Baryonic $b \rightarrow c$ transitions

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Challenges in semileptonic B decays

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What am I talking about

- Traditional $B \rightarrow D^{(*)}$ decays well studied at B-factories.
- LHCb has unique capability with baryonic decays.



 Today I will talk about LHCb analysis on ground state[1], and pheno analysis on A^{*} state [2]

[1] <u>Phys. Rev. D 96, 112005 (2017)</u>
[2] <u>Böer</u>, Bordone, Graverini, Owen, Rotondo, van Dyk



$\Lambda^0_b \to \Lambda^+_c$ form factors

- First step: measurement $\Lambda_b^0 \to \Lambda_c^+$ differential slope.
- Check the precise lattice results.
- Showcase the potential for LHCb form factor measurements.
- In the heavy quark limit, form factors reduced to a single Isgur-Wise function. [Falk, Neuburt, '92]
- Perform a Taylor expansion and fit first two terms:

$$\xi_B(w) = 1 - \rho^2(w - 1) + \frac{1}{2}\sigma^2(w - 1)^2 + \dots,$$

Curvature

Slope



Lots of signal



Neutrino reconsi.

- Significant flight of the b-hadron allows to balance mome transverse to the flight direction [5].
- Parent mass gives another (quadratic) constraint, can solve with two-fold ambiguity.





From Marcello's talk at CKM

• For $b \rightarrow c$ decays it seems that the solution corresponding to the lowest neutrino momentum is more often correct than not.

Unfolding

• Distribution unfolded using the SVD technique [6] with regularisation = 4.



- Different regularisation parameters checked for systematic.
- Efficiency generally low at the edges of the phase-space, due to low momentum muon (trigger) or hadron (reconstruction/selection).

[6] Hoecker, Kartelishvili, Nucl.Instrum.Meth.A372:469-481,1996 7

Results

• Fit slope (ρ) and curvature (σ) of the Isgur-Wise function.



• Not possible to disentangle the two parameters with only the recoil information.

Comparison with LQCD

• Also would like to compare with lattice predictions.



- Two fits performed:
 - Repeat of IW fit in q² bins
 - Fit single form factor parametrised with z-expansion.

- Fits look good, so data/LQCD/HQET agree.
 - Higher order corrections in HQET don't have large effect on shape.
- Next step would be to add angular information.

The excited state

• In the background studies for the ground state, see many $\Lambda_b^0 \to \Lambda_c^{*+} \mu \nu$ decays



Ac* differential decay rate

• Consider only the Λ_b^0 decay for now.

$$\frac{1}{\Gamma_0} \frac{\mathrm{d}^2 \Gamma^J}{\mathrm{d} q^2 \,\mathrm{d} \cos \theta_\ell} = \left(a_\ell^{(J)} + b_\ell^{(J)} \cos \theta_\ell + c_\ell^{(J)} \cos^2 \theta_\ell \right)$$

- Strategy:
 - Decompose the decay rate and parameterise the resulting form factors.
 - Generate/fit toy datasets to assess experimental sensitivity.
 - Compute SM uncertainty on LU ratio R_{∧c*}

Form factor decomposition

• Following the work from [7], decompose the $\Lambda_b^0 \to \Lambda_c^*$ decay rate in helicity basis.

$$\langle \Lambda_c(2595) | \, \bar{c}\gamma_\mu b \, | \Lambda_b \rangle = \sum_i f_i(q^2) \bar{u}^\alpha_{c,1/2}(k) \Gamma^{(i)}_{\mu\alpha}(p,k) u_b(p)$$
$$\langle \Lambda_c(2625) | \, \bar{c}\gamma_\mu b \, | \Lambda_b \rangle = \sum_i F_i(q^2) \bar{u}^\alpha_{c,3/2}(k) \Gamma^{(i)}_{\mu\alpha}(p,k) u_b(p)$$

- End up with 6 and 8 form factors for the 1/2 and 3/2 states.
- Up to 1/m corrections can reduce down to two IW functions using equations of motion.
 - Same functions describe both states.

IW parameterisation

 Inspired by work on the ground-state [8], we parameterise IW function with an exponential function.

$$\begin{split} \zeta(q^2) \bigg|_{\text{exp}} &\equiv \zeta(q_{\text{max}}^2) \exp\left[\rho\left(\frac{q^2}{q_{\text{max}}^2} - 1\right)\right] \,, \\ \zeta_{\text{SL}}(q^2) \bigg|_{\text{exp}} &\equiv \zeta(q_{\text{max}}^2) \delta_{\text{SL}} \exp\left[\frac{\rho_{\text{SL}}}{\delta_{\text{SL}}} \left(\frac{q^2}{q_{\text{max}}^2} - 1\right)\right] \,. \end{split}$$

- As it is not expected to make an absolute measurement, we ignore the overall normalisation $\zeta(q^2_{max})$ (and it cancels in the LU ratio).
- The slopes ρ and also a relative normalisation for (sub-)leading functions.



• Generate toys with LHCb yields and resolution, plot central values of ensemble.



• Benchmark point obtained from ZSCRs

• Using both states and angular information key gets best sensitivity.

<u>Böer</u> et al, arXiv:1801.08367

Sensitivity to R_{\\c}*



Higher order corrections

- What about 1/m² corrections?
- Conservative (?) estimate from [9] suggests 30% correction.
 - Leading to 7/8% on $R_{\Lambda c^*}$ ratios.
- Lattice input would be very useful indeed.
- Perhaps one could also get an idea by comparing the lattice/ HQET for the ground-state.

Summary

- The programme is moving with baryonic SL decays at LHCb.
- Still plenty of things to do, but hope to get similar SM uncertainty on LU ratios to mesonic versions.
- We are also working on the related LU ratios, but those are longer term.
- As always LQCD is an essential component in this.
 - Very much looking forward to any results on this.