

# *The PRad experiment at JLab*

## *MITP Proton Radius Puzzle Workshop*

Waldthausen Castle near Mainz

*June 2-6, 2014*



*Haiyan Gao*  
*Duke University*



# What is inside the proton/neutron?

1933: Proton's magnetic moment



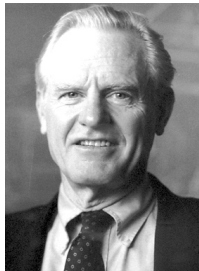
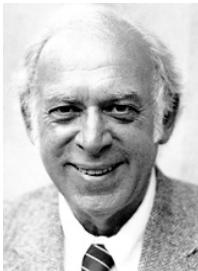
Nobel Prize  
In Physics 1943

Otto Stern

"for ... and for his discovery of the magnetic moment of the proton".

$$g \neq 2$$

1969: Deep inelastic e-p scattering



Nobel Prize in Physics 1990

Jerome I. Friedman, Henry W. Kendall, Richard E. Taylor

"for their pioneering investigations concerning deep inelastic scattering of electrons on protons ...".

1960: Elastic e-p scattering

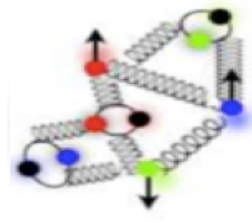


Nobel Prize  
In Physics 1961

Robert Hofstadter

"for ... and for his thereby achieved discoveries concerning the structure of the nucleons"

Form factors  $\rightarrow$  Charge distributions



1974: QCD Asymptotic Freedom



Nobel Prize in Physics 2004

David J. Gross, H. David Politzer, Frank Wilczek

"for the discovery of asymptotic freedom in the theory of the strong interaction".

# *Motivation for precise information on proton radius*

- A fundamental static property of the nucleon
  - Important for understanding how QCD works
  - Challenge to Lattice QCD (exciting new results, Alexandrou)
- An important physics input to the bound state QED calculations, affects muonic H Lamb shift  
( $2S_{1/2} - 2P_{1/2}$ ) by as much as 2%
- Lamb Shift ( $2S_{1/2} - 2P_{1/2}$ ) measurements are becoming more and more precise
- High precision tests of QED?
  - Needs inputs from electron scattering experiments on proton radius
- Turning things around one can determine proton radius using QED and Lamb shift measurements as you have heard extensively

# Unpolarized electron-nucleon scattering

## (Rosenbluth Separation)

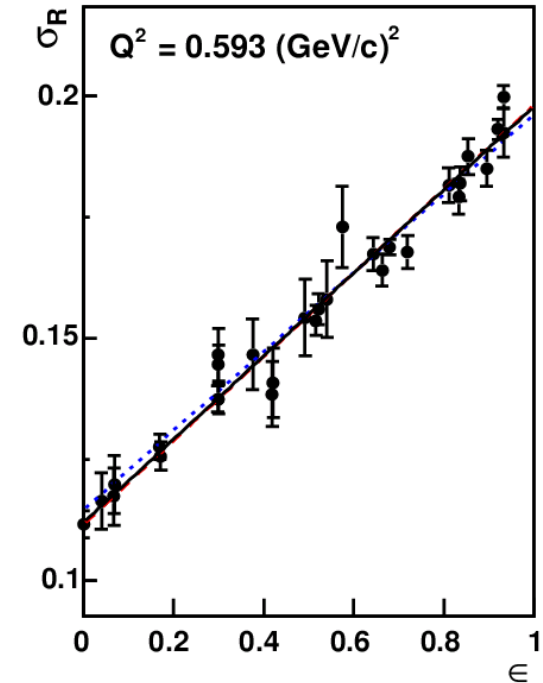
- Elastic e-p cross section

$$\frac{d\sigma}{d\Omega} = \frac{\alpha^2 \cos^2 \frac{\theta}{2}}{4E^2 \sin^4 \frac{\theta}{2}} \frac{E'}{E} \left( \frac{G_E^p{}^2 + \tau G_M^p{}^2}{1 + \tau} + 2\tau G_M^p{}^2 \tan^2 \frac{\theta}{2} \right)$$

$$= \sigma_M f_{rec}^{-1} \left( A + B \tan^2 \frac{\theta}{2} \right)$$

- At fixed  $Q^2$ , fit  $d\sigma/d\Omega$  vs.  $\tan^2(\theta/2)$

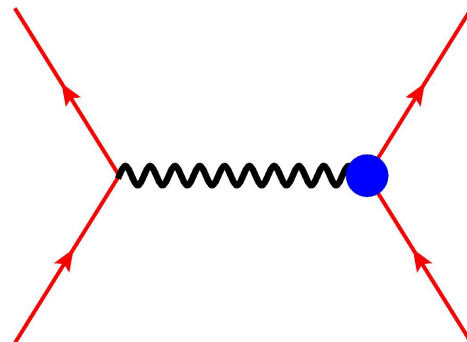
- Measurement of absolute cross section
- Dominated by either  $G_E$  or  $G_M$** 
  - Low  $Q^2$  by  $G_E$
  - High  $Q^2$  by  $G_M$



$$\sigma_R = \tau G_M^2 + \epsilon G_E^2$$

$$\tau = \frac{Q^2}{4M^2}$$

$$\epsilon = (1 + 2(1 + \tau) \tan^2 \frac{\theta}{2})^{-1}$$



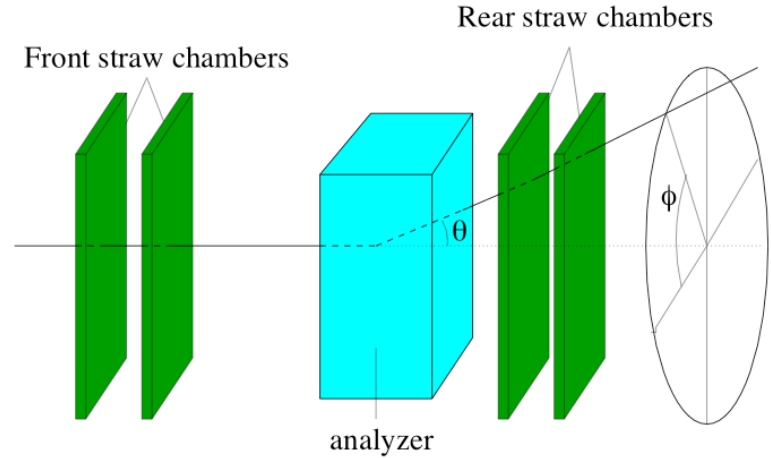
super Rosenbluth Separation

# Recoil proton polarization measurement from e-p elastic scattering

## Polarization Transfer



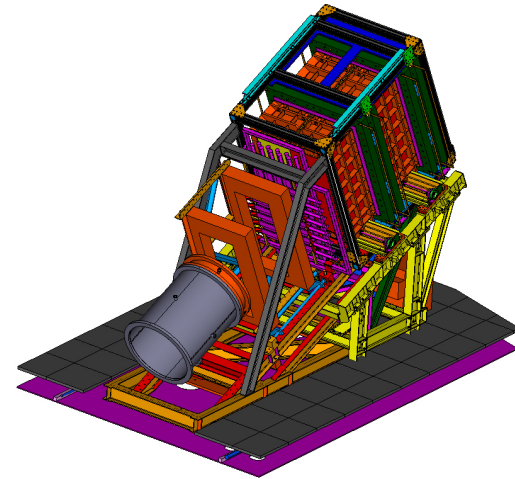
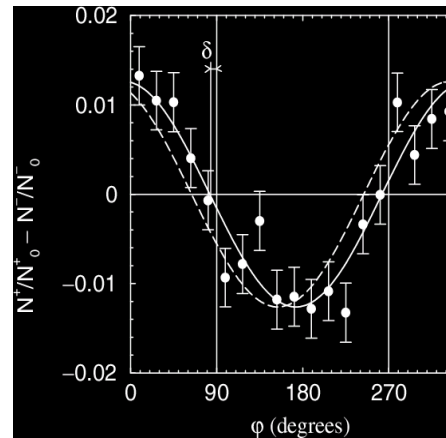
$$\frac{G_E^p}{G_M^p}$$



- Recoil proton polarization

$$\frac{G_E^p}{G_M^p} = -\frac{P_t E + E'}{P_l 2M} \tan \frac{\theta}{2}$$

- recoil proton scatters off secondary  $^{12}\text{C}$  target
- $P_t$ ,  $P_l$  measured from  $\phi$  distribution
- $P_b$ , and analyzing power cancel out in ratio



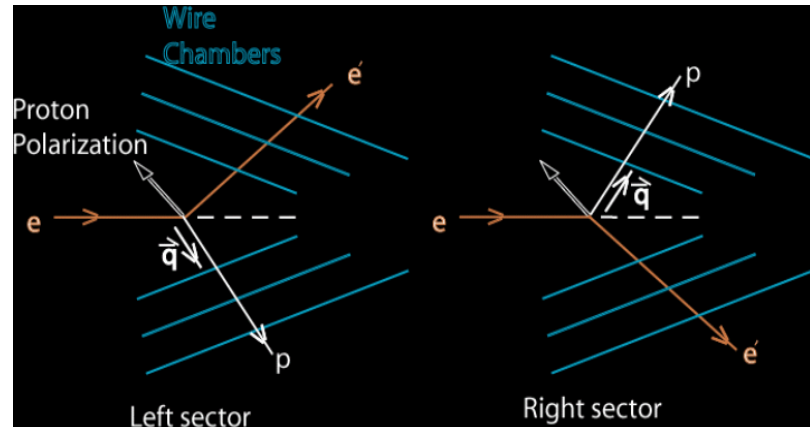
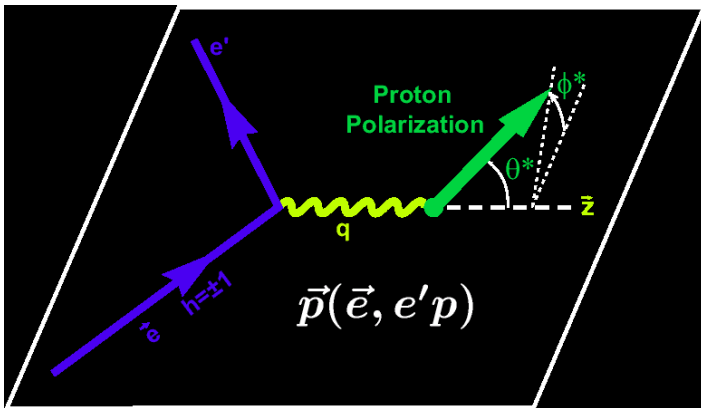
**Focal-plane polarimeter**

# Asymmetry Super-ratio Method

## Polarized electron-polarized proton elastic scattering

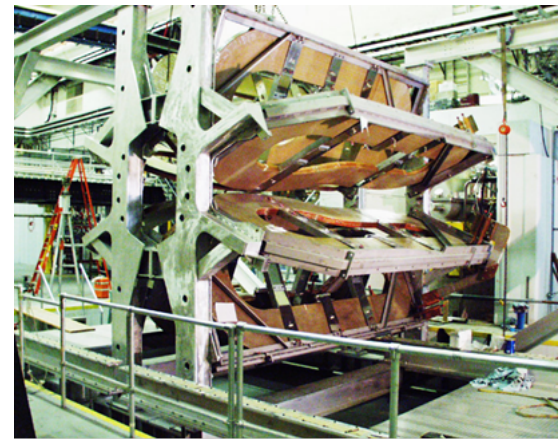
- Polarized beam-target asymmetry

$$A_{exp} = P_b P_t \frac{-2\tau v_{T'} \cos \theta^* G_M^p{}^2 + 2\sqrt{2\tau(1+\tau)} v_{TL'} \sin \theta^* \cos \phi^* G_M^p G_E^p}{(1+\tau) v_L G_E^p{}^2 + 2\tau v_T G_M^p{}^2}$$



- Super-ratio

$$R_A = \frac{A_1}{A_2} = \frac{a_1 - b_1 \cdot G_E^p / G_M^p}{a_2 - b_2 \cdot G_E^p / G_M^p}$$

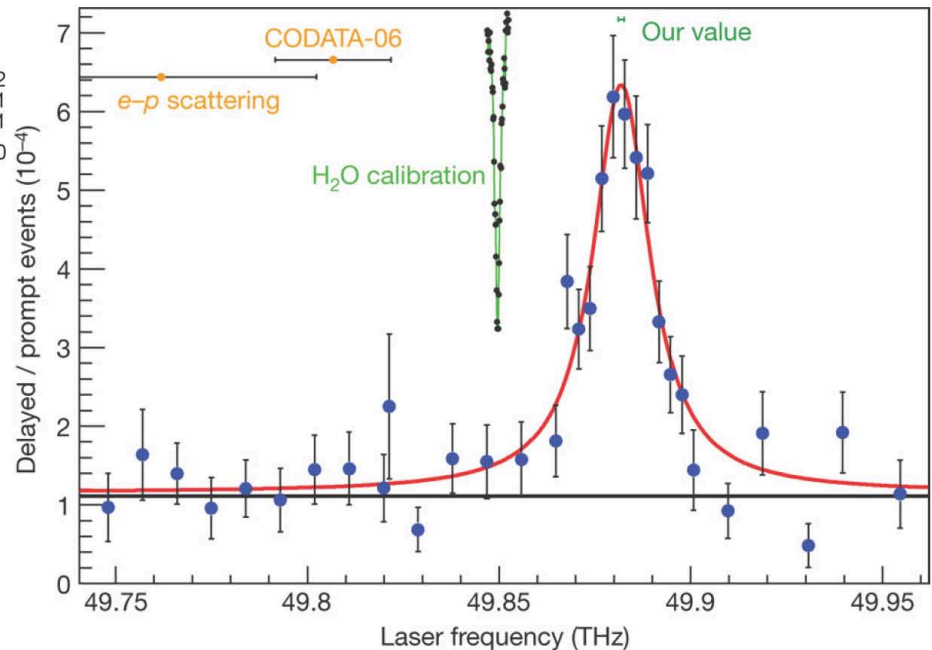
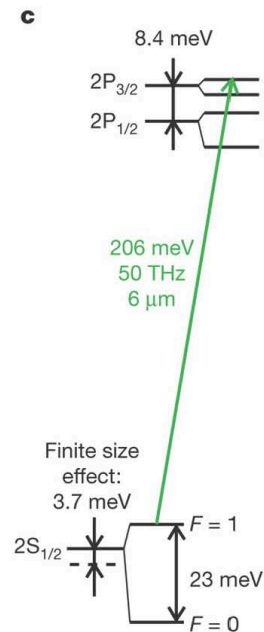
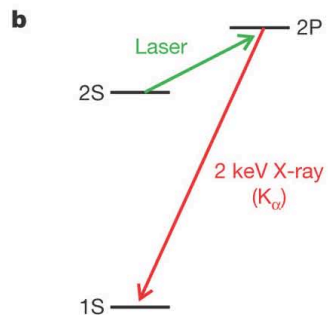
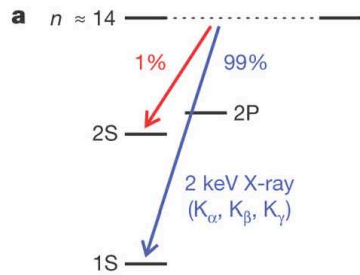
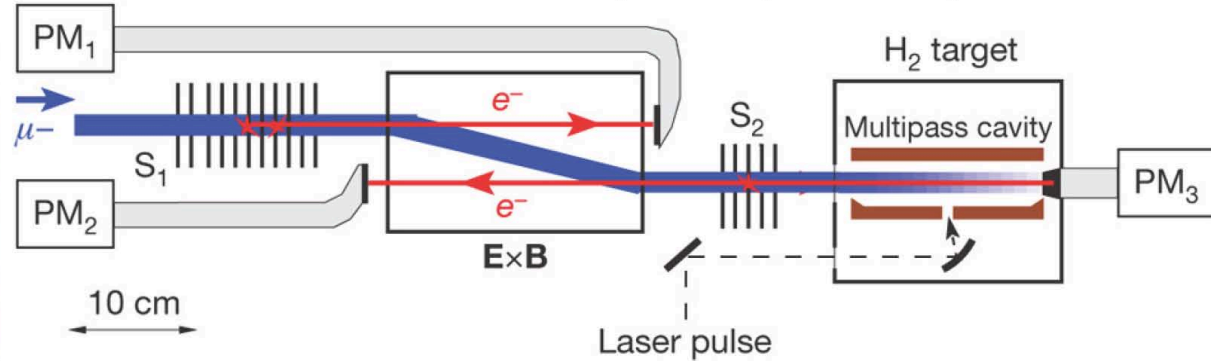


BLAST pioneered the technique, later also used in Jlab Hall A experiment (Gilman's talk)

# Muonic hydrogen Lamb shift experiment at PSI



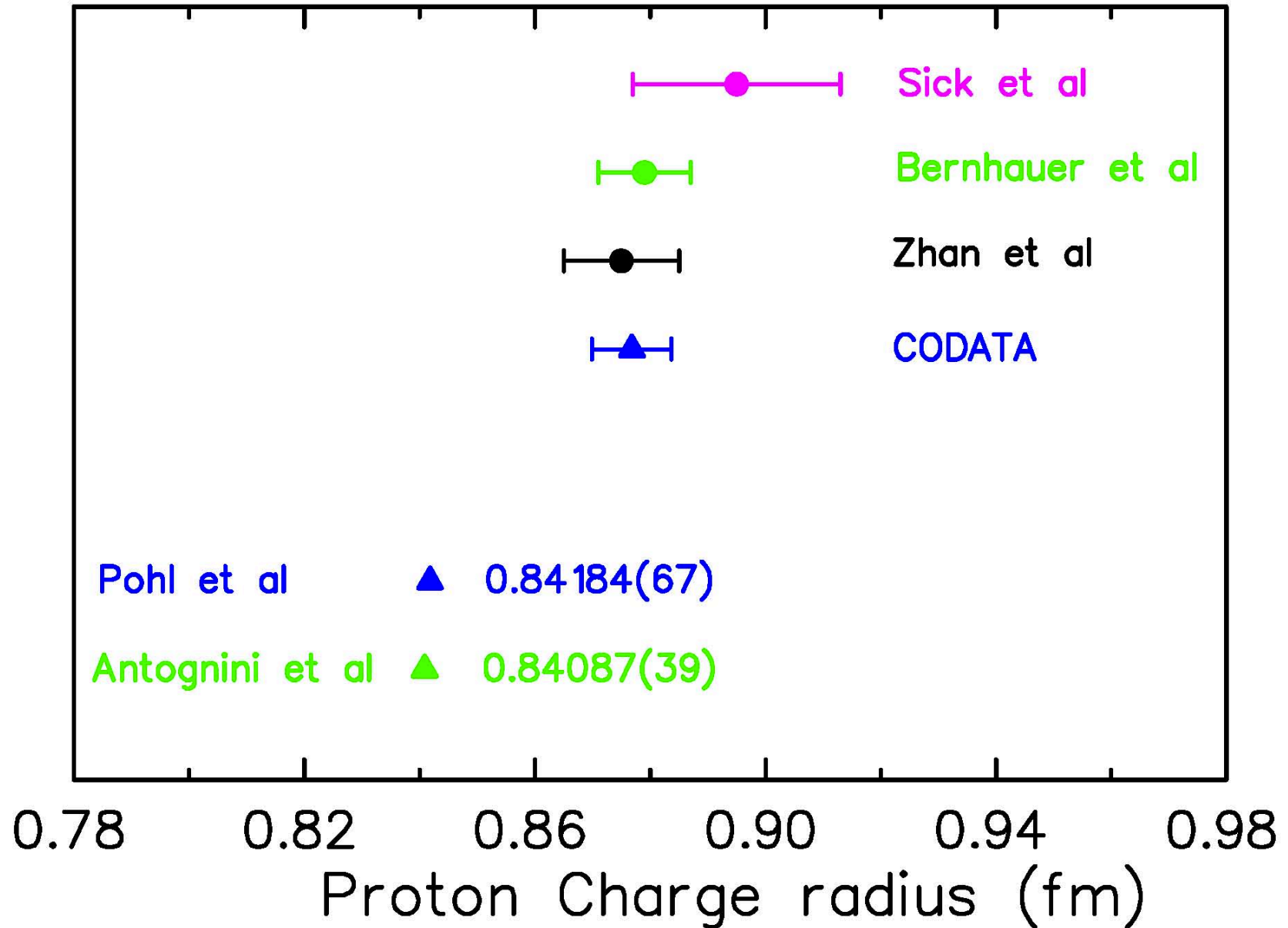
*Nature* 466, 213-216 (8 July 2010)



2010: new value is  $r_p = 0.84184(67)$  fm

# *The proton radius puzzle intensified, more intrigued by muonic helium*

Maybe not (talks by Griffioen, Lorenz)





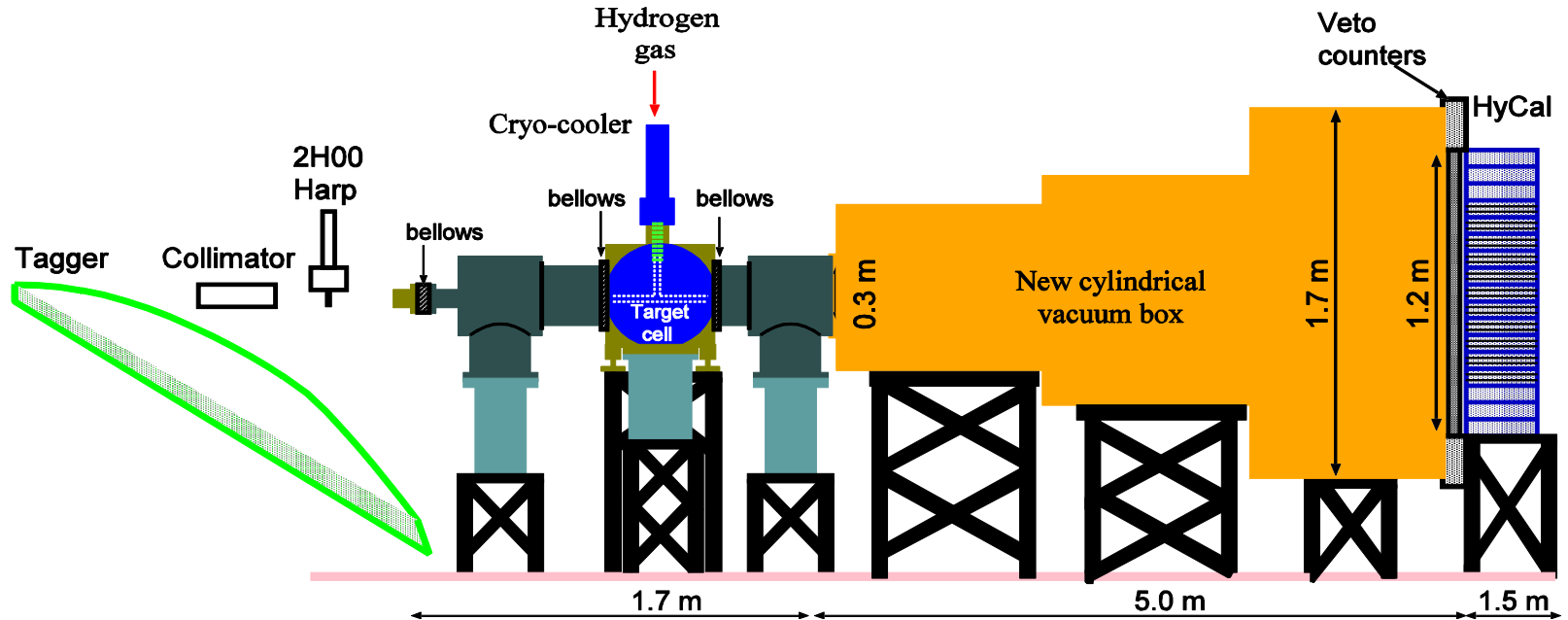
# *How to resolve the proton charge radius puzzle?*

*Focus on experiments here*

- ◆ Redo atomic hydrogen spectroscopy
- ◆ Muonic deuterium and helium (PSI)
- ◆ Muon-proton scattering (MUSE experiment)
- ◆ Electron scattering experiments (Jlab and Mainz)  
(preferably with completely different systematics)

# PRad Experimental Setup in Hall B

PRad Setup (side view)



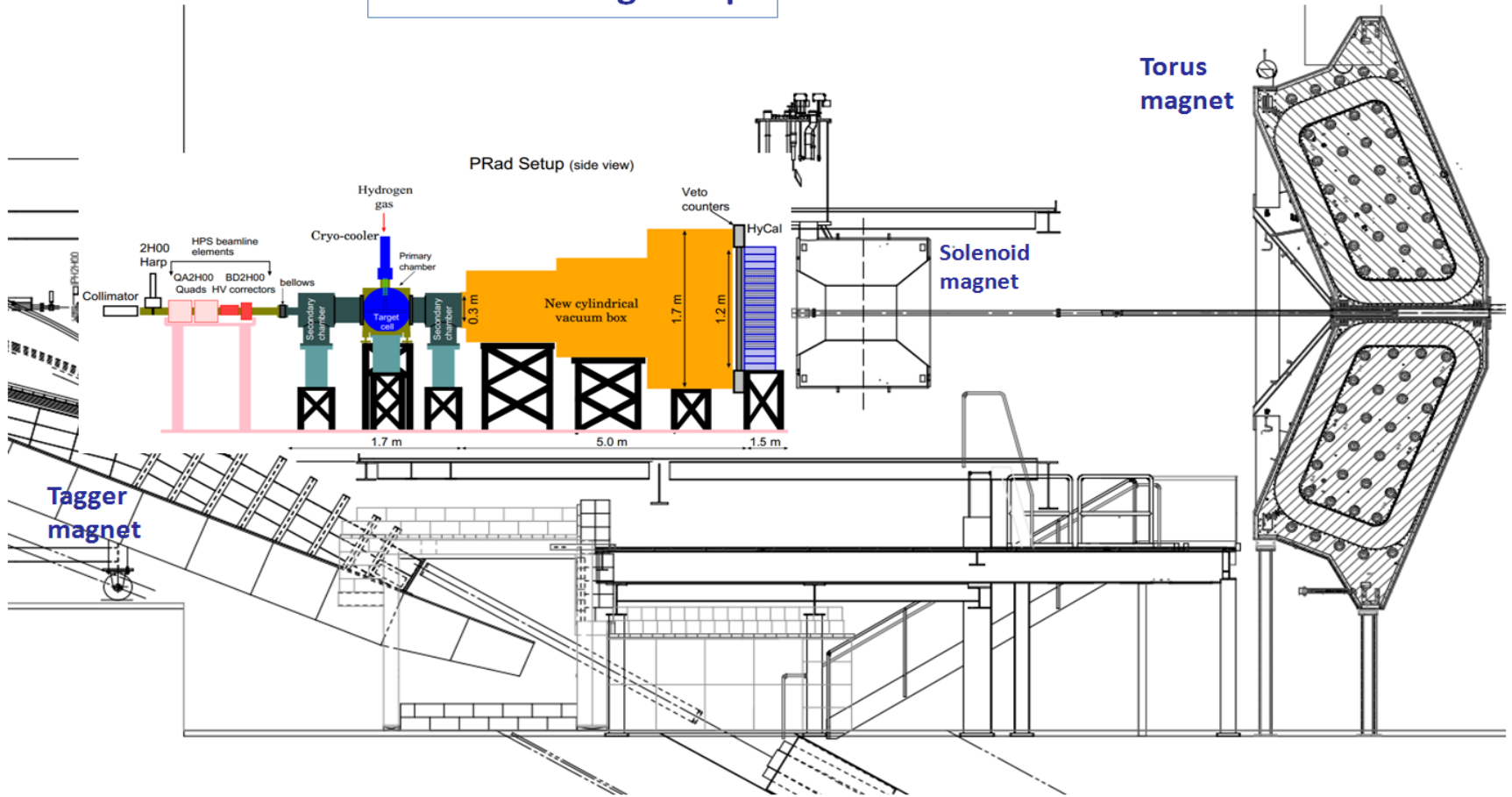
- High resolution, large acceptance, hybrid HyCal calorimeter (**PbWO<sub>4</sub>** and **Pb**)
- Windowless H<sub>2</sub> gas flow target
- Simultaneous detection of elastic and Moller electrons
- Q<sup>2</sup> range of **2x10<sup>-4</sup> – 0.14 GeV<sup>2</sup>**
- XY – veto counters replaced by GEM detector
- Vacuum box

Spokesperson: A. Gasparian,  
Co-spokespersons: D. Dutta, H.  
Gao, M. Khandaker

Approved with  
A rating

# *PRad Layout in Hall B at Jefferson Lab*

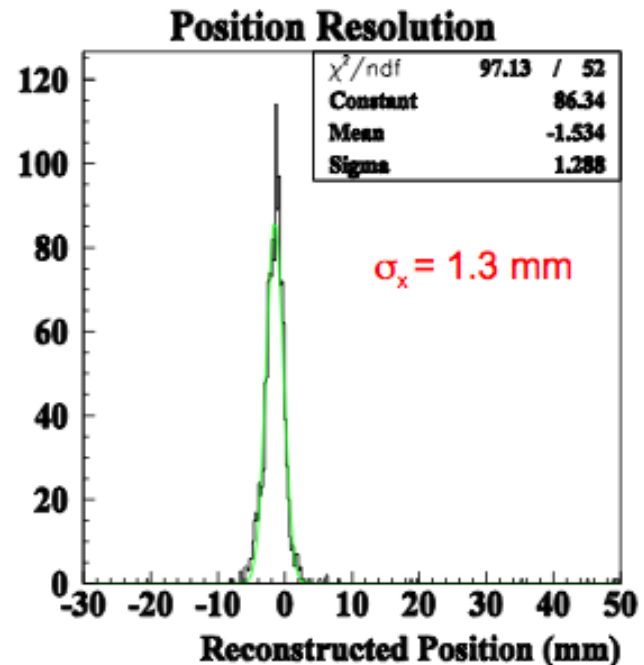
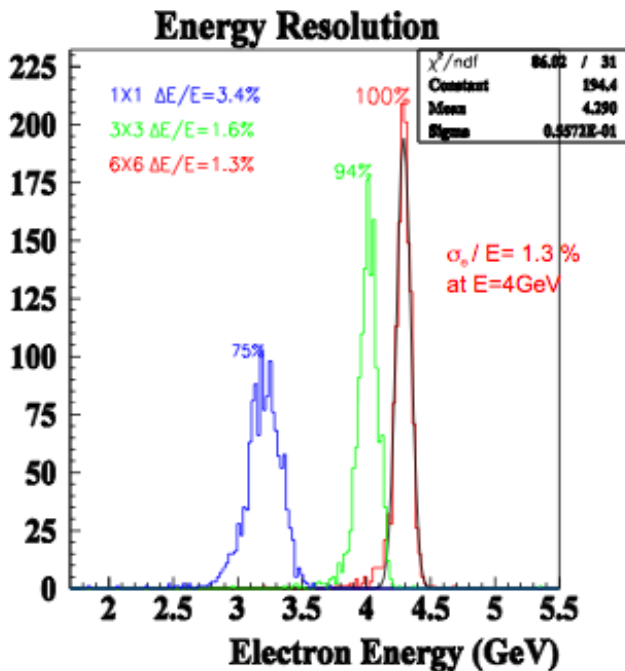
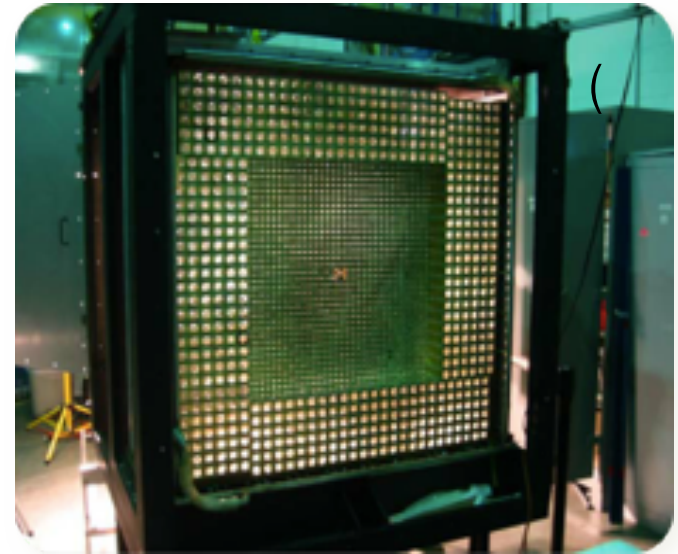
## PRad Running Setup



Distance between the HPS Quads' girder and the center of the Hall is ~10.5 m

# High Resolution Calorimeter

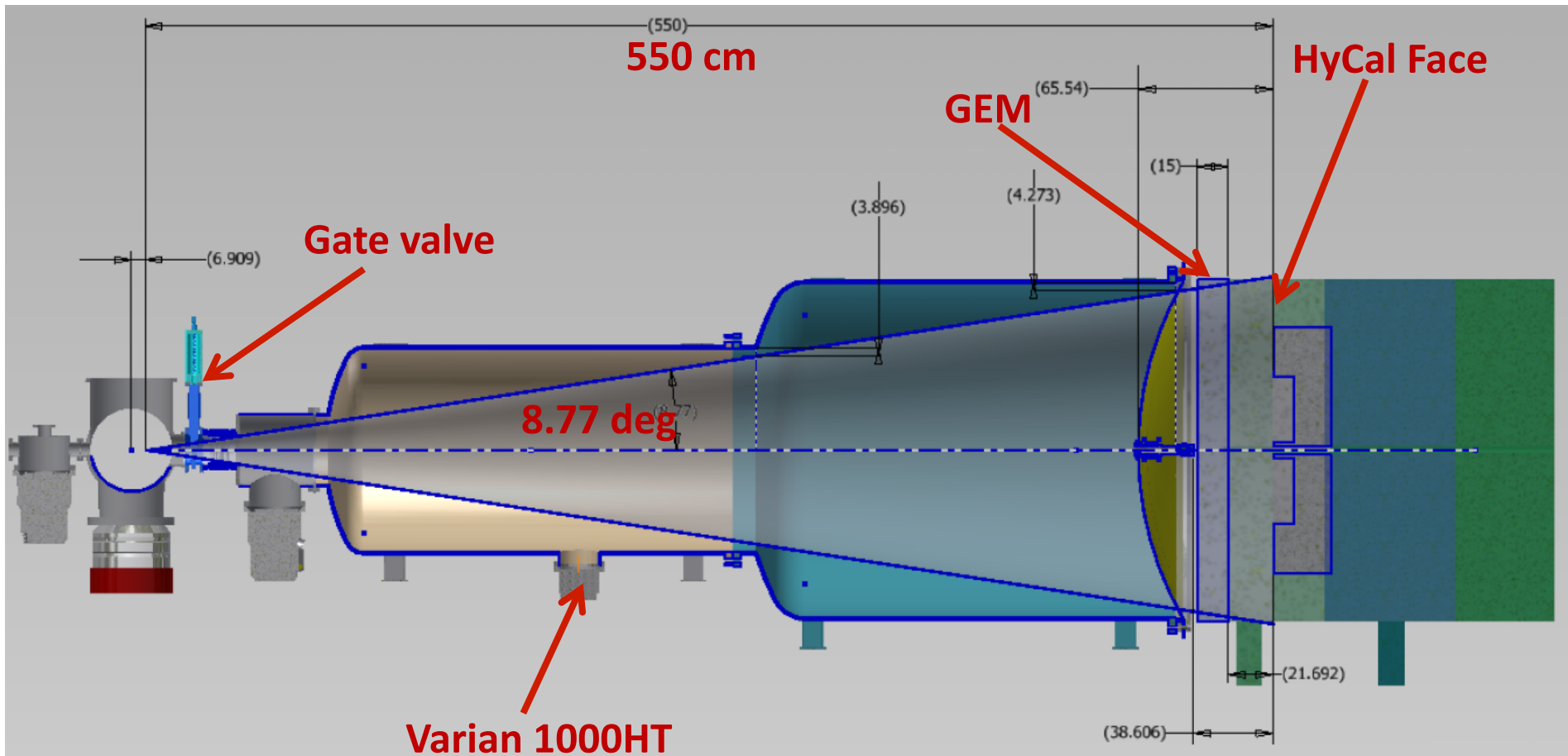
- HyCal is a  $\text{PbWO}_4$  and Pb-glass calorimeter
- $2.05 \times 2.05 \text{ cm}^2 \times 18 \text{ cm}$  (20 rad. Length)
- 1152 modules arranged in  $34 \times 34$  matrix
- $\sim 5 \text{ m}$  from the target,
- $0.5 \text{ sr}$  acceptance



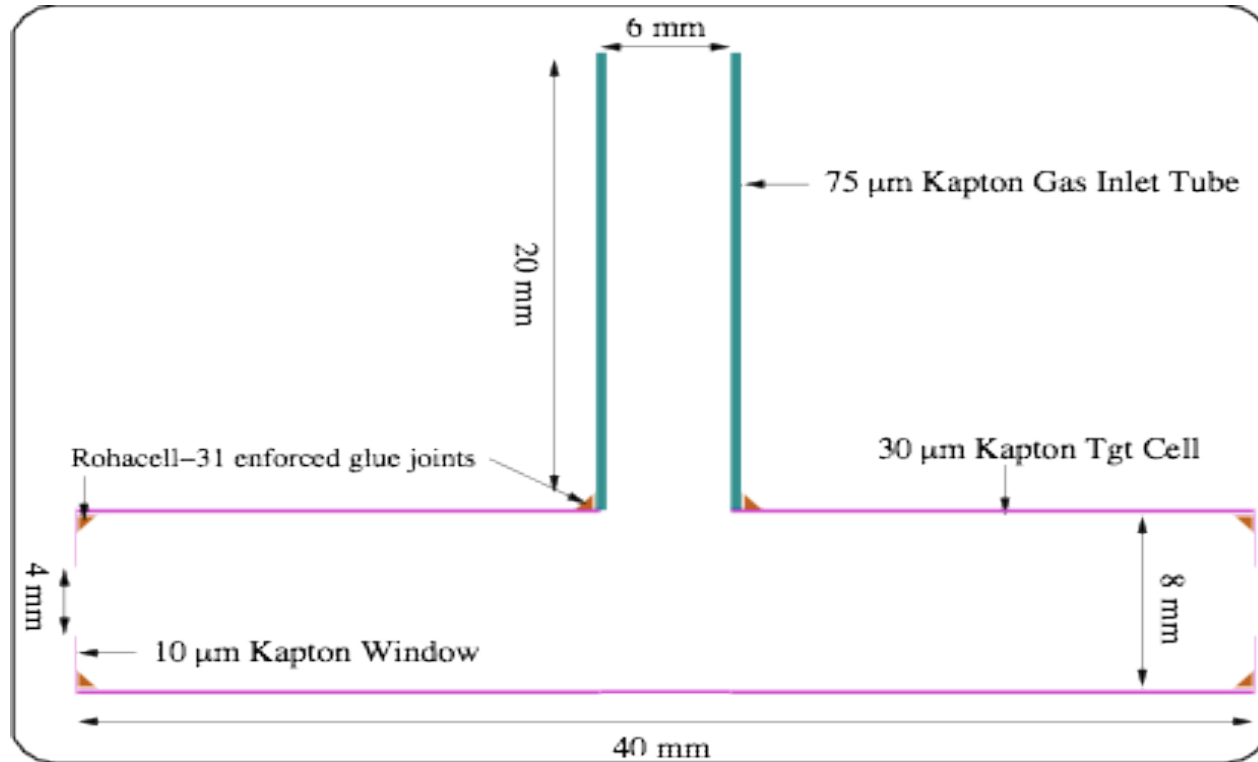
# *Vacuum Box and GEM*

**Two-cylinder design for vacuum box**

**GEM detector to replace veto counter to improve Q2 resolution  
(particularly with using lead blocks)**



# Windowless Gas Flow Target



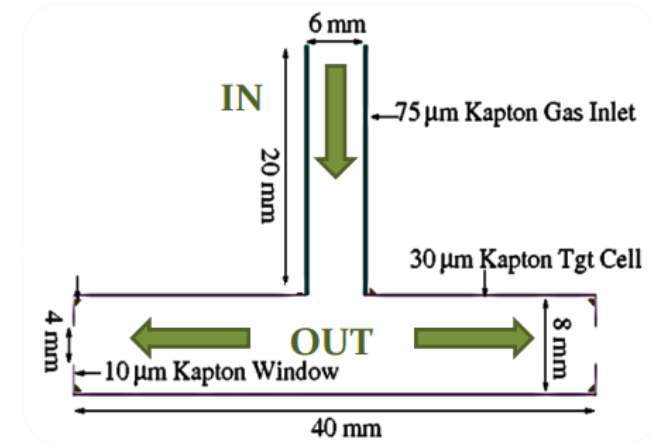
- target windows are a major source of background for typical magnetic spectrometer experiments
- PRad will avoid this background using windowless target

Target thickness  
 $1.0 \times 10^{18}$  atoms/cm<sup>2</sup>  
at 25K

# Windowless $H_2$ Gas Flow Target

## Target cell (original design):

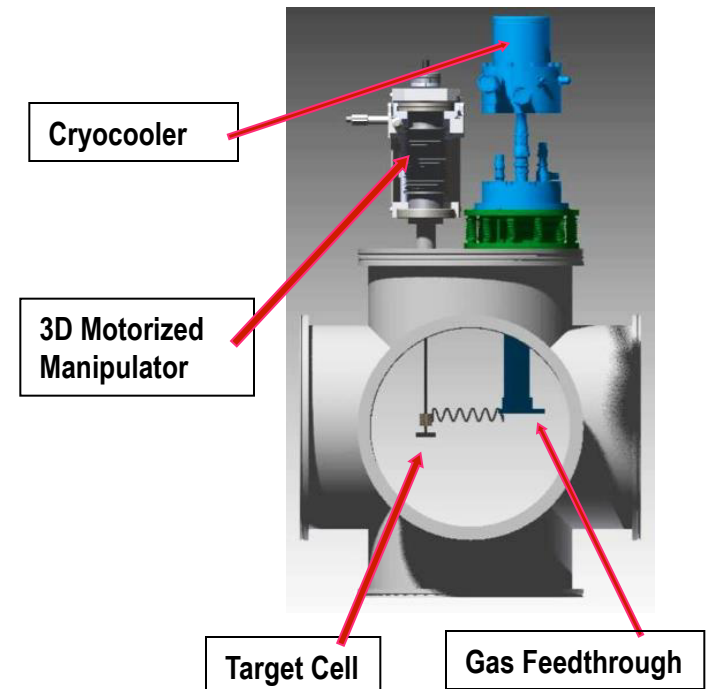
- cell length 4.0 cm
- cell diameter 8.0 mm
- cell material 30  $\mu\text{m}$  Kapton
- input gas temp. 25 K
- target thickness  $1 \times 10^{18}$  H/cm<sup>2</sup>
- average density  $2.5 \times 10^{17}$  H/cm<sup>3</sup>
- gas mass-flow rate 6.3 Torr-l/s  $\approx$  430 sccm



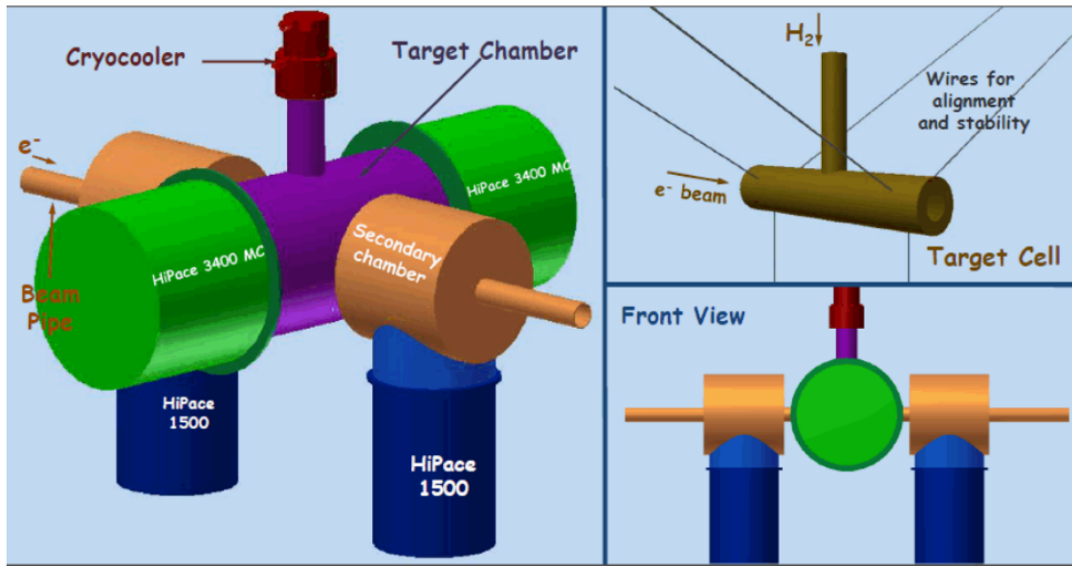
## Target parts:

- pumping system (all parts at Jlab)
- cryocooler (at Jlab)
- motorized Manipulator (at Jlab)
- chillers for pumps and cryocooler (at Jlab)
- Target and secondary chambers (at JLab)

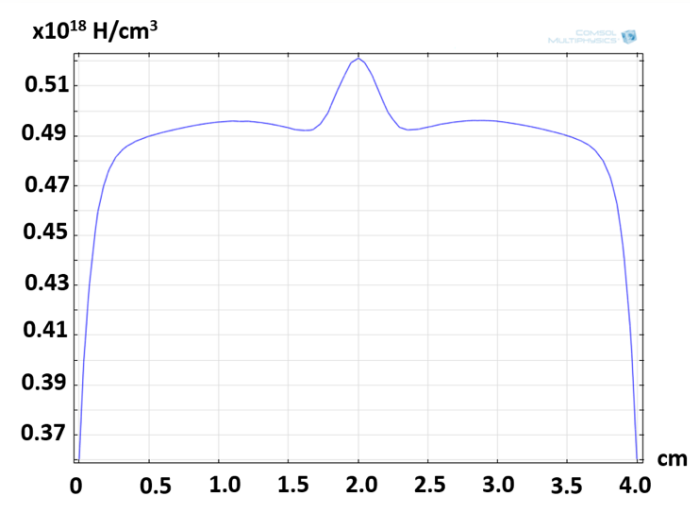
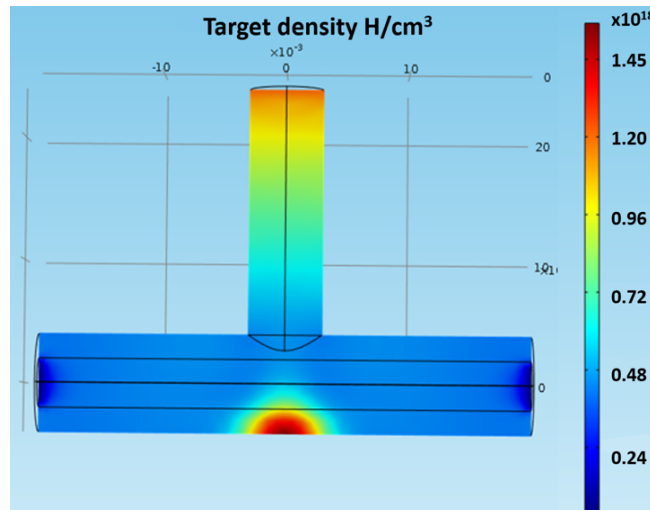
## Kapton cell: work in progress



# Windowless Gas Flow Target



Simulations show that the desired densities can be achieved.

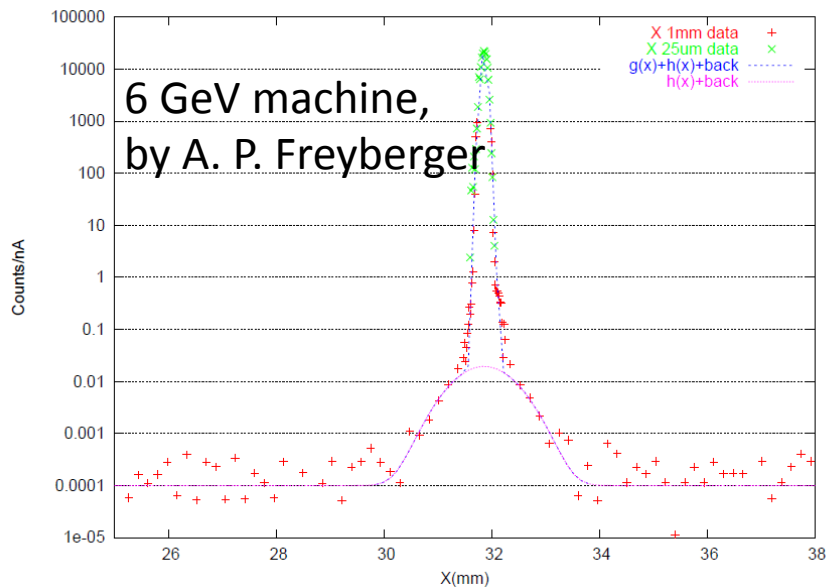


simulations by Y. Zhang

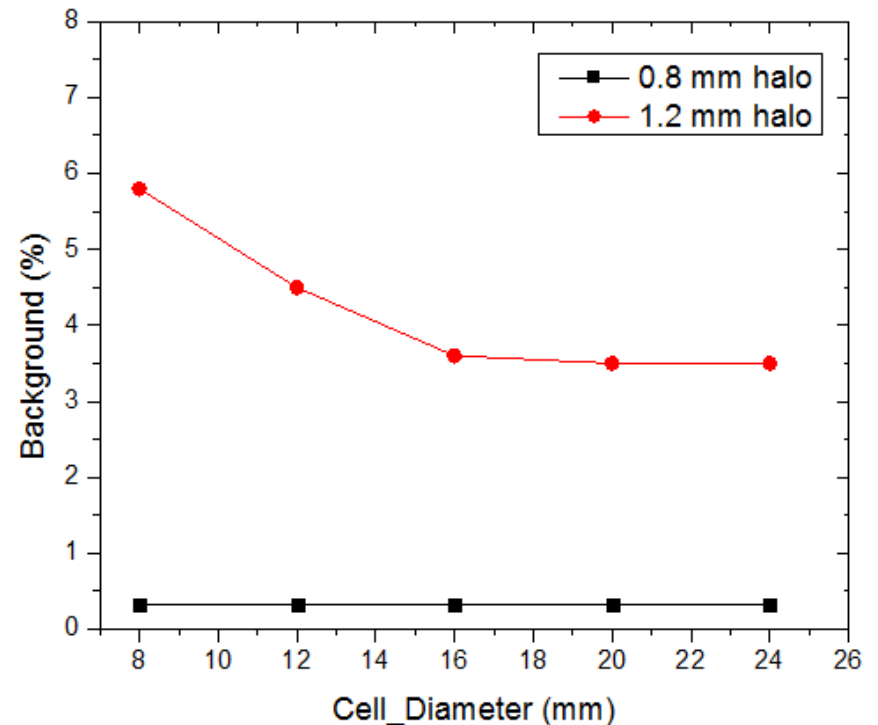


# *Background due to beam halo*

- Beam halo is the main background source, it may hit the cell structure
- This background will be subtracted by empty target run
- The cell design is also changed to reduce the background level



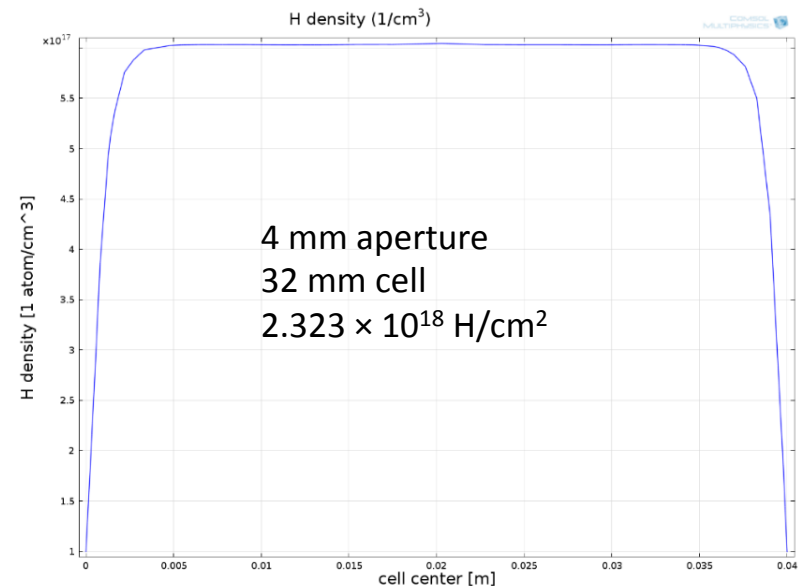
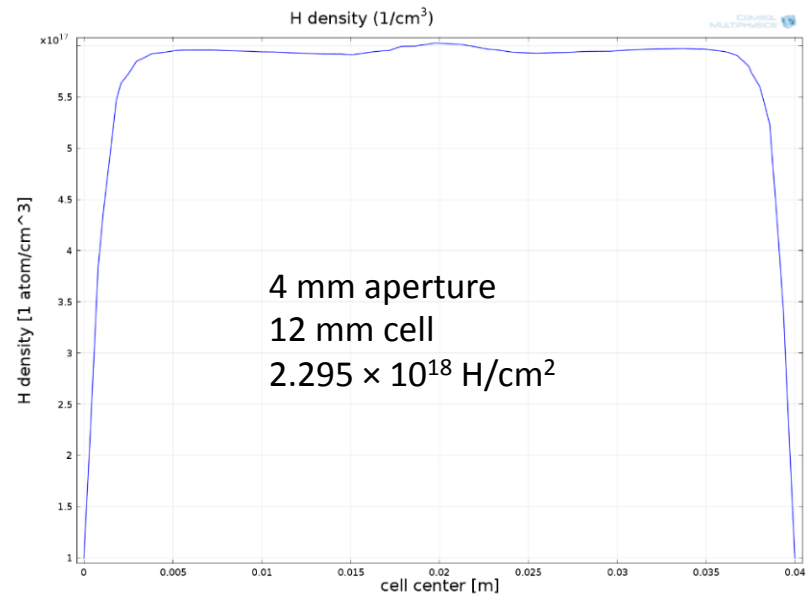
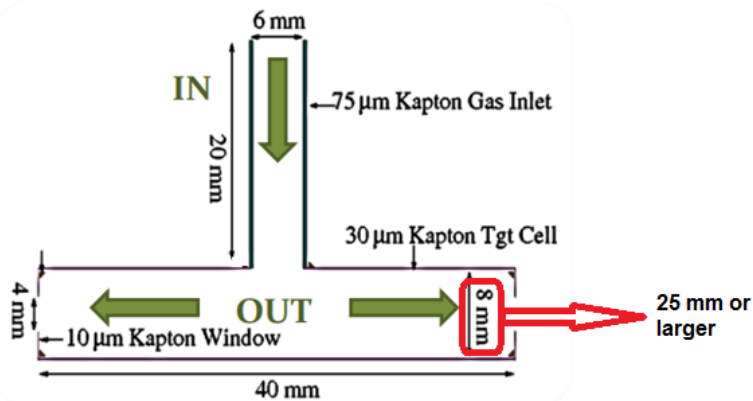
Halo  $\sigma_{x,y} = 0.38 - 0.95$  mm



Target cell aperture diameter 4 mm

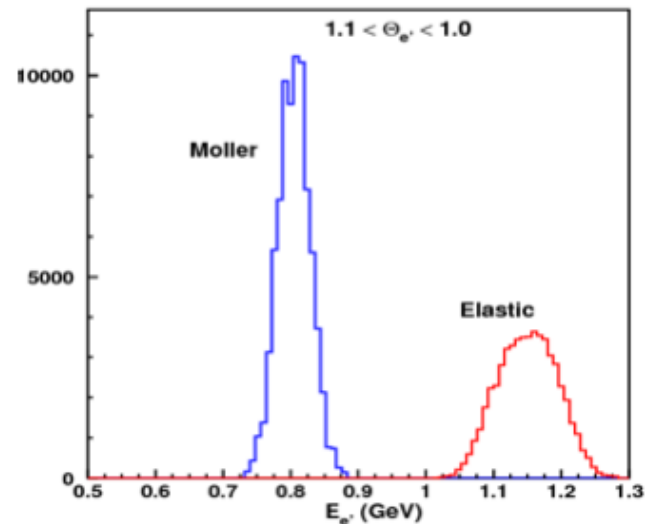
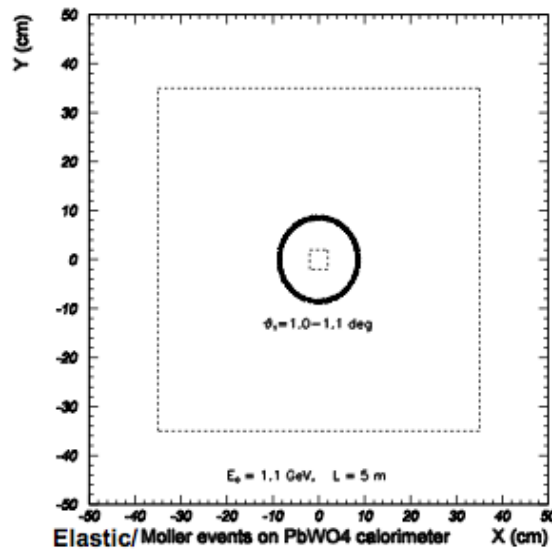
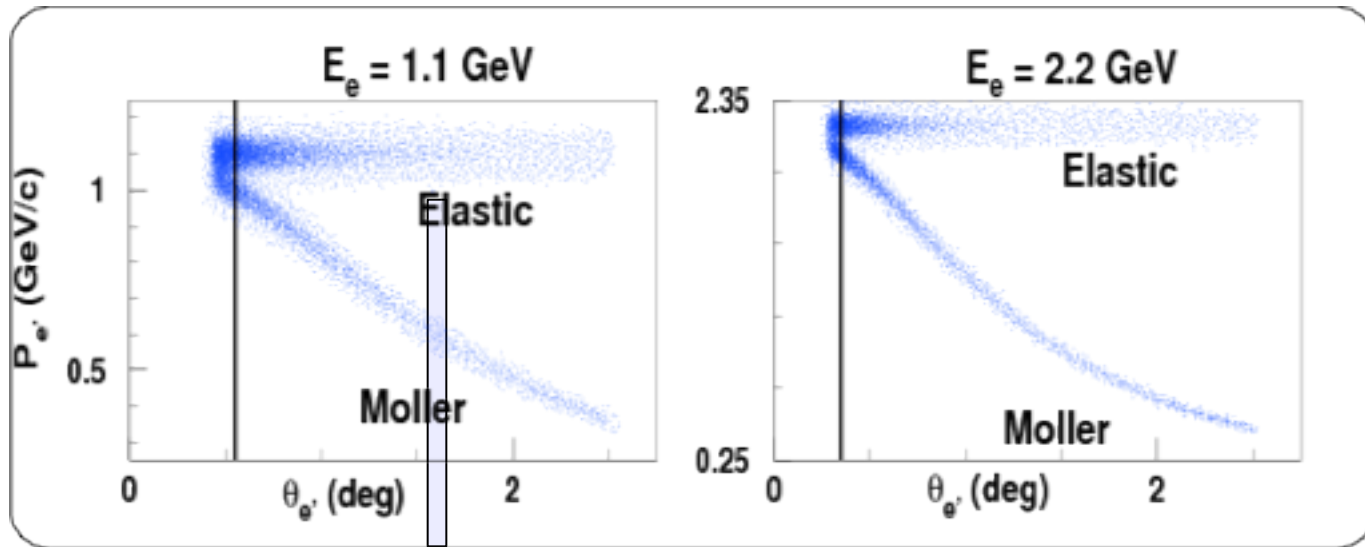
# Background due to beam halo

- The aperture of cell is fixed at 4 mm, and the cell diameter increases
- The new design maintains the target thickness, and reduces the background from halo



# Normalization with Moller Scattering

Simultaneous detection of ep elastic and ee Moller events



# Measurement Principle

## 3 methods to analyze the Möller electrons:

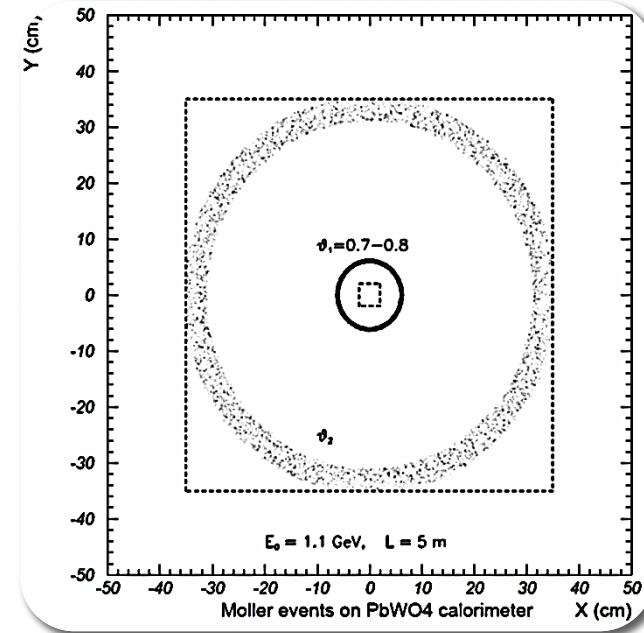
### ❖ Single arm method: one Möller electron detected:

$$\left(\frac{d\sigma}{d\Omega}\right)_{ep}(Q_i^2) = \left[ \frac{N_{\text{exp}}^{\text{yield}}(ep \rightarrow ep \text{ in } \theta_i \pm \Delta\theta)}{N_{\text{exp}}^{\text{yield}}(e^-e^- \rightarrow e^-e^-)} \right] \left(\frac{d\sigma}{d\Omega}\right)_{e^-e^-}$$

Only detection efficiencies and relative acceptance are needed.

### ❖ Double arm method: both Möller electrons are detected

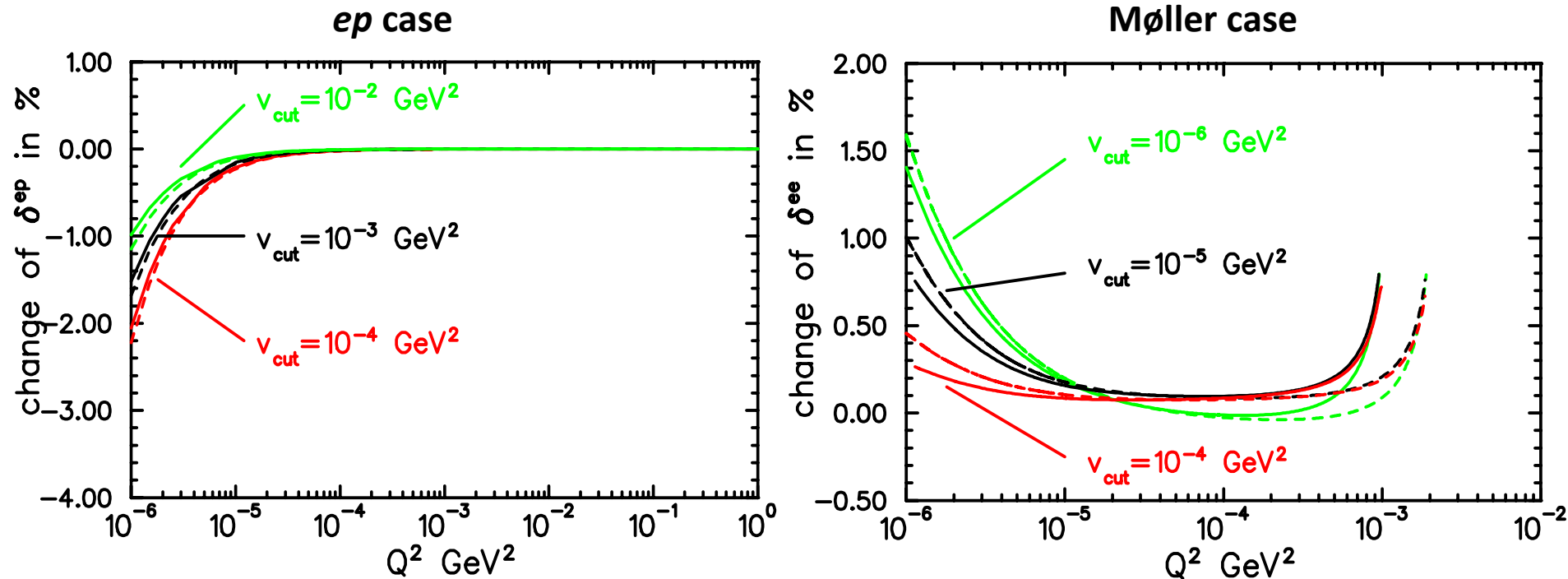
$$\left(\frac{d\sigma}{d\Omega}\right)_{ep}(Q_i^2) = \left[ \frac{N_{\text{exp}}^{\text{yield}}(ep \rightarrow ep \text{ in } \theta_i \pm \Delta\theta)}{N_{\text{exp}}^{\text{yield}}(e^-e^- \rightarrow e^-e^-)} \cdot \frac{\varepsilon_{\text{geom}}^{e^-e^-}}{\varepsilon_{\text{geom}}^{ep}} \cdot \frac{\varepsilon_{\text{det}}^{e^-e^-}}{\varepsilon_{\text{det}}^{ep}} \right] \left(\frac{d\sigma}{d\Omega}\right)_{e^-e^-}$$



### ❖ Integrated Möller cross section method over all the HyCal acceptance

$$\left(\frac{d\sigma}{d\Omega}\right)_{ep}(Q_i^2) = \left[ \frac{N_{\text{exp}}^{\text{yield}}(ep, \theta_i \pm \Delta\theta)}{N_{\text{exp}}^{\text{yield}}(e^-e^-, \text{ on PbWO}_4)} \right] \frac{\varepsilon_{\text{geom}}^{e^-e^-}(\text{all PbWO}_4)}{\varepsilon_{\text{geom}}^{ep}(\theta_i \pm \Delta\theta)} \frac{\varepsilon_{\text{det}}^{e^-e^-}(\text{all PbWO}_4)}{\varepsilon_{\text{det}}^{ep}(\theta_i \pm \Delta\theta)} \cdot \left(\frac{d\sigma}{d\Omega}\right)_{e^-e^-}$$

# Radiative Corrections at low $Q^2$ for the PRad Experiment



## Updated ep radiative corrections code MASCARAD

A. Afanasev et al. *Phys.Rev.D* vol. **64**, p. 113009 (2001).

## Updated Møller radiative corrections code MERA

A. Ilyichev et al. *Phys.Rev.D* vol. **72**, p. 033013 (2005).

Two studies within PRad collaboration:

- (1) Akushevich, Gao, Ilyichev and Meziane
- (2) Gasparian and Gramolin

Solid line: 1.1 GeV

Dashed line: 2.2 GeV

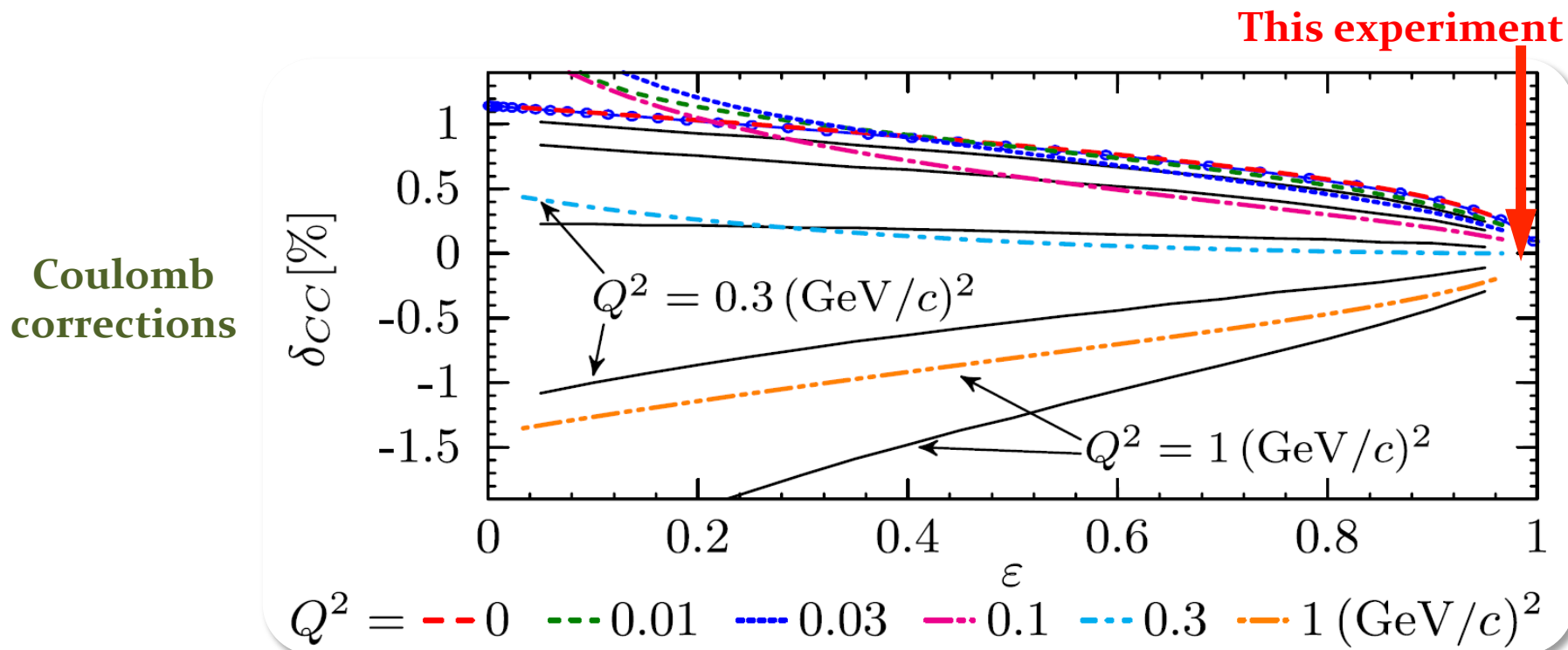
Inelasticity cut:  $0.05 \text{ GeV}^2$

For ep and  $10^{-5} \text{ GeV}^2$  for Moller

# Coulomb corrections

Both latest Arrington (solid lines) and Bernauer et al. (color lines) give Coulomb corrections significantly less than 0.1% to the unpolarized cross section for  $\varepsilon \rightarrow 1$

Largest  $\varepsilon$  of this experiment: 0.998



Bernauer et al. *Phys. Rev. Lett.* 105, 242001 (2010)

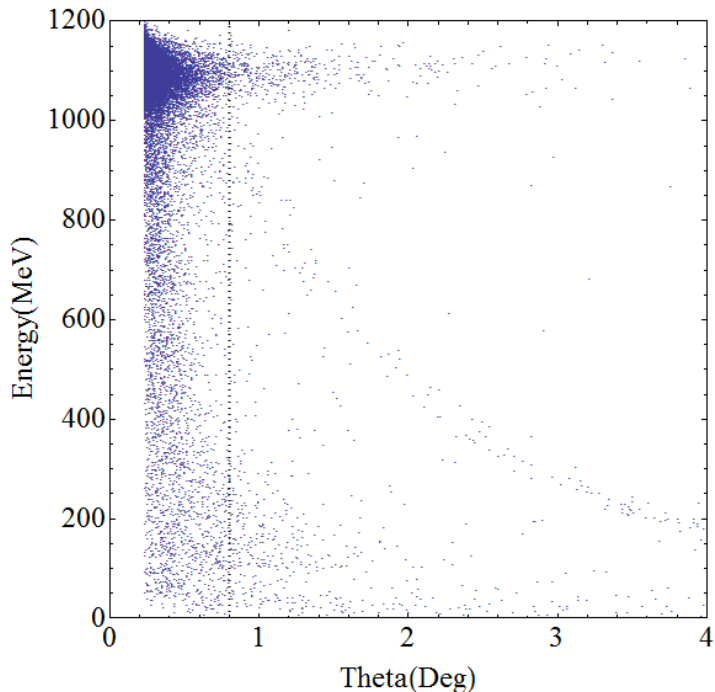
Arrington: *Phys. Rev. Lett.* 107, 119101 (2011)

# *Full Simulation of the Experiment*

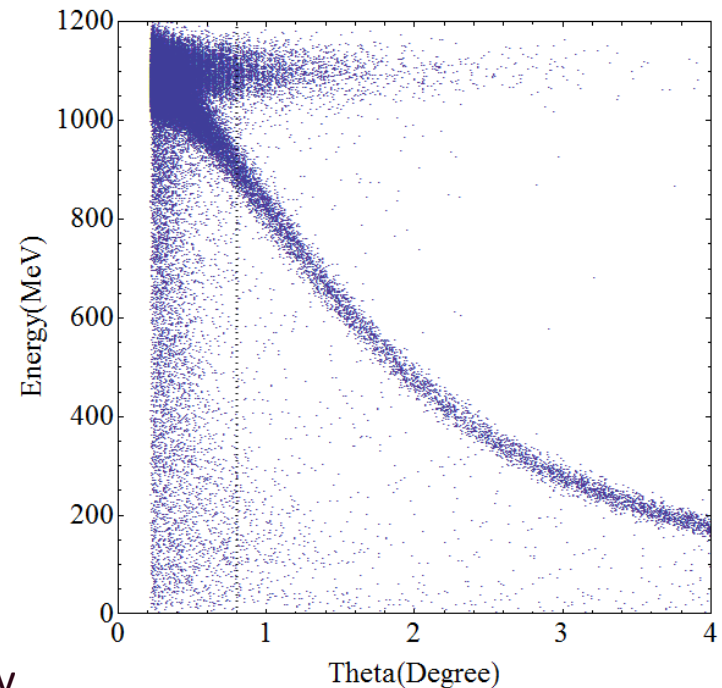
**A Geant4 based simulation of the entire experiment has been developed**

*A detailed study of backgrounds and background subtraction has been performed using this simulation  
(need 20% beam time for empty target runs)*

*Empty target*



*Full target*



# *Full Simulation of the Experiment*

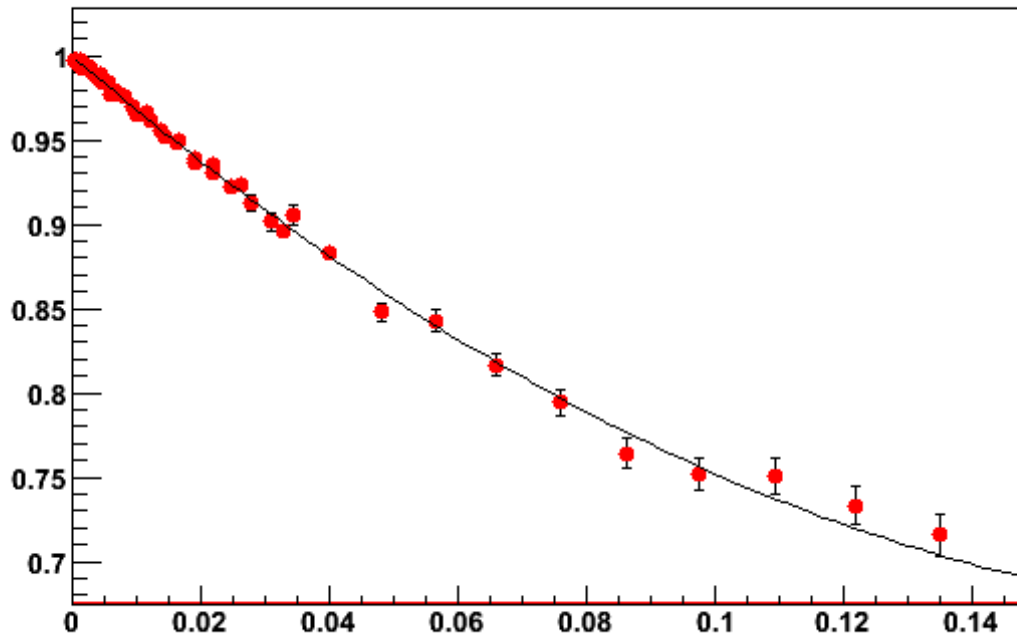
A Geant4 based simulation of the entire experiment has been developed

$Q^2$  range using full HyCal, and adding GEM position detector, statistical and sys. uncertainties included

$r_p = 0.8768$  fm (input)

$r_p = 0.8758(58)$  fm (extracted)

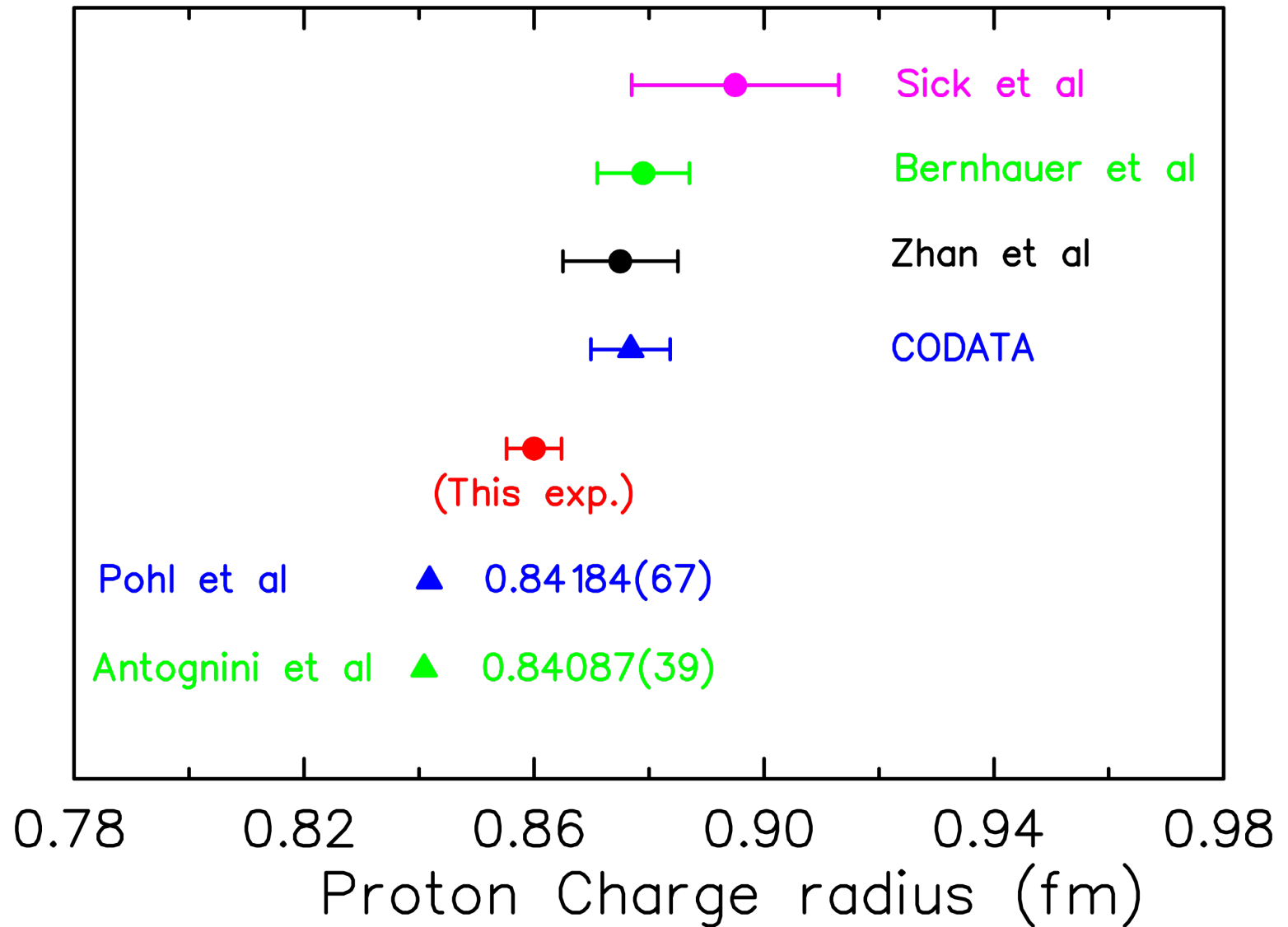
Radius Extraction



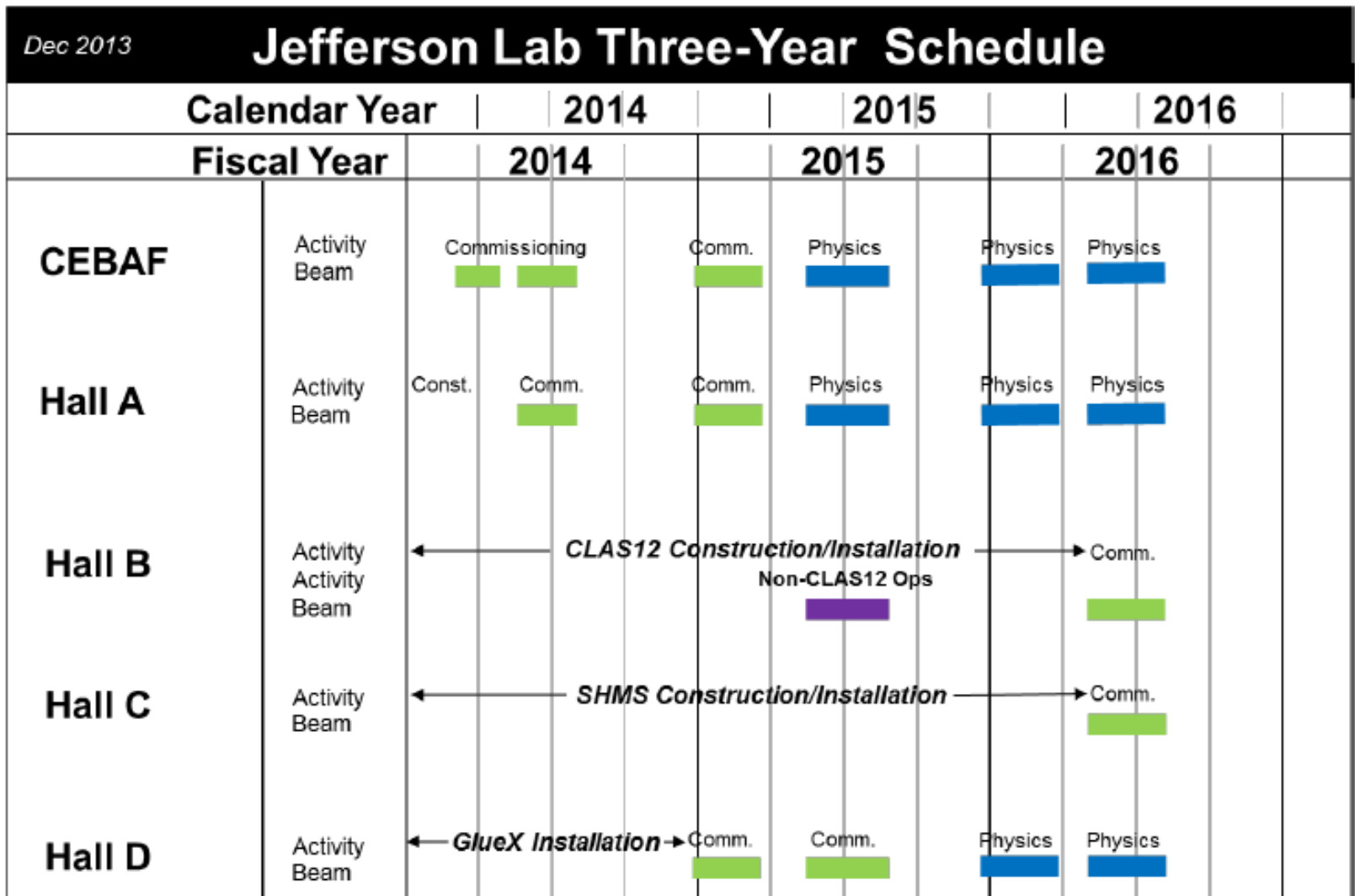
Simulations by  
C. Peng



# *Projected Result*



# JLab Three-Year Run Plan



# *PRad Collaboration Institutional List*

## ■ *Currently 16 collaborating universities and institutions*

**Jefferson Laboratory**

**NC A&T State University**

**Duke University**

**Idaho State University**

**Mississippi State University**

**Norfolk State University**

**Argonne National Laboratory**

**University of North Carolina at Wilmington**

**University of Kentucky**

**Hampton University**

**College of William & Mary**

**University of Virginia**

**Tsinghua University, China**

**Old Dominion University**

**ITEP, Moscow, Russia**

**Budker Institute of Nuclear Physics , Novosibirsk, Russia**

## ■ *Welcome new collaborators and institutional groups*

# *Summary and outlook*

- Proton charge radius: fundamental quantity important to atomic, nuclear, and particle physics
- Proton charge radius puzzle triggered by muonic hydrogen atom Lamb shift measurements motivated extensive theoretical and experimental activities
- New precision measurement from electron scattering is **a MUST**
- **PRad: new experiment on e-p elastic scattering will use novel experimental techniques**
- New experiments at Mainz and PSI
- Stay tuned for more news about proton charge radius

**Acknowledgement: the PRad Collaboration**

**Supported in part by U.S. Department of Energy under contract number DE-FG02-03ER41231, NSF MRI PHY-1229153**