

Mainz, April 16-19, 2018

Combined Analysis of double Higgs production via  
gluon fusion at the HL-LHC  
in the effective field theory approach

Minho Son

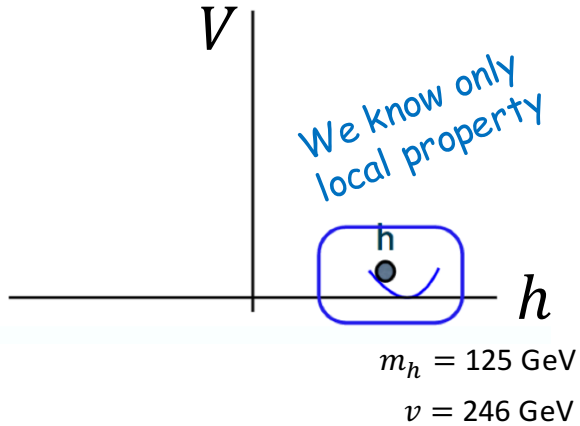
Korea Advanced Institute of Science and Technology (KAIST)

Based on

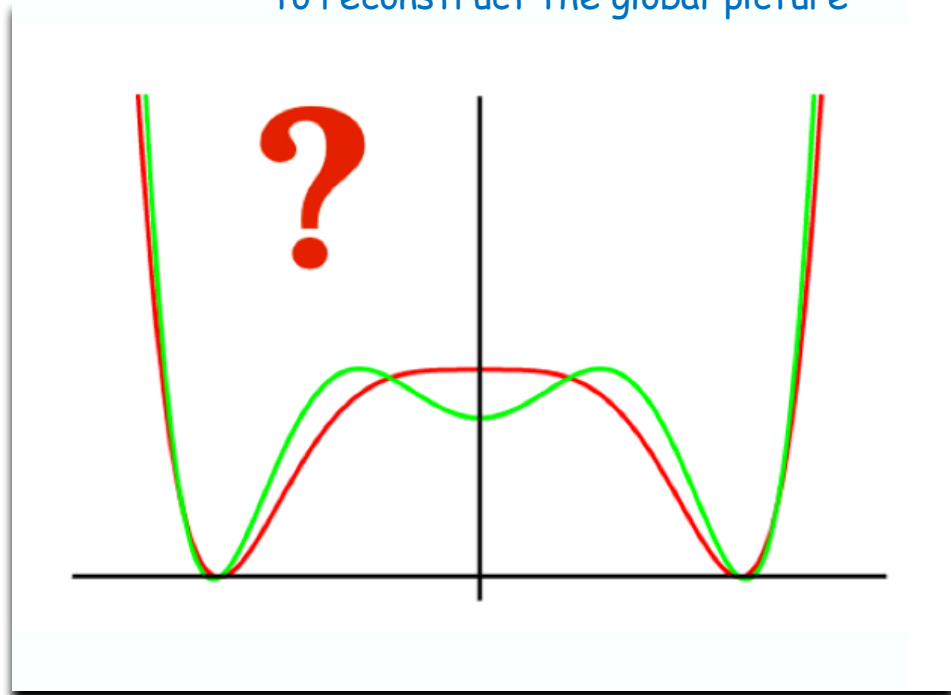
Azatov, Contino, SON, Panico 1512.00539

& Kim, SON, Sakaki 1801.06093

We know little about Higgs potential  
in Bottom-up approach



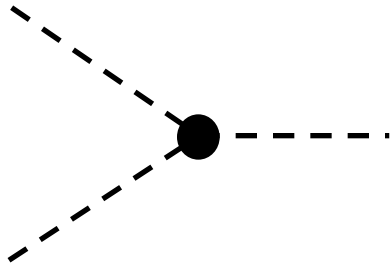
Higgs self coupling measurement is crucial  
to reconstruct the global picture



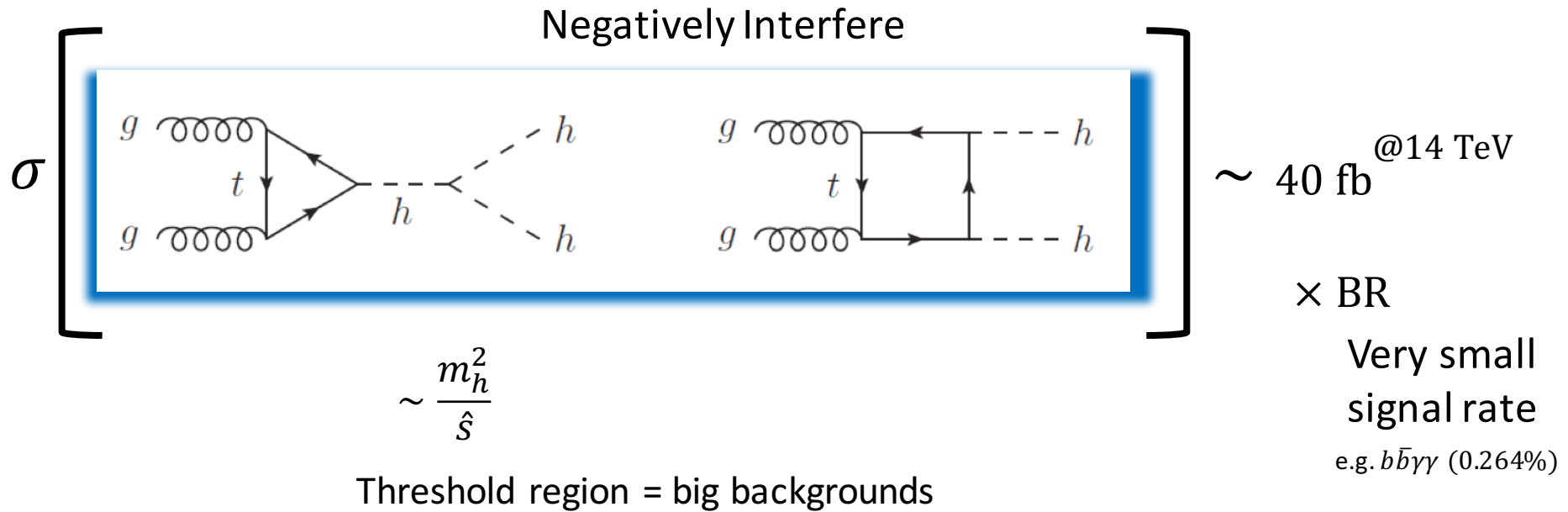
Cartoon stolen  
from the talk by Liantao Wang

$$V_h = \frac{1}{2} m_h^2 h^2 + c_3 \frac{1}{6} \left( \frac{3 m_h^2}{v} \right) h^3 + c_4 \frac{1}{24} \left( \frac{3 m_h^2}{v^2} \right) h^4$$

# Cubic coupling

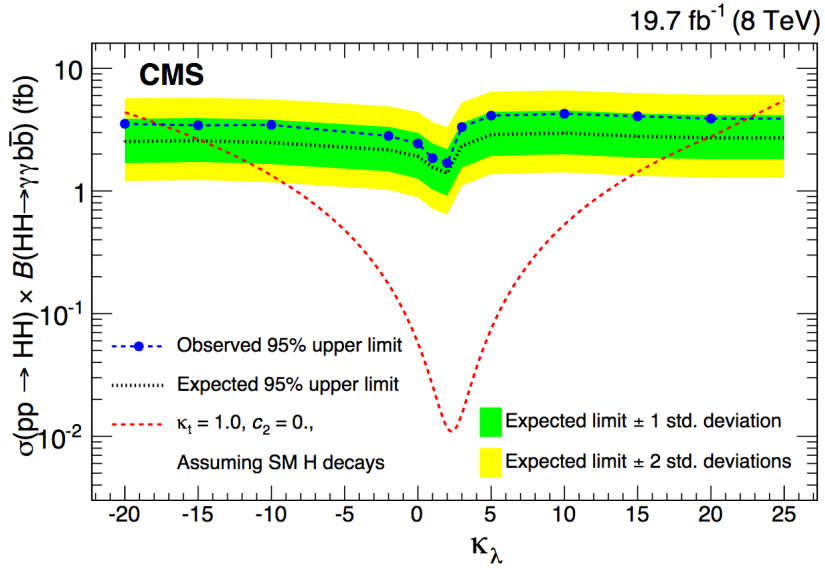


HH production via gluon fusion is known to be the best channel



# Cubic coupling using real data @ LHC, 8 TeV, 13 TeV

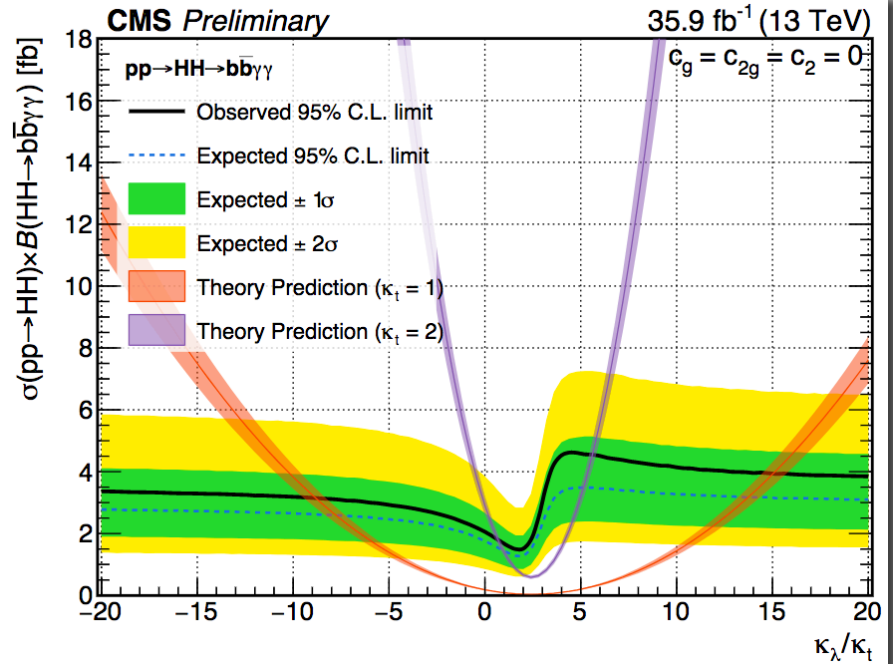
CMS-HIG-13-032 (1603.06896)



$$\Delta\mathcal{L} = \kappa_\lambda \lambda^{\text{SM}} v H^3 - \frac{m_t}{v} (v + \kappa_t H + \frac{c_2}{v} HH) (\bar{t}_L t_R + \text{h.c.}),$$

$$\kappa_\lambda < -17 \ \& \ \kappa_\lambda > 22.5$$

CMS PAS HIG-17-008

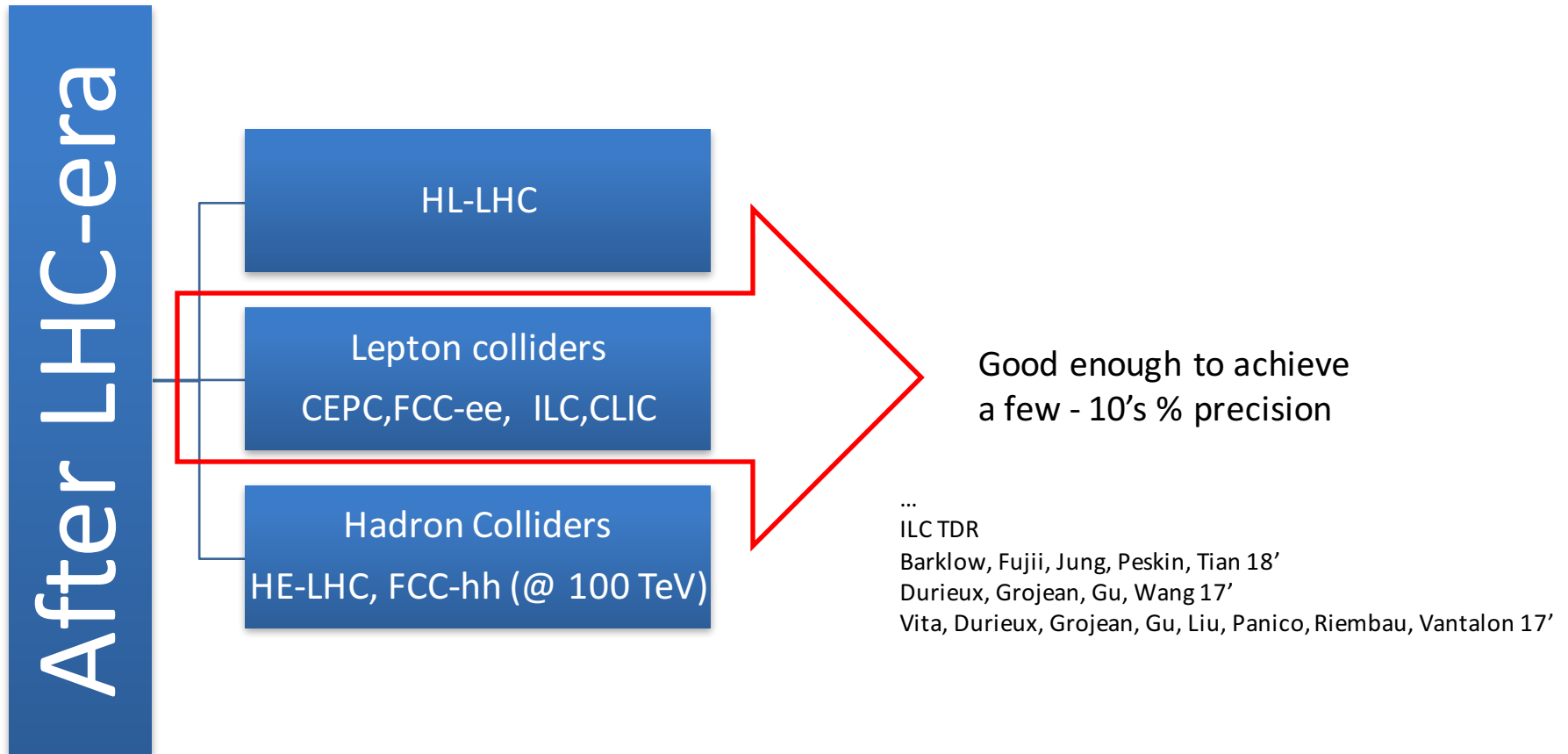


$$\Delta\mathcal{L} = \kappa_\lambda \lambda_{\text{SM}} v H^3 - \frac{m_t}{v} (v + \kappa_t H + \frac{c_2}{v} H^2) (\bar{t}_L t_R + \text{h.c.}) + \frac{1}{4} \frac{\alpha_s}{3\pi v} (c_g H - \frac{c_{2g}}{2v} H^2) G^{\mu\nu} G_{\mu\nu}.$$

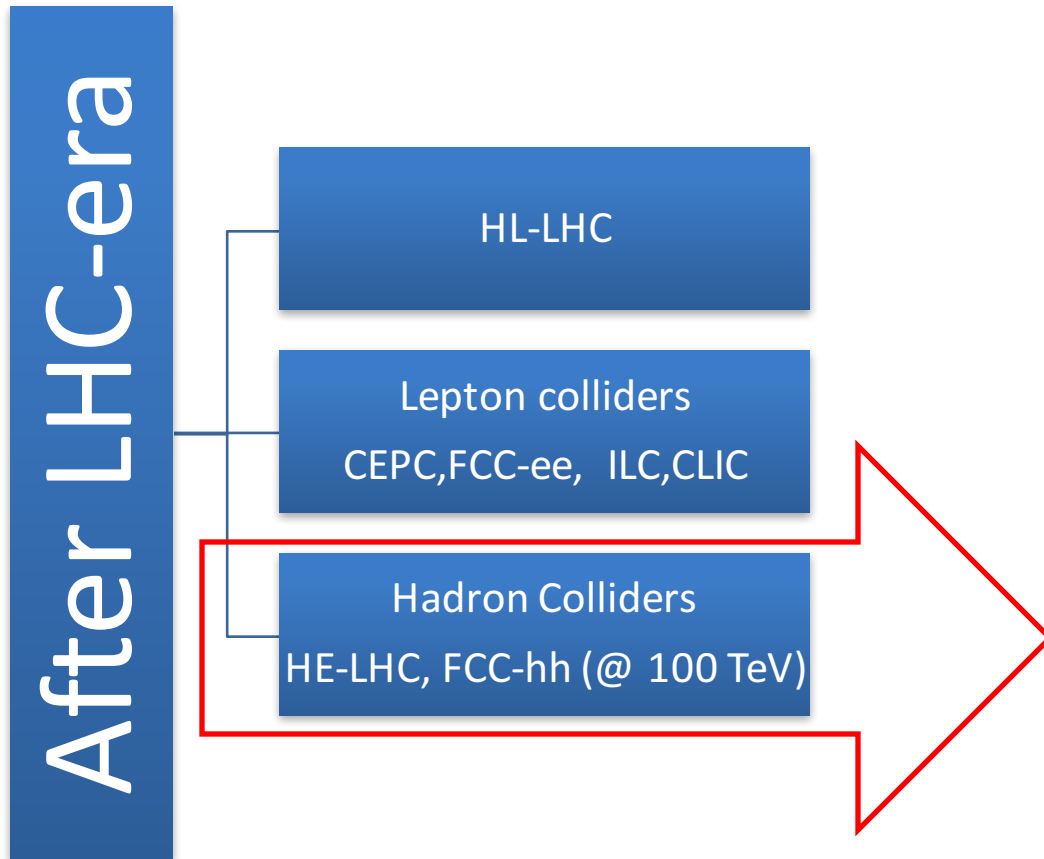
$$\kappa_\lambda < -8.82 \ \& \ \kappa_\lambda > 15.04$$

- ✓ Constraint by current data is not meaningful!
- ✓ Situation at LHC with 300/fb will be similarly bad

# Where do we head for after LHC era?



# Where do we head for after LHC era?



Seems need 100 TeV to achieve a few - % precision

E.g. 40× enhanced xsec due to PDF, 30/ab

~ 3.4 % is possible with 30 ab<sup>-1</sup>

Barr, Dolan, Englert, Lima, M.Spannowsky 15'

Contino, Azatov, Panico, SON 15'

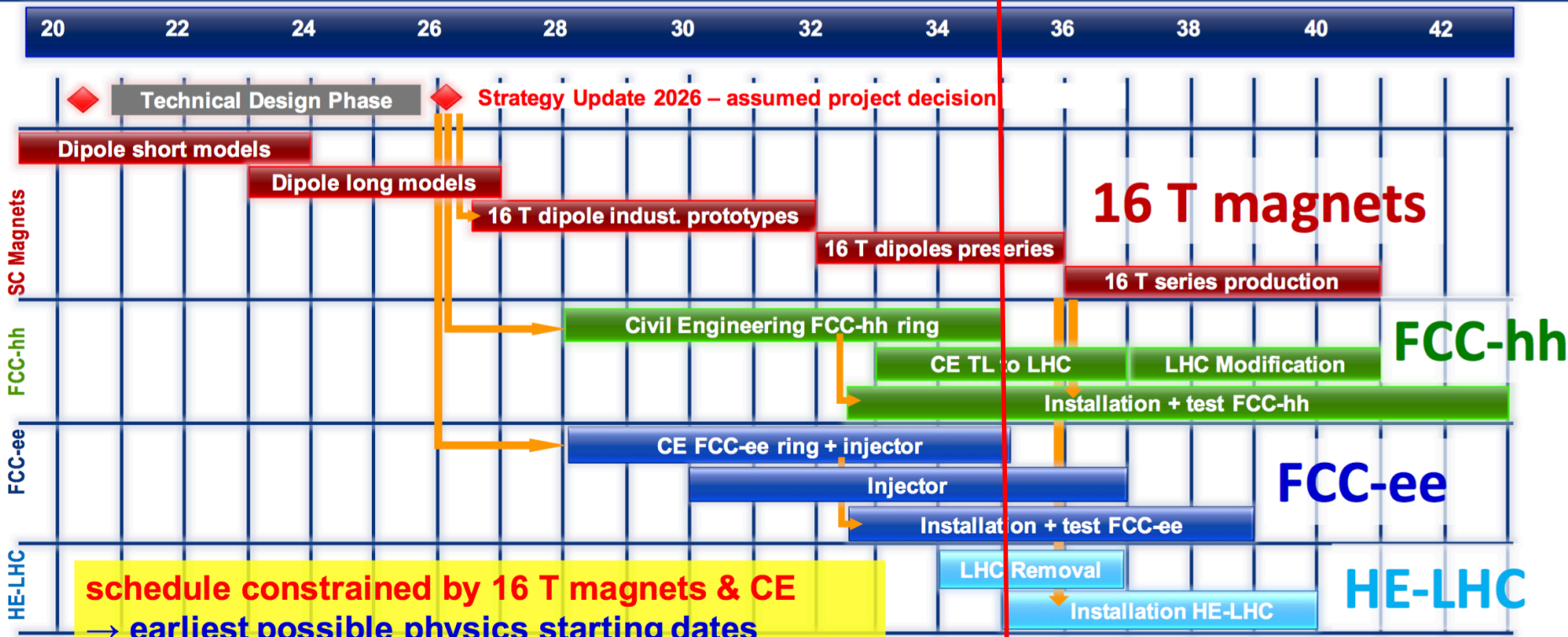
H. He, J. Ren, W. Yao 16'

Physics at 100 TeV 16'

...



# Technical Schedule for each the 3 Options



← HL-LHC (~2025 - 2035) →

✓ Obviously HL-LHC is the earliest future collider

# High-Luminosity LHC

As the earliest future collider,  
Let us do our best to improve HHH @ HL LHC instead of  
waiting for uncertain future colliders

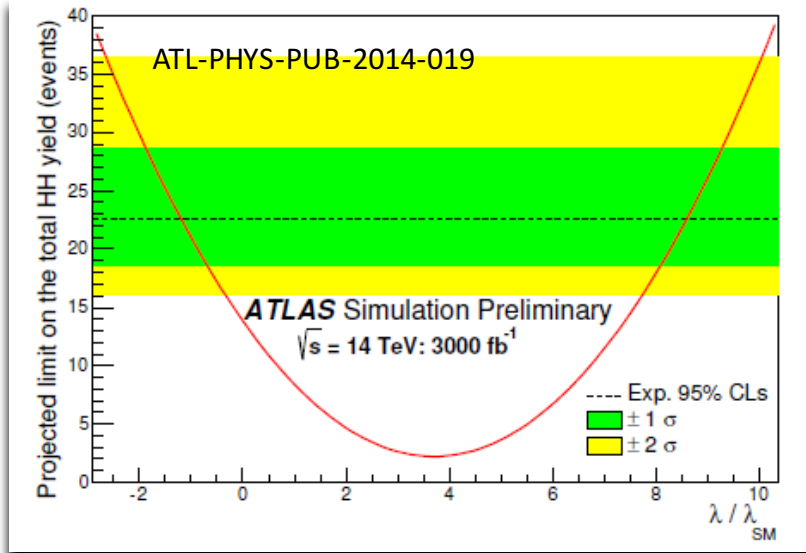


# ATLAS/CMS projection @ HL-LHC, 3000/fb

✓ Still very tough process

Seems to be the best channel so far

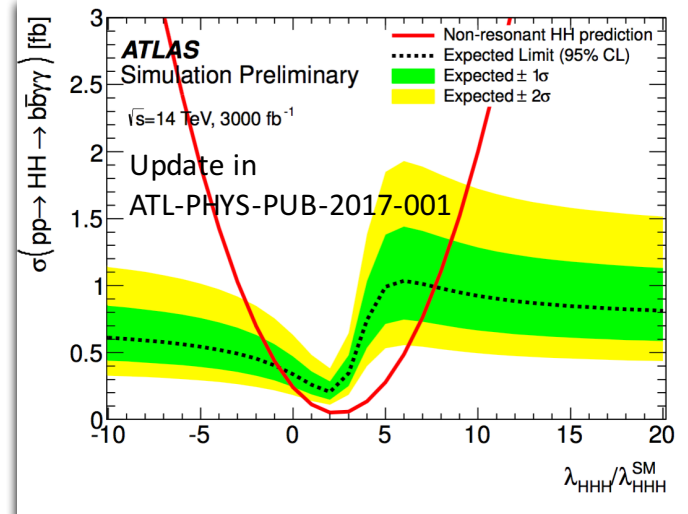
We would see only ~ 10 events by the end of HL LHC



ATL-PHYS-PUB-2014-019

Expected yields (3000 fb <sup>-1</sup> )	Total	Barrel	End-cap
<b>Samples</b>			
$H(b\bar{b})H(\gamma\gamma)(\lambda/\lambda_{SM} = 1)$	8.4±0.1	6.7±0.1	1.8±0.1
$H(b\bar{b})H(\gamma\gamma)(\lambda/\lambda_{SM} = 0)$	13.7±0.2	10.7±0.2	3.1±0.1
$H(b\bar{b})H(\gamma\gamma)(\lambda/\lambda_{SM} = 2)$	4.6±0.1	3.7±0.1	0.9±0.1
$H(b\bar{b})H(\gamma\gamma)(\lambda/\lambda_{SM} = 10)$	36.2±0.8	27.9±0.7	8.2±0.4
$b\bar{b}\gamma\gamma$	9.7±1.5	5.2±1.1	4.5±1.0
$c\bar{c}\gamma\gamma$	7.0±1.2	4.1±0.9	2.9±0.8
$b\bar{b}\gamma j$	8.4±0.4	4.3±0.2	4.1±0.2
$b\bar{b}jj$	1.3±0.2	0.9±0.1	0.4±0.1
$jj\gamma\gamma$	7.4±1.8	5.2±1.5	2.2±1.0
$t\bar{t}(\geq 1 \text{ lepton})$	0.2±0.1	0.1±0.1	0.1±0.1
$t\bar{t}\gamma$	3.2±2.2	1.6±1.6	1.6±1.6
$t\bar{t}H(\gamma\gamma)$	6.1±0.5	4.9±0.4	1.2±0.2
$Z(b\bar{b})H(\gamma\gamma)$	2.7±0.1	1.9±0.1	0.8±0.1
$b\bar{b}H(\gamma\gamma)$	1.2±0.1	1.0±0.1	0.3±0.1
<b>Total Background</b>	<b>47.1±3.5</b>	<b>29.1±2.7</b>	<b>18.0±2.3</b>
$S/\sqrt{B}(\lambda/\lambda_{SM} = 1)$	1.2	1.2	0.4

Similarly for  $b\bar{b}\gamma\gamma, b\bar{b}\tau^+\tau^-$  by CMS &  
CMS FTR-15-002-pas

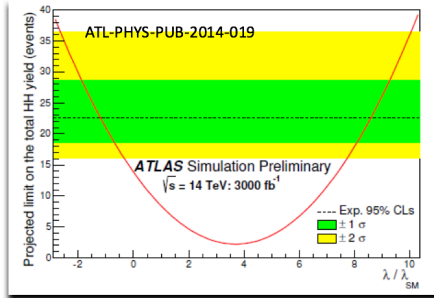


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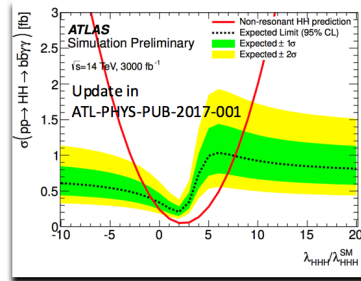
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Similarly for  $b\bar{b}\gamma\gamma, b\bar{b}\tau^+\tau^-$  by CMS & CMS FTR-15-002-pas



Above ATLAS/CMS projections are our baseline analysis from which we try to improve further

# 1. Combined Analysis of various channels

See also CMS PAS FTR-15-002

$$b\bar{b}\gamma\gamma$$

0.264%

28 ×

$$b\bar{b}\tau^+\tau^-$$

7.35%



- BKG simulation of  $b\bar{b}\gamma\gamma$  channel is extremely difficult

1. Fakes,  $j, c \rightarrow b, j \rightarrow \tau, \gamma$
2. Matching (double counting, part of k-factor)

Our treatment is same as ATLAS

- $b\bar{b}\tau^+\tau^-$  in most early theory literature was severely overestimated

E.g. no  $\tau$ -decay, optimistic  $\tau$  reconstruction eff., negligible fake rates

1.  $\tau_h\tau_h$  : fully hadronic (44.4%),  $\tau_h\tau_l$  : semileptonic (39.8%)
2.  $\tau^+\tau^-$  reconstruction is tough (e.g. against Z+jets)
3. Fakes are big

- In reality,  $b\bar{b}\tau^+\tau^-$  can be at best comparable with  $b\bar{b}\gamma\gamma$  due to a series of penalties : combining makes sense

We include all these factors in our analysis (see backup slides for the detail)

# 1. Combined Analysis of various channels

## 2. Parametrize the precision of HHH as a function of any 'improvable' parameter

ATL-PHYS-PUB-2014-019

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Fakes are big!

Similarly for  $b\bar{b}\tau^+\tau^-$

Currently used tag, mis-tag rates of heavy-flavor, tau-leptons, photons which are not good will not be final!

- $b, c, \tau$ -taggings against QCD-jets will be improved, e.g. machine learning
- Prompt  $b, c$ -tagging vs merged  $b, c$ -jets, e.g. from  $g \rightarrow b\bar{b}, c\bar{c}$  splitting
- Machine learning/multivariate analysis applied to the analysis itself
- ....

## 1. Combined Analysis of various channels

## 2. Parametrize the precision of HHH as a function of any 'improvable' parameter

### Optimistic HL-LHC (OPT-HL-LHC)

Assume a set of improved parameters  
: or make your goal for parameters  
to achieve the desired precision of HHH

$$\epsilon_{b \rightarrow b} = 0.8, \epsilon_{c \rightarrow b} = 0.1, \epsilon_{j \rightarrow b} = 0.01$$

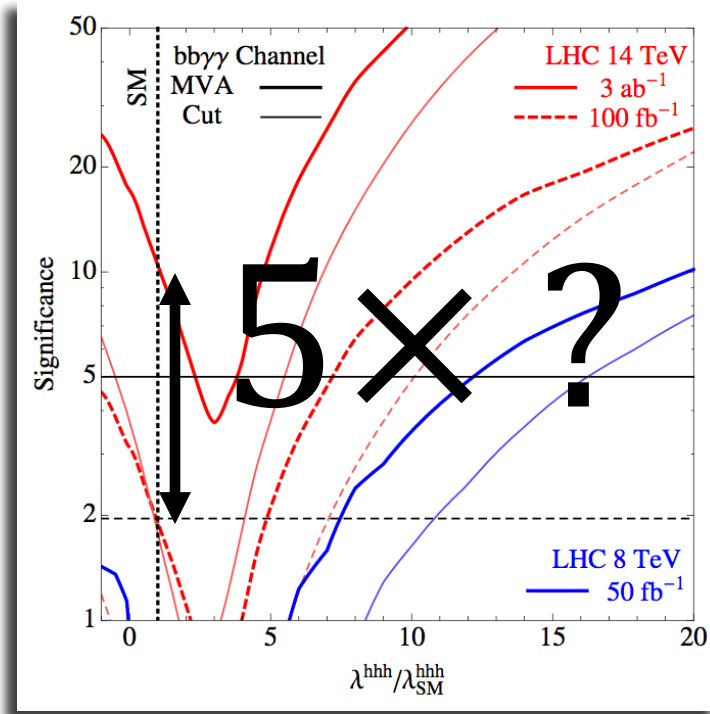
$$\epsilon_{\tau \rightarrow \tau} = 0.7, \epsilon_{j \rightarrow \tau} = 0.001$$

25% of reduced width of  $m_{\gamma\gamma}$

20% improvement of Jet E resolution

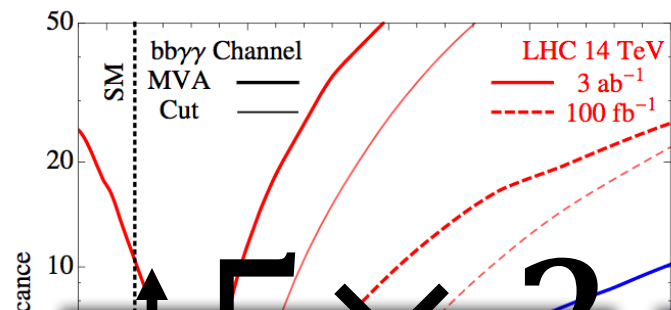
Currently used tag, mis-tag rates of heavy flavor, tau-leptons, photons are not good & they will not be final!

1. Combined Analysis of various channels
2. Parametrize the precision of HHH as a function of any 'improvable' parameter
3. Exploit Multivariate Analysis (Boost Decision Tree)



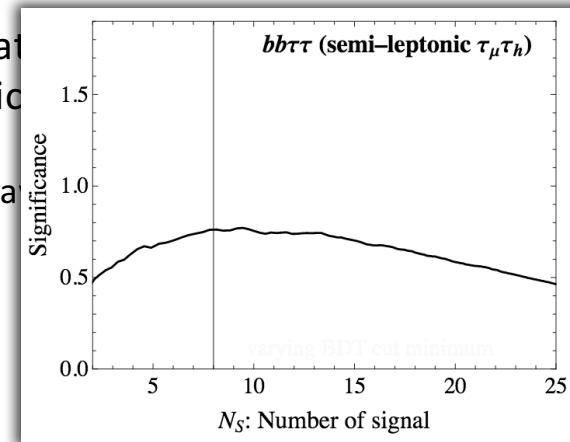
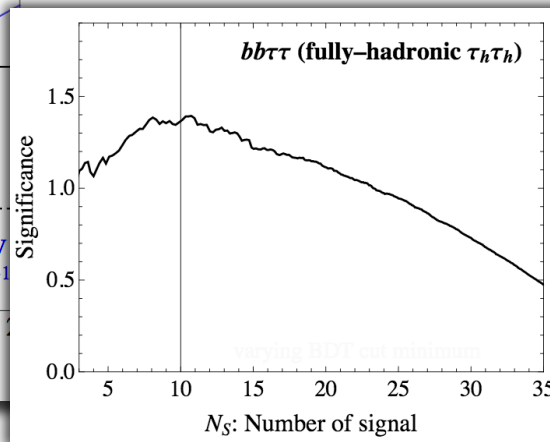
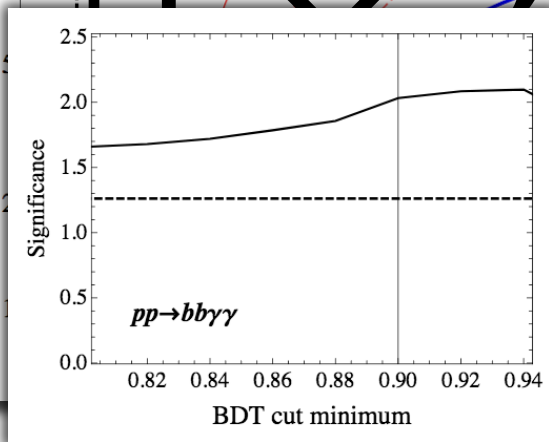
- when variables are not correlated  
e.g. signal region has a rectangular shape  
  
Cut-and-count analysis might reach the maximal performance via optimization
- when variables are correlated  
e.g. signal region has a complicated boundary  
  
Cut-and-count analysis may not be the best option.

1. Combined Analysis of various channels
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- when variables are not correlated e.g. signal region has a rectangular shape

Cut-and-count analysis might reach the maximal performance via optimization



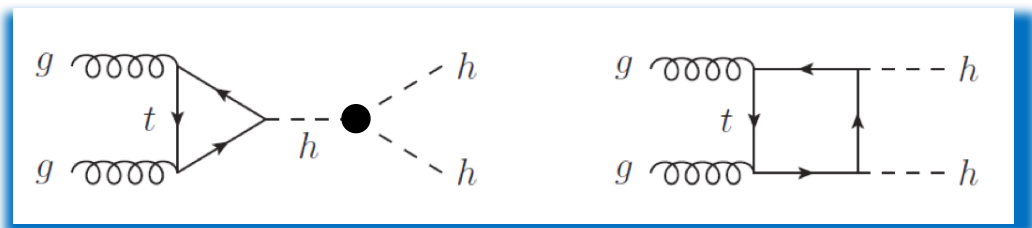
Barger, Everett, Jackson, Shaughnessy 13'

We have used BDT method. Improvement is up to factor of 2 (not ~ 5x !)

1. Combined Analysis of various channels
2. Parametrize the precision of HHH as a function of any 'improvable' parameter
3. Exploit Multivariate Analysis (Boost Decision Tree)
4. Marginalization (global fit within HH & some H)

From the Effective Field Theory point of view, varying only HHH is not well-motivated unless a selection of HHH is associated with a symmetry, specific UV completion, or a hidden fine-tuning is involved

Contino, Ghezzi, Moretti, Panico, Piccinini, Wulzer 12'  
 Goertz, Papaefstathiou, Yang, Zurita 14'  
 Chen, Low 14'  
 Azatov, Contino, Panico, SON, 15'

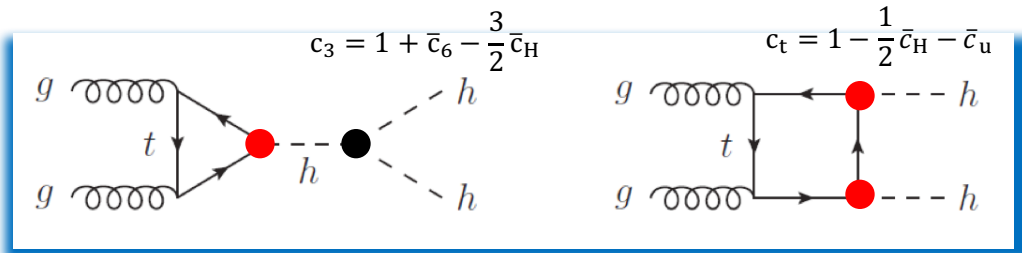




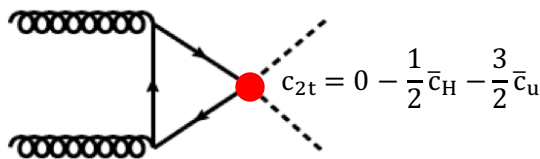
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We take the Effective Field Theory approach keeping all EFT coefficients

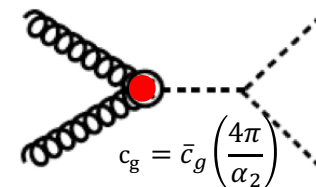
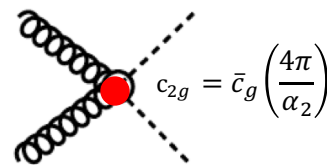
$$\Delta\mathcal{L}_6 \ni \frac{\bar{c}_H}{2v^2} \partial_\mu |H|^2 \partial^\mu |H|^2 + \frac{\bar{c}_u}{v^2} y_u \bar{q}_L H u_R |H|^2 - \frac{\bar{c}_6}{v^2} \frac{m_h^2}{2v^2} |H|^6 + \frac{\bar{c}_g g_s^2}{m_W^2} |H|^2 G_{\mu\nu} G^{\mu\nu}$$



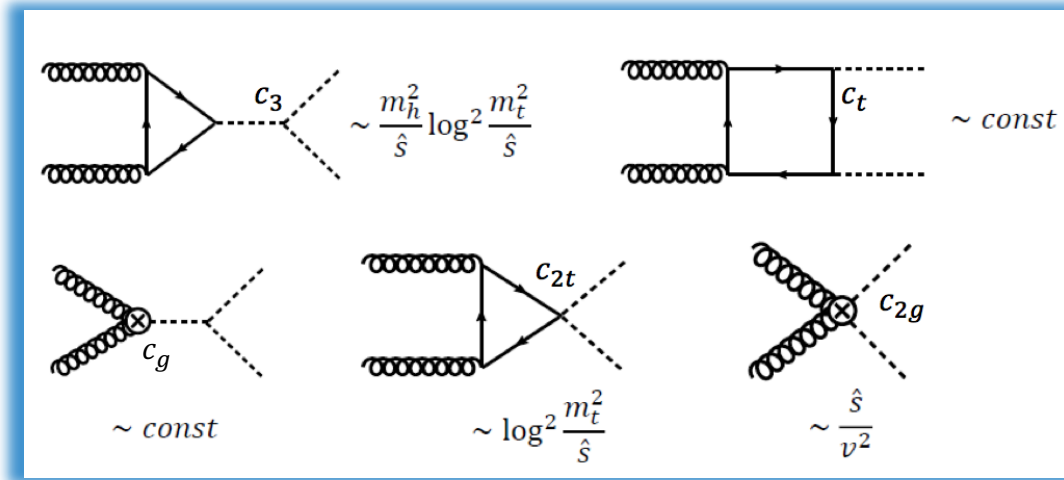
✓ EFT coefficients are correlated. E.g. precision of Yukawa coupling affects the precision of the HHH.



Non-linear tthh interaction

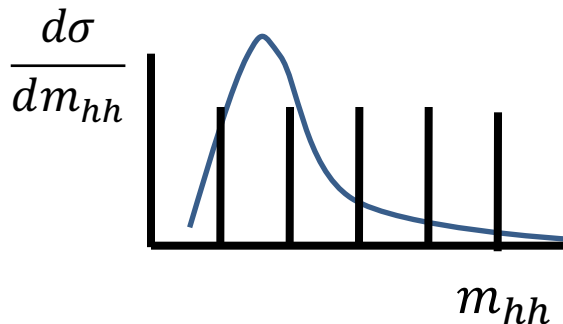


## E-dependence vs Shape analysis



- All diagrams have different energy-dependences.
- Different E-dependence breaks degeneracy among BSM effects
- $m_{hh} = \sqrt{\hat{s}}$  is an important shape variable

Exclusive analysis



$b\bar{b}\gamma\gamma$  : 6  $m_{HH}$  bins

+ Recycled from Azatov et al 15'

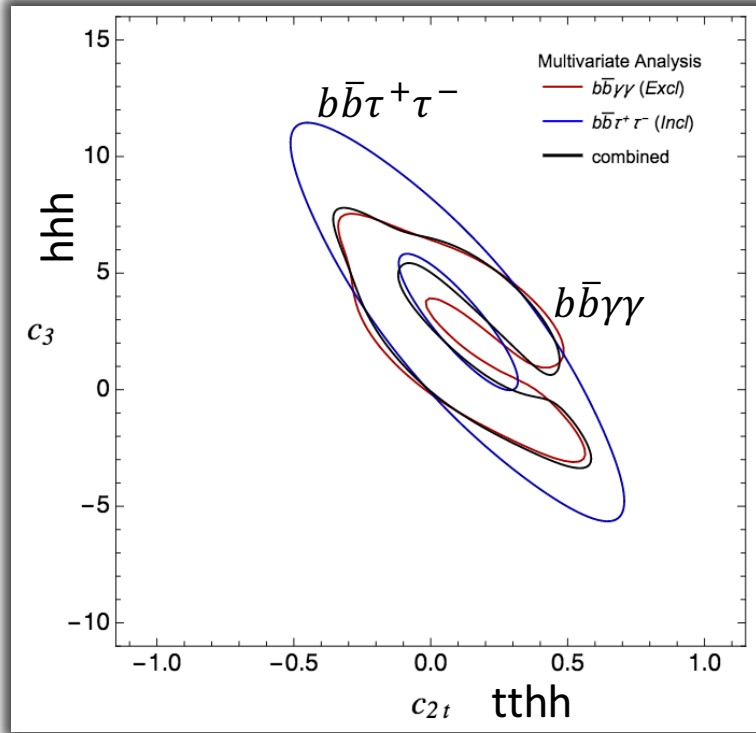
$b\bar{b}\tau^+\tau^-$  : no shape analysis

due to technical reason ( $\sqrt{\hat{s}} \neq m_{hh}^T$ )

On the sensitivity of EFT coefficients

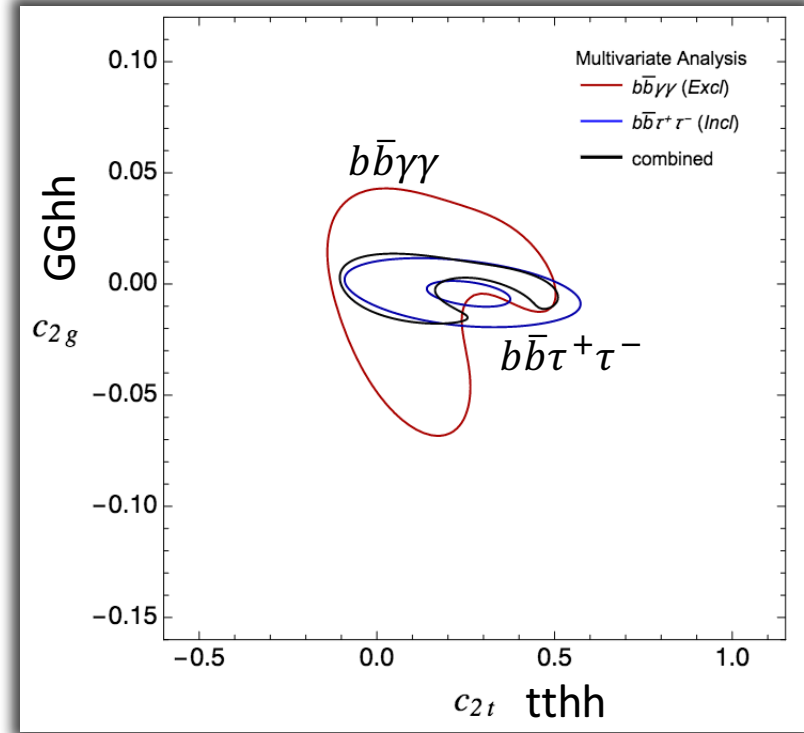
# In the non-linear basis

68% Probability Contours, BDT analysis



Anti-correlation between  $c_3$  and  $c_{2t}$   
: marginalization has a non-negligible impact

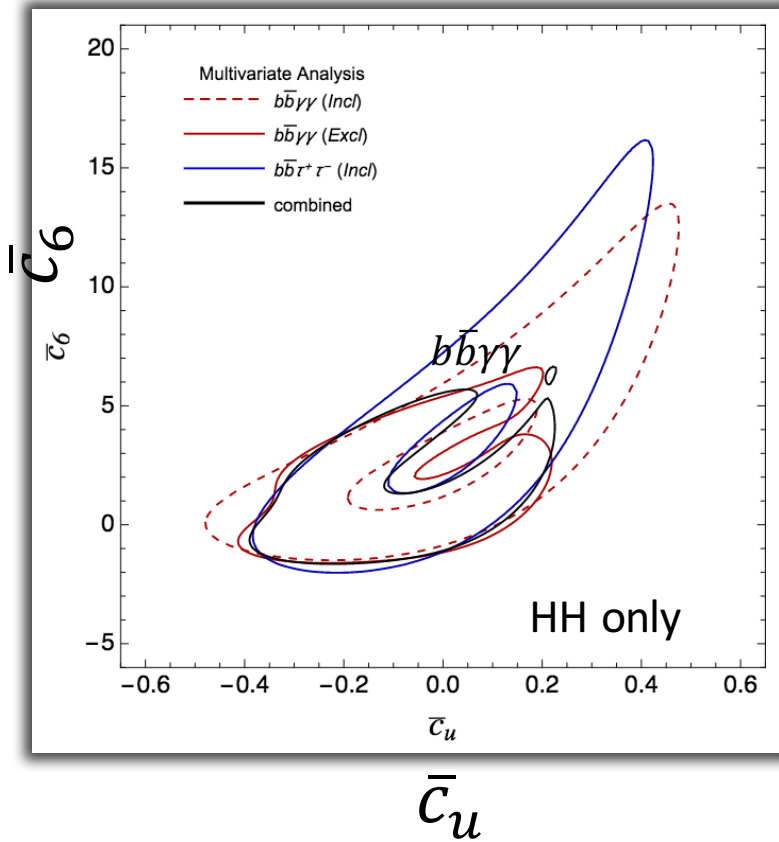
68% Probability Contours, BDT analysis



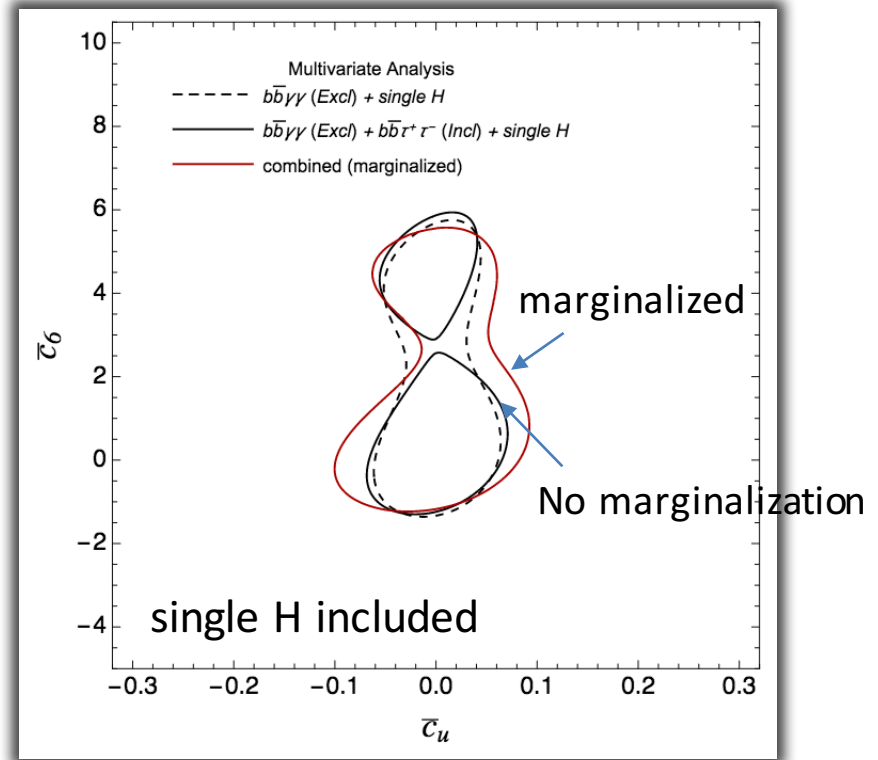
$b\bar{b}\tau^+\tau^-$  outperforms  $b\bar{b}\gamma\gamma$  on  $c_{2g}$

# In the linear basis

68% Probability Contours, BDT analysis



68% Probability Contours, BDT analysis



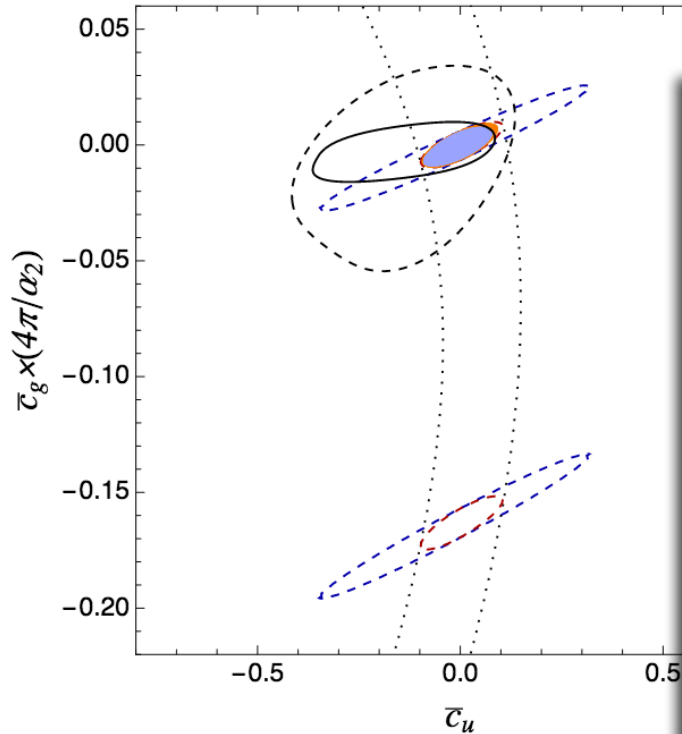
1. Little improvement of HHH by  $b\bar{b}\tau^+\tau^-$
2. Single Higgs data is important, especially for  $\bar{c}_u$
3. Marginalization over  $\bar{c}_g$  is significant

# Double H vs single H

$$c_t = 1 - \frac{1}{2}\bar{c}_H - \bar{c}_u,$$

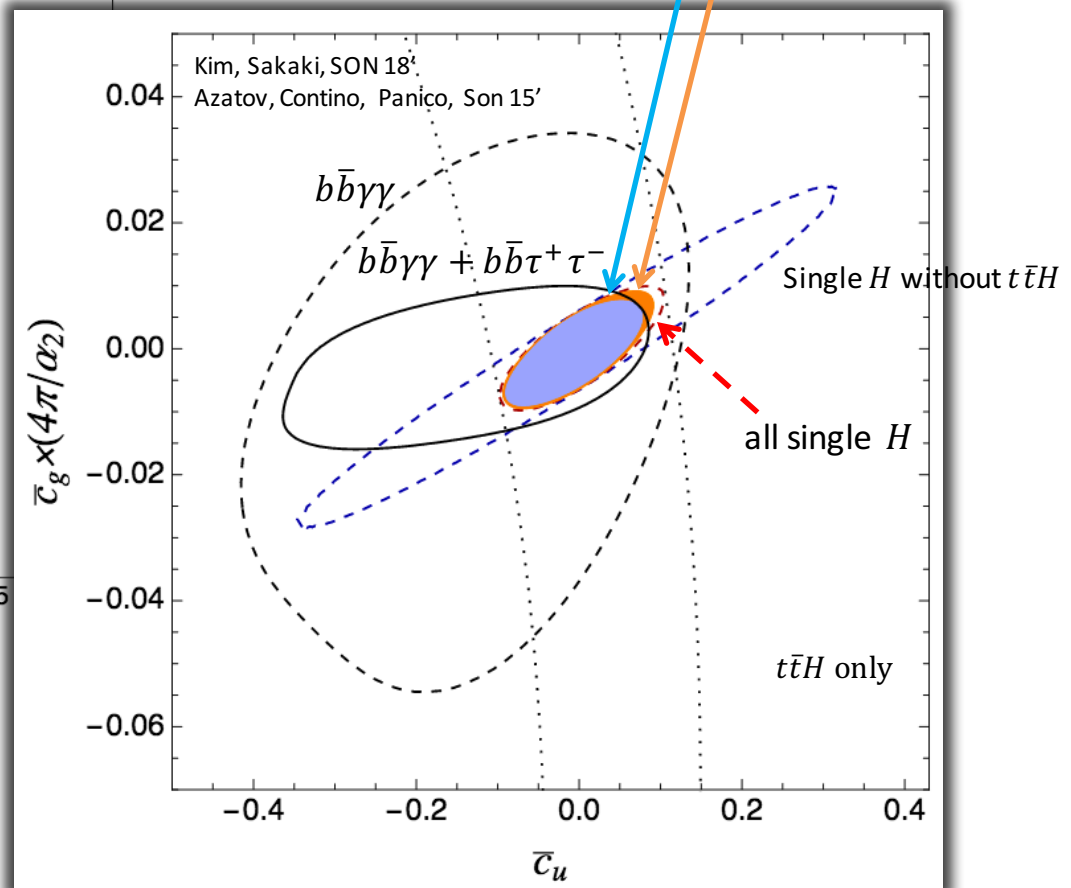
$$c_{2t} = 0 - \frac{1}{2}\bar{c}_H - \frac{3}{2}\bar{c}_u,$$

In the linear basis



68% Probability Contours

all single  $H + b\bar{b}\gamma\gamma + b\bar{b}\tau^+\tau^-$



1.  $b\bar{b}\tau^+\tau^-$  outperforms  $b\bar{b}\gamma\gamma$  in  $\bar{c}_g$
2. HH competes with single Higgs on positive  $\bar{c}_u$
3. HH excludes the second islands in  $\bar{c}_g$

Focus on

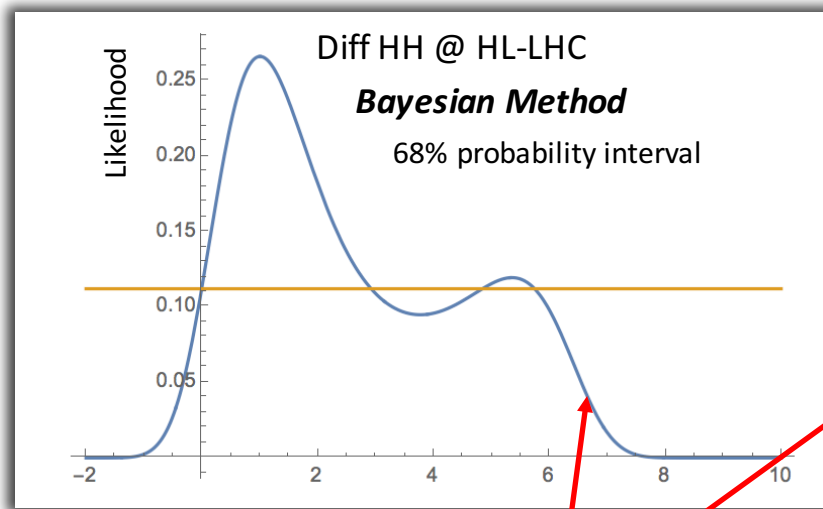
## Higgs self coupling

We will investigate 1D likelihood for HHH

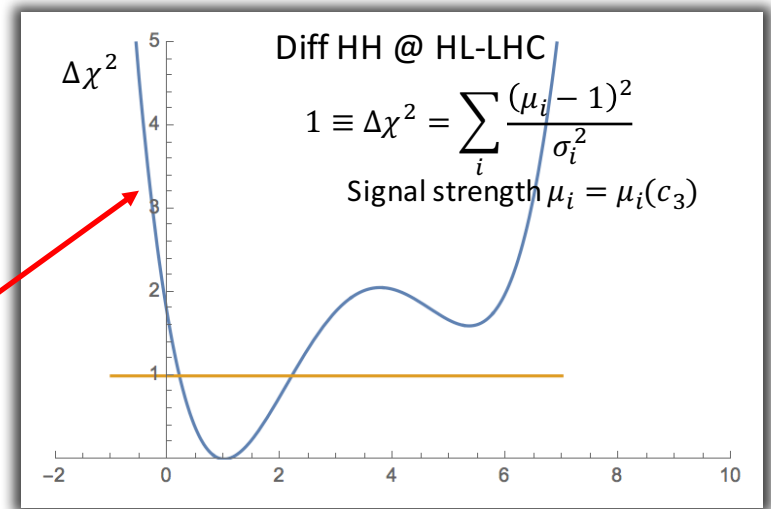
# We choose "Bayesian" Method

Comparing literature needs to be done within the same statistical treatment especially for highly 'non-Gaussian' likelihood

What could possibly happen to same likelihood due to different statistical treatment



VS

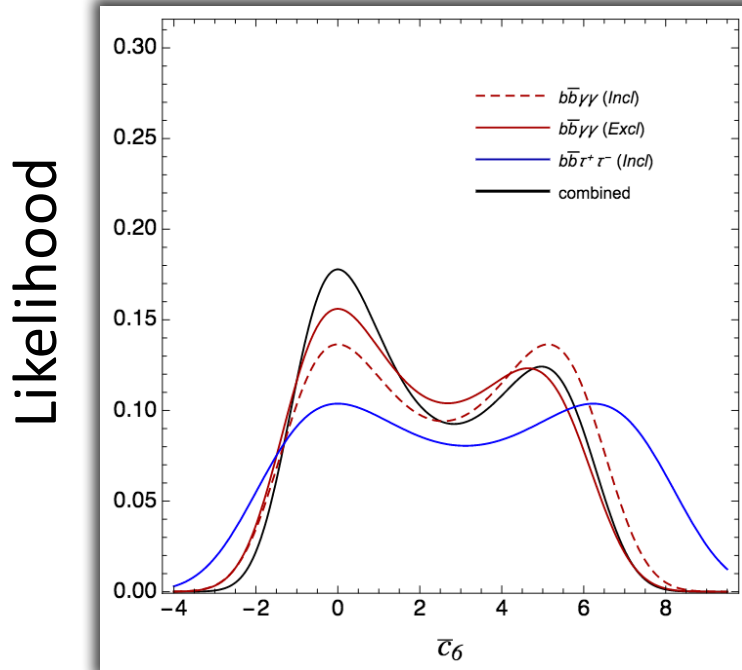


Same Likelihood

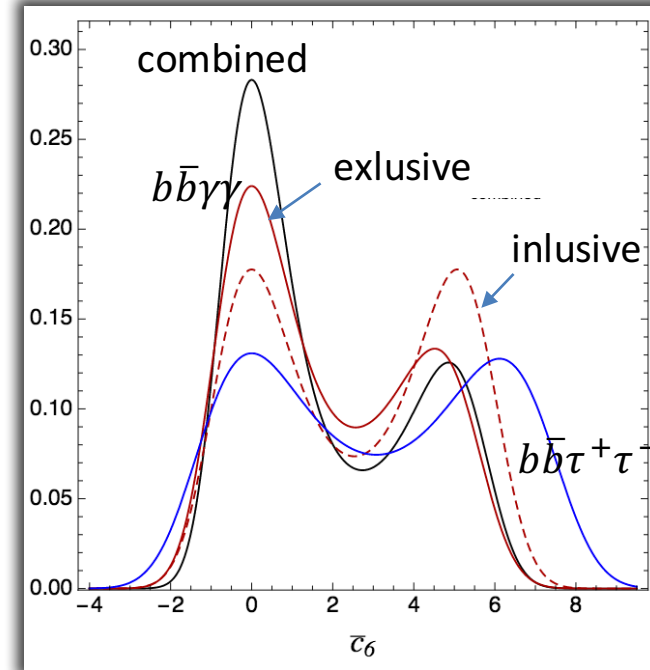
- ✓ You may get artificially better sensitivity. Pay attention to the statistical treatment!



Cut-and-count with ATLAS cuts



BDT analysis



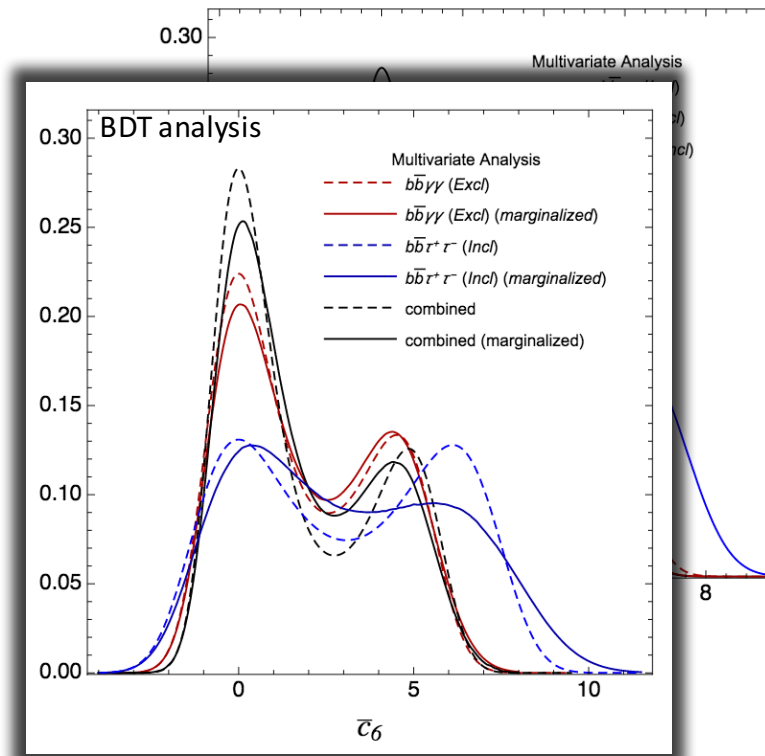
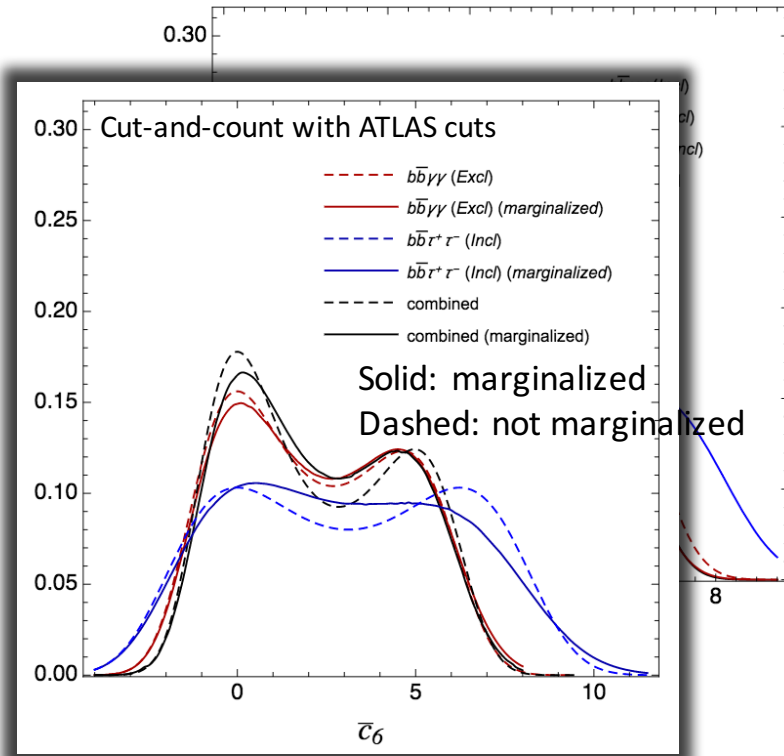
### Inclusive vs Exclusive

- Exclusive analysis breaks degeneracy of two peaks

### Cut-and-count vs Multivariate

- Benefit of multivariate analysis is pronounced in the second peak. Improvement of the 68% prob. interval around SM is weak (characteristic of highly non-Gaussian likelihood at the HL-LHC)

# No marginalization vs Marginalization



HL-LHC ( $3 \text{ ab}^{-1}$ )	Allowed region on $\bar{c}_6$	
	68% probability	95% probability
Cut-based analysis		
$b\bar{b}\gamma\gamma$ (exclusive)	$[-0.98, 2.2] \cup [3.1, 5.3]$	$[-1.8, 6.6]$
$b\bar{b}\tau^+\tau^-$	$[-0.87, 6.1]$	$[-2.5, 8.8]$
Combined	$[-0.91, 2.3] \cup [3.4, 5.3]$	$[-1.6, 6.5]$
Multivariate analysis		
$b\bar{b}\gamma\gamma$ (exclusive)	$[-0.99, 1.8] \cup [3.4, 5.1]$	$[-1.4, 5.9]$
$b\bar{b}\tau^+\tau^-$	$[-0.89, 3.3] \cup [4.1, 6.4]$	$[-1.8, 8.5]$
Combined	$[-0.96, 1.9] \cup [3.8, 5.0]$	$[-1.3, 5.8]$

68% Probability Interval

$$\bar{c}_6 = [-0.96, 1.9] \cup [3.8, 5.0]$$

$$\bar{c}_6^{1=\Delta\chi^2} = [-0.7, 1.3]$$

On the effect of

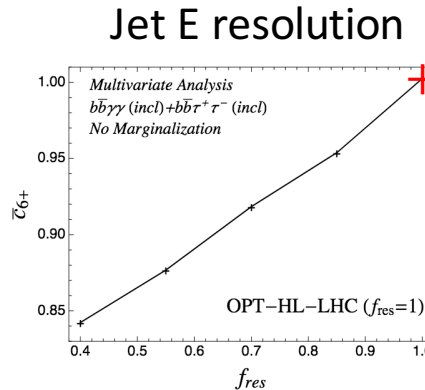
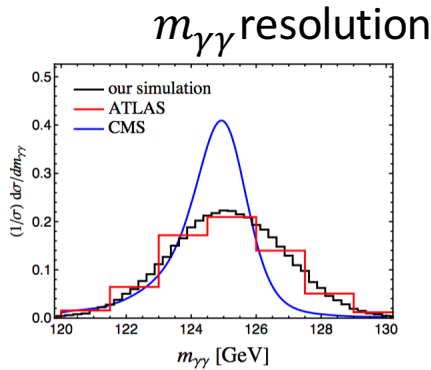
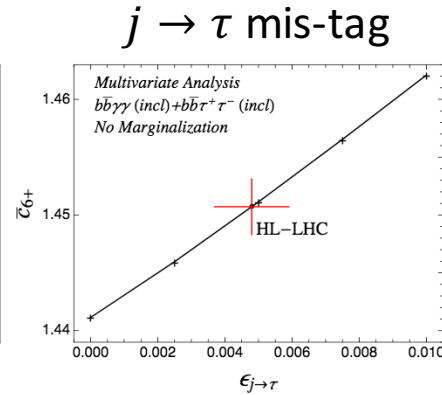
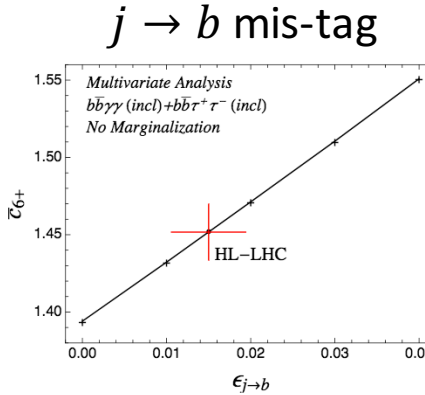
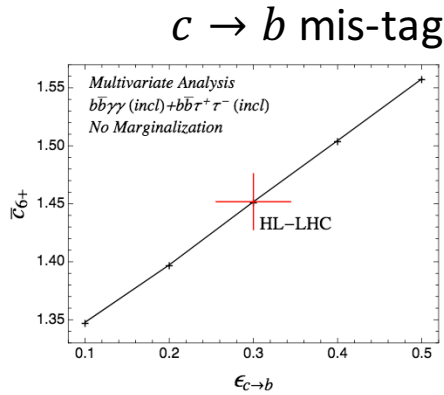
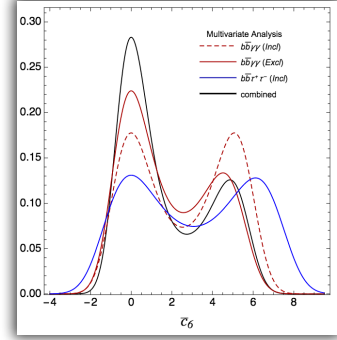
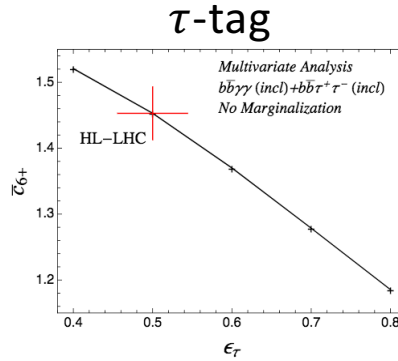
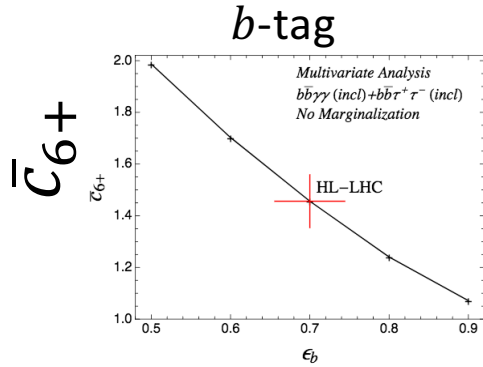
# Future Phenomenological Studies

So far we used the same tag, mis-tag rates and so on as  
ATLAS analysis

ATLAS-PHYS-PUB-0214-019

# List of improvable parameters

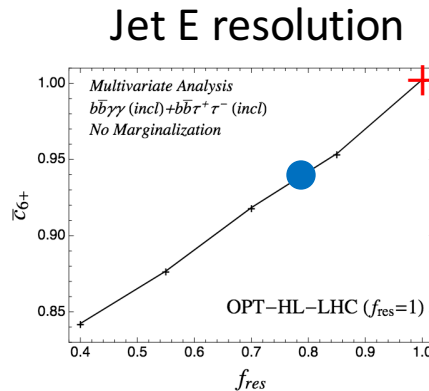
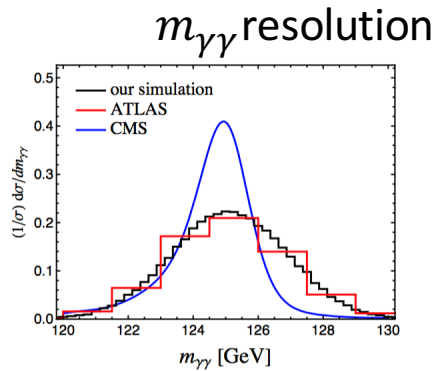
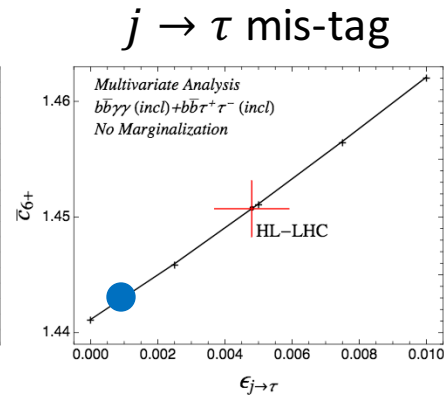
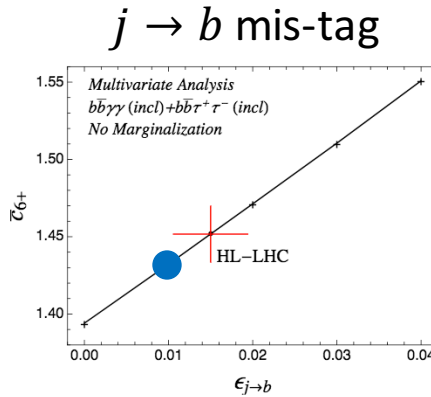
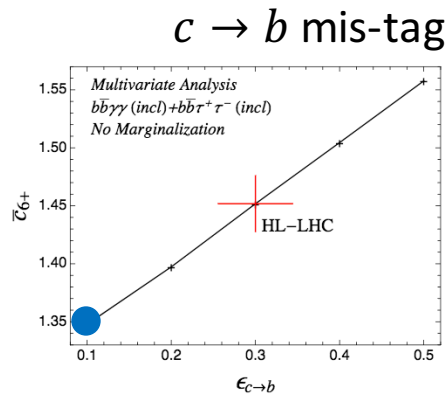
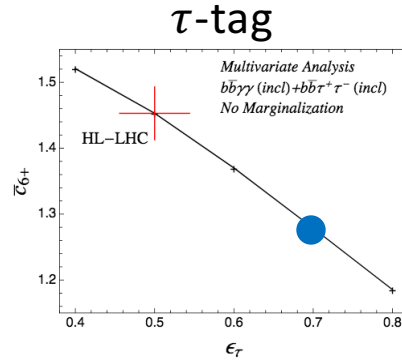
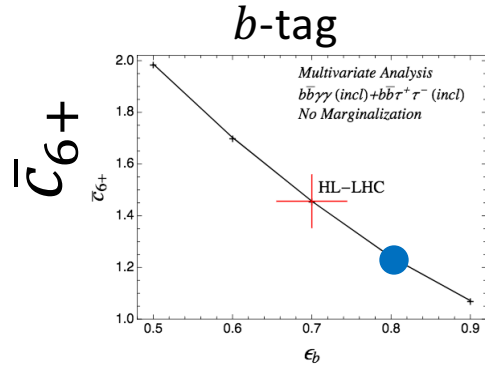
$\bar{c}_{6+}$ : positive deviation of the first interval around SM, E.g.



$$\frac{\sigma_{res}}{p_T} = f_{res} \sqrt{\frac{N(\langle\mu\rangle)^2}{p_T^2} + \frac{S^2}{p_T} + C^2}$$

To see accumulated effect of individual improvements

Let us make a benchmark scenario: ●



25% of reduced width of  $m_{\gamma\gamma}$

$$\frac{\sigma_{res}}{p_T} = f_{res} \sqrt{\frac{N(\langle\mu\rangle)^2}{p_T^2} + \frac{S^2}{p_T} + C^2}$$

\*\* this is better choice than what appeared in  
Kim et al 1801.06093

### Optimistic HL-LHC (OPT-HL-LHC)

Assume a set of improved parameters  
: or make your goal for parameters  
to achieve the desired precision of HHH

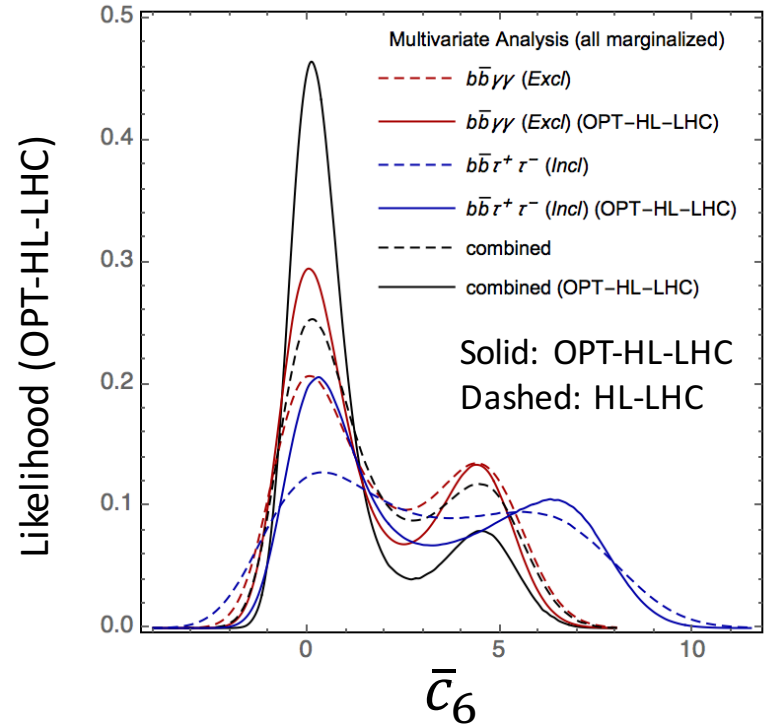
$$\epsilon_{b \rightarrow b} = 0.8, \epsilon_{c \rightarrow b} = 0.1, \epsilon_{j \rightarrow b} = 0.01$$

$$\epsilon_{\tau \rightarrow \tau} = 0.7, \epsilon_{j \rightarrow \tau} = 0.001$$

25% of reduced width of  $m_{\gamma\gamma}$

20% improvement of Jet E resolution

\* Still includes only muons



OPT-HL-LHC (3 ab <sup>-1</sup> )	Allowed region on $\bar{c}_6$	
	68% probability	95% probability
$b\bar{b}\gamma\gamma$ (exclusive)	$[-0.97, 1.5] \cup [3.7, 5.0]$	$[-1.3, 5.6]$
$b\bar{b}\tau^+\tau^-$	$[-0.80, 2.1] \cup [4.9, 7.3]$	$[-1.1, 8.0]$
Combined	$[-0.8, 1.3]$	$[-1.1, 2.5] \cup [3.0, 5.5]$

68% Probability Interval  
 $[-0.8, 1.3]$

1. Second interval is gone
2. Two intervals even at 95% probability  
 (: non-Gaussianity matters at 95% CL)

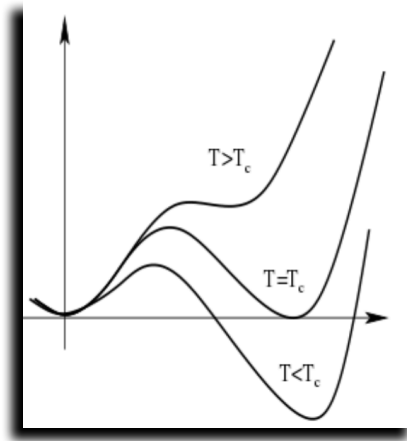
\*  $[-0.96, 1.9] \cup [3.8, 5.0]$  @ HL-LHC

\*  $\bar{c}_6^{-1} = \Delta\chi^2 = [-0.7, 1.3]$  @ HL-LHC

More tailored analysis, improved pars will improve precision further

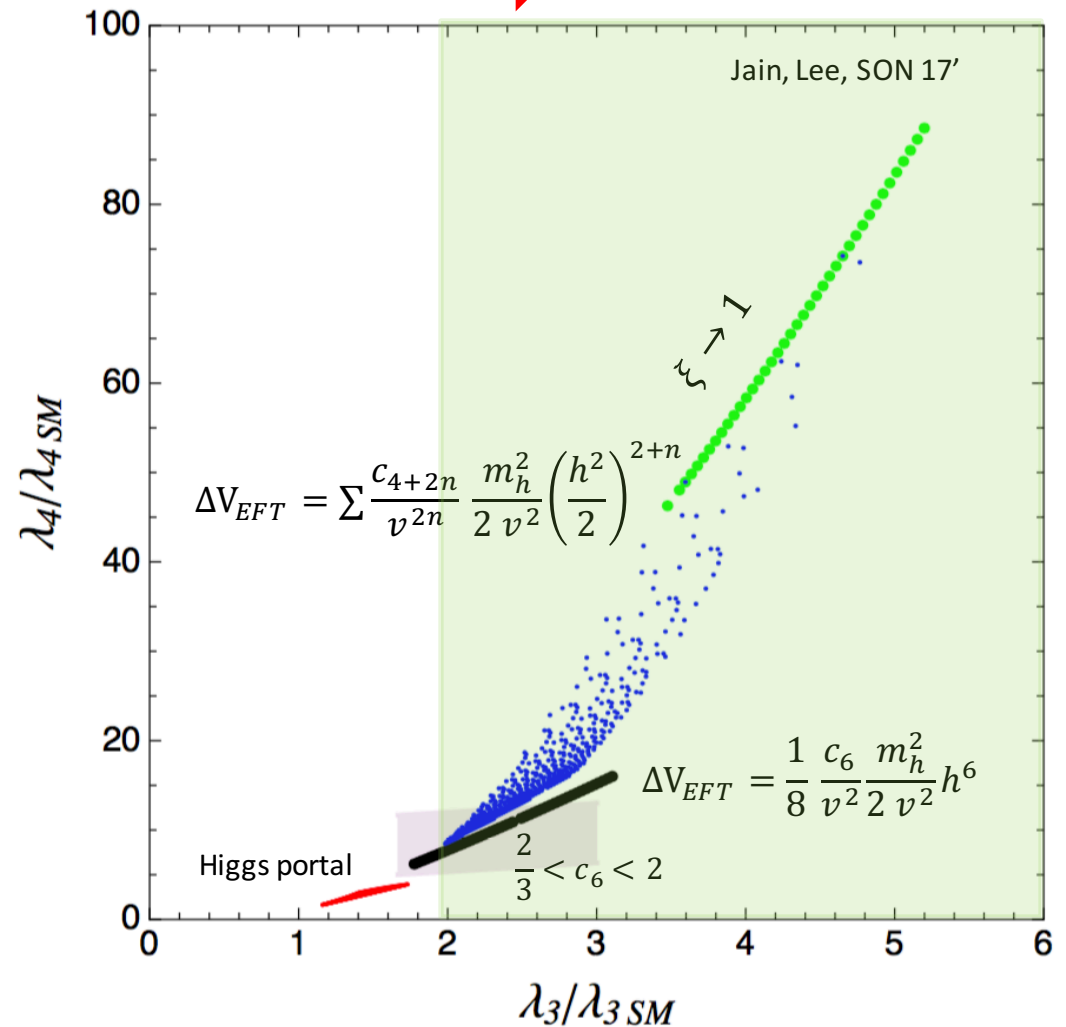
Improvement at the level of  $\mathcal{O}(1)$  determination is physically meaningful !!!

E.g. baryogenesis based on strong 1<sup>st</sup> order EWPT



Constructing EFT model with  $\lambda_3/\lambda_{3SM} \sim \mathcal{O}(1)$ , while achieving parametric hierarchy  $\mathcal{O}_H \ll \mathcal{O}_6$ , would be very interesting

Can be tested @ HL LHC with 68% CL or even at 95% CL



No summary  
Thanks





Backup Slides

# $b\bar{b}\gamma\gamma$

Our validation

ATLAS-PHYS-PUB-0214-019

Expected yields (3 ab <sup>-1</sup> )	ATLAS [32]	With ATLAS cuts	With cuts in [11]	MVA
$h(b\bar{b})h(\gamma\gamma)$	8.4	8.0	8.1	8.7
$b\bar{b}\gamma\gamma$	9.7	12.3	23	6.4
$c\bar{c}\gamma\gamma$	7.0	7.4	14	2.4
$b\bar{b}j$	8.4	7.5	16	1.2
$jj\gamma\gamma$	7.4	4.1	8.7	1.7
$t\bar{t}\gamma$	3.2	1.5	4.4	1.5
$t\bar{t}h(\gamma\gamma)$	6.1	5.5	6.8	3.7
$Z(b\bar{b})h(\gamma\gamma)$	2.7	1.2	0.86	1.0
$b\bar{b}h(\gamma\gamma)$	1.2	0.24	0.25	0.2
Total backgrounds	45.7	39.8	73.4	18.0

# $b\bar{b}\tau^+\tau^-$

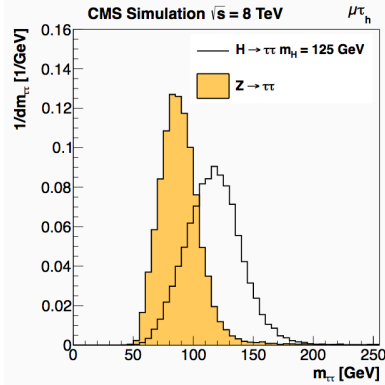
Similar result to  
CMS-PAS-FTR-15-002

Expected yields (3 ab <sup>-1</sup> )	Fully-hadronic $\tau_h\tau_h$		Semi-leptonic $\tau_\mu\tau_h$	
	Cut-based Analysis	MVA	Cut-based Analysis	MVA
$h(b\bar{b})h(\tau^+\tau^-)$	5.71	10.	5.7	7.9
$t\bar{t}$	2.31	4.46	44.8	28.8
$t\bar{t}h$	7.63	7.37	13.1	12.9
$t\bar{t}V$	3.14	2.74	5.12	7.87
$tW$	5.37	7.52	28.3	12.6
$Z(\tau^+\tau^-) + \text{jets}$	18.4	25.0	10.1	32.7
$hZ$	1.72	2.22	1.16	3.8
$VV$	0.38	0.98	3.41	2.43
Total backgrounds	40.	50.3	106	101

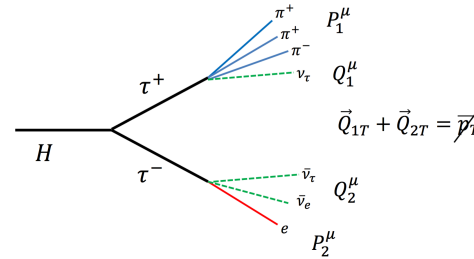
# $\tau^+\tau^-$ reconstruction

CMS uses Maximum Likelihood fit method : SVFIT

CMS-HIG-13-004

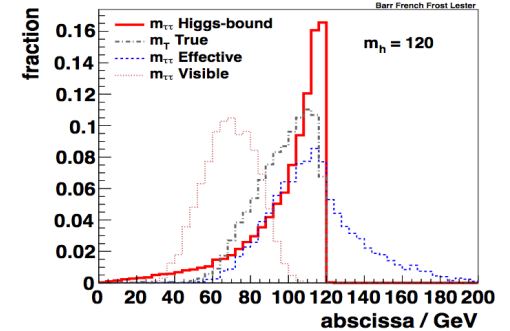


VS



We have used transverse-type mass

Barr, French, Frost, Lester 11'



$$m_{\tau\tau}^{\text{reco}} (= m_{\tau\tau}^{\text{Higgs-bound}}) \equiv \min_{\{q_1, q_2; \chi\}} \sqrt{H^\mu H_\mu}$$

$$H^\mu = p_1^\mu + q_1^\mu + p_2^\mu + q_2^\mu$$

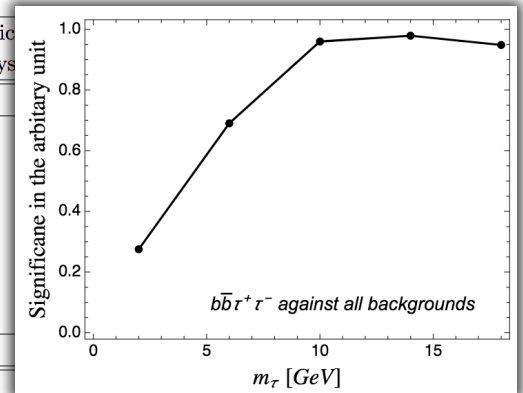
\*\* Low efficiency at hadron-level is overcome by relaxing  $m_\tau$  mass value

$$M_{T2}(p_1, p_2, \vec{p}_T^*, m_{\text{inv}} = 0) < m_\tau$$

$b\bar{b}\tau^+\tau^-$

Expected yields (3 $\text{ab}^{-1}$ )	Fully-hadronic $\tau_h\tau_h$		Semi-leptonic
	Cut-based Analysis	MVA	Cut-based Analysis
$h(b\bar{b})h(\tau^+\tau^-)$	5.71	10.	5.7
$t\bar{t}$	2.31	4.46	44.8
$t\bar{t}h$	7.63	7.37	13.1
$t\bar{t}V$	3.14	2.74	5.12
$tW$	5.37	7.52	28.3
$Z(\tau^+\tau^-) + \text{jets}$	18.4	25.0	10.1
$hZ$	1.72	2.22	1.16
$VV$	0.38	0.98	3.41
Total backgrounds	40.	50.3	106

Similar result to CMS-PAS-FTR-15-002



# $\mathcal{O}_H \ll \mathcal{O}_6$ possible

Azatov, Contino, Panico, Son 15'

E.g. Higgs : pGB

Generic composite state: tuned ...  
→ no suppression.

→ Enhancement by  $\frac{g_*^2}{g_{\cancel{GB}}}$

$$\bar{c}_H \sim \left(\frac{v}{f}\right)^2 \sim 0.05$$

$$\bar{c}_6 \sim \left(\frac{v}{f}\right)^2 \frac{g_*^2}{\lambda_4} \sim 3.5 \left(\frac{g_*}{3}\right)^2$$

Up to some fine-tuning

Higgs portal (to strongly coupled sector)

$$\mathcal{L} = \lambda |H|^2 \mathcal{O}$$

$\mathcal{O}$  characterized by  $\{m_*, g_*\}$

$$\bar{c}_H \sim \left(\frac{v}{f}\right)^2 \times \frac{\lambda^2}{g_*^4}$$

$$\bar{c}_6 \sim \left(\frac{v}{f}\right)^2 \times \frac{\lambda^3}{g_*^4 \lambda_4}$$

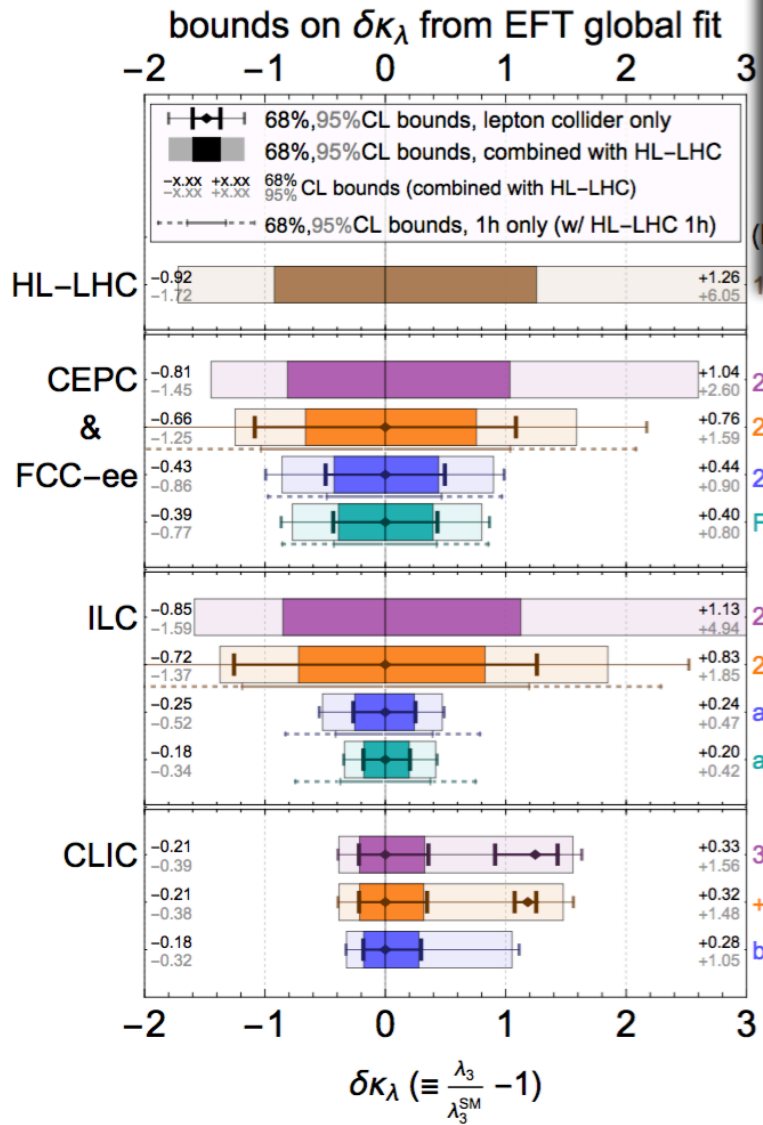
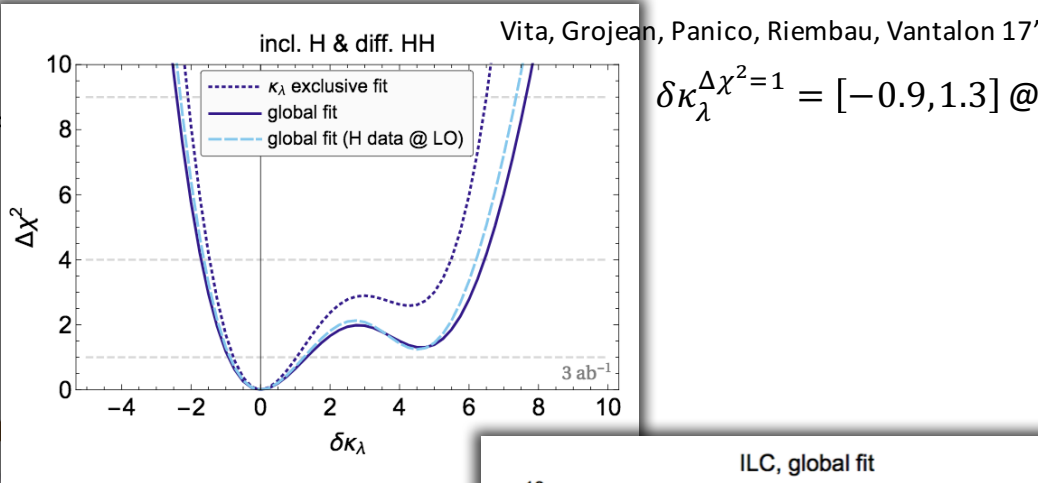
$$\bar{c}_H / \bar{c}_6 = \lambda_4 / \lambda$$

Higgs : pGB (SILH basis)

$$\mathcal{O}_H \sim (\partial_\mu |H|^2)^2, \quad \mathcal{O}_6 \sim \frac{g_{\cancel{GB}}}{g_*^2} \times |H|^6$$

→  $\bar{c}_H \sim \bar{c}_6 \sim \left(\frac{v}{f}\right)^2$

Taken from  
 Jiayin Gu, IAS Program on High Energy Physics Conf



240GeV(5/ab) only (CEPC)  
 240GeV(5/ab)+350GeV(200/fb)  
 240GeV(5/ab)+350GeV(1.5/ab) (FCC-ee)  
 FCC-ee with zero aTGCs

250GeV(2/ab) only  
 250GeV(2/ab)+350GeV(200/fb)  
 above + 500GeV(4/ab)  
 above + 1TeV(2/ab)  
 350GeV(500/fb)+1.4TeV(1.5/ab)+3  
 + Zhh at 1.4 TeV  
 binned  $M_{\text{hh}}$  in  $\bar{\nu}\text{hh}$  (4 bins)

