Precision physics at the LHC



56. International Meeting on Nuclear Physics, January 2018, Bormio

Giulia Zanderighi, Precision at the LHC

- In the 19th century, Jupiter, Saturn and Uranus were the biggest planets known, using Kepler's law one could predict their orbit
- To a big surprise, the orbit of Jupiter and Saturn agreed well with predictions, but not the one of Uranus!



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- Also precision measurements of the orbit of Mercury gave the first evidence for General Relativity much before any gravitational wave was seen

LEP and the top quark

Similarly, precision calculations of e⁺e⁻ collisions, together with the most precise measurements at LEP at CERN allowed us to know about the existence of the top quark, and even to estimate the value of its mass before it was directly discovered at the Tevatron



- Mass of the top quark from *indirect* determinations at LEPI and SLC in 1993: $m_{top} = (177 \pm 10) \text{ GeV}$
- First *direct* production at the Tevatron in 1994: $m_{top} = (174 \pm 16) \text{ GeV}$

LHC as a precision machine

- Traditionally
 - e⁺e⁻ colliders: precision machines because of clean environment
 - proton-proton colliders: discovery machines since higher energies are more easily achieved
- First change of perspective with the Tevatron and revolution with the LHC: hadron collider as a precision machine



Role of precision theory

- Thanks to accelerator, experiments and computers, precision measurements are already a reality
- This is a game changer which doubles the value of the LHC and HL-LHC
 - ▶ when new particles are found directly ⇒ precision measurements of properties, which are needed to understand the new underlying theory (this is happening now for the Higgs boson)
 - but also precision tests bring in new possibilities, complementary to direct searches for new physics (like for Uranus)
- in this endeavour, precise theory predictions crucial to enhance sensitivity

Number of events computed as successive approximations with additional terms that become smaller and smaller. More terms in the approximation \Rightarrow improved accuracy

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Example: number of Higgs bosons at production in millions (end 2016)



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Successive approximations versus LHC data

Without NNLO & N3LO results:

- →we could not perform any precision test of the Higgs boson
- → we would think that we have discovered New Physics!



Successive approximations versus LHC data

Why do we need millions of H

Discovery & mass measurement $m_H = 125 \text{ GeV}$ 2400 Events / GeV 2200 Selected diphoton sample Higgs BR + Total Uncert bb HIGGS XS WG 201 WW Data 2011 and 2012 2000 Sig + Bkg inclusive fit (m, = 126.5 GeV) 1800 4th order polynomial 1600 vs = 7 TeV, Ldt = 4.8 fb 1400 10⁻¹ $\sqrt{s} = 8 \text{ TeV}, \text{ Ldt} = 5.9 \text{ fb}^{-1}$ 1200 ZZ 1000 800 600 I decays to two photons 10⁻² only one time in ~500 200E Data - Bkg 100 10⁻³ 180 200 M_H [GeV] 140 160 100 120 110 120 130 140 150 160 100 m_{γγ} [GeV]

Higgs lies in a fantastic spot where to study the Higgs coupling. Incredibly rich phenomenology.

Taming backgrounds

Example:



Need precision not just for Higgs signals, but also for all SM backgrounds, in particular events involving many jets

(1984)

background to the detection of W^+W^- pairs in their nonleptonic decays. The cross sections for the elementary two \rightarrow four processes have not been calculated, and their complexity is such that they may not be evaluated in the foreseeable future. It is worthwhile to seek estimates of the four-jet cross sections, even if these are only reliable in restricted regions of phase space.

Supercollider physics

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Eichten et al. summarize the motivation for exploring the 1-TeV (=1012 eV) energy scale in elementary particle interactions and explore the capabilities of proton-(anti)proton colliders with beam energies between 1 and 50 TeV. The authors calculate the production rates and characteristics for a number of conventional processes, and discuss their intrinsic physics interest as well as their role as backgrounds to more exotic phenomena. The authors review the theoretical motivation and expected signatures for several new phenomena which may occur on the 1-TeV scale. Their results provide a reference point for the choice of machine parameters and for experiment design.

Eichten et al.: Supercollider physics

TeV. From Fig. 78 we find the corresponding two-jet cross section (at $p_1 = 0.5 \text{ TeV}/c$) to be about 7×10^{-2} nb/GeV, which is larger by an order of magnitude. Let us next consider the cross section in the neighborhood of neak in Fig. 102. The integrated cross section in the big the p <0.4 is approximately 0.1 nb/GeV, with transverse energy proceeding by $(E_T)_{\approx 0}$ $\times (\cos\theta) = 350$ GeV. The correspondence two-jection, again from Fig. 78, is approximately to the section, again from Fig. 78, is approximately to the section. eachly by $(E_T) \approx (1 \text{ TeV})$ e two-jet cross which is larger by 2 orders of magnitude. In fact, we have certainly underestimated (E_T) and thus somewhat overestimated the two-jet/three-jet ratio in this second

We draw two conclusions from this very casual analysis:

At least at small-to-mod values of E_T, two-jet er for most of the cross section. events should enne-jet cross section is large enough that a de tailed study of this topology should be possible.

 $\sigma_4(E_T) = \int_{z}^{E_T-z} dE_{T1} \int_{z}^{E_T-z} dE_{T2} \frac{\sigma_2(E_{T1})\sigma_2(E_{T2})\delta(E_{T1}+E_{T2}-E_T)}{\sigma_{\rm rand}}$

where $\sigma_2(E_{T1})$ is the two-jet cross section and ε denotes IV. ELECTROWEAK PHENOMENA the minimum E_T required for a discernable two-jet event. For a recent study of double parton scattering at SJpS and Tevatron energies, see Paver and Treleani (1983). In view of the promise that multijet spectroscopy holds,

improving our understanding of the QCD background is an urgent priority for further study.

D. Summary

We conclude this section with a brief summary of the ranges of jet energy which are accessible for various beam energies and luminosities. We find essentially no differences between pp and pp collisions, so only pp results will be given except at $\forall x = 2$ TeV where βp rates are quoted. Figure 104 shows the E_7 range which can be explored at the level of at least one event per GeV of E_T per unit rapidity at 90° in the c.m. (compare Figs. 77-79 and 83). The results are presented in terms of the transverse energy per event E_7 , which corresponds to twice the transverse momentum p_1 of a jet. In Fig. 105 we plot the values of E_T that distinguish the regimes in which the two-gluon, quark-gluon, and quark-quark final states are dominant. Comparing with Fig. 104, we find that while the accessible ranges of E7 are impressive, it seems extremely difficult to obtain a clean sample of quark jets. Useful for estimating trigger rates is the total cross section for two jets integrated over $E_T(=2p_{\perp}) > E_{T_{\perp}}$ for both jets in a rapidity interval of -2.5 to +2.5. This is shown for pp collisions in Fig. 106.

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It is apparent that these questions are amenable to detailed investigation with the aid of realistic Monte Carlo simulations. Given the elementary two-+three cross sections and reasonable parametrizations of the fragmentation functions, this exercise can be carried out with some degree of confidence.

For multijet events containing more than three jets, the theoretical situation is considerably more primitive. A specific question of interest concerns the OCD four-jet

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parton scattering, as shown in Fig. 103. If all the parton momentum fractions are small, the two interactions may be treated as uncorrelated. The resulting four-jet cross section with transverse energy E_T may then be approximated by

(3.47)

In this section we discuss the supercollider processes associated with the standard model of the weak and electromagnetic interactions (Glashow, 1961; Weinberg, 1967; Salam, 1968). By "standard model" we understand the SU(2)L&U(1)y theory applied to three quark and lepton doublets, and with the gauge symmetry broken by a single complex Higgs doublet. The particles associated with the electroweak interactions are therefore the (left-handed) charged intermediate bosons W^{\pm} , the neutral intermedi-



FIG. 103. Four-jet topology arising from two independent parton interactions.

Consider the amplitude for two gluons to collide and produce four gluons: $gg \rightarrow gggg$. Before modern computers, this would have been barely tractable even at leading order (LO)



In 1985 Parke and Taylor took up the challenge, using
✓ the most advanced theoretical tools available
✓ the world best computers
they produced a final formula that would fit in 8 pages

THE CROSS SECTION FOR FOUR-GLUON PRODUCTION BY GLUON-GLUON FUSION

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Received 13 September 1985

The cross section for two-gluon to four-gluon scattering is given in a form suitable for fast numerical calculations.

S.J. Parke, T.R. Taylor / Four gluon production 420

of our calculation, the most powerful test does not rely on the gauge symmetry, but on the appropriate permutation symmetries. The function $A_0(p_1, p_2, p_3, p_4, p_5, p_4)$ must be symmetric under arbitrary permutations of the momenta (p_1, p_2, p_3) and separately, (p_4, p_5, p_6) , whereas the function $A_2(p_1, p_2, p_3, p_4, p_5, p_6)$ must be symmetric under the permutations of (p_1, p_2, p_3, p_4) and separately, (p_3, p_6) . This test is extremely powerful, because the required permutation symmetries are hidden in our supersymmetry relations, eqs. (1) and (3), and in the structure of amplitudes involving different species of particles. Another, very important test relies on the absence of the double points of the form (s_0) . In the cross set mired by provide a reguments based on the helicity conservation. Further, in the leading (s_v) pole approximation, the answer should reduce to the two goes to three cross section [3, 4], convoluted with the appropriate Altarelli-Parisi probabilities [5]. Our result has succesfully passed both these numerical checks.

the calculation, together with a full exposition of our technic be given in a forthcoming article. For memory, we mope to obtain a simple analytic form for the answer, making our result not only an experimentalist's, but also a heorist's delight.

Ve thank Keith Ellis, Chris Quigg and especially, Estia Eichten for many useful discussions and encouragement during the course of this work. We acknowledge the ospitality of Aspen Center for Physics, where this work was being completed in a peasant, strung-out atmosphere.

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Details of the calculation, together with a full exposition of our techniques, be given in a forthcoming article. Furthermore, we hope to obtain a simple analytic form for the answer, making our result not only an experimentalist's, but also a theorist's delight.

Finding simplicity

Soon afterwards they could guess an incredible, unanticipated simple form (for a fixed helicity configuration) ...



Finding simplicity

... which naturally suggested the result for an arbitrary number of gluons



Twenty years later (2004)

- After Parke-Taylor and a number of other results the calculation of LO amplitudes was soon mastered
- Yet, the calculation of NLO QCD corrections remained a big challenge for more than twenty years
- One calculation (article) per process considered
- No automation was in sight

Thirty years later (2014)

Suddenly, **thanks to theoretical conceptual breakthrough ideas**

- connection between NLO amplitudes and LO ones
- input from supersymmetry/string theory
- sophisticated algebraic methods
- connections with formal theory and pure mathematics ...



the problem of computing NLO QCD corrections is now solved

Automated NLO

Example: single Higgs production processes (similar results available for all SM processes of similar complexity, backgrounds to Higgs studies)

Process	Syntax	Cross section (pb)	
Single Higgs production		LO 13 TeV	NLO 13 TeV
g.1 $pp \rightarrow H$ (HEFT)	p p > h	$1.593 \pm 0.003 \cdot 10^{1} {}^{+ 34.8 \% }_{- 26.0 \% } {}^{+ 1.2 \% }_{- 1.7 \% }$	$3.261 \pm 0.010 \cdot 10^{1} {}^{+ 20.2 \% }_{- 17.9 \% } {}^{+ 1.1 \% }_{- 1.6 \% }$
g.2 $pp \rightarrow Hj$ (HEFT)	pp>hj	$8.367 \pm 0.003 \cdot 10^{0} {}^{+39.4\%}_{-26.4\%} {}^{+1.2\%}_{-1.4\%}$	$1.422 \pm 0.006 \cdot 10^{1}$ $^{+18.5\%}_{-16.6\%}$ $^{+1.1\%}_{-1.4\%}$
g.3 $pp \rightarrow Hjj$ (HEFT)	pp>hjj	$\begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$	$5.124 \pm 0.020 \cdot 10^{0} {}^{+ 20.7 \% }_{- 21.0 \% } {}^{+ 1.3 \% }_{- 1.5 \% }$
g.4 $pp \rightarrow Hjj$ (VBF)	pp>hjj\$\$ w+ w- z	$1.987 \pm 0.002 \cdot 10^{0} {}^{+1.7\%}_{-2.0\%} {}^{+1.9\%}_{-1.4\%}$	$1.900 \pm 0.006 \cdot 10^{0} {}^{+0.8\%}_{-0.9\%} {}^{+2.0\%}_{-1.5\%}$
g.5 $pp \rightarrow Hjjj$ (VBF)	p p > h j j j \$\$ w+ w- z	$2.824 \pm 0.005 \cdot 10^{-1} {}^{+ 15.7 \% }_{- 12.7 \% } {}^{+ 1.5 \% }_{- 1.0 \% }$	$\begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$
g.6 $pp \rightarrow HW^{\pm}$	pp>hwpm	$1.195 \pm 0.002 \cdot 10^{0} {}^{+ 3.5 \% }_{- 4.5 \% } {}^{+ 1.9 \% }_{- 1.5 \% }$	$1.419 \pm 0.005 \cdot 10^{0} {}^{+ 2.1 \% }_{- 2.6 \% } {}^{+ 1.9 \% }_{- 1.4 \% }$
g.7 $pp \rightarrow HW^{\pm} j$	pp>hwpmj	$4.018 \pm 0.003 \cdot 10^{-1} {}^{+ 10.7 \% }_{- 9.3 \% } {}^{+ 1.2 \% }_{- 0.9 \% }$	$ 4.842 \pm 0.017 \cdot 10^{-1} {}^{+ 3.6 \% }_{- 3.7 \% } {}^{+ 1.2 \% }_{- 1.0 \% } \\$
g.8* $pp \rightarrow HW^{\pm} jj$	pp>hwpmjj	$\begin{array}{cccc} 1.198 \pm 0.016 \cdot 10^{-1} & {}^{+ 26.1 \% }_{- 19.4 \% } {}^{+ 0.8 \% }_{- 0.6 \% } \end{array}$	$1.574 \pm 0.014 \cdot 10^{-1} {}^{+ 5.0 \% }_{- 6.5 \% } {}^{+ 0.9 \% }_{- 0.6 \% }$
g.9 $pp \rightarrow HZ$	p p > h z	$ 6.468 \pm 0.008 \cdot 10^{-1} {}^{+ 3.5 \% }_{- 4.5 \% } {}^{+ 1.9 \% }_{- 1.4 \% } $	$7.674 \pm 0.027 \cdot 10^{-1} {}^{+ 2.0 \% }_{- 2.5 \% } {}^{+ 1.9 \% }_{- 1.4 \% }$
g.10 $pp \rightarrow HZ j$	pp>hzj	$2.225 \pm 0.001 \cdot 10^{-1} {}^{+10.6\%}_{-9.2\%} {}^{+1.1\%}_{-0.8\%}$	$2.667 \pm 0.010 \cdot 10^{-1} {}^{+3.5\%}_{-3.6\%} {}^{+1.1\%}_{-0.9\%}$
g.11* $pp \rightarrow HZ jj$	p p > h z j j	$7.262 \pm 0.012 \cdot 10^{-2} {}^{+ 26.2 \% }_{- 19.4 \% } {}^{+ 0.7 \% }_{- 0.6 \% }$	$8.753 \pm 0.037 \cdot 10^{-2} {}^{+ 4.8 \% }_{- 6.3 \% } {}^{+ 0.7 \% }_{- 0.6 \% }$
g.12* $pp \rightarrow HW^+W^-$ (4f)	p p > h w+ w-	$8.325 \pm 0.139 \cdot 10^{-3} {}^{+ 0.0 \% }_{- 0.3 \% } {}^{+ 2.0 \% }_{- 1.6 \% }$	$1.065 \pm 0.003 \cdot 10^{-2} {}^{+ 2.5 \% }_{- 1.9 \% } {}^{+ 2.0 \% }_{- 1.5 \% }$
g.13* $pp \rightarrow HW^{\pm}\gamma$	pp>hwpma	$2.518 \pm 0.006 \cdot 10^{-3} {}^{+ 0.7 \% }_{- 1.4 \% } {}^{+ 1.9 \% }_{- 1.5 \% }$	$3.309 \pm 0.011 \cdot 10^{-3}$ $^{+2.7\%}_{-2.0\%}$ $^{+1.7\%}_{-1.4\%}$
g.14* $pp \rightarrow HZW^{\pm}$	p p > h z wpm	$3.763 \pm 0.007 \cdot 10^{-3} {}^{+1.1\%}_{-1.5\%} {}^{+2.0\%}_{-1.6\%}$	$5.292 \pm 0.015 \cdot 10^{-3} {}^{+3.9\%}_{-3.1\%} {}^{+1.8\%}_{-1.4\%}$
${\rm g.15^*} pp {\rightarrow} HZZ$	p p > h z z	$2.093 \pm 0.003 \cdot 10^{-3} {}^{+ 0.1 \% }_{- 0.6 \% } {}^{+ 1.9 \% }_{- 1.5 \% }$	$2.538 \pm 0.007 \cdot 10^{-3} {}^{+ 1.9 \% }_{- 1.4 \% } {}^{+ 2.0 \% }_{- 1.5 \% }$
g.16 $pp \rightarrow H t \bar{t}$	p p > h t t \sim	$3.579 \pm 0.003 \cdot 10^{-1} {}^{+ 30.0 \% }_{- 21.5 \% } {}^{+ 1.7 \% }_{- 2.0 \% }$	$4.608 \pm 0.016 \cdot 10^{-1} {}^{+ 5.7 \% }_{- 9.0 \% } {}^{+ 2.0 \% }_{- 2.3 \% }$
g.17 $pp \rightarrow Htj$	p p > h tt j	$ 4.994 \pm 0.005 \cdot 10^{-2} {}^{+ 2.4 \% }_{- 4.2 \% } {}^{+ 1.2 \% }_{- 1.3 \% } \\$	$ 6.328 \pm 0.022 \cdot 10^{-2} {}^{+ 2.9 \% }_{- 1.8 \% } {}^{+ 1.5 \% }_{- 1.6 \% } $
g.18 $pp \rightarrow Hb\bar{b}$ (4f)	p p > h b b \sim	$ 4.983 \pm 0.002 \cdot 10^{-1} {}^{+ 28.1 \% }_{- 21.0 \% } {}^{+ 1.5 \% }_{- 1.8 \% } \\$	$ 6.085 \pm 0.026 \cdot 10^{-1} {}^{+ 7.3 \% }_{- 9.6 \% } {}^{+ 1.6 \% }_{- 2.0 \% } $
g.19 $pp \rightarrow H t \bar{t} j$	pp>htt~j	$2.674 \pm 0.041 \cdot 10^{-1} {}^{+ 45.6 \% }_{- 29.2 \% } {}^{+ 2.6 \% }_{- 2.9 \% }$	$3.244 \pm 0.025 \cdot 10^{-1} {}^{+ 3.5 \% }_{- 8.7 \% } {}^{+ 2.5 \% }_{- 2.9 \% }$
g.20* $pp \rightarrow Hb\bar{b}j$ (4f)	p p ≥ h b b∼ j	$7.367 \pm 0.002 \cdot 10^{-2} {}^{+ 45.6 \% }_{- 29.1 \% } {}^{+ 1.8 \% }_{- 2.1 \% }$	$9.034 \pm 0.032 \cdot 10^{-2} {}^{+ 7.9 \% }_{- 11.0 \% } {}^{+ 1.8 \% }_{- 2.2 \% }$

Automated NLO

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g.7 $pp \rightarrow$			+3.6% $+1.2%-3.7%$ $-1.0%$	
g.8* $pp \rightarrow$			$^{+5.0\%}_{-6.5\%}$ $^{+0.9\%}_{-0.6\%}$	
g.9 $pp \rightarrow$	colvor	d nrahla	+2.0% $+1.9%-2.5%$ $-1.4%$	
g.10 $pp \rightarrow$	SOIVE		+3.5% $+1.1%+3.6%$ $-0.9%$	
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NLO & NNLO versus data



LHC data clearly prefers NNLO Same conclusion in all measurements examined so far With more data NLO likely to be insufficient

NNLO: the next challenge

An explosion of NNLO results in the last two years



Things are developing rapidly, but **a number of conceptual and technical challenges** remain to be faced

Giulia Zanderighi, Precision at the LHC

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NNLO: uncertainty ?



NNLO **scale** uncertainty bands of 1-2%. Is the **theory** uncertainty indeed 1-2%?

What does precision buy you?

Precision and energy reach

New physics likely heavy \Rightarrow use effective field theory (EFT)

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \sum_{i} \frac{1}{\Lambda^2} \mathcal{O}_{i}^{D=6}$$
 scale of new physics

• At low energy, e.g. Higgs couplings

$$g = g_{
m SM} \left(1 + c \frac{v^2}{\Lambda^2}
ight)$$

 At high energy (E), e.g. oblique parameters in V_LV_L scattering (V=W, Z, h)

$$g = g_{\rm SM} \left(1 + c \frac{E^2}{\Lambda^2} \right)$$

⇒ Complementarity between precision and energy-reach

Comparison to Lep benchmark

- High-energy dynamics of longitudinal bosons linked to Higgs physics via Equivalence Theorem
- Only accurate measurements/calculations allow to constrain models that foresee small departures from the SM

per-mille accuracy at LEP \approx 10% accuracy at I TeV1% accuracy at I TeV \approx 10% accuracy at 3 TeV0.1% accuracy at I TeV \approx 10% accuracy at 10 TeV

Constraints from di-bosons



highest scale probed experimentally

Higgs studies at the LHC

- The discovery of the Higgs boson at the LHC was a milestone in particle physics
- Higgs boson is the only fundamental scalar particle ever discovered. Its study at the LHC is new territory
- It is clear that this will be a long research program at the LHC [in comparison the b-quark was discovered forty years ago and, Belle II at SuperKEK, will now further study hadrons containing b-quarks]

An extremely rich program



Two examples, out of many, where theoretical precision brings new opportunities in the Higgs sector

I.Higgs coupling to light quarks

- couplings to 2nd (and 1st) generation notoriously very difficult because they are very small
- a number of ways to constraint the coupling of Higgs to charm:



I. Higgs coupling to light quarks

- Higgs produced dominantly via topquark loop (largest coupling)
- but interference effects with light quarks are not negligible
- provided theoretical predictions are accurate enough (few%?), constraint on charm (and possible strange) Yukawa can be significantly improved





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2. The Higgs potential

The Higgs boson is responsible for the masses of all particles we know of. Its potential, linked to the Higgs self coupling, is predicted in the SM, but we have not tested it so far



Bounds on λ today from LHC data still very loose (about a factor 10)

2. The Higgs potential

Traditionally: suggested to measure it through the production of two Higgs bosons (but difficult because of very small production rates)





<u>New idea:</u> exploit indirect sensitivity to λ of single Higgs

production Provides a wealth of new measurements (many production processes, many kinematic distributions), but theory and measurements must be accurate enough

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Conclusion

- Precision physics at hadron colliders is already there
- Precision Higgs studies in their infancy, much more to come
- Not just precision measurement of couplings but possibility to address key outstanding questions (Higgs potential, minimal Higgs, fine-tuning, portal to hidden sectors, DM...)
- Interplay between precision and energy reach crucial to address these questions

