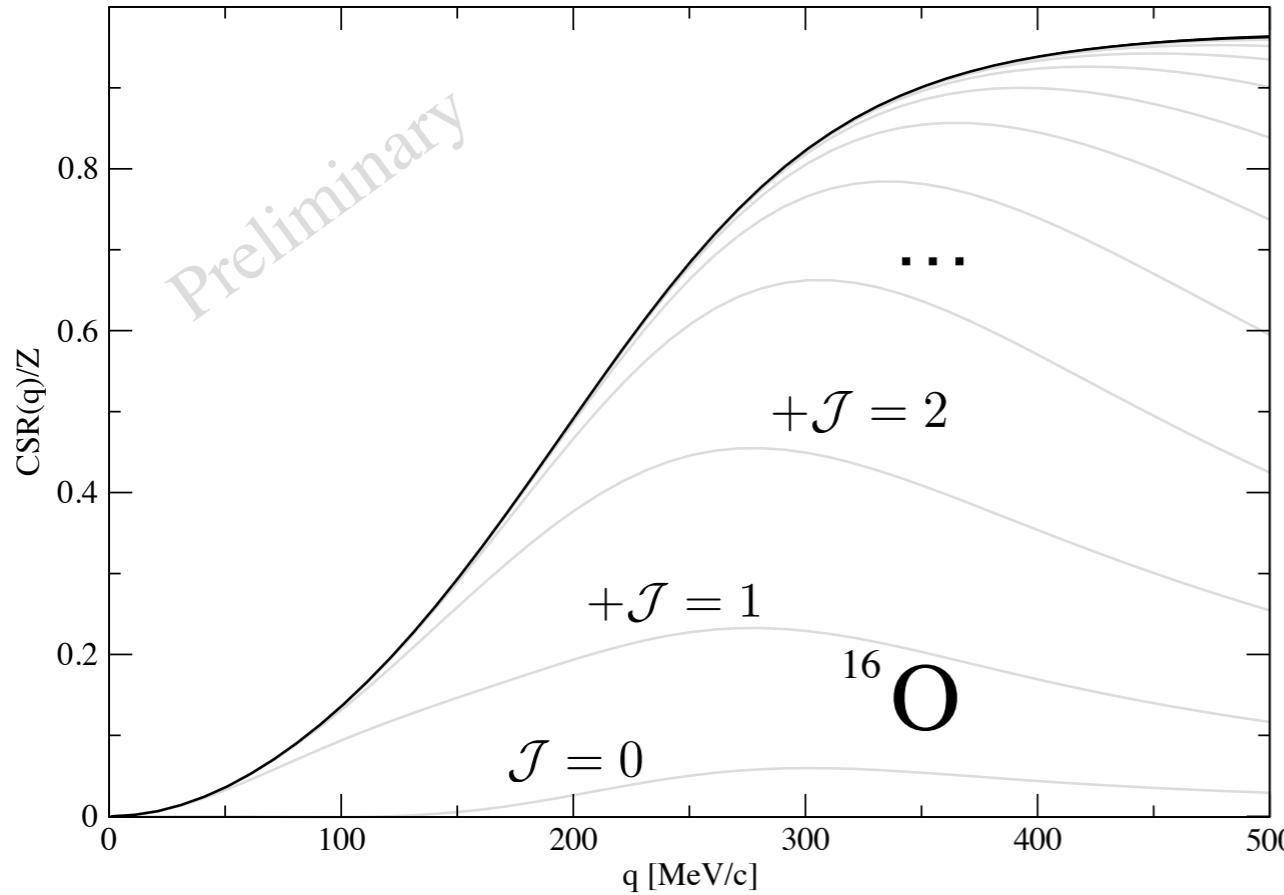
← Fourier transform of the proton-proton correlation function



# Coulomb sum rule

Unpublished

Recursive sum in method 1

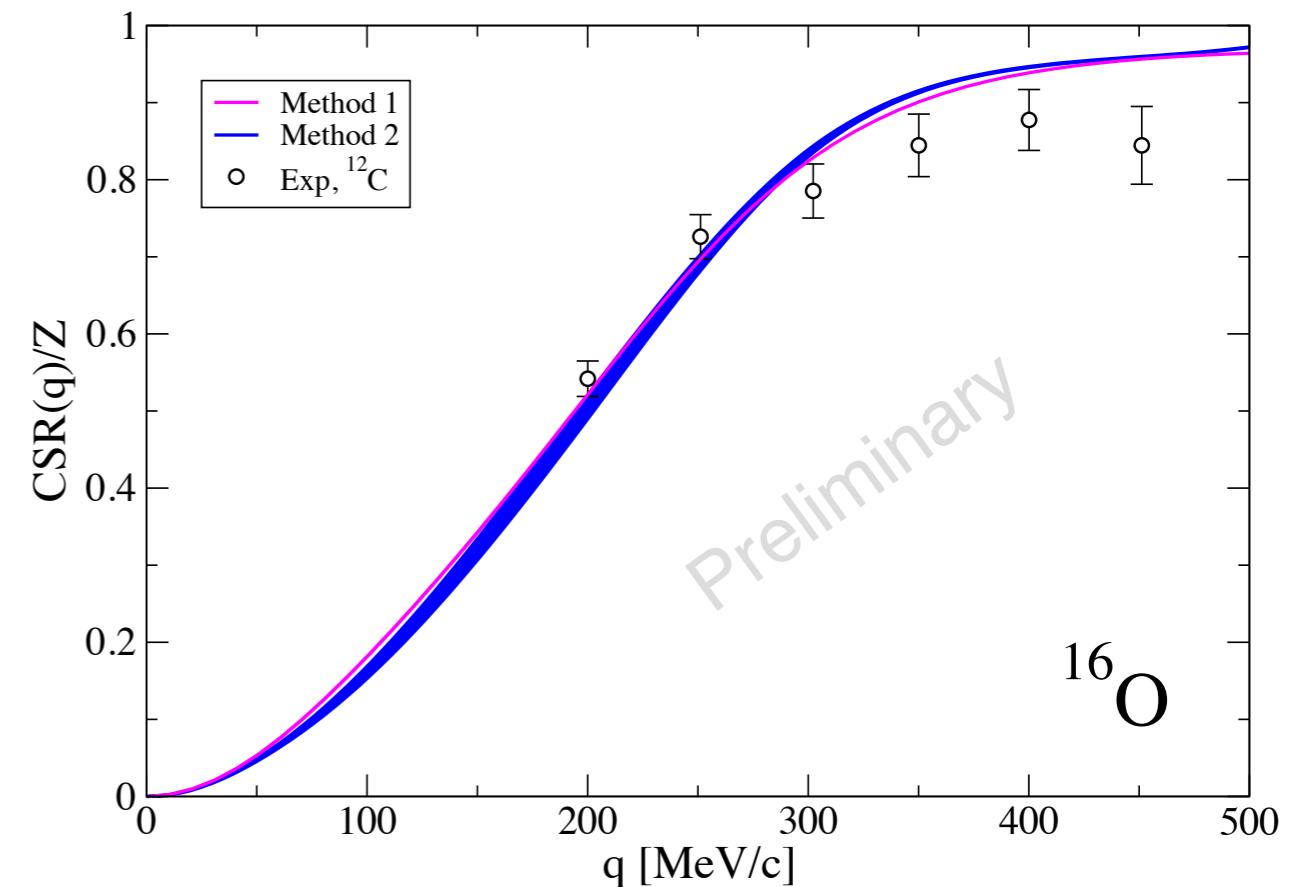


With chiral NN interactions at N<sup>3</sup>LO



J.E. Sobczyk

Comparison of methods



# Outlook

- **Ab initio nuclear theory is has done enormous progress in the last decade.**
- **This theory has been validated against electromagnetic and weak data.**
- **Ab initio theory can now contribute to searches for BSM physics and can calculate the neutron skin thickness, at least in selected nuclei.**

We could look at  $^{23}\text{Na}$ , using deformed CC, see S. Novario et al., [arXiv:2007.06684](https://arxiv.org/abs/2007.06684)

Thanks to all my collaborators

B. Acharya, N. Barnea, G. Hagen, W. Jiang, M. Miorelli, G. Orlandini, T. Papenbrock, C. Payne, J. Simonis, A. Schwenk, J.E. Sobcyk and many more

Thanks for your attention!