LCSRs Discussion

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Future Challenges in Non-Leptonic B Decays: Theory and Experiment, MITP, Mainz





LCSRs for $B \rightarrow \{P, V\}$ Form Factors

Shameless Self Advertisement



- ► C++ implementation of the LCSRs publicly available
- ▶ uses numerical integration so that B-LCDAs can be swapped
- results of recent analysis are contained in the EOS release and as separate machine-readble ancillary files [Gubernari,Kokulu,DvD 1811.00983]

EOS homepage GitHub repository

 we are happy to adapt / extend EOS for your needs please contact us when determining the threshold parameters for all $\bar{B} \to D$, $\bar{B} \to D^*$, and $B \to K^*$ form factors

- ► each form factor has an independent threshold parameter
- \blacktriangleright posteriors show weak correlation between threshold parameter and LCDA input $\lambda_{\rm B}^+$
- \blacktriangleright in combination posterior contains surprising amount of information on $\lambda_{\rm B}^+$
- take with a grain of salt: this is probably higly model dependent, still investigating

Interesting observation



LCSR Input: $1/\lambda_B^+$ from $B^- \to \gamma \ell^- \bar{\nu}$

$B^- \rightarrow \gamma \ell^- \bar{\nu}$: Belle 2 back-of-an-envelope projections

Assuming a lower cut $E_{\gamma} \leq 1 \,\text{GeV}$

Table 46: Expected statistical error in 10^{-6} for Belle and Belle II for a simulated partial branching fraction of $\Delta \mathcal{B}(B^+ \to \ell^+ \nu_\ell \gamma) = 5.0 \times 10^{-6}$.

Belle	Belle II	Belle II
New analysis	$5 \mathrm{ab}^{-1}$	$50 \mathrm{ab^{-1}}$
+1.48	+0.56	+0.18
-1.39	-0.53	-0.17
+1.48 -1.39	+0.56 -0.53	+0.18 -0.17

projected central value larger than existing Belle upper bound

$$\mathcal{B}(B^- o \gamma \ell^- ar{
u}) \big|_{E_{\gamma} \le 1. \mathrm{GeV}} < 3.5 \cdot 10^{-6} \quad @ \quad 90\% \mathrm{CL} \quad {}_{(\mathrm{Belle 1810.12976})}$$

present central value

$$\mathcal{B}(B^- \to \gamma \ell^- \bar{\nu})\big|_{E_{\gamma} \le 1.\text{GeV}} = (1.4 \pm 1 \pm 0.4) \cdot 10^{-6}$$

[Belle 1810.12976]

 assuming the uncertainty to be dominantly statstical in nature for the current central value, the projection reads

$$\frac{\delta \mathcal{B}}{\mathcal{B}} \simeq 3.6\% \times \sqrt{\frac{5.0 \cdot 10^{-6}}{1.4 \cdot 10^{-6}}} \simeq 7\%$$

[adapted from B2TIP Report 1808.10567 & Belle 1810.12976]

[B2TIP Report 1808.10567]

Combining $B \rightarrow \gamma \ell \nu$ with $B \rightarrow \mu \nu$

y:
$$\frac{\mathcal{B}(B o \gamma \ell \nu)}{\mathcal{B}(B o \mu \nu)} \propto \frac{1}{\lambda_{B,+}} + \text{three part./soft contributions}$$

theory

 $B \rightarrow \tau \nu$

► removes normalization $|V_{ub}| f_B$

schematicall

 $B \rightarrow \gamma \ell \nu$

hard contrib. known to NLL precision ►

[Beneke/Rohrwild 1110.3228]

- soft contrib. known in disp. approach [Braun/Khodiamirian 1210.4454]
- ► 3-particle contr.

[Wang 1609.09813] [Braun et al. 1804.04962]

fit yields lower limit on the uncertainty

 $\sigma(\lambda_{B,+}) = 0.035 \,\text{GeV}$ [assuming $\lambda_{B,+} = 0.35 \,\text{GeV}$]

experiment

• expected uncertainty on $B \rightarrow \mu \nu$ for Belle II ~ 7% for $\mathcal{B} \simeq 3.5 \cdot 10^{-7}$

[adapted from B2TIP Report 1810.12976]

• expected uncertainty on $B \rightarrow \gamma \ell \nu$ for Belle II $\sim 3.5\%$ for $\mathcal{B}|_{E_{\gamma}>1.0 \text{ GeV}} \simeq 5 \cdot 10^{-6}$

[adapted from B2TIP Report 1810.12976]

Angular distribution of $B \rightarrow \gamma \ell \nu$



scan yields a lower limit on the precision:

 $\sigma(\lambda_{B,+}) = 0.05 \,\text{GeV}$ [assuming $\lambda_{B,+} = 0.35 \,\text{GeV}$]

*D*_s-meson LCDAs?

- $\blacktriangleright\,$ adapting QCDF results for $B^- \to \gamma \ell^- \bar{\nu}$ seems straightforward
- convergence doubtful, even for $E_{\gamma} \leq 1 \,\text{GeV}$
- no data available yet!
- ► however ...

$$\mathcal{B}(D_{\rm s}^- \to \mu^- \bar{\nu}) = (5.5 \pm 0.23) \cdot 10^{-3}$$

[Particle Data Group]

- ▶ laboratory for the $B^- \rightarrow \gamma \ell^- \bar{\nu}$ interested?
- ▶ potential applications: $D_s \rightarrow {K, \phi} \ell \bar{\nu}$ LCSRs